## MATH 324 Homework 3

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Problem 1
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\# x = 6
# n = 15
# unfair die with p = 0.45.
dbinom(6, 15, 0.45)
## [1] 0.1914006
Problem 1 Pat B
\# x = 7
# n = 30
# fair die with desired outcome p = 1/6.
dbinom(7, 30, 1/6)
## [1] 0.1097761
Problem 1 Part C
# x = 10
\# n = 30
# choices are A,B,C,D,E so p = 1/5 or 0.2.
dbinom(10, 30, 1/5)
## [1] 0.03547089
Problem 2 Part A
# n = 120
\# p = 18\% \text{ or } 0.18
# how many people out of the 120 random sample have a college degree.
mu = 0.18*120
mu
## [1] 21.6
sigma_sq = (0.18*120)*(1-0.18)
sigma_sq
## [1] 17.712
sigma = sqrt(sigma_sq)
sigma
```

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## [1] 4.208563
Problem 2 Part C
\# a = 19
# b = 26
#p = 0.18
# n = 120
sum(dbinom(19:26, 120, 0.18))
## [1] 0.6421029
Problem 3 Parts A & B
\# p = 0.95
# n = 80
# manufacturer is 95% sure that his batteries will last at least 22 hours in standard testing.
sum(dbinom(75:80, 80, 0.95))
## [1] 0.7892247
sum(dbinom(0:4, 80, 0.05))
## [1] 0.6288798
Problem 4 Parts A & B
qbinom(0.05, 8, 0.6)
## [1] 3
pbinom(3, 8, 0.6)
## [1] 0.1736704
#I got that three gave us the closest approximation to the probability that was given.
pbinom(2, 8, 0.6)
## [1] 0.04980736
#X must be 3, because that is the closest value for x that gives us the approximation we want.
qbinom(0.2, 8, 0.6, lower.tail = F)
## [1] 6
#Testing the number 6.
1 - pbinom(5, 8, 0.6)
## [1] 0.3153946
#6 was a little higher than the value we wanted. Thus we will test 7.
1 - pbinom(6, 8, 0.6)
## [1] 0.1063757
#Thus x has to be 6.
```

In the above chunk, I discovered that the qbinom function works for  $P(X \le x)$ . Using this function, I got the number 3. I did the same thing, but "backwards" utilizing the central limit theorem.