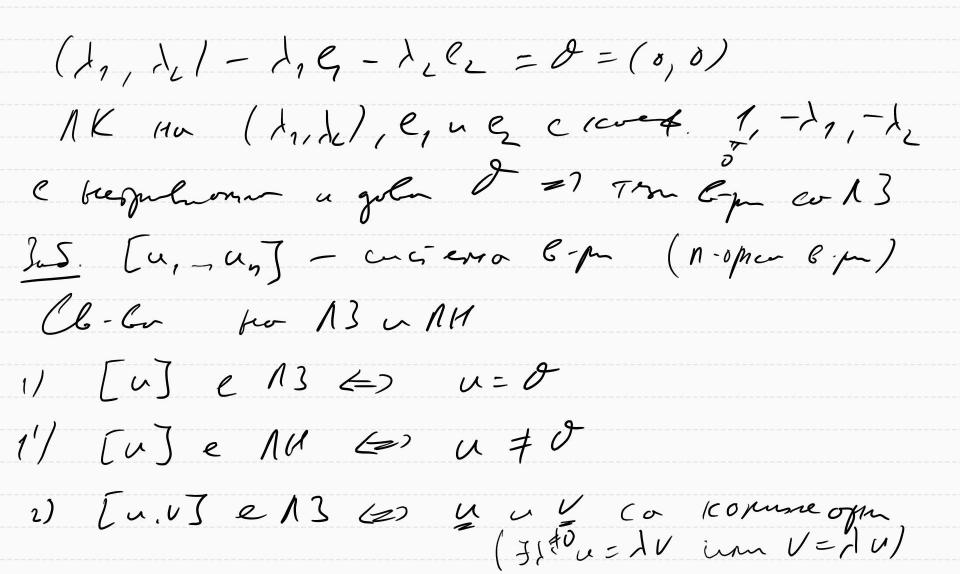
300 To apringin: 30 G-pm V, son EV Porn. Z divi = d (d, show werken) Topam 1, - de lada ac. f(x, - 2/40, -0/ =1 Vn Vn ca 13. Aco Z divi = & e Cornamo · 1:12: - = 1, -0 buton e po-· Z/iVi=0 - uns egun 56. pm. - 14. - uns >1 pm. - 13

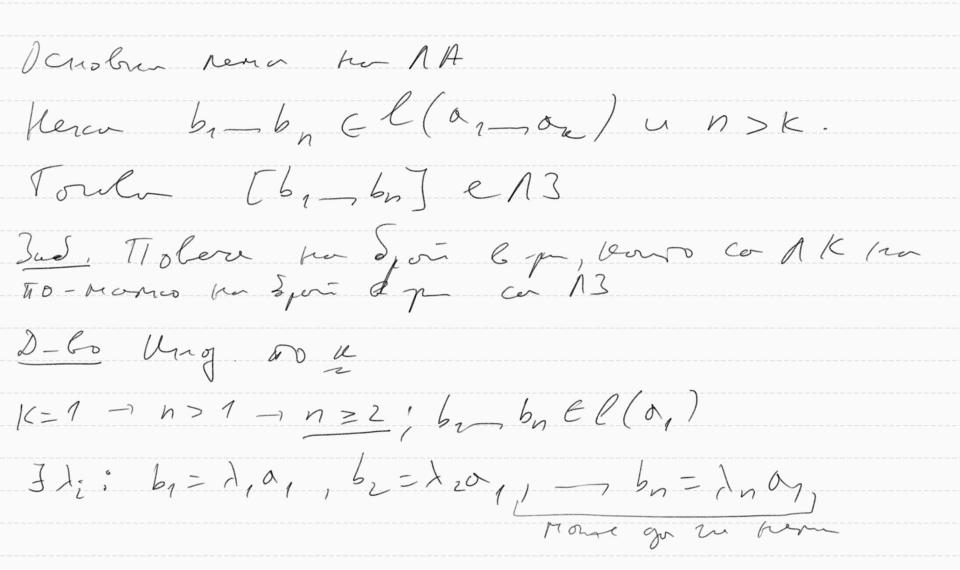
Jud. Breoneguer - 2 13 Cerción - 1 kommentes - 3 113 Cerción The V=F (NT my F) e=(1,0), e=(0,1) e(e,e,1 = / 2, q+1, e, 1, 2, CF) 1,9+ LR = 2,(1,0/+ 2,(0,1/= (2,0/+ (0,1/= (1,1)) -) l(ener) = F2 (ener vojounger F2/ Arco 1,9+22=0=(0,0),70 (1,12/=10,0)=1 ene 14



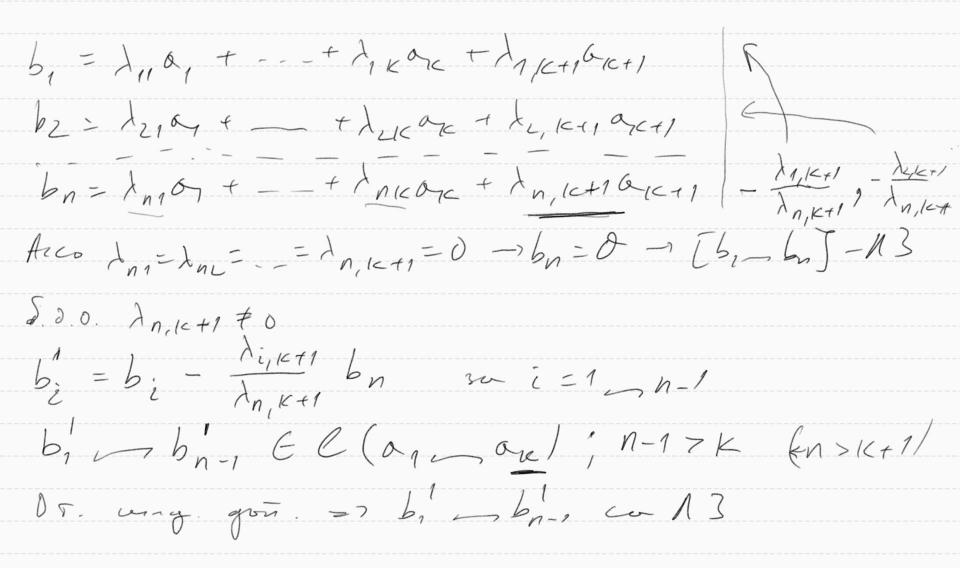
3.
$$(u_1 - u_n) - 13$$
 (e) egun of lextonia elk
 $\frac{\partial -C_0}{\partial x_1} (z_1)$
 $\frac{\partial -C_0}{\partial x_2} (z_1)$
 $\frac{\partial -C_0}{\partial x_1} (z_1) = 0$
 $\frac{\partial -C_0}{\partial x_2} (z_1) =$

4) [u, man] - N) (=) HoESn [us(1), nus(n)]-N) 4) [u, u,] - NH (2) H & Con [usin, -usin) -NH e organisema na [um un] 5) Barco Obganciena ser 1 Hanciena 6-puent 5) Bourn kongunterion to 13 contiero le pre 13. El Born cues una 6-p, como co prepuna 13. les sopo e 13

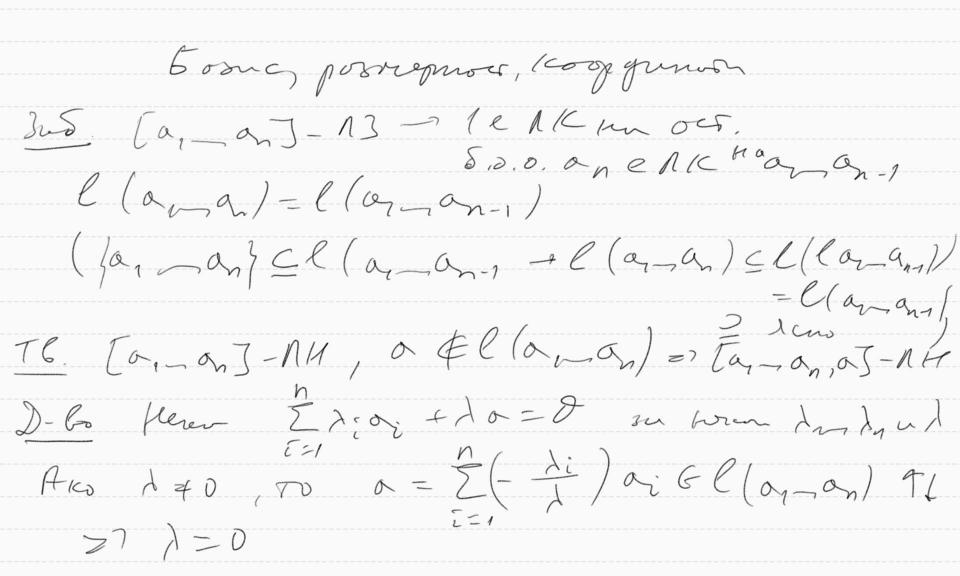
S.o.o. [unun]; [ununu] -13. [procention organisteno (KCh) $\frac{1}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ (\frac{1}{2} \lambda_i) \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\ \frac{k}{2} \lambda_i \cdot u_i = 0 \end{array} \right\} = \frac{i-(c+1)-h}{2} \left\{ \begin{array}{l} \frac{k}{2} \lambda_i \cdot u_i = 0 \\$ => Tu, a, 7-13 6) Baron Cucaterra, 10000 crojegnou de 13



A, b, + (- A1/b, = 0 1,=0-16,=0-16,-16,7-13 1, +0 - (2, 2) + (0,0) - [b1, b_]-13-[b1, bn] Henry Tle e lopno 30 b. Uge co gorcomens su K+1 (b1-bn El(a, sac+1); h > K+1) b, - h co 1 ((or of - on +1



$$\begin{array}{l} =) \; \exists \, \lambda_{n} - \lambda_{n-1} : \; \left| \sum_{i=1}^{n-1} \lambda_{i} \, b_{i} \right| = 0 \\ \\ = \sum_{i=1}^{n-1} \lambda_{i} \, b_{i} = \sum_{i=1}^{n-1} \lambda_{i} \left(b_{i} - \frac{\lambda_{i} \, (c_{i})}{\lambda_{n} \, (c_{i})} \, b_{n} \right) = \\ \\ = \sum_{i=1}^{n-1} \lambda_{i} \, b_{i} + \left(- \sum_{i=1}^{n-1} \lambda_{i} \, \frac{\lambda_{i} \, (k+1)}{\lambda_{n} \, (k+1)} \right) \, b_{n} = \sum_{i=1}^{n} \lambda_{i} \, b_{i} \\ \\ = \sum_{i=1}^{n-1} \lambda_{i} \, b_{i} + \left(- \sum_{i=1}^{n-1} \lambda_{i} \, \frac{\lambda_{i} \, (k+1)}{\lambda_{n} \, (k+1)} \right) \, b_{n} = \sum_{i=1}^{n} \lambda_{i} \, b_{i} \\ \\ \left(\lambda_{1} - \lambda_{n-1}, \lambda_{n} \right) \neq \left(0, -n 0 \right) \\ \\ \left(0, -n 0 \right) \\ = \sum_{i=1}^{n} b_{i} - \Lambda \, 3$$



$$= \frac{h}{2} \frac{\lambda_{i} \alpha_{i}}{\lambda_{i}} = 0 \qquad \frac{\alpha_{i} - \alpha_{i}}{n H} \qquad \lambda_{i} = \lambda_{i} = 0$$

$$= \frac{1}{(l+\lambda_{i}, \alpha_{i} = 0, \alpha_{i} \neq 0)} \frac{\lambda_{i}}{n H} \qquad \lambda_{i} = \lambda_{i} = 0$$

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Toulan - concience y e 13 Es Arco barren Kporina parina Toyanerena e Kporto parion - U C NH (=) Borkon reper hur per un trogonoiene C NH rogenes en - J C I [uj | j E J] - brognesen

(Na)

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Dap Cuciemoro e= [eili EI] ({ sili EI} EV) Rojerone dosne, arco: 1/ e e N M 21 l(e)= l({eilicI7} = V (e e organge names la ra V', Sud. AH = Beros. 6 & ca porum somengy