```
% Given data points
x = [1, 2, 2.5, 3, 4, 5];
f x = [0, 5, 7, 6.5, 2, 0];
% Point to interpolate
x interp = 3.4;
% Initialize variables for interpolated values
f interp order1 = 0;
f_interp_order2 = 0;
f_interp_order3 = 0;
% Newton's interpolating polynomial of order 1
for i = 1:2
    f_{interp\_order1} = f_{interp\_order1} + f_{x(i)} * prod(x_{interp\_order1} - x(1:i))/(x(i+1) - x(i));
end
% Newton's interpolating polynomial of order 2
for i = 1:3
    f_{interp\_order2} = f_{interp\_order2} + f_{interp\_order1} + f_{x(i)} * prod(x_{interp} - x(1:i))/(x(i+1) - x(i));
end
% Newton's interpolating polynomial of order 3
for i = 1:4
    f_{interp\_order3} = f_{interp\_order3} + f_{interp\_order2} + f_{x(i)} * prod(x_{interp} - x(1:i))/(x(i+1) - x(i));
end
fprintf('f(3.4) using Newton''s interpolating polynomial of order 1: %.4f\n', f interp order1);
fprintf('f(3.4) using Newton''s interpolating polynomial of order 2: %.4f\n', f_interp_order2);
fprintf('f(3.4) using Newton''s interpolating polynomial of order 3: %.4f\n', f_interp_order3);
f(3.4) using Newton's interpolating polynomial of order 1: 33.6000
```

```
f(3.4) using Newton's interpolating polynomial of order 1: 33.6000 f(3.4) using Newton's interpolating polynomial of order 2: 176.7360 f(3.4) using Newton's interpolating polynomial of order 3: 790.7424
```

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