



# 40-414 Compiler Design

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## Intermediate Code Generation

### Lecture 8

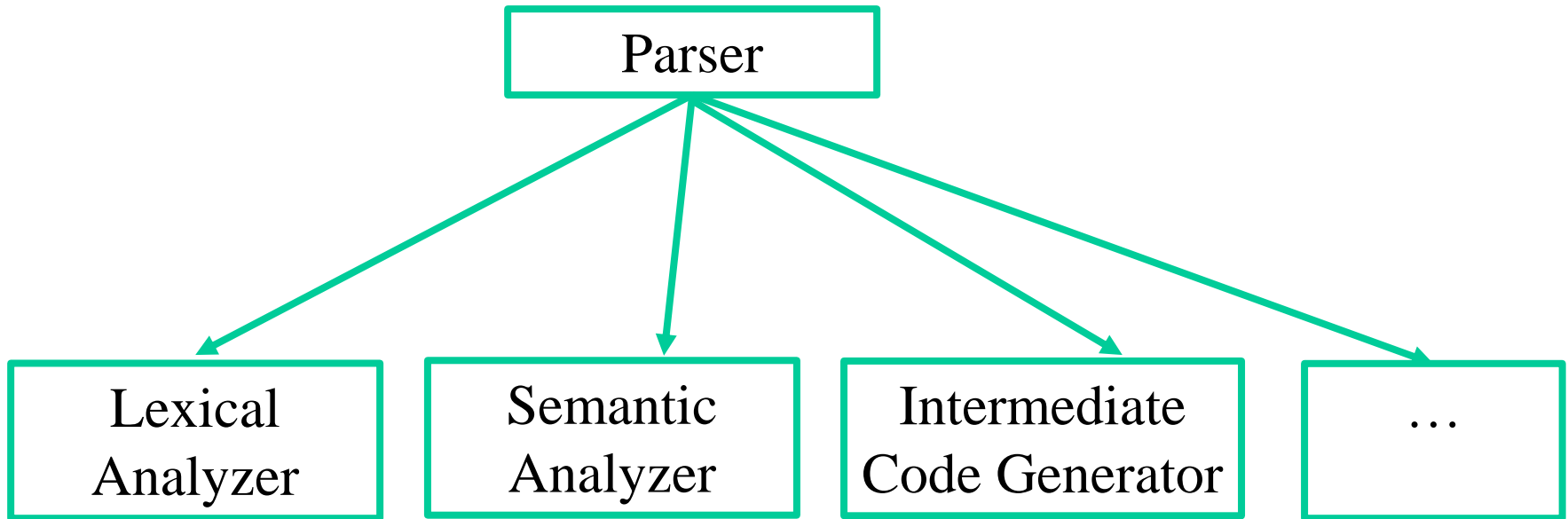
## Recommended Reading

P. Tremblay, J. Sorenson, *Theory and Practice of Compiler Writing*, McGraw Hill, Chapter 11.

(Not required if you attend this lecture  
and the next Exercise session)

# Intermediate Code Generation

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# Intermediate Representation

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- Translating source program into an “intermediate language.”
  - Simple
  - CPU Independent,
  - ...yet, close in spirit to machine language.
- Three Address Code (quadruples)
- Two Address Code, etc.

# Three Address Codes

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- Statements of general form  $x := y \text{ op } z$   
here represented as  $(\text{op}, y, z, x)$
- No built-up arithmetic expressions are allowed.
- As a result,  $x := y + z * w$  should be represented as:  
     $t_1 := z * w$   
     $t_2 := y + t_1$   
     $x := t_2$
- Three-address code is useful: related to machine-language/ simple/ optimizable.

# Types of Three-Address Statements

---

$x := y \text{ op } z$   $(\text{op}, y, z, x)$

$x := \text{op } z$   $(\text{op}, z, x, )$

$x := z$   $(:=, z, x, )$

$\text{goto } L$   $(\text{jp}, L, ,)$

$\text{if } x \text{ relop } y \text{ goto } L$   $(\text{relop}, x, y, L), \text{ or}$   
 $(\text{jpf}, A1, A2, ),$   
 $(\text{jpt}, A1, A2, ), \text{ etc.}$

# Different Addressing Modes

---

(+, 100, 101, 102)

location 102  $\leftarrow$  content of 100 + content of 101

(+, #100, 101, 102)

location 102  $\leftarrow$  constant 100 + content of 101

(+, @100, 101, 102)

location 102  $\leftarrow$  content of content of 100 + content of 101

# Definitions

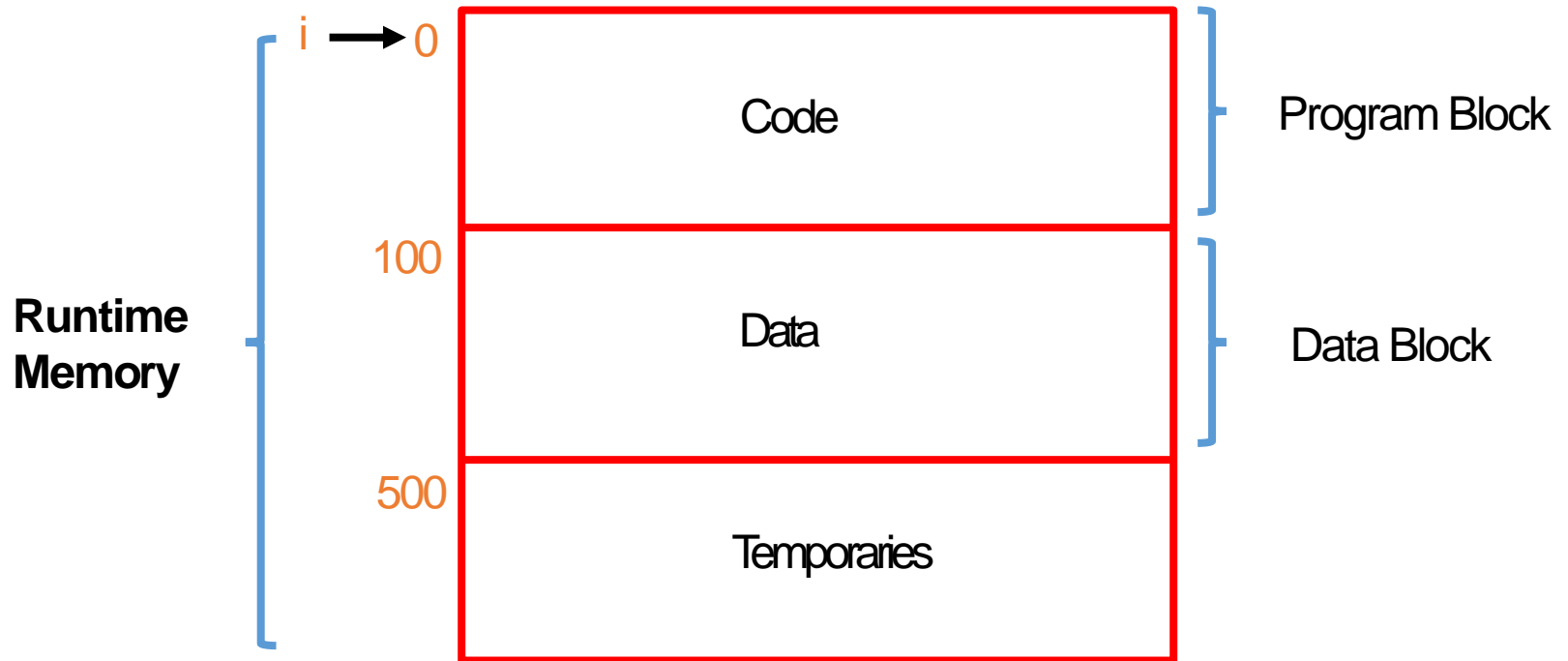
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- **Action Symbols** (eg., **#pid**, **#add**, **#mult**, etc.): special symbols added to the grammar to signal the need for code generation
- **Semantic Action** (or, Semantic Routine): Each action symbol is associated with a sub-routine to perform
- **Semantic Stack** (here referred to by "ss"): a stack dedicated to the both semantic analyzer and intermediate code generator to store and use the required information
- **Program Block** (here referred to by "PB"): part of run time memory to be filled by the generated code



# Run Time Memory Organization

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# Top-Down vs. Bottom-Up Generation

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- Intermediate Code Generation can be performed in a top-down or bottom-up fashion (depending on the parsing direction)
- We first explain the Top-Down Approach
- Then we explain the minor differences that exist between the two approaches

# Top-Down Intermediate Code Generation

---

PRODUCTION Rules with *action symbols*:

1.  $S \rightarrow \text{\textcolor{red}{\#pid}} \text{\textcolor{blue}{id}} \text{\textcolor{blue}{:=}} E \text{\textcolor{red}{\#assign}}$
2.  $E \rightarrow T E'$
3.  $E' \rightarrow \varepsilon$
4.  $E' \rightarrow \text{\textcolor{blue}{+}} T \text{\textcolor{red}{\#add}} E'$
5.  $T \rightarrow F T'$
6.  $T' \rightarrow \varepsilon$
7.  $T' \rightarrow \text{\textcolor{blue}{*}} F \text{\textcolor{red}{\#mult}} T'$
8.  $F \rightarrow (\text{\textcolor{blue}{E}})$
9.  $F \rightarrow \text{\textcolor{red}{\#pid}} \text{\textcolor{blue}{id}}$

e.g., input:  $\text{\textcolor{blue}{a}} \text{\textcolor{blue}{:=}} \text{\textcolor{blue}{b}} \text{\textcolor{blue}{+}} \text{\textcolor{blue}{c}} \text{\textcolor{blue}{*}} \text{\textcolor{blue}{d}}$

# Code Generator Program

---

```
Proc codegen(Action)
  case (Action) of
    #pid : begin
      p ← findaddr(input);
      push(p)
    end
    #add | #mult : begin
      t ← gettemp
      PB[i] ← (+ | *, ss(top), ss(top-1), t);
      i ← i + 1; pop(2); push(t)
    end
    #assign : begin
      PB[i] ← (:=, ss(top), ss(top-1),);
      i ← i + 1; pop(2)
    end
  end
end
End codegen
```

- Function *gettemp* returns a new temporary variable that we can use.
- Function *findaddr(input)* looks up the current input's address from Symbol Table.

# Example (LL1 implementation)

$S \rightarrow \text{\#pid id} := E \text{\#assign}$

$E \rightarrow T E'$

$E' \rightarrow \varepsilon \mid + T \text{\#add} E'$

$T \rightarrow F T'$

$T' \rightarrow \varepsilon \mid * F \text{\#mult} T'$

$F \rightarrow ( E )$

$F \rightarrow \text{\#pid id}$

## Parse Table

	id	+	*	(	)	:=	\$
S	$\text{\#pid id} := E \text{\#assign}$						
E	$T E'$			$T E'$			
E'		$+ T \text{\#add} E'$			$\varepsilon$		$\varepsilon$
T	$F T'$			$F T'$			
T'		$\varepsilon$	$* F \text{\#mult} T'$		$\varepsilon$		$\varepsilon$
F	$\text{\#pid id}$			$( E )$			

# Example (LL1 implementation)

Parse Stack	Input	Operations
S \$	id1 := id2 + id3 * id4 \$	pop
#pid id := E #assign \$	id1 := id2 + id3 * id4 \$	codegen( <b>#pid</b> ), pop
id := E #assign \$	id1 := id2 + id3 * id4 \$	pop, pop
T E' #assign \$	id2 + id3 * id4 \$	Pop
F T' E' #assign \$	id2 + id3 * id4 \$	pop
#pid id T' E' #assign \$	id2 + id3 * id4 \$	codegen( <b>#pid</b> ), pop
id T' E' #assign \$	id2 + id3 * id4 \$	pop
E' #assign \$	+ id3 * id4 \$	pop
+ T #add E' #assign \$	+ id3 * id4 \$	pop
F T' #add E' #assign \$	id3 * id4 \$	Pop
#pid id T' #add E' #assign \$	id3 * id4 \$	codegen( <b>#pid</b> ), pop
id T' #add E' #assign \$	id3 * id4 \$	pop, pop
* F #mult T' #add E' #assign \$	* id4 \$	pop
#pid id #mult T' #add E' #assign \$	id4 \$	codegen( <b>#pid</b> ), pop
id #mult T' #add E' #assign \$	id4 \$	pop
#mult T' #add E' #assign \$	\$	codegen( <b>#mult</b> ), pop
T' #add E' #assign \$	\$	pop
#add E' #assign \$	\$	codegen( <b>#add</b> ), pop
E' #assign \$	\$	pop
#assign \$	\$	codegen( <b>#assign</b> ), pop
\$	\$	Finish!!

# Example (Recursive Descent implementation)

---

$S \rightarrow \text{\#pid id} := E \text{\#assign}$

$E \rightarrow T E'$

$E' \rightarrow \varepsilon \mid + T \text{\#add} E'$

$T \rightarrow F T'$

$T' \rightarrow \varepsilon \mid * F \text{\#mult} T'$

$F \rightarrow ( E )$

$F \rightarrow \text{\#pid id}$

Recursive Descent Parser Subroutines for S, E, E', T, T', and F :

procedure S ;

  { if *lookahead* = **id** then

    { call codegen ( **\#pid** ); call Match ( **id** ); call Match( ':=';  
      call E; call codegen ( **\#assign** ) }

  else *error*

}

# Example (Recursive Descent implementation)

---

$S \rightarrow \text{\#pid id} := E \text{\#assign}$

$E \rightarrow T E'$

$E' \rightarrow \varepsilon \mid + T \text{\#add} E'$

$T \rightarrow F T'$

$T' \rightarrow \varepsilon \mid * F \text{\#mult} T'$

$F \rightarrow ( E )$

$F \rightarrow \text{\#pid id}$

```
procedure E ;  
    { if lookahead  $\in$  { id, ( } then  
        { call T; call E' }  
    else error  
}
```

```
procedure E' ;  
    { if lookahead = '+' then  
        { call Match( '+' ); call T; call codegen ( \#add ); call E' }  
    else error  
}
```



# Example (Recursive Descent implementation)

---

$S \rightarrow \text{\#pid id} := E \text{\#assign}$

$E \rightarrow T E'$

$E' \rightarrow \varepsilon \mid + T \text{\#add} E'$

$T \rightarrow F T'$

$T' \rightarrow \varepsilon \mid * F \text{\#mult} T'$

$F \rightarrow ( E )$

$F \rightarrow \text{\#pid id}$

procedure T ;

{ if *lookahead*  $\in \{ \text{id}, ( \}$  then  
{ call F; call T' }

else *error*

}

procedure T' ;

{ if *lookahead* = '\*' then

{ call Match ( '\*' ); call F; call codegen ( **\#mult** ); call T' }

else *error*

}

# Example (Recursive Descent implementation)

---

$S \rightarrow \text{\#pid id} := E \text{\#assign}$

$E \rightarrow T E'$

$E' \rightarrow \varepsilon \mid + T \text{\#add} E'$

$T \rightarrow F T'$

$T' \rightarrow \varepsilon \mid * F \text{\#mult} T'$

$F \rightarrow ( E )$

$F \rightarrow \text{\#pid id}$

procedure F ;

```
{ if lookahead = id then { call codegen ( \#pid ); call Match ( id ) }  
  else if lookahead = '(' then { call Match ( '(' ); call E; call Match ( ')' ); }  
    else error  
}
```

# Example (Transition Diagrams implementation)

$S \rightarrow \text{\#pid id} := E \text{\#assign}$

$E \rightarrow T E'$

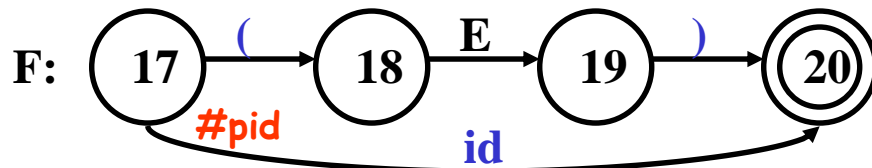
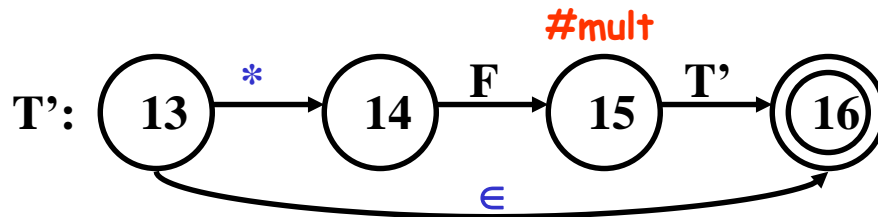
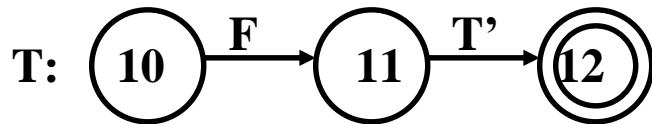
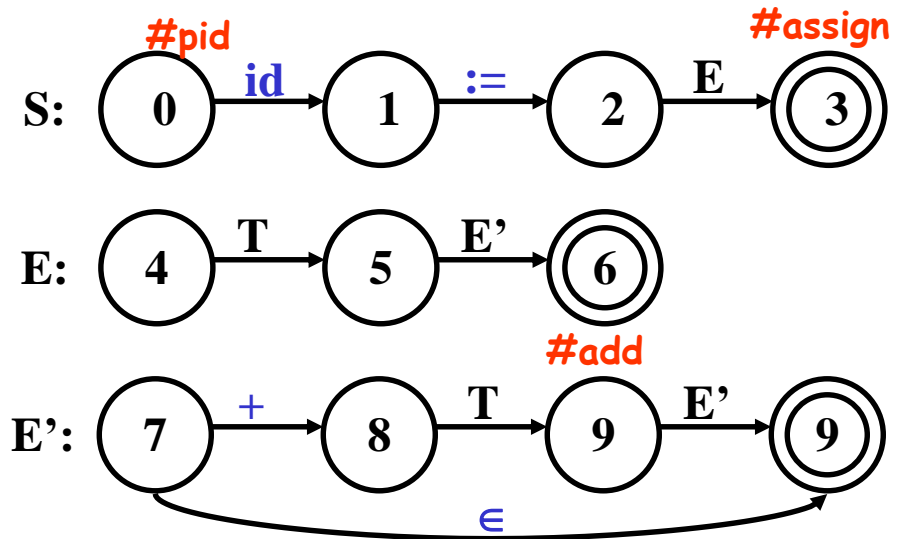
$E' \rightarrow \varepsilon \mid + T \text{\#add} E'$

$T \rightarrow F T'$

$T' \rightarrow \varepsilon \mid * F \text{\#mult} T'$

$F \rightarrow ( E )$

$F \rightarrow \text{\#pid id}$



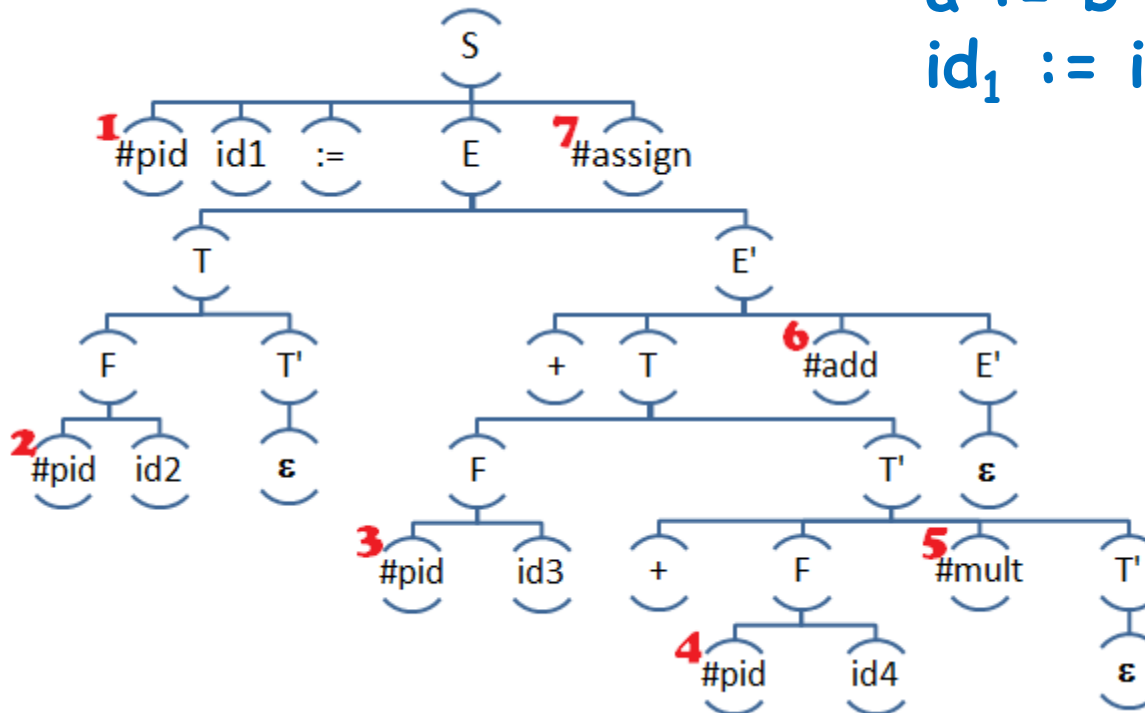
# Example (Parse Tree)

- The order of Semantic Routines can be shown by the parse tree of the input sentence:

**Input:**

$a := b + c * d$

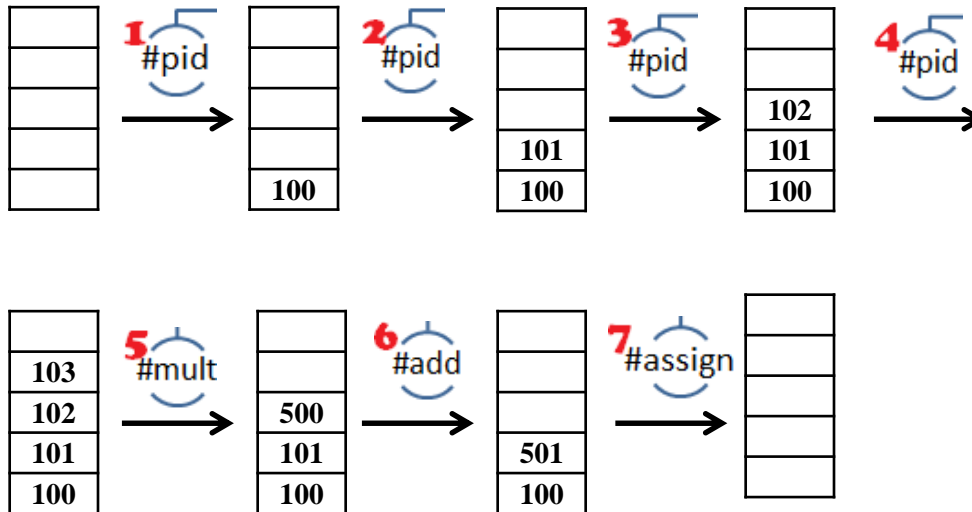
$id_1 := id_2 + id_3 * id_4$



no	lexeme	address
1	a	100
2	b	101
3	c	102
4	d	103
Symbol Table		

# Example (Semantic Stack and Program Block)

- Semantic Stack (SS) status during code generation:



- Program Block (PB) :

i	PB[i]	Semantic Action called
0	(*,103,102,500)	#mult
1	(+,500,101,501)	#add
2	(=,501,100, )	#assign

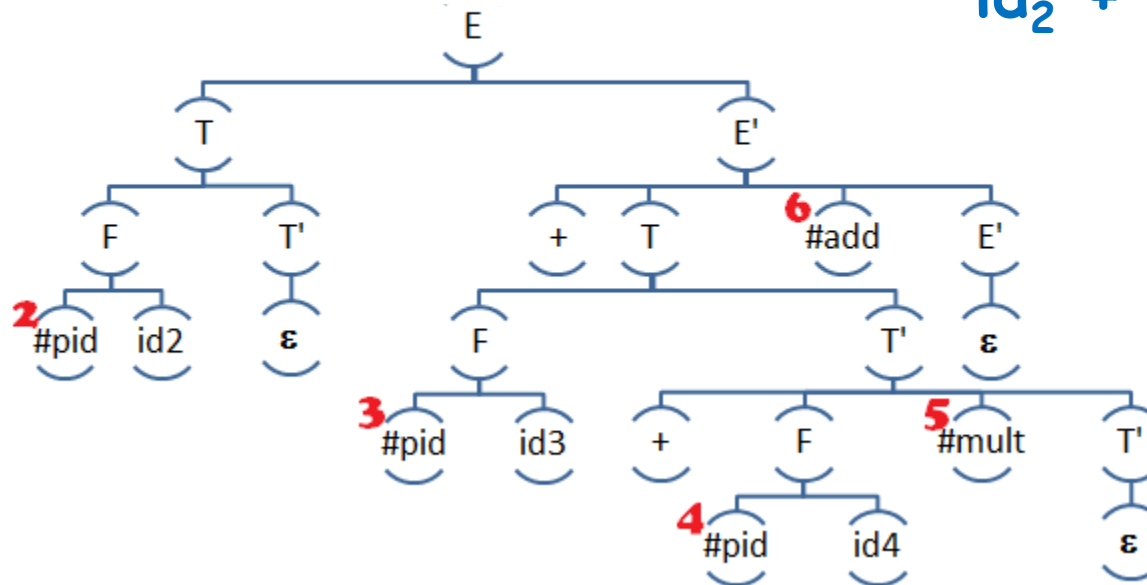
## Example 2 (Code of Expressions)

- Suppose we only had the right hand side expression

Input:

$b + c * d$

$id_2 + id_3 * id_4$



no	lexeme	address
1	a	100
2	b	101
3	c	102
4	d	103
Symbol Table		

# Example 2 (Semantic Stack and Program Block)

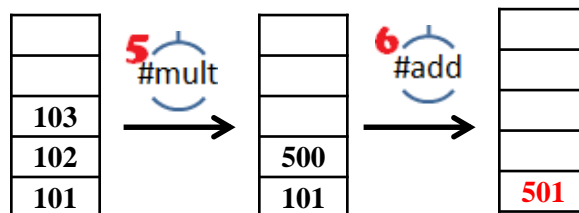
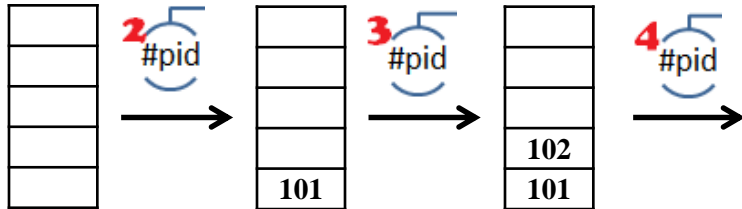
- A temporary memory address will remain in SS:

i	PB[i]	Semantic Actions
0	(* ,103, 102, 500)	#mult
1	(+ , 500, 101, <b>501</b> )	#add
2		

**Input:**

$b + c * d$

$id_2 + id_3 * id_4$



no	lexeme	address
1	a	100
2	b	101
3	c	102
4	d	103
Symbol Table		

# Control statements (while)

---

$S \rightarrow \text{while } E \text{ do } S \text{ end}$

Input Example:

```
while  (b+c*d)  do
      a := a+1
end
```

- We need to find the appropriate place for inserting Semantic Actions symbols.



# Control statements (while)

$S \rightarrow \text{while } E \text{ do } S \text{ end}$

501

Input Example:

i	PB[i]	Semantic Actions
0	(*, 103, 102, 500)	#mult
1	(+, 500, 101, 501)	#add
2		

while (b+c\*d) do  
    a := a+1  
end

- After parsing E, the code for while's condition has been generated; and the allocated **temporary memory address** will be on top of the Semantic Stack.

# Control statements (while)

$S \rightarrow \text{while } E \text{ do } S \text{ end}$

501

i	PB[i]	Semantic Actions
0	(* ,103, 102, 500)	#mult
1	(+, 500, 101, 501)	#add
2		

Input Example:

```
while  (b+c*d)  do
      a := a+1
end
```

- This is done by the semantic routines of non-terminal  $E$

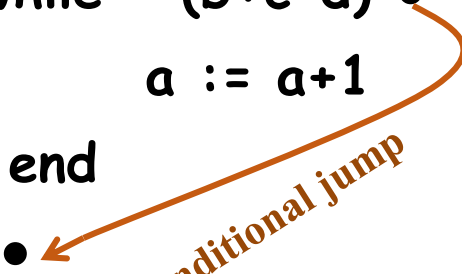
# Control statements (while)

---

$S \rightarrow \text{while } E \text{ do } S \text{ end}$

Input Example:

```
while (b+c*d) • do
    a := a+1
end
•
```



A diagram illustrating a conditional jump. An orange arrow originates from a black dot at the end of the loop body (after the 'end' keyword) and points back to a black dot at the end of the condition '(b+c\*d)'. The text 'Conditional jump' is written in orange along the arrow.

- We need a conditional jump, based on the result of while's condition, to outside of the loop.
- But, we haven't yet compiled the loop body and thus don't know where the end of loop is!

# Control statements (while)

---

$S \rightarrow \text{while } E \text{ do } S \text{ end}$

*#save* (with an arrow pointing to the 'do' keyword)

- Solution: BACKPATCHING!

*#save:* begin

push(i)  
 $i \leftarrow i + 1$

end

- Reserve a place in the program block for the jump, and generate the code at the end of the loop

Input Example:

while (b+c\*d) • do  
a := a+1  
end  
•

*Conditional jump* (with an arrow pointing from the first '•' to the second '•')

# Control statements (while)

**#label**

$S \rightarrow \text{while } E \text{ do } \text{\#save } S \text{ end}$

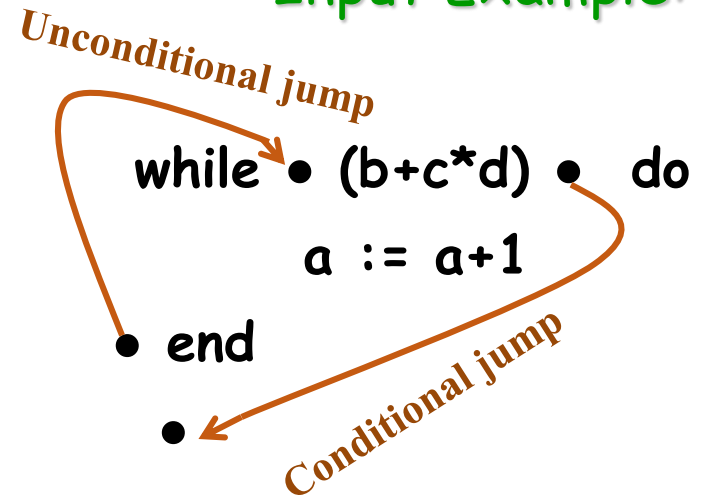
- We also need an unconditional jump back to while condition.
- Target of the unconditional jump must be saved in SS
- This is done by a semantic action; let's call it **#label**

**#label:** begin

push(i)

end

Input Example:



# Control statements (while)

$S \rightarrow \text{while } \#label \text{ E do } \#save \text{ S } \#while \text{ end}$

At the end of while, the destination of conditional jump is known. So, the place saved by **#save** can be filled by **#while**.

An unconditional jump to the start of expression (saved by **#label**) is generated, too.

**#while:** begin

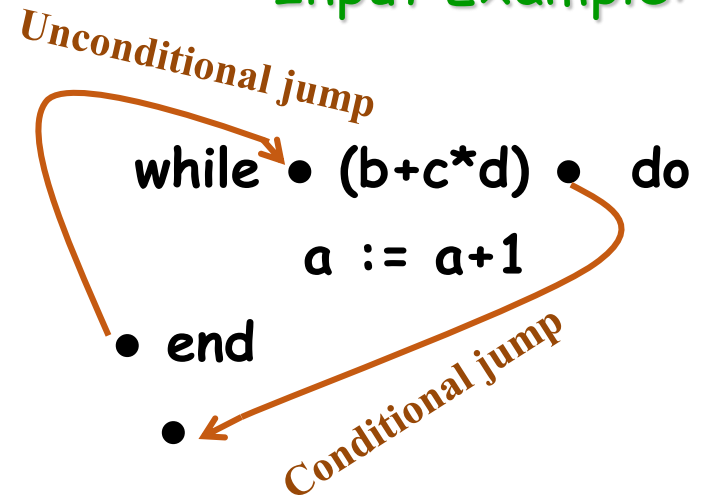
PB[ss(top)]  $\leftarrow$  (jpf, ss(top-1), i+1, );

PB[i]  $\leftarrow$  (jp, ss(top-2), , );

i  $\leftarrow$  i + 1; Pop(3)

end

Input Example:

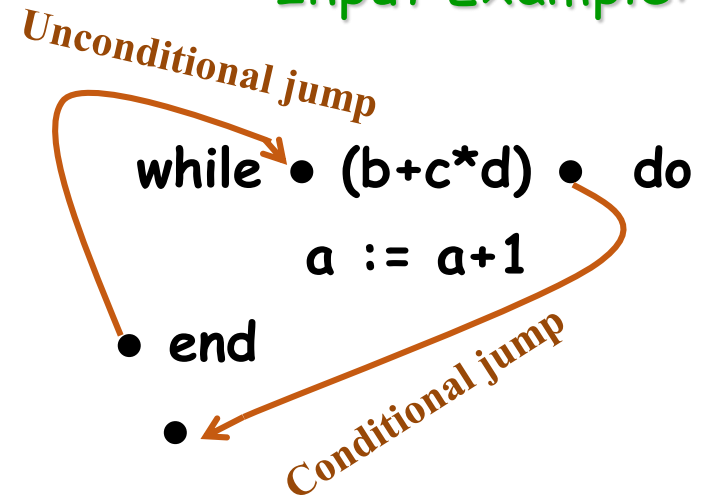


# Control statements (while)

$S \rightarrow \text{while } \#label \ E \ \text{do } \#save \ S \ \#while \ \text{end}$

i	PB[i]	Semantic Actions
0		
1		
2		
3		
4		
5		
6		

Input Example:



## Control statements (while)

$S \rightarrow \text{while } \# \text{label } E \text{ do } \# \text{save } S \# \text{while end}$

i	PB[i]	Semantic Actions
0		
1		
2		
3		
4		
5		
6		

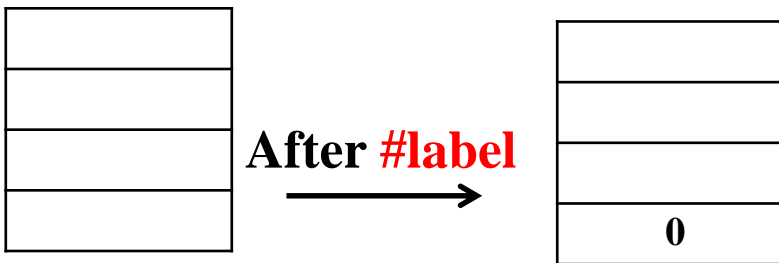
## Input Example:

Unconditional jump

```
while • (b+c*d) • do
    a := a+1
```

- end

## Conditional jump



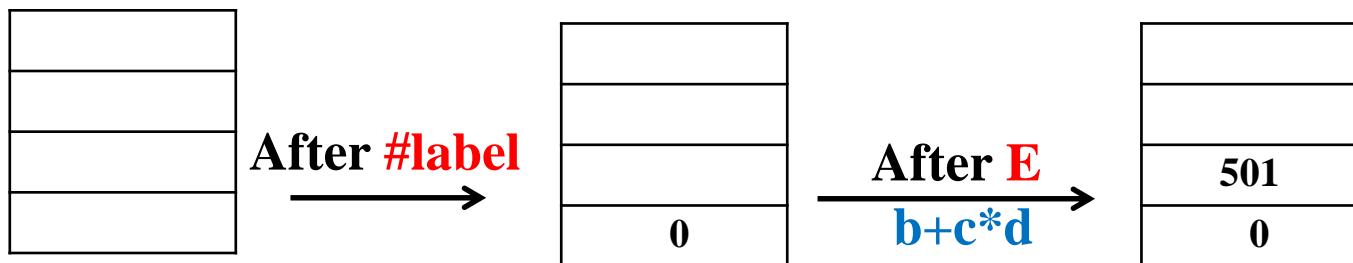
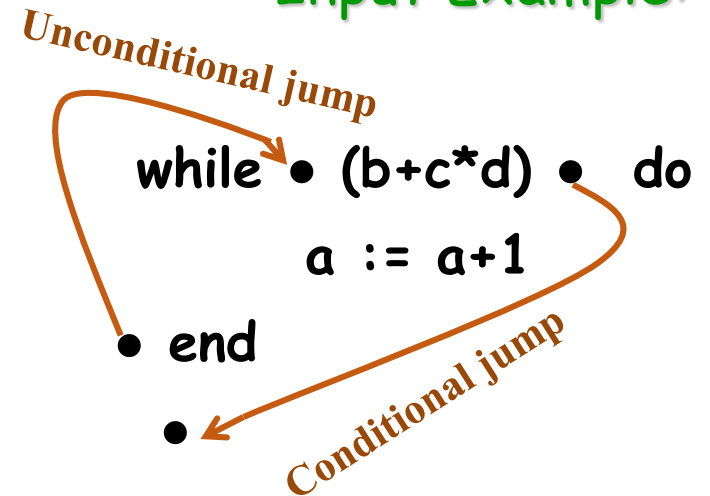


# Control statements (while)

$S \rightarrow \text{while } \#label \ E \ \text{do } \#save \ S \ \#while \ \text{end}$

i	PB[i]	Semantic Actions
0	(*,103, 102, 500)	by E
1	(+, 500, 101, 501)	by E
2		
3		
4		
5		
6		

Input Example:

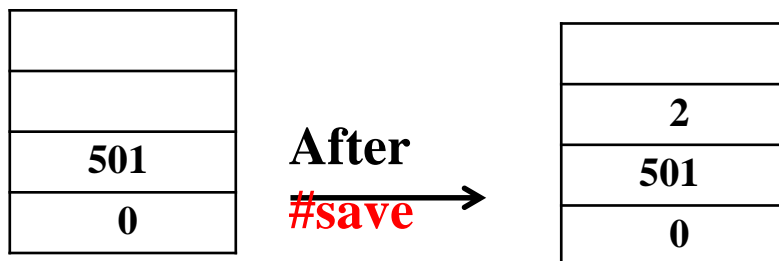
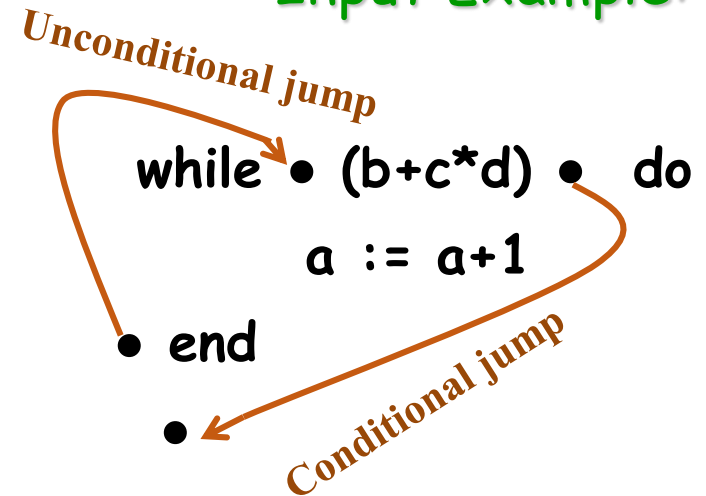


# Control statements (while)

$S \rightarrow \text{while } \#label \ E \ \text{do } \#save \ S \ \#while \ \text{end}$

i	PB[i]	Semantic Actions
0	(*,103, 102, 500)	by E
1	(+, 500, 101, 501)	by E
2		
3		
4		
5		
6		

Input Example:

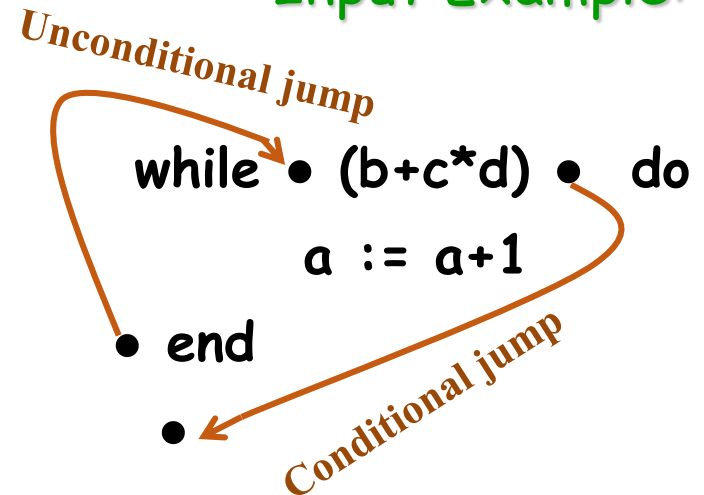


# Control statements (while)

$S \rightarrow \text{while } \#label \text{ E do } \#save \text{ S } \#while \text{ end}$

i	PB[i]	Semantic Actions
0	(*,103, 102, 500)	by E
1	(+, 500, 101, 501)	by E
2		
3	(+, 100, #1, 503)	by S
4	(=, 503, 100, )	by S
5		
6		

Input Example:



501
0

After

**#save** →

2
501
0

After **S** →

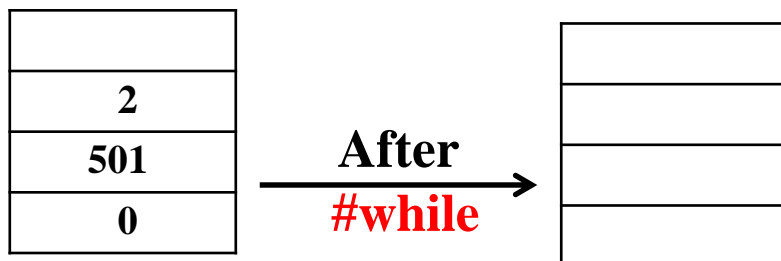
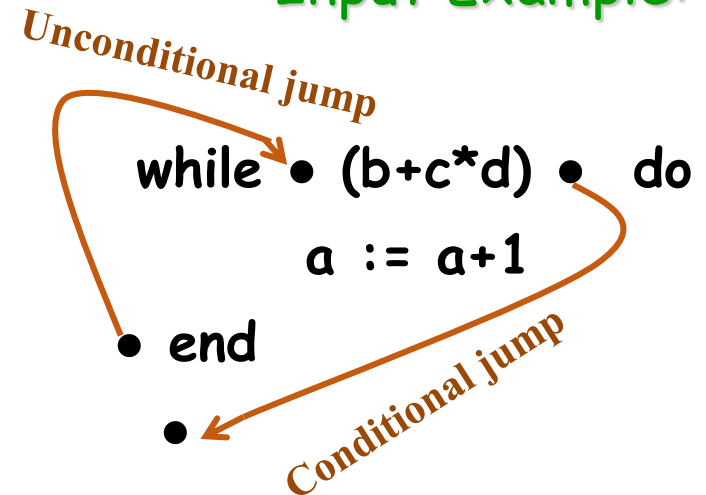
2
501
0

# Control statements (while)

$S \rightarrow \text{while } \#label \ E \ \text{do } \#save \ S \ \#while \ \text{end}$

i	PB[i]	Semantic Actions
0	(* ,103, 102, 500)	by E
1	(+, 500, 101, 501)	by E
2	(jpf, 501, 6, )	<b>#while</b>
3	(+, 100, #1, 503)	by S
4	(=, 503, 100, )	by S
5	(jp, 0, , )	<b>#while</b>
6		

Input Example:



# Conditional Statements (if-then-else)

---

$S \rightarrow \text{if } E \text{ then } S S'$

$S' \rightarrow \text{else } S$

$S' \rightarrow \varepsilon$

Input Example:

**If (a+b)    then    a := a+1**

**else        b:= b+1**

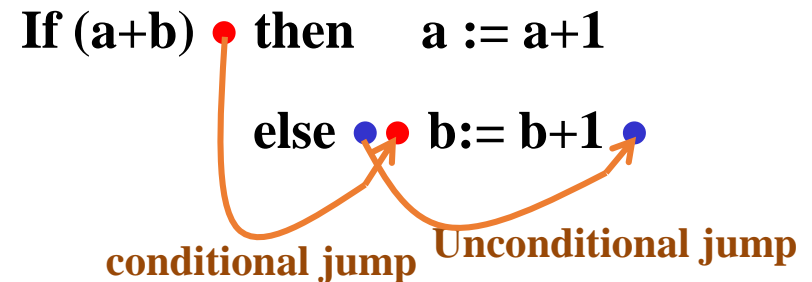
# Conditional Statements (if-then-else)

---

$S \rightarrow \text{if } E \text{ \#save then } S \ S'$   
 $S' \rightarrow \text{else } S$   
 $S' \rightarrow \varepsilon$

**Conditional jump:** A place for jump should be saved by **\#save** and to be later filled (by back patching).

Input Example:



**\#save:** begin

    push(i)

    i ← i + 1

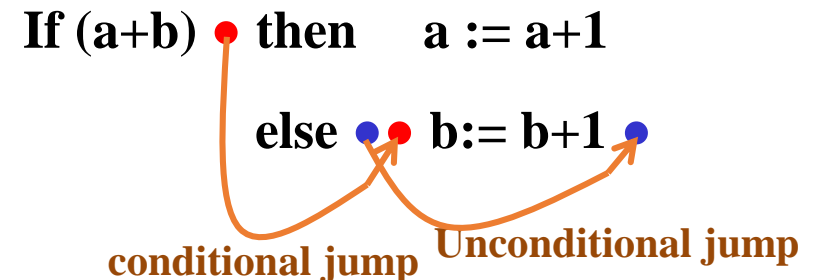
end

# Conditional Statements (if-then-else)

$S \rightarrow \text{if } E \text{ \#save then } S \ S'$   
 $S' \rightarrow \text{else \#jpf\_save } S$   
 $S' \rightarrow \varepsilon$

Input Example:

When compiler reaches to **else**, the conditional jump can be generated by **\#jpf\\_save**.



**unconditional jump:** A place for jump should be saved by **\#jpf\\_save** and to be later filled (by *back patching*).

**\#jpf\\_save:** begin

$PB[ss(top)] \leftarrow (jpf, ss(top-1), i+1, )$

$Pop(2), push(i), i \leftarrow i + 1;$

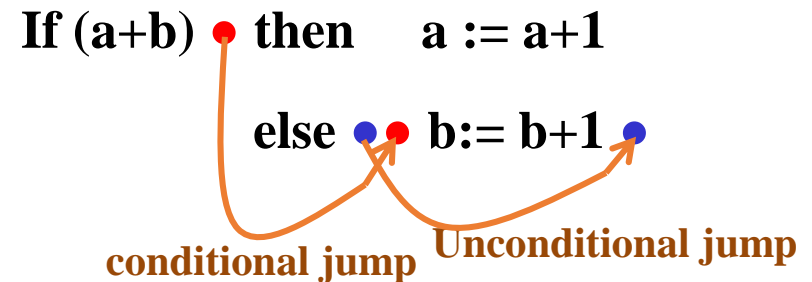
end

# Conditional Statements (if-then-else)

$$\begin{aligned} S &\rightarrow \text{if } E \text{ \#save then } S \ S' \\ S' &\rightarrow \text{else \#jpf\_save } S \ \text{\#jp} \\ S' &\rightarrow \varepsilon \end{aligned}$$

When compiler is at the end of **else** statement, the unconditional jump can be generated by **#jp**.

## Input Example:



```
#jp: begin
    PB[ss(top)] ← (jp, i, , )
    Pop(1)
end
```



# Conditional Statements (if-then-else)

---


$S \rightarrow \text{if } E \text{ \textcolor{red}{\#save} then } S \text{ } S'$   
 $S' \rightarrow \text{else \textcolor{red}{\#jpf\_save} } S \text{ \textcolor{red}{\#jp}}$   
 $S' \rightarrow \text{\textcolor{red}{\#jpf}}$

Input Example:

If there isn't an else statement  
( $S' \rightarrow \varepsilon$ , is used),

only a conditional jump is generated by  
 $\text{\textcolor{red}{\#jpf}}$ .

If (a+b) • then a := a+1 •



conditional jump

Compare with  
 $\text{\textcolor{red}{\#jpf\_save}}$



$\text{\textcolor{red}{\#jpf}}$ : begin

$PB[ss(top)] \leftarrow (jpf, ss(top-1), i, )$

Pop(2)

end

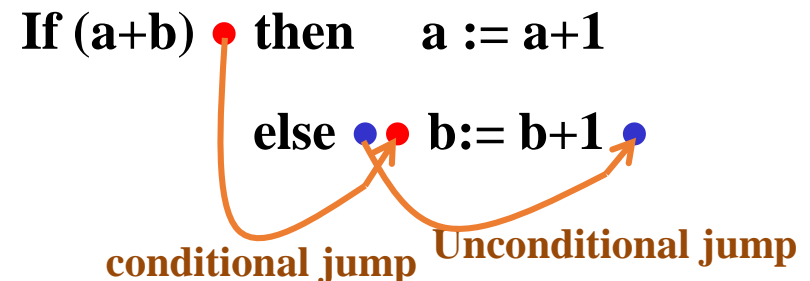
# Conditional Statements (if-then-else)

$S \rightarrow \text{if } E \text{ \textcolor{red}{\#save} then } S \text{ \textcolor{blue}{S'}}$   
 $S' \rightarrow \text{else \textcolor{red}{\#jpf\_save} } S \text{ \textcolor{red}{\#jp}}$   
 $S' \rightarrow \text{\textcolor{red}{\#jpf}}$

Input Example:

Program Block:

i	PB[i]	Semantic Actions
0	(+, a, b, t1)	<b>#add</b>
1	(jpf, t1, ?=5, )	<b>\textcolor{red}{\#save}</b>
2	(+, a, \#1, t2)	<b>#add</b>
3	(:=, t2, a, )	<b>#assign</b>
4	(jp, ?=7, , )	<b>\textcolor{red}{\#jpf\_save}</b>
5	(+, b, \#1, t3)	<b>#add</b>
6	(:=, t3, b, )	<b>#assign</b>
7		<b>\textcolor{red}{\#jp}</b>



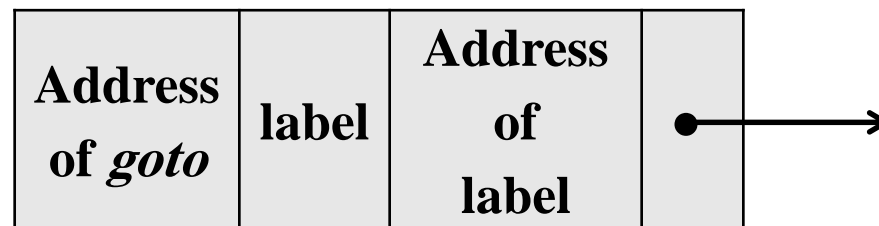
# Goto Statements

---

$S \rightarrow \text{goto id};$   
 $S \rightarrow \text{id: } S$

Difficulty: Unknown number  
forward goto statements.  
Semantic Stack is not enough!

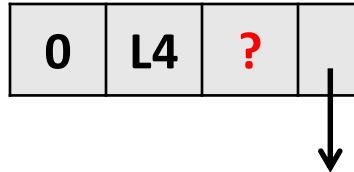
- Implemented by a linked list.
- Each node of linked list has:
  - Address of *goto* (in PB)
  - Label name
  - Label address (in PB)
  - Pointer to next node



# Goto Statements (Cont.)

Example:

```
0 goto L4
1 L1: Statement1
2     goto L1;
3     goto L2;
4     goto L3;
5 L3: Statement 2
6     goto L1;
7     goto L3;
8     goto L2;
9 L2: Statement 3
10 L4: Statement 4
```

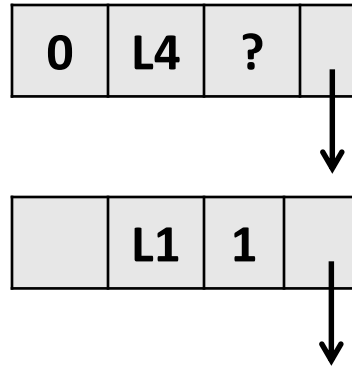


i	PB[i]
0	(jp, ?, , )
1	
2	
3	
4	
5	
6	
7	
8	
9	
10	

# Goto Statements (Cont.)

## Example:

```
0 goto L4
1 L1: Statement 1
2     goto L1;
3     goto L2;
4     goto L3;
5 L3: Statement 2
6     goto L1;
7     goto L3;
8     goto L2;
9 L2: Statement 3
10 L4: Statement 4
```

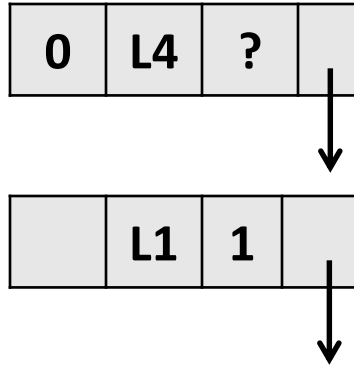


i	PB[i]
0	(jp, ?, , )
<b>1</b>	<b>statement 1</b>
2	
3	
4	
5	
6	
7	
8	
9	
10	

# Goto Statements (Cont.)

## Example:

```
0 goto L4
1 L1: Statement1
2     goto L1;
3     goto L2;
4     goto L3;
5 L3: Statement 2
6     goto L1;
7     goto L3;
8     goto L2;
9 L2: Statement 3
10 L4: Statement 4
```

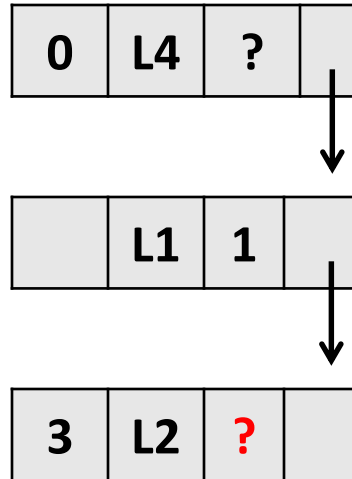


i	PB[i]
0	(jp, ?, , )
1	statement 1
2	(jp, 1, , )
3	
4	
5	
6	
7	
8	
9	
10	

# Goto Statements (Cont.)

## Example:

```
0 goto L4
1 L1: Statement1
2     goto L1;
3     goto L2;
4     goto L3;
5 L3: Statement 2
6     goto L1;
7     goto L3;
8     goto L2;
9 L2: Statement 3
10 L4: Statement 4
```

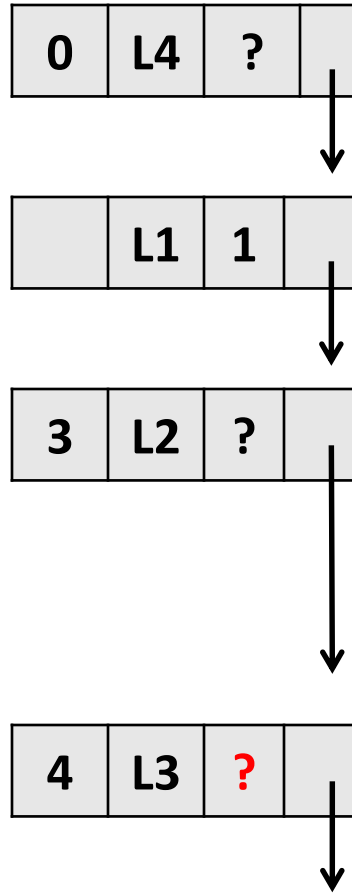


i	PB[i]
0	(jp, ?, , )
1	statement 1
2	(jp, 1, , )
3	(jp, ?, , )
4	
5	
6	
7	
8	
9	
10	

# Goto Statements (Cont.)

## Example:

```
0 goto L4
1 L1: Statement1
2     goto L1;
3     goto L2;
4     goto L3;
5 L3: Statement 2
6     goto L1;
7     goto L3;
8     goto L2;
9 L2: Statement 3
10 L4: Statement 4
```



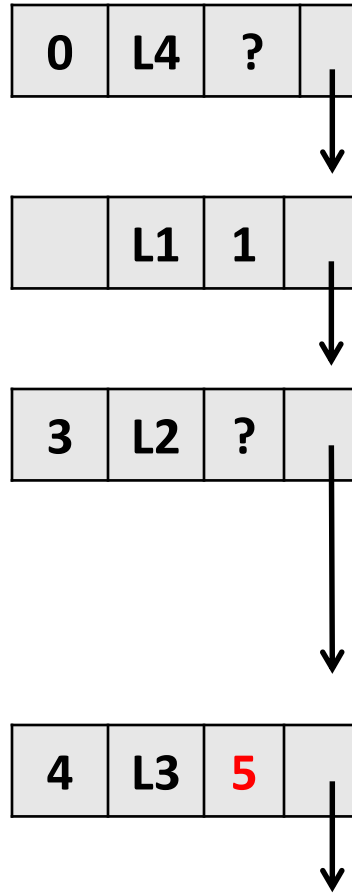
i	PB[i]
0	(jp, ?, , )
1	statement 1
2	(jp, 1, , )
3	(jp, ?, , )
4	(jp, ?, , )
5	
6	
7	
8	
9	
10	



# Goto Statements (Cont.)

## Example:

```
0 goto L4
1 L1: Statement1
2     goto L1;
3     goto L2;
4     goto L3;
5 L3: Statement 2
6     goto L1;
7     goto L3;
8     goto L2;
9 L2: Statement 3
10 L4: Statement 4
```

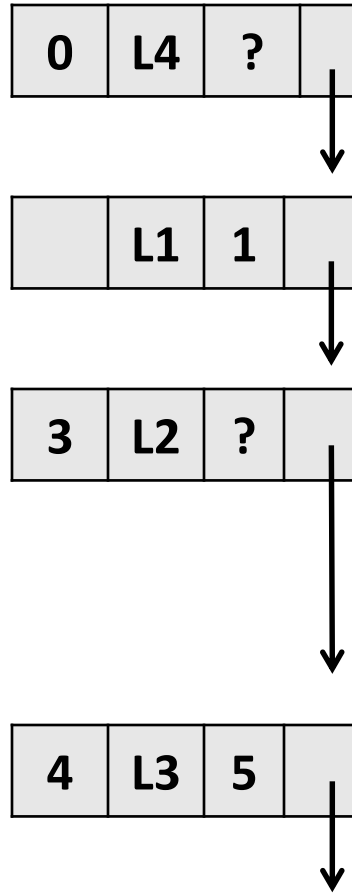


i	PB[i]
0	(jp, ?, , )
1	statement 1
2	(jp, 1, , )
3	(jp, ?, , )
4	(jp, <b>5</b> , , )
<b>5</b>	statement 2
6	
7	
8	
9	
10	

# Goto Statements (Cont.)

## Example:

```
0 goto L4
1 L1: Statement1
2     goto L1;
3     goto L2;
4     goto L3;
5 L3: Statement 2
6     goto L1;
7     goto L3;
8     goto L2;
9 L2: Statement 3
10 L4: Statement 4
```

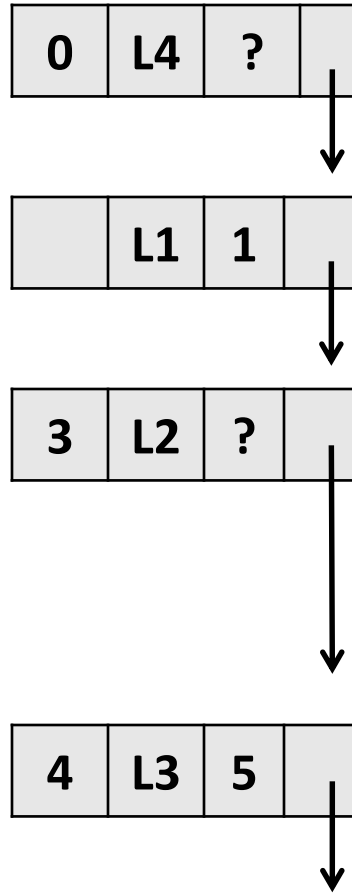


i	PB[i]
0	(jp, ?, , )
1	statement 1
2	(jp, 1, , )
3	(jp, ?, , )
4	(jp, 5, , )
5	statement 2
6	(jp, 1, , )
7	
8	
9	
10	

# Goto Statements (Cont.)

## Example:

```
0 goto L4
1 L1: Statement1
2     goto L1;
3     goto L2;
4     goto L3;
5 L3: Statement 2
6     goto L1;
7     goto L3;
8     goto L2;
9 L2: Statement 3
10 L4: Statement 4
```

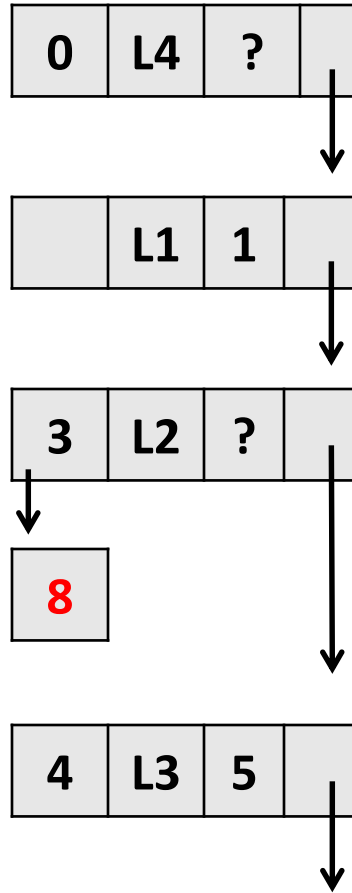


i	PB[i]
0	(jp, ?, , )
1	statement 1
2	(jp, 1, , )
3	(jp, ?, , )
4	(jp, 5, , )
5	statement 2
6	(jp, 1, , )
7	(jp, 5, , )
8	
9	
10	

# Goto Statements (Cont.)

## Example:

```
0 goto L4
1 L1: Statement1
2     goto L1;
3     goto L2;
4     goto L3;
5 L3: Statement 2
6     goto L1;
7     goto L3;
8     goto L2;
9 L2: Statement 3
10 L4: Statement 4
```

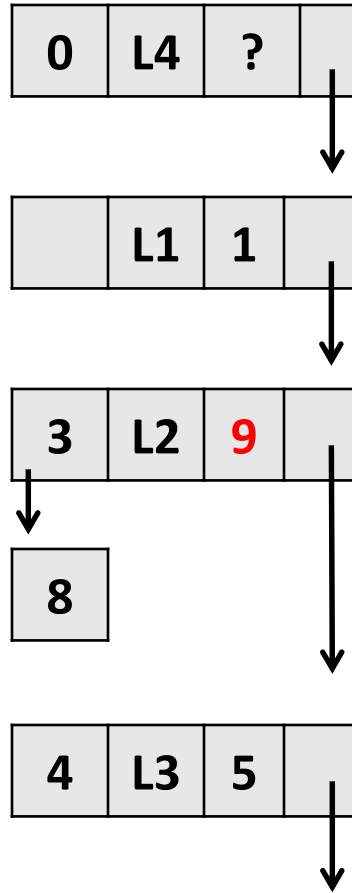


i	PB[i]
0	(jp, ?, , )
1	statement 1
2	(jp, 1, , )
3	(jp, ?, , )
4	(jp, 5, , )
5	statement 2
6	(jp, 1, , )
7	(jp, 5, , )
8	(jp, ?, , )
9	
10	

# Goto Statements (Cont.)

## Example:

```
0 goto L4
1 L1: Statement1
2     goto L1;
3     goto L2;
4     goto L3;
5 L3: Statement 2
6     goto L1;
7     goto L3;
8     goto L2;
9 L2: Statement 3
10 L4: Statement 4
```

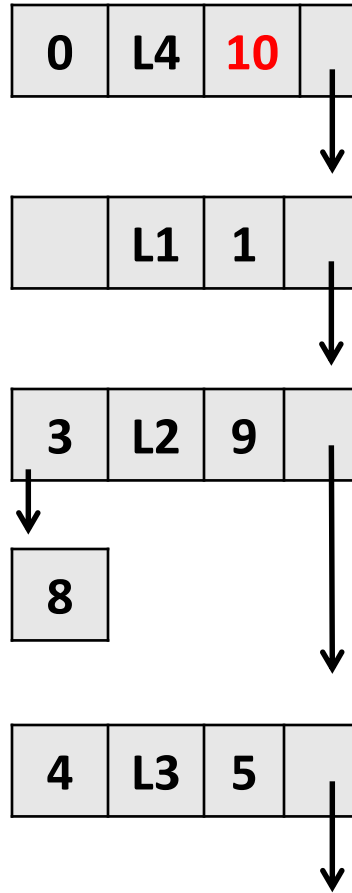


i	PB[i]
0	(jp, ?, , )
1	statement 1
2	(jp, 1, , )
3	(jp, 9, , )
4	(jp, 5, , )
5	statement 2
6	(jp, 1, , )
7	(jp, 5, , )
8	(jp, 9, , )
9	statement 3
10	

# Goto Statements (Cont.)

## Example:

```
0 goto L4
1 L1: Statement1
2     goto L1;
3     goto L2;
4     goto L3;
5 L3: Statement 2
6     goto L1;
7     goto L3;
8     goto L2;
9 L2: Statement 3
10 L4: Statement 4
```



i	PB[i]
0	(jp, 10, , )
1	statement 1
2	(jp, 1, , )
3	(jp, 9, , )
4	(jp, 5, , )
5	statement 2
6	(jp, 1, , )
7	(jp, 5, , )
8	(jp, 9, , )
9	statement 3
10	statement 4

# Bottom-Up Code Generation

---

1.  $S \rightarrow X \text{ id} := E$
  2.  $E \rightarrow T E'$
  3.  $E' \rightarrow \varepsilon$
  4.  $E' \rightarrow + T Y E'$
  5.  $T \rightarrow F T'$
  6.  $T' \rightarrow \varepsilon$
  7.  $T' \rightarrow * F Z T'$
  8.  $F \rightarrow ( E )$
  9.  $F \rightarrow X \text{ id}$
  10.  $X \rightarrow \varepsilon$
  11.  $Y \rightarrow \varepsilon$
  12.  $Z \rightarrow \varepsilon$
- } new rules

- *Intermediate code generator is called by the parser, after each reduction*
- Thus, only action symbols that are at the end of rules, are at a suitable positions
- Others action symbols must be replaced by new non-terminals producing only empty strings

# Bottom-Up Code Generation

1.  $S \rightarrow X \text{ id} := E$
2.  $E \rightarrow T E'$
3.  $E' \rightarrow \varepsilon$
4.  $E' \rightarrow + T Y E'$
5.  $T \rightarrow F T'$
6.  $T' \rightarrow \varepsilon$
7.  $T' \rightarrow * F Z T'$
8.  $F \rightarrow ( E )$
9.  $F \rightarrow X \text{ id}$
10.  $X \rightarrow \varepsilon$
11.  $Y \rightarrow \varepsilon$
12.  $Z \rightarrow \varepsilon$

} new rules

Instead of action symbols, rule numbers are passed by the parser to the code generator

```
Proc codegen(Action)
  case (Action) of
    10 : begin
      p ← findaddr(input);
      push(p)
    end
    11 | 12 : begin
      t ← gettemp
      PB[i] ← (+ | *, ss(top), ss(top-1), t);
      i ← i + 1; pop(2); push(t)
    end
    1 : begin
      PB[i] ← (:=, ss(top), ss(top-1),);
      i ← i + 1; pop(2)
    end
  end
End codegen
```



# Question?

---

$S \rightarrow \text{repeat } S \text{ until } E \text{ end}$

Input Example:

- The above grammar defines **repeat-until** loops, where the loop body is executed at least once; we exit loop when its condition is true.
- Add the required action symbols and write the required semantic routines for such loops. Generate three address codes of the given example.

**repeat**

**a := a-1**

**b := b+1**

**until (a-b)    end**

# Question?

---

- The following grammar defines syntax of **for** loops.
- Add the required action symbols and write the required semantic routines for such loops. Generate three address codes of the given example.

$S \rightarrow \text{for id} := E_1 \text{ to } E_2 \text{ A do } S \text{ end}$   
 $A \rightarrow \text{by } E_3$   
 $A \rightarrow \varepsilon$

$b+c$  : loop variable (j) initial value  
 $a*b$  : loop variable (j) limit (constant)  
 $c*d$  : loop variable (j) step (constant)

## Input Example:

```
for j := b+c to a*b by c*a do  
    d := d+j  
end
```

# Question?

---

- The following grammar defines syntax of **case** statements, where at most one of case statements is to be executed.
- Can we generate intermediate code for these statements by just using a semantic stack to store the addresses that are required for back-patching?

## Example:

```
case (c * d) of
    a: a := a + 1;
    b: b := b + 2;
    c: c := c + 3;
    otherwise: e := c*d
end
```

$S \rightarrow \text{case } E \text{ of } L \text{ end}$

$L \rightarrow \text{id: } S \ B$

$B \rightarrow \varepsilon \mid \text{otherwise } S \mid ; \text{ is : } S \ B$