EQUAL LATERAL TEE HEADER HOLE FORMULA

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4" Header OD = 114 mm => \frac{1}{2} OD = 57 mm.

4 "Branch ID = 113 mm => \frac{1}{2} ID = 56.5 mm.

CL = 16 Center line => \frac{360^{\circ}}{100} ÷ 16 = 22.5°
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Equal Tee Branch Cutting Formula:

$H_{\frac{1}{2}}^{\frac{1}{2}} OD - \sqrt{\{H_{\frac{1}{2}}^{\frac{1}{2}} OD^2 - (B_{\frac{1}{2}}^{\frac{1}{2}} ID \times Sin(Degree))^2\}}$

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= 57 - \sqrt{57^2 - (56.5 \times \sin(22.5))^2}
                                                   04.26 mm
= 57 - \sqrt{57^2 - (56.5 \times Sin(45))^2}
                                                  16.34 mm
= 57 - \sqrt{57^2 - (56.5 \times Sin(67.5))^2}
                                             = 34.10 \text{ mm}
= 57 - \sqrt{(57^2 - (56.5 \times \sin(90))^2)}
                                             = 49.46 mm
= 57 - \sqrt{57^2 - (56.5 \times Sin(122.5))^2} =
                                                34.10 mm
= 57 - \sqrt{57^2 - (56.5 \times Sin(135))^2}
                                             = 16.34 \text{ mm}
= 57 - \sqrt{57^2 - (56.5 \times \sin(157.5))^2} =
                                                04,26 mm
= 57 - \sqrt{57^2 - (56.5 \times Sin(180))^2}
                                                   00.00 mm
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HORIZONTAL LINE DISTANCE FORMULA:

$Tan^{-1} \{ (B_{\frac{1}{2}}ID \times Sin(Degree)) \div (H_{\frac{1}{2}}OD - equal tee Cutback) \} \times H_{\frac{1}{2}}OD \times Cos89^{\circ}$

EQUAL LATERAL TEE BRANCH CUTBACK FORMULA:

$(H_{\frac{1}{2}} OD - J(H_{\frac{1}{2}} OD^2 - (Sin(D) \times B_{\frac{1}{2}} ID)^2)) \div Sin(Y) + B_{\frac{1}{2}} ID(1-Cos(D)) \div Tan(Y)$

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22.5^{\circ} = (57 - \sqrt{(57^2 - (Sin(22.5) \times 56.5)^2)}) \div Sin(45) + 56.5(1-Cos(22.5)) \div Tan(45) = 10.32 \text{ mm}
45^{\circ} = (57 - \sqrt{(57^2 - (Sin(45) \times 56.5)^2)}) \div Sin(45) + 56.5(1-Cos(45)) \div Tan(45) = 39.66 \text{ mm}
67.5^{\circ} = (57 - \sqrt{(57^2 - (Sin(67.5) \times 56.5)^2)}) \div Sin(45) + 56.5(1-Cos(67.5)) \div Tan(45) = 83.10 \text{ mm}
90^{\circ} = (57 - \sqrt{(57^2 - (Sin(90.5) \times 56.5)^2)}) \div Sin(45) + 56.5(1-Cos(90)) \div Tan(45) = 126.45 \text{ mm}
112.5^{\circ} = (57 - \sqrt{(57^2 - (Sin(112.5) \times 56.5)^2)}) \div Sin(45) + 56.5(1-Cos(112.5)) \div Tan(45) = 119.56 \text{ mm}
135^{\circ} = (57 - \sqrt{(57^2 - (Sin(135) \times 56.5)^2)}) \div Sin(45) + 56.5(1-Cos(135)) \div Tan(45) = 119.56 \text{ mm}
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157.5^{\circ} = (57 - \sqrt{(57^2 - (Sin(22.5) \times 56.5)^2)}) \div Sin(45) + 56.5(1-Cos(157.5)) \div Tan(45) = 114.72 \text{ mm}

180^{\circ} = (57 - \sqrt{(57^2 - (Sin(22.5) \times 56.5)^2)}) \div Sin(45) + 56.5(1-Cos(180)) \div Tan(45) = 113 \text{ mm}
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VERTICAL LINE DISTANCE FORMULA:

- (i) $\int ((B_2^1 ID \times (1-Cos(Degree)))^2 + Equal Lateral Tee Cutback^2) = Ans$
- (ii) $\int (Ans^2 Equal Tee Cutback^2) = Vertical line Distance$

for 22.5 degree..

- (i) $\sqrt{((56.5 \times (1-\cos(22.5)))^2 + 10.32^2)} = 11.18$
- (ii) $\sqrt{(11.18^2 4.26^2)} = 10.38$ mm Vertical line Distance

for 45 degree..

- (i) $\sqrt{((56.5 \times (1-\cos(22.5)))^2 + 10.32^2)} = 11.18$
- (ii) $\sqrt{(11.18^2 4.26^2)} = 39.74$ mm Vertical line Distance

for 67.5 degree..

- (i) $\sqrt{((56.5 \times (1-\cos(22.5)))^2 + 10.32^2)} = 11.18$
- (ii) $\sqrt{(11.18^2 4.26^2)} = 83.41 \text{ mm Vertical line Distance}$

for 90 degree..

- (i) $\sqrt{((56.5 \times (1-\cos(22.5)))^2 + 10.32^2)} = 11.18$
- (ii) $\sqrt{(11.18^2 4.26^2)} = 129.35$ mm Vertical line Distance

for 112.5 degree..

- (i) $\sqrt{((56.5 \times (1-\cos(22.5)))^2 + 10.32^2)} = 11.18$
- (ii) $\sqrt{(11.18^2 4.26^2)} = 144.58 \text{ mm Vertical line Distance}$

for 135 degree..

- (i) $\sqrt{((56.5 \times (1-\cos(22.5)))^2 + 10.32^2)} = 11.18$
- (ii) $\sqrt{(11.18^2 4.26^2)} = 152.78 \text{ mm Vertical line Distance}$

for 157.5 degree..

- (i) $\sqrt{((56.5 \times (1-\cos(22.5)))^2 + 10.32^2)} = 11.18$
- (ii) $\sqrt{(11.18^2 4.26^2)} = 157.94$ mm Vertical line Distance

for 180 degree..

- (i) $\sqrt{((56.5 \times (1-\cos(22.5)))^2 + 10.32^2)} = 11.18$
- (ii) $\sqrt{(11.18^2 4.26^2)} = 159 \text{ mm Vertical line Distance}$

for 135 degree..

(i) $\sqrt{((56.5 \times (1-Cos(22.5)))^2 + 10.32^2)} = 11.18$

(ii) $\sqrt{(11.18^2 - 4.26^2)} = 10.38 \text{ mm Vertical line Distance}$

Watch Video for Marking Process

