

## CBC-MAC

Tag obtained from normal MAC is as long as the message. In order to use reduced tags, we can use the CBC-MAC.

$m$  is first encrypted in CBC mode and the last output is considered the tag.

Basic CBC-MAC is secure if fixed length input is allowed. For variable length, it becomes insecure.

Example:- If we allow messages of length 1 and 2.

$$m_1, \text{tag} \rightarrow t_1$$

$$\text{Let } m_2 = m_1 \parallel t_1 \oplus m_2, \text{tag} \rightarrow t_2$$

$t_2$  is also a valid tag of  $m$  which hasn't been queried yet because

$$\begin{aligned} t_2 &= F_k \left( \overbrace{F_k(0^n \oplus m_1)}^{t_1} \oplus t_1 \oplus m \right) \\ &= F_k(t_1 \oplus t_1 \oplus m) \\ &= F_k(m) = F_k(0^n \oplus m) \end{aligned}$$

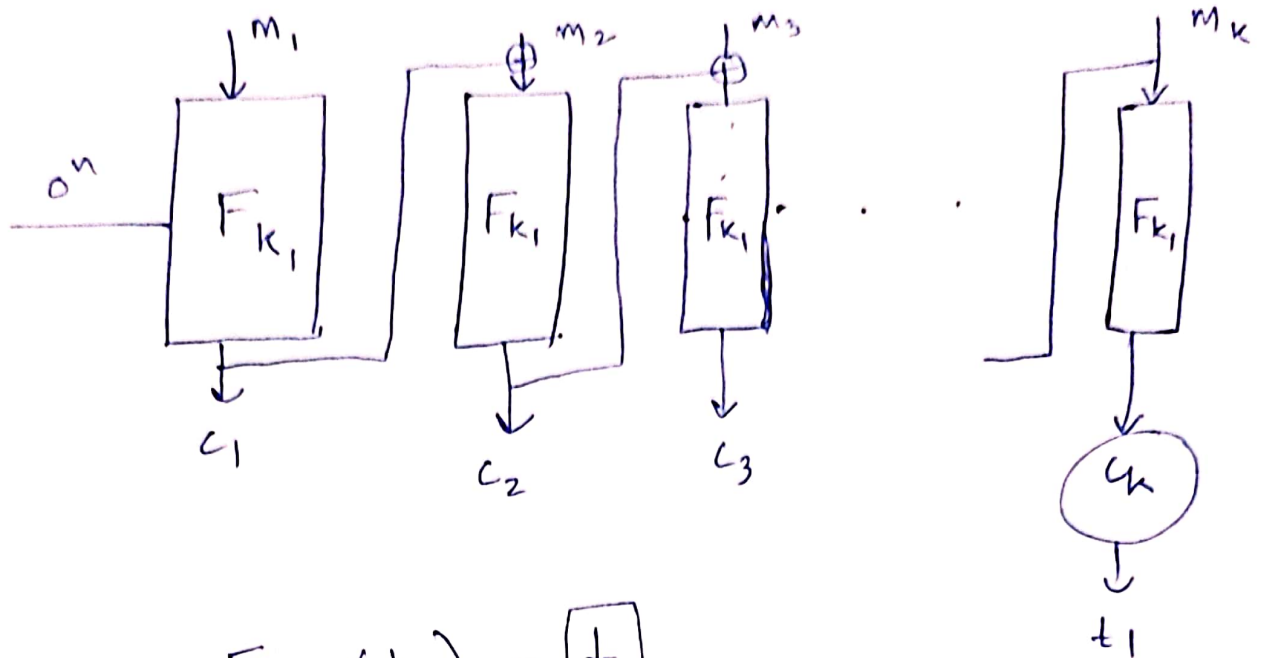
Hence, the tag obtained from CBC-MAC is padded through MAC again to make it secure.

Use 2 keys  $k_1, k_2$

$k_1$  to obtain  $t_1$  from basic CBC-MAC

$$\text{Final: } t = F_{k_2}(t_1)$$

## Secure CBC-MAC :



$$F_{k_2}(t_1) = \boxed{t}$$

Previously discussed attacks are not possible in this situation because  $k_1, k_2$  are secret and  $F$  is a pseudo-random function. Hence, it is practically impossible to get  $t_1$  from  $t$  without  $k_2$ .