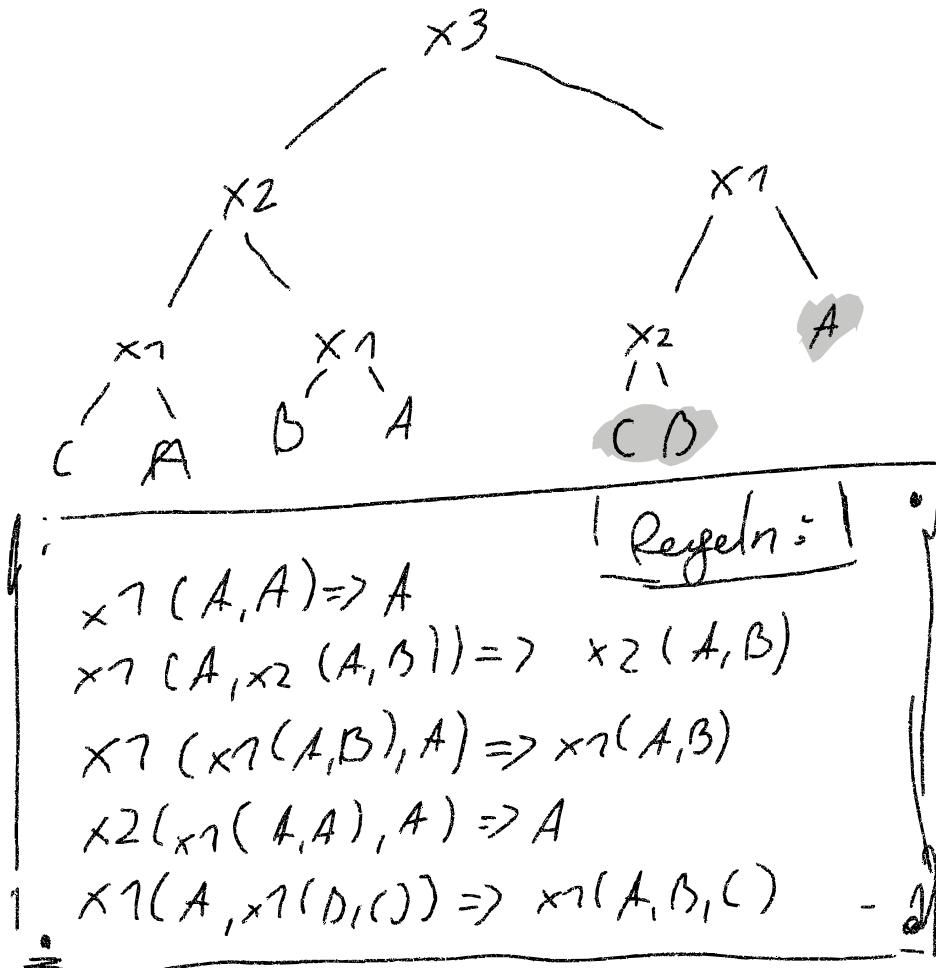


2.

$$x_3(x_2(x_1(C, A), x_1(B, A)), x_1(x_2((B), A)))$$

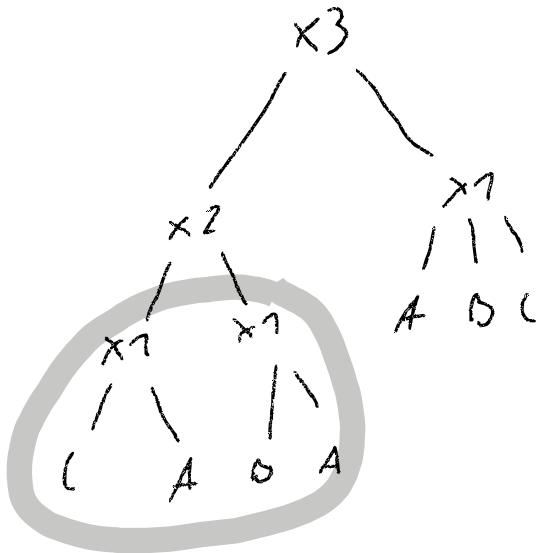


7. | S|      Eliminierung redundanter Tests

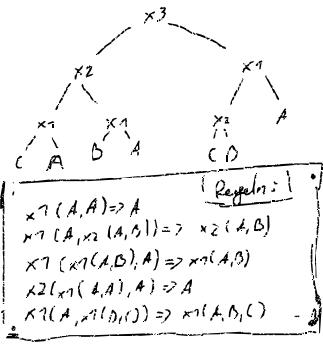
$$x_1(x_2((B), A)) \Rightarrow x_1(A, B, C)$$

$\Rightarrow x_3(x_2(x_1(C, A), x_1(D, A)), x_1(A, B, C))$

## 2. | 3 | Vereinfachung überflüssiger Tests



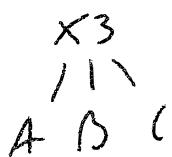
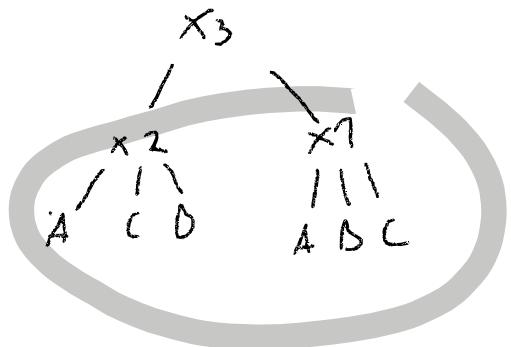
$x_3(x_2(x_1(C, A), x_1(D, A)), x_1(x_2(C, D), A))$

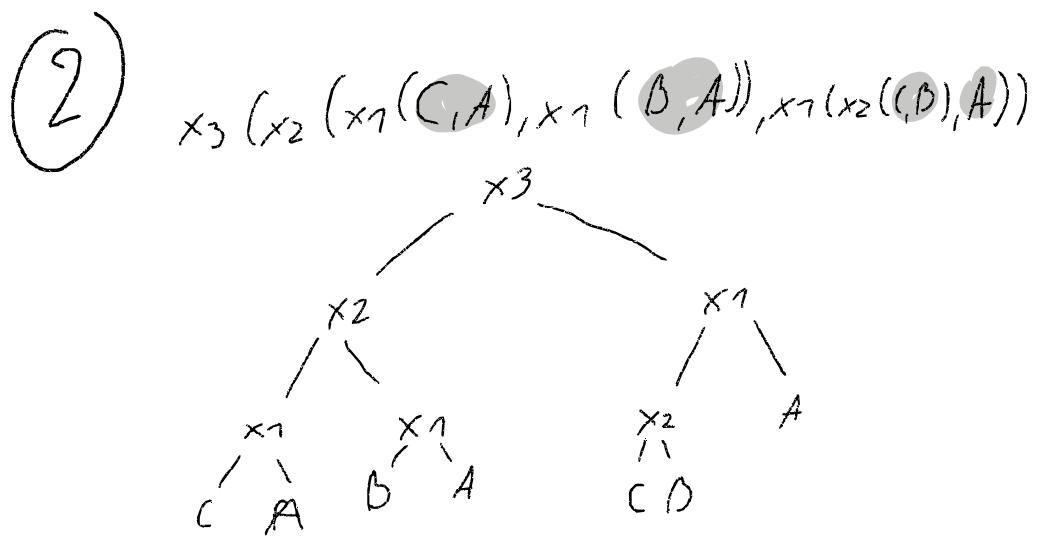


2. 15)

$x_1(x_2(1, D), A) \Rightarrow x_1(A, D, C)$

$\Rightarrow x_3(x_2(x_1(C, A), x_1(D, A)), x_1(A, D, C))$





1. Allgemeine Transformationsregel

$$x_1(x_2(a, b), x_2(c, d)) \Leftrightarrow x_2(x_1(a, c), x_1(b, d))$$


---

2. Bedingte irrelevante Attribute

$$x_1(A, D), x_2(A, D), x_2(A, B) \Rightarrow x_2(A, B)$$


---

1.  $x_2(x_1(C, A), x_1(B, A)) \Rightarrow (x_2(x_2(C, B), x_2(A, A)))$

2.  $x_1(x_2(C, D), x_2(A, A)) \Rightarrow x_2(x_2(C, B), A)$

2.  $x_3(x_1(x_2(C, B), A), x_1(x_2(C, B), A))$

2.  $x_3(x_1(x_2(C, D), A))$

$x_3(x_2(C, D)A)$

Nr.	Altfr.	Cinh.	Bil	Kandi	$S_1 = 4$
1	<u>235</u>	hoch	Abi	0	$S_2 = 0,7$
2	<35	niedrig	Mas	0	
3	<u>235</u>	hoch	Bach	M	
4	<u>235</u>	niedrig	Abi	m	$\geq 35 = 1$
5	<u>235</u>	hoch	Maa	0	$h \cdot h = 1$
6	<35	hoch	BA	0	$Abi = 1$
7	<35	niedrig	Abi	M	$Mas = 2$

$$\geq 35 = 1$$

$$h \cdot h = 1$$

$$Abi = 1$$

$$Mas = 2$$

Durch -

1 /01/

2 /02/

3 /02M1/

4 /02M2/  $P(A) = \frac{3}{4} = 0,75$   $P(B) = \frac{1}{4}$

$\angle 0,7 \rightarrow$  Differenzieren

$\leftarrow 1 \quad \underline{235}$

$x_1(01, 101, M2)$

5.  $x_1(01, \downarrow 102, M2)$   $P(0) = 0,5 > 0,7$

$\leftarrow 35 \quad \underline{235}$

$x_1(01, x_2(102M1, \begin{matrix} \text{hoch} \\ \text{niedrig} \end{matrix}, M1))$

6.  $x_1(02, x_2(102M1, |*, M1|))$

$\Rightarrow x_1(02M1, x_2(102M1, |*, M1|))$

1.  $x_1(02M1, x_2(103M1, |*, M1|))$  hoch!

$x_1(02M1, x_2(0, |*, M1|))$

Nr.	Aftr.	Erh.	Bil	Kond.
1	≥ 35	hoch	Abi	O
2	< 35	mittig	Maa	O
3	≥ 35	hoch	Bach	M
4	≥ 35	mittig	Abi	M
5	≥ 35	hoch	Maa	O
6	< 35	hoch	B+	O

$$x_1(02M7), x_2(0, \# M11)$$

2.  $x1(0, 3M1, x2(0, 1*, M1))$   
 $x1(0, x2(0, 1*, M1))$

3.  $x1(0, x2(0, 1*, M1))$

4.  $x1(0, x2(0, 1*, M2))$

5.  $x1(0, x2(0, 1*, M2))$

62

7

11

2 . . .

7 . . .

4

4...  
....  $x_1(0, x_2(0, 1^*, M_3))$   
                 $M_4$

# 1. ID3

$$\text{Entropy}(S) = - \sum_i p_i \cdot \log_2(p_i)$$

$$\text{Gains}(S, A) = \text{Entropy}(S) - \sum_{v \in \text{Values}(A)} \frac{|S_v|}{|S|} \cdot \text{Entropy}(S_v)$$

O:4 (1,2,5,6)

M:3 (>,4,7)

$$\text{Entropy}(S) = - \left( \frac{4}{7} \log_2 \frac{4}{7} + \frac{3}{7} \log_2 \frac{3}{7} \right) \approx 0,985$$

$$\begin{array}{ccc} & 0 & M \\ < 35 & 2 & 1 \\ \geq 35 & 2 & 2 \end{array} \quad - \left( \frac{2}{3} \log_2 \frac{2}{3} + \frac{1}{3} \log_2 \frac{1}{3} \right) = 0,978$$

$$- \left( \frac{1}{2} \log_2 \frac{1}{2} + \frac{1}{2} \log_2 \frac{1}{2} \right) = 1,0$$

$$\text{Gains}(S, A[\text{Age}]) = 0,985 \left( \frac{2}{7} \cdot 0,978 + \frac{4}{7} \cdot 1,0 \right) =$$

$$0,985 - 0,978 = \underline{0,027}$$

$$\frac{\text{Informationsgewinn}}{0,027}$$

# Cinlomaen

	Hoch	Niedrig	
	0	M	
Roch	3	1	$-\left(\frac{3}{4} \log_2 \frac{3}{4} + \frac{1}{4} \log_2 \frac{1}{4}\right) = 0,877$
Niedrig	1	2	$-\left(\frac{1}{3} \log_2 \frac{1}{3} + \frac{2}{3} \log_2 \frac{2}{3}\right) = 0,978$
Bilday			$0,985 - \left(\frac{4}{7} \cdot 0,877 + \frac{3}{7} \cdot 0,978\right)$
	0	M	
Ali	1	2	$0,978 - \left(\frac{1}{3} \log_2 \frac{1}{3} + \frac{2}{3} \log_2 \frac{2}{3}\right)$
Mast	1	1	7,0
Bach	2	0	0,0

$$- (P(0) \cdot \log_2(p(0)) + p(M) \cdot \log_2(p(M)))$$

$$g(S, \text{Bilday}) = 0,985 - \left(\frac{3}{7} \cdot 0,978 + \frac{2}{7} \cdot 7,0 + \frac{2}{7} \cdot 0,0\right) = \\ 0,985 - 0,687 = \underline{\underline{0,304}}$$

