



# LINEAR PROGRAMMING

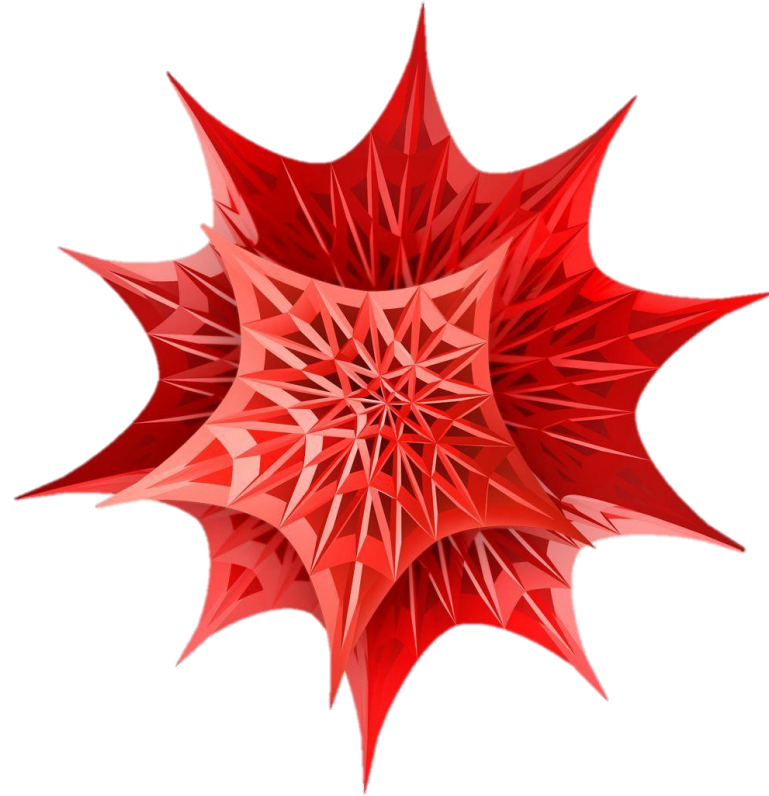
Zhiyuan Wang 12032878  
Supervisor: Ke Tang

# CONTENT

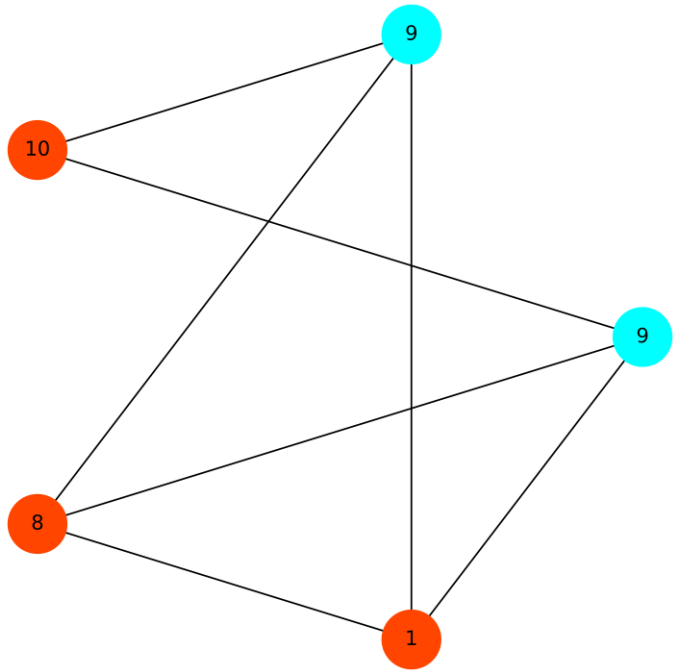
1. Greedy Set Cover Algorithm has best result
2. Price Method Algorithm has best result
3. LP-based Algorithm has best result

# LINEAR PROGRAMMING SOFTWARE

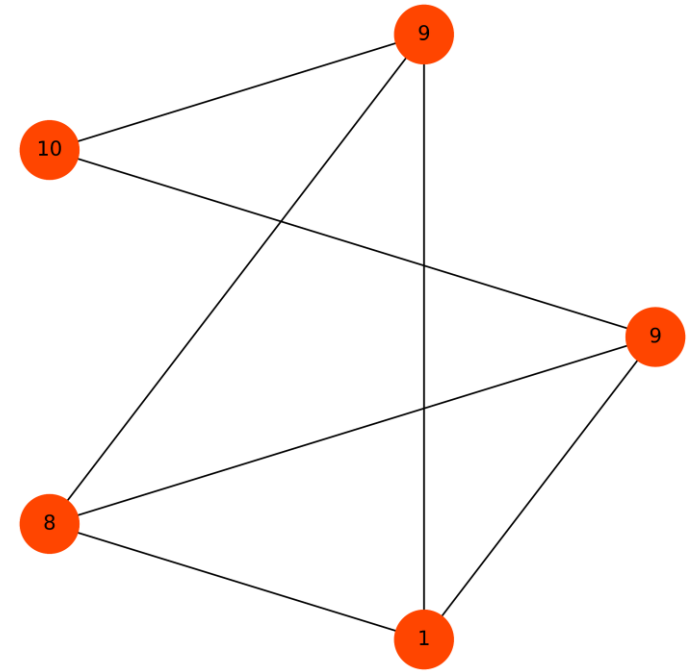
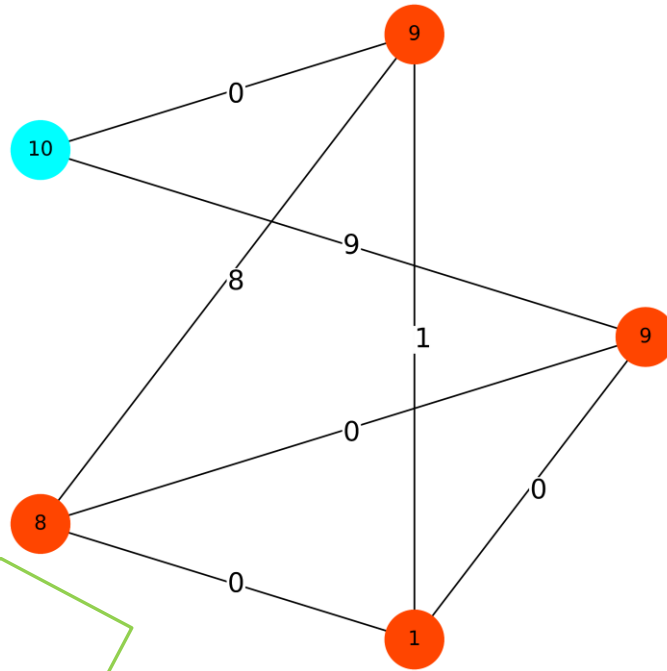
- The software which I use is Mathematica. It is a numerical calculation software published by the Wolfram company.
- In all of the example follow, I will use Mathematica to verify the result that I calculated by Python.



# GREEDY SET COVER ALGORITHM HAS BEST RESULT



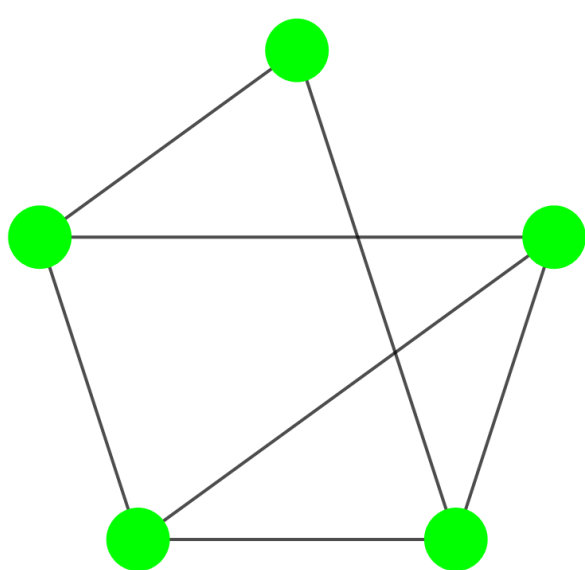
**Order  
Independent!**



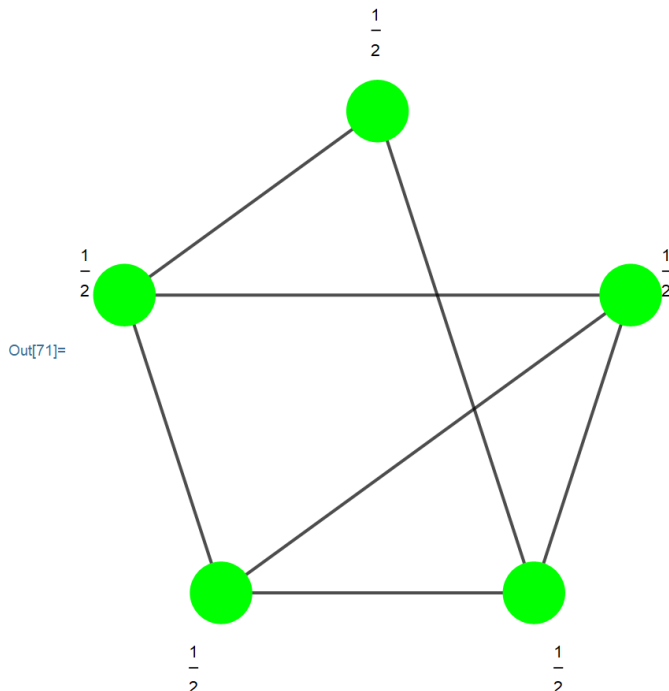
# LP RESULT FROM MATHEMATICA

```
In[45]:= M = {{0, 0, 1, 1, 1}, {0, 0, 1, 1, 1}, {0, 0, 0, 0, 0}, {0, 0, 0, 0, 0}, {0, 0, 0, 1, 0}};
weights = {9, 9, 10, 8, 1};
g = UndirectedGraph[AdjacencyGraph[M]];
edgeNum = 7;
nodeNum = 5;
```

In[36]:= g



```
In[71]:= SetProperty[%67, VertexLabels -> Table[i -> x[[i]], {i, 5}]]
[设置属性] [顶点的标签] [表格]
```



```
In[72]:= edges = Table[{i[[1]], i[[2]]}, {i, EdgeList[g]}];
[表格] [边的列表]
```

A =

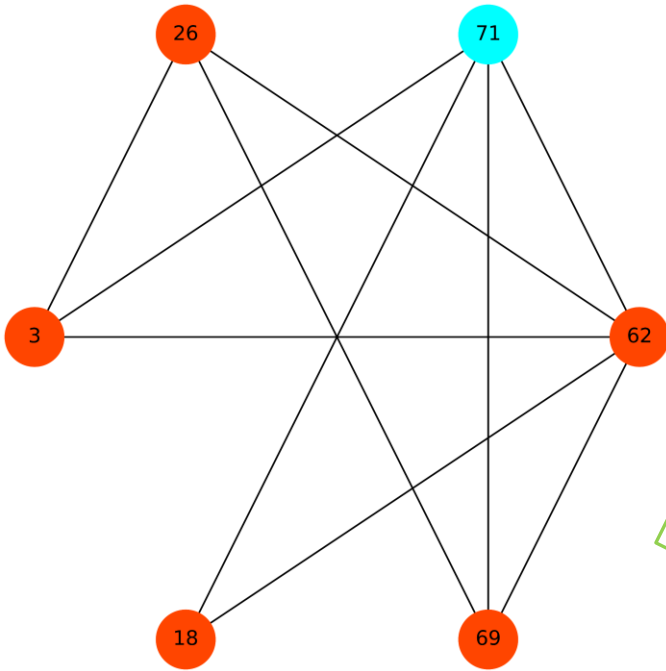
```
SparseArray[{Join[Table[{i, edges[[i]][[1]]}, {i, Length[edges]}], Table[{i, edges[[i]][[2]]}, {i, Length[edges]}], {edgeNum, nodeNum}];
[稀疏数组] [连接] [表格] [长度] [表格] [长度]
```

```
In[70]:= x = LinearProgramming[weights, A, Table[1, {i, edgeNum}], Table[{0, 1}, {i, nodeNum}], Method -> "Simplex"]
[线性规划] [表格] [表格] [方法]
```

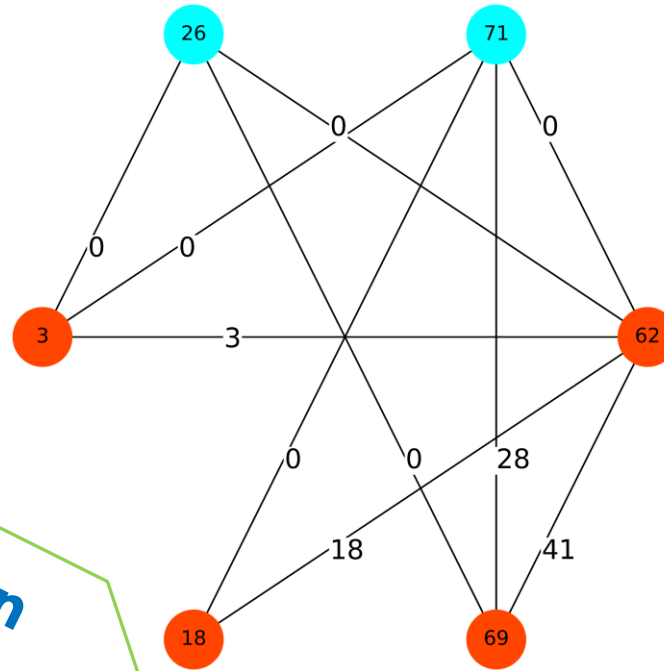
Out[70]=  $\left\{\frac{1}{2}, \frac{1}{2}, \frac{1}{2}, \frac{1}{2}, \frac{1}{2}\right\}$



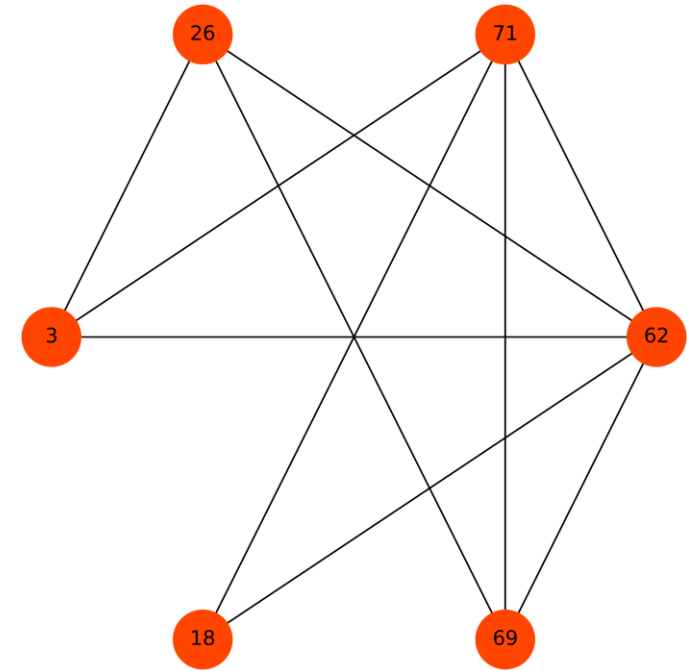
# PRICE METHOD ALGORITHM HAS BEST RESULT



Result From Greedy Set Cover  
Cost is 178



**Best Result** From Price Method  
The min cost is 152



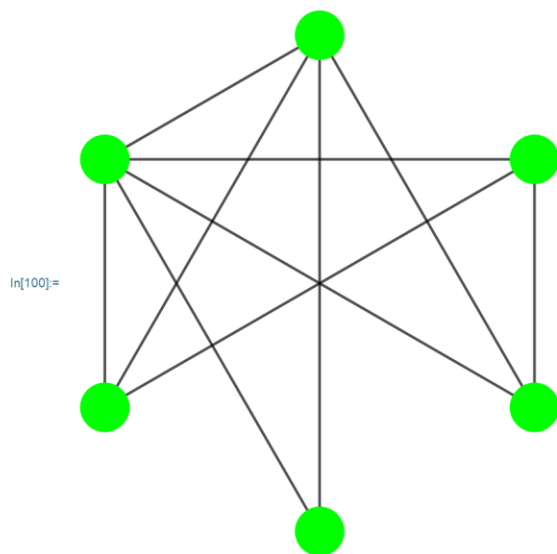
Result From LP-based  
Cost is 249

Depend on  
The Order (TwT)

# LP RESULT FROM MATHEMATICA

```
M = {{0, 0, 1, 1, 1, 0}, {1, 0, 0, 1, 0, 1}, {0, 0, 0, 1, 0, 1},
      {0, 0, 0, 0, 0, 0}, {0, 1, 0, 0, 0, 0}, {1, 0, 0, 0, 0, 0}};
weights = {62, 71, 26, 3, 18, 69};
g = UndirectedGraph[AdjacencyGraph[M]];
edgeNum = Length[EdgeList[g]];
nodeNum = Length[weights];
```

In[84]:= g



In[100]=

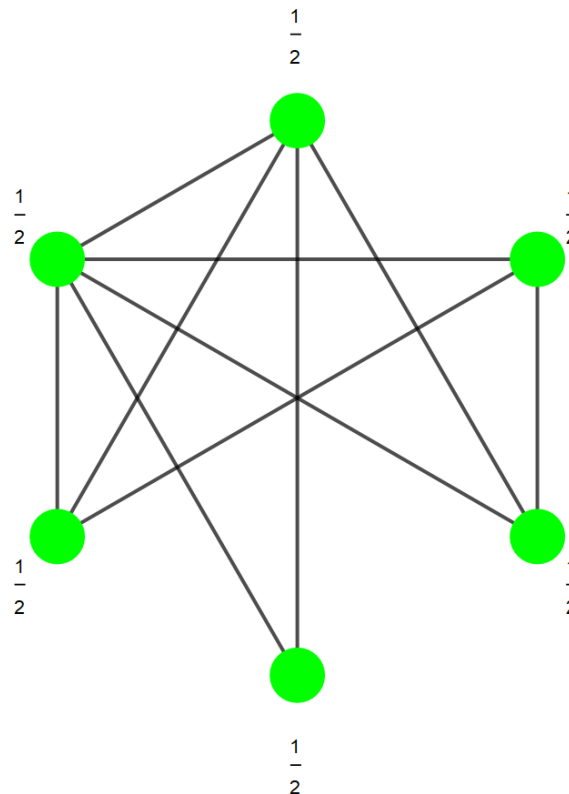
```
In[105]:= SetProperty[%100, VertexLabels -> Table[i -> x[[i]], {i, nodeNum}]]
```

[设置属性]

[顶点的标签]

[表格]

Out[105]=



```
In[102]:= edges = Table[{i[[1]], i[[2]]}, {i, EdgeList[g]}];
```

[表格]

[边的列表]

A =

```
SparseArray[Join[Table[{i, edges[[i]][[1]]}, {i, Length[edges]}], Table[{i, edges[[i]][[2]]}, {i, Length[edges]}], {edgeNum, nodeNum}];
```

[稀疏数组]

[连接]

[表格]

[长度]

[表格]

[长度]

```
In[104]:= x = LinearProgramming[weights, A, Table[1, {i, edgeNum}], Table[{0, 1}, {i, nodeNum}], Method -> "Simplex"]
```

[线性规划]

[表格]

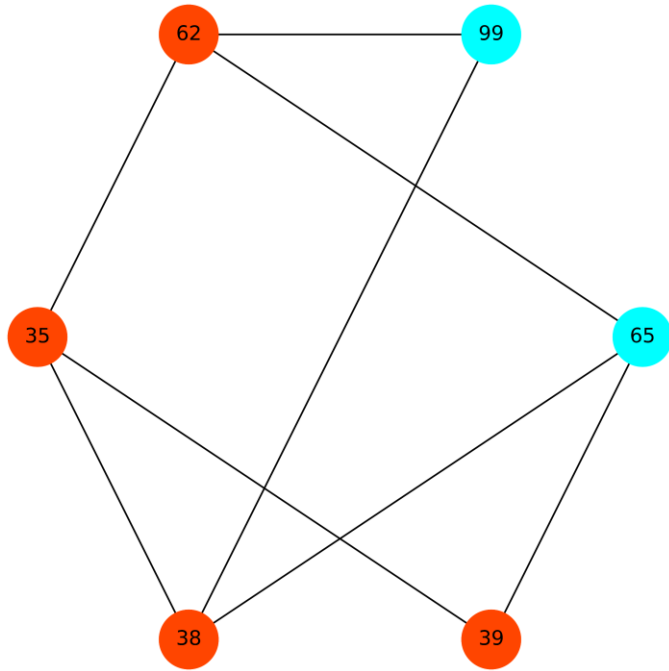
[表格]

[方法]

Out[104]=  $\left\{\frac{1}{2}, \frac{1}{2}, \frac{1}{2}, \frac{1}{2}, \frac{1}{2}, \frac{1}{2}\right\}$

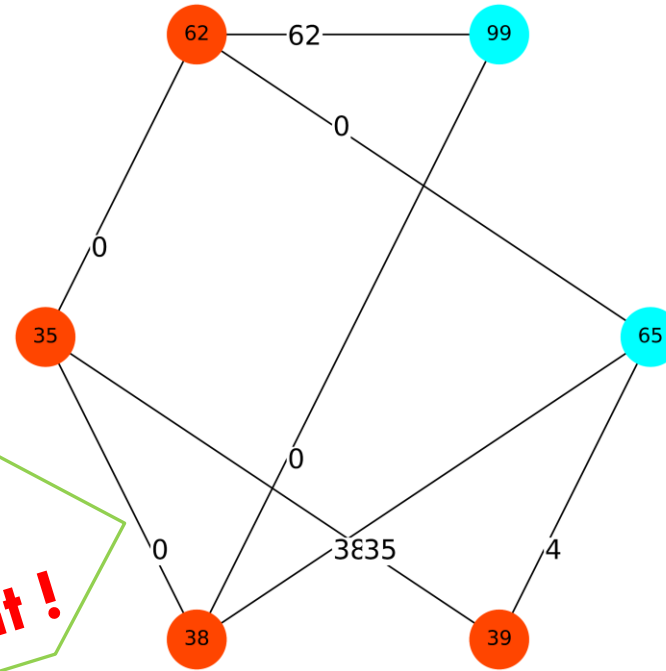


# GREEDY SET COVER ALGORITHM HAS BEST RESULT

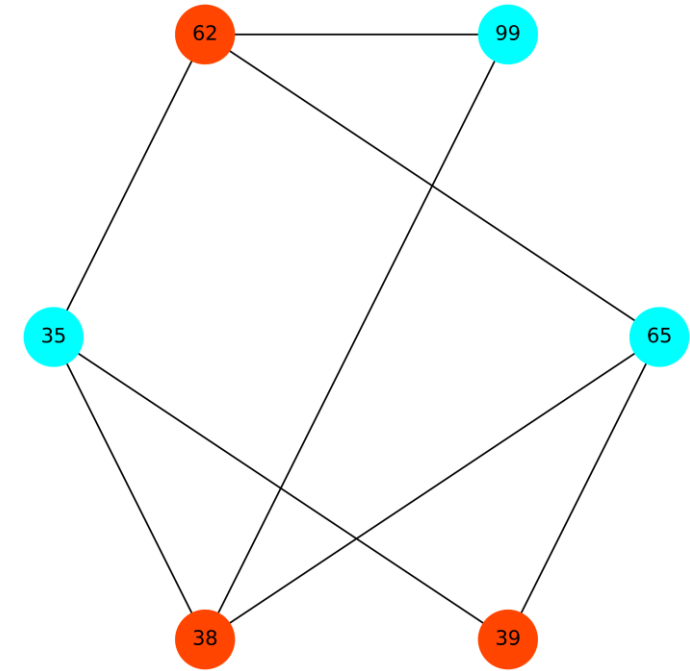


Result From Greedy Set Cover  
Cost is 174

**Order  
Independent!**



**Best Result** From Price Method  
The min cost is 174



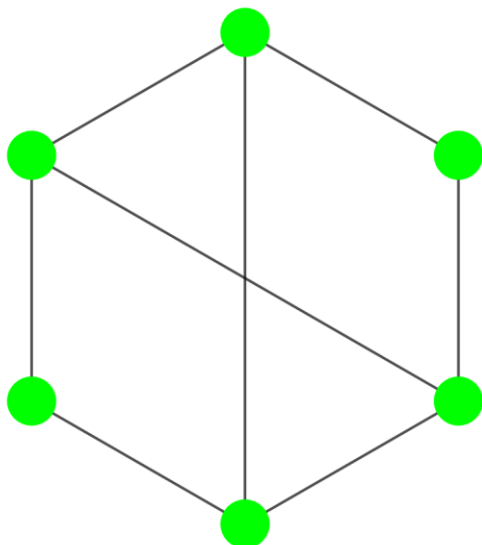
Result From LP-based  
Cost is 139



# LP RESULT FROM MATHEMATICA

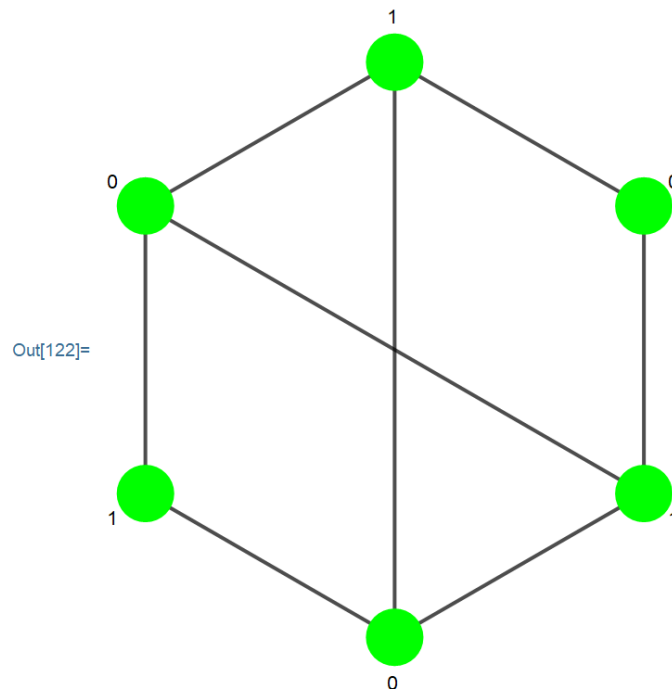
```
M = {{0, 0, 0, 0, 1, 1}, {0, 0, 1, 0, 1, 0}, {1, 0, 0, 1, 0, 0},
      {0, 0, 0, 0, 1, 0}, {0, 0, 0, 0, 0, 0}, {0, 0, 0, 1, 0, 0}};
weights = {65, 99, 62, 35, 38, 39};
g = UndirectedGraph[AdjacencyGraph[M]];
edgeNum = Length[EdgeList[g]];
nodeNum = Length[weights];
```

In[114]= g



In[121]=

```
In[122]= SetProperty[%121, VertexLabels -> Table[i -> x[[i]], {i, nodeNum}]]
[设置属性] [顶点的标签] [表格]
```



Out[122]=

```
In[111]= edges = Table[{i[[1]], i[[2]]}, {i, EdgeList[g]}];
[表格] [边的列表]
```

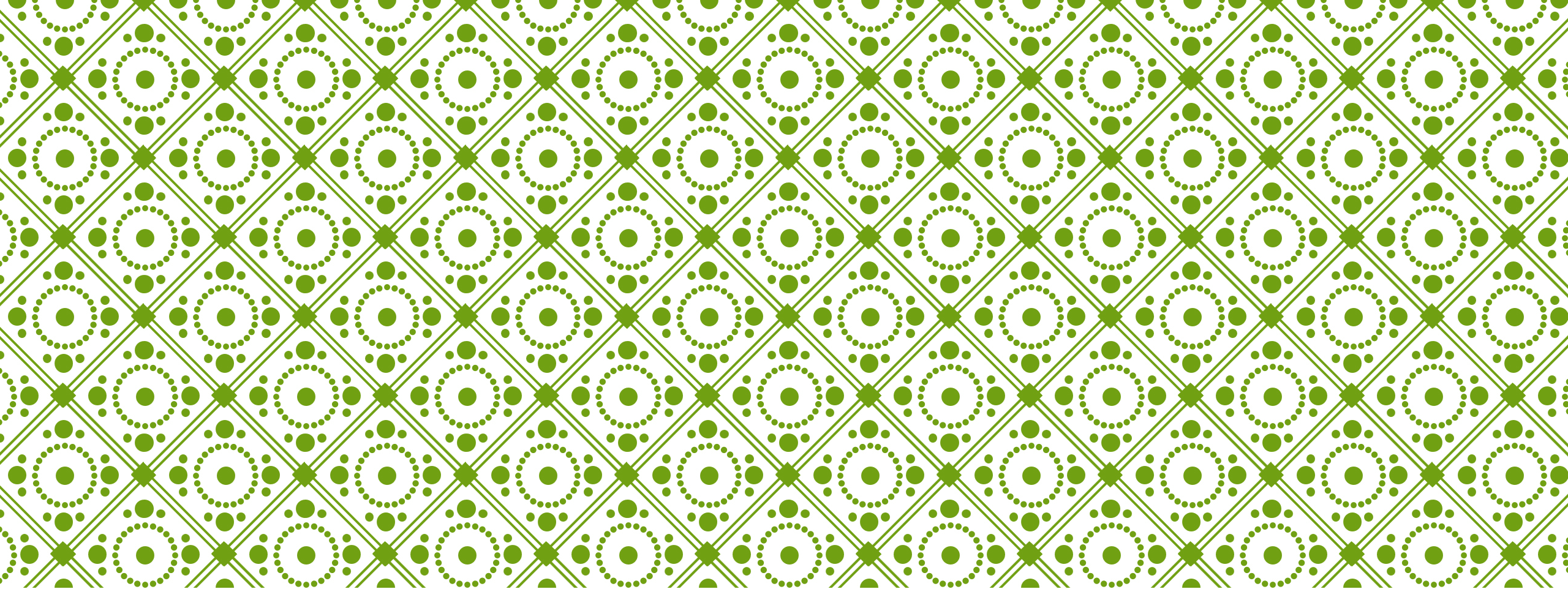
A =

```
SparseArray[{Join[Table[{i, edges[[i]][[1]]}, {i, Length[edges]}], Table[{i, edges[[i]][[2]]}, {i, Length[edges]}], {edgeNum, nodeNum}];
[稀疏数组] [连接] [表格] [长度] [表格] [长度]
```

```
In[113]= x = LinearProgramming[weights, A, Table[1, {i, edgeNum}], Table[{0, 1}, {i, nodeNum}], Method -> "Simplex"]
[线性规划] [表格] [表格] [方法]
```

Out[113]= {0, 0, 1, 0, 1, 1}





# THANK YOU !

Q&A