

a) 192.168.100.17 4 bits subnetting

Class C \Rightarrow 255.255.255.0

11111111.11111111.11111111.11110000 128

255.255.255.240

$\frac{256}{16}$

Subnet $\Rightarrow 2^4 = 16$ subnets

Network

$17/16 = 1$
 $1+16 = 17$

$16-1 = 15$
 $16+15 = 31$

192.168.100.16 network address
 192.168.100.31 broadcast
 range
 192.168.100.17 \Rightarrow 14 host
 192.168.100.30

b) 192.168.100.66 3 bits subnetting

Class C \Rightarrow 255.255.255.0

.....11100000 127

128164132 = 224

255.255.255.224

$\frac{256}{32}$

Subnet $\Rightarrow 2^3 = 8$ subnets host $\Rightarrow 2^5 - 2 = 30$

$66/32 = 2$
 $2 \times 32 = 64$

$32-1 = 31$
 $64+31 = 95$

192.168.100.64 network address
 192.168.100.95 broadcast
 range
 192.168.100.65 \Rightarrow host 30
 192.168.100.94

c) 172.16.10.5 /20

type B 11111111.11111111.11110000.00000000

255.255.240.0

$\frac{256}{16}$

Subnets $= 2^4 = 16$ subnets host $\Rightarrow 2^{12} - 2 = 4094$ host

$10/16 = 0$
 $0/16 = 0$

172.16.0.0 network address

172.16.0.00001111.11111111 \Rightarrow 172.16.15.256 broadcast

range

172.16.0.1

172.16.15.255

d, 172.16.10.33 / 255.255.252.0

Type B

Network Host
11111111.11111111.11111100.00000000
Subnets $\Rightarrow 2^4 = 64$ host $\Rightarrow 2^{10} - 2 = 1022$ host

network address

172.16.00000000.00000000
 $\rightarrow 172.16.0.0$

broadcast

172.16.00000000.11111111
 $\rightarrow 172.16.255.255$

② I'm going to use the formula $2^m - 2 \geq \text{host}$

$2^m - 2 \geq 128 \Rightarrow$ so the next near number is $2^7 = 128$

$m = 7 \Rightarrow 2^7 - 2 = 126$

Type C network will be the most efficient $\rightarrow 128$ to binary

255.255.255.0

255.255.255.10000000 \Rightarrow 255.255.255.128

③ Network address $\Rightarrow 192.168.10.0 \Rightarrow$ Type C

Subnet $\Rightarrow 255.255.255.192$
.11000000

255.255.255.0

255.255.255.11000000 host

Subnets $\Rightarrow 2^2 = 4$ subnets host $\Rightarrow 2^6 - 2 = 62$ per subnet

The magic number is 64 $\Rightarrow 256 - 192 = 64$

So, we need 4 networks $\Rightarrow 192.168.10.0$

192.168.10.64
192.168.10.128
192.168.10.192

④ Mask 177 255.255.255.11100000 Router IP = 173.32.2.62 PC IP = 173.

so we have 2^3 subnets $\Rightarrow 8$ subnets and $2^5 - 2$ host $\Rightarrow 30$ host per subnet

The magic number is $256 - 224 = 32$

The 1st network 173.32.2.0

2:

173.32.2.32 \rightarrow router network

3:

173.32.2.64 \rightarrow PC network

4:

173.32.2.96

5:

} Different subnets

⑤ 25 host / computer per subnet

Type C network

With the host formula $2^n - 2 \geq 25 \Rightarrow 2^5 - 2 = 30$ the most similar

So we will be leaving 5 bits empty \Rightarrow 255.255.255.11100000
255.255.255.224

With the use bits we realize we can have $2^3 = 8$ subnets, but only 5 are needed

We calculate the magic number $256 - 224 = 32$

	address	host range	broadcast
+32 ↙ 1- Subnet	192.168.162.0	.1 - .30	.31
2- Subnet	192.168.162.32	.33 - .62	.63
3- Subnet	192.168.162.64	.65 - .94	.95
4- Subnet	192.168.162.96	.97 - .126	.127
5- Subnet	192.168.162.128	.129 - .158	.159

We have 3 more subnets but the client only needed 5

⑥ /18 mask

1000 subnets

type A \Rightarrow private network

$$2^n \geq 1000$$

$$\boxed{2^{10} = 1024} \Rightarrow$$

$$255.11111111.11000000.00000000 /18$$

$$255.255.192.0 \Rightarrow \text{network mask}$$

$$\begin{array}{r} 256 \\ - 256 \\ \hline 04 \end{array} \Rightarrow \text{Magic Number}$$

A is a type A private subnetwork

10.0.0.0 } 1
10.0.64.0 }
10.0.128.0 }
10.0.192.0 } Last network per octet
10.4.0.0 }

10.255.128.0 \rightarrow penultimate network
10.255.192.0 \rightarrow last network