

# CS1571 HW 4 Written

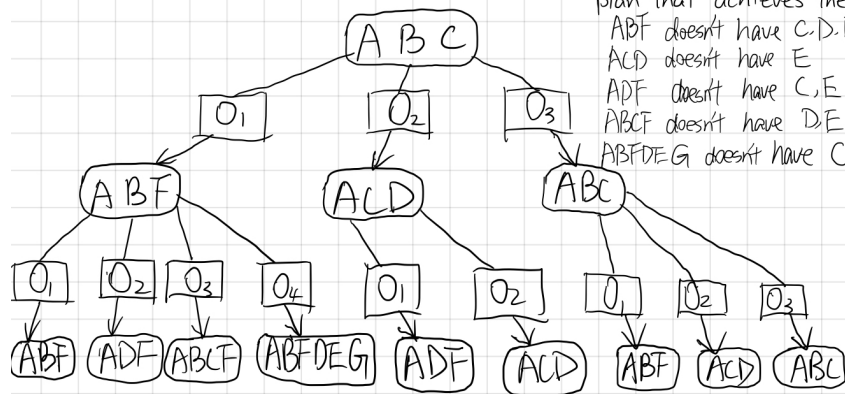
Tianjian Meng

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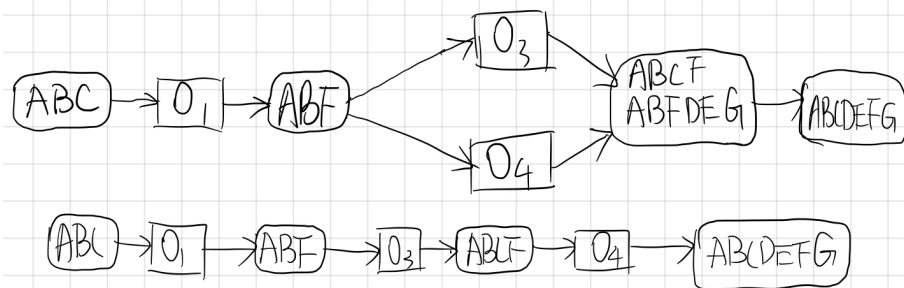
## 1. Planning

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(a) State-space Search.



(b) Partially Ordered Planning



## 2. Probability

a.  $P(\text{Toothache}) = 0.108 + 0.012 + 0.016 + 0.064 = 0.2$

b.  $P(\text{Cavity}) = 0.108 + 0.012 + 0.072 + 0.008 = 0.2$

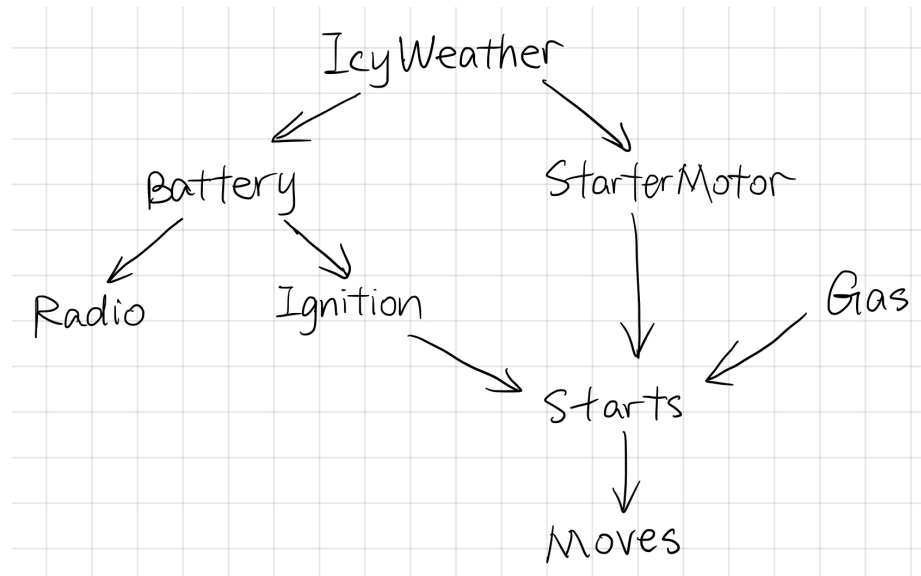
c.  $P(\text{Toothache}|\text{cavity}) = P(\text{Toothache} \wedge \text{cavity}) / P(\text{Cavity}) = (0.108 + 0.012) / 0.2 = 0.6$

d.  $P(Cavity|toothache \wedge catch) = P(Cavity \wedge toothache \wedge catch) / P(toothache \wedge catch) = 0.108 / (0.108 + 0.016) = 0.87$

### 3. Probability

1.  $P(X) = 0.02$
2.  $P(\neg Y|X) = 0.06$
3.  $P(Y|\neg X) = 0.09$
4.  $P(Y) = P(Y|X) * P(X) + P(Y|\neg X) * P(\neg X) = (1 - P(\neg Y|X)) * P(X) + P(Y|\neg X) * (1 - P(X)) = (1 - 0.06) * 0.02 + 0.09 * (1 - 0.02) = 0.107$
5.  $P(X \wedge Y) = P(Y|X) * P(X) = (1 - P(\neg Y|X)) * P(X) = (1 - 0.06) * 0.02 = 0.0188$
6.  $P(X|Y) = P(X \wedge Y) / P(Y) = 0.0188 / 0.107 = 0.1757$

### 4. Bayesian Networks



a.

- b. (a)  $P(IcyWeather) = 0.3$
- (b)  $P(Battery|IcyWeather) = 0.9$
- (c)  $P(Battery|\neg IcyWeather) = 0.99$
- (d)  $P(StarterMotor|IcyWeather) = 0.9$
- (e)  $P(StarterMotor|\neg IcyWeather) = 0.99$
- (f)  $P(Radio|Battery) = 0.999$
- (g)  $P(Radio|\neg Battery) = 0.1$
- (h)  $P(Ignition|Battery) = 0.99$
- (i)  $P(Ignition|\neg Battery) = 0.01$

- (j)  $P(Gas) = 0.99$
- (k)  $P(Starts|Ignition, StarterMotor, Gas) = 0.999$
- (l)  $P(Moves|Starts) = 0.99$
- (m) Other entries not assigned above is 0
- c.  $2^8 - 1 = 255$
- d.  $1 + 2 + 2 + 2 + 2 + 1 + 8 + 2 = 20$
- e.  $P(Battery = T, Radio = T, Ignition = T, Gas = F, Starts = T, Moves = F)$   
 $= P(Battery = T) * P(Radio = T|Battery = T) * P(Ignition = T|Battery = T) * P(Gas = F) * P(Starts = T|Ignition = T, Gas = F) * P(Moves = F|Starts = T)$
- f.  $P(Moves = F)$   
 $= \sum_{b \in \{T, F\}} \sum_{r \in \{T, F\}} \sum_{i \in \{T, F\}} \sum_{g \in \{T, F\}} \sum_{s \in \{T, F\}} P(Moves = F|Starts = s) * P(Starts = s|Ignition = i, Gas = g) * P(Gas = g) * P(Ignition = i|Battery = b) * P(Radio = r|Battery = b) * P(Battery = b)$

## 5. Diagnosis using Bayesian Networks

1.  $P(Fever = T, Paleness = F, Cough = T, HighWBCcount = F|Pneumonia = T)$   
 $= P(Fever = T|Pneumonia = T) * P(Paleness = F|Pneumonia = T) * P(Cough = T|Pneumonia = T) * P(HighWBCcount = F|Pneumonia = T)$   
 $= 0.9 * (1 - 0.7) * 0.9 * (1 - 0.8) = 0.0486$
2.  $P(Fever = T, Paleness = F, Cough = T, HighWBCcount = F|Pneumonia = F)$   
 $= P(Fever = T|Pneumonia = F) * P(Paleness = F|Pneumonia = F) * P(Cough = T|Pneumonia = F) * P(HighWBCcount = F|Pneumonia = F)$   
 $= 0.6 * (1 - 0.5) * 0.1 * (1 - 0.5) = 0.015$
3.  $P(Pneumonia = T|Fever = T, Paleness = F, Cough = T, HighWBCcount = F)$   
 $= P(Fever = T, Paleness = F, Cough = T, HighWBCcount = F|Pneumonia = T) * P(Pneumonia = T) / (P(Fever = T, Paleness = F, Cough = T, HighWBCcount = F|Pneumonia = T) * P(Pneumonia = T) + P(Fever = T, Paleness = F, Cough = T, HighWBCcount = F|Pneumonia = F) * P(Pneumonia = F))$   
 $= 0.0486 * 0.02 / (0.0486 * 0.02 + 0.015 * (1 - 0.02))$   
 $= 0.062$