Code:

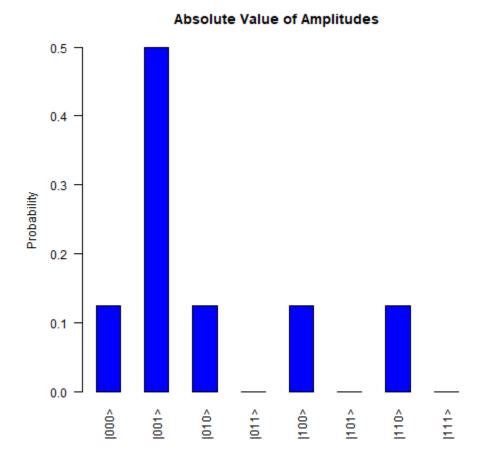
```
library("QuantumOps")
GOracle <- function(w,input){
    n <- input
    Uf <- diag(N)</pre>
    Uf[w+1, w+1] < -1
F < - function(x)
    }else{
f < - function(n, w) 
    H <- H()
    for(j in 2:(n+1))
        H <- tensor(H,H())</pre>
    v <- U(H, v)
```

```
GO <- GOracle(w,n+1)
    GD <- GroverDiffusion(n)</pre>
    GD <- tensor(GD, I())</pre>
    P <- rep(NA, 6)
    for(j in 1:6){
        v <- U(GO, v)
        v <- U(GD, v)
        P[j] <- probs(v)[w+1,1]
        pp("iteration ", j,":", P[j])
        png( sprintf("ProbabilityDistribution%d.png",j))
        plotprobs(v)
        dev.off()
#Calling the function
#first number represents n, second represents the int we are looking for
f(2,1)
```

The output we get from this code is exactly the same result as I get when I manually go through the grover's algorithm, therefore, we know the results are correct. These results make sense if you look at the iteration probabilities in the R terminal:

```
[1] "iteration 1: 0.5"
[1] "iteration 2: 0.125"
[1] "iteration 3: 0.125"
[1] "iteration 4: 0.5"
[1] "iteration 5: 0.125"
[1] "iteration 6: 0.125"
```

We can see here that the highest probabilities happen during iteration 1 and 4. When we look at the png images of these distributions:



We can see here that finding 2 has a very high probability of 50%. This makes sense because grover's algorithm only has a 50% chance to find the correct input, which directly mirrors the values of my outputs.