Task_3:

1)

a) As binary classification function is used there is only one output 0 or 1 zero for the negative classes and one for the positive classes

The first input points:

Output = W1.X1 + W2.X2 + b =
$$2 * 2 + -1 * 4 + 0.5 = 0.5$$

 \therefore The class label =1

The second input points:

Output =
$$W1.X1 + W2.X2 + b = 2 * 4 + -1 * 2 + 0.5 = 6.5$$

 \therefore The class label =1

The third input points:

Output =
$$W1.X1 + W2.X2 + b = 2 * 2 + -1 * 2 + 0.5 = 2.5 > 0$$

$$\therefore 2.5 > 0$$

- \therefore The class label =1
- b) To find the decision boundary we need to equal the equation to zero

$$W1.X1 + W2.X2 + b = 0$$

$$2.X1 + -1.X2 + 0.5 = 0$$

$$X2 = 2.X1 + 0.5$$

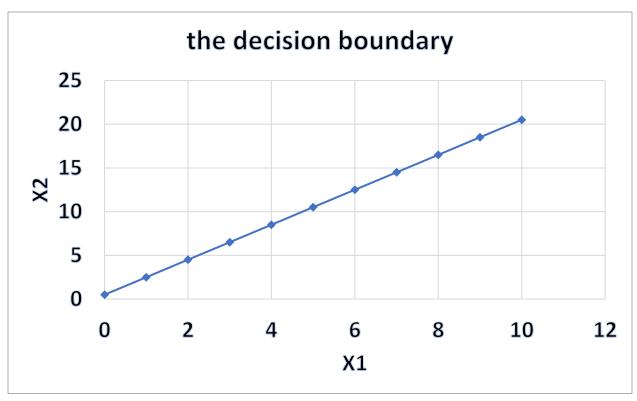


Figure 1.1

- c) the limitations of the perceptron algorithm:
- 1. Only works with linearly separable data
- 2. Limited to binary classification
- 3. It is a single layer algorithm which can not model complex functions as it lacks hidden layers

2)

a)

Input layer: 4 neurons

Output layer: 2 neurons

Hidden layers: 12 neurons

Total neurons = 18

b) 4 hidden layers

Learnable Parameters:

1. From input layer to the first hidden layer

Total for this layer = input layer neurons * first hidden layer neurons + first hidden layer neurons

$$= 4 * 2 + 2 = 10$$

2. From first hidden layer to second hidden layer

Total for this layer = 2*4 + 4 = 12

3. From second hidden layer to third hidden layer

Total for this layer = 4*2 + 2 = 10

4. From third hidden layer to fourth hidden layer

Total for this layer = 4*2 + 4 = 12

5. From fourth hidden layer to output layer

Total for this layer = 4*2 + 2 = 10

Total learnable parameters = 54

3)

The padded array = [0, 3, 4, 6, 3, 2, 3, 4, 0]

The filter = [1, 2, -1]

Output
$$1 = 1 * 0 + 2 * 3 + -1 * 4 = 2$$

Output
$$2 = 1 * 3 + 2 * 4 + -1 * 6 = 5$$

Output_3 =
$$1 * 4 + 2 * 6 + -1 * 3 = 13$$

Output_4 =
$$1 * 6 + 2 * 3 + -1 * 2 = 10$$

Output_5 =
$$1 * 3 + 2 * 2 + -1 * 3 = 4$$

Output
$$6 = 1 * 2 + 2 * 3 + -1 * 4 = 4$$

Output
$$7 = 1 * 3 + 2 * 4 + -1 * 0 = 11$$

The convolved array = [2, 5, 13, 10, 4, 4, 11]

4)

The expected output length = [(L(in) + 2P - K)/S] + 1

K: Kernel or filter size, K = F

P: convolution padding size, P = 0

S: convolution stride, Assume S = 1

> So, the formula without padding: L(out) = L(in) -F +1

The filter here can overlap with the input array when there are enough elements in the input array

➤ By adding padding into the input array for maintaining a constant output size and making the input size equals to the output size

$$L(out) = L(in)$$

$$L(in) + 2P - F + 1 = L(in)$$

$$P = 0.5(F-1)$$

By providing an example

Assume
$$L(in) = 6 \& F = 3$$

P = 0.5(3-1) = 1 (one element of padding on each side)

$$L(out) = 6+2(1)-3+1=6$$

5)

By letting stride = 1

8	19	1
13	1	16
-10	28	20

6)

Alex Net has 5 convolution layers and 3 fully connected layers as shown in the figure below:

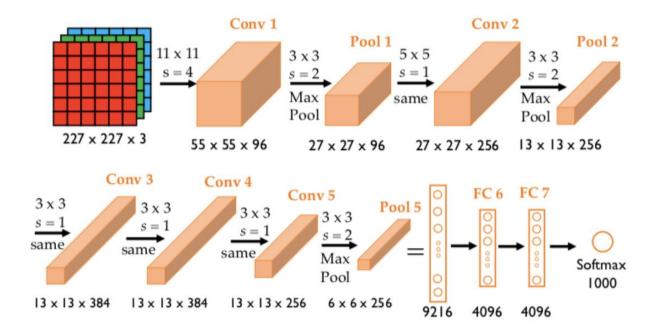


Figure 6.1

Input image shape: 512x512x3

Parameters = (filter width×filter height×number of input channels+1) ×number of Filters

Number of parameters of Conv1 = (11 * 11 * 96 * 3 + 1) * 96 = 34,944

Pool1

Number of parameters of Conv2 = (5 * 5 *96+1) *256 = 614,656

Pool2

Number of parameters of Conv3 = (3*3*256+1)*384 = 885,120

Number of parameters of Conv4 = (3*3*384+1)*384 = 1,327,488

Number of parameters of Conv5 = (3*3*384+1)*256 = 884,992

Pool3

Number of parameters of neurons = 4096

Number of parameters of Fully connected layer 1 = (13*13*256+1)*4096

= 177,213,440

Number of parameters of neurons = 4096

Number of parameters of Fully connected layer2 = (4096+1)*4096 = 16,781,312

Number of parameters of neurons = 1000

Number of parameters of Fully connected layer3 = (4096+1) *1000 = 4,097,000

Total parameters = 34,944 + 614,656 + 885,120 + 1,327,488 + 884,992 + 177,213,440 + 16,781,312 + 4,097,000