60004190057 FA TUTORIAL 1 write regular enpression Q1 a] even number of a's ANS a Finite automata will be and the  $\Sigma = \{a, b\}$   $\therefore \mathfrak{R} = (b+ab^*ab^*)^*$ language concresponding to  $x = a^*b(a^*ba^*b)^*a^*$  ba, ba, aba,  $L = \{b, abababa, aabaabaabaabaabaaa,$ 82 Ans (b+ab)\*(a+ab)\* 23 L = {E, a, b, ab, bab, aba, ba; abab, bba, bbab, ababa, ababab, baa, babab, abaa, ... 3

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Sundaram

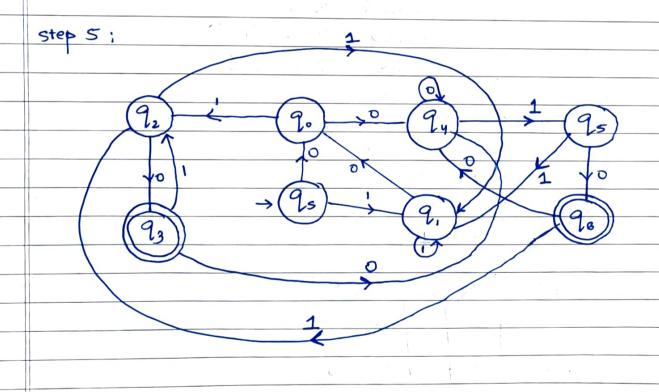
Junaid Girkas

Q4 FSM fox string ending in either 010 ox 0010 Step 1: (8, 5, 8, 9, 5, F) a => set quistates a dampin proprie  $\Sigma \rightarrow \text{input}^0 \text{alphabet}$ S → Transition with solution during which 9s → starting state F > Final state. step 2:  $q_s \rightarrow starting$  state q. → Ending with 0 9, → Ending with 1) 92 → Ending with 01 92 → Ending with 010 " Ending with 004 9s - Ending with \$0010 ge - Ending with 0010 1 and the terms of the during the course of Q:{9s,90,91,92,93,94,95,96} 43 Jul 2 : {0,13 da dad da da d Decre inductor, at about , Zox. Philips, where . . . . 9s: {9s3 F: {93,963

Step 4:

- 5 . · · ·	BE	,	1
$\rightarrow$	95	9.	9,
	90	94	9,2
	9,	90	9,
_	92		9,
*	93	93	9,2
	94	9,4	95
	95	96	9.
*	96	94	92

S- QXE



8,5	FSM that will accept the word banana using only
	5 Sinces
ANS	A finite automation is a collection of 5 tuples (Q, Σ, δ, qo, F)
	STEP 1: (Q, E, 8, 9s, F)
	9 → set of states
	$\Sigma \rightarrow Input alphabet$
	d → transition Junction
	9s → Starting state
	$F \rightarrow F_{i,j,j}$
	· Final state.
	STEP 2: 9s -> starting state
	90 → Ending with b
	9, → Ending with ba(na)*
	92 > Ending with ba(na)*
	( )
	STEP 3: < Q: { 95, 90, 91, 32 }
	5
	Σ: [b, a, n ]
	δ : Q × E
	9s: 89s3
	F: [2] (9, 3)
	STEP 4: QE b a(na)*
	* ba(rat 9, 90 9,

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