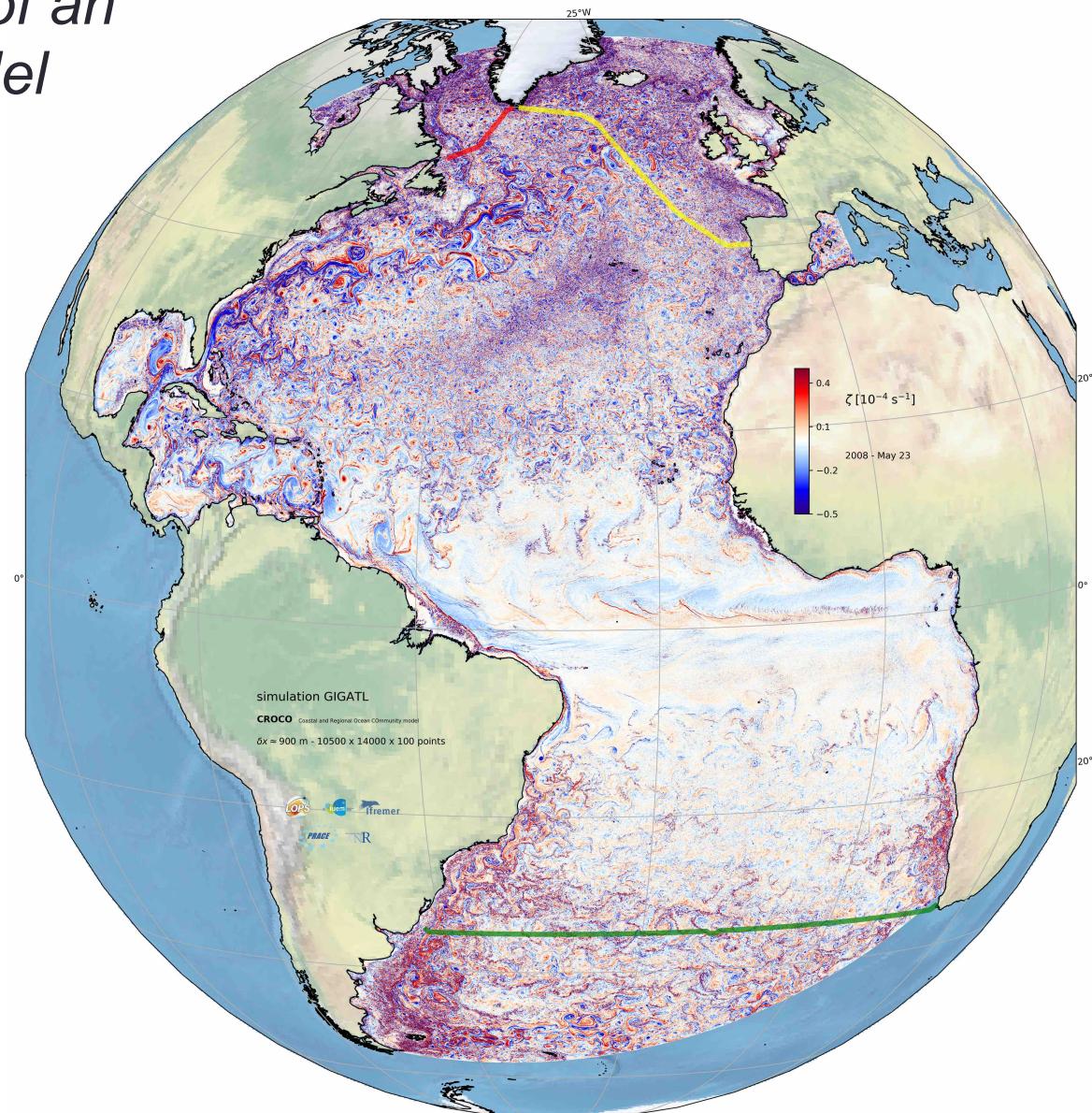


Numerical Modelling

Jonathan GULA
gula@univ-brest.fr

*the anatomy of an
ocean model*



- **Lesson 1 :**
 - Introduction
 - Equations of motions
 - *Activity 1 [run an ocean model]*
- **Lesson 2 : [D109]**
 - Horizontal Discretization
 - *Activity 2 [Dynamics of an ocean gyre]*
- **Lesson 3 : [D109]**
 - Numerical schemes
 - *Activity 3 [Impacts of numerics]*
- **Lesson 4 : [D109]**
 - Vertical coordinates
 - Model parameterizations
 - *Activity 4 [Impact of topography]*
- **Lesson 5 : [D109]**
 - Boundary Forcings
 - Presentation of the model CROCO
 - *Activity 4 [Design a realistic simulation]*
- **Lesson 6 : [D109]**
 - Diagnostics and validation
 - *Activity 5 [Analyze a realistic simulation]*
- **Lesson 7 : [D109]**
 - *Work on your projet*

Presentations and material
will be available at :

jgula.fr/ModNum/

Numerical Modelling

Jonathan GULA
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Evaluation

- The evaluation is based on a project, which consists in setting up a realistic configuration of the region of your choice, run the experiment and perform some analysis.
- Written Report **due for Dec. 18**

Useful references

Extensive courses:

- MIT: <https://ocw.mit.edu/courses/earth-atmospheric-and-planetary-sciences/12-950-atmospheric-and-oceanic-modeling-spring-2004/lecture-notes/>
- Princeton: https://stephengriffies.github.io/assets/pdfs/GFM_lectures.pdf

Overview on ocean modelling and current challenges:

- Griffies et al., 2000, Developments in ocean climate modelling, Ocean Modelling. <http://jgula.fr/ModNum/Griffiesetal00.pdf>
- Griffies, 2006, "Some Ocean Model Fundamentals", In "Ocean Weather Forecasting: An Integrated View of Oceanography", 2006, Springer Netherlands. http://jgula.fr/ModNum/Griffies_Chapter.pdf
- Fox-Kemper et al, 19, "Challenges and Prospects in Ocean Circulation Models" <http://jgula.fr/ModNum/FoxKemperetal19.pdf>

ROMS/CROCO:

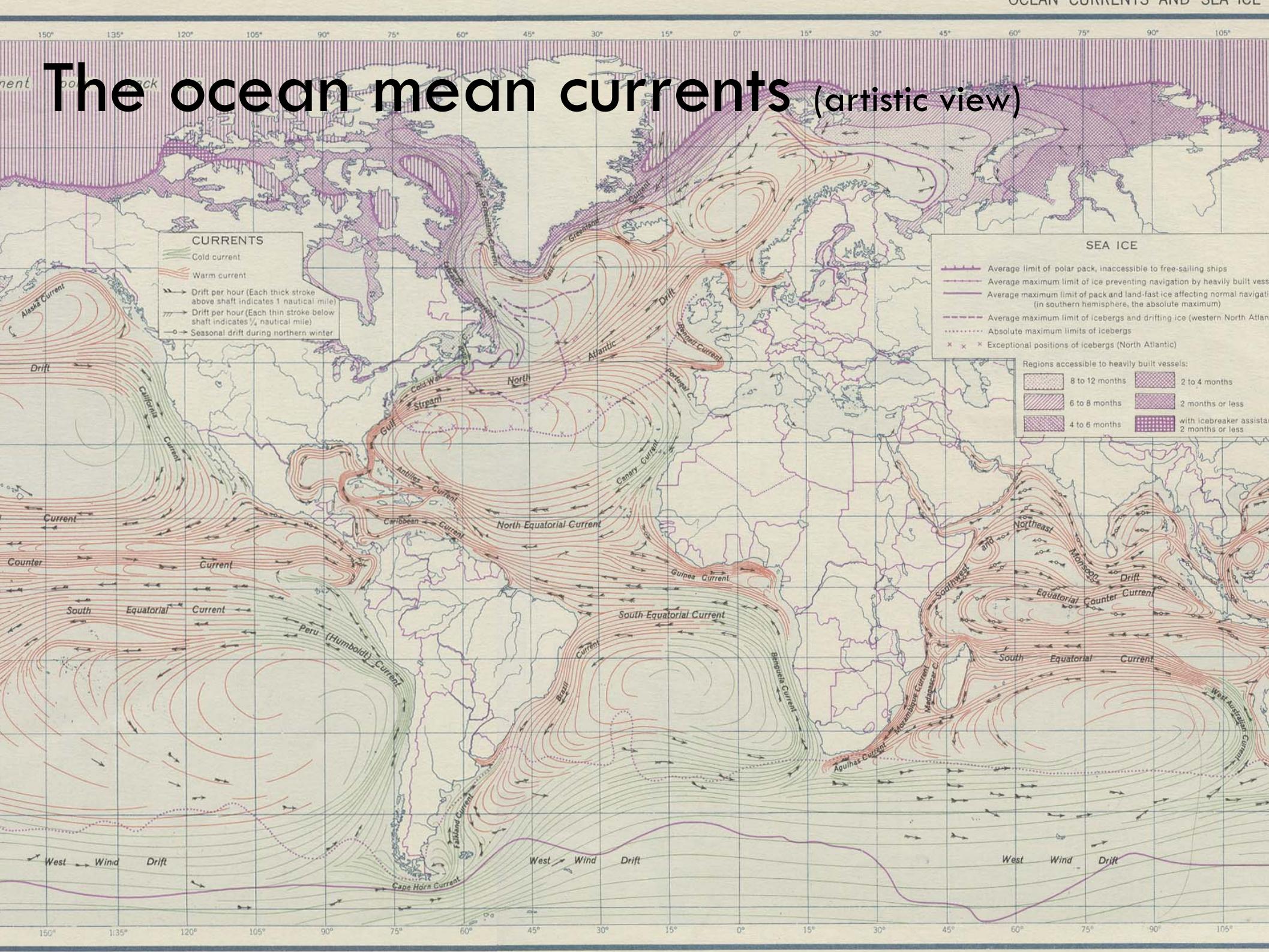
- <https://www.croc-ocean.org/documentation/>
- Shchepetkin, A., and J. McWilliams, 2005: The Regional Oceanic Modeling System (ROMS): A split-explicit, free-surface, topography-following- coordinate ocean model. Ocean Modell. <http://jgula.fr/ModNum/ShchepetkinMcWilliams05.pdf>

Introduction

Master's degree 2nd year Marine Physics

Jonathan GULA
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The ocean mean currents (artistic view)



Can be understood using theory and simplified models

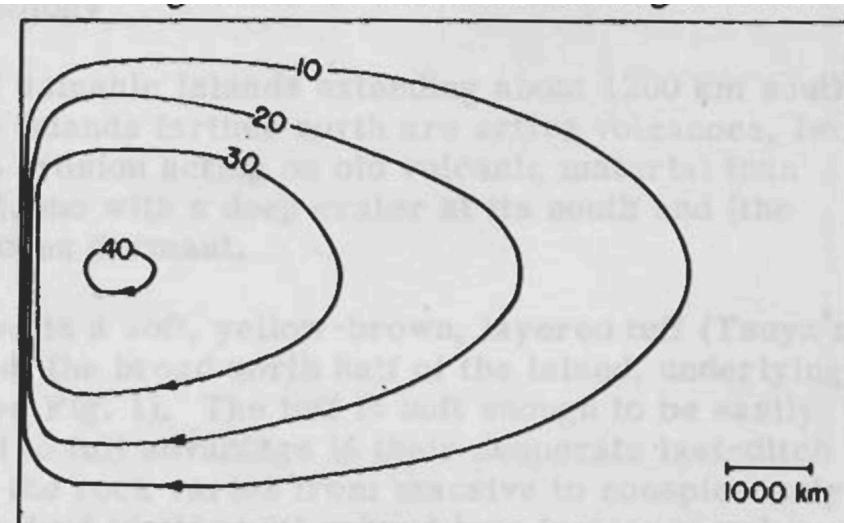
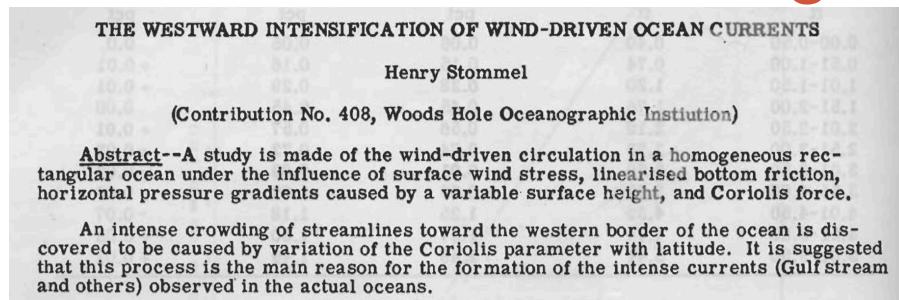


Fig. 5--Streamlines for the case where the Coriolis force is a linear function of latitude

JOURNAL OF METEOROLOGY

ON THE WIND-DRIVEN OCEAN CIRCULATION

By Walter H. Munk

Institute of Geophysics and Scripps Institution of Oceanography, University of California¹
(Manuscript received 24 September 1949)

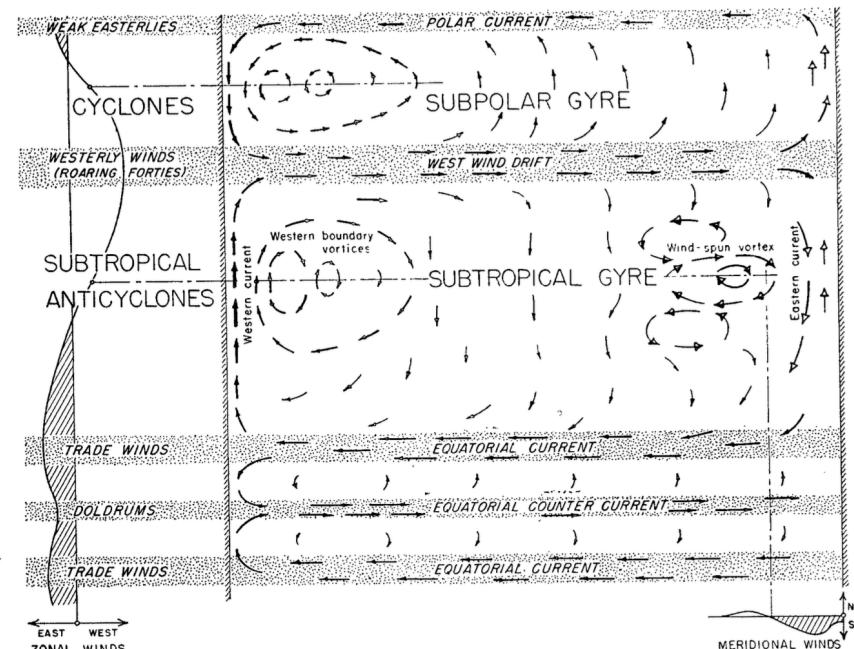
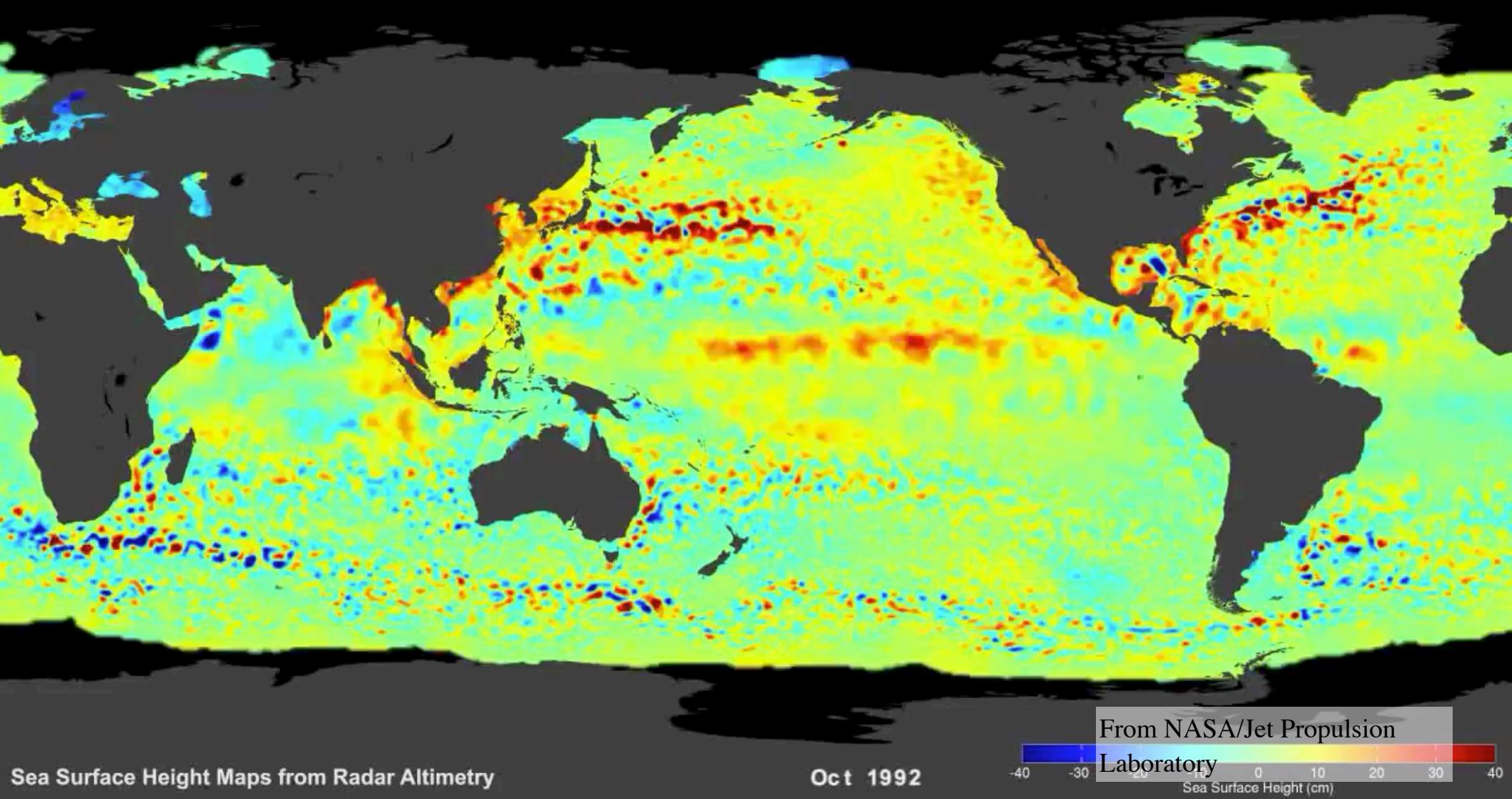
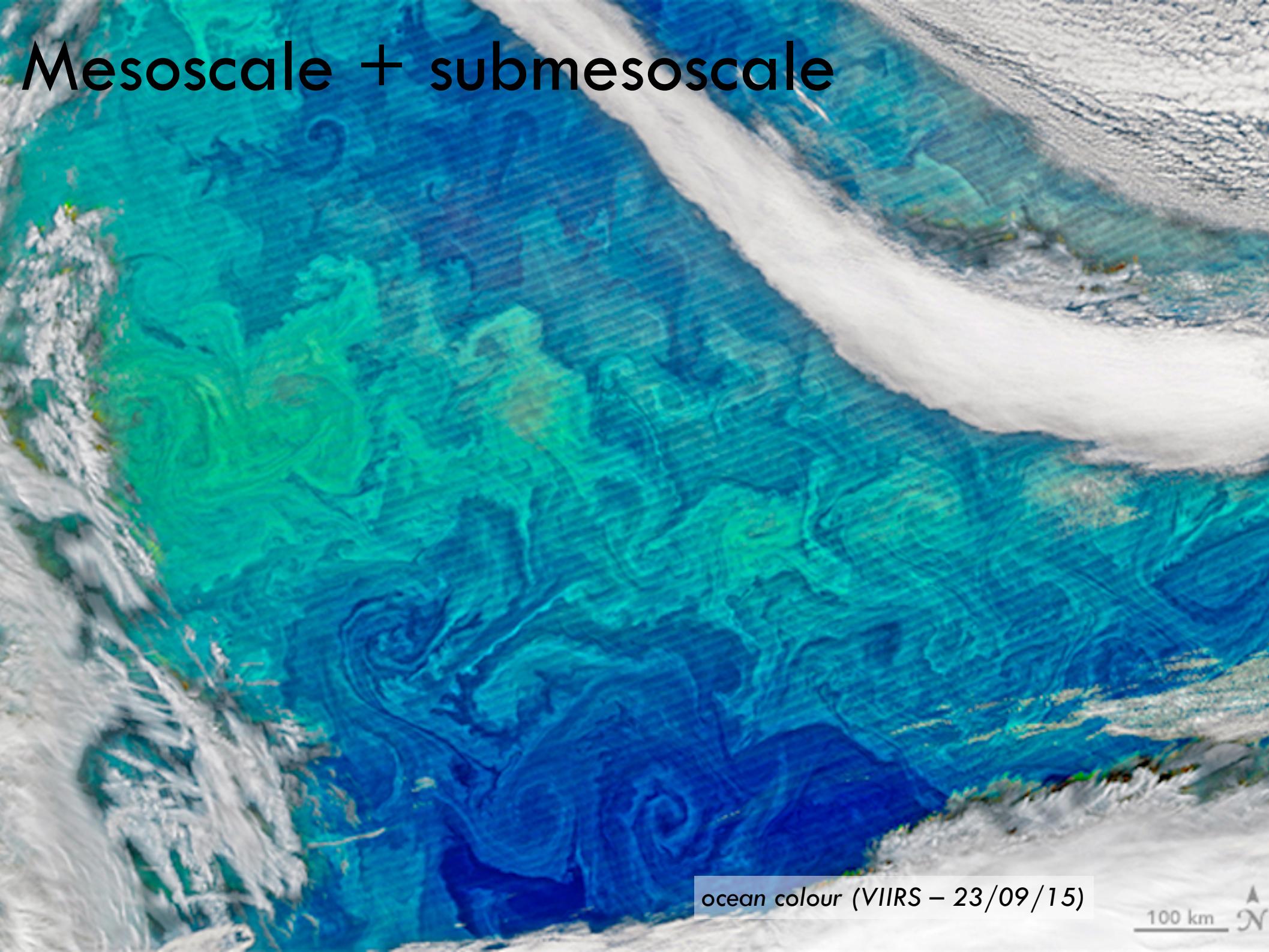


FIG. 8. Schematic presentation of circulation in a rectangular ocean resulting from zonal winds (filled arrowheads), meridional winds (open arrowheads), or both (half-filled arrowheads). The width of the arrows is an indication of the strength of the currents. The nomenclature applies to either hemisphere, but in the Southern Hemisphere the subpolar gyre is replaced largely by the Antarctic Circumpolar Current (west wind drift) flowing around the world. Geographic names of the currents in various oceans are summarized in table 3.

But reality is much more turbulent:



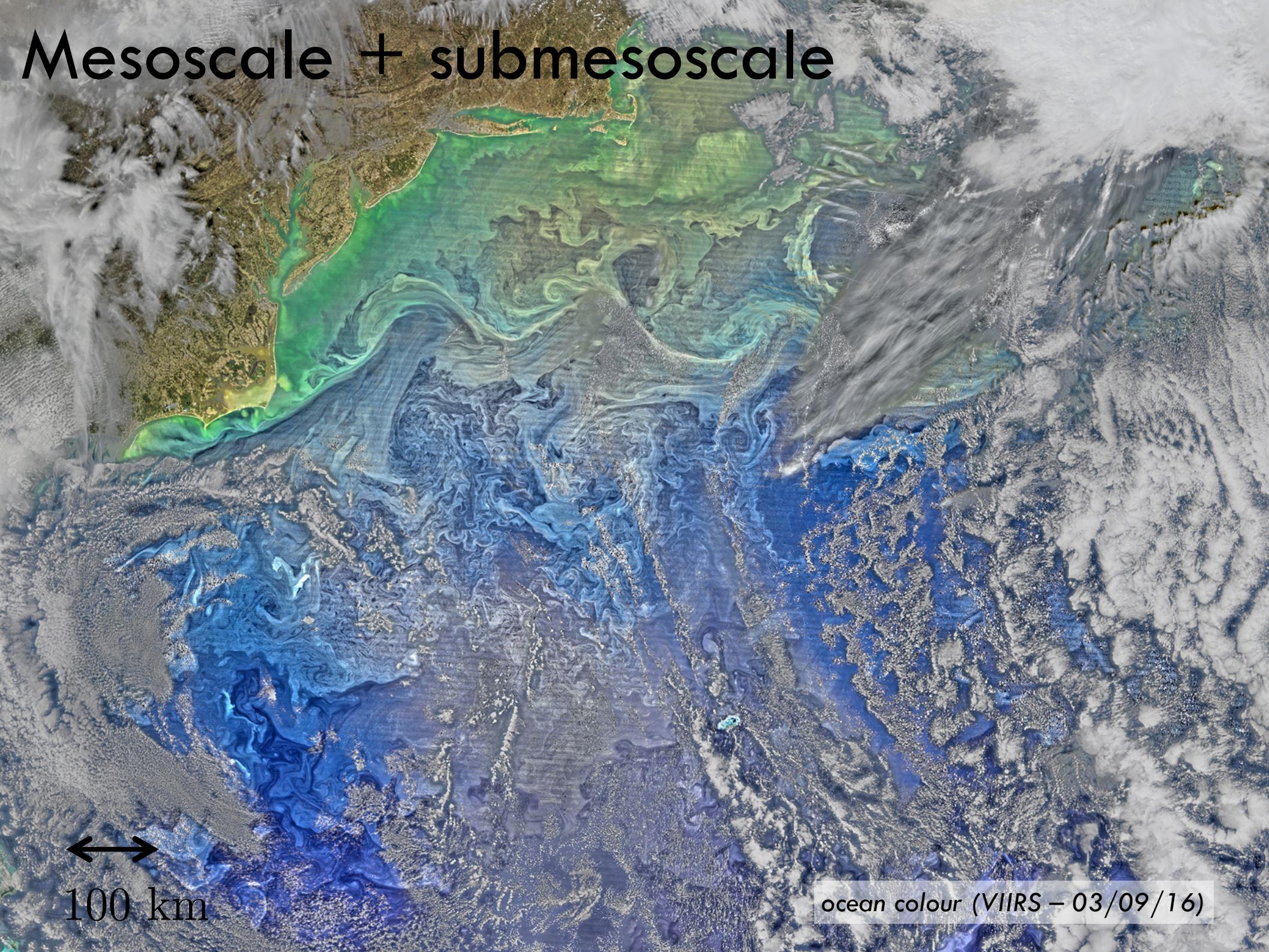
Mesoscale + submesoscale



ocean colour (VIIRS – 23/09/15)

100 km 

Mesoscale + submesoscale



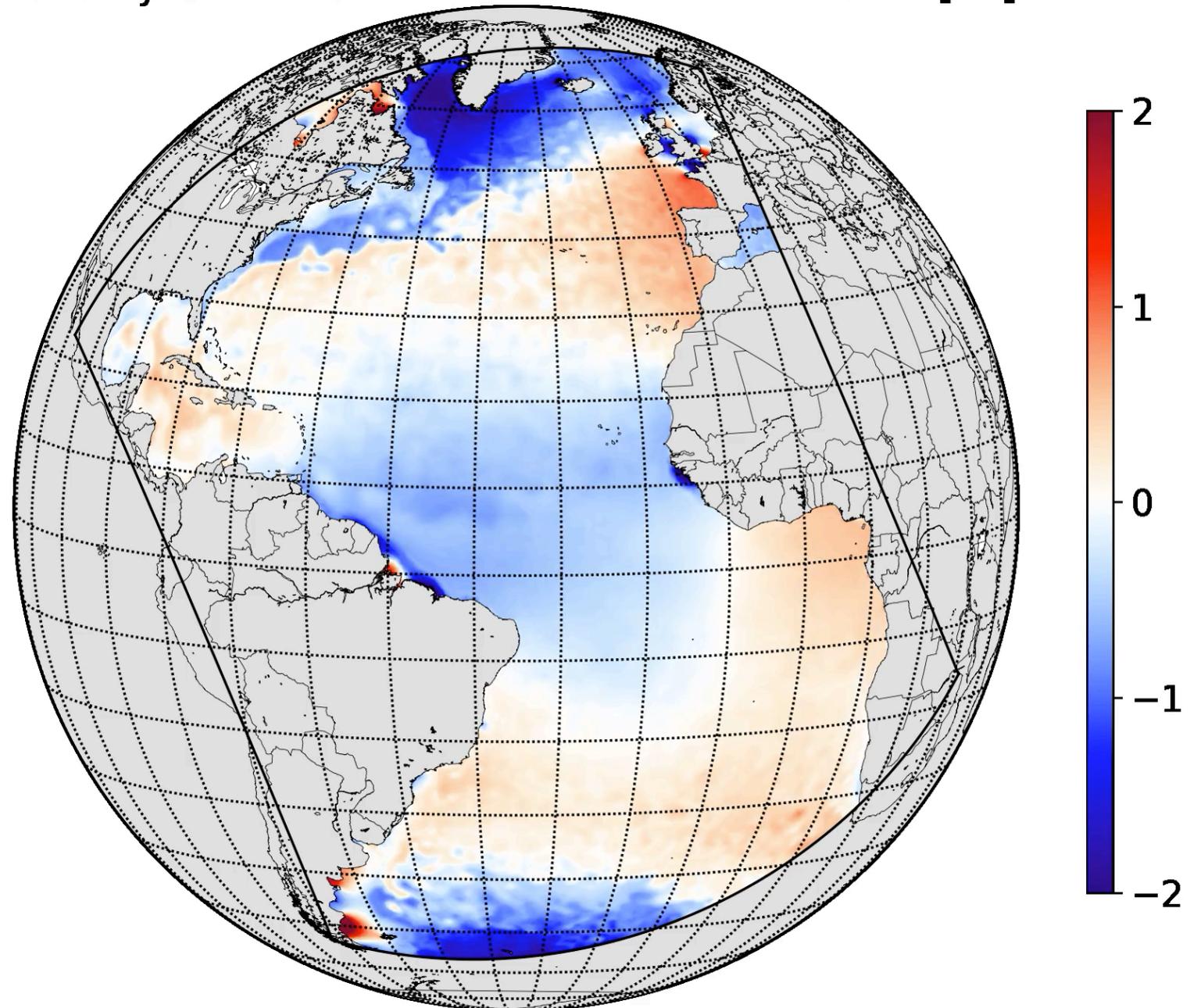
100 km

ocean colour (VIIRS – 03/09/16)

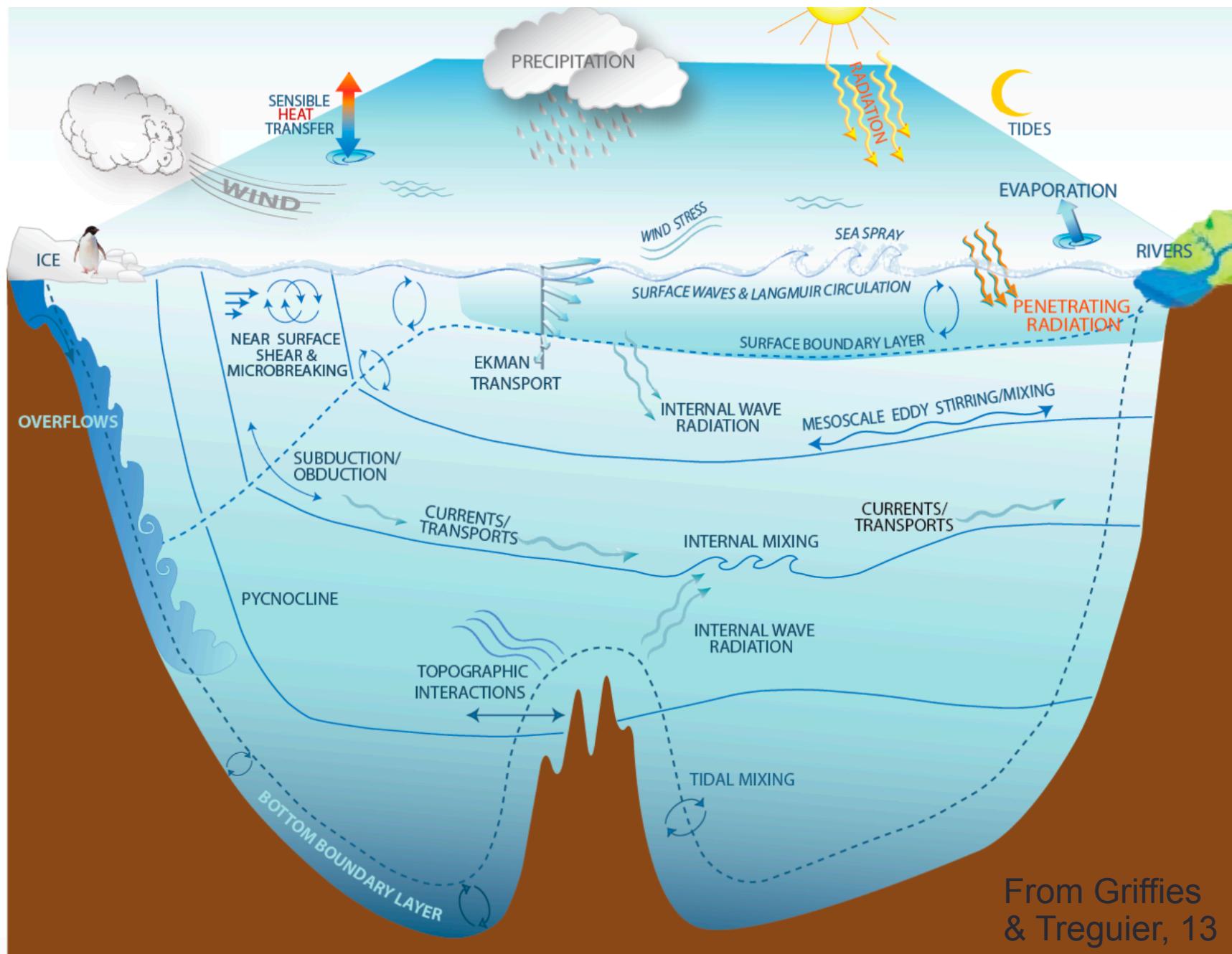
And HF motions like tides:

2005 - Jan 15 - 03:00

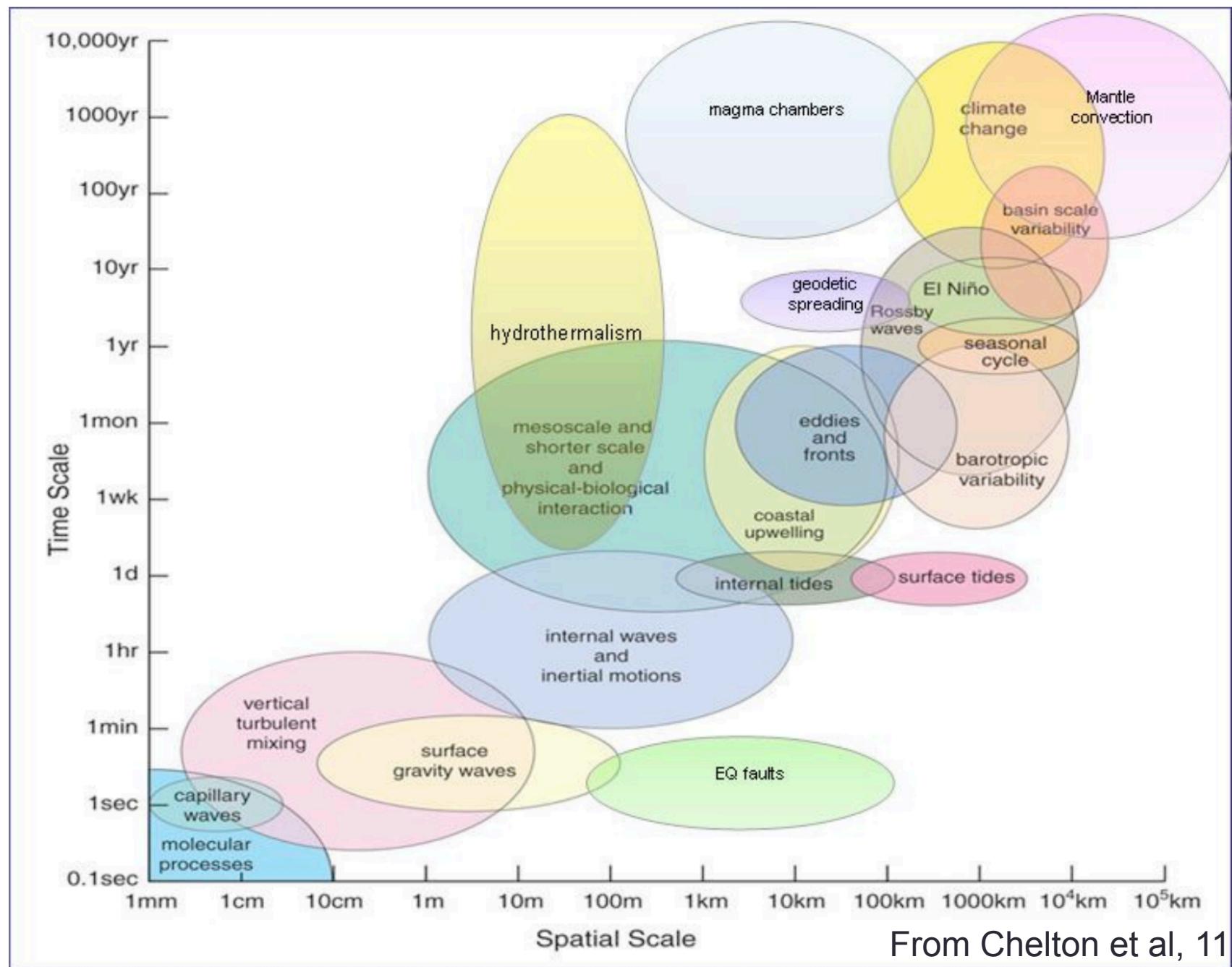
SSH [m]



A zoo of processes and scales



Temporal and spatial scales in the ocean



We know the equations:

Navier-Stokes
[Momentum equations]

$$\frac{\partial \vec{u}}{\partial t} + \vec{u} \cdot \vec{\nabla} \vec{u} + 2\vec{\Omega} \times \vec{u} + g\vec{k} = -\frac{\vec{\nabla} P}{\rho} + \vec{\mathcal{F}}$$

Conservation of mass

$$\frac{\partial \rho}{\partial t} + \vec{\nabla} \cdot \rho \vec{u} = 0$$

Conservation of heat

$$\frac{DT}{Dt} = \mathcal{S}_T$$

Conservation of salinity

$$\frac{DS}{Dt} = \mathcal{S}_S$$

Equation of state

$$\rho = \rho(T, S, p)$$

We know the equations:

Navier-Stokes
[Momentum equations]

$$\frac{\partial \vec{u}}{\partial t} + \vec{u} \cdot \vec{\nabla} \vec{u} + 2\vec{\Omega} \times \vec{u} + g\vec{k} = -\frac{\vec{\nabla} P}{\rho} + \vec{\mathcal{F}}$$

Conservation of mass

$$\frac{\partial \rho}{\partial t} + \vec{\nabla} \cdot \rho \vec{u} = 0$$

Conservation of heat

$$\frac{DT}{Dt} = \mathcal{S}_T$$

Conservation of salinity

$$\frac{DS}{Dt} = \mathcal{S}_S$$

Equation of state

$$\rho = \rho(T, S, p)$$

But we don't know the solutions...

We know the equations:

Millennium Prize problems

Navier–Stokes existence and smoothness

The Clay Mathematics Institute in May 2000 made this problem one of its seven [Millennium Prize problems](#) in mathematics. It offered a [US \\$1,000,000](#) prize to the first person providing a solution for a specific statement of the problem:^[1]

Prove or give a counter-example of the following statement:

In three space dimensions and time, given an initial velocity field, there exists a vector velocity and a scalar pressure field, which are both smooth and globally defined, that solve the Navier–Stokes equations.

We know the equations:

Navier-Stokes
[Momentum equations]

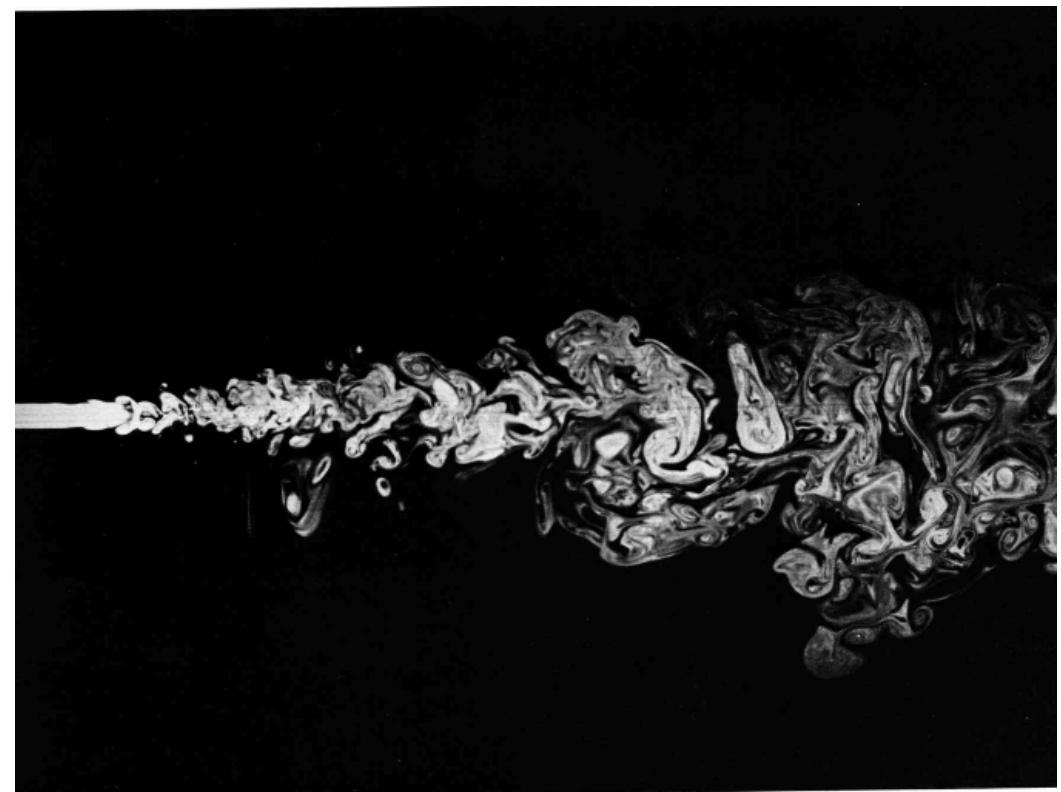
$$\frac{\partial \vec{u}}{\partial t} + \vec{u} \cdot \vec{\nabla} \vec{u} + 2\vec{\Omega} \times \vec{u} + g\vec{k} = -\frac{\vec{\nabla} P}{\rho} + \vec{\mathcal{F}}$$

Non-linear terms = Turbulence



turbolenza by da Vinci [1507]

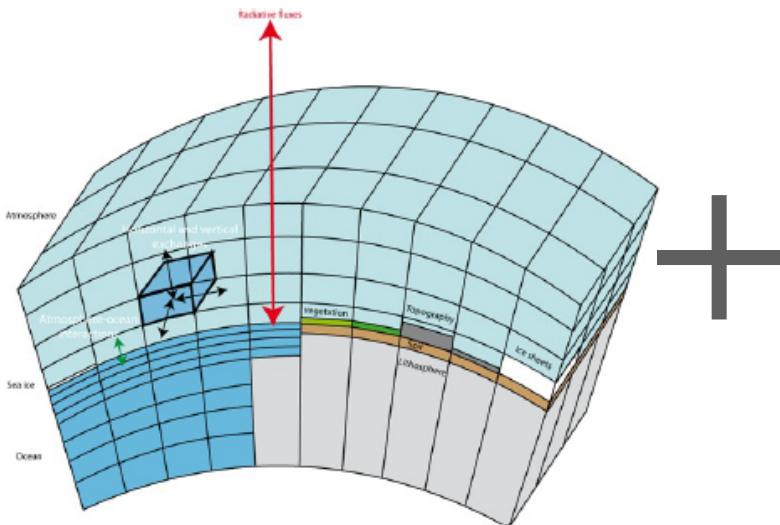
*Big whorls have little whorls,
which feed on their velocity;
And little whorls have lesser whorls,
And so on to viscosity.*
L.F. Richardson [1922]



Turbulent water jet ($Re = 2300$) [Van Dyke, 82]

$$\frac{\partial \vec{u}}{\partial t} + \vec{u} \cdot \vec{\nabla} \vec{u} + 2\vec{\Omega} \times \vec{u} + g\vec{k} = -\frac{\vec{\nabla} P}{\rho} + \vec{\mathcal{F}}$$

Navier Stokes equations



Grid Discretization



Supercomputer (Curie – CEA)

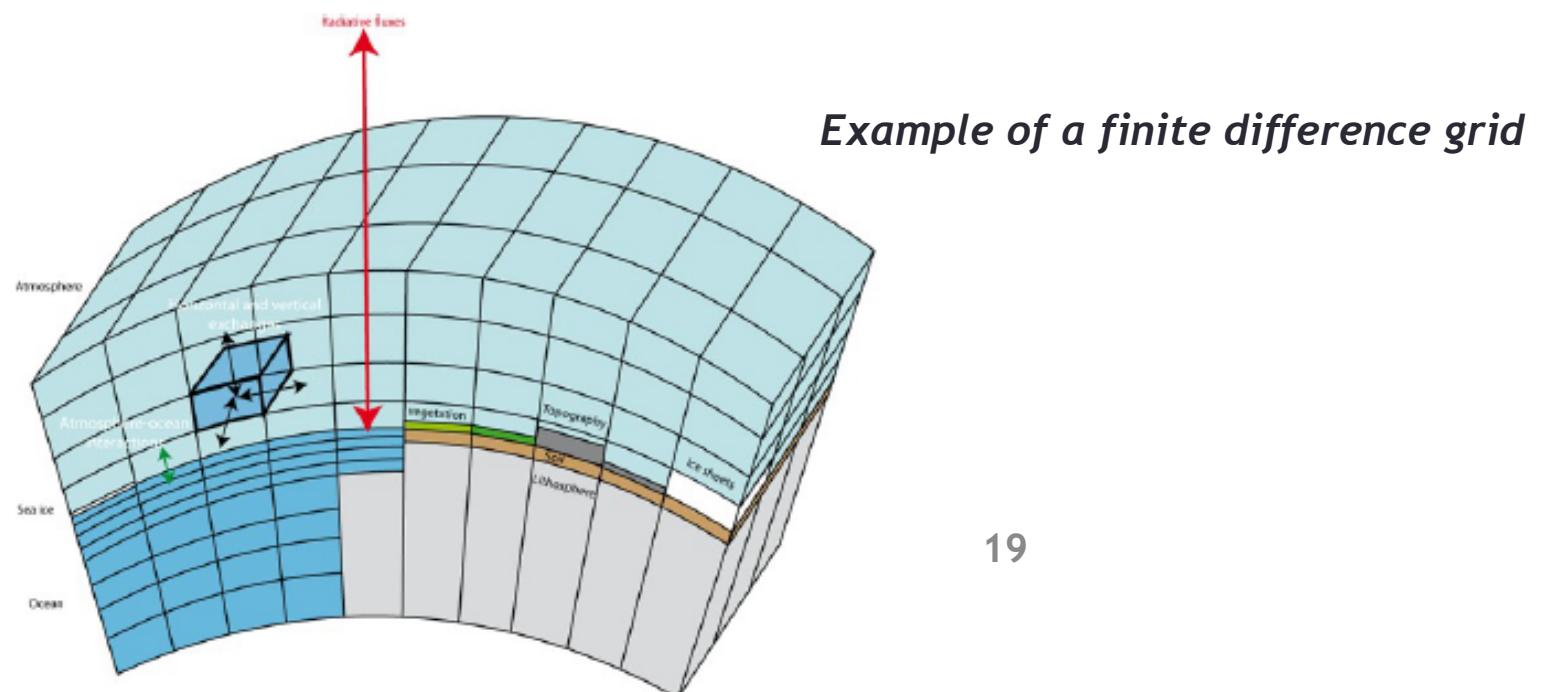
One way to solve them (approximately): Numerical modelling

Ocean modeling principle

An ocean model is simplified representation of physical processes that take place in the ocean.

The ocean is divided into boxes : **discretization**

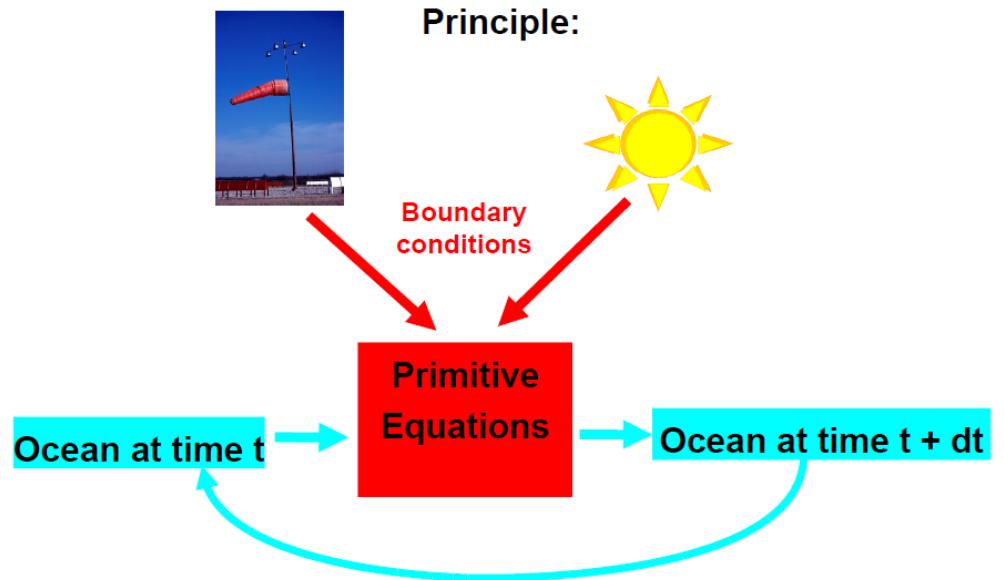
The NS equations can be solved on the grid using numerical methods



Ocean modeling principle

If we know:

- The ocean state at time t :
 u, v, w, T, S, \dots
- Boundary conditions :
surface, bottom, lateral sides



→ We can compute the ocean state at time $t+dt$ using numerical approximations of fluid dynamics equations

Ocean modeling principle

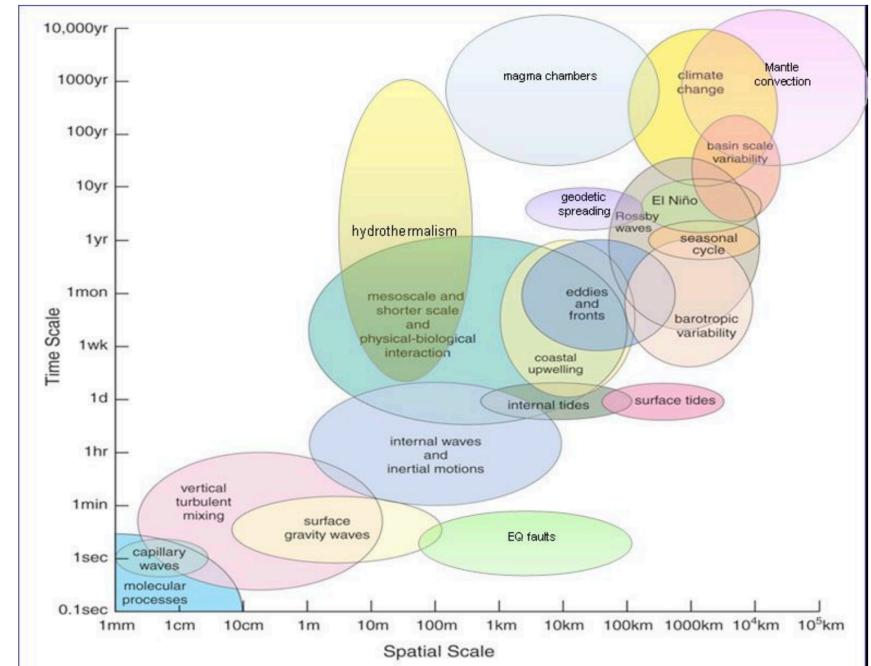
One major Problem:

Setting the model's grid scale to the Kolmogorov length (to resolve diffusive processes)
 $\Delta = 10^{-3}\text{m}$ over a global ocean domain of volume $1.3 \times 10^{18} \text{ m}^3$ requires 1.3×10^{27} discrete grid cells.

And Direct Numerical Simulation (DNS) of the global ocean climate requires 3×10^{10} time steps of one second (1000 years).

So we will be dust long before DNS of global ocean climate is possible:

In the meantime, we must use **subgrid scale parameterizations** to simulate the ocean.



Ocean Circulation Models

- ROMS → CROCO <https://www.croc-ocean.org/>
- NEMO <http://www.nemo-ocean.eu/>
- MITgcm <http://mitgcm.org/>
- HYCOM <http://hycom.org/>
- POP <http://www.cesm.ucar.edu/models/cesm1.0/pop2/>
- OFES <http://www.jamstec.go.jp/esc/ofes/eng/>
- MOM <http://www.gfdl.noaa.gov/ocean-model>
- POM <http://www.ccpo.odu.edu/POMWEB/>
- etc

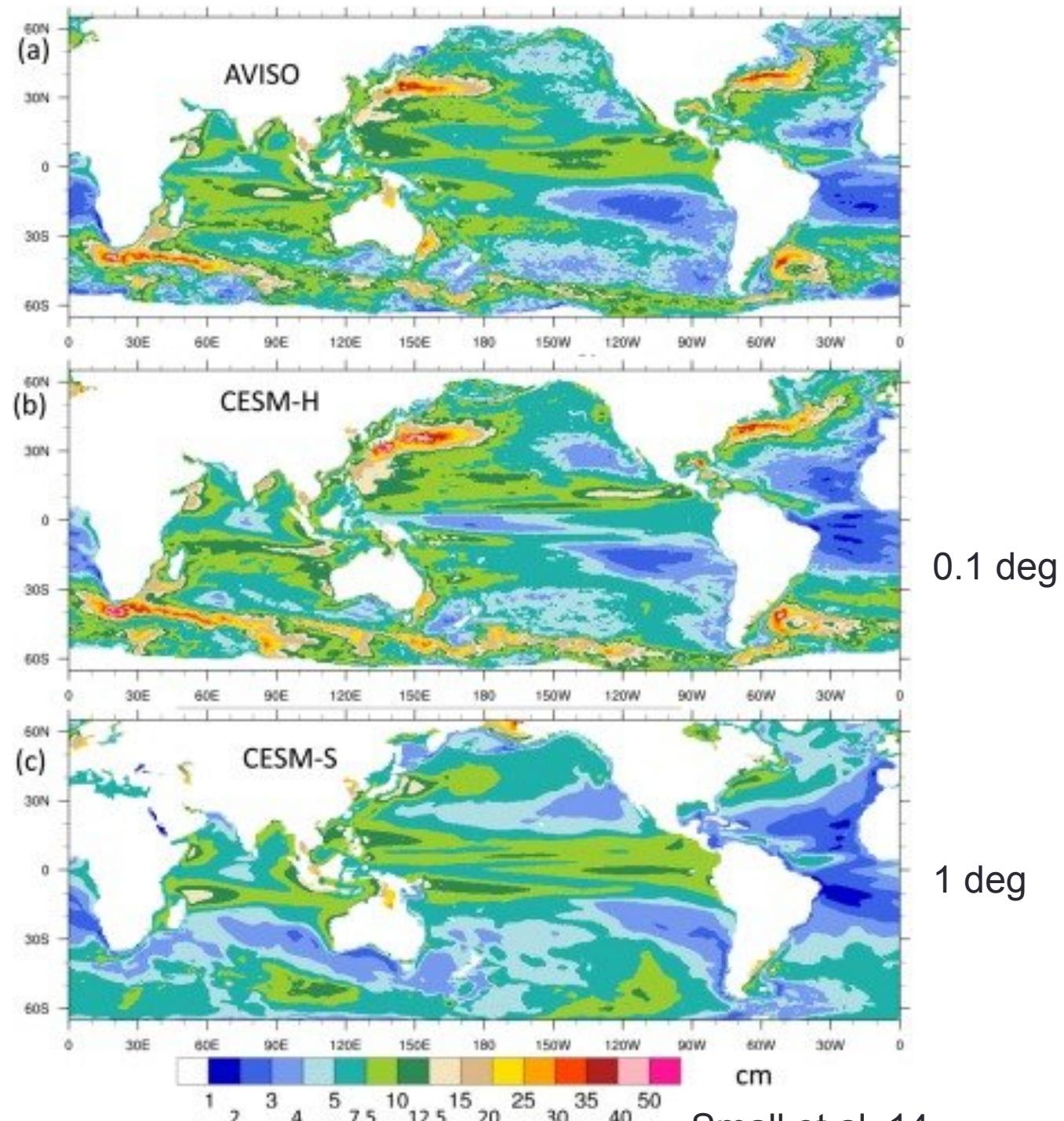
Ocean Circulation Models

- Mechanistic studies of ocean and climate processes:
 - Process studies using fine resolution (≤ 1 km) simulations (**MITgcm**, **SUNTANS**, **CROCO-NH**)
 - Mechanisms for coastal and shelf processes (≤ 10 km) (**ROMS/CROCO**, **MARS3D**, **HYCOM**)
 - Mechanisms for climate variability (basin to global) (**MOM6**, **NEMO**)
- Operational predictions and state estimation
 - Coastal forecasting India **INCOIS**
 - Coastal forecasting USA **NCEP**
 - Ocean state estimation **ECCO**
- Projections for future climate change
 - IPCC-class simulations with anthropogenic forcing (**CMIP**)
 -

Ocean Modelling example:

IPCC global run

**Typical length =
100 - 1000 years**



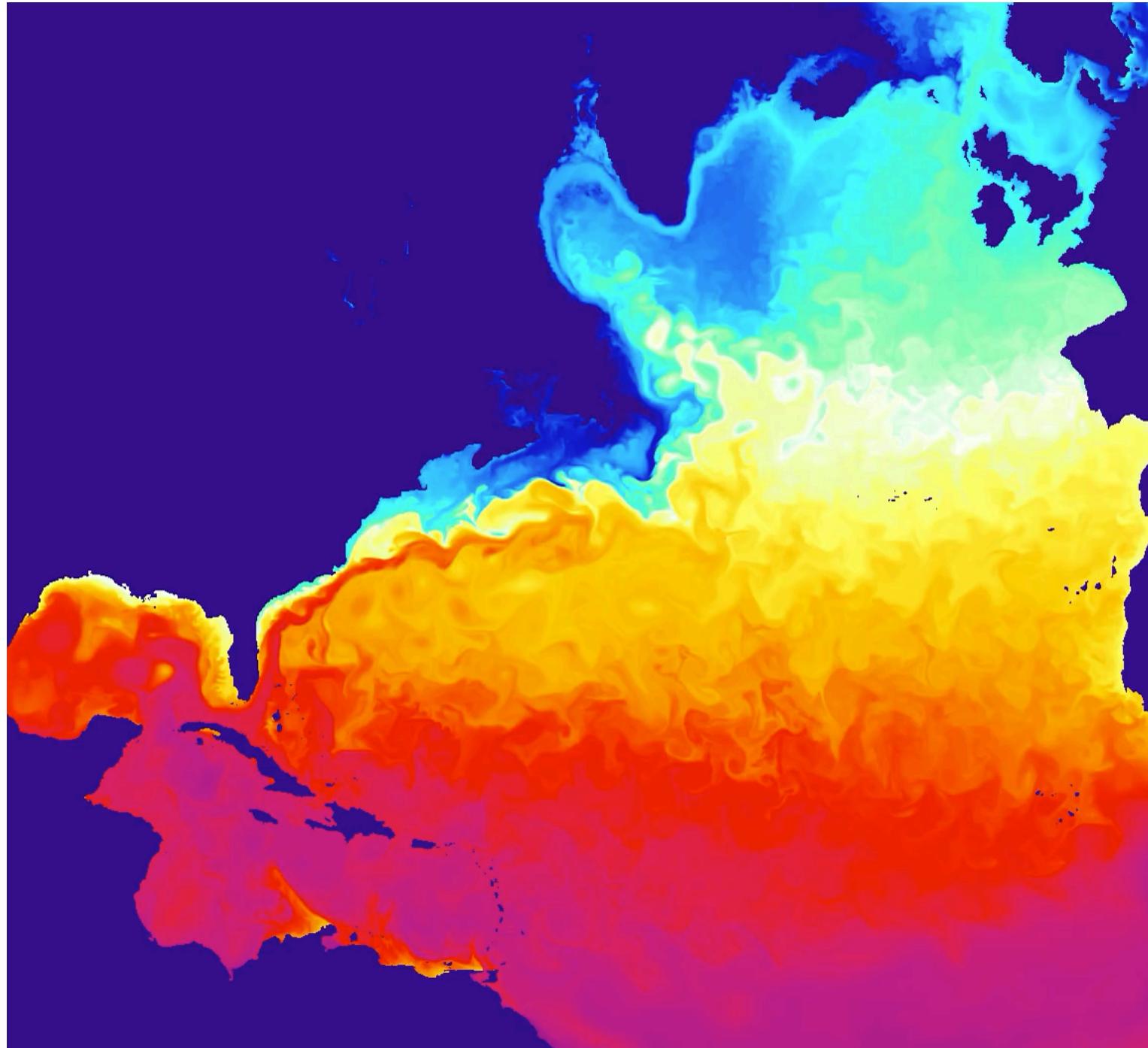
Ocean Modelling example:

*Mesoscale-
resolving basin-
scale simulation*

*Typical length =
10 - 100 years*

North-Atlantic
coupled simulations:

- oceanic model (6 km)
- atmospheric model (18 km)



Realistic

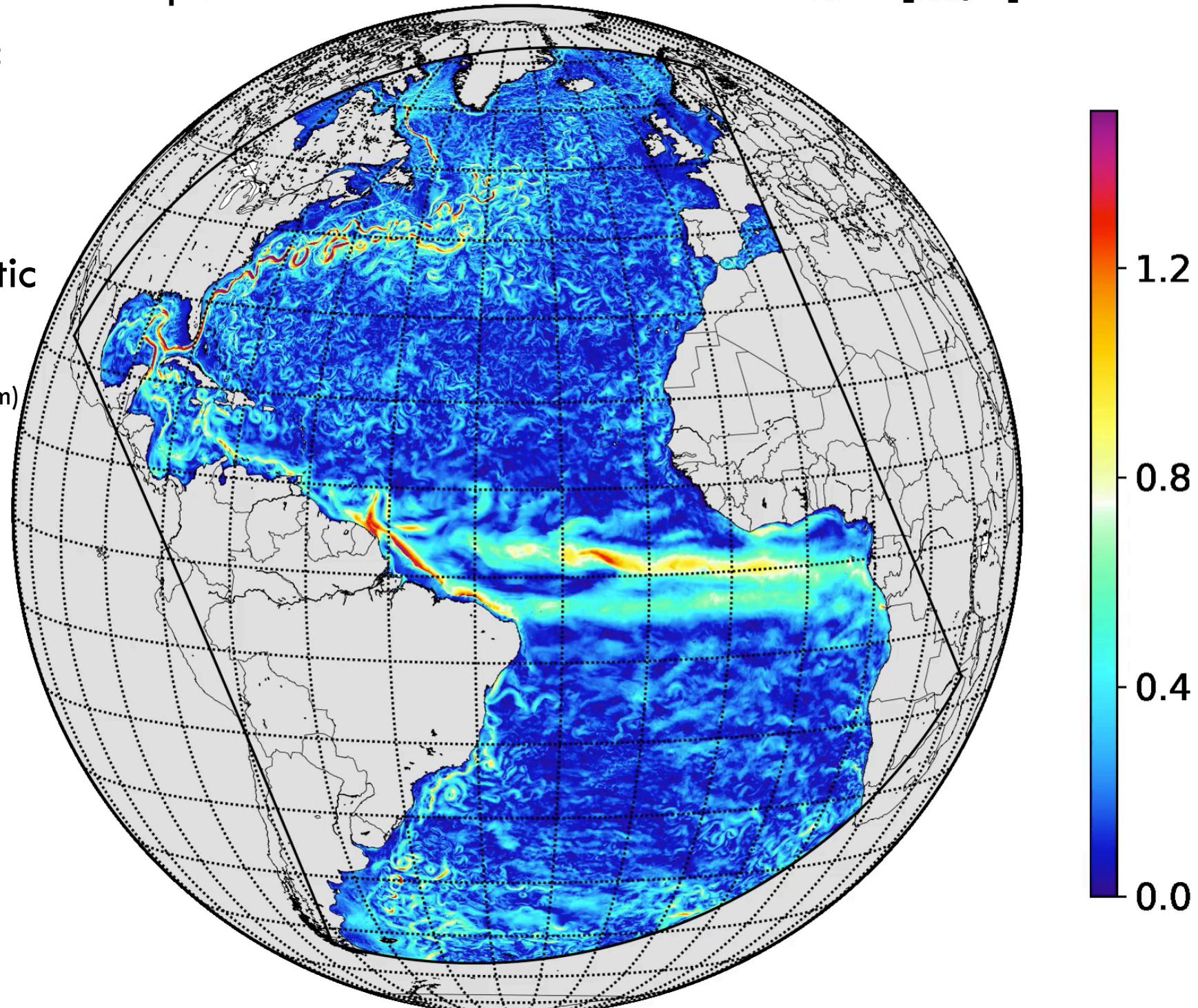
2004 - Apr 07 - 08:00

currents [m/s]

Modelling:

Forced Atlantic
simulations:

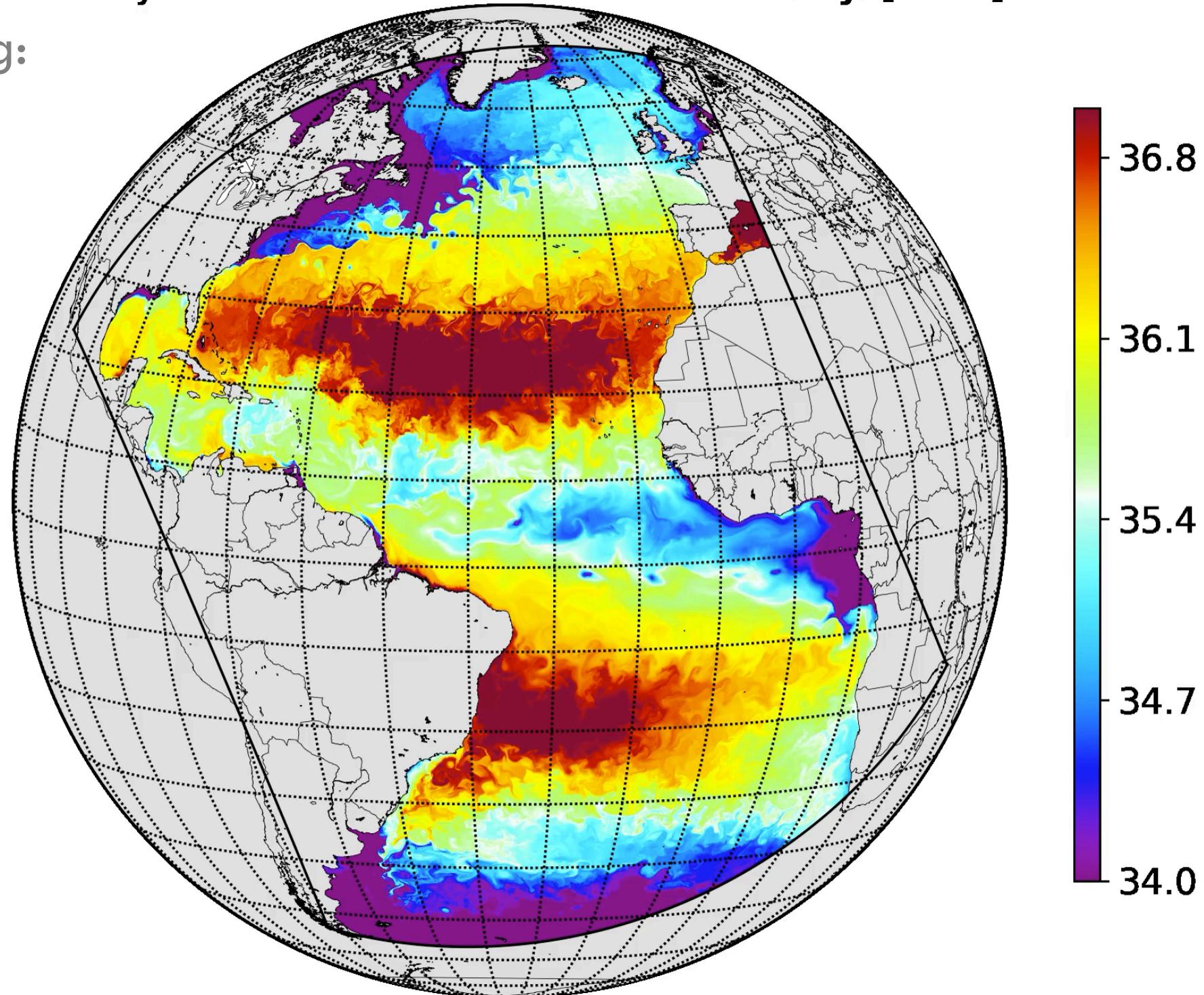
- oceanic model (3 km)



Realistic 2005 - Jan 09 - 11:00

salinity [PSU]

Modelling:



Realistic

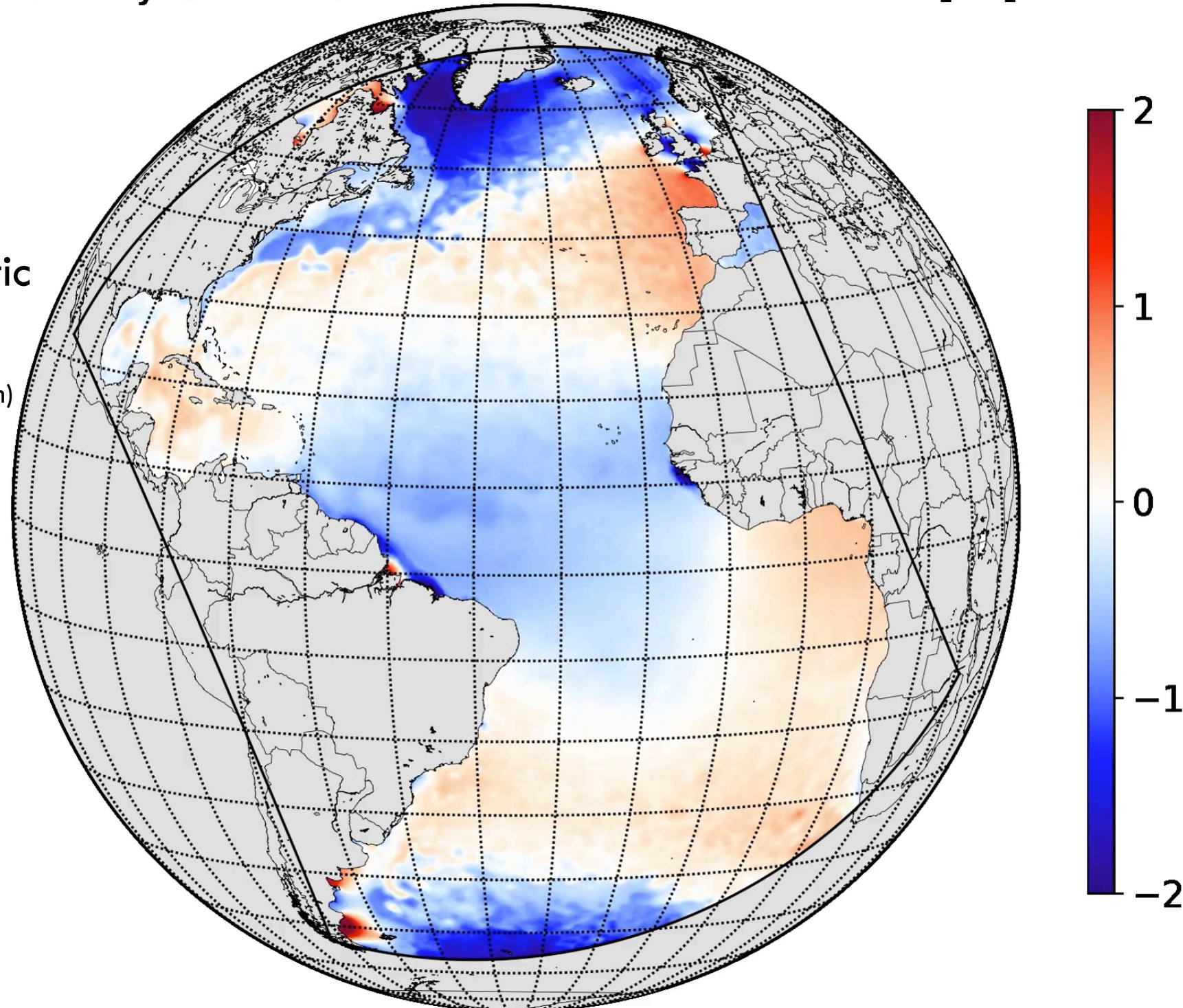
2005 - Jan 15 - 03:00

SSH [m]

Modelling:

Forced Atlantic
simulations:

- oceanic model (3 km)



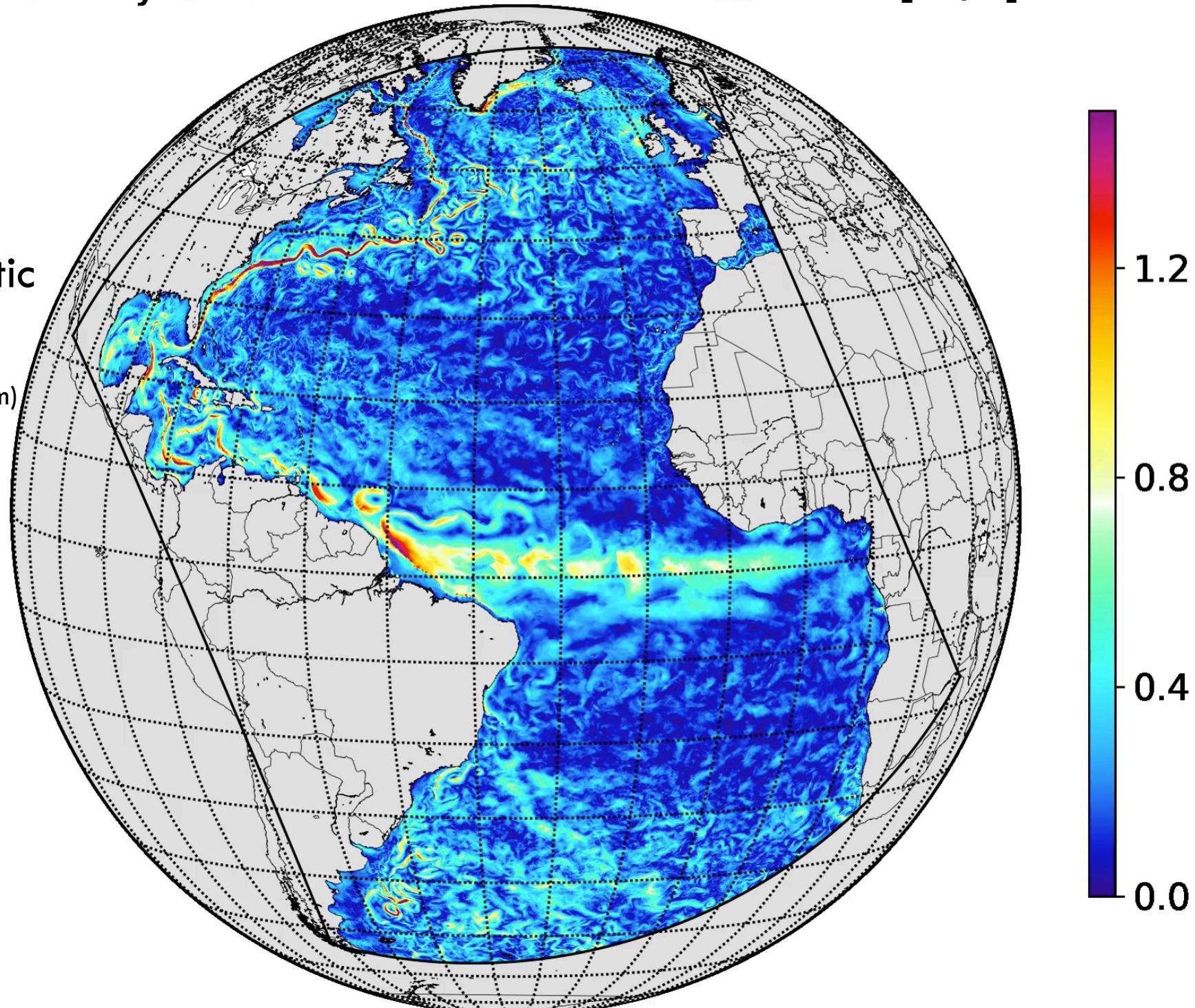
Realistic 2005 - Jan 14 - 00:00

currents [m/s]

Modelling:

Forced Atlantic
simulations:

- oceanic model (3 km)



Basin-scale configuration **GIGATL**

***Submesoscale-permitting
basin-scale simulation***

Typical length = 1 year

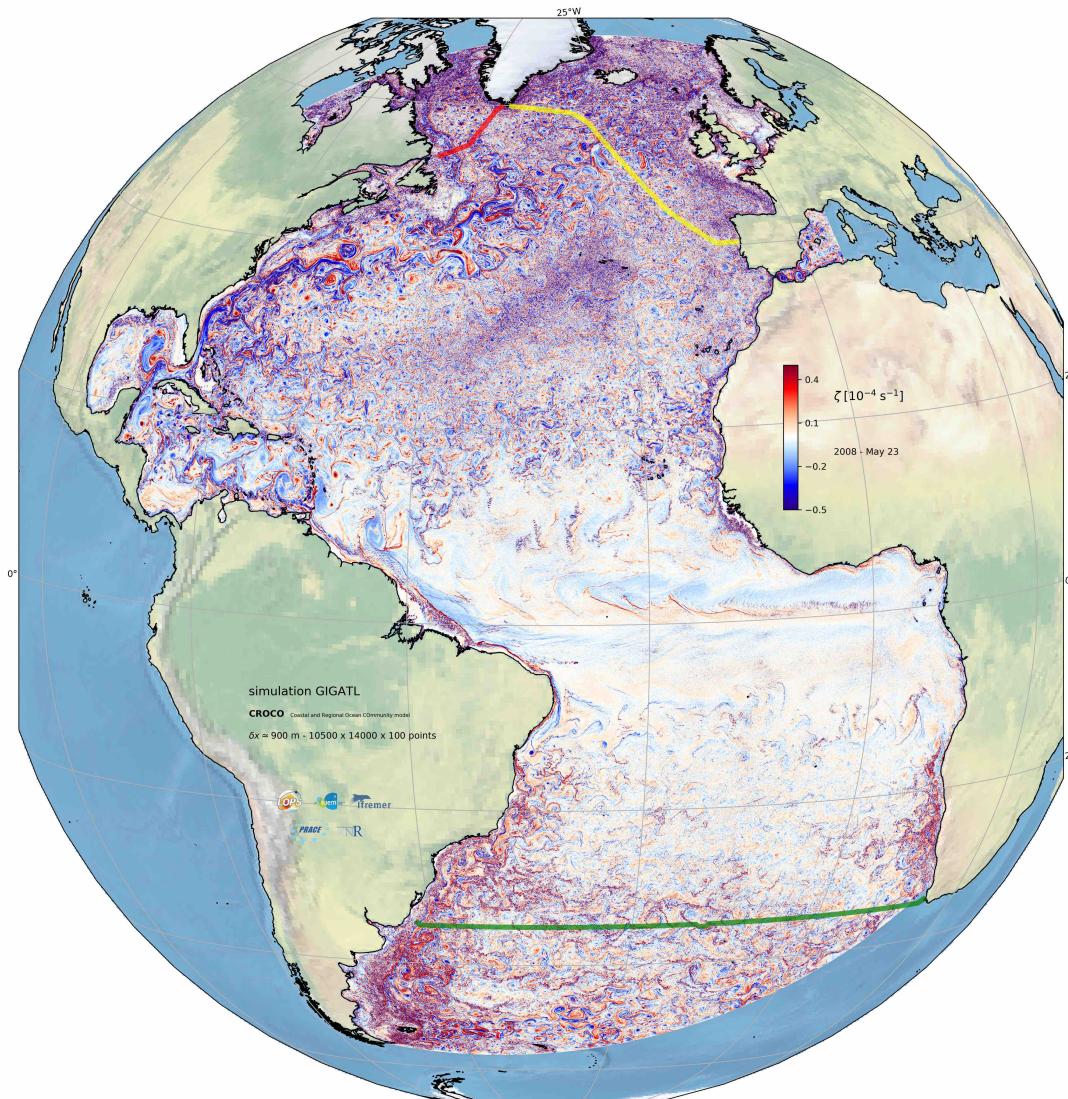
Horizontal resolutions up to **0.75**

- **1 km** with 100 topography following levels (refined at the bottom)

= $10500 \times 14000 \times 100$ points

including **hourly surface forcings and tides**.

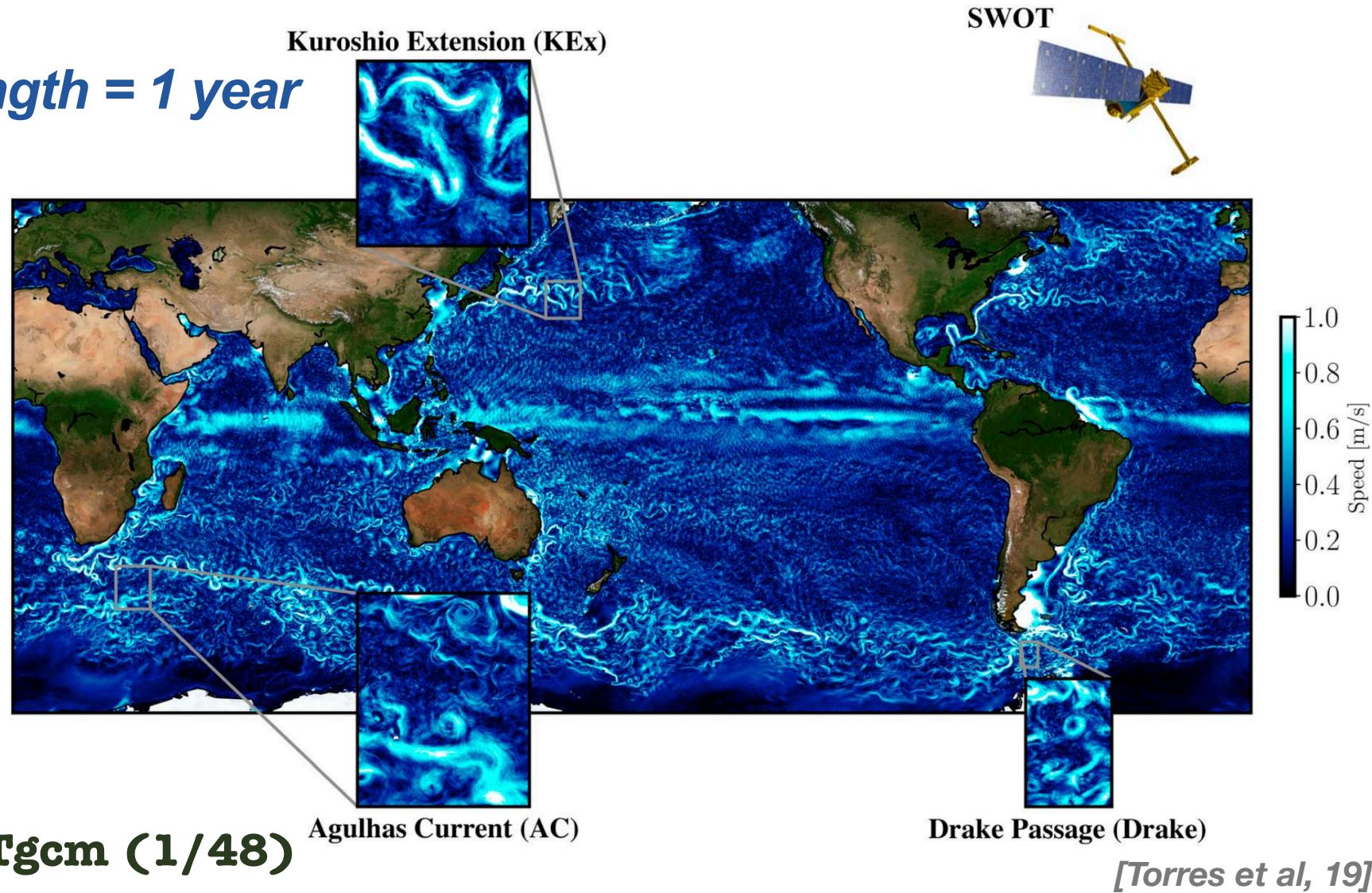
Run on 10000 processors - 40M cpu-hours -
About 4PB of data



Global configuration LLC4320

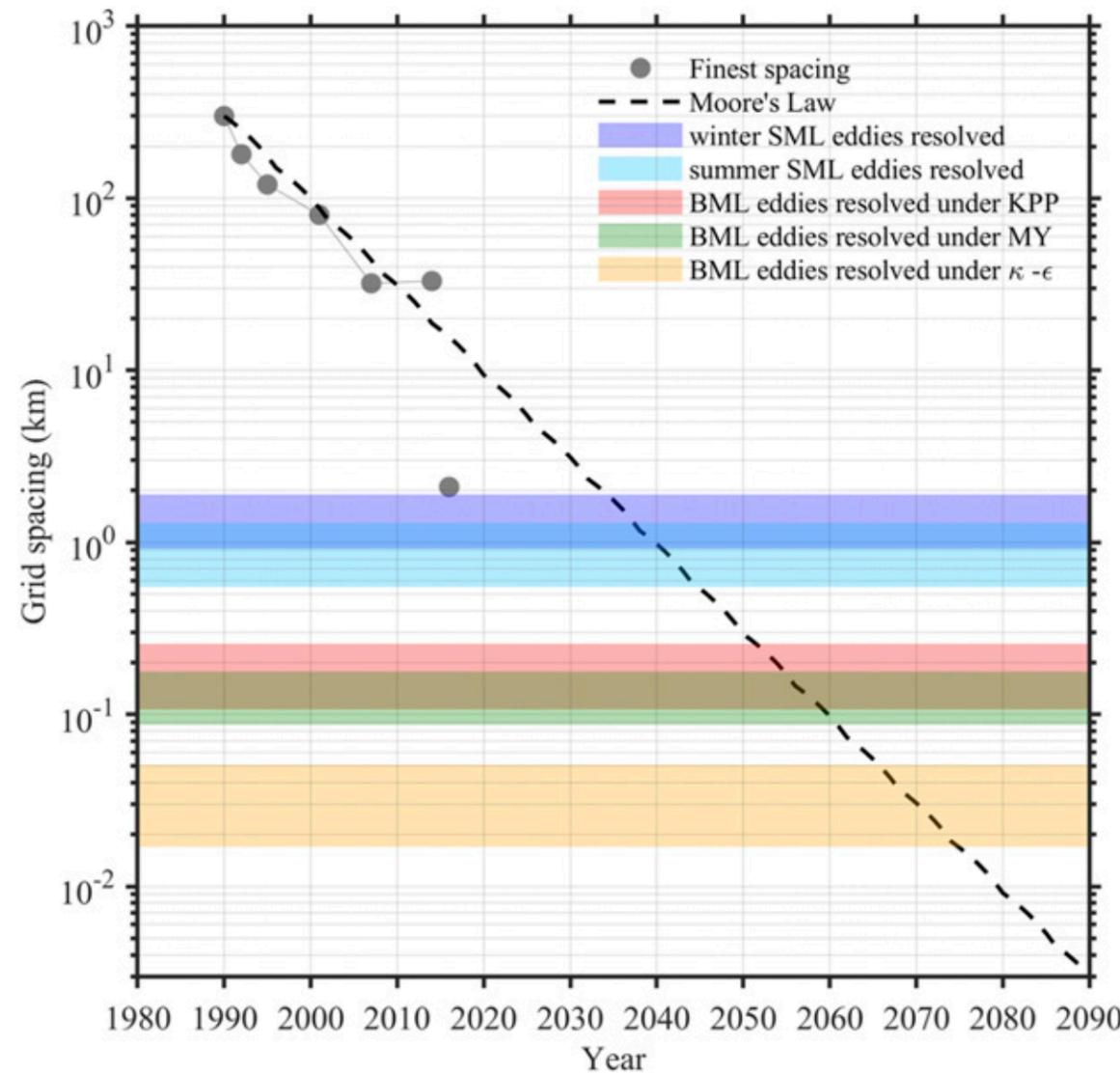
Submesoscale-permitting global simulation

Typical length = 1 year



Estimate of horizontal grid spacings of the IPCC ocean models

- The gray dots denote the finest grid spacings reported by the IPCC reports by year of publication, except the latest one from the ECCO MITgcm LLC4320 simulation.
- The black line denotes the estimate predicted by Moore's Law, while the shaded regions denote the grid spacing intervals resolving 50% and 90% of surface mixed-layer eddies globally based on the observations and bottom mixed-layer eddies based on simulations.

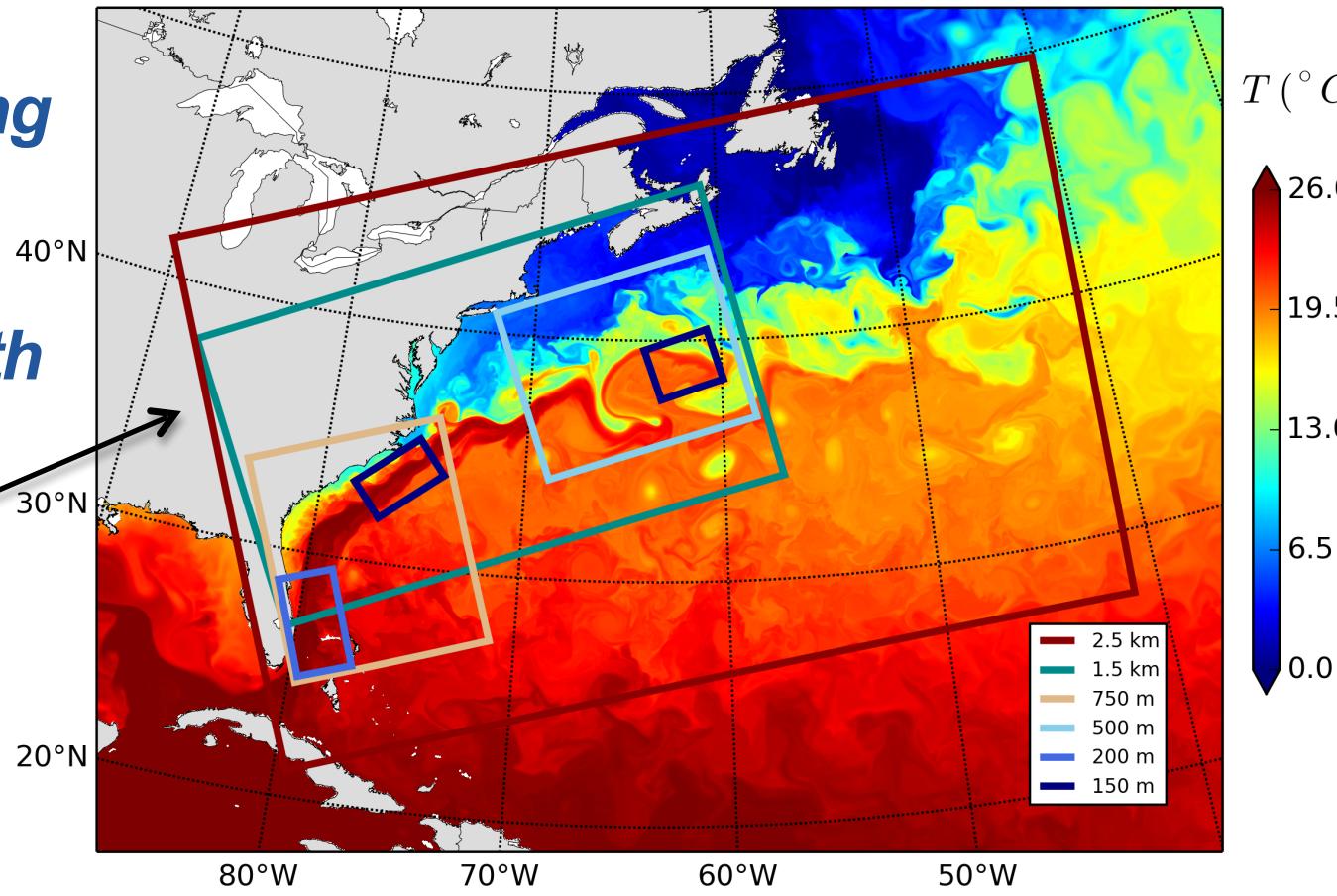
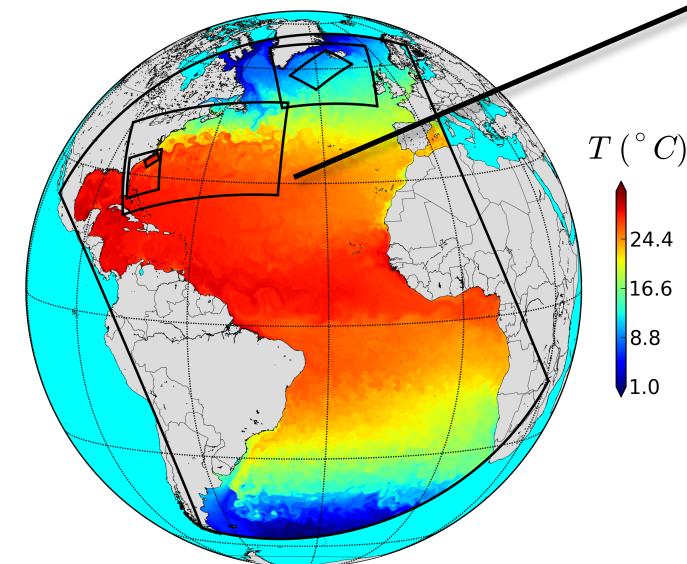


Ocean Modelling examples:

$$\Delta x = 6 \rightarrow 0.15 \text{ km}$$

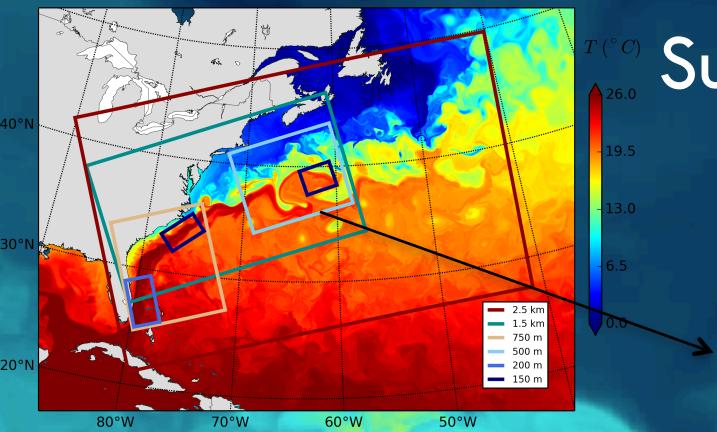
Submesoscale-resolving regional simulation

**Typical length = 1 month
10 years**

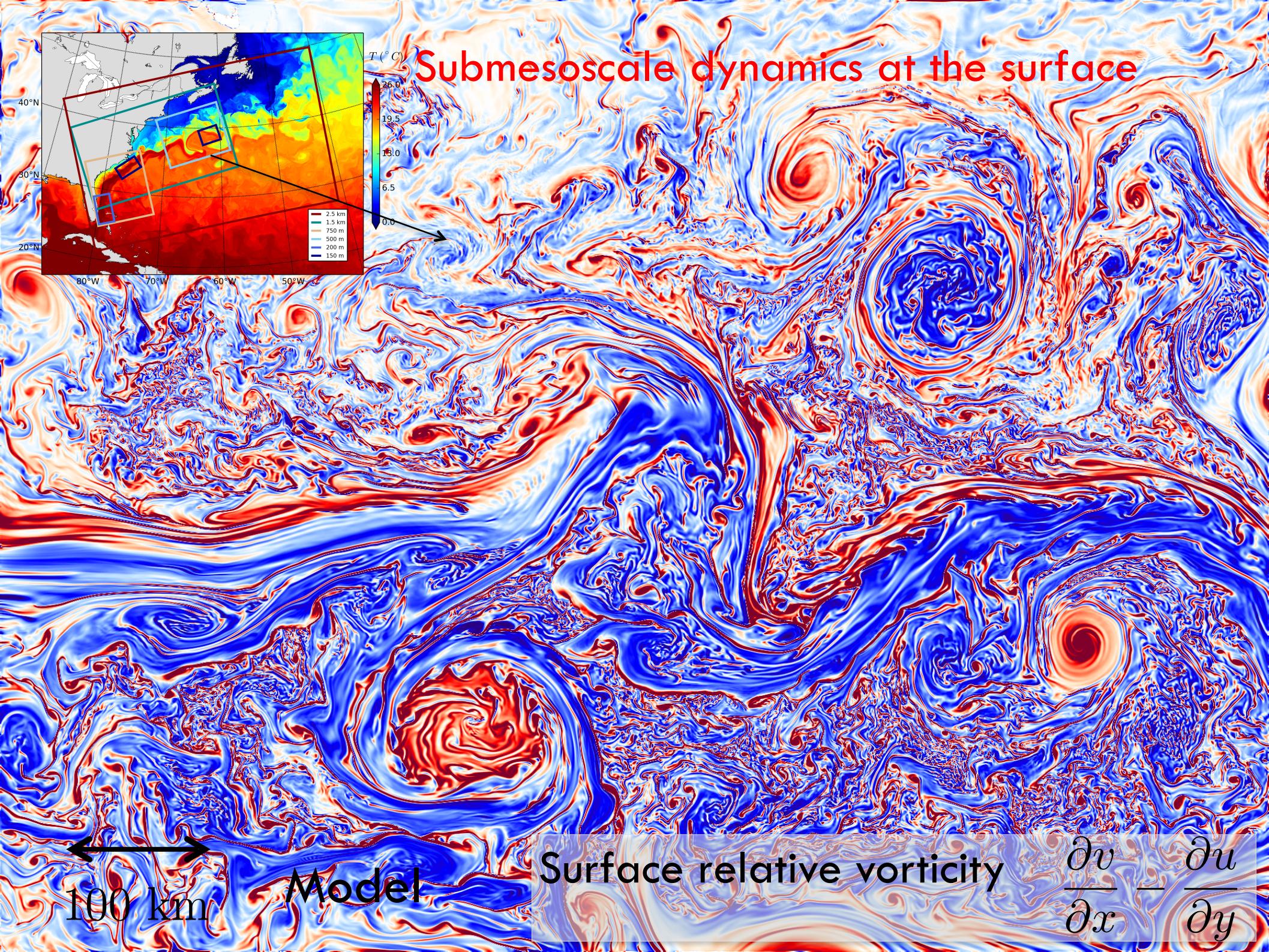


A portion of the Atlantic domain showing mean SST and several (1-way) nested grids:

Submesoscale dynamics at the surface



ROMS ($\Delta x = 500$ m)

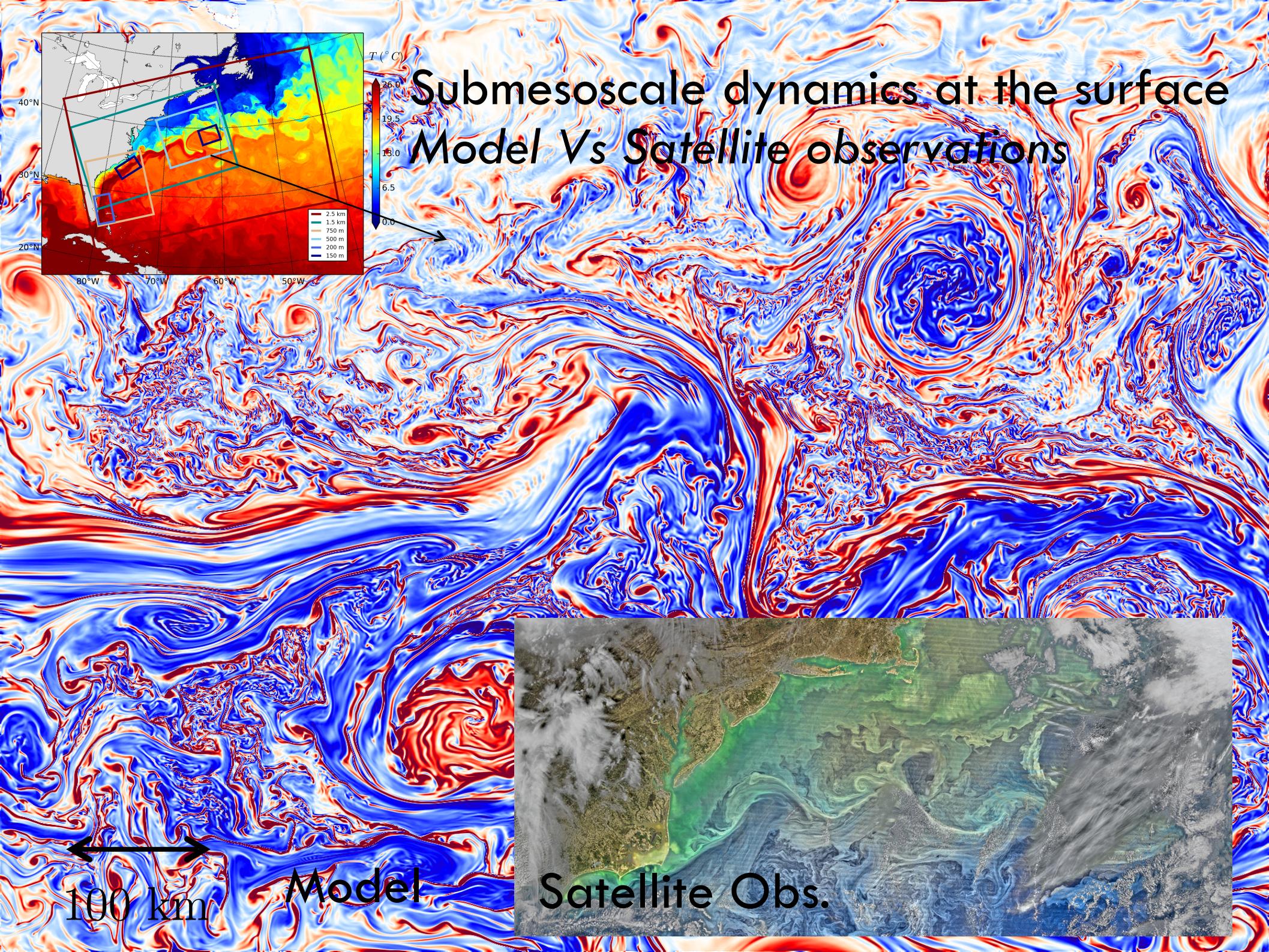


Submesoscale dynamics at the surface

Model

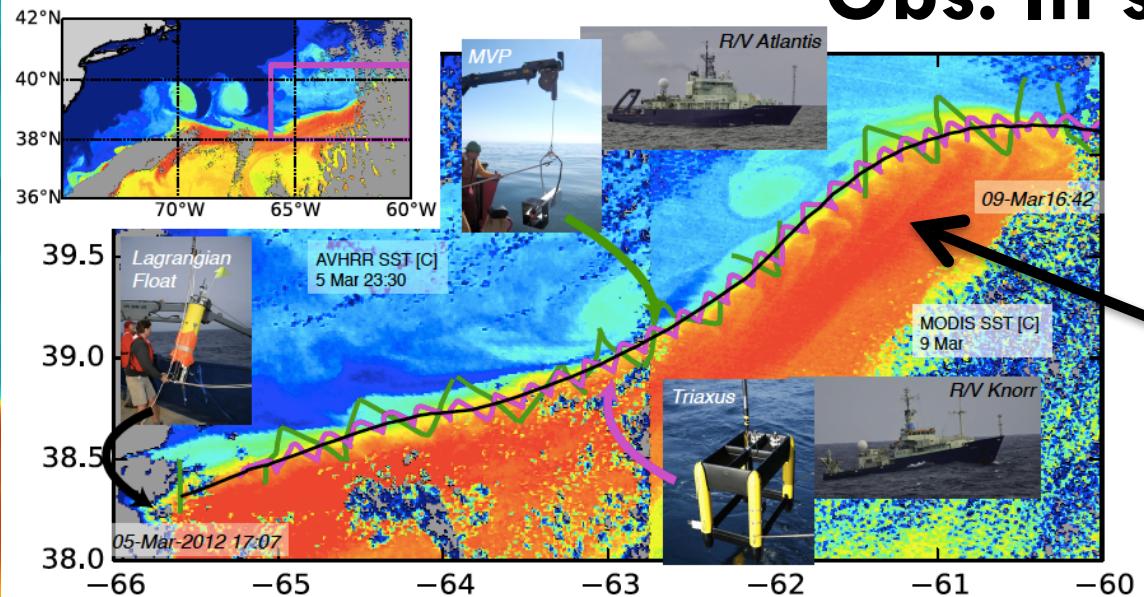
Surface relative vorticity

$$\frac{\partial v}{\partial x} - \frac{\partial u}{\partial y}$$



Submesoscale dynamics at the surface Model Vs Satellite observations

Obs. In situ



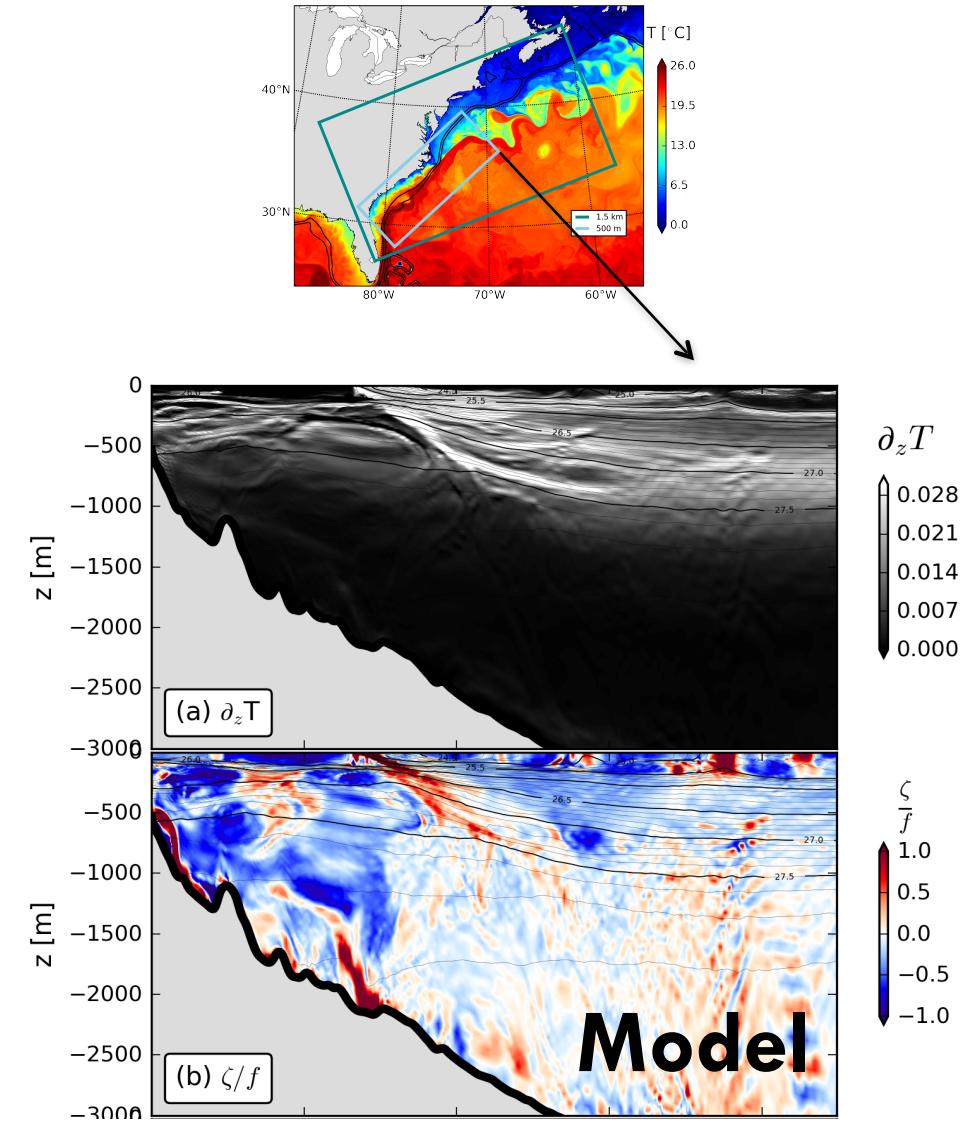
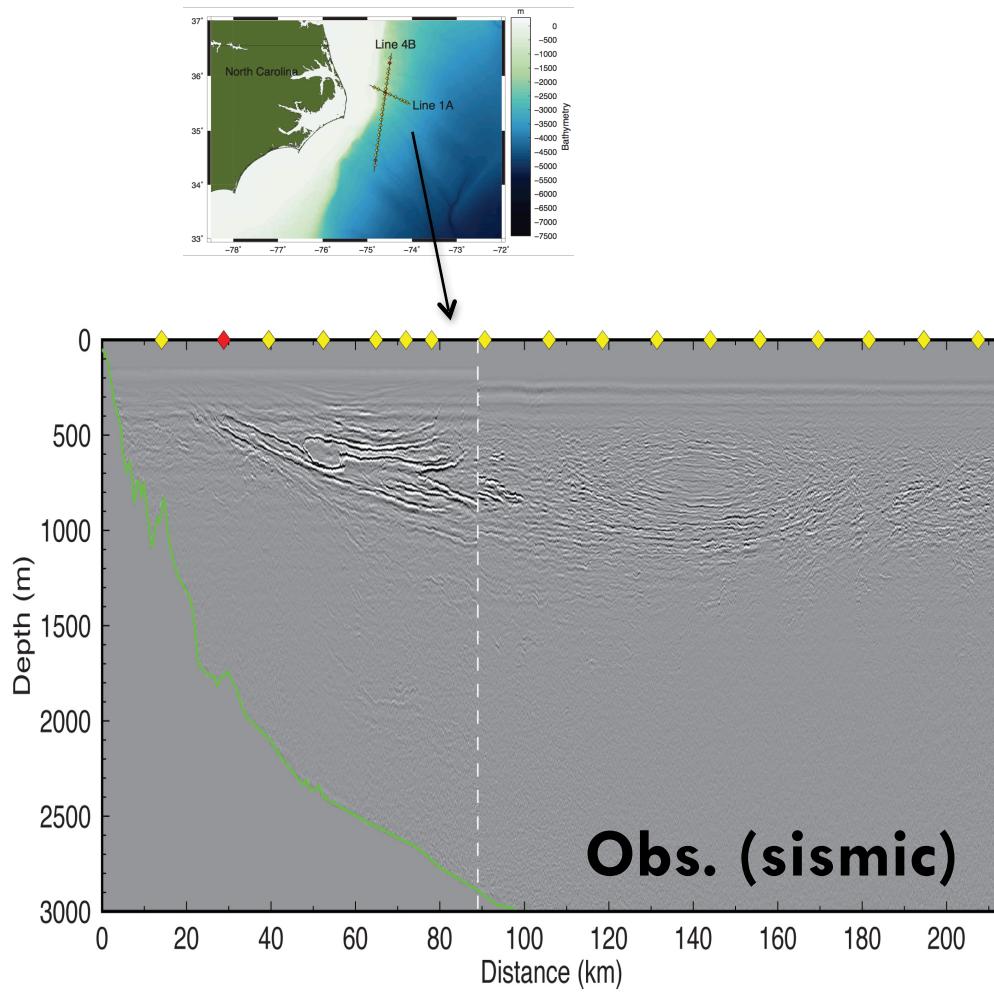
LATMIX 2012 Campaign

(Scalable Lateral Mixing and Coherent Turbulence)

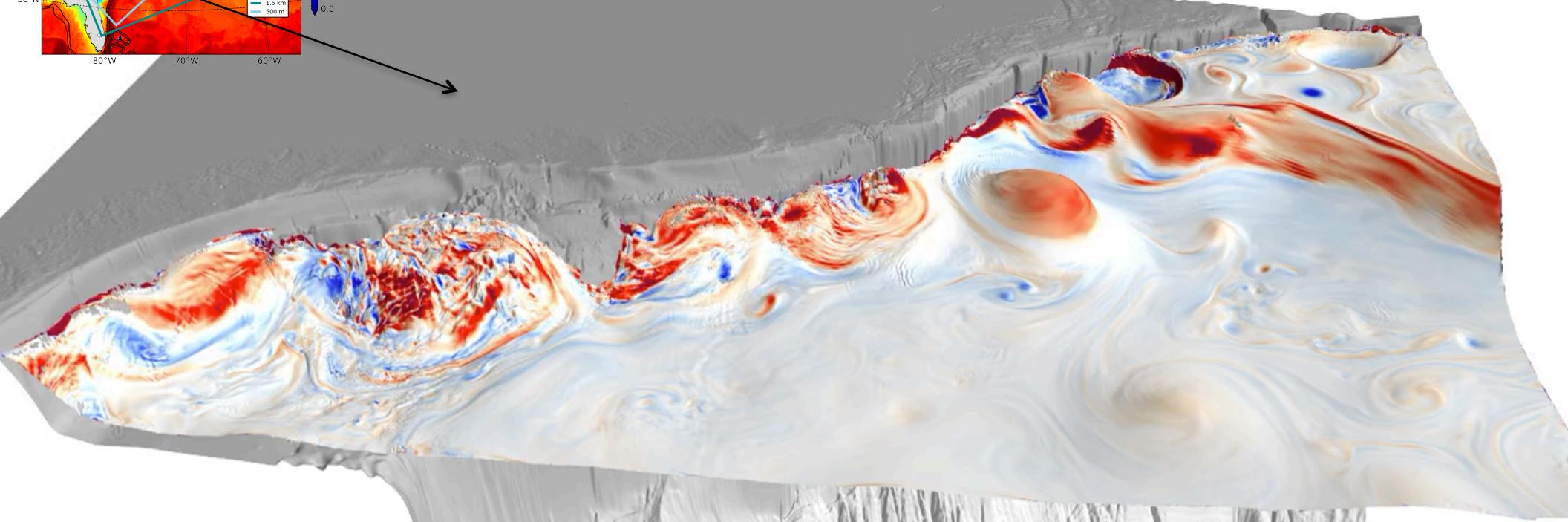
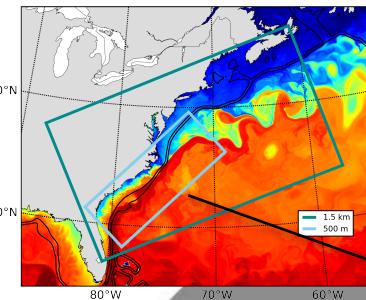
Model

Submesoscale dynamics in the interior

- Generation of submesoscale coherent vortices:



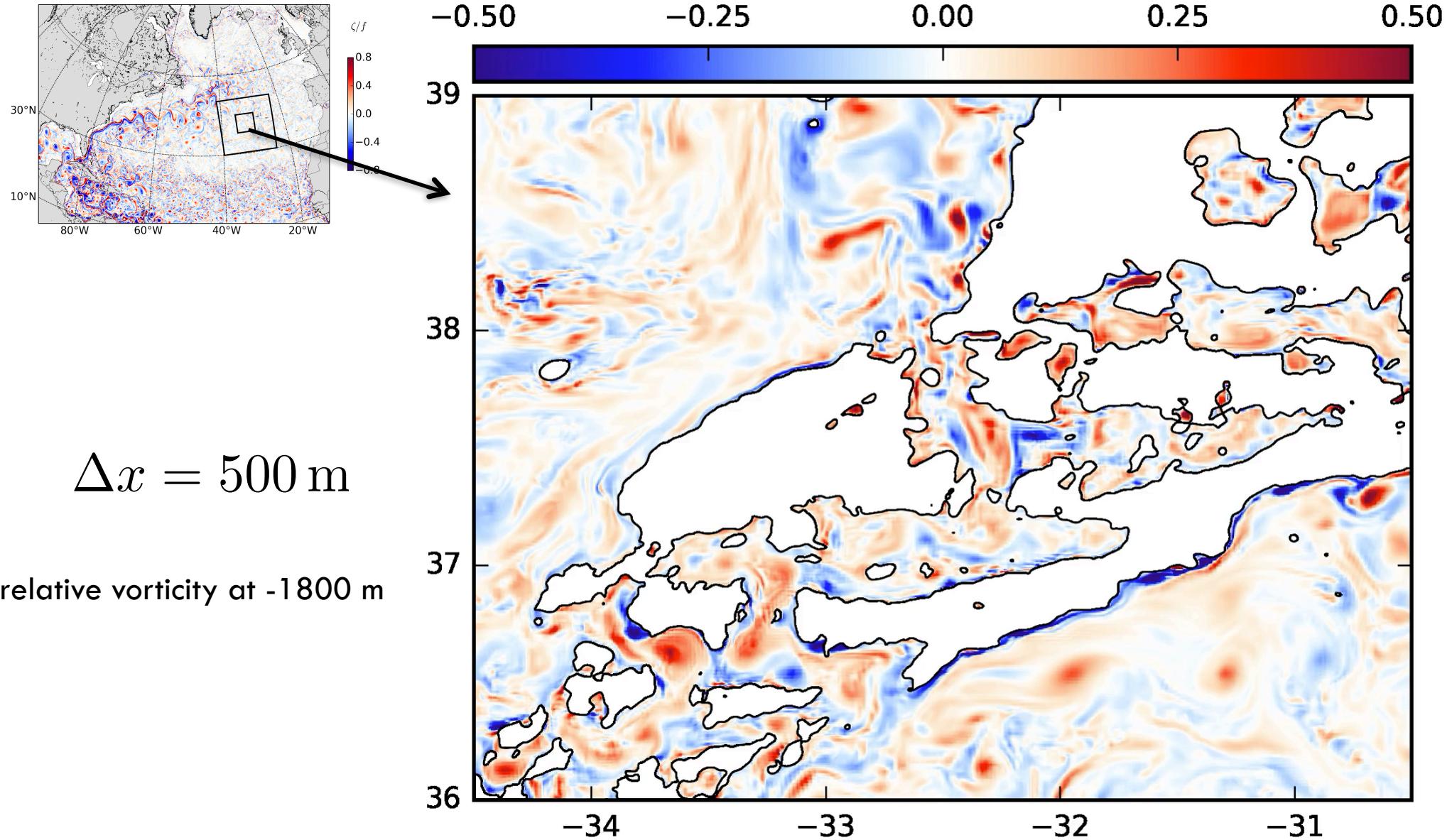
Submesoscale dynamics in the interior



Relative vorticity $(\pm f)$

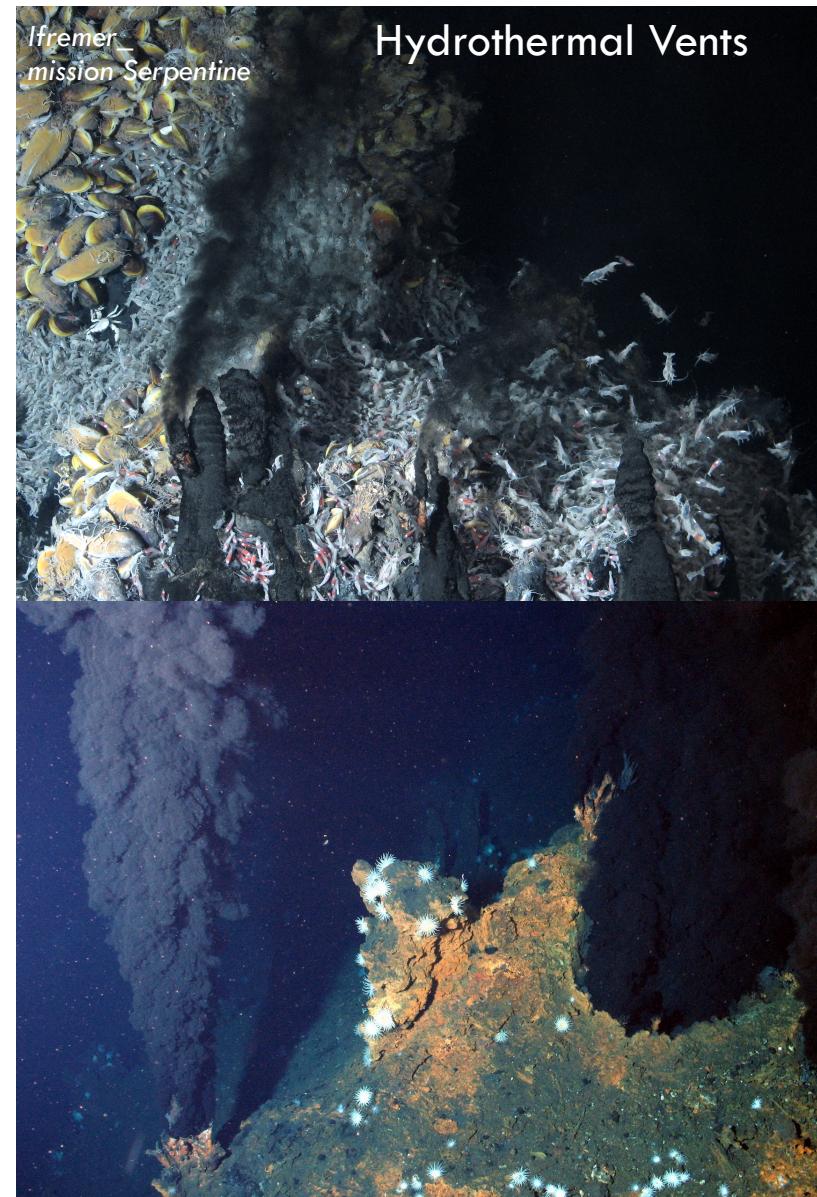
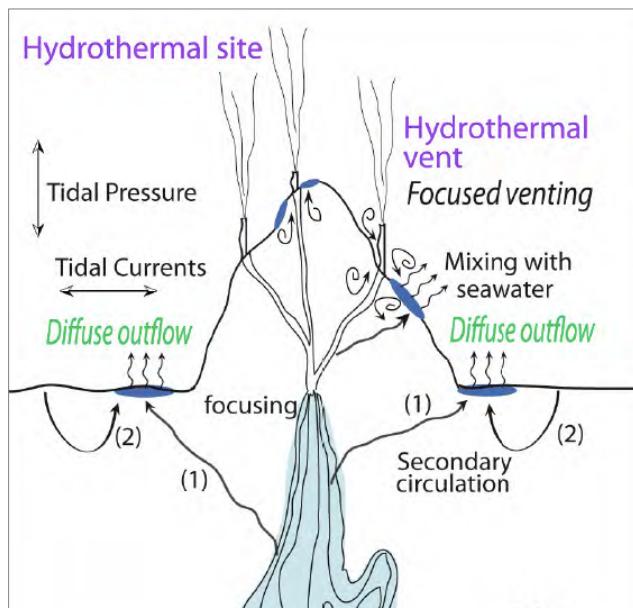
On the isopycnal $\sigma = 27 \text{ kg m}^{-3}$

Submesoscale dynamics in the Abyss!



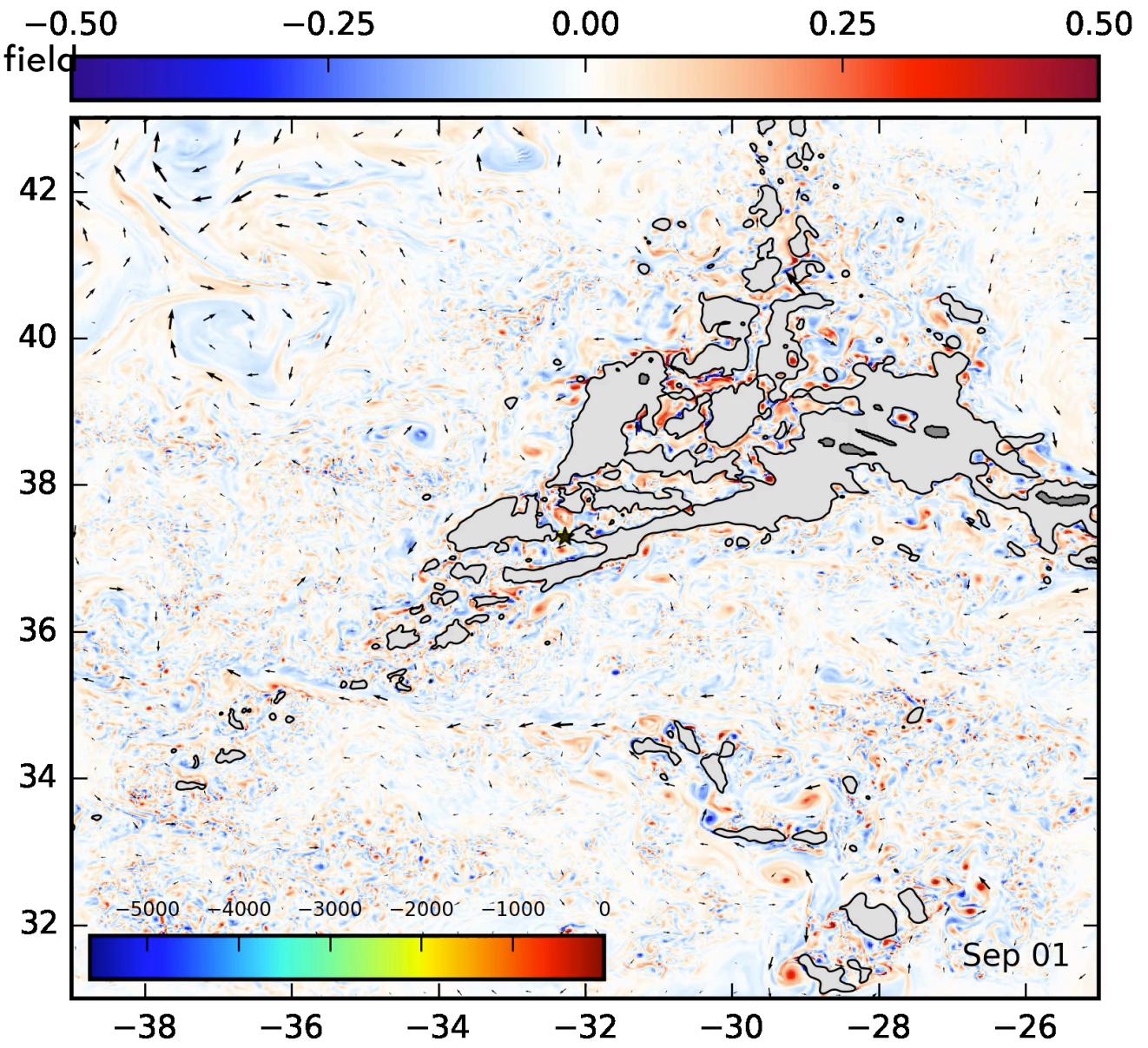
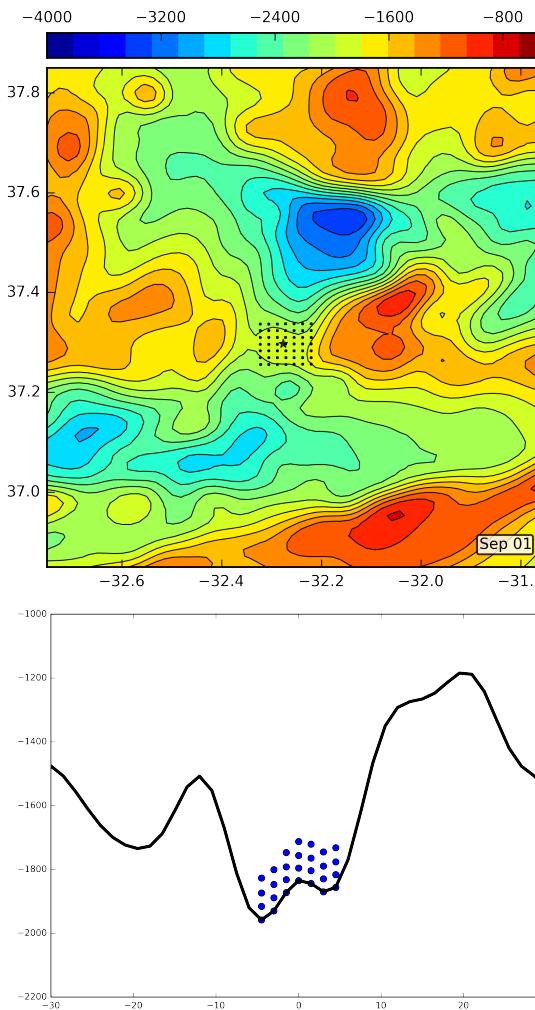
And the abyssal turbulence impacts a lot of things:

- Dispersion of hydrothermal effluents
- Transport of biogeochemical tracers
- Connectivity between deep ecosystems



Dispersion of larvae by abyssal turbulence

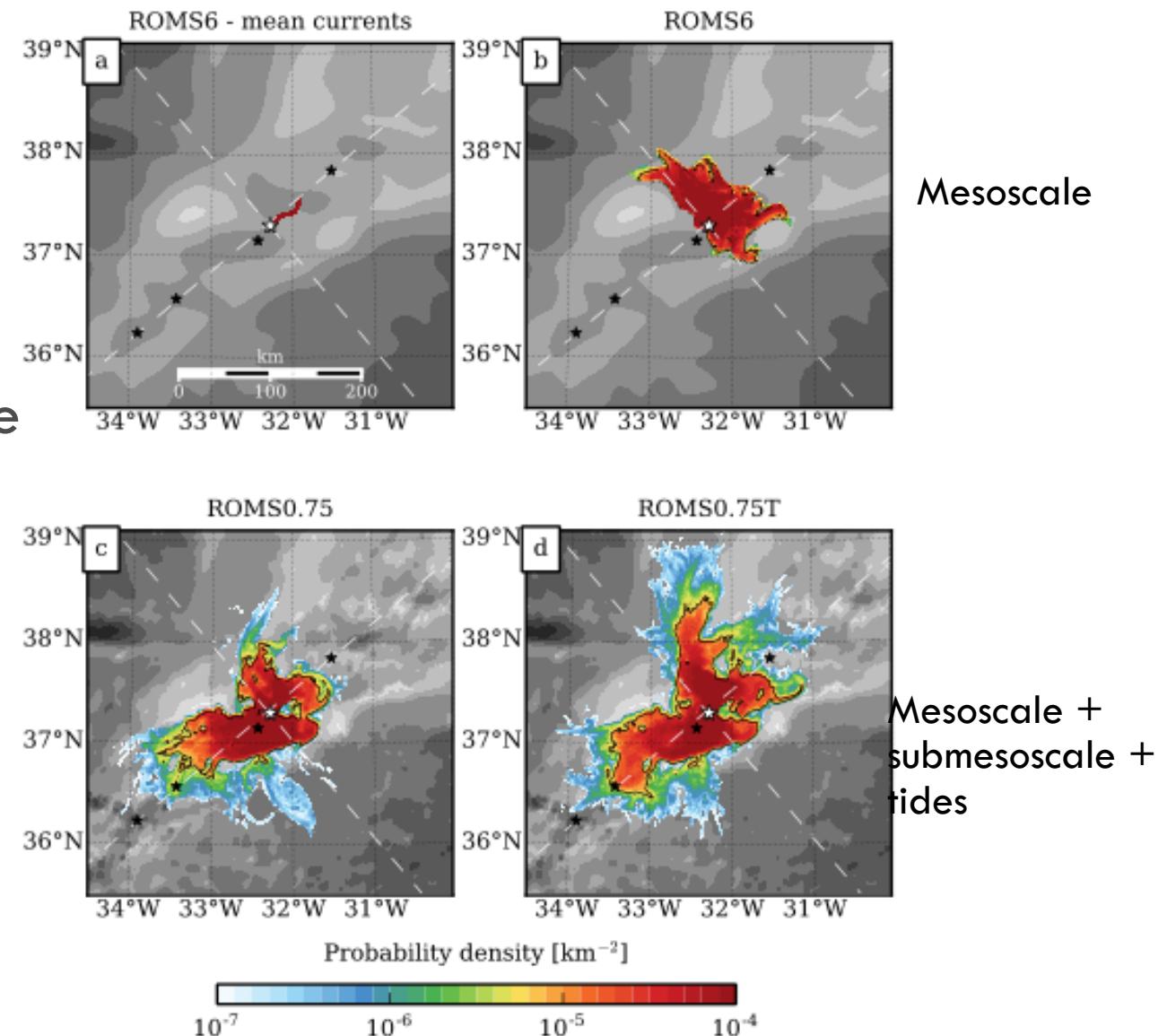
Continuous release of Lagrangian particles near the Lucky Strike vent field
(1.5 km res)



Dispersion of larvae by abyssal turbulence

Mean currents
only

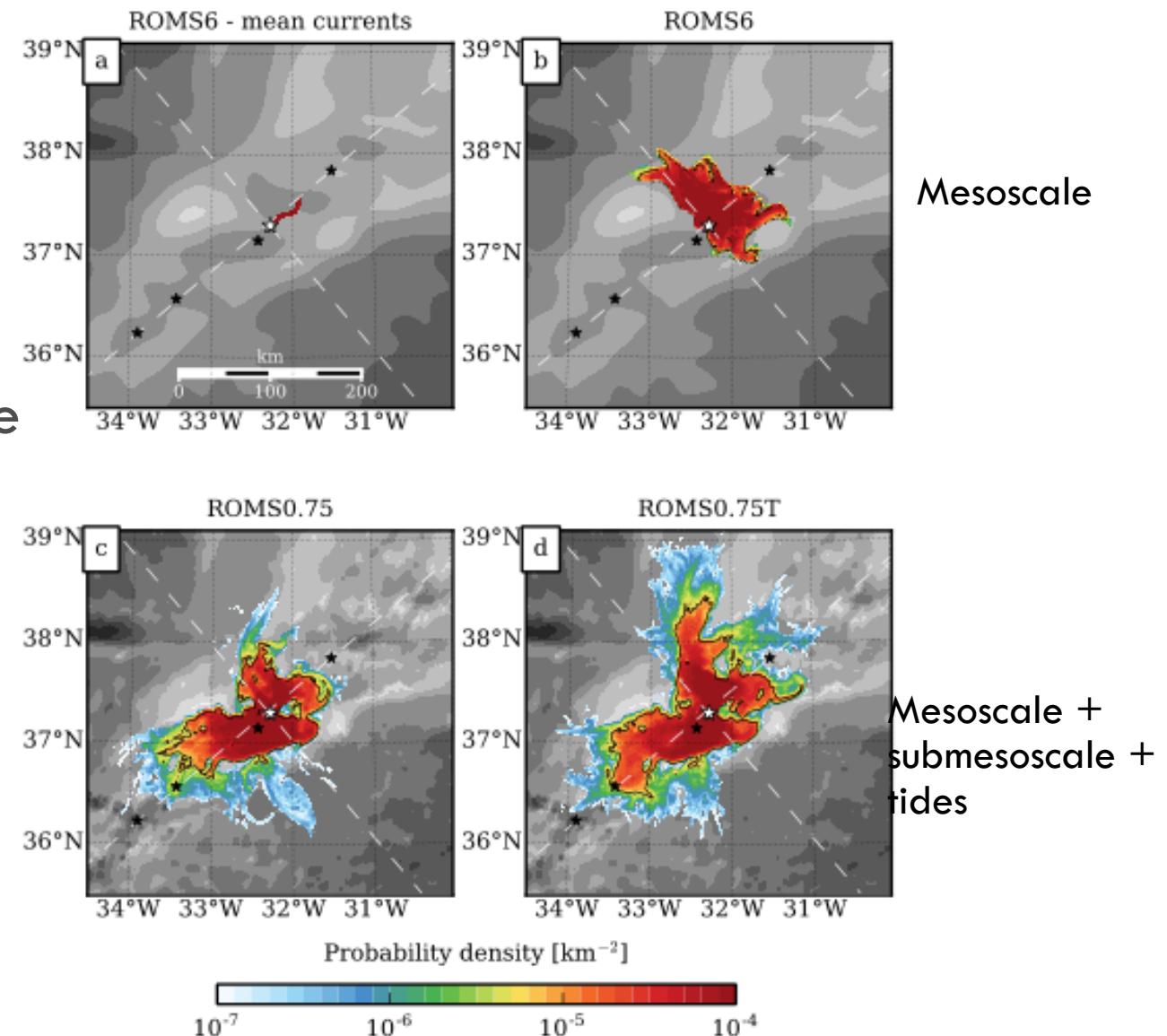
Larvae dispersion from the
Lucky Strike vent after 30
days.



Dispersion of larvae by abyssal turbulence

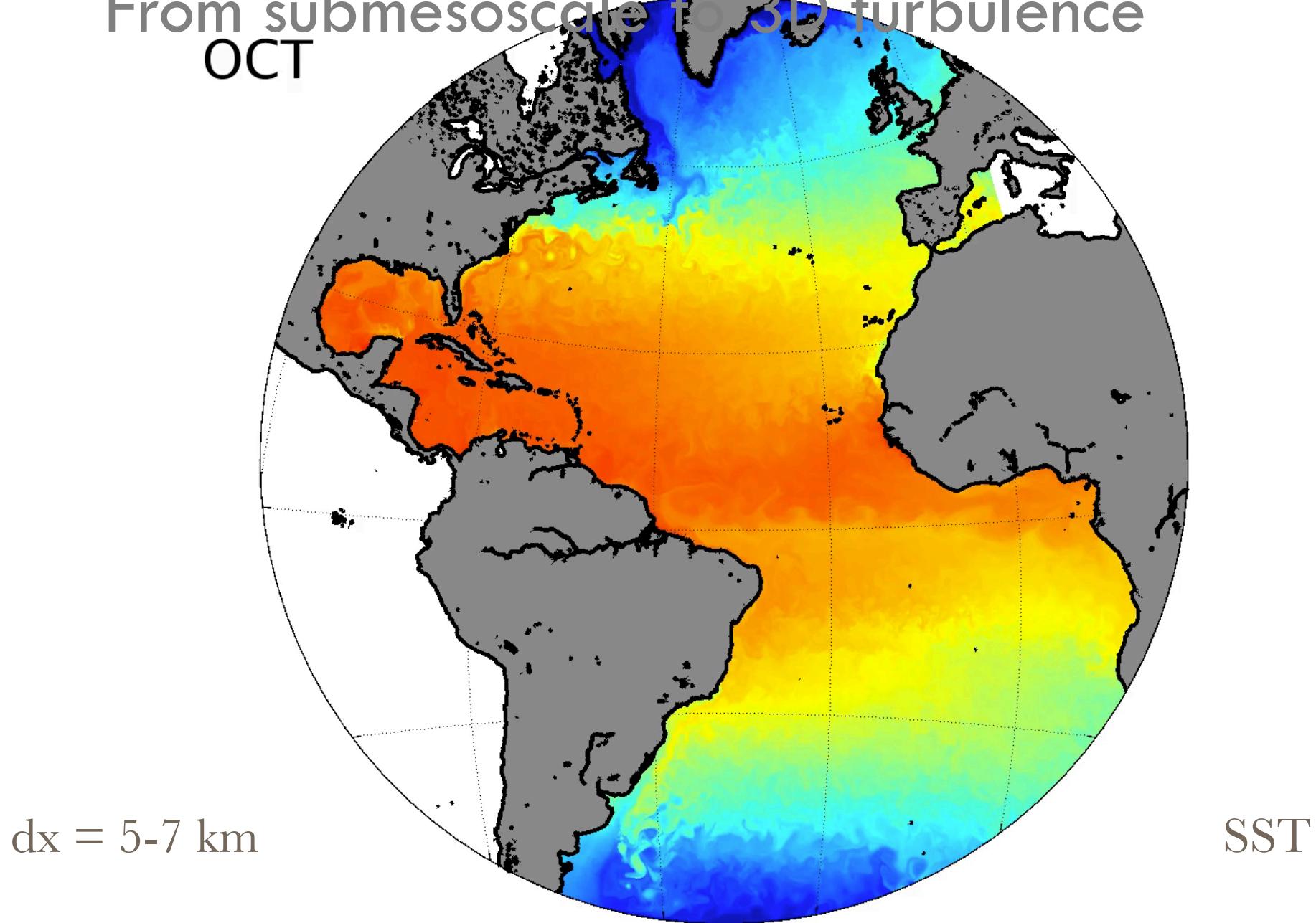
Mean currents
only

Larvae dispersion from the
Lucky Strike vent after 30
days.



From submesoscale to 3D turbulence

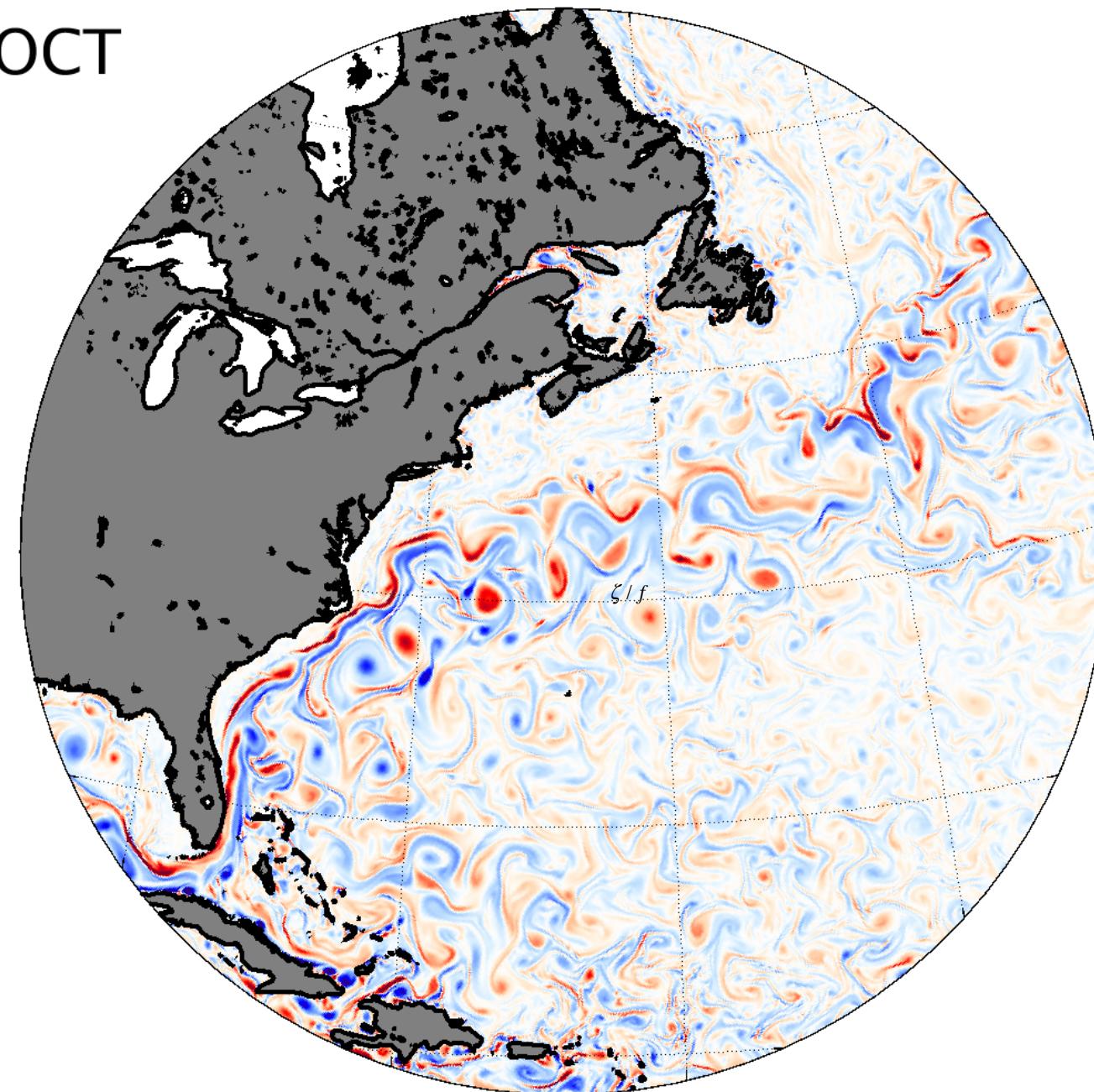
OCT



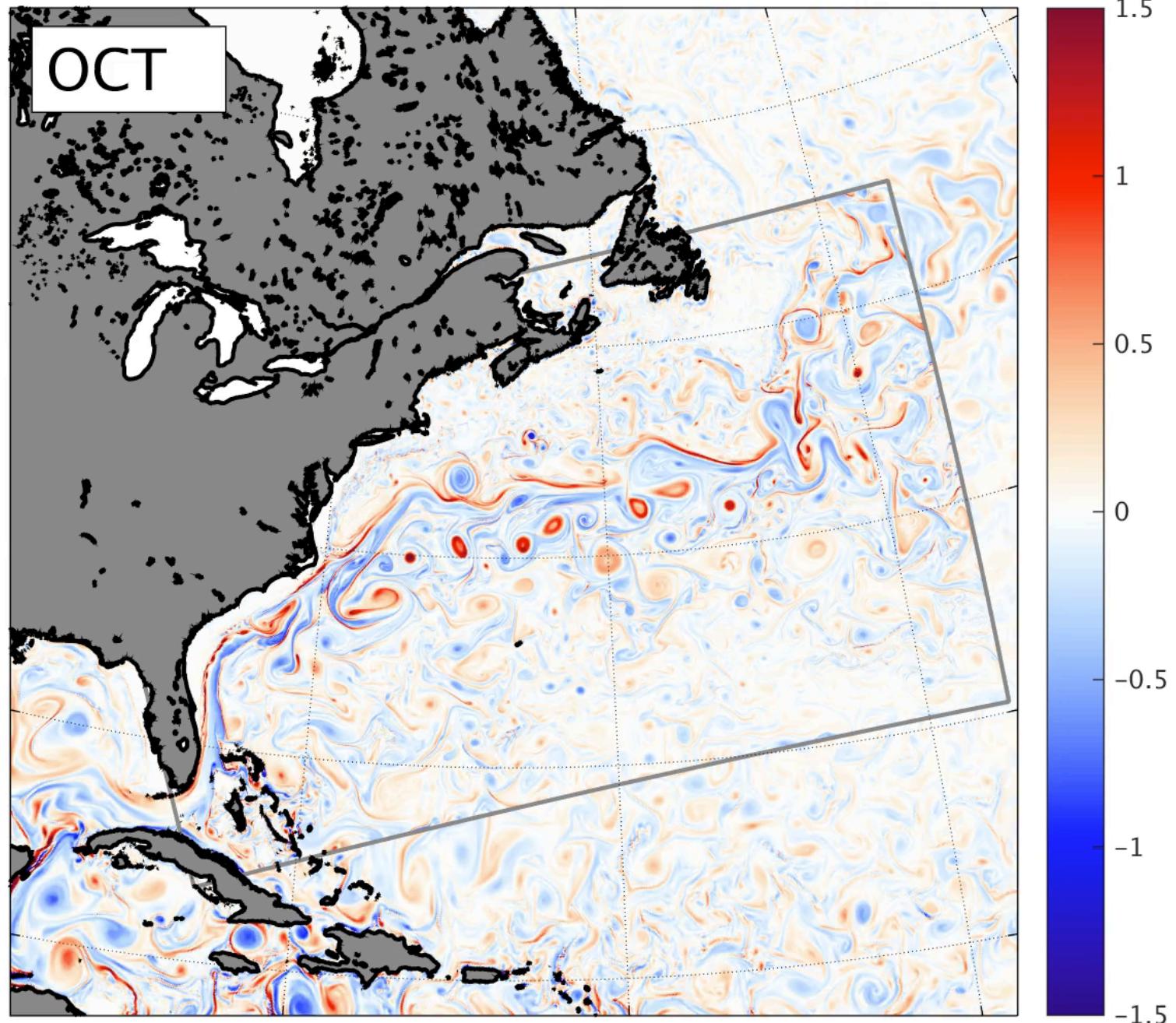
Simulations using ROMS: Regional is a relative concept

Animation from J. Molemaker

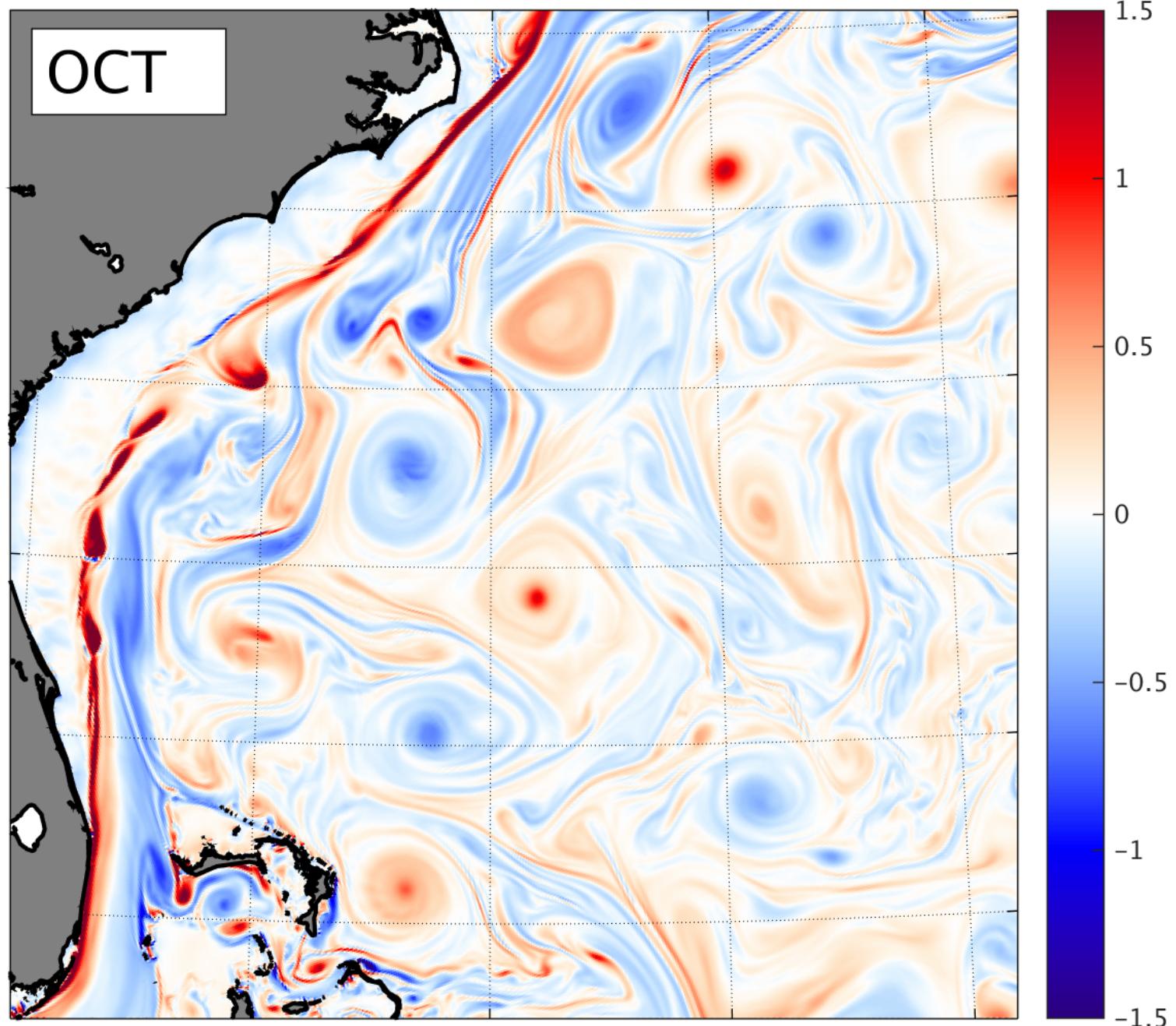
OCT

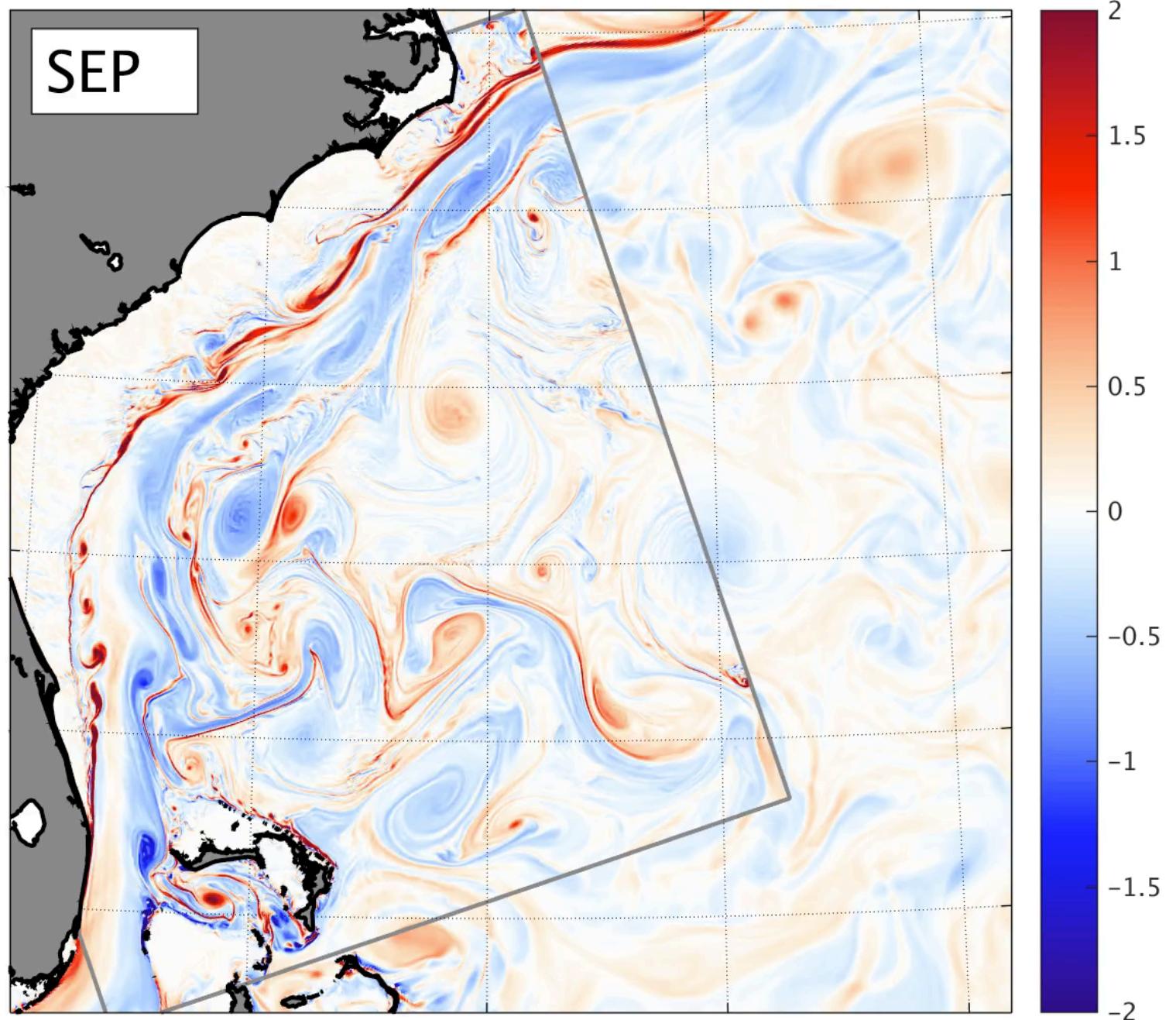


Normalized relative vorticity, or $Ro = \zeta / f$

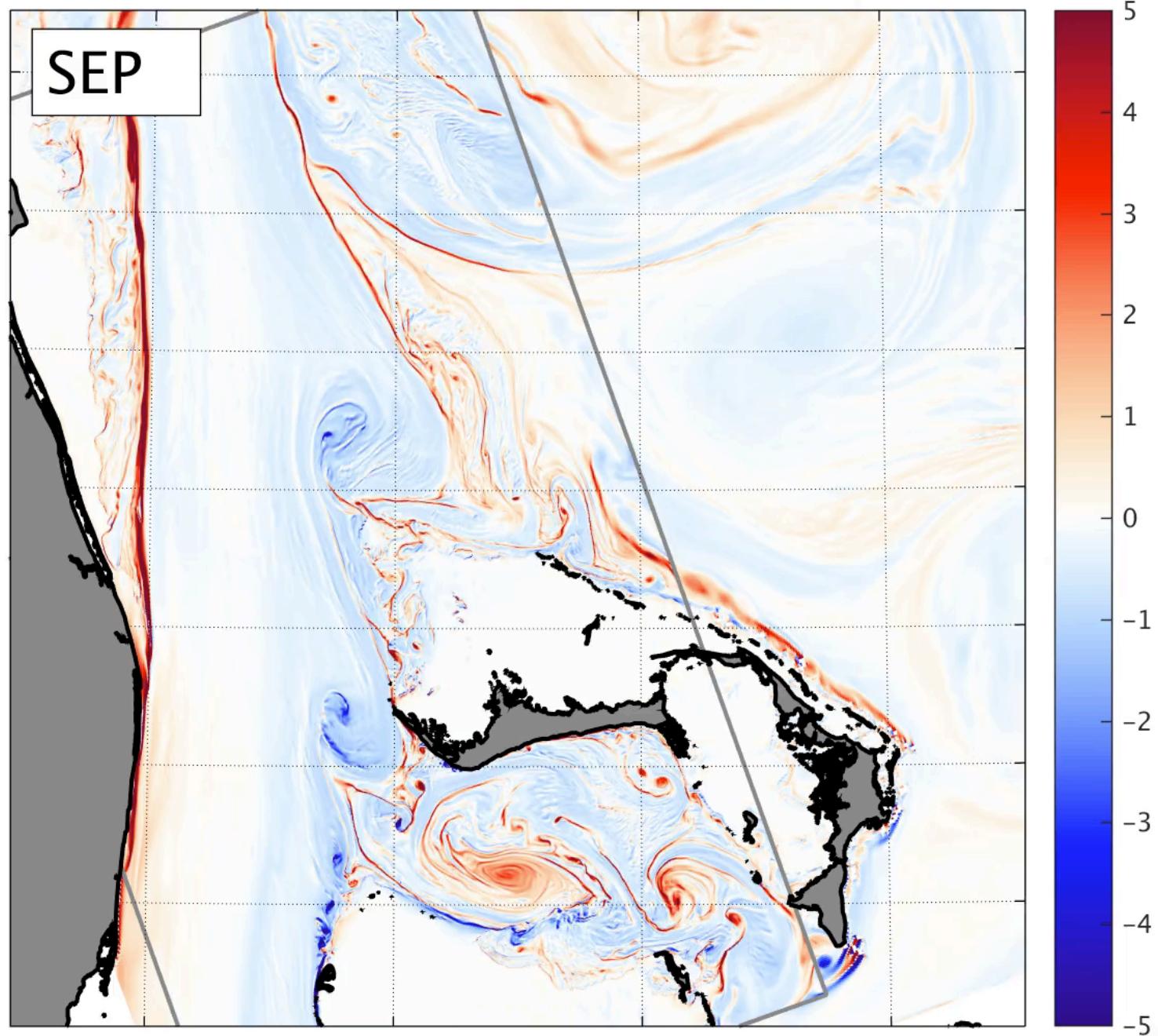
ζ / f 

Nested domain with open boundaries with $dx = 2.5 \text{ km}$

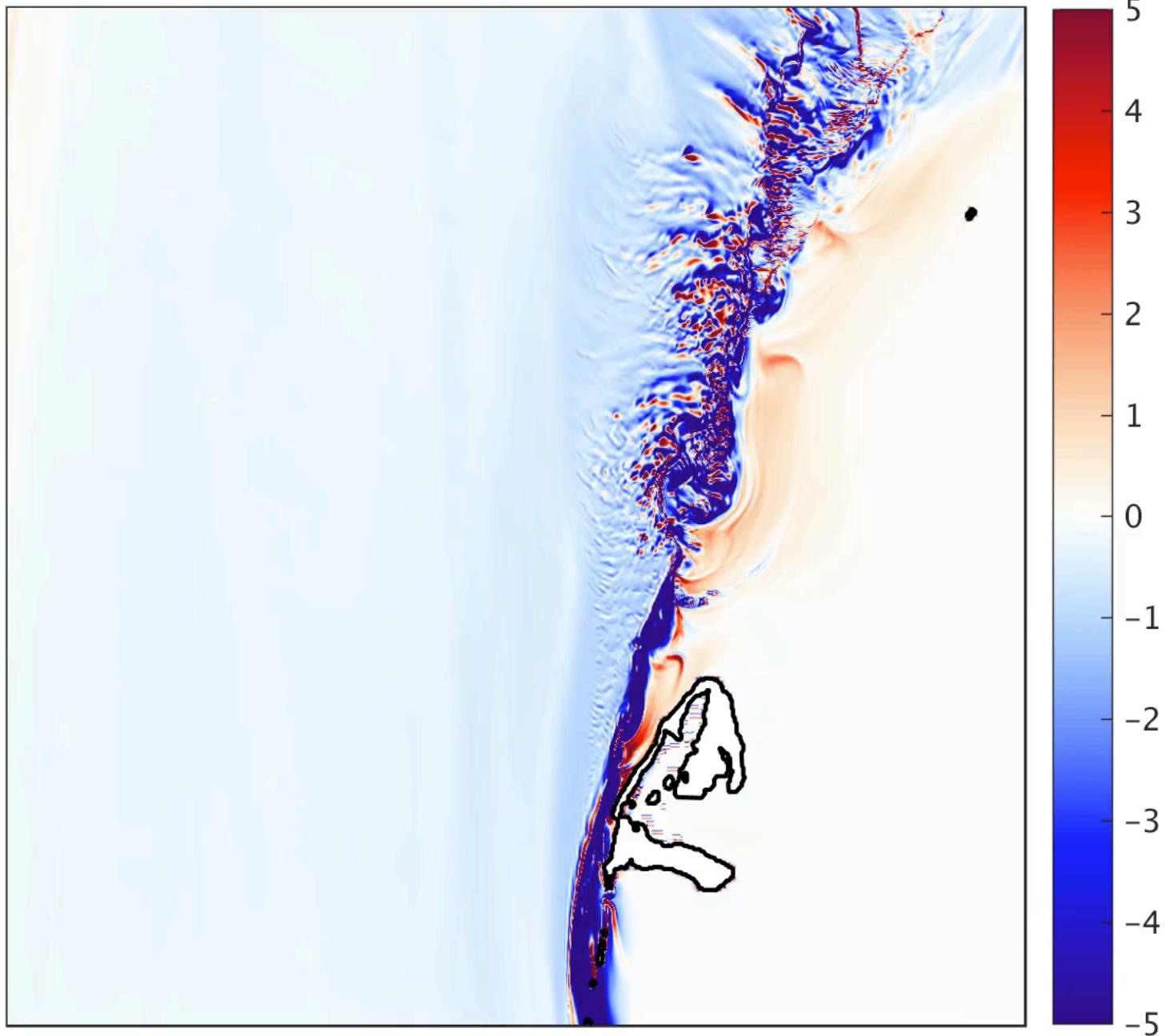
ζ / f 



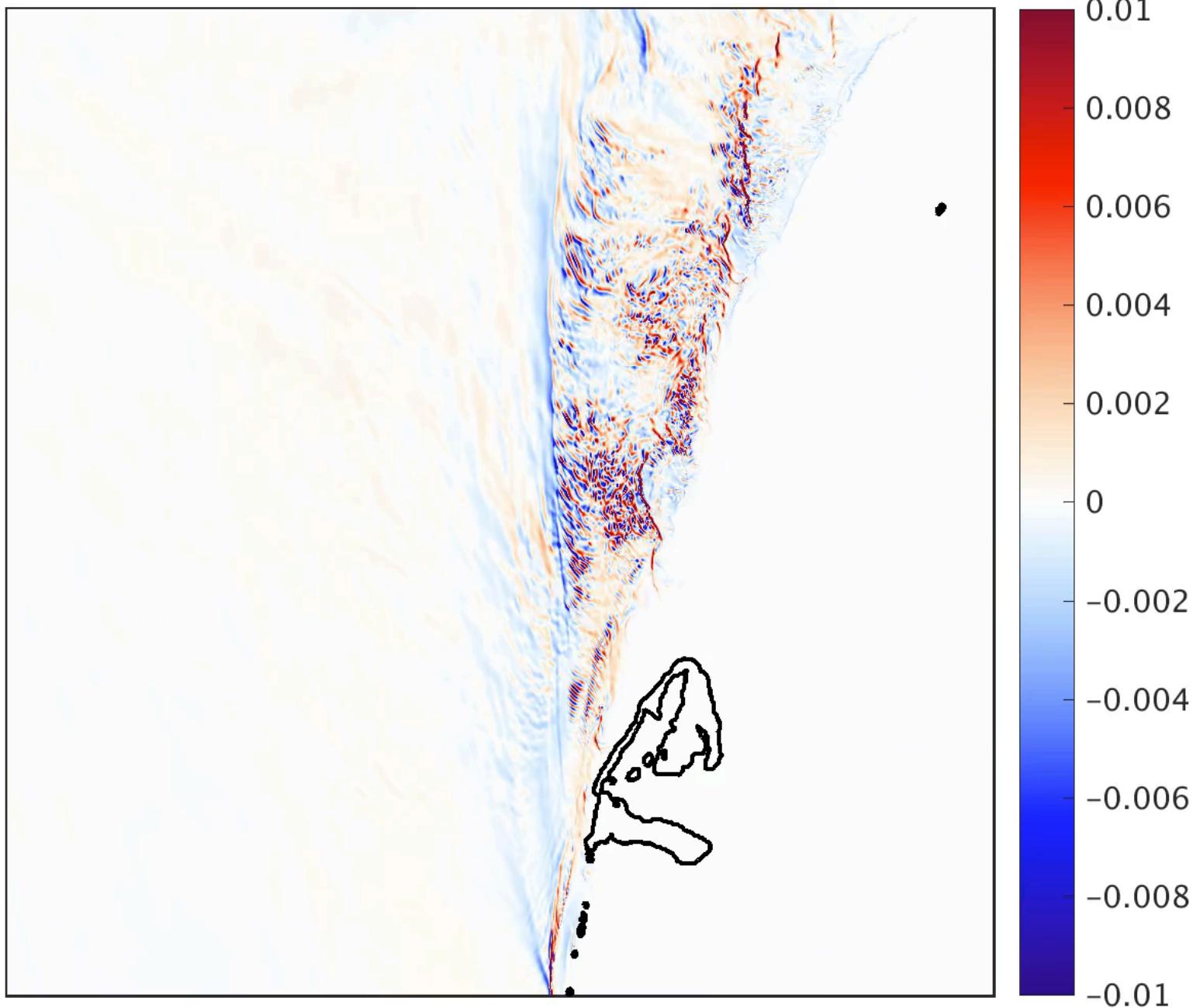
$\text{dx} = 700 \text{ m}$



$\text{dx} = 200 \text{ m}$

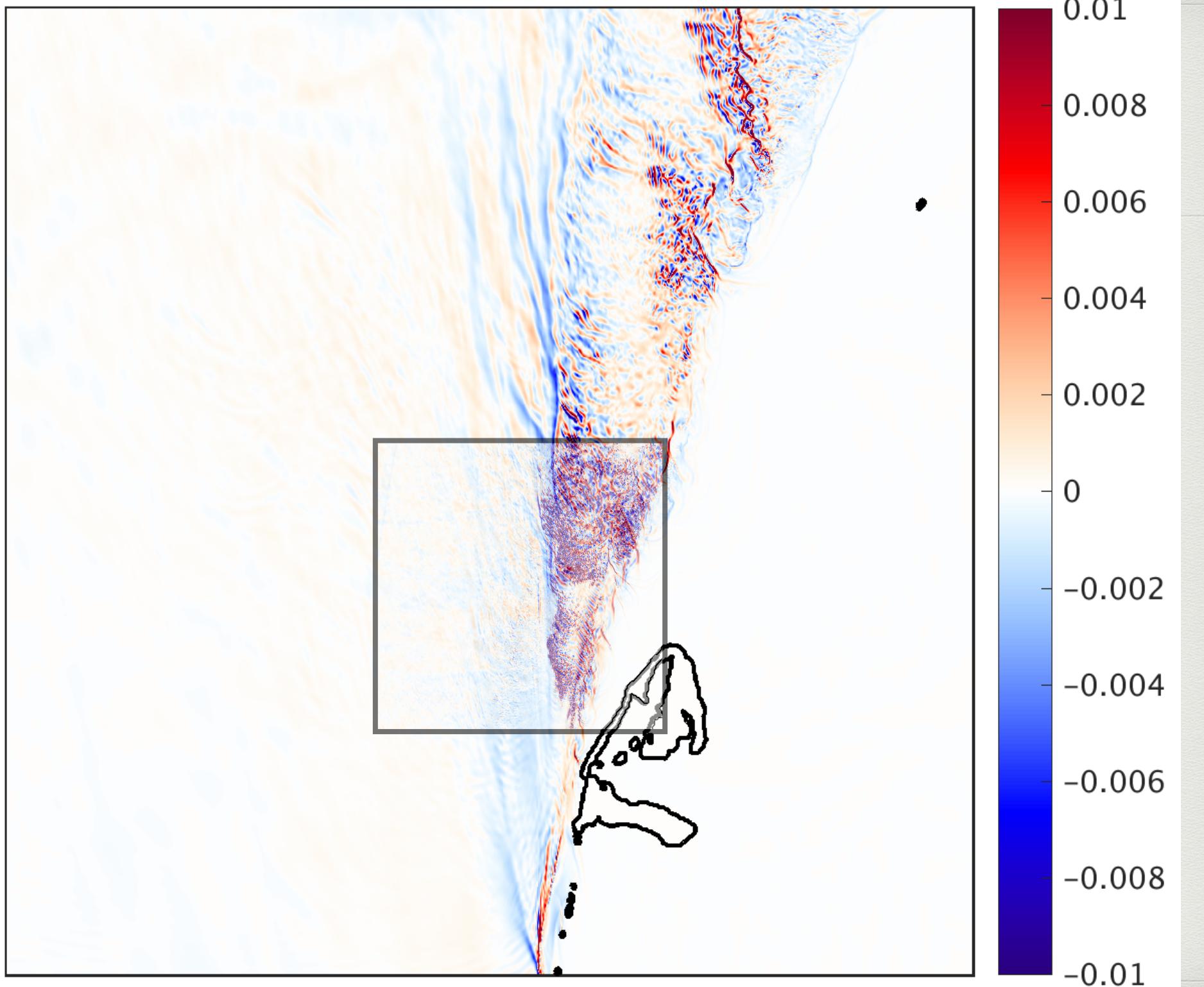


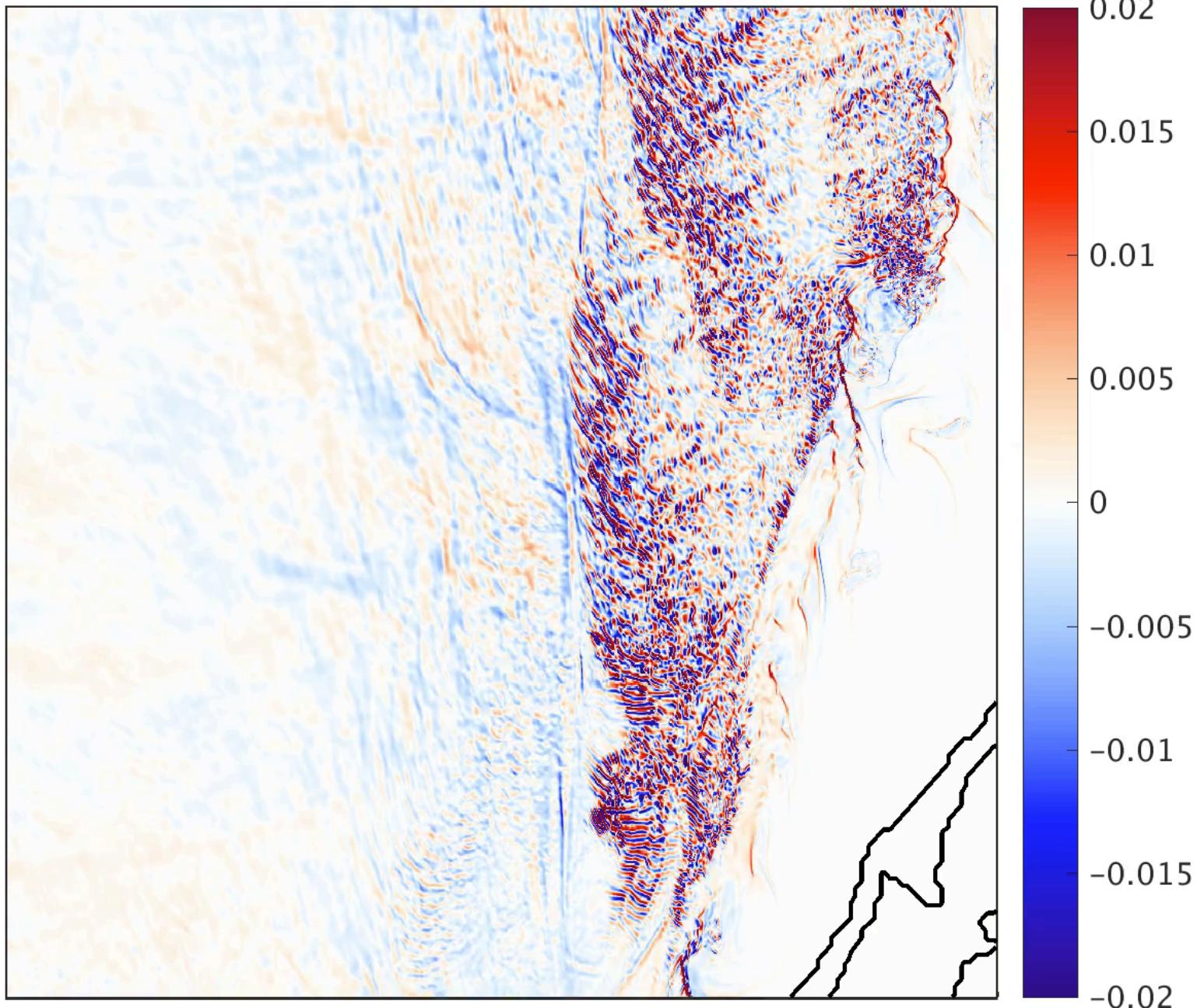
$\text{dx} = 50 \text{ m}$, non-hydrostatic



$\text{dx} = 50 \text{ m}$, non-hydrostatic

Surface layer vertical velocity





$dx = 15 \text{ m (NH)}$

Surface layer vertical velocity



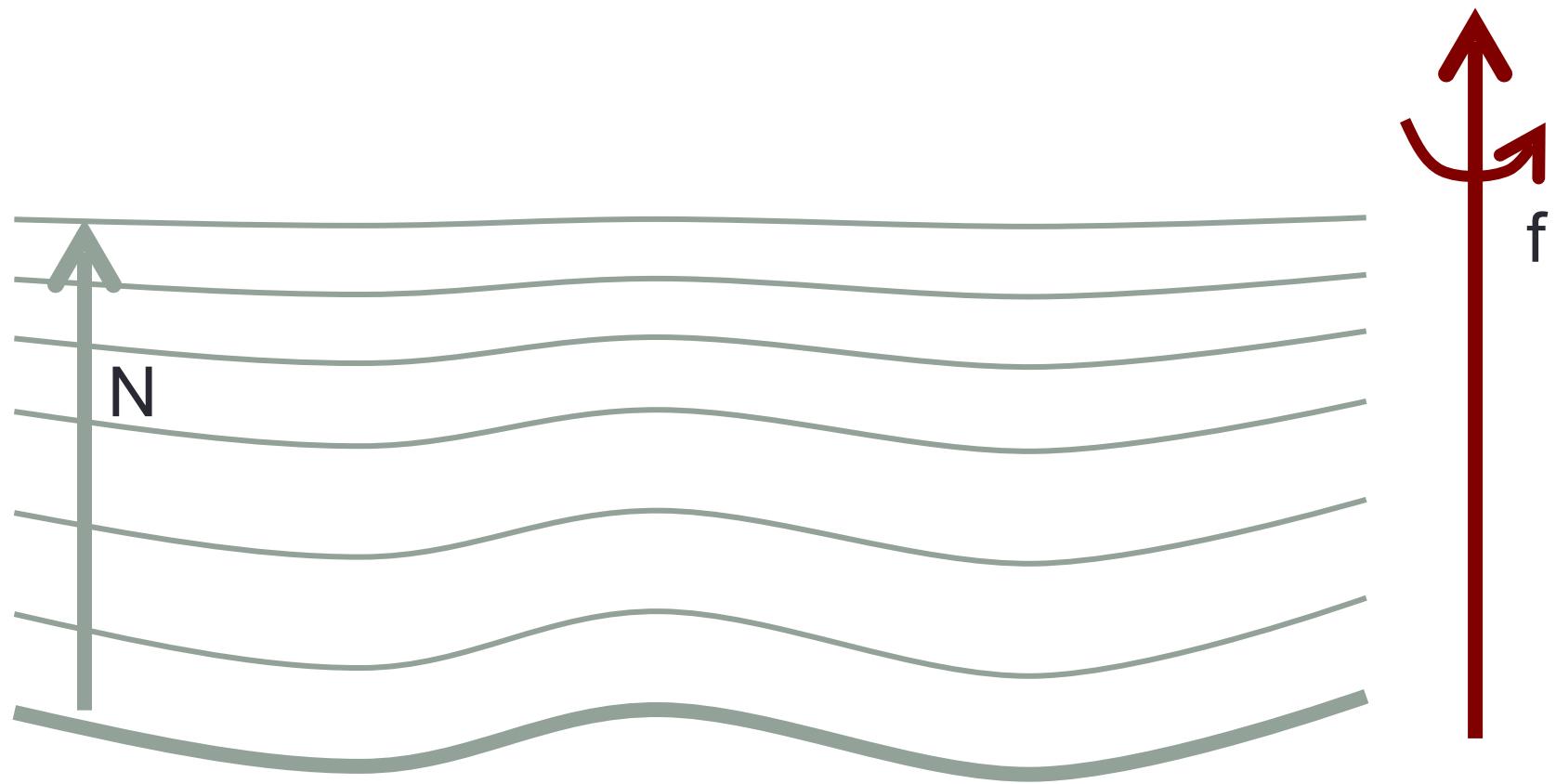
Visible light, (credit NASA)

#1

Which Equations?

Which Equations?

Ingredients : rotation + stratification



Which Equations?

- Momentum equations (3d)
- Conservation of mass
- Conservation of heat
- Conservation of salinity
- Equation of state :

$$\frac{D\vec{u}}{Dt} = \dots$$

$$\frac{D\rho}{Dt} = \mathcal{S}_\rho$$

$$\frac{DT}{Dt} = \mathcal{S}_T$$

$$\frac{DS}{Dt} = \mathcal{S}_S$$

$$\rho = \rho(T, S, p)$$

[7 equations for the 7 variables: u,v,w,p,T,S,ρ]

Which Equations?

- Momentum equations (3d)
- Conservation of mass

$$\frac{D\vec{u}}{Dt} = \dots$$
$$\frac{D\rho}{Dt} = \mathcal{S}_\rho$$

- Conservation of heat
- Conservation of salinity
- Equation of state :

$$\frac{DT}{Dt} = \mathcal{S}_T$$
$$\frac{DS}{Dt} = \mathcal{S}_S$$
$$\rho = \rho(T, S, p)$$

[7 equations for the 7 variables: u,v,w,p,T,S,ρ]

Equations for momentum/mass?

- Navier-Stokes Equations (NS)
- Non-hydrostatic Primitive Equations (NH)
- Hydrostatic Primitive Equations (PE)
- Shallow-water (SW)
- Quasi-geostrophic (QG)
- 2D Euler equations
- Etc.

Type of models

Navier
Stokes

- DNS = Direct Numerical Simulation
- LES = Large Eddy Simulation

PE

- PE = Primitive Equations models

SW

- SW = Shallow-Water models

SQG

- SQG = Surface Quasi-Geostrophic models

QG

- QG = Quasi-Geostrophic models

- Etc.

CFD

Process
studies

Ocean
Circulation
Models

Idealized
models

Equations for momentum/mass?

Navier-Stokes Equations:

$$\frac{\partial \vec{u}}{\partial t} + \vec{u} \cdot \vec{\nabla} \vec{u} + 2\vec{\Omega} \times \vec{u} + g\vec{k} = -\frac{\vec{\nabla} P}{\rho} + \vec{\mathcal{F}}$$

Momentum equations

$$\frac{\partial \rho}{\partial t} + \vec{\nabla} \cdot \rho \vec{u} = 0$$

Mass conservation
(no source/sink)

Equations for momentum/mass?

Navier-Stokes Equations:

$$\frac{\partial \vec{u}}{\partial t} + \vec{u} \cdot \vec{\nabla} \vec{u} + 2\vec{\Omega} \times \vec{u} + g\vec{k} = -\frac{\vec{\nabla} P}{\rho} + \vec{\mathcal{F}}$$

Time variation Advection (inertia) Rotation Gravity Pressure gradient Forcings + Dissipation

$$\frac{\partial \rho}{\partial t} + \vec{\nabla} \cdot \rho \vec{u} = 0$$

Mass conservation
(no source/sink)

Equations for momentum/mass?

Navier-Stokes Equations:

Linearized momentum equations

+ continuity equation

+ adiabatic motion :

= Acoustic modes (sound waves)

$$\rho_0 \frac{\partial \vec{u}}{\partial t} = -\vec{\nabla} P$$

$$\frac{\partial P}{\partial t} = -\rho_0 c_s^2 \vec{\nabla} P \cdot \vec{u}$$

$$\partial_{tt} P = c_s^2 \nabla^2 P$$

With $c_s \approx 1500 \text{ m s}^{-1}$ in water, a model requires a very small time-step to solve these equations.

Equations for momentum/mass?

Boussinesq Approximation:

Density perturbations small compared to mean background value:

$$\rho = \rho_0 + \rho' \quad \rho' \ll \rho_0$$

Linearize all terms involving a product with density,
except the gravity term which is already linear:

$$\rho \vec{u} \rightarrow \rho_0 \vec{u}$$

$$\rho g \rightarrow \rho g$$

Equations for momentum/mass?

Boussinesq Approximation :

[+ incompressibility or adiabatic]

$$\frac{\partial \rho}{\partial t} + \vec{\nabla} \cdot \rho \vec{u} = 0$$



Continuity equation

$$\vec{\nabla} \cdot \vec{u} = 0$$

Equations for momentum/mass?

Boussinesq Approximation:

Note: EOS needs to be modified for consistency

$$\rho = \rho(T, S, p) \longrightarrow \rho = \rho(T, S, z)$$

Equations for momentum/mass?

Non hydrostatic boussinesq (NH):

$$\frac{\partial \vec{u}}{\partial t} + \vec{u} \cdot \vec{\nabla} \vec{u} + 2\vec{\Omega} \times \vec{u} + \frac{\rho}{\rho_0} g \vec{k} = -\frac{\vec{\nabla} P}{\rho_0} + \frac{\vec{\mathcal{F}}}{\rho_0} + \frac{\vec{\mathcal{D}}}{\rho_0}$$

$$\vec{\nabla} \cdot \vec{u} = 0$$

Easier to solve than Navier-Stokes, but still requires to invert a 3d elliptic equation for P (computationally expansive)

Equations for momentum/mass?

Hydrostatic balance:

The vertical component of the Boussinesq momentum equations is

$$\frac{\partial w}{\partial t} + \vec{u} \cdot \vec{\nabla} w + 2\Omega \cos\phi v + \frac{\rho}{\rho_0} g = -\frac{\partial_z P}{\rho_0} + \frac{\mathcal{F}_w}{\rho_0} + \frac{\mathcal{D}_w}{\rho_0}$$

For long horizontal motions ($L \gg H$) the dominant balance is

$$H \sim 3000 \text{ m}$$
$$L \sim 3000 \text{ km}$$

$$\frac{\partial P}{\partial z} = -\rho g$$

Such that pressure is just a vertical integral: $P = \int_z^\eta g\rho dz$

Equations for momentum/mass?

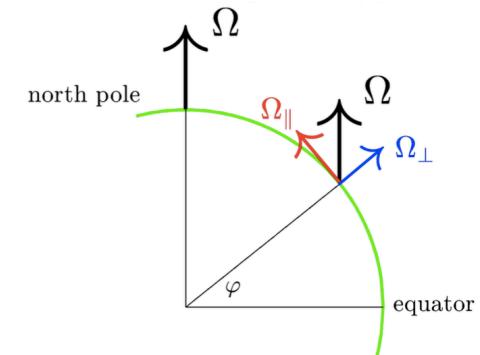
Traditional approximation

= neglect horizontal Coriolis term

$$\frac{\partial \vec{u}}{\partial t} + \vec{u} \cdot \vec{\nabla} \vec{u} + 2\vec{\Omega} \times \vec{u} + \frac{\rho}{\rho_0} g \vec{k} = - \frac{\vec{\nabla} P}{\rho_0} + \vec{\mathcal{F}} + \vec{\mathcal{D}}$$



$$\frac{\partial \vec{u}}{\partial t} + \vec{u} \cdot \vec{\nabla} \vec{u} + f \vec{k} \times \vec{u} + \frac{\rho}{\rho_0} g \vec{k} = - \frac{\vec{\nabla} P}{\rho_0} + \vec{\mathcal{F}} + \vec{\mathcal{D}}$$



Equations for momentum/mass?

Hydrostatic Primitive Equations (PE)

- 2d momentum with Boussinesq approximation:

$$\frac{\partial u}{\partial t} + \vec{u} \cdot \vec{\nabla}_H u + w \frac{\partial u}{\partial z} - fv = -\frac{\partial_x P}{\rho_0} + \mathcal{F}_u + \mathcal{D}_u$$

$$\frac{\partial v}{\partial t} + \vec{u} \cdot \vec{\nabla}_H v + w \frac{\partial v}{\partial z} + fu = -\frac{\partial_y P}{\rho_0} + \mathcal{F}_v + \mathcal{D}_v$$

- Hydrostatic:

$$\frac{\partial P}{\partial z} = -\rho g$$

- Continuity equation for an incompressible fluid: $\vec{\nabla} \cdot \vec{u} = 0$

Equations for PE Ocean Models

Hydrostatic Primitive Equations (PE)

- 2d momentum with Boussinesq approximation:

$$\begin{aligned}\frac{\partial u}{\partial t} + \vec{u} \cdot \vec{\nabla}_H u + w \frac{\partial u}{\partial z} - fv &= -\frac{\partial_x P}{\rho_0} + \mathcal{F}_u + \mathcal{D}_u \\ \frac{\partial v}{\partial t} + \vec{u} \cdot \vec{\nabla}_H v + w \frac{\partial v}{\partial z} + fu &= -\frac{\partial_y P}{\rho_0} + \mathcal{F}_v + \mathcal{D}_v\end{aligned}$$

- Hydrostatic: $\frac{\partial P}{\partial z} = -\rho g$
- Continuity equation for an incompressible fluid: $\vec{\nabla} \cdot \vec{u} = 0$
- Conservation of heat and salinity $\frac{DT}{Dt} = \mathcal{S}_T \quad \frac{DS}{Dt} = \mathcal{S}_S$
- Equation of state : $\rho = \rho(T, S, z)$

Equations for PE Ocean Models

Hydrostatic Primitive Equations (PE)

- 4 prognostics equations for u , v , T , S
- 3 diagnostics equations for w , ρ , P

Equations for PE Ocean Models

Hydrostatic Primitive Equations (PE)

- 2d momentum with Boussinesq approximation:

?

$$\begin{aligned}\frac{\partial u}{\partial t} + \vec{u} \cdot \vec{\nabla}_H u + w \frac{\partial u}{\partial z} - fv &= -\frac{\partial_x P}{\rho_0} + \mathcal{F}_u + \mathcal{D}_u \\ \frac{\partial v}{\partial t} + \vec{u} \cdot \vec{\nabla}_H v + w \frac{\partial v}{\partial z} + fu &= -\frac{\partial_y P}{\rho_0} + \mathcal{F}_v + \mathcal{D}_v\end{aligned}$$

- Hydrostatic:

$$\frac{\partial P}{\partial z} = -\rho g$$

- Continuity equation for an incompressible fluid:

$$\vec{\nabla} \cdot \vec{u} = 0$$

- Conservation of heat and salinity

$$\frac{DT}{Dt} = \boxed{\mathcal{S}_T} \quad \frac{DS}{Dt} = \boxed{\mathcal{S}_S}$$

- Equation of state :

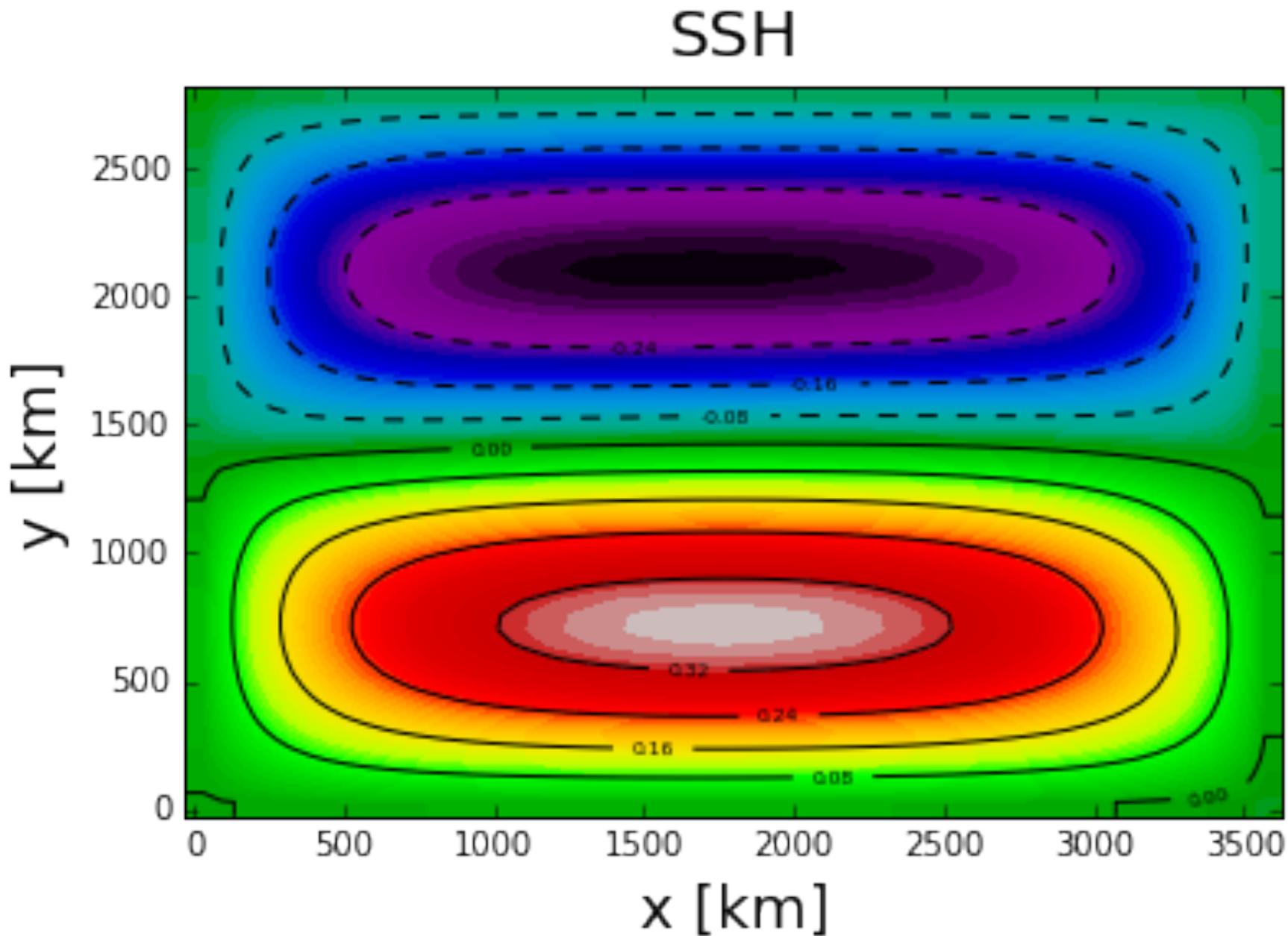
$$\rho = \rho(T, S, z)$$

Equations for PE Ocean Models

Hydrostatic Primitive Equations (PE)

- 4 prognostics equations for u , v , T , S
 - 3 diagnostics equations for w , ρ , P
- + Forcings (wind, heat flux)
- + sub-grid scale parameterizations (bottom drag, mixing, etc.)

Activity 1 - Run an idealized ocean basin



Activity 1 - Run an idealized ocean basin

- **Jobcomp** (compilation)
- **cppdefs.h** (Numerical/physical options)
- **param.h** (gris size/ parallelisation)
- **croco.in** (choice of variables, parameter values, etc.)

1) Preparing and compiling the model

For that use the jobcomp bash file

`./jobcomp`

1. Set library path
2. Automatic selection of option accordingly the platform used
3. Use of makefile
 - C-preprocessing step : .F → .f using the CPP keys defintions (in cppdefs.h file, customization of the code)
 - Compilation step : .f → .o (object) using Fortran compiler
 - Linking step : link all the .o file and the librairy (Netcdf, MPI, AGRIF)
 -
 - --> produce the executable **roms**

1) Preparing and compiling the model

Edit the param.h and cppdefs.h file to set-up the model

`param.h` defines the size of the arrays in ROMS:

```
...  
#elif defined REGIONAL  
# if defined BENGUELA  
    parameter (LLm0=23, MMm0=31, N=32) <--- Southern Benguela test Model  
# else  
    parameter (LLm0=??, MMm0=??, N=??)  
# endif
```

Given by running make_grid

Defined in romstools_param.m

`cppdefs.h`:  Basic options
More advanced options

- Define CPP keys used by the C-preprocessor when compiling the model.
 - Reduce the code to its minimal size: fast compilation.
 - Avoid FORTRAN logical statements: efficient coding.

1) Preparing and compiling the model

View
cppdef.h
file



```
!
!-----+
!      BASIC OPTIONS
!-----+
*/
/*          Configuration Name */
#define BENGUELA
/*          Parallelization */
#undef OPENMP
#undef MPI
/*          Embedding */
#undef AGRIF
/*          Open Boundary Conditions */
#undef TIDES
#define OBC_EAST
#define OBC_WEST
#define OBC_NORTH
#define OBC_SOUTH
/*          Embedding conditions */
#ifndef AGRIF
#define AGRIF_OBC_EAST
#define AGRIF_OBC_WEST
#define AGRIF_OBC_NORTH
#define AGRIF_OBC_SOUTH
#endif
/*          Applications */
#undef BIOLOGY
#undef FLOATS
#undef STATIONS
#undef PASSIVE_TRACER
#undef SEDIMENTS
#undef BBL
```

```
!
!-----+
!      MORE ADVANCED OPTIONS
!-----+
*/
/*          Model dynamics */
#define SOLVE3D
#define UV_COR
#define UV_ADV
#ifndef TIDES
#define SSH_TIDES
#define UV_TIDES
#define TIDERAMP
#endif
/*          Grid configuration */
#define CURVGRID
#define SPHERICAL
#define MASKING
/*          Input/Output & Diagnostics */
#define AVERAGES
#define AVERAGES_K
#define DIAGNOSTICS_TS
#define DIAGNOSTICS_UV
/*          Equation of State */ ...
/*          Surface Forcing */ ...
/*          Lateral Forcing */ ...
/*          Input/Output & Diagnostics */ ...
/*          Bottom Forcing */ ...
/*          Point Sources - Rivers */ ...
/*          Lateral Mixing */ ...
/*          Vertical Mixing */ ...
/*          Open Boundary Conditions */ ...
/*          Embedding conditions */ ...
```

2) Running the model

The namelist roms.in

roms.in provides the run time parameters for ROMS:

```

title: Southern Benguela
time_stepping: NTIMES dt[sec] NDTFAST NINFO
        480    5400   60   1
S-coord: THETA_S, THETA_B, Hc (m)
        6.0d0  0.0d0  10.0d0
grid: filename
        ROMS_FILES/roms_grd.nc
forcing: filename
        ROMS_FILES/roms_frc.nc
bulk_forcing: filename
        ROMS_FILES/roms_blk.nc
climatology: filename
        ROMS_FILES/roms_clm.nc
boundary: filename
        ROMS_FILES/roms_bry.nc
initial: NRREC filename
        1
        ROMS_FILES/roms_ini.nc
restart: NRST, NRPFRST / filename
        480 -1
        ROMS_FILES/roms_RST.nc

```

**Warning ! These
should be identical to
the ones in
romstools_param.m**

```

history: LDEFHIS, NWRT, NRPFHIS / filename
        T 480 0
        ROMS_FILES/roms_his.nc
averages: NTSAVG, NAVG, NRPFAVG / filename
        1 48 0
        ROMS_FILES/roms_avg.nc
primary_history_fields: zeta UBAR VBAR U V wrtT(1:NT)
        T F F F F 10*T
auxiliary_history_fields: rho Omega W Akv Akt Aks HBL Bostr
        F F F F F F F F
primary_averages: zeta UBAR VBAR U V wrtT(1:NT)
        T T T T T 10*T
auxiliary_averages: rho Omega W Akv Akt Aks HBL Bostr
        F T T F T F T T
rho0:
        1025.d0
lateral_visc: VISC2, VISC4 [m^2/sec for all]
        0. 0.
tracer_diff2: TNU2(1:NT) [m^2/sec for all]
        10*0.d0
bottom_drag: RDRG [m/s], RDRG2, Zob [m], Cdb_min, Cdb_max
        0.0d-04 0.d-3 1.d-2 1.d-4 1.d-1
gamma2:
        1.d0
sponge: X_SPONGE [m], V_SPONGE [m^2/sec]
        100.e3     800.
nudg_cof: TauT_in, TauT_out, TauM_in, TauM_out [days for all]
        1. 360. 10. 360.

```

Activity 1 - Run an idealized ocean basin

- **param.h**

```
parameter (LLm0=60, MMm0=50, N=10)
```

- **cppdefs.h**

```
# define UV_COR  
# define UV_VIS2  
# define TS_DIF2
```

```
# define ANA_GRID  
# define ANA_INITIAL
```

- **ana_grid.F**

```
f0=1.E-4  
beta=0.
```

- **croco.in**

```
bottom_drag: RDRG(m/s), RDRG2, Zob [m], Cdb_min, Cdb_max  
            3.e-4          0.        0.        0.        0.  
gamma2: 1.  
lin_EOS_cff: R0 [kg/m3], T0 [Celsius], S0 [PSU], TCOEF [1/Celsius], SCOEF [1/PSU]  
           30.          0.          0.        0.28        0.  
lateral_visc: VIS2 [m^2/sec ]  
              1000.    0.  
tracer_diff2: TNU2 [m^2/sec]  
              1000.    0.
```

Homework

- For next time:
 - Read <https://www.jgula.fr/ModNum/Stommel48.pdf>
 - Read <https://www.jgula.fr/ModNum/Munk50.pdf>
 -