## Contents

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\label{eq:local_problem} $$//\ {\rm extending}\ F2\ {\rm with}\ A\ ring}\ r=(2,x),\ (A,B,Z,z0,z1,z2,a0,b0,a1,b1,a2,b2), $$ lp; $$//\ {\rm adding}\ in\ the\ minpoly\ minpoly}\ = x^3+x^2+1; $$ for\ ({\rm int}\ i=0;\ i<8;\ i++)\{\ {\rm printf}("{\rm printing}\ x^\%s=\%s",i,x^i);\ \}$ poly\ s0,s1,s2,s3,s4,zp0,zp1,zp2; $$ s0=a0*b0;\ s1=a1*b0+a0*b1;\ s2=a2*b0+a1*b1+a0*b2;\ s3=a2*b1+a1*b2;\ s4=a2*b2; $$ zp0=s0+s3+s4;\ zp1=s1+s4;\ zp2=s2+s3+s4; $$ poly\ f1=A+a0+a1*x+a2*x^2;\ poly\ f2=B+b0+b1*x+b2*x^2; $$ poly\ f3=Z+z0+z1*x+z2*x^2; $$ poly\ f3=Z+z0+z1*x+z2*x^2; $$ poly\ Z_{test}=A*B+Z;\ poly\ Z_{mine}=zp0+zp1*x+zp2*x^2; $$ poly\ miter=Z_{mine}+Z_{test}; $$ ideal\ I=s0,s1,s2,s3,s4,zp0,zp1,zp2,\ f1,\ f2,\ f3;\ "Expected";\ groebner(Z_{test},\ std(I));\ "Mine";\ groebner(Z_{mine},\ std(I));\ "Miter";\ groebner(miter,\ std(I)); quit; $$
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