Practico N° 4 - Mentoria - Aprendizaje No Supervisado

El objectivo de este practico es realizar <u>Clustering (https://es.wikipedia.org/wiki/Algoritmo_de_agrupamiento)</u> sobre el Dataset de las Caracteristicas de los jugadores.

De forma de juntar en los clusters a los jugadores con características similares, y en particular de este practico analizar si estos clusters se corresponden con la posicion en la que juegan estos jugadores.

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Importaciones

```
In [1]:
```

```
%load_ext autoreload
%autoreload 2
%matplotlib inline
```

In [2]:

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
import scipy as sp
import warnings

from sklearn.decomposition import PCA
from sklearn.cluster import KMeans
from sklearn import metrics
import scikitplot as skplt

%matplotlib inline
from mpl_toolkits.mplot3d import Axes3D
plt.rcParams['figure.figsize'] = (16, 9)
plt.style.use('ggplot')
```

In [3]:

```
warnings.filterwarnings('ignore')
sns.set_style("whitegrid")
```

In [4]:

```
# Seteamos una semilla para Reproducibilidad
np.random.seed(1)
```

Carga del Dateset

Cargo el dataset con los datos y muestro el total de filas y columnas

In [5]:

```
player_df = pd.read_csv('football_player_full.csv', index_col='player_name')
#player_df.set_index('player_name', inplace=True)
print("Shape 'player_df' = {}".format(player_df.shape))
# Copy Dataframe
player2_df = player_df.copy(deep=False)
```

```
Shape 'player_df' = (9925, 36)
```

In [6]:

player_df.sample(10)

Out[6]:

	avanall nation			finiahina	baading assumes.	ahaut maaaina	vallava	بد مدااها مانید		funn kink nanu	_
	overall_rating	potentiai	crossing	Tinisning	heading_accuracy	snort_passing	volleys	aribbling	curve	тгее_кіск_асси	ra
player_name											
Ariel Borysiuk	66.12	74.38	56.92	49.79	49.38	67.25	58.88	64.08	45.79	5	2.
Sava Miladinovic Bento	58.00	64.43	51.07	44.86	42.93	58.14	46.21	58.29	50.64	5	2.
Dusan Tadic	78.16	81.88	81.52	68.36	56.64	78.60	69.84	81.36	79.72	7	3.
Samuel Souprayen	64.24	71.76	58.29	20.76	57.19	56.90	22.10	55.71	61.67	3	1.
Daniele Croce	67.68	67.68	63.32	51.58	44.74	72.16	53.89	66.16	54.95	5	8.
John Arne Riise	76.32	77.64	84.00	60.82	67.05	78.32	75.05	69.41	74.05	7	7.
Saidy Janko	62.13	76.53	58.73	40.60	56.73	51.20	34.27	67.07	41.73	3	6.
Helder Postiga	76.04	76.93	59.33	71.19	78.19	64.56	78.56	73.56	65.81	5	2.
Denzel Slager	61.50	70.75	60.25	59.00	43.00	58.75	59.00	65.12	64.00	4	8.
Fernando Marcal	70.88	75.41	72.53	48.82	55.82	65.00	41.94	70.82	54.29	4	3.
1 rows x 36	columns										,
											,

Verificamos los tipos de datos del dataset player_df

In [7]:

player_df.dtypes

Out[7]:

float64 overall_rating potential float64 float64 crossing finishing float64 heading_accuracy float64 short_passing float64 volleys float64 dribbling float64 curve float64 free_kick_accuracy float64 float64 long_passing ball_control float64 float64 acceleration float64 sprint_speed float64 agility float64 reactions float64 balance float64 shot_power float64 jumping stamina float64 float64 strength float64 long_shots aggression float64 float64 interceptions float64 positioning vision float64 float64 penalties marking float64 float64 standing_tackle sliding_tackle float64 gk_diving float64 gk_handling float64 float64 gk_kicking gk_positioning float64 gk_reflexes float64 position object dtype: object

Verificamos cuantos registros hay de cada uno

In [8]:

```
print("Columna:",player_df.groupby('position').size())
```

Columna: position
DEF 3664
FW 1919
GK 869
MID 3473
dtype: int64

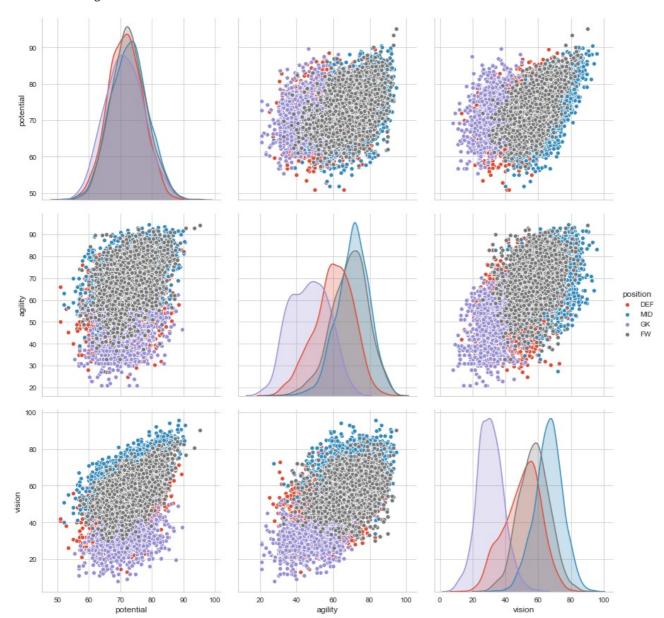
Seleccionamos 3 columnas para visualizar: potential, agility, vision y las cruzamos para ver si nos dan alguna pista de su agrupación y la relación con sus positiones

In [9]:

sns.pairplot(player_df.dropna(), hue='position',size=4,vars=["potential","agility","vision"],kind='scatter')

Out[9]:

<seaborn.axisgrid.PairGrid at 0x1e008adad68>



Guardamos la lista de la posicion de los jugadores

In [10]:

```
player_position_list = player_df.position.tolist()
```

Muestro las distintas posiciones utilizando otro metodo

In [11]:

```
# function to get unique values
def unique(list1):
    x = np.array(list1)
    print(np.unique(x))
unique(player_position_list)
['DEF' 'FW' 'GK' 'MID']
```

Definimos la estructura de datos con la cual alimentaremos el algoritmo

In [12]:

```
player_df = player_df[[
    'overall_rating', 'potential', 'crossing', 'finishing', 'heading_accuracy',
    'short_passing', 'volleys', 'dribbling', 'curve', 'free_kick_accuracy',
    'long_passing', 'ball_control', 'acceleration', 'sprint_speed', 'agility',
    'reactions', 'balance', 'shot_power', 'jumping', 'stamina', 'strength',
    'long_shots', 'aggression', 'interceptions', 'positioning', 'vision',
    'penalties', 'marking', 'standing_tackle', 'sliding_tackle',
    'gk_diving', 'gk_handling', 'gk_kicking', 'gk_positioning', 'gk_reflexes',
]]
```

Muestro los tipos del array definido mas arriba

In [13]:

```
player_df.dtypes
```

Out[13]:

overall_rating	float64
potential	float64
crossing	float64
finishing	float64
heading_accuracy	float64
short_passing	float64
volleys	float64
dribbling	float64
curve	float64
<pre>free_kick_accuracy</pre>	float64
long_passing	float64
ball_control	float64
acceleration	float64
sprint_speed	float64
agility	float64
reactions	float64
balance	float64
shot_power	float64
jumping	float64
stamina	float64
strength	float64
long_shots	float64
aggression	float64
interceptions	float64
positioning	float64
vision	float64
penalties	float64
marking	float64
standing_tackle	float64
sliding_tackle	float64
gk_diving	float64
gk_handling	float64
gk_kicking	float64
gk_positioning	float64
gk_reflexes	float64
dtype: object	

```
In [14]:
```

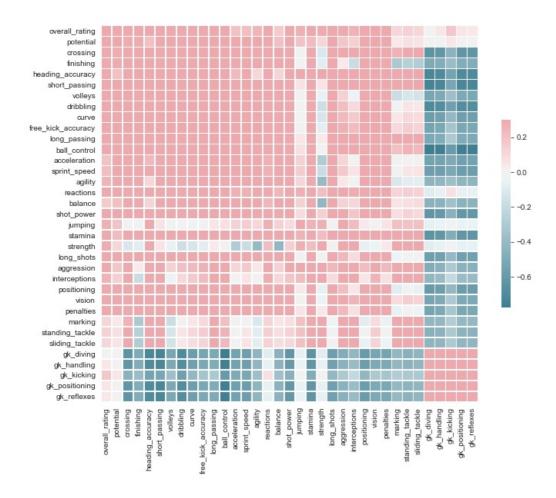
```
player_df.sample(10)
```

Out[14]:

	overall_rating	potential	crossing	finishing	heading_accuracy	short_passing	volleys	dribbling	curve	free_kick_accuracy
player_name										
Rolando Mandragora	60.93	73.13	47.87	44.33	48.07	69.33	41.67	60.07	49.67	33.67
Daniel Pinillos	59.71	66.14	59.57	32.14	48.14	48.29	33.14	52.29	57.57	39.14
Stopira	60.25	65.00	56.00	28.00	32.00	49.00	32.00	44.00	47.00	42.00
Kakha Kaladze	78.50	83.10	67.30	32.80	77.10	71.20	46.00	51.70	44.00	48.30
Sergi Darder	69.43	75.61	48.91	39.13	35.65	77.17	36.04	63.83	61.87	54.26
Zeljko Brkic	75.00	77.12	18.50	19.00	17.50	32.71	16.58	20.17	17.88	18.42
Stephen Elliott	66.50	70.93	52.79	67.14	65.64	59.79	61.14	64.21	52.00	47.71
Adil Ramzi	66.17	66.17	61.67	55.67	50.00	71.00	54.00	69.33	49.00	70.00
Igor Bubnjic	69.47	76.18	28.76	20.59	68.12	45.65	30.12	36.12	34.76	34.12
lgor Lolo	68.19	69.52	58.10	44.43	69.43	59.33	47.00	60.00	42.62	30.24
10 rows × 35 columns							Þ			

Trazamos una matriz de correlaciones, ya que tenemos un conjunto de datos con un gran número de características,

In [15]:



Aplicamos Clustering sobre las features de los jugadores

Usamos [K-Means]para el clustering.

Probamos primero con 4 clusters, este numero se debe a cantidad de clases con respecto a la posicion de los jugadores:

- GK: Goalkeeper (Arquero)
- **DEF**: Defenser (Defensor)
- MID: Midfielder (Mediocampistas)
- FW: Forward (Delantero)

Luego de hacer clustering, vemos cuantos elementos tiene cada cluster. Ejecutamos el algoritmo para 4 clusters y obtenemos las etiquetas

In [16]:

Visualizamos los centroides de los clusters

In [17]:

centroids = kmeans.cluster_centers_

```
print('Mostramos las coordenadas de los centroides')
print(centroids)
Mostramos las coordenadas de los centroides
[[64.08988403 69.84300786 46.49642349 31.88138421 61.69737374 57.39560793
  32.9628208 47.00283577 39.22787505 37.56971193 52.72996633 55.70340067
 61.74582866 63.05716798 56.9231388 60.4104003 60.17333333 50.74353161
 67.35137673 65.56865694 71.00908343 37.04451178 66.50736251 62.03877666
 40.89347924 \ 46.62543584 \ 44.32420127 \ 63.23297793 \ 65.92087542 \ 63.73903853
  9.97573887 11.1563786 14.6909278 11.3010737 11.21983539]
 [67.21331147 72.81909584 57.24261266 64.68939817 57.4087279 63.01983172
 60.3352567 \quad 68.23450371 \quad 58.84691671 \quad 53.19196235 \quad 53.21686823 \quad 68.26194238
 73.3655733 73.24033657 71.49944381 64.5250656 68.42403594 67.48299201
 64.59006275 64.7340502 62.69759555 61.04813177 51.91968625 35.61887621
 65.10920422 60.96377638 61.82029093 27.62692812 31.00964347 28.32905305
   9.9503223 11.42658871 15.13956075 11.33781232 11.3050599 ]
 [66.67705409 71.28097814 18.63902186 18.07620253 19.11841197 27.80100115
 17.29941312 18.77783659 17.65179517 18.48669735 32.65497123 23.80539701
 45.04402762 45.37452244 46.98306099 61.34995397 47.48052934 28.21280783
 63.84205984 41.21270426 63.68265823 18.35529344 35.52782509 26.25033372
 20.46779056 30.88420023 28.63069045 18.3506099 18.87428078 17.98128884
 68.37535098 64.86962025 63.08
                                      65.59727273 69.79439586]
 [69.45564129 73.82254432 64.24007994 51.60640598 60.04964894 70.30837331
 53.4724609 65.0411505 60.95542231 57.6858568 66.64899896 69.49168578
 69.24465763 69.42496698 68.46135558 68.30770594 68.74508168 67.95096281
 67.48144943 73.41094891 68.37619395 61.30426834 69.09998957 65.11193257
 61.16443865 65.30601321 58.64295794 60.82419882 65.44597845 63.46554397
  9.82635732 11.79816128 19.69387904 11.80717066 11.78370525]]
```

Elegir el valor de K

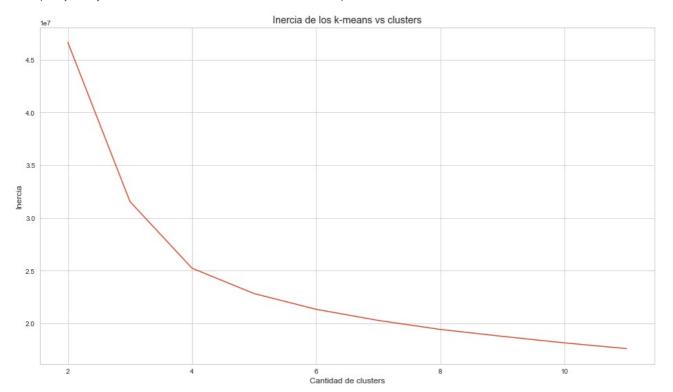
Buscamos mediante la grafica el «punto codo», para encontrar el mejor valor k. Observamos que el mejor valor k es el 4.

In [18]:

```
scores = [KMeans(n_clusters=i+2).fit(player_df).inertia_ for i in range(10)]
plt.plot(np.arange(2, 12), scores)
plt.xlabel('Cantidad de clusters')
plt.ylabel("Inercia")
plt.title("Inercia de los k-means vs clusters")
```

Out[18]:

Text(0.5, 1.0, 'Inercia de los k-means vs clusters')



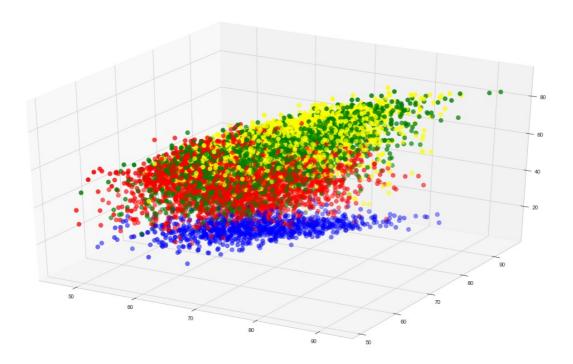
In [19]:

```
labels = kmeans.predict(player_df)
# Getting the cluster centers
C = kmeans.cluster_centers_
colores=['red','green','blue','yellow']
asignar=[]
for row in labels:
    asignar.append(colores[row])

fig = plt.figure()
ax = Axes3D(fig)
ax.scatter(player_df.iloc[:, 0], player_df.iloc[:, 1], player_df.iloc[:, 2], c=asignar,s=60)
ax.scatter(C[:, 0], C[:, 1], C[:, 2], marker='*', c=colores, s=1000)
```

Out[19]:

<mpl_toolkits.mplot3d.art3d.Path3DCollection at 0x1e00c3c8128>



Realizamos el conteo la cantidad de Posiciones

In [20]:

```
pd.DataFrame(player2_df.position.value_counts())
```

Out[20]:

	position
DEF	3664
MID	3473
FW	1919
GK	869

Realizamos el conteo por clusters

In [21]:

```
pd.DataFrame(pd.DataFrame(labels, columns = ['cluster']).cluster.value_counts())
```

Out[21]:

```
1 3506
3 2877
0 2673
```

869

Verificamos cada uno de los clusters cuantas posiciones tiene

In [22]:

```
copy = pd.DataFrame()
copy['position']=player2_df['position'].values
copy['label'] = labels;
cantidadGrupo = pd.DataFrame()
cantidadGrupo['color']=colores
cantidadGrupo['position']=copy.groupby('label').size()
cantidadGrupo.sort_values(by=['position'], ascending=False)
```

Out[22]:

		color	position
	1	green	3506
:	3	yellow	2877
	0	red	2673
	2	blue	869

Evaluacion resultados

Evaluamos los resultados del clustering usando una medida como la [Pureza]

In [23]:

Pureza: 0.6843324937027708

In [25]:

```
from sklearn.metrics.cluster import normalized_mutual_info_score
print('NMI: {}'.format(normalized_mutual_info_score(player_position_list, labels)))
from sklearn.metrics.cluster import adjusted_rand_score
print('Rand index: {}'.format(adjusted_rand_score(player_position_list, labels)))
```

NMI: 0.5629166802850829 Rand index: 0.4033761167152728

Verificamos diferentes numero de clusters

Usamos diferentes numero de clusters, para observar las subdivisiones de las clases.

Nota: Las posiciones asignadas a los jugadores son simplificadas, esto quiere decir que al hacer mas de 4 clusters podemos llegar descubrir posiciones mas especificas dentro del campo de juego (por ejemplo: Defensor central, Lateral derecho/izquierdo, Mediocampista defensivo/ofensivo, etc.)

Calculamos ademas la Pureza para analizar si tener una mayor cantidad de clusters da mejores resultados.

```
In [26]:
for bucle in range(2, 10):
    km_pred = KMeans(n_clusters = bucle, random_state = 42).fit_predict(player_df)
    contingency_matrix = metrics.cluster.contingency_matrix(player_position_list, km_pred)
    print('Pureza para k={}: {}'.format(bucle, contingency_matrix.max(axis = 1).sum() / contingency_matrix.sum())
Pureza para k=2: 1.0
Pureza para k=3: 0.8798992443324937
Pureza para k=4: 0.6843324937027708
Pureza para k=5: 0.5802518891687657
Pureza para k=6: 0.4738539042821159
Pureza para k=7: 0.469823677581864
Pureza para k=8: 0.39476070528967255
Pureza para k=9: 0.374911838790932
Creamos un subconjunto de Features
Probamos diferentes subconjunto de características del dataset para analizar si los resultados mejoran.
 • gk_diving
 • gk_handling
   gk_kicking
   gk_positioning
   standing_tackle
 • sliding_tackle
 • short_passing
   vision
 • finishing
 • volleys
Ademas calculamos la Pureza
In [27]:
player_df_subconjunto = player_df[['gk_diving', 'gk_handling', 'gk_kicking', 'gk_positioning', 'standing_tackle',
                          'sliding_tackle', 'short_passing', 'vision', 'finishing', 'volleys']]
In [28]:
for bucle in range(2, 10):
    km_pred = KMeans(n_clusters = bucle, random_state = 42).fit_predict(player_df_subconjunto)
    contingency_matrix = metrics.cluster.contingency_matrix(player_position_list, km_pred)
    print('Pureza para k={}: {}'.format(bucle, contingency_matrix.max(axis = 1).sum() / contingency_matrix.sum())
Pureza para k=2: 1.0
Pureza para k=3: 0.8428211586901764
Pureza para k=4: 0.7182871536523929
Pureza para k=5: 0.6211586901763224
Pureza para k=6: 0.5028715365239295
Pureza para k=7: 0.4777833753148615
Pureza para k=8: 0.42670025188916877
Pureza para k=9: 0.39788413098236775
```

Uso de Embedding

Aplicamos el uso de embeddings, [PCA], para comparar que sucede en ese espacio en comparacion con lo que sucede en el espacio original.

In [29]:

```
from sklearn.preprocessing import StandardScaler
scaler = StandardScaler()
X_entr_sca = scaler.fit_transform(player_df_subconjunto)

pca = PCA(n_components=4)
pca_x_entr = pca.fit_transform(X_entr_sca)

for bucle in range(2, 10):
    km_pred = KMeans(n_clusters = bucle, random_state = 42).fit_predict(pca_x_entr)
    km_pred
    contingency_matrix = metrics.cluster.contingency_matrix(player_position_list, km_pred)
    print('Pureza para k={}: {}'.format(bucle, contingency_matrix.max(axis = 1).sum() / contingency_matrix.sum())
}
```

Pureza para k=2: 1.0
Pureza para k=3: 0.8771788413098237
Pureza para k=4: 0.724735516372796
Pureza para k=5: 0.6188413098236776
Pureza para k=6: 0.5069017632241813
Pureza para k=7: 0.4838287153652393
Pureza para k=8: 0.4553148614609572
Pureza para k=9: 0.4177329974811083

Vemos que con 5 componentes tenemos algo mas del 85% de varianza explicada

In [30]:

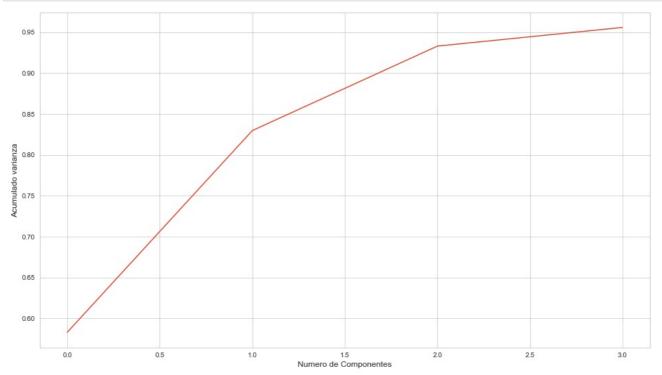
```
print("pca_x_entr", pca_x_entr.shape)
expl = pca.explained_variance_ratio_
print(expl)
print('suma:',sum(expl[0:4]))
```

pca_x_entr (9925, 4)
[0.58308181 0.24669494 0.10329176 0.02283968]
suma: 0.9559081948610338

Graficamos el acumulado de varianza explicada en las nuevas dimensiones

In [31]:

```
plt.plot(np.cumsum(pca.explained_variance_ratio_))
plt.xlabel('Numero de Componentes')
plt.ylabel('Acumulado varianza')
plt.show()
```



Conclusiones

El algoritmo de K-means nos ayudará a crear clusters cuando tengamos grandes grupos de datos sin etiquetar, cuando queramos intentar descubrir nuevas relaciones entre features o para probar o declinar hipótesis que tengamos de nuestro negocio. Para este ejemplo elegimos seleccionar 4 clusters.

Con PCA obtenemos una medida de como cada variable se asocia con las otras (matriz de covarianza) PCA combina nuestros predictores y nos permite deshacernos de los autovectores de menor importancia relativa.