

Basic concepts with R (part 3)

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1 Introduction

In this tutorial we are going to discuss some data data structure in R. Naturally, vectors are very important, but we need other kind of data if we are going to study language data. Here we are going to discuss matrices.

2 Matrices

A matrix is a bi-dimensional rectangular data structure, like a more complex vector. The image bellow translates the idea of a matrix in R:

	[,1]	[,2]	[,3]	[,4]	[,5]	[,6]	[,7]	[,8]	[,9]	[,10]
[1,]	3	33	63	93	123	153	183	213	243	273
[2,]	8	48	88	128	168	208	248	288	328	368
[3,]	9	39	69	99	129	159	189	219	249	279
[4,]	16	56	96	136	176	216	256	296	336	376
[5,]	15	45	75	105	135	165	195	225	255	285
[6,]	24	64	104	144	184	224	264	304	344	384
[7,]	21	51	81	111	141	171	201	231	261	291
[8,]	32	72	112	152	192	232	272	312	352	392
[9,]	27	57	87	117	147	177	207	237	267	297
[10,]	40	80	120	160	200	240	280	320	360	400

Figure 1: A matrix in R

A matrix is bidimensional because it represents data in terms of columns and rows. The rows are represented by the first element in the angle brackets before the comma, while the columns are represented by the second number after the comma, so:

- `[1,]` - represents the first row
- `[,4]` - represents the fourth column
- `[1,1]` - represents the intersection between the first row and the first column
- `[3,4]` - represents the intersection between the third row and the fourth column

In a matrix, all data have to be on the same format: a matrix contains only characters, or numbers etc. The command we usually create a matrix is:

```
matrix(data, nrow, ncol, byrow, dimnames)
```

These parameters are:

- **data**: an input vector.
- **nrow**: the number of rows.
- **ncol**: the number of columns.
- **byrow**: logical clue, *TRUE*: input is arranged by row.
- **dimname**: names assigned to rows columns.

Let us see an example of matrix:

```
columns.names <- c('col1','col2', 'col3')
rows.names <- c('row1','row2','row3','row4','row5')
My.Matrix <- matrix(c(1:15), nrow = 5, byrow = TRUE, dimnames = list(rows.names, columns.names))
My.Matrix.2 <- matrix(c(1:15), nrow = 5, byrow = FALSE)
My.Matrix.3 <- matrix(c(1:15), nrow = 5, ncol=5, byrow = TRUE)
typeof(My.Matrix)
```

```
## [1] "integer"
```

```
str(My.Matrix)
```

```
## int [1:5, 1:3] 1 4 7 10 13 2 5 8 11 14 ...
## - attr(*, "dimnames")=List of 2
## ..$ : chr [1:5] "row1" "row2" "row3" "row4" ...
## ..$ : chr [1:3] "col1" "col2" "col3"
```

We learnt a couple of things from the code above:

1. The operator `“:”` makes a numerical sequence in *R*
 2. The option `byrow = TRUE` distributes the elements by lines
- While `byrow = FALSE` distributes the elements by columns
1. If I create a matrix which needs more than my input, *R* recycles the data.
 2. Vectors were used as input in a function

We can also create a character matrix:

```
columns.names <- c('col1','col2', 'col3')
rows.names <- c('row1','row2','row3','row4','row5')
my.data.1 <- rep("test", 15)
my.data.2 <- 1:15
my.data.3 <- paste0(my.data.1,my.data.2)
My.Matrix.4 <- matrix(my.data.3, nrow = 5, byrow = TRUE, dimnames = list(rows.names, columns.names))
str(My.Matrix.4)
```

```
## chr [1:5, 1:3] "test1" "test4" "test7" "test10" "test13" "test2" "test5" ...
## - attr(*, "dimnames")=List of 2
## ..$ : chr [1:5] "row1" "row2" "row3" "row4" ...
## ..$ : chr [1:3] "col1" "col2" "col3"
```

```
typeof(My.Matrix.4)
```

```
## [1] "character"
```

Here we can bring another example of character matrix:

```
columns.names <- c('col1','col2', 'col3')
rows.names <- c('row1','row2','row3','row4','row5')
My.Data.4 <- letters[seq(from = 1, to = 15 )]
My.Matrix.5 <- matrix(My.Data.4, nrow = 5, byrow = TRUE, dimnames = list(rows.names, columns.names))
```

Here we learnt some other commands:

- `seq`: creates a sequence of numbers
- `letters`: translates the number sequence into letters

As vectors, we can also access elements in a matrix, but each element is now identified for two indexes:

```
My.Matrix[3,1]
```

```
## [1] 7
```

```
My.Number <- My.Matrix[3,1]
My.Matrix.4[3,1]
```

```
## [1] "test7"
```

The first index refers to the row, while the second to the column. If I leave the number before the coma blank, I will be extracting all elements of a row. If I leave the number after the coma blank, I will be extracting all elements of a column.

```
My.Matrix[,1]
```

```
## row1 row2 row3 row4 row5
##    1    4    7   10   13
```

```
My.Matrix[1,]
```

```
## col1 col2 col3
##    1    2    3
```

It is easier to understand if I print this:

```
My.Matrix.3
```

```
##      [,1] [,2] [,3] [,4] [,5]
## [1,]    1    2    3    4    5
## [2,]    6    7    8    9   10
## [3,]   11   12   13   14   15
## [4,]    1    2    3    4    5
## [5,]    6    7    8    9   10
```

```
My.Matrix.3[,1]
```

```
## [1]  1  6 11  1  6
```

```
My.Matrix.3[1,]
```

```
## [1] 1 2 3 4 5
```

I can do all sort of operations with matrices, just as I do with vectors:

```
print(My.Matrix - My.Matrix.2)
```

```
##      col1 col2 col3
## row1    0   -4   -8
## row2    2   -2   -6
## row3    4    0   -4
## row4    6    2   -2
## row5    8    4    0
```

```
print(My.Matrix + My.Matrix.2)
```

```
##      col1 col2 col3
## row1    2    8   14
## row2    6   12   18
## row3   10   16   22
## row4   14   20   26
## row5   18   24   30
```

```
sqrt(My.Matrix)
```

```
##      col1      col2      col3
## row1 1.000000 1.414214 1.732051
## row2 2.000000 2.236068 2.449490
## row3 2.645751 2.828427 3.000000
## row4 3.162278 3.316625 3.464102
## row5 3.605551 3.741657 3.872983
```

Note that such operations are recursively. Operations on matrices of different size might through an error.