

# Graph-based Neural Architecture Search with Operation Embeddings

MICHAEL CHATZIANASTASIS, GEORGE DASOULAS, GEORGIOS SIOLAS, MICHALIS VAZIRGIANNIS

## Introduction

**Neural Architecture Search (NAS)** is a technique that automatically designs a neural network architecture. A crucial part of the NAS pipeline is the *encoding* of the architecture.

**Motivation:** Most of the existing approaches either fail to capture the structural properties of the architectures or use fixed hand-engineered vectors, that cannot exploit information from data, to encode the operators.

### Contributions:

- We propose **operation embeddings**:
  - a continuous representation of the applied operators,
  - integration into various graph autoencoders as parameters.
- We demonstrate that the learnable representations of the operations lead to generation of **state-of-the-art** architectures.
- We observe that the top-performing architectures share **similar structural patterns**:
  - clustering coefficient
  - average path length.

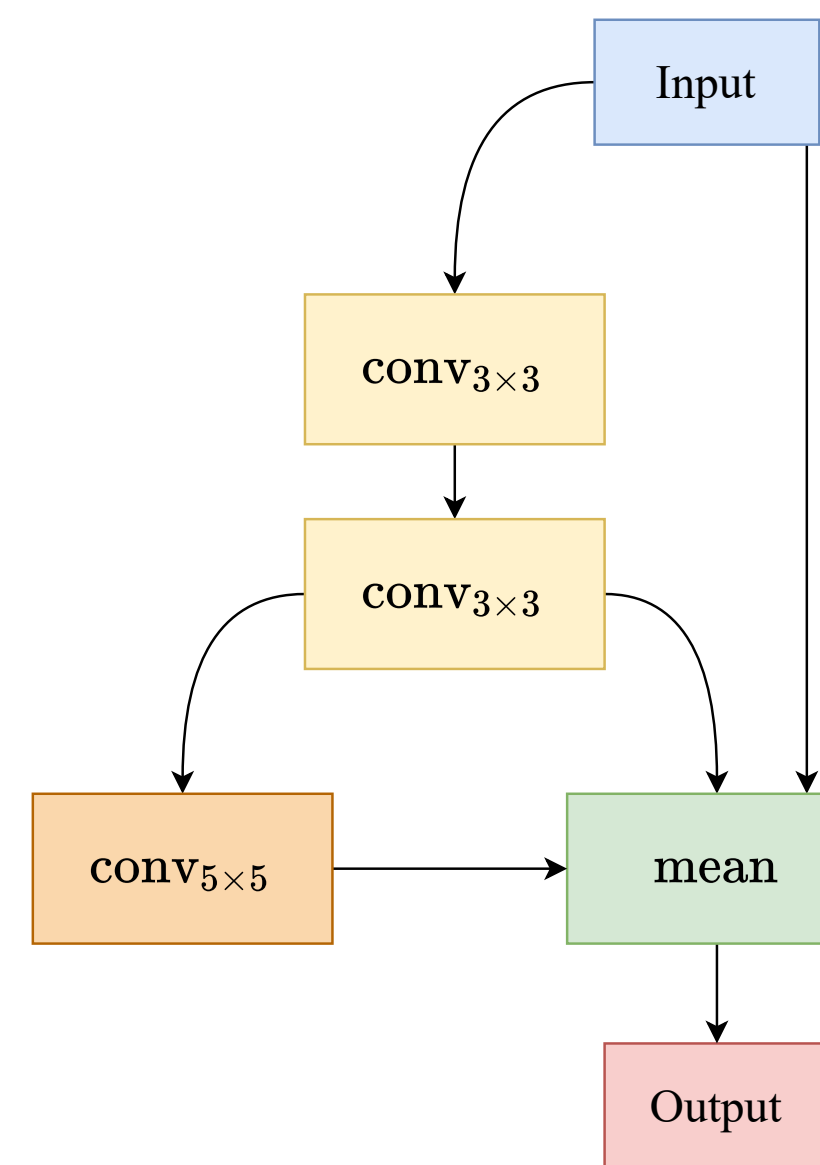
## Neural Network as a DAG

### Computation graph

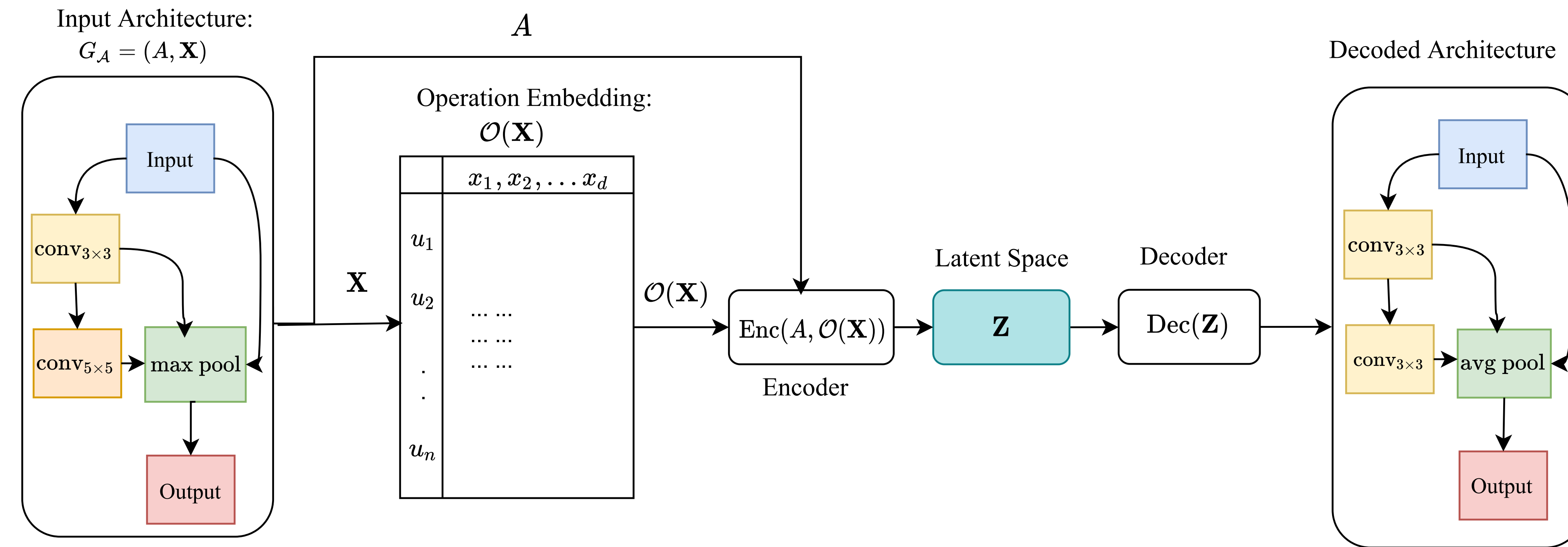
$G_A = (V, E)$

of an architecture  $A$ :

- **Nodes  $V$** : the applied operations
- **Edges  $E$** : the signal flow the applied operations
- **Adjacency matrix**  
 $A \in \{0, 1\}^{|V| \times |V|}$
- **Feature matrix**  
 $X \in \mathbb{Z}^{|V| \times |K|}$

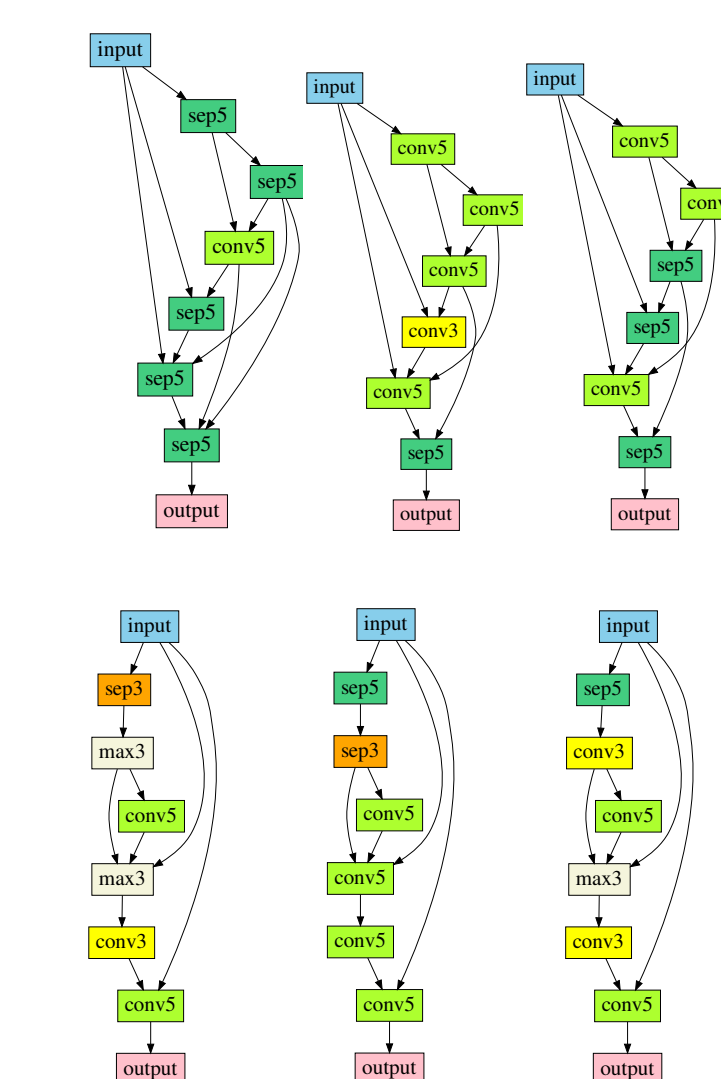


## Operation Embeddings in Graph Variational Autoencoders



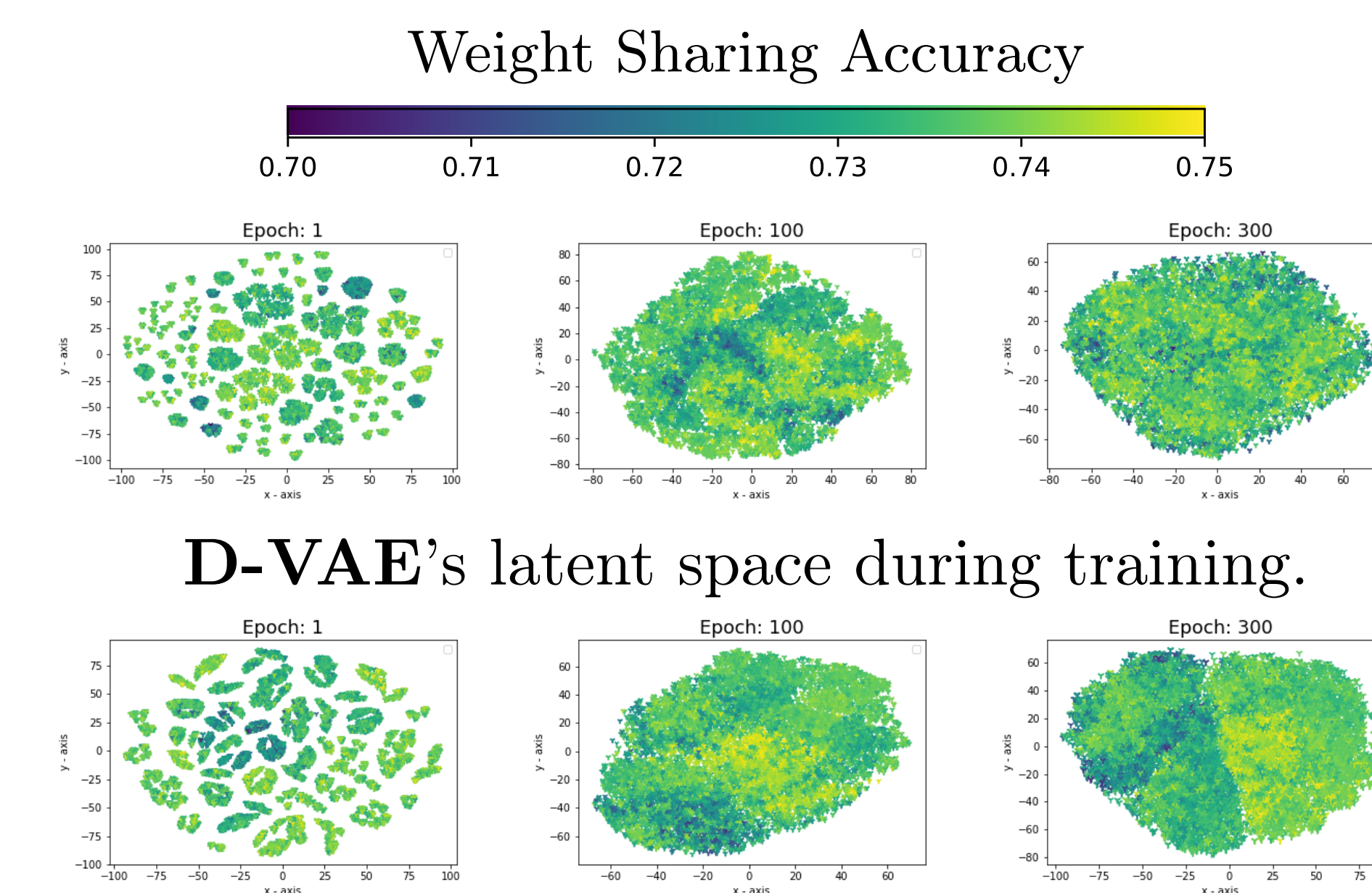
- We propose the **incorporation of the embedding**  $\mathcal{O} : K \rightarrow \mathbb{R}^{|K| \times d_{op}}$  into the autoencoder model. The mapping  $\mathcal{O}(\cdot)$  projects the set of available operations into a  $d_{op}$ -dimensional continuous space in a differentiable manner.
- **GNN model**  $\phi : \mathbb{Z}^{|V| \times |V|} \times \mathbb{Z}^{|V| \times |K|} \rightarrow \mathbb{R}^{|V| \times d}$  that takes as input the architecture graph, and outputs a representation of every node.
- $\psi_1, \psi_2 : \mathbb{R}^{|V| \times d} \rightarrow \mathbb{R}^l$  denote two differentiable pooling functions that.
- **Encoder:**  $\mu_G = \psi_1(\phi(A, \mathcal{O}(X))), \sigma_G = \psi_2(\phi(A, \mathcal{O}(X)))$ .
- **Loss function:**  $L(\phi, \theta; A, X) = \mathbb{E}_{q_\phi(Z|A, X)}[\log p_\theta(A, X|Z)] - \text{KL}[q_\phi(Z|A, X)||p(Z)]$ , where KL denotes the Kullback–Leibler divergence.

## Best Generated Architectures



- **DVAE-EMB** [1] architectures Acc%: **95.35, 95.33, 95.17** (above)
- **DVAE** [2] architectures Acc%: **94.8, 94.74, 94.7** (below)
- Exhibit **similar structural characteristics**.
- DVAE-EMB present a **smoother** operation transition than those generated from D-VAE.

## Latent Space Visualization



**DVAE-EMB's** latent space during training.

## Experiments

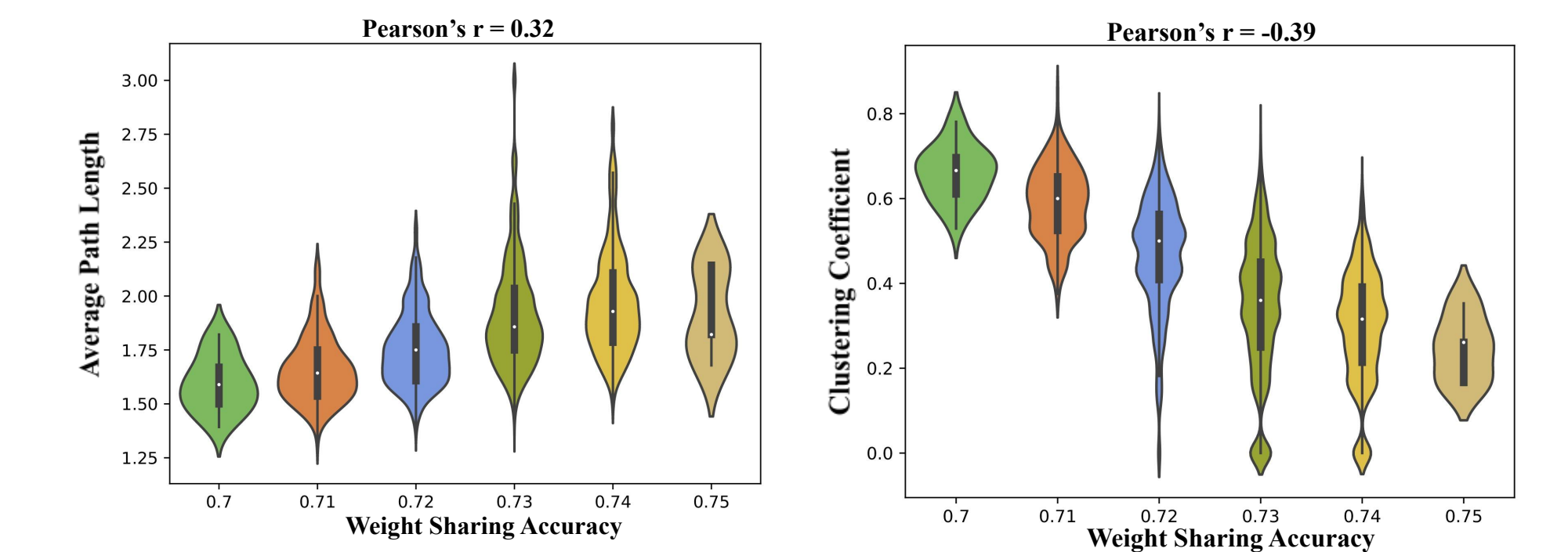
### Basic abilities of Variational Graph Auto-Encoders

Model	Accuracy	Validity	Uniqueness
D-VAE	99.96	100.00	37.26
GCN	98.70	99.53	34.00
S-VAE	99.98	100.00	37.03
GraphRNN	99.85	99.84	29.77
<b>DVAE-EMB</b>	<b>99.99</b>	<b>100.00</b>	<b>39.15</b>
GCN-EMB	98.87	99.95	32.63

### Predictive Performance of Encoded Latent Embeddings

Model	RMSE	Pearson's $r$
D-VAE	0.384 $\pm$ 0.002	0.920 $\pm$ 0.001
GCN	0.485 $\pm$ 0.006	0.870 $\pm$ 0.001
S-VAE	0.478 $\pm$ 0.002	0.873 $\pm$ 0.001
GraphRNN	0.726 $\pm$ 0.002	0.669 $\pm$ 0.001
<b>DVAE-EMB</b>	<b>0.371 <math>\pm</math> 0.003</b>	<b>0.925 <math>\pm</math> 0.001</b>
GCN-EMB	0.441 $\pm$ 0.002	0.892 $\pm$ 0.001

### Architecture Performance with respect to Graph Properties



## References

- [1] Chatzianastasis, M., Dasoulas, G., Siolas, G., Vazirgiannis, M. (2021). *Graph-Based Neural Architecture Search With Operation Embeddings*. Proceedings of the IEEE/CVF International Conference on Computer Vision (ICCV) Workshops.
- [2] Zhang, M., Jiang, S., Cui, Z., Garnett, R., Chen, Y. *D-VAE: A Variational Autoencoder for Directed Acyclic Graphs*, NeurIPS (2019)