

MVM DEGREE COLLEGE OF COMMERCE AND SCIENCE

PRACTICAL NO 1:

Aim:- Program to solve algebraic and transcendental equation by bisection method.

```
clc;

clear;

close;

deff('y=f(x)','y=x^3-x-1');

x1=1, x2=2; // f(1) is negative & f(2) is positive

d=0.0001; //for accuracy of root

c=1;

printf('Successive approximations x1 \t x2 \t f(m) ');

while abs(x1-x2)>d

    m=(x1+x2)/2;

    printf("\n\t %f \t %f \t %f \t %f \n",x1,x2,m,f(m));

    if f(m)*f(x1)>0

        x1=m;

    else

        x2=m;

    end

    c=c+1; // to count the number of iterations

end

printf("\n the solution of equation after %i iteration is %g',c,m);
```

Prof Pooja Jha

MVM DEGREE COLLEGE OF COMMERCE AND SCIENCE

PRACTICAL NO 2:

Aim:- Program to solve differential equation using Euler's method.

```
clc;
clear;
close;
deff('z=f(y)', 'z=-y')
y(1)=1; //value at 0
h=0.01; c=0.01;
for i=1:4
    y(i+1)=y(i)+h*f(y(i))
    printf('\n y(%g)=%g\n', c, y(i+1));
    c=c+0.01;
end
```

Prof Pooja Jha

MVM DEGREE COLLEGE OF COMMERCE AND SCIENCE

PRACTICAL NO 3:

Aim:- Program to solve algebraic and transcendental equation by false position method.

```
clc;

clear;

close

deff('y=f(x)','y=x^3-2*x-5');

a=2, b=3;//f(2) is negative & f(3) is positive)

d=0.00001;

printf('successive iteration\n \t a \t b \t f(a) \t f(b) \t x1 \n');

for i=1:25

    x1=b*f(a)/(f(a)-f(b))+a*f(b)/(f(b)-f(a));

    if(f(a)*f(x1))>0

        b=x1;

    else

        a=x1;

    end

    if abs(f(x1))<d

        break

    end

    printf('\n%f\t%f\t%f\t%f\n',a,b,f(a), f(b),x1);

end

printf('the root of the equation is %f', x1);
```

Prof Pooja Jha

MVM DEGREE COLLEGE OF COMMERCE AND SCIENCE

PRACTICAL NO 4:

Aim:- Program to solve linear system of equation using Gauss Jordan method.

```
clc;

clear;

close;

A=[2,1,1,10;3,2,3,18;1,4,9,16]; //augmented matrixf

for i=1:3

    j=i

    while(A(i,i)~=0&j<=3)

        for k=1:4

            B(1,k)=A(j+1,k)

            A(j+1,k)=A(i,k)

            A(i,k)=B(1,k)

        end

        disp(A);

        j=j+1;

    end

    disp(A);

    for k=4:-1:i

        A(i,k)=A(i,k)/A(i,i)

    end

    disp(A)

    for k=1:3

        if(k~=i) then

            l=A(k,i)/A(i,i)

            for m=i:4

                A(k,m)=A(k,m)-l*A(i,m)
```

Prof Pooja Jha

MVM DEGREE COLLEGE OF COMMERCE AND SCIENCE

```
end
end
end
disp(A)
end
for i=1:3
    printf('\n x(%i)=%g\n', i,A(i,4))
end
```

Prof Pooja Jha

MVM DEGREE COLLEGE OF COMMERCE AND SCIENCE

PRACTICAL NO 5:

Aim:- Program for Lagrange interpolation.

```
clc;

clear;

close;

x=[300 304 305 307];

y=[2.4771 2.4829 2.4843 2.4871];

x0=301;

log_301=0;

poly(0,'x');

for i=1:4

    p=y(i);

    for j=1:4

        if i~=j

            then

                p=p*((x0-x(j))/(x(i)-x(j)))

            end

        end

    end

    log_301=log_301+p;

end

disp(log_301,'log_301=');
```

Prof Pooja Jha

MVM DEGREE COLLEGE OF COMMERCE AND SCIENCE

PRACTICAL NO 6:

Aim:- Program to solve algebraic and transcendental equation by Newton Raphson's method.

```
clc;

clear;

close

deff('y=f(x)', 'y=x^3-2*x-5');

deff('y1=f1(x)', 'y1=3*x^2-2'); //first derivative

x0=2;

d=0.0001;

c=0;n=1;

printf('successive iterations \n\t x0 \t\t f(x0) \t\t f1(x0)\n');

while n==1

    x2=x0;

    x1=x0-(f(x0)/f1(x0));

    x0=x1;

    printf('\t %f \t %f \t %f \n', x2, f(x1), f1(x1))

    c=c+1;

    if abs(f(x0))<d then

        break;

    end

end

end

printf('the root of %i iteration is %f', c, x0);
```

Prof Pooja Jha

MVM DEGREE COLLEGE OF COMMERCE AND SCIENCE

PRACTICAL NO 7:

Aim:- Program to solve differential equation using Runge Kutta 2nd order and 4th order method.

```
clc;

clear;

close;

deff('y=f(x,y)', 'y=y-x')

y=2;

x=0;

h=0.1;

k1=h*f(x,y);

k2=h*f(x+h,y+k1);

y1=y+(k1+k2)/2

printf('\n y(0.1) by second order runge kutta method: %0.4f',y1);

y=y1;

x=0.1;

h=0.1;

k1=h*f(x,y);

k2=h*f(x+h,y+k1);

y1=y+(k1+k2)/2

printf('\n y(0.2) by second order runge kutta method %0.4f',y1);

y=2,x=0,h=0.1;

k1=h*f(x,y)

k2=h*f(x+h/2, y+k1/2);

k3=h*f(x+h/2,y+k2/2);

k4=h*f(x+h,y+k3);

y1=y+(k1+2*k2+2*k3+k4)/6;

printf('\n y(0.1) by fourth order runge kutta method: %0.4f',y1);
```

Prof Pooja Jha

MVM DEGREE COLLEGE OF COMMERCE AND SCIENCE

y=y1, x=0.1, h=0.1;

k1=h*f(x,y);

k2=h*f(x+h/2, y+k1/2);

k3=h*f(x+h/2,y+k2/2);

k4=h*f(x+h,y+k3);

y1=y+(k1+2*k2+2*k3+k4)/6;

printf("\n y(0.1) by fourth order kutta method: %0.4f",y1);

y=2,x=0,h=0.1;

Prof Pooja Jha

MVM DEGREE COLLEGE OF COMMERCE AND SCIENCE

PRACTICAL NO 8:

Aim:- Program for numerical integration using Simpson's $1/3^{\text{rd}}$ rule

```
clc;

clear;

close;

x=[0.00 0.25 0.50 0.75 1.00];

y=[1.000 0.9896 0.9589 0.9089 0.8415];

y=y^2;

h=x(2)-x(1);

l=length(x);

area =0;

for i=1:l-1

    if i==1 || i==l then

        area = area + y(i)

    elseif(modulo(i,2))==0 then

        area = area + 4 * y(i)

    elseif(modulo(i,2))~=0 then

        area = area + 2*y(i)

    end

end

area = area * (h*pi)/3;

printf('area bounded by the curve is ....%f',area);
```

Prof Pooja Jha

MVM DEGREE COLLEGE OF COMMERCE AND SCIENCE

PRACTICAL NO 9:

Aim:- Program for numerical integration using trapezoidal rule.

```
clc;

clear;

close;

x=[7.47 7.48 7.49 7.0 7.51 7.52];

f_x=[1.93 1.95 1.98 2.01 2.03 2.06];

h=x(2)-x(1);

l=length(x);

area=0;

for i=1:l-1

    if i==1 | i==l then

        area = area + f_x(i)

    else

        area = area + 2*f_x(i)

    end

end

area = area * (h/2);

printf('area bounded by the curve is %f', area);
```

Prof Pooja Jha