Computer System Modeling & Simulation – Project

System #2:

Your system consists of a single CPU with finite buffer capacity. Jobs arrive according to a Poisson process with rate λ jobs/sec. The job sizes are exponentially distributed with mean $1/\mu$ seconds. Jobs are serviced in FCFS order. Let N-1 denotes the maximum number of jobs that your system can hold in the queue. Thus, including the job serving, there are a maximum of N jobs in the system at any one time. If a job arrives when there are already N jobs in the system, then the arriving job is rejected.

Give a detailed description of:

Q1, The system model

The System model components:

Entity: Customers : Server : Queue

State: Number of jobs in the system : Server state (Idle, Busy)

Event: Customer arrival : Customer departure

: Simulation ending condition

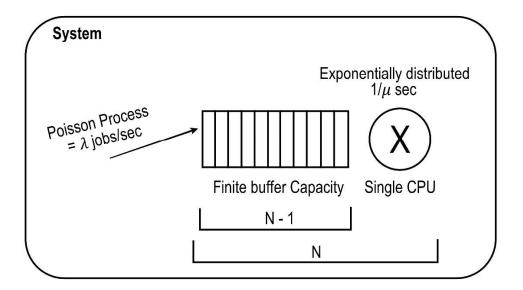
- Logical relationship between model components:
 - a) **Queue length (Customers in the queue):** as the arrival rate of customers increase the number of customers in the system increase and the server state goes to busy.
 - b) **Jobs in the Server:** as the arrival rate of customers increase, the number of customers in the server increases.
- Essential characteristics for each component:

a) **Customers:** Arrival rate : Arrival pattern

b) Server: Service rate

c) **Queue:** Queue discipline (FCFS) : Queue size (N – 1)

Structural description:



- Input models/assumptions:
 - a) Arrival rate (λ)
 - b) Service rate $(1/\mu)$
 - c) Queue capacity = (N-1)
 - d) System capacity = N

Q2, Pseudo code/flow chart for your DES algorithm (you have to apply the event scheduling approach)

Initialization

Schedule the first arrival

Insert the scheduled arrival in the FES

While the CurrentTime <= SimuTime

Remove the first event from FES

Advance the Current time=the event time

If the event == Arrival event

Destroy the record (from FES)

Check if the Number of customers in the Queue is less than N - 1

Number of customers in the queue++

Schedule the next arrival

Insert the scheduled arrival in the FES and Sort FES

If the server state==idle

```
Server state=busy
            Schedule departure event
            Insert the departure event in the FES and Sort FES
            Number of customers in the gueue--
       else:
            Queue ++
else if the Number of customers in the Queue is equal to N - 1
       Drop the Arrival event
Else If the event == Departure event
      Destroy the record (from FES)
      if Number of customers in the queue != 0
              Server state=busy
              Schedule departure event
              Insert the departure event in the FES and Sort FES
              Number of customers in the queue --
      Else
         Server state=idle
```

Q3, Random number and random variable generation methods you employ?

Ans: random.expovariate()

Random: module is used to generate random number in Python. It generates pseudo-random numbers. That implies that these randomly generated numbers can be determined.

Expovariate(): is an inbuilt method of the **random** module. It is used to return a random floating-point number with exponential distribution.

```
import random
lamda = 3
for i in range(10):
    value = random.expovariate(lamda)
    print(value)
```

Output:

```
In [2]: runfile('C:/Users/Dell-PC/Python/Runner_Simulation_Two.py', wdir='C:/Users/Dell-
PC/Python')
```

0.0718860998003

0.688781696442

0.470857180885

0.126647188503

0.144993996667

0.530108296451

0.0504961510631

0.146068786353

0.220191982057

0.119182638699

Q4, The method you employ to verify your operational model?

Verification: determining if the implemented model is consistent with its specifications.

Method:

Comparison of the conceptual or mathematical model to computer representation by long-run measures of performance compare with that of the performance that has been obtained from the simulation or that has been computed analytically.

Q5, Any assumptions you make?

- a) Simulation end condition = 100 cycles / iterations
- b) Arrival rate (λ): 2
- c) Service rate (1/µ): 3
- d) Queue capacity: = (50 1) = 49
- e) System capacity: N = 50

Evaluate the performance of the system using the following parameters:

Q1, Average response time/latency?

Average response time / latency =
$$\frac{\lambda}{\mu} (\mu - \lambda)$$

Average response time / latency =
$$\frac{3}{2}$$
 (3 - 2)

Average response time / latency = 1,5

Q2, Average number of waiting requests/jobs?

Server Utilization =
$$\frac{\lambda}{\mu}$$

Server Utilization =
$$\frac{3}{0.5}$$
 = 6

Number of customer in queue =
$$\frac{\text{Server Utilization}^2}{1 - \text{Server Utilization}}$$

Number of customer in queue =
$$\frac{36}{5}$$
 =7.2

Waiting time in the queue =
$$\frac{Lq}{\mu}$$

Waiting time in the queue =
$$\frac{7.2}{2}$$
 = 3.6

Waiting time in the system = Wq
$$+\frac{1}{\mu}$$

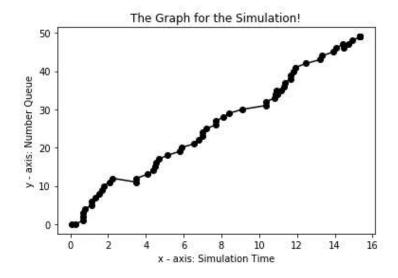
Waiting time in the system = 3.6 +
$$\frac{1}{0.5}$$

Average Number of waiting Customer =16.8

Q3, Blocking probability?

Blocking probability =
$$\frac{\text{Total number of dropped customers}}{\text{Total number of arrived customers}}$$

Q4, Also, you have to show the evolution of the number of jobs/requests in the queue over time, i.e. number of jobs versus simulation time?



('Number of <u>Arrivals:</u> ', 92) ('Number of <u>Departure:</u> ', 9)

('Number of Customers in the Queue', 49)

('Number of Dropped arrivals: ', 32)

Simulation has ended at ==> 17.3795225932

Average number of Waiting time ==> 1.38561468747

Average Response time ==> 0.426067353236

Average number of Waiting Customers in the system ==> 16.5

('Blocking probability ==> ', 0.34782608695652173)