## School of Mathematics and Statistics MAST30013 Techniques in Operations Research

Semester 1, 2020

## **Tutorial on Matlab**

1. a: From the same directory as the function is, call, for example > mymax(1,2,3,4,5).

## 1. b:

```
function min = mymin(n1, n2, n3, n4, n5)
   %This function calculates the minimum of the five numbers given as input
3
4
   \min = n1;
5
   if(n2 < min)
6
       \min = n2;
7
   end
8
   if(n3 < min)
9
      min = n3;
   end
   if(n4 < min)
12
       \min = n4;
13
   end
14
   if(n5 < min)
15
       \min = n5;
16
   end
```

## 1. c:

```
function [first, second] = mytwomin(n1, n2, n3, n4, n5)
2
   %This function returns the two numbers yielding the minimum product
3
4
   values = [n1, n2, n3, n4, n5];
5
   first = n1;
6
   second = n2;
   product = n1*n2;
9
   for i=1:5
        for j=i:5
            if values(i)*values(j) < product;</pre>
                first = values(i);
                second = values(j);
14
                product = values(i)*values(j);
            end
16
       end
   end
```

**2.** 

a)

```
\begin{array}{c|cc}
1 & \text{function } val = fx(x) \\
2 & val = cos(x)/x;
\end{array}
```

b)

```
 \begin{array}{c|cccc} 1 & function & val = fx(x) \\ val & = -\sin(x)/x & -\cos(x)/x^2 ; \end{array}
```

**c**)

```
function val = f(x)
3
    function val = fx(x)
4
      val = cos(x)/x;
5
6
    function val = fprime(x)
8
        val = -\sin(x)/x - \cos(x)/x^2 ;
9
    \quad \text{end} \quad
10
12 | val = fx(x)/fprimex(x);
13
14
   end
```

3. Let  $f(x,y) = x^2 + 2x + y$ 

**a**)

```
\begin{array}{ll}
1 & \text{function } val = f(x,y) \\
2 & val = x^2+2*x+y;
\end{array}
```

b)

```
function grad = gradF(x,y)
grad(1) = 2*x + 2;
grad(2) = 1;
```

**c**)

```
function hess = hessF(x,y)
hess(1,1) = 2;
hess(1,2) = 0;
hess(2,1) = 0;
hess(2,2) = 0;
```

```
1
       %Ouestion 2
       %Define one variable
 2
 3 -
       syms X;
       %Define a function of the variable
 4
 5 -
       f = cos(x)./x:
 6 -
       p = diff(f);
7 -
       q = f./p;
 8
       %Evaluate at a particular point x = 1
9 -
       x = 1;
       subs(f) % return result in terms of cos(1), sin(1)
10 -
       %Alternatively, subs(f,{x},{1})
11
       double(subs(f)) % numerical result
12 -
       subs(p)
13 -
14 -
       subs(q)
15
       %Ouestion 3
16
       %Define two variables
17
18 -
       syms x y;
       %Define a function of the variables
19
20 -
       f = x.^2+2.*x+y;
       %Calculate the gradient and hessian
21
       g = gradient(f,[x,y]);
22 -
       h = hessian(f,[x,y]);
23 -
24
25
       %Evaluate at a particular point (x,y) = (1,0)
       x = 1; y = 0;
26 -
27 -
       subs(f)
28 -
       subs(g)
29 -
       subs(h)
```