

# Onset of broad distributions of static and dynamic correlations in many-body localized phases

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# 1 Deer response

We consider the random field Heisenberg model

$$H = J \sum_{i=1}^N \mathbf{S}_i \cdot \mathbf{S}_{i+1} + \sum_{i=1}^N h_i S_i^z \quad (1)$$

where  $S_i^{\{x,y,z\}} = \sigma_i^{\{x,y,z\}}/2$ ,  $\sigma$ 's being the Pauli spin matrices on the lattice site  $i$ ,  $N$  is the chain length and  $h_i$ 's are chosen from a uniform distribution  $[-\eta, \eta]$ .

We first apply a  $\pi/2$ -pulse at some site call it site-1 on a random initial state, then evolve the system with this Hamiltonian by the Schrödinger equation. At time  $t/2$  we apply a  $\pi$ -pulse at site-1 and a  $\pi$ -pulse at some other site which is  $r$  lattice site away from site-1 call it site-2. After time  $t/2$  we again apply a  $\pi/2$ -pulse on site-1 to get the echo signal (known as Deer echo). The Deer echo is averaged over a 50 random initial states and 100 realizations of the disorder.

The time evolved many body wave function under Deer sequence is

$$|\psi(t)\rangle = R_1^{\pi/2} e^{-iHt/2} R_1^\pi R_2^\pi e^{-iHt/2} R_1^{\pi/2} |\psi(0)\rangle \quad (2)$$

where  $R_i^{\pi/2} = (\mathbb{1} - i\sigma_i^y)/\sqrt{2}$  and  $R_i^\pi = (R_i^{\pi/2})^2$ . And the Deer response itself is calculated as

$$\mathcal{D}(t) = \langle \psi(t) | \sigma_1^z | \psi(t) \rangle \quad (3)$$

For the plots presented below the values of different parameters are  $N = 10$ ,  $\eta = 10$ ,  $J = 1$ , averaged over initial random state = 50 and 100 disorder realizations unless otherwise stated.

## 1.1 Deer vs t

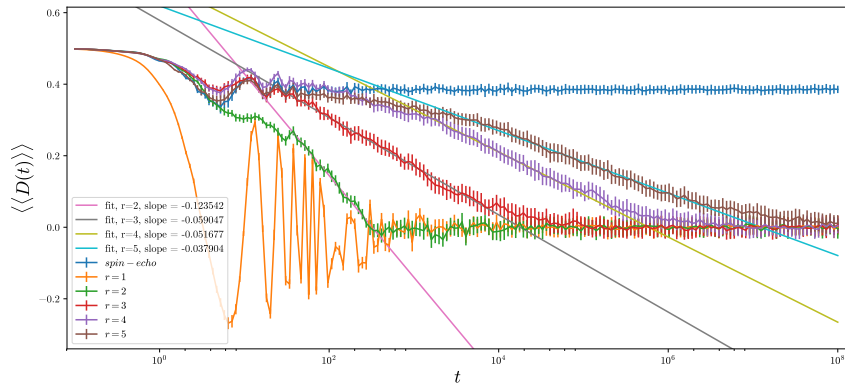


Figure 1: site-1= 3, site-2 = site-1 +  $r$ , Fbc, bulk spin.

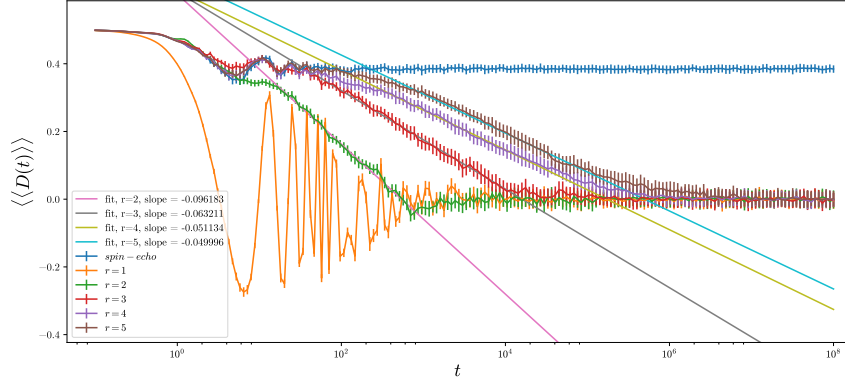


Figure 2: site-1= 3 Pbc, bulk spin.

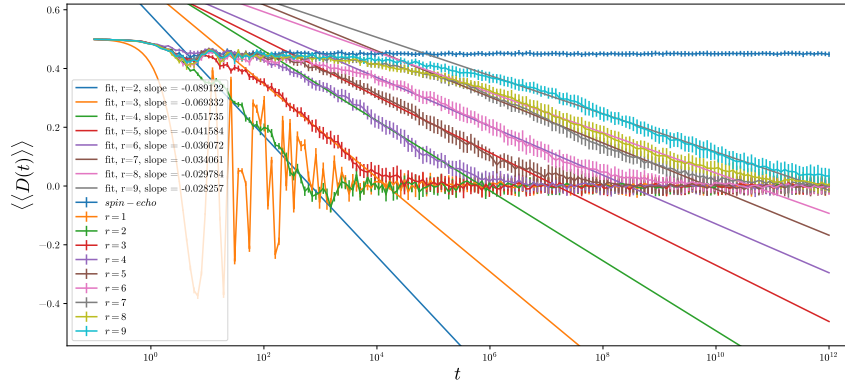


Figure 3: site-1= 1 Fbc, edge spin.

## 1.2 Slope vs $r$

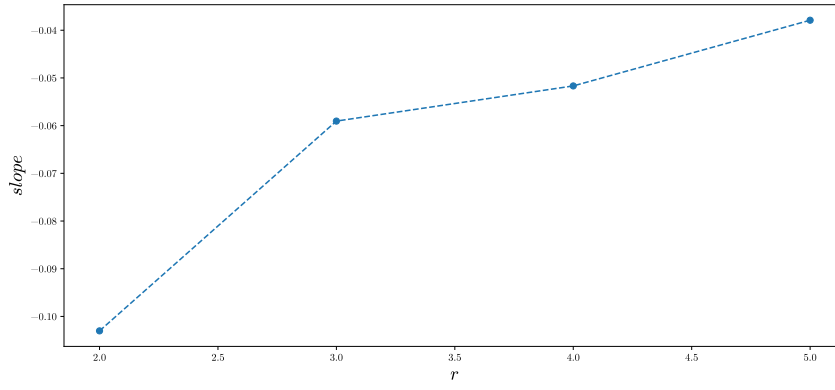


Figure 4: Fbc, bulk spin.

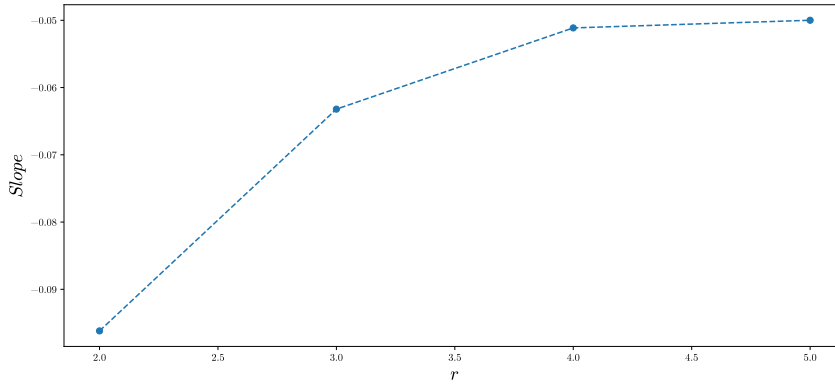


Figure 5: Pbc, bulk spin.

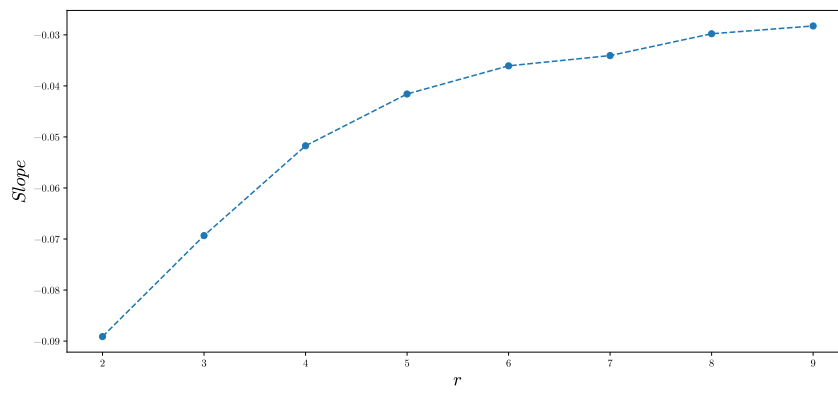


Figure 6: Fbc, edge spin.

### 1.3 Onset-time vs $r$

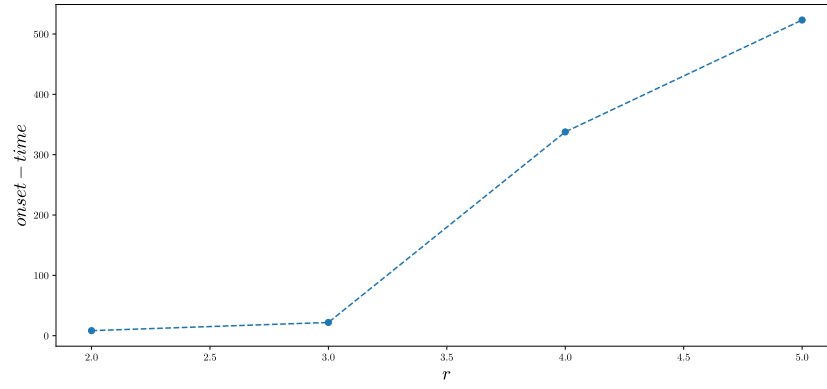


Figure 7: Fbc, bulk spin.

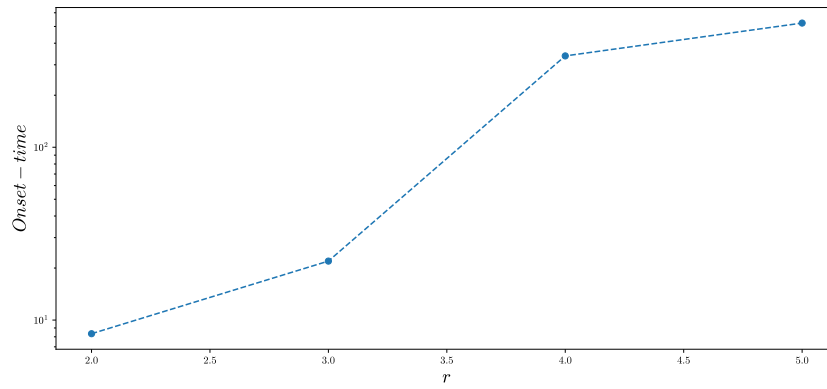


Figure 8: Fbc, bulk spin.



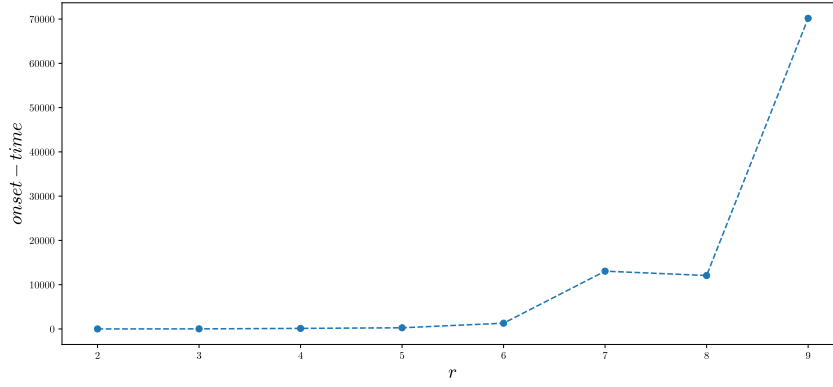


Figure 9: Fbc, edge spin.

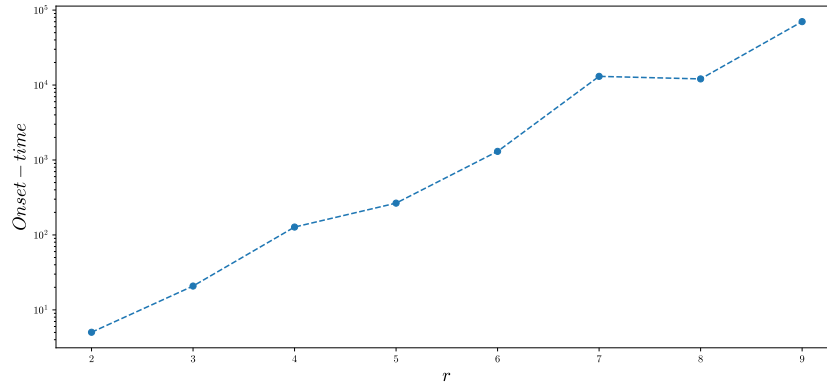


Figure 10: Fbc, edge spin.

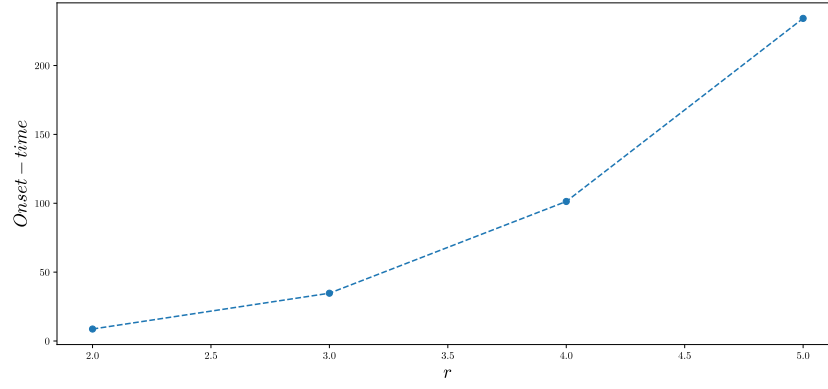


Figure 11: Pbc, bulk spin.

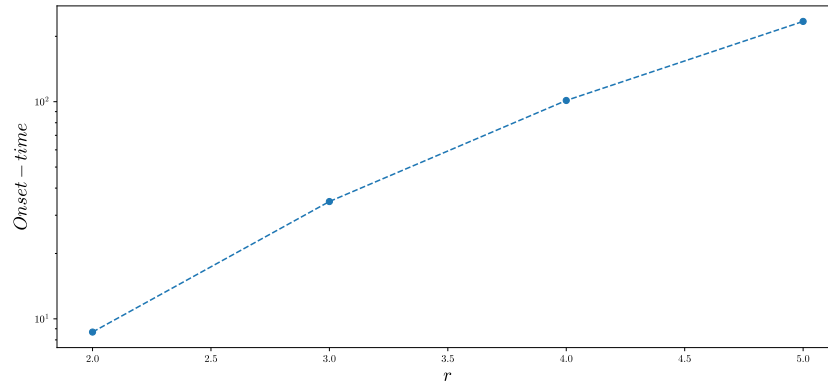


Figure 12: Pbc, bulk spin.

## 1.4 Sat-time vs $r$

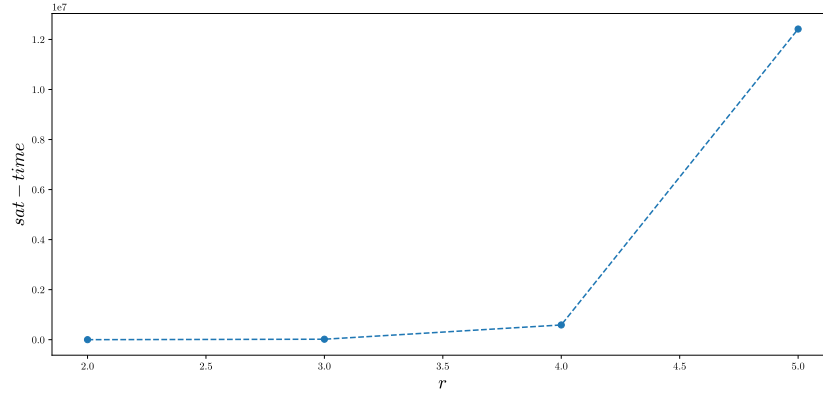


Figure 13: Fbc, bulk spin.

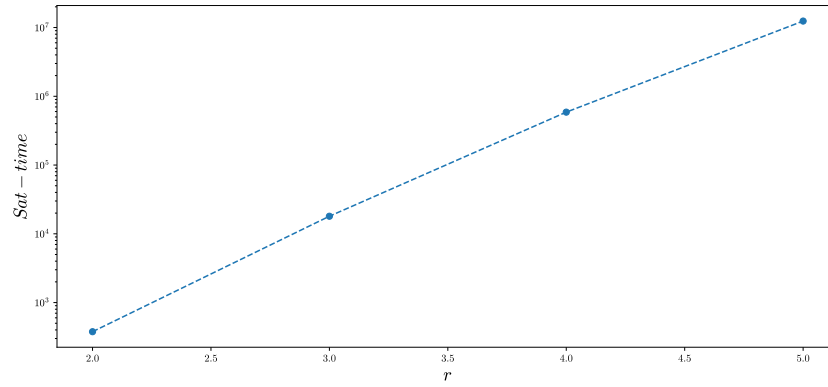


Figure 14: Fbc, bulk spin.

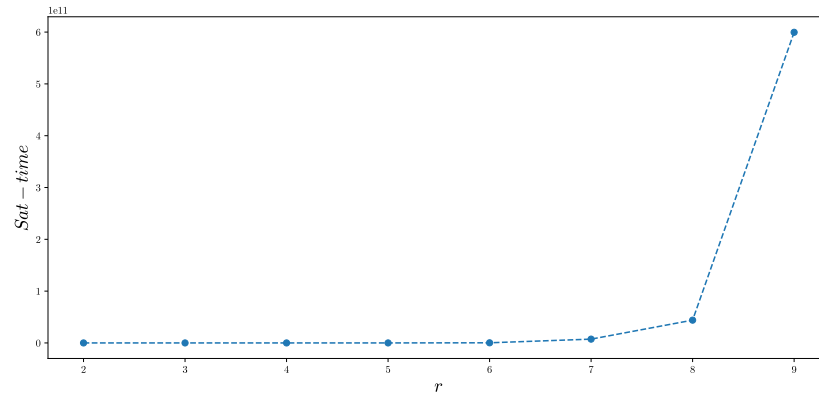


Figure 15: Fbc, edge spin.

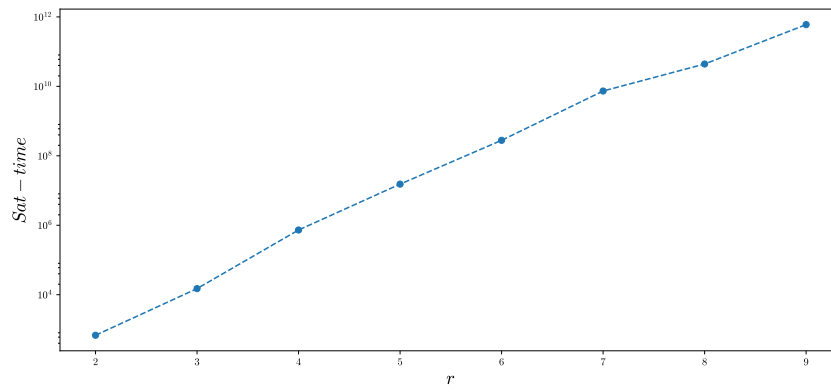


Figure 16: Fbc, edge spin.

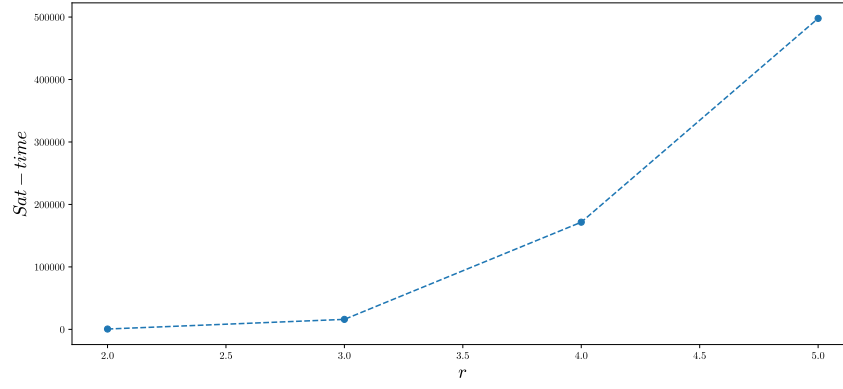


Figure 17: Pbc, bulk spin.

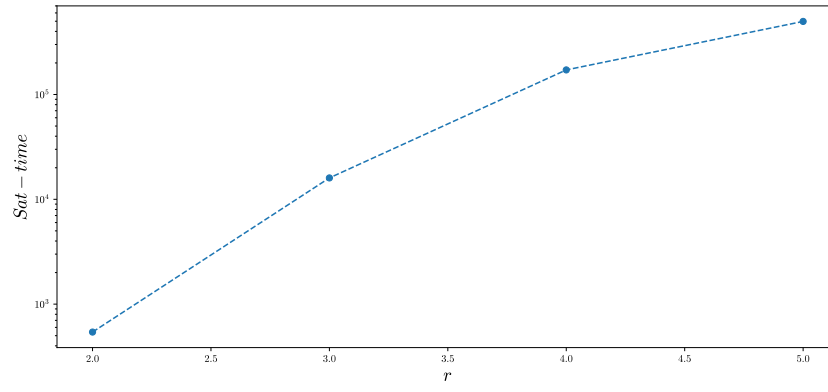


Figure 18: Pbc, bulk spin.

## 2 zz correlators