Solutions to Homework #2

(a)
$$P_1 + P_2 + P_3 \le 2$$

(b)
$$P_1 - P_2 - P_3 \le 0$$

(c)
$$-P_1 + 2P_2 + P_3 \ge 1$$

2.

Let
$$P =$$
 the number of police cruisers to purchase

A = the number of ambulances to purchase

F = the number of fire trucks to purchase

F

s.t.

$$15000P + 25000A + 48000F \le 700000 \qquad \text{(budget)}$$

$$2A - F \ge 0 \qquad \text{(fire-truck ratio)}$$

$$15000P \qquad -96000F \ge 0 \qquad \text{(police-cruiser expenditure)}$$

$$F \ge 3$$

$$F \le 6$$

0 and integer

3. In this problem, you have to decide whether to include arc *ij* or not, which leads to the following decision variables:

 $x_{ij} = 1$ if arc ij is included in the collection, and 0 otherwise.

The desired integer program is:

$$\max \quad \sum_{i=1}^{n} \sum_{j=1}^{n} w_{ij} x_{ij}$$

s.t.

$$\sum_{j=1}^{n} x_{ij} \le 3 \text{ for all } i \ne j \text{ (at most 3 arcs can use node } i)$$

$$x_{ij} = 0$$
 for all ij that are not arcs and all $x_{ij} = 0$ or 1

- 4.
- (a) The optimal solution from Solver for the problem of BlubberMaid is:

Target Cell (Max)

		Original		
Cell	Name	Value	Final Value	
\$F\$12	Airtex Profit	39	13133.33333	

Adjustable Cells

		Original		
Cell	Name	Value	Final Value	
\$C\$12	Airtex Pounds	1	1000	
\$C\$13	Extendex Pounds	2	533.3333333	
\$C\$14	Resistex Pounds	3	400	

(b) The optimal solution from Solver for the Make-or-Buy problem is:

Target Cell (Max)

	Original		
Cell	Name	Value	Final Value
\$J\$14	CJ Profit	96	55000

Adjustable Cells

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	Cell	Name	Original Value	Final Value
	\$C\$15	AP	1	2000
	\$D\$15	BP	2	0
	\$E\$15	CP	3	2333.333333
	\$F\$15	AJ	4	0
	\$G\$15	BJ	5	4000
	\$H\$15	CJ	6	2666.666667

- (c) The Energy Problem is infeasible.
- 5. The results from using OpenSolver to solve the problem of Capital Bank lead to:
 - (a) The optimal solution $x_1 = 0$, $x_2 = 1$, $x_3 = 1$, $x_4 = 1$, which means you should invest in Projects 2, 3, and 4.
 - (b) With these investments, the return is expected to be \$42 million.
 - (c) The budget constraint is binding because the optimal plan is to invest all \$14 million (and so the slack variable has value 0).
- 6. The value you get for the total transportation cost varies with each birth date that is used. However, regardless of the birth date used, when you attempt to solve this problem using Solver, you get the following error message: To Many Variable Cells.