Full Report

March Madness

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We were motivated to find a way to generate a perfect bracket or a better bracket than average based on the idea that it is a mathematically interesting task and economically advantageous. It is mathematically interesting because the predicted odds of getting a perfect bracket are 1 in 1,610,543,269. These odds are so slim because one would have to guess the correct outcome of 63 consecutive games, where an early mistake guarantees the rest of the bracket is incorrect. Additionally, it is economically advantageous because we can make money by betting with our friends and others on who has a better bracket, and there is usually money offered for a perfect bracket by multiple companies.

We are using the classifiers from the python Scikit library. This library includes our current main classifier Random Forest. We took in many features of a team that was compiled throughout the season games\*.

These team statistics include a team’s performance and their opponents’ collective efforts. For example, team statistics would include field goal points made, field goal points attempted and field goal percentage, as well as opponent field goals made, opponent field goal points and opponent field goal percentage, among many others. We also manipulated each feature (except for percentages) to be per game to prevent skewing from the number of games a team could play in the whole season, since some teams played more games than other teams. The manipulation of features to per-game was critical since it ensured that the teams that played more games (aka teams that made it further in the tournament) were not biased as significantly in the whole tournament. We then took the differential between a team’s proper statistic and its opponent statistic. In all, we took in 120 features for a team into our decision tree as can be seen in Appendix A. For training, a game would be the instance where we would pit team A’s statistics vs. team B’s statistics and then whether team A won was the outcome.

We chose Random Forest to use as our classifier for multiple reasons. From a human-perspective, the way in which Random Forests split is the same as that of a decision tree where it prints in “if-then” routes where the early splits show which attributes give more information gain allows for us to gain a better intuitive understanding for the learning problem in general and helps us prepare for using other classifiers in the future. Furthermore, the problem tends towards using a decision tree type classifier. The discrete, binary output space works well with decision trees. The instances are clearly labeled making it supervised learning and the instances are represented by attribute-value pairs, which makes this learning problem well fitted for a decision tree. Lastly, Random Forests are very robust to noise and this is very helpful since we are using a large data set.

We experimented with using a simple decision tree as a classifier but the results were in general extremely subpar to those of the Random Forest. Random Forests is an ensemble learning method for classification which creates a multitude of decision tress at training time and outputs the class that is the mode of the classes or mean of the individual tree. A decision tree is much more prone to not capture the highest probability of which team is likely to win because it is a single instance. The selection of random subsets that occurs in Random Forest means that it trains on the data many times producing many decision trees and ultimately creating the most “likely” decision tree. In appendix B. we see that Random Forest generally performs much better than decision trees.

The results are very interesting and further work needs to be done. The more exceptional result is that differential statistics are the most important features and, in particular Point differential is the most important feature. This seems to be in line with professional basketball analysts’ opinions. Our current accuracy is on ranges from [] and is on average over all season and playoffs [67%?]. The accuracy is better for tournaments that have been deemed to have more “upsets.”

**Suggestions for Future Work**

We would like to try using more algorithms to see the validity of other algorithms and their impact. We also want to stack algorithms on top of one other in order to produce a more effective general algorithm for the future. Additionally, there should be more work done in separating the dataset between the playoffs and the regular season for the team statistics to ensure statistics are not skewed based on the number of games a team has played in a season. We would like to make the bracket making process more automatic.

ATeam = Away Team

HTeam = Home Team

DTeam = Differential statistics between home and away teams

['ATeam [ 0 ] team\_fgm', 'ATeam [ 1 ] team\_fga', 'ATeam [ 2 ] team\_fgpct',

'ATeam [ 3 ] team\_three\_fgm', 'ATeam [ 4 ] team\_three\_fga',

'ATeam [ 5 ] team\_three\_fgpct', 'ATeam [ 6 ] team\_ft',

'ATeam [ 7 ] team\_fta', 'ATeam [ 8 ] team\_ftpct', 'ATeam [ 9 ] team\_pts',

'ATeam [ 10 ] team\_ptsavg', 'ATeam [ 11 ] team\_offreb',

'ATeam [ 12 ] team\_defreb', 'ATeam [ 13 ] team\_totreb',

'ATeam [ 14 ] team\_rebavg', 'ATeam [ 15 ] team\_ast', 'ATeam [ 16 ] team\_to',

'ATeam [ 17 ] team\_stl', 'ATeam [ 18 ] team\_blk', 'ATeam [ 19 ] team\_fouls',

'ATeam [ 20 ] opp\_team\_fgm', 'ATeam [ 21 ] opp\_team\_fga',

'ATeam [ 22 ] opp\_team\_fgpct', 'ATeam [ 23 ] opp\_team\_three\_fgm',

'ATeam [ 24 ] opp\_team\_three\_fga', 'ATeam [ 25 ] opp\_team\_three\_fgpct',

'ATeam [ 26 ] opp\_team\_ft', 'ATeam [ 27 ] opp\_team\_fta',

'ATeam [ 28 ] opp\_team\_ftpct', 'ATeam [ 29 ] opp\_team\_pts',

'ATeam [ 30 ] opp\_team\_ptsavg', 'ATeam [ 31 ] opp\_team\_offreb',

'ATeam [ 32 ] opp\_team\_defreb', 'ATeam [ 33 ] opp\_team\_totreb',

'ATeam [ 34 ] opp\_team\_rebavg', 'ATeam [ 35 ] opp\_team\_ast',

'ATeam [ 36 ] opp\_team\_to', 'ATeam [ 37 ] opp\_team\_stl',

'ATeam [ 38 ] opp\_team\_blk', 'ATeam [ 39 ] opp\_team\_fouls',

'HTeam [ 40 ] team\_fgm', 'HTeam [ 41 ] team\_fga', 'HTeam [ 42 ] team\_fgpct',

'HTeam [ 43 ] team\_three\_fgm', 'HTeam [ 44 ] team\_three\_fga',

'HTeam [ 45 ] team\_three\_fgpct', 'HTeam [ 46 ] team\_ft',

'HTeam [ 47 ] team\_fta', 'HTeam [ 48 ] team\_ftpct', 'HTeam [ 49 ] team\_pts',

'HTeam [ 50 ] team\_ptsavg', 'HTeam [ 51 ] team\_offreb',

'HTeam [ 52 ] team\_defreb', 'HTeam [ 53 ] team\_totreb',

'HTeam [ 54 ] team\_rebavg', 'HTeam [ 55 ] team\_ast', 'HTeam [ 56 ] team\_to',

'HTeam [ 57 ] team\_stl', 'HTeam [ 58 ] team\_blk', 'HTeam [ 59 ] team\_fouls',

'HTeam [ 60 ] opp\_team\_fgm', 'HTeam [ 61 ] opp\_team\_fga',

'HTeam [ 62 ] opp\_team\_fgpct', 'HTeam [ 63 ] opp\_team\_three\_fgm',

'HTeam [ 64 ] opp\_team\_three\_fga', 'HTeam [ 65 ] opp\_team\_three\_fgpct',

'HTeam [ 66 ] opp\_team\_ft', 'HTeam [ 67 ] opp\_team\_fta',

'HTeam [ 68 ] opp\_team\_ftpct', 'HTeam [ 69 ] opp\_team\_pts',

'HTeam [ 70 ] opp\_team\_ptsavg', 'HTeam [ 71 ] opp\_team\_offreb',

'HTeam [ 72 ] opp\_team\_defreb', 'HTeam [ 73 ] opp\_team\_totreb',

'HTeam [ 74 ] opp\_team\_rebavg', 'HTeam [ 75 ] opp\_team\_ast',

'HTeam [ 76 ] opp\_team\_to', 'HTeam [ 77 ] opp\_team\_stl',

'HTeam [ 78 ] opp\_team\_blk', 'HTeam [ 79 ] opp\_team\_fouls']

'DTeam [ 80 ] team\_fgm', 'DTeam [ 81 ] team\_fga', 'DTeam [ 82 ] team\_fgpct',

'DTeam [ 83 ] team\_three\_fgm', 'DTeam [ 84 ] team\_three\_fga',

'DTeam [ 85 ] team\_three\_fgpct', 'DTeam [ 86 ] team\_ft',

'DTeam [ 87 ] team\_fta', 'DTeam [ 88 ] team\_ftpct', 'DTeam [ 89 ] team\_pts',

'DTeam [ 90 ] team\_ptsavg', 'DTeam [ 91 ] team\_offreb',

'DTeam [ 92 ] team\_defreb', 'DTeam [ 93 ] team\_totreb',

'DTeam [ 94 ] team\_rebavg', 'DTeam [ 95 ] team\_ast', 'DTeam [ 96 ] team\_to',

'DTeam [ 97 ] team\_stl', 'DTeam [ 98 ] team\_blk', 'DTeam [ 99 ] team\_fouls',

'DTeam [ 100 ] opp\_team\_fgm', 'DTeam [ 101 ] opp\_team\_fga',

'DTeam [ 102 ] opp\_team\_fgpct', 'DTeam [ 103 ] opp\_team\_three\_fgm',

'DTeam [ 104 ] opp\_team\_three\_fga', 'DTeam [ 105 ] opp\_team\_three\_fgpct',

'DTeam [ 106 ] opp\_team\_ft', 'DTeam [ 107 ] opp\_team\_fta',

'DTeam [ 108 ] opp\_team\_ftpct', 'DTeam [ 109 ] opp\_team\_pts',

'DTeam [ 110 ] opp\_team\_ptsavg', 'DTeam [ 111 ] opp\_team\_offreb',

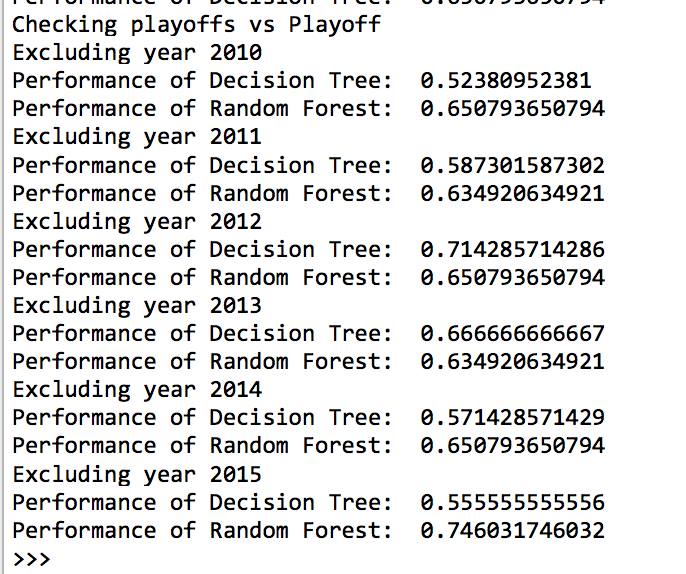
'DTeam [ 112 ] opp\_team\_defreb', 'DTeam [ 113 ] opp\_team\_totreb',

'DTeam [ 114 ] opp\_team\_rebavg', 'DTeam [ 115 ] opp\_team\_ast',

'DTeam [ 116 ] opp\_team\_to', 'DTeam [ 117 ] opp\_team\_stl',

'DTeam [ 118 ] opp\_team\_blk', 'DTeam [ 119 ] opp\_team\_fouls']

1. Random Forest vs. Decision Tree training on previous playoffs and testing on a playoff.



2.Random Forest vs. Decision Tree training on previous regular season and testing on each seasons playoffs.

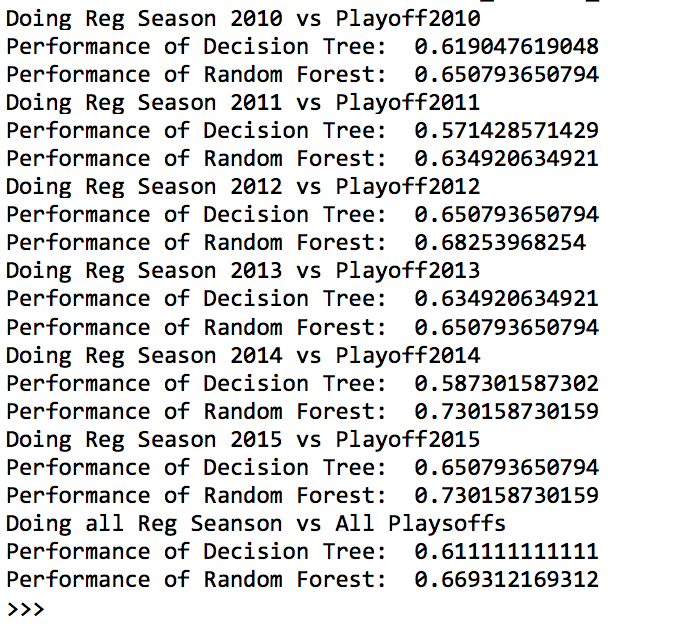


Table 1. The table below shows the percentage of games that we correctly guessed at the Midterm Report using a decision tree vs. using the random forest

|  |  |  |  |  |
| --- | --- | --- | --- | --- |
| Year (s) | Testing Data | Training Data | Percent Correct at Midterm Report | Percent Correct at Final Report |
| 2010 | Playoff Data | Regular Season | 0.603174603175 | 0.650793650794 |
| 2011 | Playoff Data | Regular Season | 0.68253968254 | 0.634920634921 |
| 2012 | Playoff Data | Regular Season | 0.619047619048 | 0.682539682540 |
| 2013 | Playoff Data | Regular Season | 0.634920634921 | 0.650793650794 |
| 2014 | Playoff Data | Regular Season | 0.619047619048 | 0.730158730159 |
| 2015 | Playoff Data | Regular Season | 0.777777777778 | 0.730158730159 |
| 2010-2015 | Playoff Data | Regular Season | 0.571428571429 | 0.669312169312 |

Example of outputted Bracket

