CSCI 230 Data Structures and Algorithms Problem Set 3 - Maps, Hash Tables, and Sets Jonathan Limpus

## Assignment

This assignment is based on material from the course primary textbook, "Data Structures and Algorithms in Java" by Michael Goodrich, chapters:

• Chapter 10 Maps, Hash Tables, and Skip Lists

**Problem 1.** The use of null values in a map is problematic, as there is then no way to differentiate whether a null value returned by the call get(k) represents the legitimate value of an entry(k,null), or designates that key k was not found. The java.util.Map interface includes method boolean containsKey(k), that resolves any such ambiguity. Implement such a method for the UnsortedTableMap class.

```
Code: UnsortedTableMap.java
   public class UnsortedTableMap<K,V> extends AbstractMap<K,V> {
   // easy way: use the methods defined in UnsortedTableMap
       boolean containsKey(K key) {
        // Call the method get, which returns null if there is no value is found
            if(get(key) == null) {
                return false;
            }
            else return true;
        }
10
11
   // second way: Use java ArrayList and Object methods
12
        boolean containsKey(K key) {
            int size = table.size();
14
            for(int i = 0; i < size; i++) {</pre>
15
                if(table.get(i).equals(key))
16
                    return true;
17
            }
18
            return false;
19
        }
21
   }
22
```

**Problem 2.** What is the worst-case time for putting n entries in an initially empty hash table, with collisions resolved by chaining? What is the best case?

- The worst case time for putting n entries in an empty hash table would be  $\mathcal{O}(n)$ , which is assuming you're checking every element of the hash table.
- The best case time would be  $\Omega(1)$ , if the elements were always added to the front. This assumes that the items are always added to the front of the hash table.

**Problem 3.** Describe how a sorted list implemented as a doubly linked list could be used to implement the sorted map ADT.

Solution. A sorted map uses the following methods, as defined in the course textbook: size(), isEmpty(), get(k), put(k,v), remove(k), keySet(), firstEntry(), lastEntry(), ceilingEntry(k), floorEntry(k), lowerEntry(k), higherEntry(k) and  $subMap(k_1, k_2)$ . A sorted map would use the following implementations Linked Positional List (a list implemented as a doubly linked list) methods:

- The sorted map **size()**; would simply return the method **size()**; from the Linked Positional List ADT.
- Again, the sorted map **isEmpty()**; would inherit from the Linked Positional List **isEmpty()**; directly.
- For get(k), you would use either before(k + 1) or after(k 1)
- For put(k,v), you would use the method set(k,v)
- For remove(k), you would use the Linked Positional List remove(k)
- For keySet(), you would iterate through the list and get the positions of each element using after() and add them to some Iterable object
- firstEntry(); would be implemented using first(); from the Linked Positional List class.
- Similarly, lastEntry(); would use last();
- $\operatorname{subMap}(k_1, k_2)$ : add the element at the first key using  $\operatorname{get}(\mathbf{k})$  and  $\operatorname{addFirst}(\mathbf{k})$ , then iterate through the list, adding values using Linked Positional List  $\operatorname{addLast}(\mathbf{v})$  until you reach the final value.

**Problem 4.** What abstraction would you use to manage a database of friends' birthdays in order to support efficient queries such as "find all friends whose birthday is today" and "find the friend who will be the next to celebrate a birthday"?

Solution. Using a sorted map, and using dates as keys, you could quickly parse through the birthday. To find all "birthdays today", you could use the  $\mathbf{subMap}(k_1, k_2)$  method using today's date as  $k_1$  and  $k_2$ , and to find the "next birthday", you could use the  $\mathbf{firstEntry}()$  method to find the soonest upcoming birthday.