

# CROSS-TESTING

## Purpose of Cross-Testing

Cross-testing is performed to evaluate a model's robustness and generalization when applied to data distributions different from those used during training. Unlike standard evaluation, cross-testing helps assess how well a model handles distribution shifts, which are common in real-world scenarios.

## Cross-Testing of Saved Models

After identifying the best-performing Logistic Regression models from both datasets, cross-testing was conducted.

- **Model\_A:** Logistic Regression trained on the balanced dataset
- **Model\_B:** Logistic Regression trained on the imbalanced dataset

Each model was evaluated on the dataset it was not trained on, using its corresponding saved TF-IDF vectorizer to maintain feature consistency.

```
import joblib  
  
model_A = joblib.load("Model_A.pkl")  
tfidf_A = joblib.load("tfidf_A.pkl")  
model_B = joblib.load("Model_B.pkl")  
tfidf_B = joblib.load("tfidf_B.pkl")
```

## Cross-Testing Setup

Model	Trained On	Tested On
Model_A	Balanced dataset	Imbalanced dataset
Model_B	Imbalanced dataset	Balanced dataset

This setup ensures a fair comparison without retraining and prevents feature mismatch.

## Cross-Testing Results

### Model A → Imbalanced Data

- Accuracy: ~0.53
- Strong performance on extreme ratings (1 and 5)
- Moderate performance on middle ratings (2, 3, and 4)

### **Observation:**

**Model\_A demonstrates good generalization to real-world imbalanced data, indicating effective class-neutral learning.**

```
evaluate(model_A, X_imb_A, y_test_imbalanced_loaded,
        "Model_A → Imbalanced")
```

```
==== Model_A → Imbalanced ====
Accuracy: 0.5307593462635024

Classification Report:
              precision    recall  f1-score   support

     1       0.50         0.80         0.62       4982
     2       0.44         0.45         0.44       7473
     3       0.52         0.45         0.49      12449
     4       0.59         0.45         0.51      14933
     5       0.56         0.68         0.62       9969

 accuracy          0.53         0.53         0.53      49806
  macro avg         0.52         0.57         0.53      49806
 weighted avg         0.54         0.53         0.52      49806

Confusion Matrix:
[[3981  547  233   86  135]
 [1715 3335 1531   514   378]
 [1261 2464 5623 2196   905]
 [ 585 1008 2820 6672 3848]
 [ 403   279   527 1936 6824]]
```

## **Model B → Balanced Data**

- Accuracy: ~0.58
- Improved performance across all rating classes
- More stable precision and recall compared to Model\_A

### **Observation:**

**Model\_B benefits from learning natural class distributions and adapts effectively when evaluated on balanced data.**

```
evaluate(model_B, X_bal_B, y_test_balanced_loaded,
        "Model_B → Balanced")
```

```

===== Model_B -> Balanced =====
Accuracy: 0.5771394134190438

Classification Report:
              precision    recall  f1-score   support

     1         0.66       0.77       0.71       4978
     2         0.53       0.45       0.49       4978
     3         0.49       0.47       0.48       4978
     4         0.52       0.49       0.51       4978
     5         0.65       0.70       0.67       4978

 accuracy          0.57       0.58       0.58       24890
  macro avg         0.57       0.58       0.57       24890
 weighted avg         0.57       0.58       0.57       24890


Confusion Matrix:
[[3829  649  259  104  137]
 [1096 2236 1078  337  231]
 [ 495  907 2337  909  330]
 [ 175  267  865 2459 1212]
 [ 182  128  230  934 3504]]

```

## Key Insights from Cross-Testing

- Training on balanced data improves fairness but slightly reduces real-world accuracy.
- Training on imbalanced data improves overall accuracy but may introduce class bias.
- Logistic Regression shows stable performance across both testing scenarios.
- Data distribution has a significant impact on model behavior and outcomes.

## Conclusion

Cross-testing confirms that data distribution plays a critical role in model performance. Model\_A emphasizes fairness across classes, while Model\_B reflects realistic usage patterns. Evaluating both models provides a comprehensive understanding of robustness and reliability.