Detection of Fraudulent Transactions Ayoub HAIDA April 3, 2023

1 Detection of Fraudulent Transactions

The objective of this case study is to employ different models based on classification techniques for the purpose of identifying whether a given transaction is a regular payment or a fraudulent one.

2 Problem Definition

In this case, the response variable takes a value of 1 in case the given transaction is fraud and 0 otherwise.

The dataset provided contains information about credit card transactions carried out by European cardholders in September 2013. The data pertains to transactions that took place over a period of two days, during which there were a total of 492 fraudulent transactions out of 284,807. It is important to note that this dataset is highly imbalanced, with only 0.172% of all transactions being identified as frauds. The main objective is to predict instances of fraud. The response variable, 'Class', takes on a value of 1 if the transaction is fraudulent and 0 otherwise. The features in the dataset are a result of PCA transformation and may not be immediately interpretable based on their names.

Here, you can find the dataset details as well as download it: https://www.kaggle.com/mlg-ulb/creditcardfraud

3 Loading the Packages and the Data

```
import numpy as np
import pandas as pd
from matplotlib import pyplot
from pandas import read_csv, set_option
from pandas.plotting import scatter_matrix
import seaborn as sns
from sklearn.preprocessing import StandardScaler
from sklearn.model_selection import train_test_split, KFold, cross_val_score,u
GridSearchCV
from sklearn.linear_model import LogisticRegression
from sklearn.tree import DecisionTreeClassifier
from sklearn.neighbors import KNeighborsClassifier
from sklearn.discriminant_analysis import LinearDiscriminantAnalysis
from sklearn.naive_bayes import GaussianNB
```

```
from sklearn.svm import SVC
    from sklearn.neural_network import MLPClassifier
    from sklearn.pipeline import Pipeline
    from sklearn.ensemble import AdaBoostClassifier, GradientBoostingClassifier,
      →RandomForestClassifier, ExtraTreesClassifier
    from sklearn.metrics import classification report, confusion matrix,
     →accuracy_score
    from keras.models import Sequential
    from keras.layers import Dense
    from keras.wrappers.scikit_learn import KerasClassifier
    from keras.optimizers import SGD
    from pickle import dump
    from pickle import load
[2]: # load dataset
    dataset = read_csv('/kaggle/input/creditcardfraud/creditcard.csv')
[3]: import warnings
    warnings.filterwarnings('ignore')
    4 Exploratory Data Analysis
    4.1 Stats
[4]: # shape
    dataset.shape
[4]: (284807, 31)
[5]: set_option('display.width', 100)
    dataset.head()
                                                        ۷5
                                                                  ۷6
[5]:
       Time
                            ۷2
                                     VЗ
                                               ۷4
                                                                           ۷7
                  V1
    8V
        0.0 - 1.359807 - 0.072781 \ 2.536347 \ 1.378155 - 0.338321 \ 0.462388
    0.098698 0.363787
        0.0 1.191857 0.266151 0.166480 0.448154 0.060018 -0.082361 -0.078803
    0.085102 -0.255425
        1.0 -1.358354 -1.340163 1.773209 0.379780 -0.503198 1.800499 0.791461
    0.247676 -1.514654
        1.0 -0.966272 -0.185226 1.792993 -0.863291 -0.010309 1.247203 0.237609
    0.377436 -1.387024
        -0.270533 0.817739
              V21
                        V22
                                 V23
                                           V24
                                                    V25
                                                              V26
                                                                       V27
    V28 Amount \
```

```
0 \dots -0.018307 \quad 0.277838 \quad -0.110474 \quad 0.066928 \quad 0.128539 \quad -0.189115 \quad 0.133558
-0.021053 149.62
1 \quad ... \quad -0.225775 \quad -0.638672 \quad 0.101288 \quad -0.339846 \quad 0.167170 \quad 0.125895 \quad -0.008983
0.014724
               2.69
2 ... 0.247998 0.771679 0.909412 -0.689281 -0.327642 -0.139097 -0.055353
-0.059752 378.66
3 ... -0.108300 0.005274 -0.190321 -1.175575 0.647376 -0.221929 0.062723
0.061458 123.50
4 \quad ... \quad -0.009431 \quad 0.798278 \quad -0.137458 \quad 0.141267 \quad -0.206010 \quad 0.502292 \quad 0.219422
0.215153
             69.99
   Class
0
        0
        0
1
2
        0
3
        0
4
        0
```

[5 rows x 31 columns]

```
[6]: set_option('display.max_rows', 500)
dataset.dtypes
```

```
[6]: Time
               float64
     V1
               float64
     V2
               float64
     VЗ
               float64
     ۷4
               float64
     ۷5
               float64
     ۷6
               float64
     ۷7
               float64
     8V
               float64
     ۷9
               float64
     V10
               float64
     V11
               float64
     V12
               float64
     V13
               float64
     V14
               float64
     V15
               float64
     V16
               float64
     V17
               float64
     V18
               float64
     V19
               float64
     V20
               float64
     V21
               float64
     V22
               float64
     V23
               float64
```

V24 float64
V25 float64
V26 float64
V27 float64
V28 float64
Amount float64
Class int64
dtype: object

[7]: pd.set_option('display.float_format', '{:.3f}'.format) dataset.describe()

[7]:	Tim		V2	V3	V4	V 5
	V6 V7	•				
	count 284807.00		284807.000	284807.000 2	284807.000	284807.000
	284807.000 2848		0.000	0.000	0.000	0.000
	mean 94813.86		0.000	-0.000	0.000	0.000
	0.000 -0.00		4 054	4 540	4 440	4 200
	std 47488.14		1.651	1.516	1.416	1.380
	1.332 1.23		70 716	40, 206	F 602	110 740
	min 0.00 -26.161 -43.		-12.116	-48.326	-5.683	-113.743
	25% 54201.50		-0.599	-0.890	-0.849	-0.692
	-0.768 -0.5		-0.599	-0.690	-0.649	-0.092
	50% 84692.00		0 065	0.180	-0.020	-0.054
	-0.274 0.0		0.003	0.100	-0.020	-0.054
	75% 139320.50		0.804	1 027	0.743	0.612
	0.399 0.57		0.004	1.021	0.740	0.012
	max 172792.00		22.058	9.383	16.875	34.802
	73.302 120.5		22.000	0.000	10.010	01.002
	701002 12010					
	V	3 V 9		V21 V2	22 V:	23 V24
	V25 \					
	count 284807.00	284807.000	284807.0	000 284807.00	00 284807.0	00 284807.000
	284807.000					
	mean 0.00	-0.000	0.0	-0.00	0.0	0.000
	0.000					
	std 1.19	1.099	0.7	735 0.72	26 0.63	0.606
	0.521					
		7 -13.434	34.8	330 -10.93	33 -44.8	08 -2.837
	-10.295					
	25% -0.20	9 -0.643	0.2	228 -0.54	12 -0.1	62 -0.355
	-0.317					
	50% 0.02	2 -0.051	0.0	0.00	07 -0.0	11 0.041
	0.017					
		7 0.597	0.:	186 0.52	29 0.1	48 0.440
	0.351					

20.007 15.595 ... 27.203 10.503 22.528 4.585 max7.520 V26 V27 V28 Amount Class count 284807.000 284807.000 284807.000 284807.000 284807.000 0.000 -0.000 -0.000 88.350 0.002 meanstd 0.482 0.404 0.330 0.042 250.120 min -2.605 -22.566 -15.4300.000 0.000 25% -0.327 -0.071 -0.053 5.600 0.000 50% -0.052 0.001 0.011 22.000 0.000 75% 0.241 0.091 0.078 77.165 0.000 max3.517 31.612 33.848 25691.160 1.000

[8 rows x 31 columns]

To begin with, we will examine the number of instances of fraud as compared to non-fraud cases in the dataset.

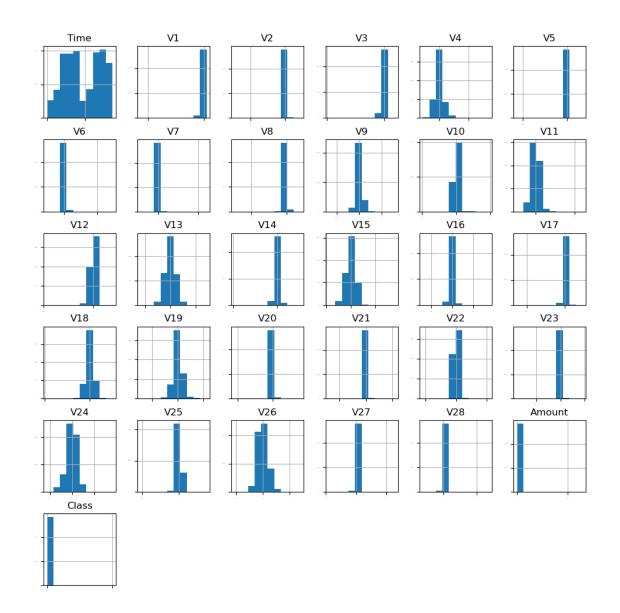
```
[8]: class_names = {0:'Not Fraud', 1:'Fraud'}
print(dataset.Class.value_counts().rename(index = class_names))
```

Not Fraud 284315 Fraud 492

Name: Class, dtype: int64

The distribution of instances in the dataset is skewed, with a significant majority of the transactions being classified as non-fraudulent.

4.2 Visualization



4.3 Data Preparation

```
[10]: print('Null Values =',dataset.isnull().values.any())
```

Null Values = False

There is no null in the data.

```
[11]: from sklearn.feature_selection import SelectKBest
from sklearn.feature_selection import chi2

bestfeatures = SelectKBest( k=10)
bestfeatures
```

```
Y= dataset["Class"]
X = dataset.loc[:, dataset.columns != 'Class']
fit = bestfeatures.fit(X,Y)
dfscores = pd.DataFrame(fit.scores_)
dfcolumns = pd.DataFrame(X.columns)

featureScores = pd.concat([dfcolumns,dfscores],axis=1)
featureScores.columns = ['Specs','Score']
print(featureScores.nlargest(10,'Score')) #print 10 best features
```

```
Specs
             Score
17
    V17 33979.169
14
    V14 28695.548
12
    V12 20749.822
10
    V10 14057.980
16
    V16 11443.349
3
     V3 11014.508
7
     V7 10349.605
11
    V11 6999.355
     V4 5163.832
18
    V18
          3584.381
```

While certain features in the dataset may be important for detecting fraud, the process of selecting these features has not been emphasized or prioritized.

5 Algorithms and Models

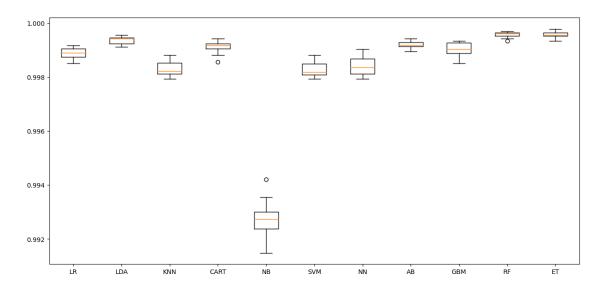
5.1 Train-Test-Split and Evaluation Metrics

```
[16]: num_folds = 10 seed = 7
```

```
[17]: models = []
  models.append(('LR', LogisticRegression()))
  models.append(('LDA', LinearDiscriminantAnalysis()))
  models.append(('KNN', KNeighborsClassifier()))
  models.append(('CART', DecisionTreeClassifier()))
  models.append(('NB', GaussianNB()))
  models.append(('SVM', SVC()))
  models.append(('NN', MLPClassifier()))
```

```
models.append(('AB', AdaBoostClassifier()))
      models.append(('GBM', GradientBoostingClassifier()))
      models.append(('RF', RandomForestClassifier()))
      models.append(('ET', ExtraTreesClassifier()))
[18]: results = []
     names = []
      for name, model in models:
          kfold = KFold(n_splits=num_folds)
          cv_results = cross_val_score(model, X_train, Y_train, cv=kfold,__
       ⇔scoring=scoring)
          results.append(cv_results)
          names.append(name)
          msg = "%s: %f (%f)" % (name, cv_results.mean(), cv_results.std())
          print(msg)
     LR: 0.998885 (0.000205)
     LDA: 0.999364 (0.000136)
     KNN: 0.998310 (0.000290)
     CART: 0.999109 (0.000245)
     NB: 0.992745 (0.000733)
     SVM: 0.998280 (0.000278)
     NN: 0.998429 (0.000361)
     AB: 0.999192 (0.000154)
     GBM: 0.999008 (0.000285)
     RF: 0.999570 (0.000107)
     ET: 0.999565 (0.000122)
[20]: # compare algorithms
      fig = pyplot.figure()
      fig.suptitle('Algorithm Comparison')
      ax = fig.add_subplot(111)
      pyplot.boxplot(results)
      ax.set_xticklabels(names)
      fig.set_size_inches(15,7)
      pyplot.show()
```

Algorithm Comparison



```
[21]: model = DecisionTreeClassifier()
model.fit(X_train, Y_train)
```

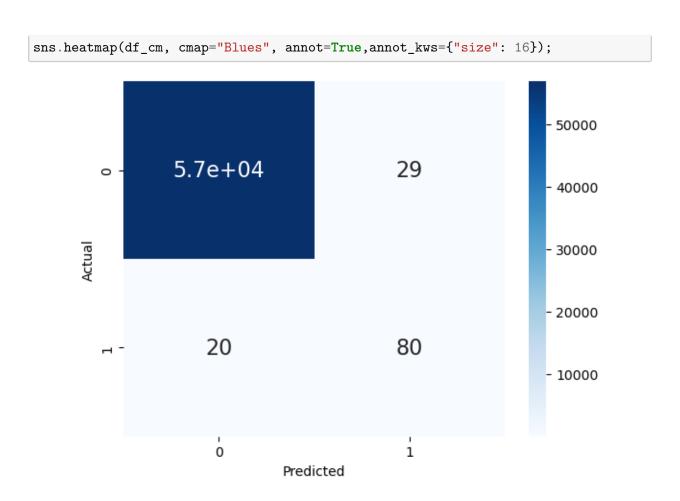
[21]: DecisionTreeClassifier()

```
[22]: rescaledValidationX = X_validation
   predictions = model.predict(rescaledValidationX)
   print(accuracy_score(Y_validation, predictions))
   print(confusion_matrix(Y_validation, predictions))
   print(classification_report(Y_validation, predictions))
```

0.9991397773954567

```
[[56833 29]
[ 20 80]]
```

	precision	recall	f1-score	support
0	1.00 0.73	1.00	1.00	56862 100
1	0.73	0.60	0.77	100
accuracy			1.00	56962
macro avg	0.87	0.90	0.88	56962
weighted avg	1.00	1.00	1.00	56962



Despite achieving good results, it is worth noting that 20 out of 100 fraud cases are not detected. Therefore, it is crucial to prioritize the metric of recall, which minimizes false negatives.

5.2 Model Tuning

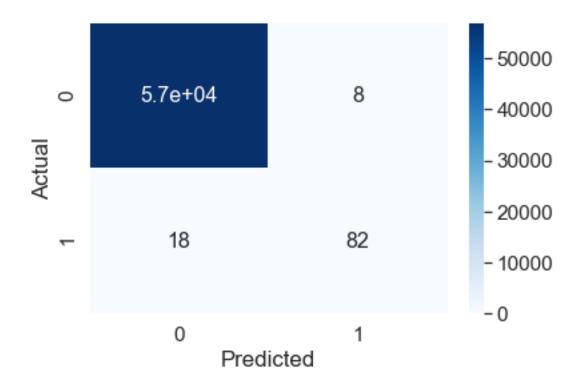
```
[24]: scoring = 'recall'

[25]: models = []
  models.append(('LR', LogisticRegression()))
  models.append(('LDA', LinearDiscriminantAnalysis()))
  models.append(('KNN', KNeighborsClassifier()))
  models.append(('CART', DecisionTreeClassifier()))
  models.append(('NB', GaussianNB()))
  models.append(('SVM', SVC()))
  models.append(('NN', MLPClassifier()))
  models.append(('AB', AdaBoostClassifier()))
  models.append(('GBM', GradientBoostingClassifier()))
  models.append(('RF', RandomForestClassifier()))
  models.append(('ET', ExtraTreesClassifier()))
```

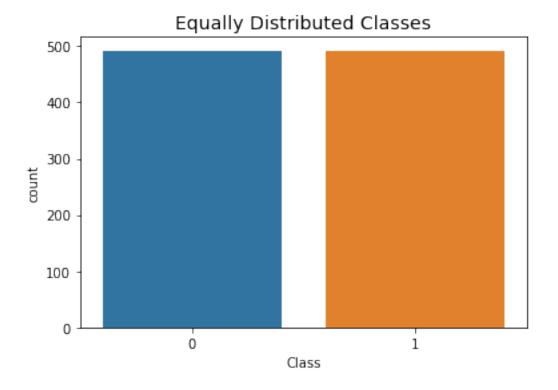
```
[]: results = []
       names = []
       for name, model in models:
           kfold = KFold(n_splits=num_folds)
           cv_results = cross_val_score(model, X_train, Y_train, cv=kfold,__
        ⇔scoring=scoring)
           results.append(cv_results)
           names.append(name)
           msg = "%s: %f (%f)" % (name, cv_results.mean(), cv_results.std())
           print(msg)
      LR: 0.631287 (0.116650)
      LDA: 0.758283 (0.045450)
      KNN: 0.023882 (0.019671)
      CART: 0.749286 (0.070769)
      NB: 0.659465 (0.080686)
      SVM: 0.000000 (0.000000)
      Given the LDA has the best recall out of all the models, it is used to ealuate the test set
  []: model = LinearDiscriminantAnalysis()
       model.fit(X_train, Y_train)
[185]: rescaledValidationX = X_validation
       predictions = model.predict(rescaledValidationX)
       print(accuracy_score(Y_validation, predictions))
       print(confusion_matrix(Y_validation, predictions))
       print(classification_report(Y_validation, predictions))
      0.9995435553526912
      [[56854
       Γ
           18
                 82]]
                    precision
                                  recall f1-score
                                                      support
                 0
                          1.00
                                    1.00
                                               1.00
                                                        56862
                 1
                          0.91
                                    0.82
                                               0.86
                                                          100
                                               1.00
                                                        56962
          accuracy
                          0.96
                                    0.91
                                               0.93
                                                        56962
         macro avg
```

weighted avg 1.00 1.00 1.00 56962

[186]: <matplotlib.axes._subplots.AxesSubplot at 0x20b99399978>



```
non_fraud_df = df.loc[df['Class'] == 0][:492] # fraud classes = 492.
     normal_distributed_df = pd.concat([fraud_df, non_fraud_df])
     df_new = normal_distributed_df.sample(frac=1, random_state=42)
     Y_train_new= df_new["Class"]
     X_train_new = df_new.loc[:, dataset.columns != 'Class']
     dataset.head()
[41]:
                               VЗ
                                     ۷4
                                            ۷5
                                                          ۷7
                                                                 8V
                                                                        ۷9
        Time
                 V1
                        ٧2
                                                   ۷6
     V21
            V22
                   V23
         0.0 \ -1.360 \ -0.073 \ 2.536 \ 1.378 \ -0.338 \ 0.462 \ 0.240 \ 0.099 \ 0.364 \ ...
     -0.018 0.278 -0.110
         0.0 \ 1.192 \ 0.266 \ 0.166 \ 0.448 \ 0.060 \ -0.082 \ -0.079 \ 0.085 \ -0.255 \ \dots
     -0.226 -0.639 0.101
         1.0 -1.358 -1.340 1.773 0.380 -0.503 1.800 0.791 0.248 -1.515 ...
     0.248 0.772 0.909
         1.0 -0.966 -0.185 1.793 -0.863 -0.010 1.247 0.238 0.377 -1.387 ...
     -0.108 0.005 -0.190
         -0.009 0.798 -0.137
          V24
                 V25
                        V26
                              V27
                                          Amount Class
                                     V28
     0 0.067 0.129 -0.189 0.134 -0.021
                                          149.62
                                                      0
     1 -0.340 0.167 0.126 -0.009 0.015
                                            2.69
                                                      0
     2 -0.689 -0.328 -0.139 -0.055 -0.060
                                          378.66
                                                      0
     3 -1.176  0.647 -0.222  0.063  0.061
                                          123.50
                                                      0
     4 0.141 -0.206 0.502 0.219 0.215
                                           69.99
                                                      0
     [5 rows x 31 columns]
[42]: print('Distribution of the Classes in the subsample dataset')
     print(df_new['Class'].value_counts()/len(df_new))
     sns.countplot('Class', data=df_new)
     pyplot.title('Equally Distributed Classes', fontsize=14)
     pyplot.show()
     Distribution of the Classes in the subsample dataset
     1
          0.5
          0.5
     Name: Class, dtype: float64
```



```
[43]: scoring='accuracy'
[44]: # spot check the algorithms
      models = []
      models.append(('LR', LogisticRegression()))
      models.append(('LDA', LinearDiscriminantAnalysis()))
      models.append(('KNN', KNeighborsClassifier()))
      models.append(('CART', DecisionTreeClassifier()))
      models.append(('NB', GaussianNB()))
      models.append(('SVM', SVC()))
      models.append(('NN', MLPClassifier()))
      models.append(('AB', AdaBoostClassifier()))
      models.append(('GBM', GradientBoostingClassifier()))
      models.append(('RF', RandomForestClassifier()))
      models.append(('ET', ExtraTreesClassifier()))
[45]: EnableDLModelsFlag = 1
      if EnableDLModelsFlag == 1 :
          def create_model(neurons=12, activation='relu', learn_rate = 0.01, __
       →momentum=0):
              # create model
              model = Sequential()
```

```
model.add(Dense(X_train.shape[1], input_dim=X_train.shape[1],__
       ⇔activation=activation))
              model.add(Dense(32, activation=activation))
              model.add(Dense(1, activation='sigmoid'))
              optimizer = SGD(lr=learn_rate, momentum=momentum)
              model.compile(loss='binary crossentropy', optimizer='adam',
       →metrics=['accuracy'])
              return model
          models.append(('DNN', KerasClassifier(build_fn=create_model, epochs=50, __
       ⇔batch_size=10, verbose=0)))
[46]: results = []
      names = \Pi
      for name, model in models:
          kfold = KFold(n_splits=num_folds, random_state=seed)
          cv_results = cross_val_score(model, X_train_new, Y_train_new, cv=kfold,_
       ⇔scoring=scoring)
          results.append(cv_results)
          names.append(name)
          msg = "%s: %f (%f)" % (name, cv_results.mean(), cv_results.std())
          print(msg)
     LR: 0.931911 (0.024992)
     LDA: 0.905473 (0.027422)
     KNN: 0.648258 (0.044550)
     CART: 0.907565 (0.022669)
     NB: 0.860771 (0.027234)
     SVM: 0.522356 (0.048395)
     NN: 0.648712 (0.100137)
     AB: 0.924830 (0.024068)
     GBM: 0.934982 (0.015132)
     RF: 0.932931 (0.015859)
     ET: 0.931962 (0.031043)
     WARNING:tensorflow:From D:\Anaconda\lib\site-
     packages\tensorflow\python\framework\op_def_library.py:263: colocate_with (from
     tensorflow.python.framework.ops) is deprecated and will be removed in a future
```

version.

Instructions for updating:

Colocations handled automatically by placer.

```
WARNING:tensorflow:From D:\Anaconda\lib\site-packages\tensorflow\python\ops\math_ops.py:3066: to_int32 (from tensorflow.python.ops.math_ops) is deprecated and will be removed in a future version.
```

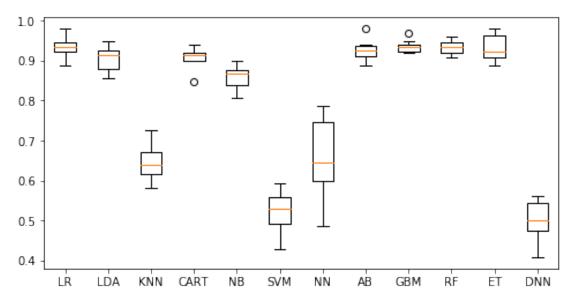
Instructions for updating:

Use tf.cast instead.

DNN: 0.498011 (0.050742)

```
[47]: fig = pyplot.figure()
    fig.suptitle('Algorithm Comparison')
    ax = fig.add_subplot(111)
    pyplot.boxplot(results)
    ax.set_xticklabels(names)
    fig.set_size_inches(8,4)
    pyplot.show()
```

Algorithm Comparison



Since GBM has been determined as the top-performing model among all other models, a grid search is conducted to optimize the GBM model's performance by varying the number of estimators and

maximum depth parameters.

```
[48]: n_{estimators} = [20, 180, 1000]
      max_depth= [2, 3,5]
      param_grid = dict(n_estimators=n_estimators, max_depth=max_depth)
      model = GradientBoostingClassifier()
      kfold = KFold(n_splits=num_folds, random_state=seed)
      grid = GridSearchCV(estimator=model, param_grid=param_grid, scoring=scoring,_u
       ⇔cv=kfold)
      grid_result = grid.fit(X_train_new, Y_train_new)
      #Print Results
      print("Best: %f using %s" % (grid_result.best_score_, grid_result.best_params_))
      means = grid_result.cv_results_['mean_test_score']
      stds = grid_result.cv_results_['std_test_score']
      params = grid_result.cv_results_['params']
      ranks = grid_result.cv_results_['rank_test_score']
      for mean, stdev, param, rank in zip(means, stds, params, ranks):
          print("#%d %f (%f) with: %r" % (rank, mean, stdev, param))
     Best: 0.936992 using {'max_depth': 5, 'n_estimators': 1000}
     #3 0.931911 (0.016958) with: {'max_depth': 2, 'n_estimators': 20}
     #6 0.929878 (0.017637) with: {'max_depth': 2, 'n_estimators': 180}
     #9 0.924797 (0.021358) with: {'max_depth': 2, 'n estimators': 1000}
     #6 0.929878 (0.020476) with: {'max_depth': 3, 'n_estimators': 20}
     #3 0.931911 (0.011120) with: {'max_depth': 3, 'n_estimators': 180}
     #3 0.931911 (0.017026) with: {'max_depth': 3, 'n_estimators': 1000}
     #8 0.928862 (0.022586) with: {'max_depth': 5, 'n_estimators': 20}
     #2 0.934959 (0.015209) with: {'max_depth': 5, 'n_estimators': 180}
     #1 0.936992 (0.012639) with: {'max_depth': 5, 'n_estimators': 1000}
[49]: model = GradientBoostingClassifier(max_depth= 5, n_estimators = 1000)
      model.fit(X_train_new, Y_train_new)
[49]: GradientBoostingClassifier(criterion='friedman_mse', init=None,
                                 learning_rate=0.1, loss='deviance', max_depth=5,
                                 max_features=None, max_leaf_nodes=None,
                                 min_impurity_decrease=0.0, min_impurity_split=None,
                                 min_samples_leaf=1, min_samples_split=2,
```

```
min_weight_fraction_leaf=0.0, n_estimators=1000,
n_iter_no_change=None, presort='auto',
random_state=None, subsample=1.0, tol=0.0001,
validation_fraction=0.1, verbose=0,
warm_start=False)
```

```
[50]: predictions = model.predict(X_validation)
    print(accuracy_score(Y_validation, predictions))
    print(confusion_matrix(Y_validation, predictions))
    print(classification_report(Y_validation, predictions))
```

precision recall f1-score support

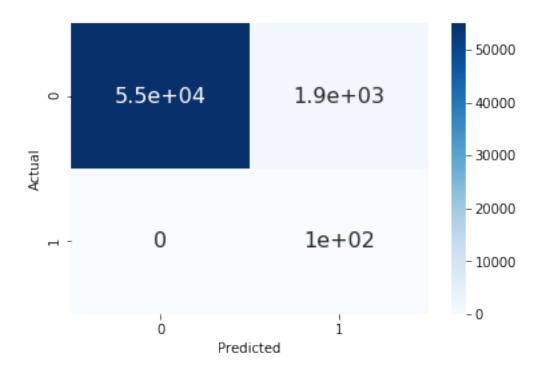
0.9668199852533268

[[54972 1890]

[0 100]]

			F	
56862	0.98	0.97	1.00	0
100	0.10	1.00	0.05	1
56962	0.97			accuracy
56962	0.54	0.98	0.53	macro avg
56962	0.98	0.97	1.00	weighted avg

[51]: <matplotlib.axes._subplots.AxesSubplot at 0x26e0cc0bb70>



The performance of the model on the test set is highly satisfactory, as it demonstrates superior results with no instances of fraud being missed.