```
clear
syms beta F x0 v0 real
syms x(t)
omega = [0 0.5 1 1.5 2];
omegazero = [1 \ 1 \ 1 \ 1 \ 1];
omegaprime = 10*omega;
figure; hold on
leg=[];
time=[0:.1:100];
F0val=1;betaval=.1;v0val=0;x0val=0;
for i=1:5
     ode = diff(x,t,2) + beta*diff(x,t,1) + omegazero(i)^2*x(t) == F*(cos(omega(i)*t) + cos(omega(i)*t)
      cond1 = x(0) = x0;
     Dx = diff(x);
      cond2 = Dx(0) == v0;
      conds = [cond1 cond2];
     xSol(t) = dsolve(ode,conds);
     xSol = simplify(xSol);
     osc = matlabFunction(xSol)
     xosc=real(osc(time, F0val,betaval,v0val,x0val));
      plot(time,xosc)
      leg=cat(1,leg,strcat("\omega_0 = "+ num2str(omega(i))));
end
ode(t) =
\frac{\partial^2}{\partial t^2} x(t) + \beta \frac{\partial}{\partial t} x(t) + x(t) = 2F
osc = function handle with value:
    @(t,F,beta,v0,x0)F.*2.0-(exp(t.*(beta+sqrt(beta.^2-4.0)).*(-1.0./2.0)).*1.0./sqrt(beta.^2-4.0).*(v0.*2.0-F.*beta
\frac{\partial^2}{\partial t^2} x(t) + \beta \frac{\partial}{\partial t} x(t) + x(t) = F \left( \cos \left( \frac{t}{2} \right) + \cos(5t) \right)
osc = function handle with value:
    @(t,F,beta,v0,x0)(exp(t.*(beta+sqrt(beta.^2-4.0)).*(-1.0./2.0)).*1.0./sqrt(beta.^2-4.0).*(v0.*-1.0368e+4+F.*beta
\frac{\partial^2}{\partial t^2} x(t) + \beta \frac{\partial}{\partial t} x(t) + x(t) = F \left( \cos(10 t) + \cos(t) \right)
osc = function handle with value:
    \emptyset(t,F,beta,v0,x0)(exp(t.*(beta+sqrt(beta.^2-4.0)).*(-1.0./2.0)).*1.0./sqrt(beta.^2-4.0).*(F.*1.9602e+4-beta.*v0,x0)
ode(t) =
\frac{\partial^2}{\partial t^2} x(t) + \beta \frac{\partial}{\partial t} x(t) + x(t) = F \left( \cos \left( \frac{3t}{2} \right) + \cos(15t) \right)
osc = function handle with value:
    @(t,F,beta,v0,x0)(exp(t.*(beta+sqrt(beta.^2-4.0)).*(-1.0./2.0)).*1.0./sqrt(beta.^2-4.0).*(v0.*-2.5088e+6+F.*beta
ode(t) =
```

