

Quicksort Algorithm

In this tutorial, you will learn how quicksort works. Also, you will find working examples of quicksort in C, C++ Python and Java.

Quicksort is an algorithm based on divide and conquer approach in which the array is split into subarrays and these sub-arrays are recursively called to sort the elements.

How QuickSort Works?

1. A pivot element is chosen from the array. You can choose any element from the array as the pivot element.

Here, we have taken the rightmost (ie. the last element) of the array as the pivot element.

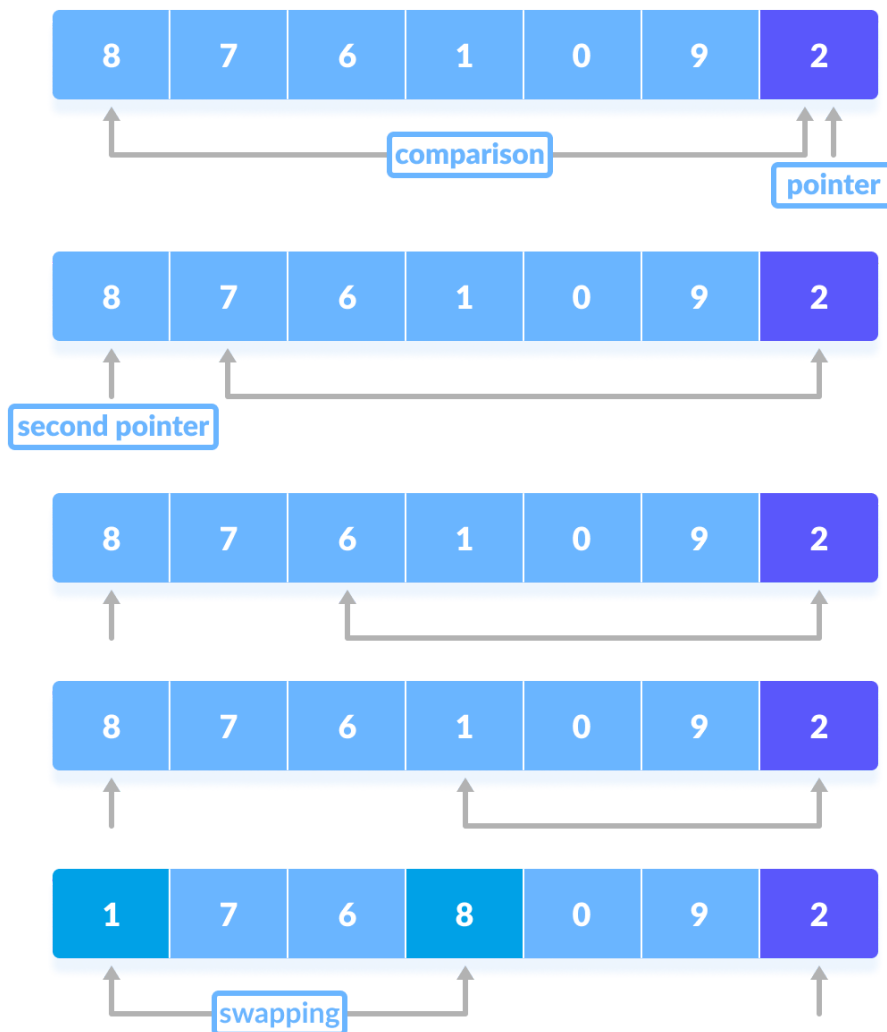


2. The elements smaller than the pivot element are put on the left and the elements greater than the pivot element are put on the right.



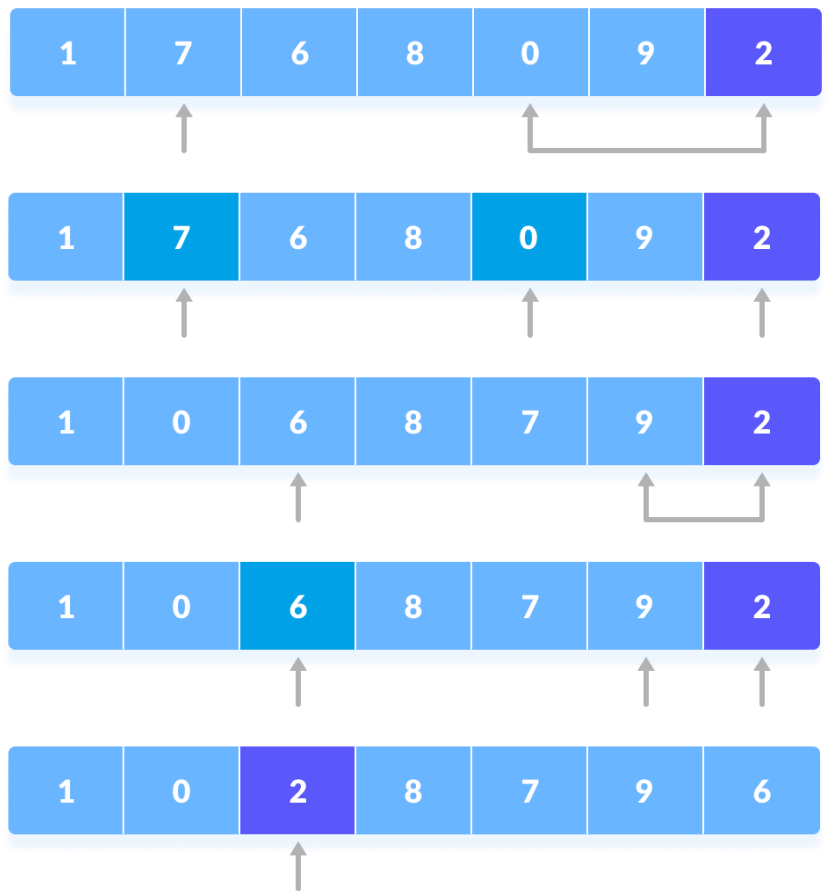
The above arrangement is achieved in the following steps.

- a. A pointer is fixed at the pivot element. The pivot element is compared with the elements beginning from the first index. If the element greater than the pivot element is reached, a second pointer is set for that element.
- b. Now, the pivot element is compared with the other elements. If element smaller than the pivot element is reached, the smaller element is swapped with the greater element found earlier.



- c. The process goes on until the second last element is reached.

d. Finally, the pivot element is swapped with the second pointer.



3. Pivot elements are again chosen for the left and the right sub-parts separately.
Within these sub-parts, the pivot elements are placed at their right position. Then,

step 2 is repeated.



4. The sub-parts are again divided into smallest sub-parts until each subpart is formed of a single element.
5. At this point, the array is already sorted.

Quicksort uses recursion for sorting the sub-parts.

On the basis of Divide and conquer approach, quicksort algorithm can be explained as:

- **Divide**

The array is divided into subparts taking pivot as the partitioning point. The elements smaller than the pivot are placed to the left of the pivot and the elements greater than the pivot are placed to the right.

- **Conquer**

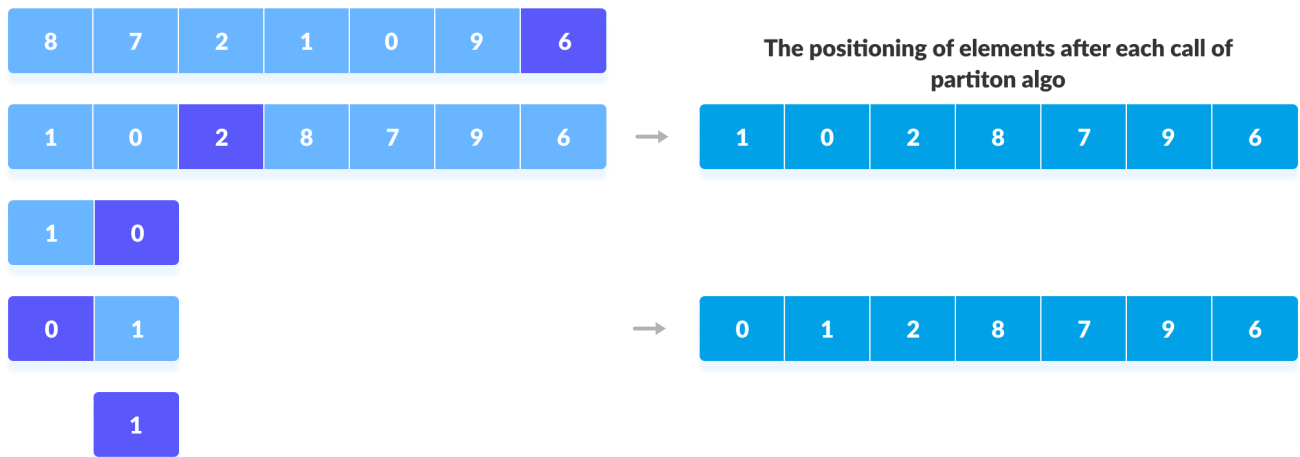
The left and the right subparts are again partitioned using the by selecting pivot elements for them. This can be achieved by recursively passing the subparts into the algorithm.

- **Combine**

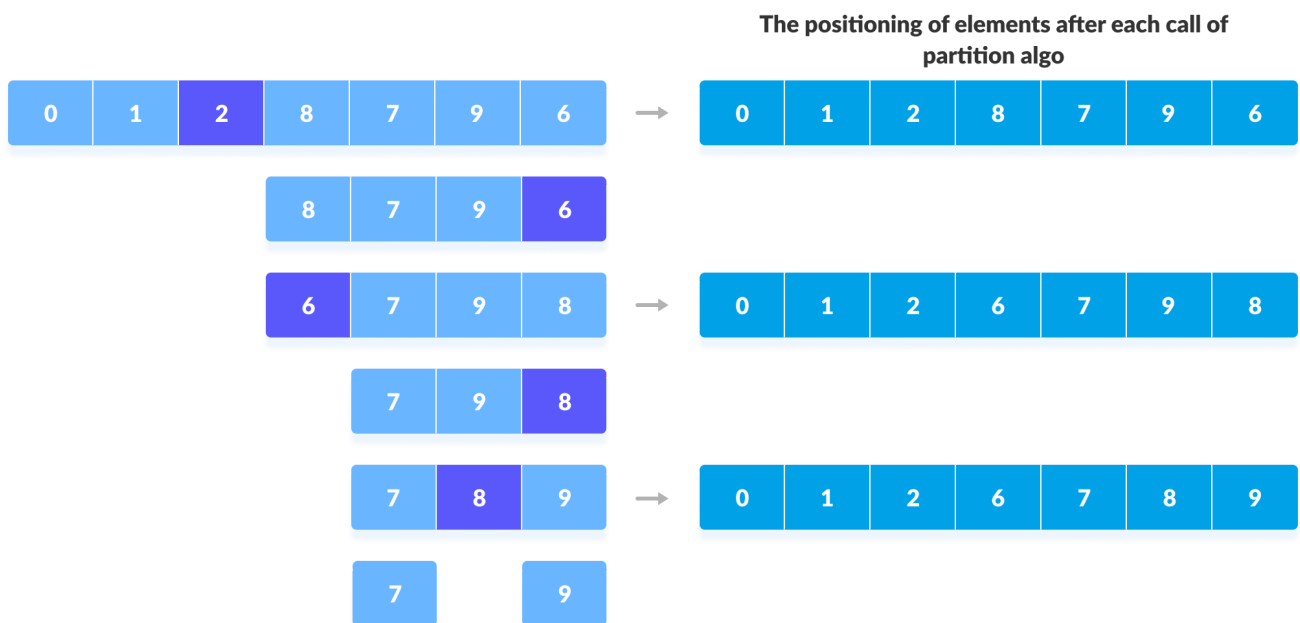
This step does not play a significant role in quicksort. The array is already sorted at the end of the conquer step.

You can understand the working of quicksort with the help of an example/illustration below.

quicksort(arr, low, pi-1)



quicksort(arr, pi+1, high)



Quick Sort Algorithm

```
quicksort(array, leftmostIndex, rightmostIndex)
  if (leftmostIndex < rightmostIndex)
    pivotIndex <- partition(array, leftmostIndex, rightmostIndex)
    quicksort(array, leftmostIndex, pivotIndex)
```

Contents

```

        quickSort(array, pivotIndex + 1, rightmostIndex)

partition(array, leftmostIndex, rightmostIndex)
    set rightmostIndex as pivotIndex
    storeIndex <- leftmostIndex - 1
    for i <- leftmostIndex + 1 to rightmostIndex
        if element[i] < pivotElement
            swap element[i] and element[storeIndex]
            storeIndex++
    swap pivotElement and element[storeIndex+1]
    return storeIndex + 1

```

Python, Java and C/C++ Examples

Python

Java

C

C+

```

# Quick sort in Python

def partition(array, low, high):
    pivot = array[high]
    i = low - 1

    for j in range(low, high):
        if array[j] <= pivot:
            i = i + 1
            (array[i], array[j]) = (array[j], array[i])

    (array[i + 1], array[high]) = (array[high], array[i + 1])
    return i + 1

def quickSort(array, low, high):
    if low < high:
        pi = partition(array, low, high)
        quickSort(array, low, pi - 1)
        quickSort(array, pi + 1, high)

data = [8, 7, 2, 1, 0, 9, 6]
size = len(data)
quickSort(data, 0, size - 1)
print('Sorted Array in Ascending Order:')
print(data)

```

Complexity

Contents

Time Complexities

- **Worst Case Complexity [Big-O]:** $O(n^2)$

It occurs when the pivot element picked is always either the greatest or the smallest element.

In the above algorithm, if the array is in descending order, the partition algorithm always picks the smallest element as a pivot element.

- **Best Case Complexity [Big-omega]:** $O(n \cdot \log n)$

It occurs when the pivot element is always the middle element or near to the middle element.

- **Average Case Complexity [Big-theta]:** $O(n \cdot \log n)$

It occurs when the above conditions do not occur.

Space Complexity

The space complexity for quicksort is $O(n \cdot \log n)$.

Quicksort Applications

Quicksort is implemented when

- the programming language is good for recursion
- time complexity matters
- space complexity matters

Data Structure & Algorithms

[Bubble Sort Algorithm](#)

[Insertion Sort Algorithm](#)

[Selection Sort Algorithm](#)

[Heap Sort Algorithm](#)

[Merge Sort Algorithm](#)

[Stack](#)

[Queue](#)

[Circular Queue](#)

[Linked List](#)

[Types of Linked List - Singly linked, doubly linked and circular](#)

[Linked List Operations](#)

[Tree Data Structure](#)

[Tree Traversal - inorder, preorder and postorder](#)

[Binary Search Tree\(BST\)](#)

[Graph Data Structure](#)

[DFS algorithm](#)

[Adjacency List](#)

Contents

Adjacency Matrix

Breadth first search

Kruskal's Algorithm

Prim's Algorithm

Dynamic Programming

Dijkstra's Algorithm

Bellman Ford's Algorithm

Quicksort Algorithm

Counting Sort Algorithm

Radix Sort Algorithm

Shell Sort Algorithm

Bucket Sort Algorithm

Hash Table

Asymptotic Analysis

Heap Data Structure

Priority Queue

Red-Black Tree

Insertion in a Red-Black Tree

Deletion in a Red-Black Tree

Contents

[AVL Tree](#)

[Spanning Tree and Minimum Spanning Tree](#)

[Huffman Coding](#)

[Longest Common Subsequence](#)

[Master Theorem](#)

[Divide and Conquer Algorithm](#)

[Binary Search](#)

[Floyd-Warshall Algorithm](#)

[Strongly Connected Components](#)



Get Latest Updates on Programiz

Enter Your Email

Subscribe

TUTORIALS

[Python Tutorials](#)

[C Tutorials](#)

[Java Tutorials](#)

[Kotlin Tutorials](#)

[C++ Tutorials](#)

[Swift Tutorials](#)

[R Tutorials](#)

[DSA](#)

[Contents](#)

EXAMPLES

[Python Examples](#)

[C Examples](#)

[Java Examples](#)

[Kotlin Examples](#)

[C++ Examples](#)

[R Examples](#)

COMPANY

[About](#)

[Advertising](#)

[Contact](#)

LEGAL

[Privacy Policy](#)

[Terms And Conditions](#)

[App's Privacy Policy](#)

[App's Terms And Conditions](#)

Copyright © Parewa Labs Pvt. Ltd. All rights reserved.