SDM4 in R: Comparing Counts (Chapter 24)

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Introduction and background

This document is intended to help describe how to undertake analyses introduced as examples in the Fourth Edition of *Stats: Data and Models* (2014) by De Veaux, Velleman, and Bock. More information about the book can be found at http://wps.aw.com/aw_deveaux_stats_series. This file as well as the associated R Markdown reproducible analysis source file used to create it can be found at http://www.amherst.edu/~nhorton/sdm4.

This work leverages initiatives undertaken by Project MOSAIC (http://www.mosaic-web.org), an NSF-funded effort to improve the teaching of statistics, calculus, science and computing in the undergraduate curriculum. In particular, we utilize the mosaic package, which was written to simplify the use of R for introductory statistics courses. A short summary of the R needed to teach introductory statistics can be found in the mosaic package vignettes (http://cran.r-project.org/web/packages/mosaic).

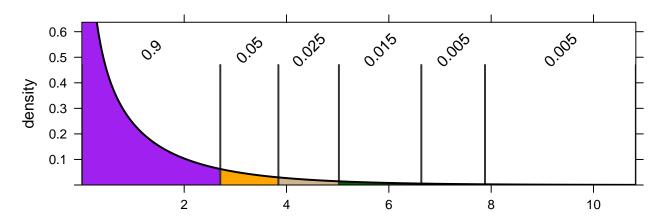
Chapter 24: Comparing Counts

Section 24.1: Goodness-of-fit tests

Here we verify the calculations of expected counts for ballplayers by month (page 656).

```
##
         ballplayer expect
    [1,]
##
                 137 118.24
##
    [2,]
                 121 103.46
##
    [3,]
                 116 118.24
   [4,]
##
                 121 118.24
##
    [5,]
                 126 118.24
##
    [6,]
                 114 118.24
##
   [7,]
                 102 133.02
##
   [8,]
                 165 133.02
##
    [9,]
                 134 133.02
                 115 133.02
## [10,]
## [11,]
                 105 118.24
## [12,]
                 122 133.02
```

The chi-square quantile values in the table on the bottom of page 658 can be verified using the xqt() function.

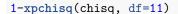


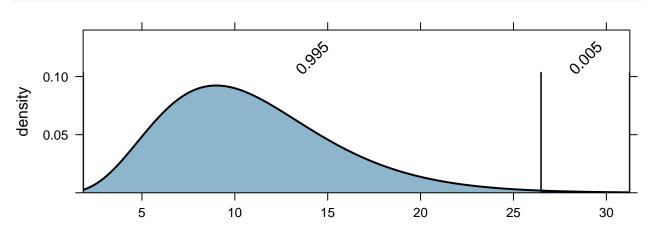
[1] 2.7055 3.8415 5.0239 6.6349 7.8794

These results match the first row: other values can be calculated by changing the df argument.

The goodness of fit test on page 659 can be verified by calculating the chi-square statistic.

[1] 26.484





[1] 0.005494

Section 24.2: Chi-square test of homogeneity

Data from one university regarding the association between postgraduation activity and area of study is displayed in Table 24.1 (page 663).

```
area <- c(rep("agriculture", 209), rep("arts/science", 198),</pre>
          rep("engineering", 177), rep("ILR", 101),
     rep("agriculture", 104), rep("arts/science", 171),
          rep("engineering", 158), rep("ILR", 33),
     rep("agriculture", 135), rep("arts/science", 115),
          rep("engineering", 39), rep("ILR", 16))
activity <- c(rep("Employed", 685), rep("Grad school", 466),
              rep("Other", 305))
tally(~ activity + area, margins=TRUE)
##
## activity
                agriculture arts/science engineering ILR Total
                                                  177 101
##
    Employed
                         209
                                      198
                                                             685
##
     Grad school
                         104
                                      171
                                                  158
                                                        33
                                                             466
##
    Other
                         135
                                      115
                                                  39
                                                             305
                                                        16
    Total
                         448
                                      484
##
                                                  374 150 1456
```

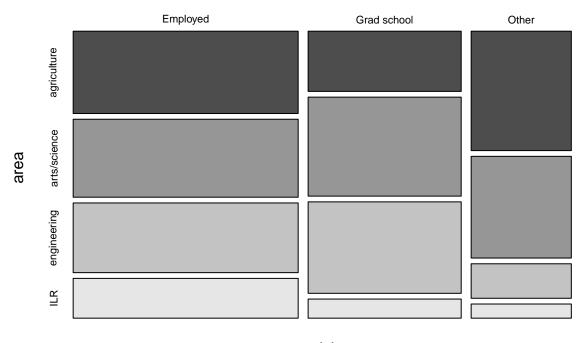
mosaicplot of activity by area

mosaicplot(tally(~ activity + area), main="mosaicplot of activity by area",

color=TRUE)

##

data: x



activity

```
##
## Pearson's Chi-squared test
```

```
## X-squared = 93.7, df = 6, p-value <2e-16
##
##
     209
              198
                       177
                                101
## (210.77) (227.71) (175.95) ( 70.57)
## [ 0.0149] [ 3.8754] [ 0.0062] [13.1215]
## <-0.122> <-1.969> < 0.079> < 3.622>
     104
##
              171
                       158
## (143.38) (154.91) (119.70) ( 48.01)
## [10.8181] [ 1.6720] [12.2543] [ 4.6918]
## <-3.289> < 1.293> < 3.501> <-2.166>
##
##
     135
                        39
                                 16
              115
## ( 93.85) (101.39) ( 78.34) ( 31.42)
## [18.0470] [ 1.8277] [19.7590] [ 7.5689]
## < 4.248> < 1.352> <-4.445> <-2.751>
##
## key:
##
  observed
## (expected)
## [contribution to X-squared]
   <Pearson residual>
```

Section 24.3: Examining the residuals

Note that the xchisq.test() function displays the standardized residuals as the last item in each cell of the table (and these match the results in Table 24.4 (page 668).