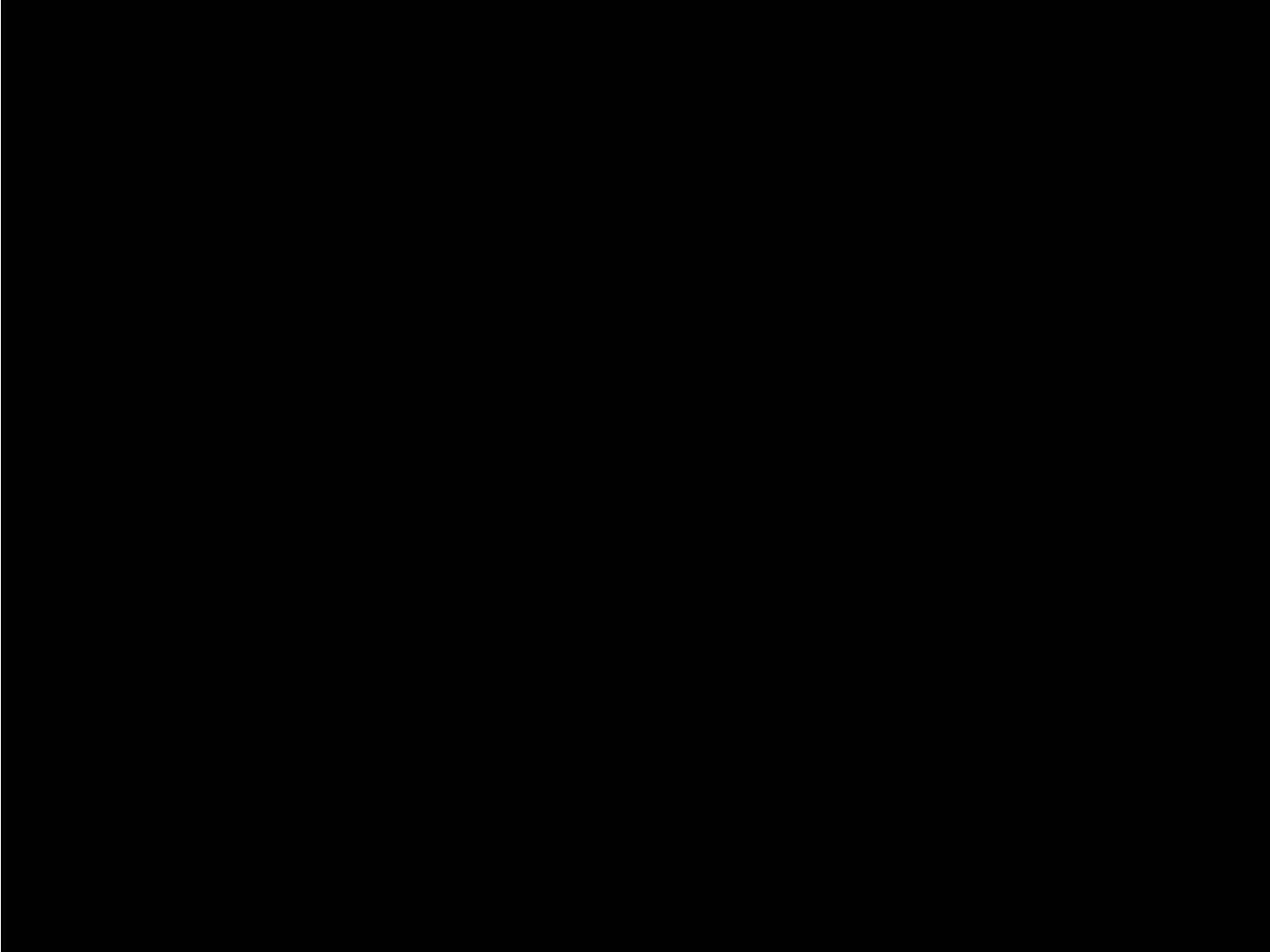


Applications of PCA and Clustering to calcium imaging recordings



What is a video abstractly

Matrix



(1,1)	(1,2)	(1,3)
(2,1)	(2,2)	(2,3)
(3,1)	(3,2)	(3,3)

Set of
Matrices



(1,1)	(1,2)	(1,3)
(2,1)	(2,2)	(2,3)
(3,1)	(3,2)	(3,3)

(1,1)	(1,2)	(1,3)
(2,1)	(2,2)	(2,3)
(3,1)	(3,2)	(3,3)

t=2

(1,1)	(1,2)	(1,3)
(2,1)	(2,2)	(2,3)
(3,1)	(3,2)	(3,3)

t=3

t=1

Matrices to Vectors

(1,1)	(1,2)	(1,3)
(2,1)	(2,2)	(2,3)
(3,1)	(3,2)	(3,3)

$t=t_n$



(1,1)	(1,2)	(1,3)	(2,1)	(2,2)	(2,3)	(3,1)	(3,2)	(3,3)
-------	-------	-------	-------	-------	-------	-------	-------	-------

$t=t_n$

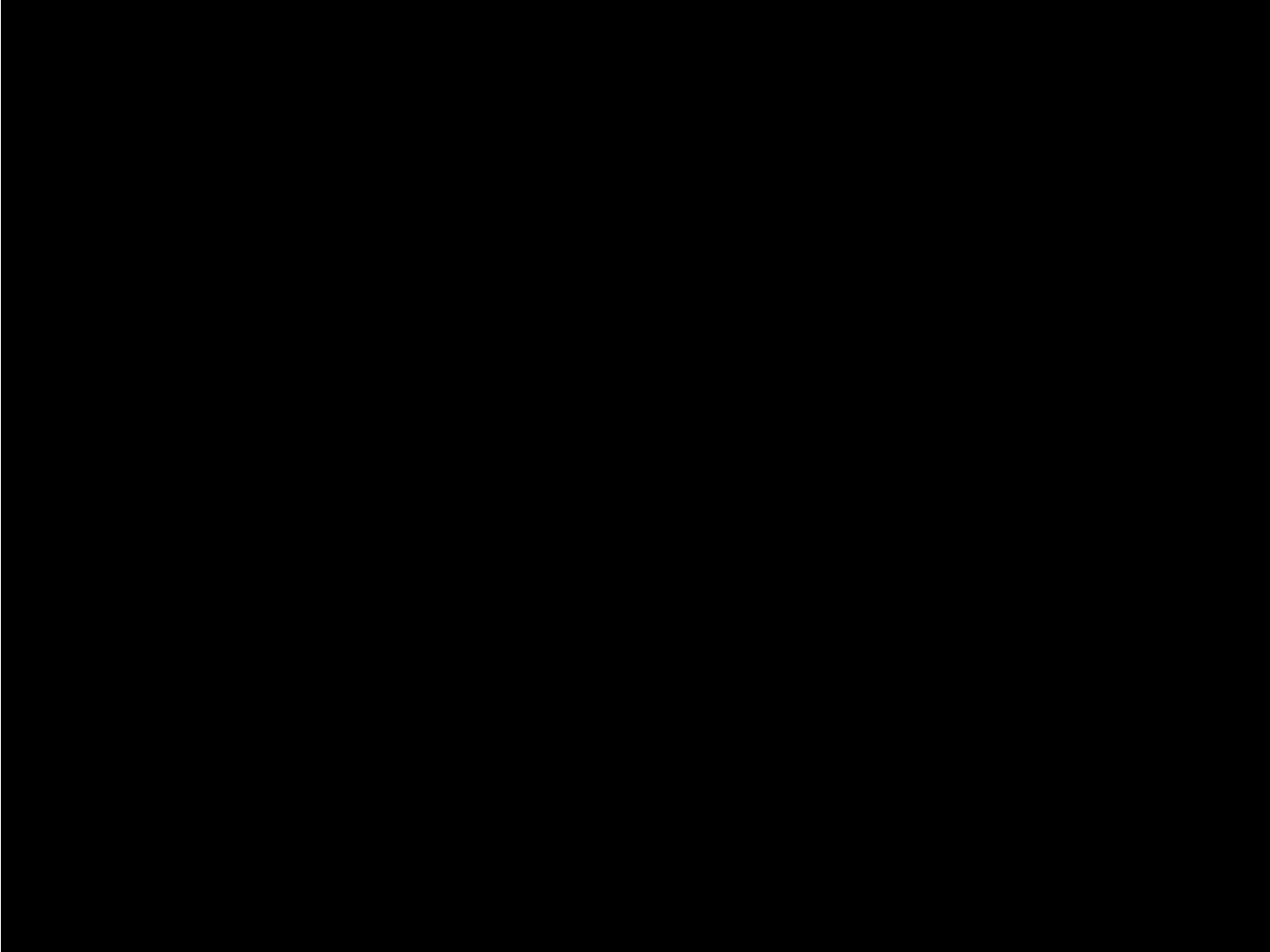
Pixel



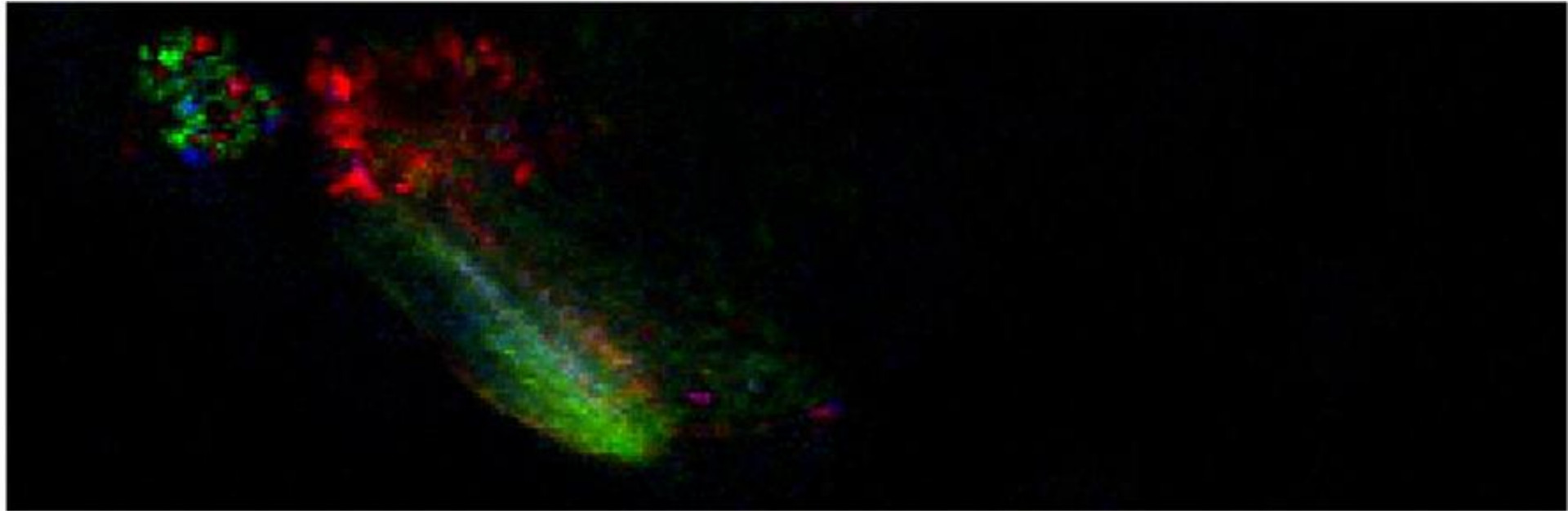
V =

Time

t=1	(1,1)	(1,2)	(1,3)	(2,1)	(2,2)	(2,3)	(3,1)	(3,2)	(3,3)
t=2	(1,1)	(1,2)	(1,3)	(2,1)	(2,2)	(2,3)	(3,1)	(3,2)	(3,3)
t=3	(1,1)	(1,2)	(1,3)	(2,1)	(2,2)	(2,3)	(3,1)	(3,2)	(3,3)
t=4	(1,1)	(1,2)	(1,3)	(2,1)	(2,2)	(2,3)	(3,1)	(3,2)	(3,3)
t=5	(1,1)	(1,2)	(1,3)	(2,1)	(2,2)	(2,3)	(3,1)	(3,2)	(3,3)
t=6	(1,1)	(1,2)	(1,3)	(2,1)	(2,2)	(2,3)	(3,1)	(3,2)	(3,3)
t=...								



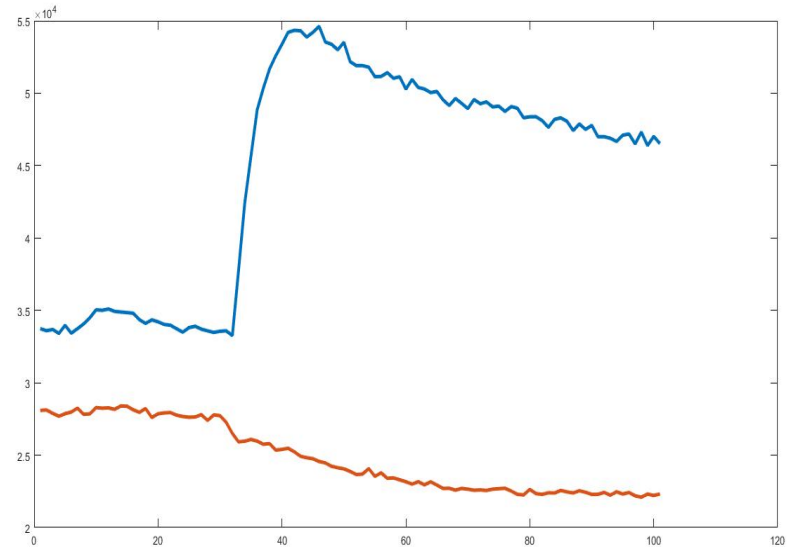
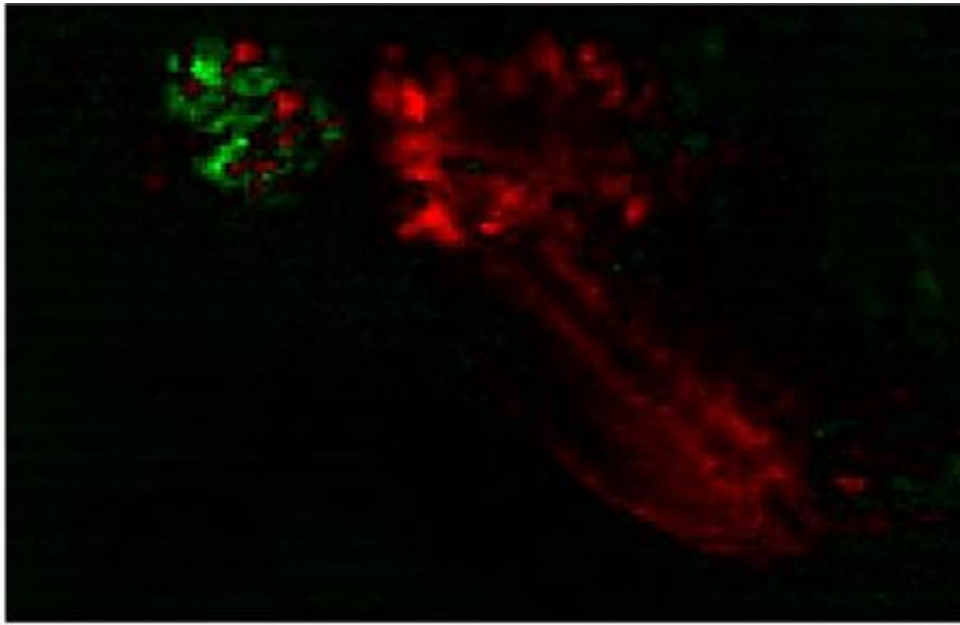
PCA(V) ---> First 3 Principal Components



PC1

Red = pixels with positive loadings

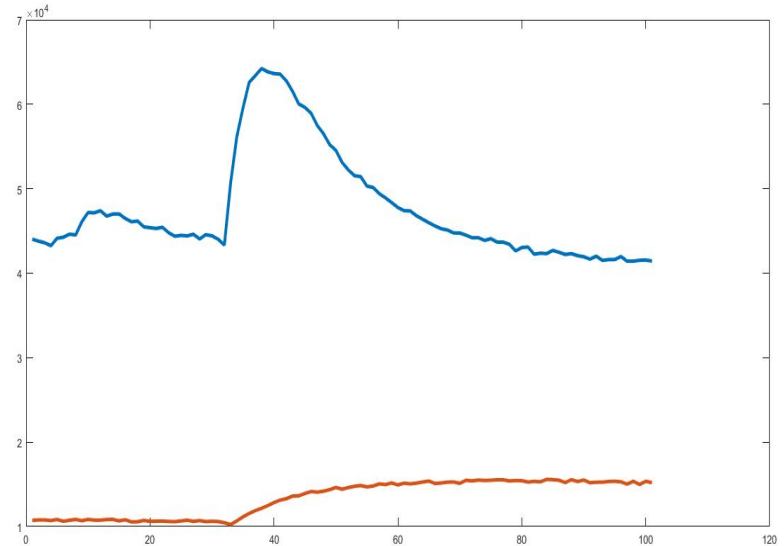
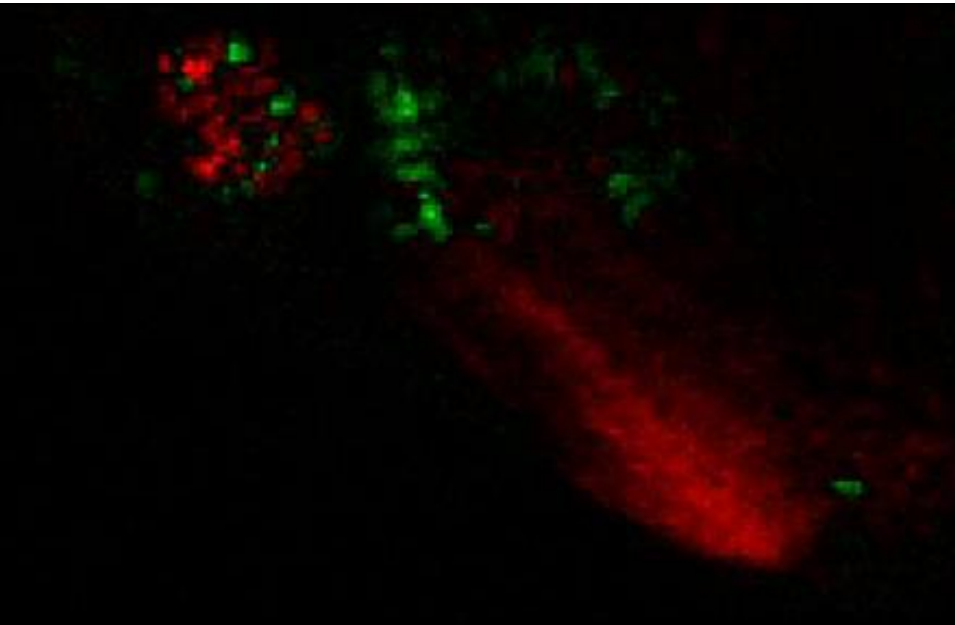
Green = pixels with negative loadings



PC2

Red = pixels with positive loadings

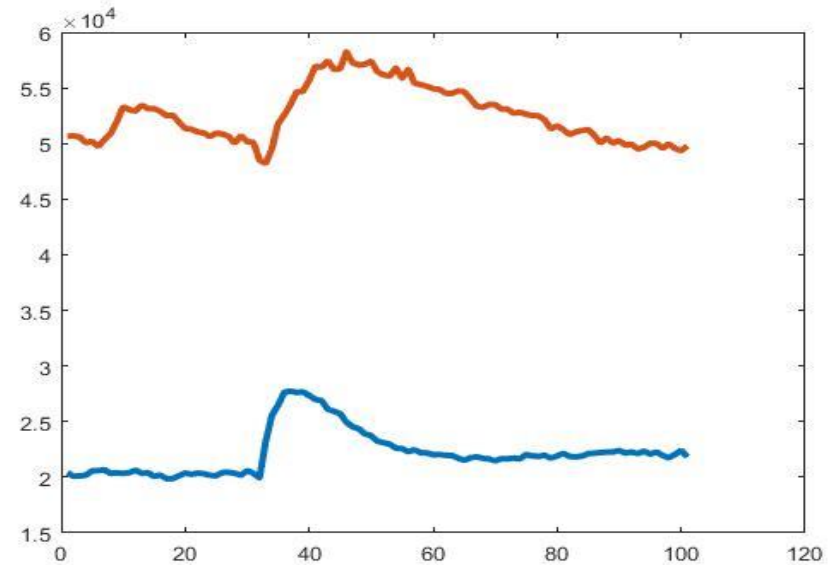
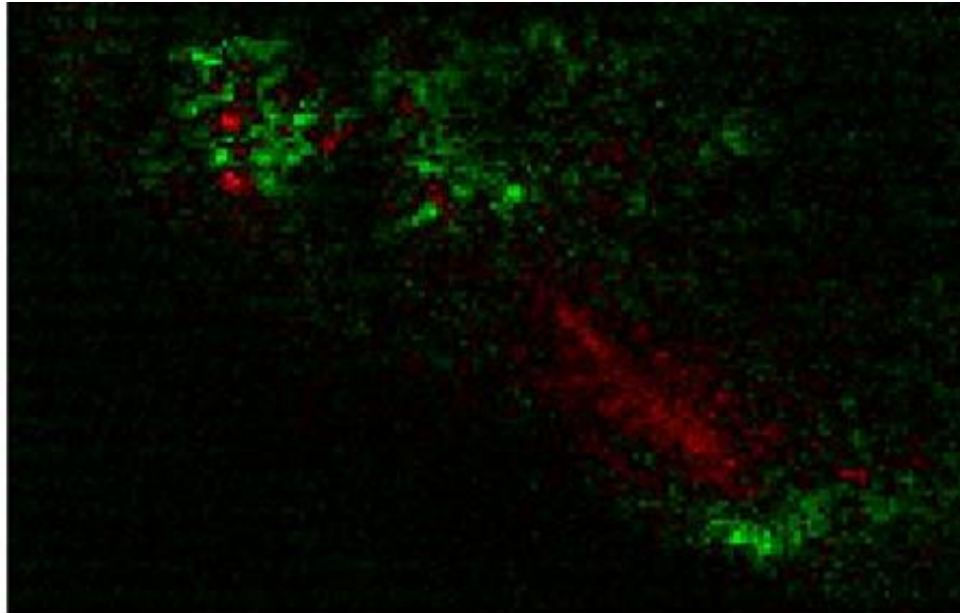
Green = pixels with negative loadings



PC3

Red = pixels with positive loadings

Green = pixels with negative loadings



Issues with PCA approach

- Not all pixels are necessarily related, so loadings on every pixel aren't really meaningful
- How to interpret negative loadings?

Clustering vs PCA

PCA loadings are Eigenvalues of Covariance matrix

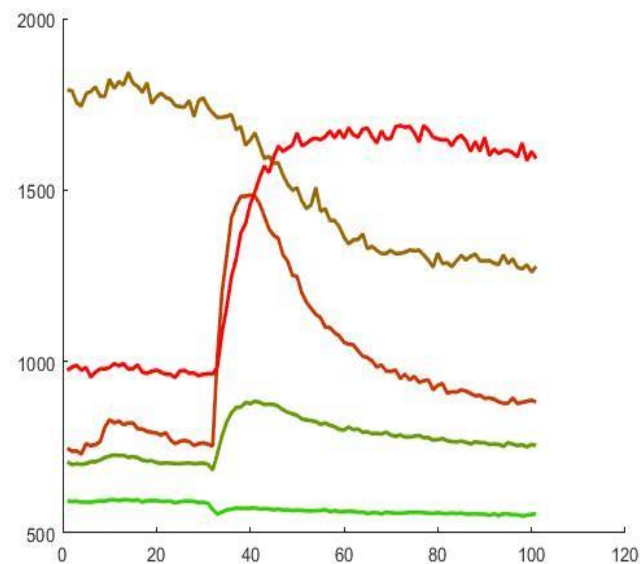
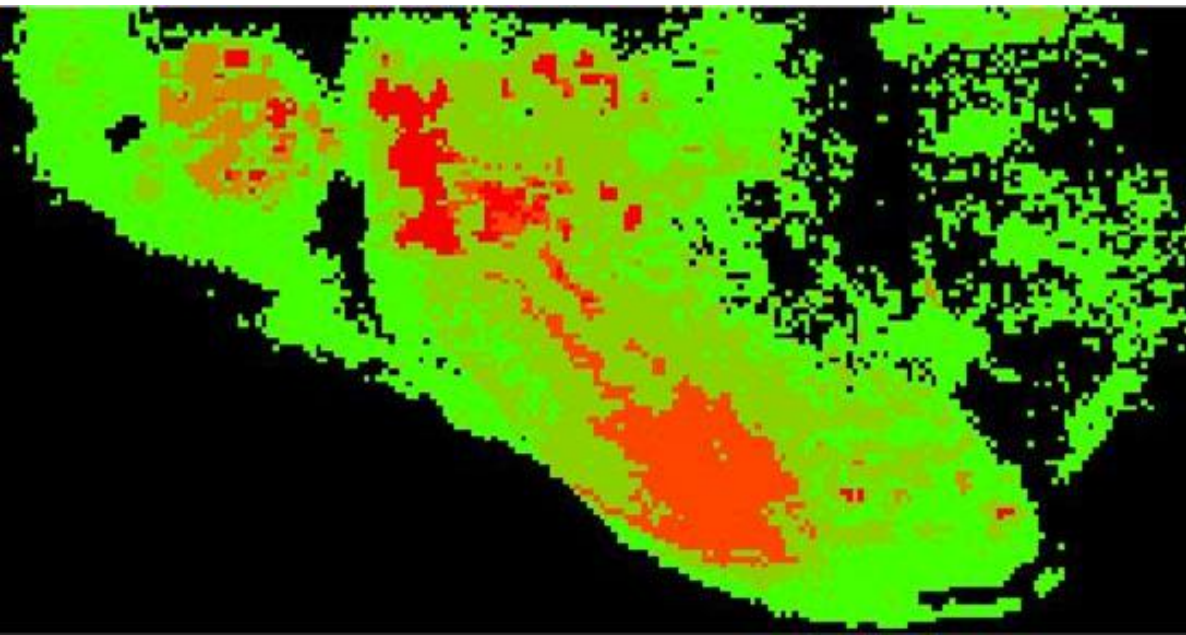
Hierarchical Clustering groups pixels together based on distances between points

Clustering can be thought of as loadings with binary weights - “No half pixels, no negative pixels”

Clustering might be better for segmentation, since a pixel wouldn't be .3 in one cell, and .7 in another cell, it's all or nothing

Why not try clustering covariance matrix?

Clusters of covarying pixels



What about clustering in the row space?

A row in the V matrix corresponds to a single frame in the video

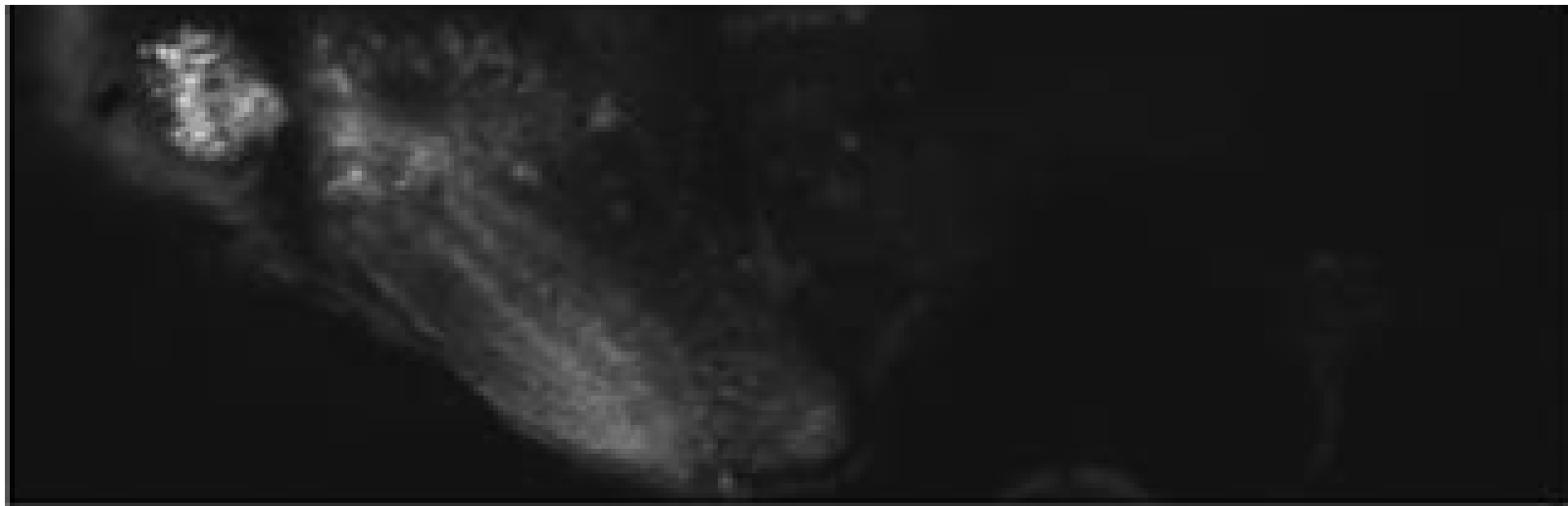
Because there are a finite number of pixels in the image, and a finite number of possible pixel values, there are a finite number of possible frames that can exist

I would argue that $\text{Frame} \rightarrow \text{Brain state}$

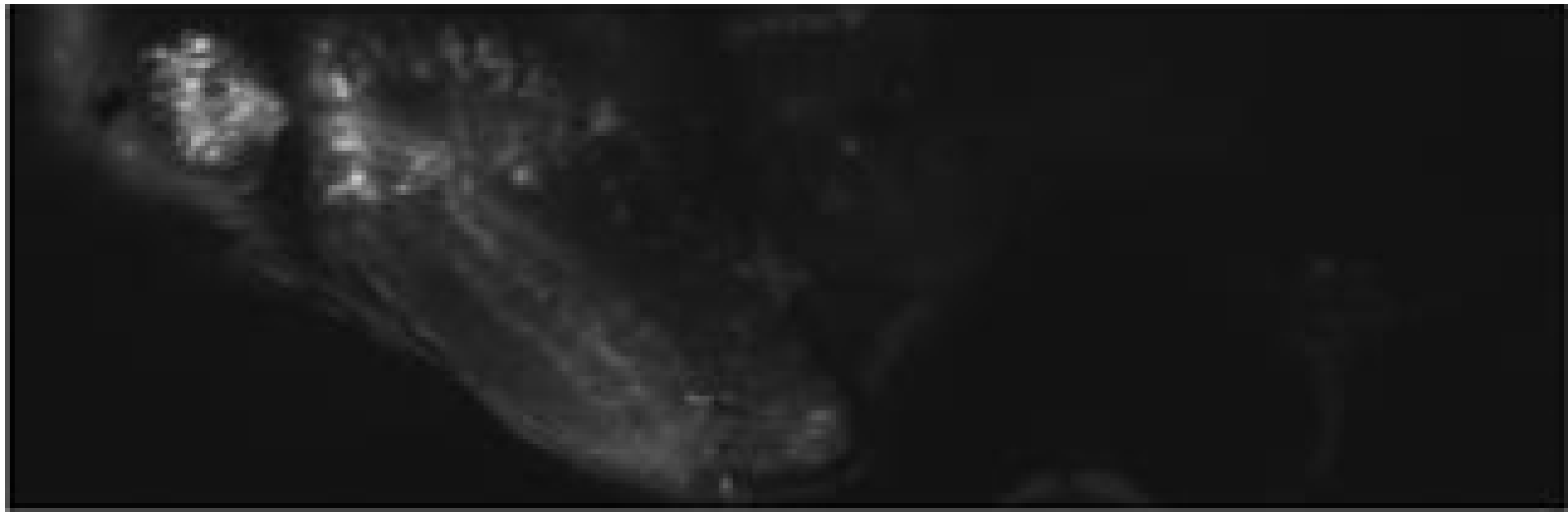
Can think of points in this space as a code that defines a unique brain state

Thought process would then be a parameterized line through this space

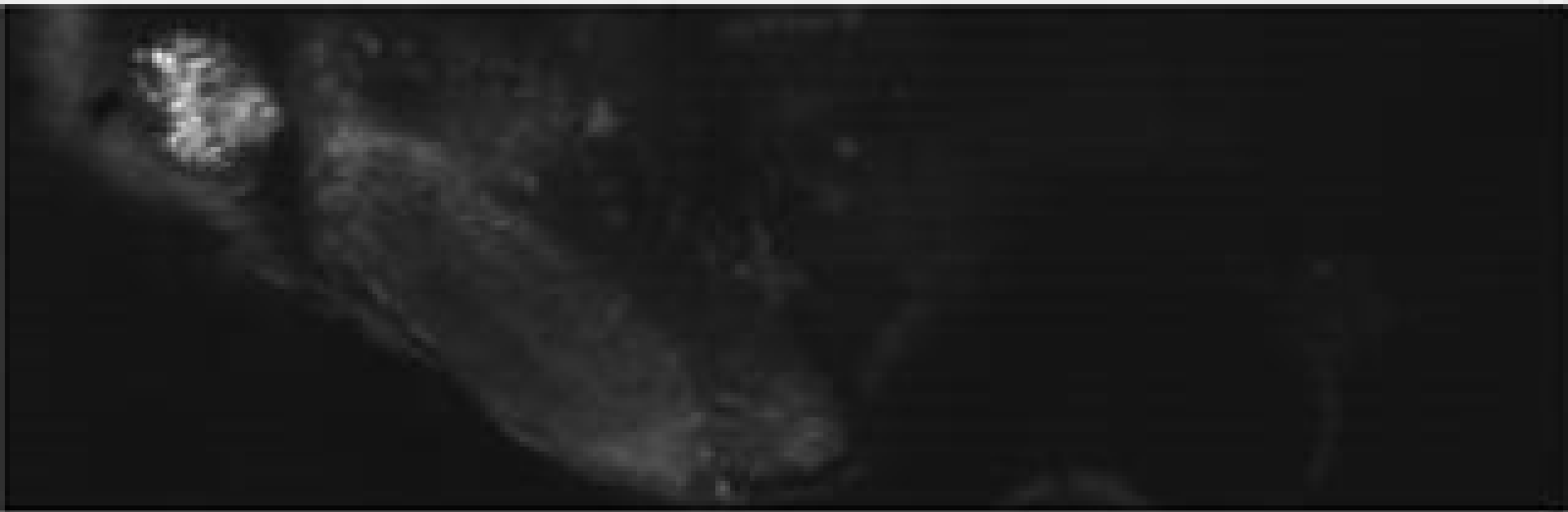
Cluster 1

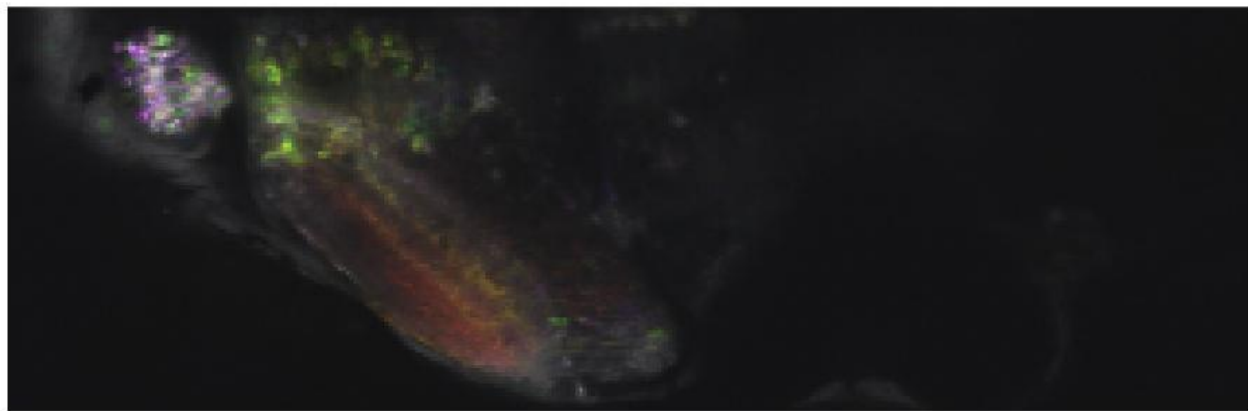


Cluster 2



Cluster 3

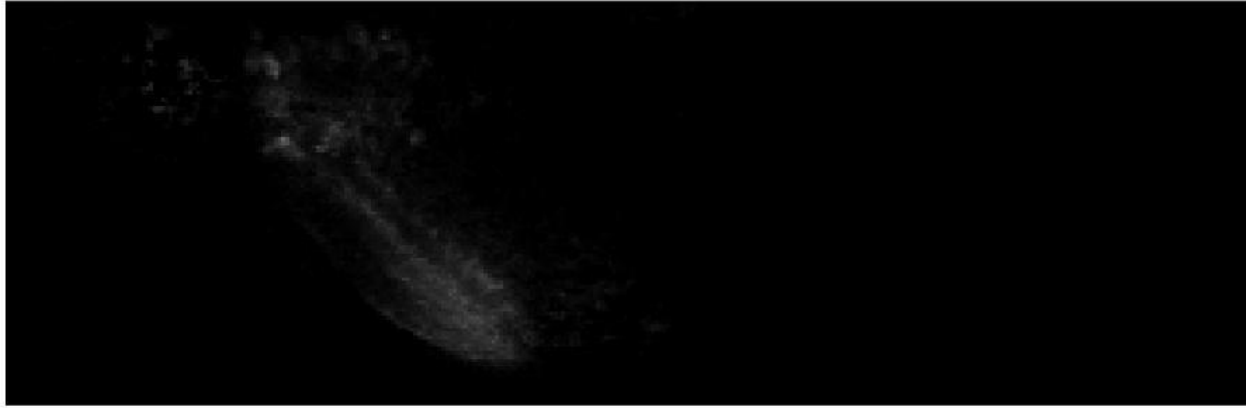




Difference between Clusters 1 and 2



Difference between Clusters 1 and 3



Difference between Clusters 2 and 3

