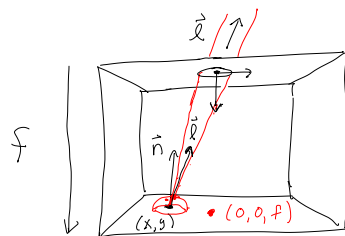


lecture 7

camera response, color

Thin lens model (camera)



Let A be
the aperture
(lens diameter),
so lens area
is $\frac{\pi A^2}{4}$.

$$E(x,y) = L(\vec{l}) \left(\frac{\text{area of lens}}{f^2} \right) (\vec{n} \cdot \vec{l})^4$$

$$= L(\vec{l}) \frac{\pi}{4} \left(\frac{A}{f} \right)^2 (\vec{n} \cdot \vec{l})^4$$

Camera f-number (f-stop)

$$E(x,y) = L(\vec{l}) \frac{\pi}{4} \left(\frac{A}{f} \right)^2 (\vec{n} \cdot \vec{l})^4, \quad N = \frac{f}{A}$$

$$\sim \left(\frac{1}{N} \right)^2$$

$$N = 1.4, 2, 2.8, 4, 5.6, 8, 11$$

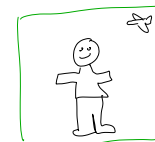
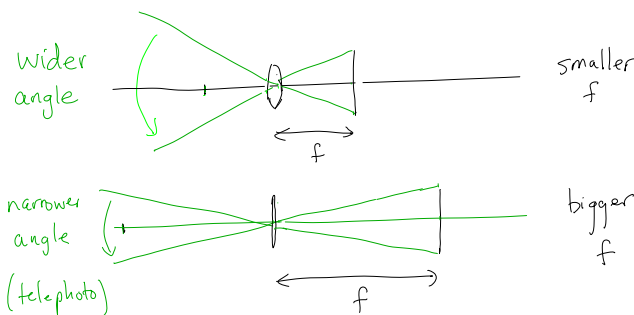
$$= \sqrt{2}, \sqrt{4}, \sqrt{8}, \sqrt{16}, \sqrt{32}, \sqrt{64}, \sqrt{128}$$

$$N = \frac{f}{A}$$

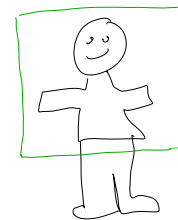
\Rightarrow two ways to
change N

Change f with A fixed

$$E(x,y) = L(\vec{l}) \frac{\pi}{4} \left(\frac{A}{f} \right)^2 (\vec{n} \cdot \vec{l})^4, \quad N = \frac{f}{A}$$



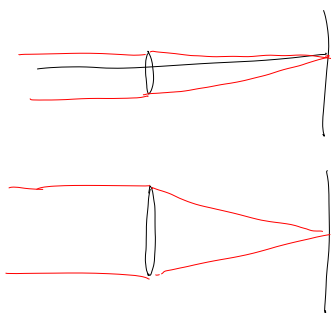
small f
(wide angle)



large f
(telephoto)

Same set of rays is
spread out over larger
sensor area \Rightarrow darker

Change A with f fixed



Exposure

image irradiance $E(x,y)$

exposure time t

exposure $E(x,y) \cdot t$

light energy
time \times area

light energy
unit area

Shutter Speed ($\frac{1}{t}$)

Typical t

$$\dots, \frac{1}{2}, \frac{1}{4}, \frac{1}{8}, \frac{1}{16}, \frac{1}{32}, \frac{1}{64}, \frac{1}{128}, \frac{1}{256}, \frac{1}{512}, \dots$$

Typical shutter speed $\frac{1}{t}$ (on camera dial)

$$\dots, 2, 4, 8, 15, 30, 60, 125, 250, 500, \dots$$

Exposure

$$E(x,y) \cdot t = L(\vec{l}) \frac{\pi}{4} \left(\frac{A}{f} \right)^2 (\vec{n} \cdot \vec{l})^4 \cdot t$$

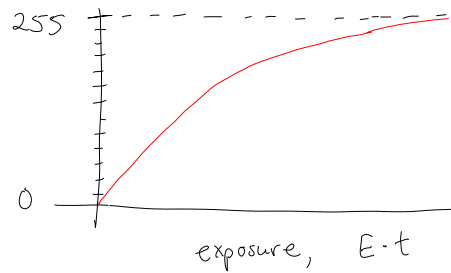
\uparrow $\frac{1}{N^2}$ \uparrow $\frac{1}{t}$

increase N (by decreasing A) $\Rightarrow E(x,y) \cdot t$ fixed
 decrease $\frac{1}{t}$ (increase t)

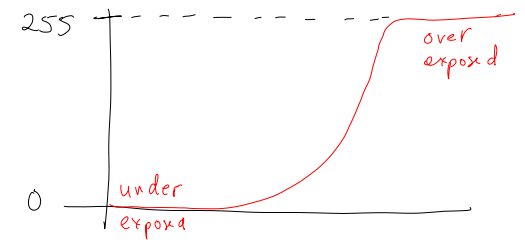
increase N (by increasing f) \Rightarrow EEK!
 decrease $\frac{1}{t}$ (increase t) size change
 (more complicated)

Camera Response (Tone Mapping)

$$T(E(x,y) \cdot t) \rightarrow \{0, 1, \dots, 255\}$$

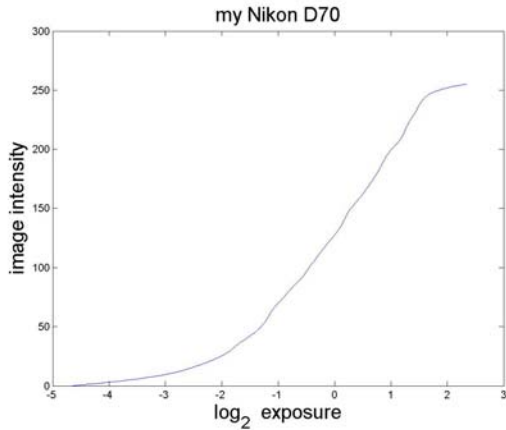
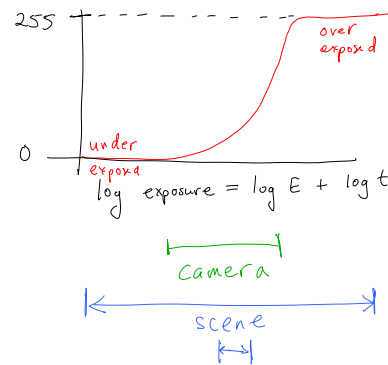


Camera Response



$$\log \text{ exposure} = \log E + \log t$$

Dynamic Range.



$$\frac{1}{t} = 2000$$



$$\frac{1}{t} = 125$$

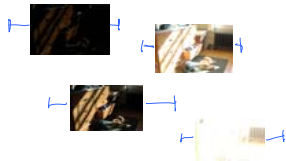
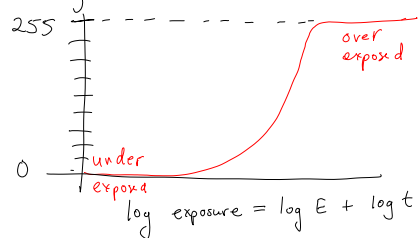


$$\frac{1}{t} = 8$$



$$\frac{1}{t} = \frac{1}{2}$$

Dynamic Range.



High Dynamic Range Imaging

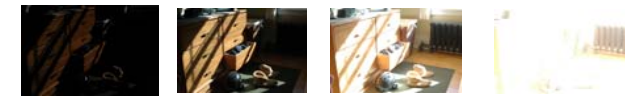
Given • $T(E(x,y) \cdot t) \rightarrow \{0, 1, \dots, 255\}$

• image intensities $I_t(x,y)$
 for many shutter speeds $\frac{1}{t}$

Compute

$$E(x,y) \cdot t = T^{-1}(I_t(x,y))$$

For each (x,y) use an image
 such that $0 \ll I(x,y) \ll 255$



$$\log E(x,y)$$



Color



radiance
irradiance

$$L(x, \vec{\omega}, \lambda)$$

$$E(x, \lambda)$$

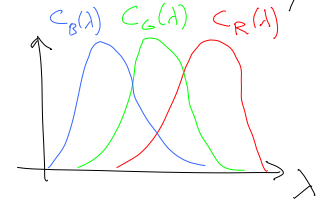
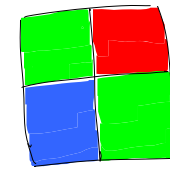
3D scene point

BRDF

$$\rho(x, \omega_{in}, \omega_{out}, \lambda)$$

image irradiance $E(x, y, \lambda)$

Pixel (Bayer pattern)



$$E_{RGB}(x, y) = \int_{RGB} C_{RGB}(\lambda) E(x, y, \lambda) d\lambda$$

↑
3 intensities per pixel

