

```
%Assignment 3 MAT50PT Q4
```

```
syms w [3 1] real
syms b real
Df = [w' 0];
```

```
%Training data and labels respectively, including new data.
```

```
td = readtable('Trainingdata.csv');
tl = readtable('Traininglabels.csv');
nd = readtable('Newdata.csv');
```

```
%Creating the matrix for Dg(w,b)
```

```
td_t =
td(:,{'Var1','Var2','Var3','Var4','Var5','Var6','Var7','Var8','Var9','Var10'});
tl_t =
tl(:,{'Var1','Var2','Var3','Var4','Var5','Var6','Var7','Var8','Var9','Var10'});
n_d =
nd(:,{'Var1','Var2','Var3','Var4','Var5','Var6','Var7','Var8','Var9','Var10'});
```

```
p = td_t(:,1:10);
l = tl_t(:,1:10);
n_d = n_d(:,1:10);
```

```
Dg = [-l' .* p' -l'];
```

```
%Creating a symbolic 10 × 1 real-valued vector
```

```
syms mu [10 1] real
```

```
%Creating a vector DL that represents DL(w,b;μ).
```

```
DL = Df + mu'*Dg;
```

```
%Creating a vector g whose i-th row is gi(w,b) and a row vector mug
%whose i-th element equals μigi(w,b).
```

```
g = 1- l'.*(w'*p + b)';
```

```
%NOTE: .* is pointwise multiplication
```

```
mug = mu'.*g';
```

```
%Creating a vector KKT by concatenating DL and mug.
```

```
KKT = [DL mug];
```

```
% Define vars = [w' b mu'] and run sol = solve(KKT, vars).
```

```
% The solution is a structure that can be easily substituted
```

```
% into an expression by typing subs(expr,sol).
```

```
% Verify that the solutions are valid by running subs(KKT, sol).
```

```
vars = [w' b mu'];
```

```
sol = solve(KKT, vars);
```

```
subs(KKT, sol);
```

```
%Run subs(mu', sol).
```

```
subs(mu', sol);
```

```
%Run subs(g', sol)
```

```
subs(g', sol);
```

```

%what the variables r1 and r2 contain after running this code:
r1 = all(subs(g', sol) <= 0, 2);
r2 = all(subs(mu', sol) >= 0, 2);

%find and the elementwise & operator to
%determine the rows corresponding to possible solutions
%according to the KKT theorem.

find(r1 & r2)

%It takes a while to run.
%I got the only valid solution is in row 307.

%Determine the optimal separating hyperplane of the data points.
%The previous answer shows that the only valid solution is in row 307.
vals = subs([w' b], sol);
result = vals(307,:)

%
% w =
%
[997775165103809544845016335324274691522443608064/93781564599382964268437821672023
3154701282521279;
%
92922195472290276393024440938026844566872653824/9378156459938296426843782167202331
54701282521279;
%
956851609532056620709389370033245129333442347008/937815645993829642684378216720233
154701282521279]

%and,
%b = -
11219186534782669137435017652703077302535151819567/9378156459938296426843782167202
33154701282521279

% Using 3-4 significant figures we get
% w = [1.064;0.099; 1.020]
% b = -11.96;

%Now, we use it to label for the newdata.
w = result(1:3);
b = result(4);
q = n_d;
sign(w*q + b)

%The following labels are
%[-1, -1, -1, -1, -1, 1, 1, -1, 1, -1].

```