

or sample is roughly

1. A company bakes computer chips in two ovens, oven A and oven B. The chips are randomly assigned to an oven and hundreds of chips are baked each hour. The percentage of defective chips coming from these ovens for each hour of production throughout a day is shown below.

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. Carry out the -	
M4 - (0)	(0) - 11.1
t= MJ - (0) =	(4,28) W.
=	$\left(\frac{\frac{1.11}{4.28}}{3}\right) = 0.78$
.value = 2. P(+ > 0	78)

= 0.46

[d_	Hour	Oven A	Oven B
di	1	45	36 ·
da	2	32	37 ·
93	3	34	33 ·
44	4	31	34 .
<u>d</u> 5	5	35	33 .
96	6	37	32 .
81	7	31	33 .
dg	8	30	30 .
d <sub>3</sub>	9	27	24

1. Will conduct a Paired-t-test for the mean of the differences, and H.: Md=0 -

Ha: M1 + 0

2. For a 1-testue require!

Independent: observations are independent note 4 owns 'n' is very small in relation to all owns. 'N'

normality : Sample size is to small for to apply, however the differences appear to be normally olistribuld from normal q-q plat.

4. Results The differences in in the samples of defective chips produced by owns A and fon ci B Statistically

Signifiunt

as our o-value

of 0.46 3

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the mean percentage of defective chips produced each hour by oven A has a mean of 33.56 and a standard deviation of 5.20. The percentage of defective chips produced each hour by oven B has a mean of 32.44 and a standard deviation of 3.78. The hourly differences in percentages for oven A minus oven B have a mean of 1.11 and a standard deviation of 4.28

> Does there appear to be a difference in between oven A and oven B with respect to the mean percentages of defective chips produced? Give appropriate statistical evidence to support your answer.

- 2. A grocery store purchases melons from two distributors, J and K. Distributor J provides melons from organic farms. The distribution of the diameters of the melons from Distributor J is approximately normal with mean 133 millimeters (mm) and standard deviation 5 mm. more than \$ = 0.05 (a)
  - For a melon selected at random from Distributor J, what is the probability that the melon will have a diameter greater than (137) mm? Distributor K provides melons from nonorganic farms. The probability is 0.8413 that a melon selected at random from Distributor K will have a diameter greater than 137 mm. For all the melons at the grocery store, 70 percent of the melons are provided by Distributor J and 30 percent are provided by Distributor K

If thre was no difference in the percentages, the absolut difference ef 1.11 or grater would happen 46% the time with random sampling.

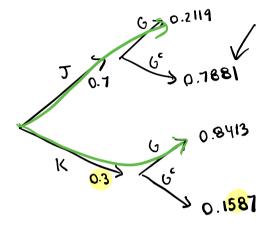
Let x denote the diameter of a randomly selected melon from distributer J.

Z- score = 
$$\frac{x-i\hat{u}}{\sigma} = \frac{(37-133)}{5} = \frac{4}{5} = 0.8$$

M=133 137 5:5

normal cof (16=0.8, ub=100000, u=0, 5=1) normal cdf (lb=137, ub=10000000, M=133, 5:5) ~~

21.27. of melans will have a diranely grader than 137 mm. (b) For a melon selected at random from the grocery store, what is the probability that the melon will have a diameter greater than 137 mm?



$$b(Q) = \underbrace{b(Q12) \cdot b(2)}_{b(Q \text{ and } k)} + \underbrace{b(Q \text{ and } k)}_{b(Q \text{ and } k)}$$

Here is a 40.1% (honce a melon has a dioneter greaker than 137-

$$P(A1B) = \frac{P(B1A) \cdot P(A)}{P(B)}$$

(c) Given that a melon selected at random from the grocery store has a diameter greater than 137 mm, what is the probability that the melon will be from Distributor J?

7 mm, what is the probability that the melon will be from Distributor J?

$$P(J | G) = P(G | J) P(J) = P(J \text{ and } G)$$

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37.1.1 of the time the melon will be from distribution J, given its diarreter is > 137 mm.

3.	A laboratory test for the detection of a certain disease gives a positive result 5 percent of	of the
	time for people who do not have the disease. The test gives a negative result 0.3 percent	of the
	time for people who have the disease. Large-scale studies have shown that the disease of	occurs
	in about 2 percent of the population.	

(a) What is the probability that a person selected at random would test positive for this disease? Show your work.

(b) What is the probability that a person selected at random who tests positive for the disease does not have the disease? Show your work.