

# Capston Project - Marketing campaign

February 4, 2026

```
[1]: import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
# Python
import warnings

# Suppress all warnings
warnings.filterwarnings("ignore")
```

```
[2]: df= pd.read_csv("bank-full.csv", sep=";")
df.head()
```

```
[2]:
```

	age	job	marital	education	default	balance	housing	loan	\
0	58	management	married	tertiary	no	2143	yes	no	
1	44	technician	single	secondary	no	29	yes	no	
2	33	entrepreneur	married	secondary	no	2	yes	yes	
3	47	blue-collar	married	unknown	no	1506	yes	no	
4	33	unknown	single	unknown	no	1	no	no	

	contact	day	month	duration	campaign	pdays	previous	poutcome	y
0	unknown	5	may	261	1	-1	0	unknown	no
1	unknown	5	may	151	1	-1	0	unknown	no
2	unknown	5	may	76	1	-1	0	unknown	no
3	unknown	5	may	92	1	-1	0	unknown	no
4	unknown	5	may	198	1	-1	0	unknown	no

```
[3]: df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 45211 entries, 0 to 45210
Data columns (total 17 columns):
#   Column      Non-Null Count  Dtype
---  -
0   age         45211 non-null  int64
1   job         45211 non-null  object
2   marital     45211 non-null  object
3   education   45211 non-null  object
```

```

4   default      45211 non-null object
5   balance      45211 non-null int64
6   housing      45211 non-null object
7   loan         45211 non-null object
8   contact      45211 non-null object
9   day          45211 non-null int64
10  month        45211 non-null object
11  duration     45211 non-null int64
12  campaign     45211 non-null int64
13  pdays       45211 non-null int64
14  previous     45211 non-null int64
15  poutcome     45211 non-null object
16  y            45211 non-null object
dtypes: int64(7), object(10)
memory usage: 5.9+ MB

```

```
[ ]:
```

## 0.1 Univariate analysis for categorical and object variables

```

[4]: # Univariate analysis of categorical and object variables

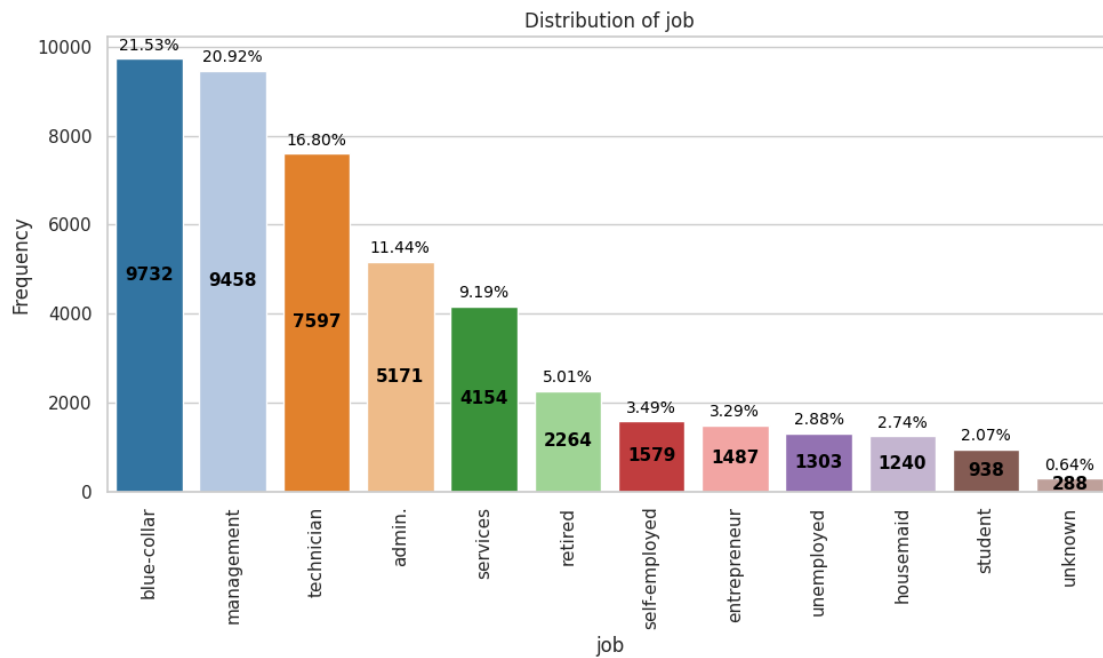
def plot_object(dataframe, column_name):
    """
    Plots a bar chart showing category frequencies with both frequency (inside bar)
    and proportion (above bar) labels.
    Parameters:- dataframe: pandas DataFrame- column_name: str, name of the
    ↪categorical column to visualize
    """
    # Count frequencies and proportions
    value_counts = dataframe[column_name].value_counts()
    proportions = value_counts / len(dataframe)
    # Set plot style
    sns.set(style="whitegrid")
    plt.figure(figsize=(10, 6))
    # Bar plot
    palette1=sns.color_palette(palette='tab20')
    ax = sns.barplot(x=value_counts.index, y=value_counts.values, palette=palette1)
    # Annotate bars
    for i, (count, prop) in enumerate(zip(value_counts.values, proportions.
    ↪values)):
        # Frequency inside bar
        ax.text(i, count * 0.5, f'{count}', ha='center', va='center',fontsize=11,
        ↪color='black', fontweight='bold')
        # Proportion above bar
        ax.text(i, count + max(value_counts.values) * 0.02, f'{prop:.
        ↪2%}',ha='center', fontsize=10, color='black')

```

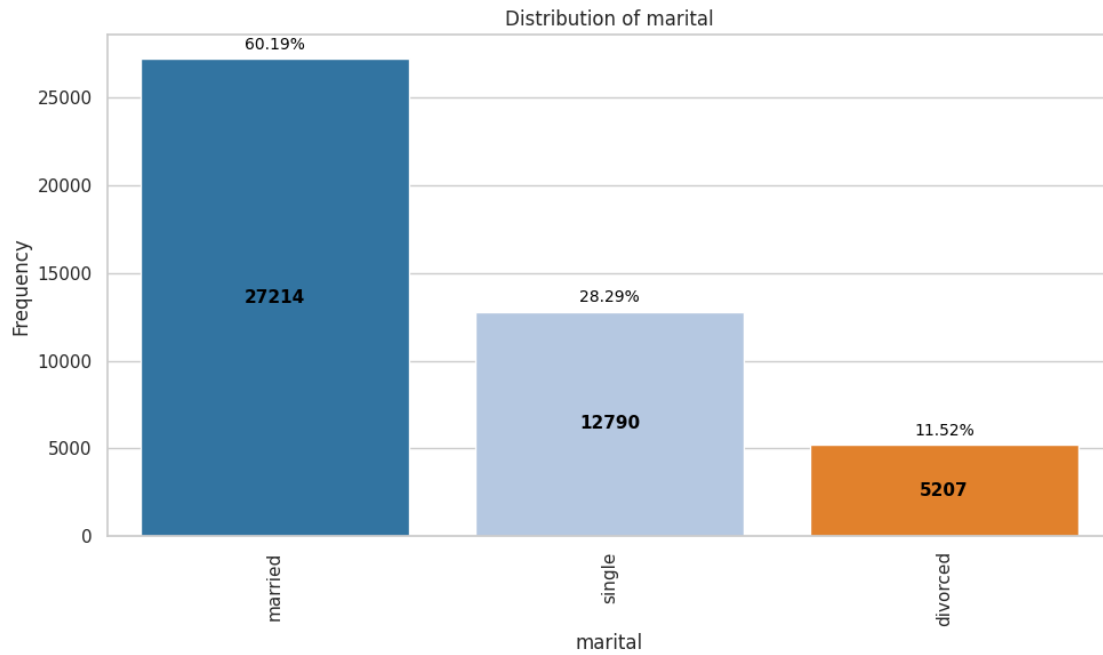
```
plt.title(f'Distribution of {column_name}')
plt.xlabel(column_name)
plt.xticks(rotation=90)
plt.ylabel('Frequency')
plt.tight_layout()
plt.show()
```

```
[ ]:
```

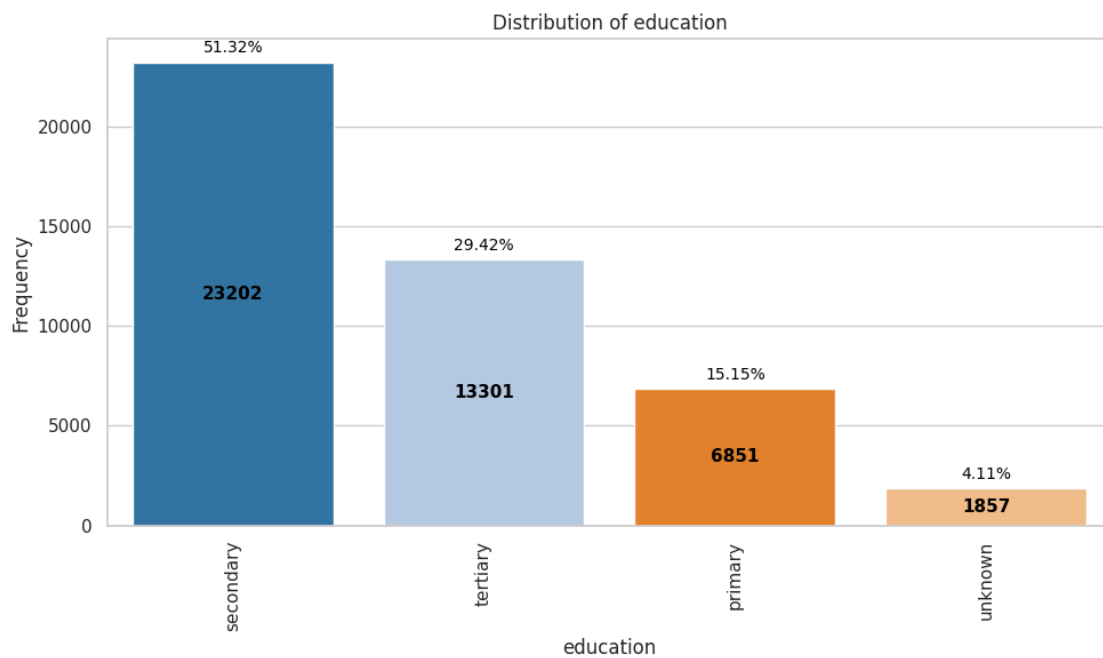
```
[5]: plot_object(df, "job")
```



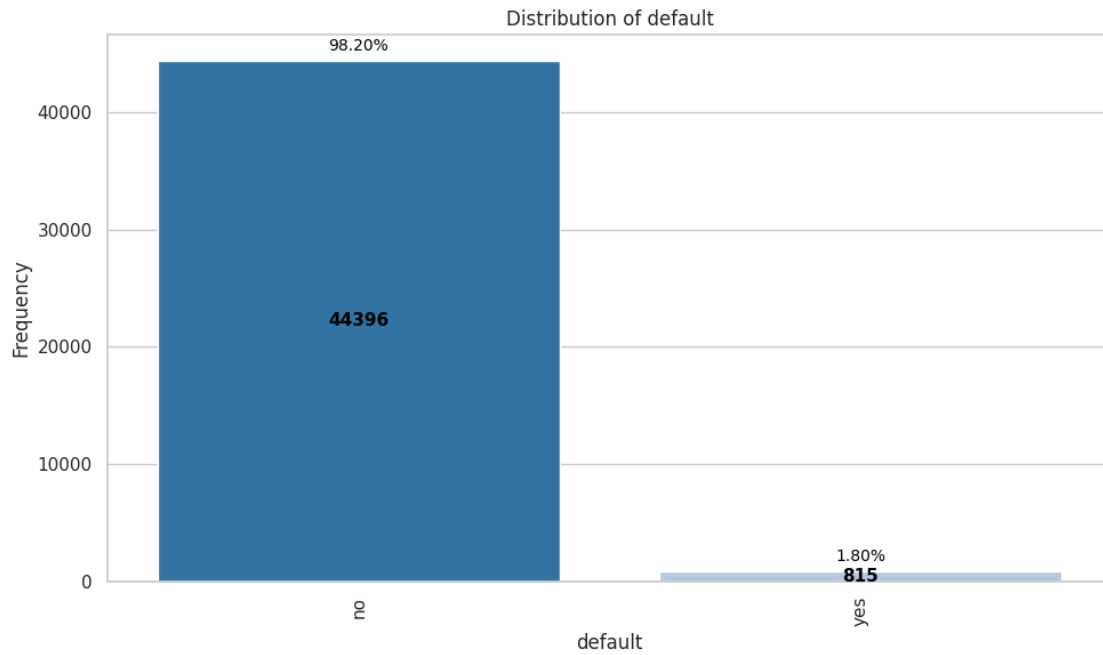
```
[6]: plot_object(df, 'marital')
```



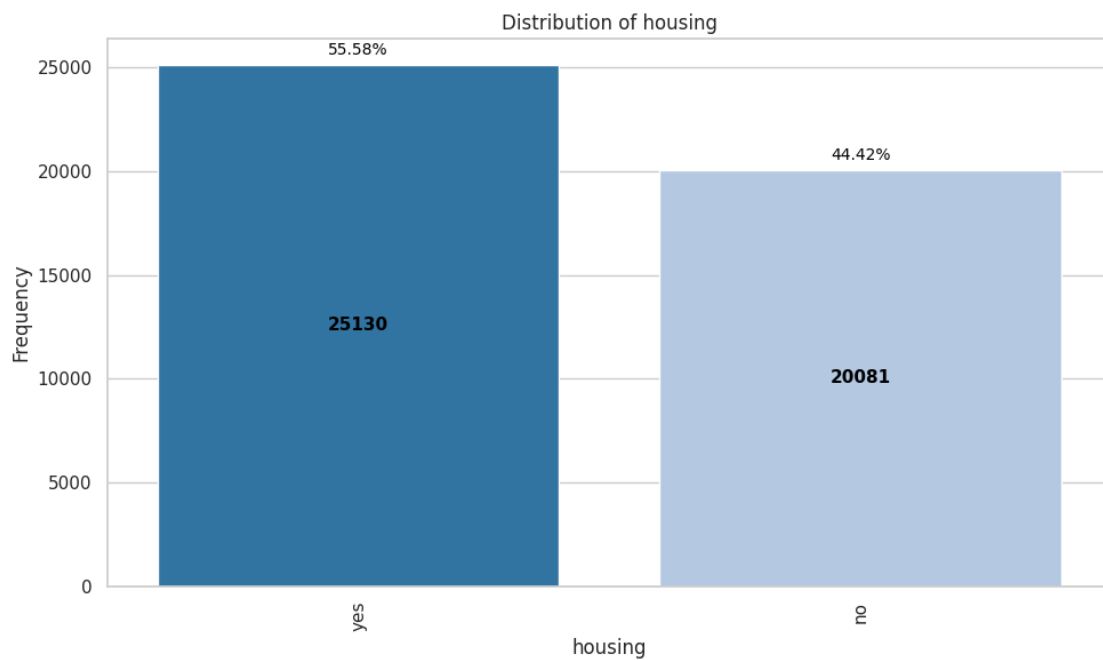
```
[7]: plot_object(df, 'education')
```



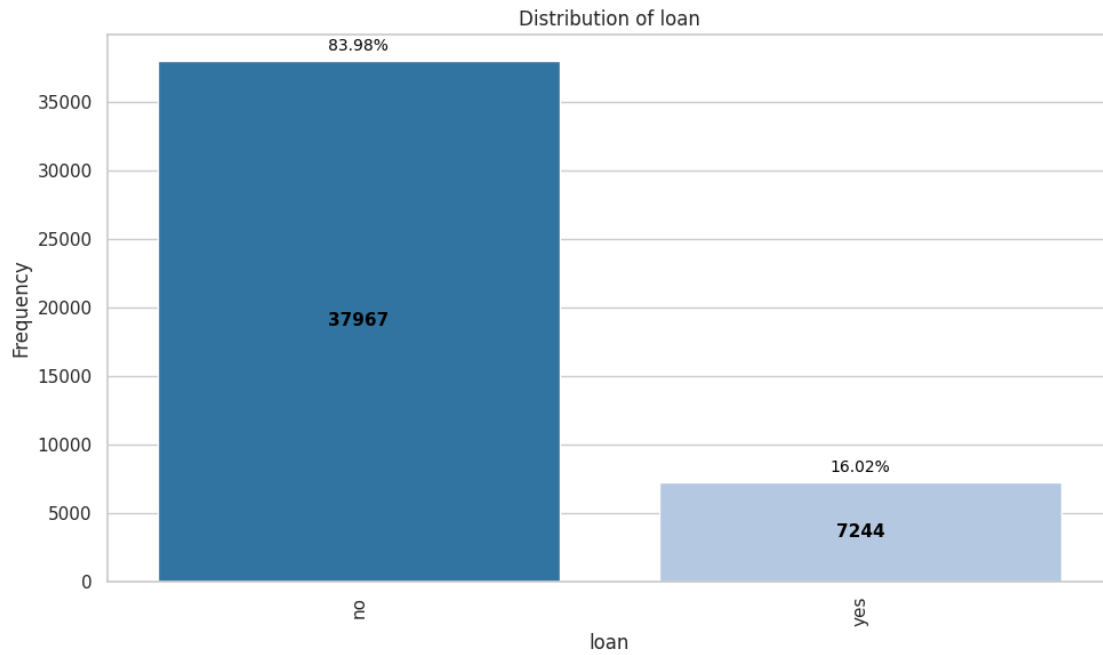
```
[8]: plot_object(df, 'default')
```



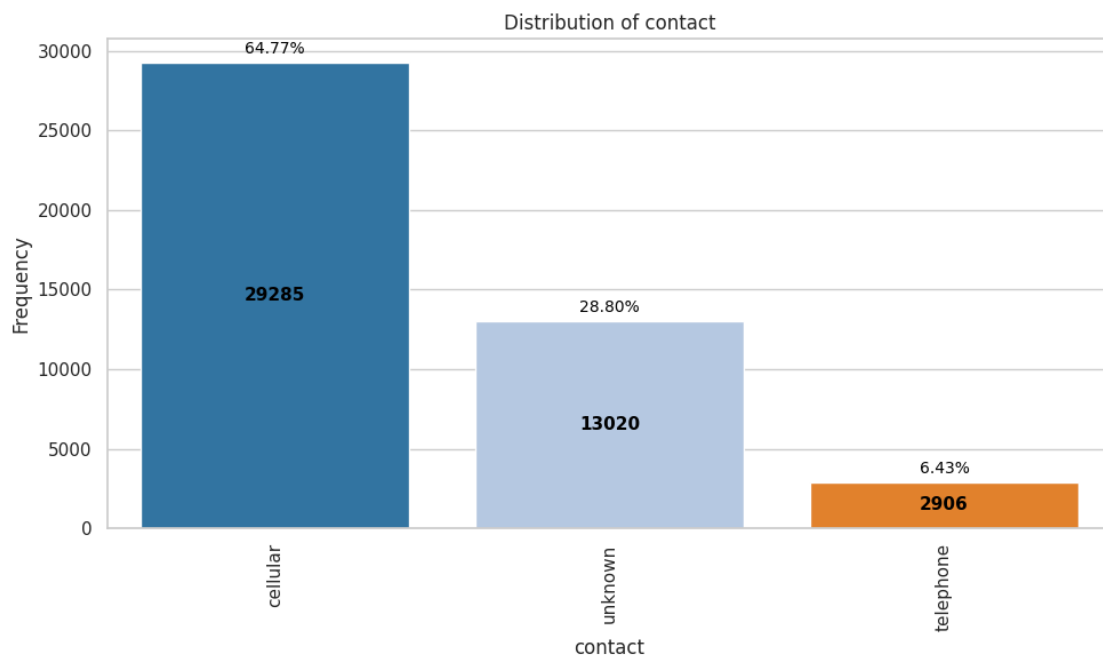
```
[9]: plot_object(df, 'housing')
```



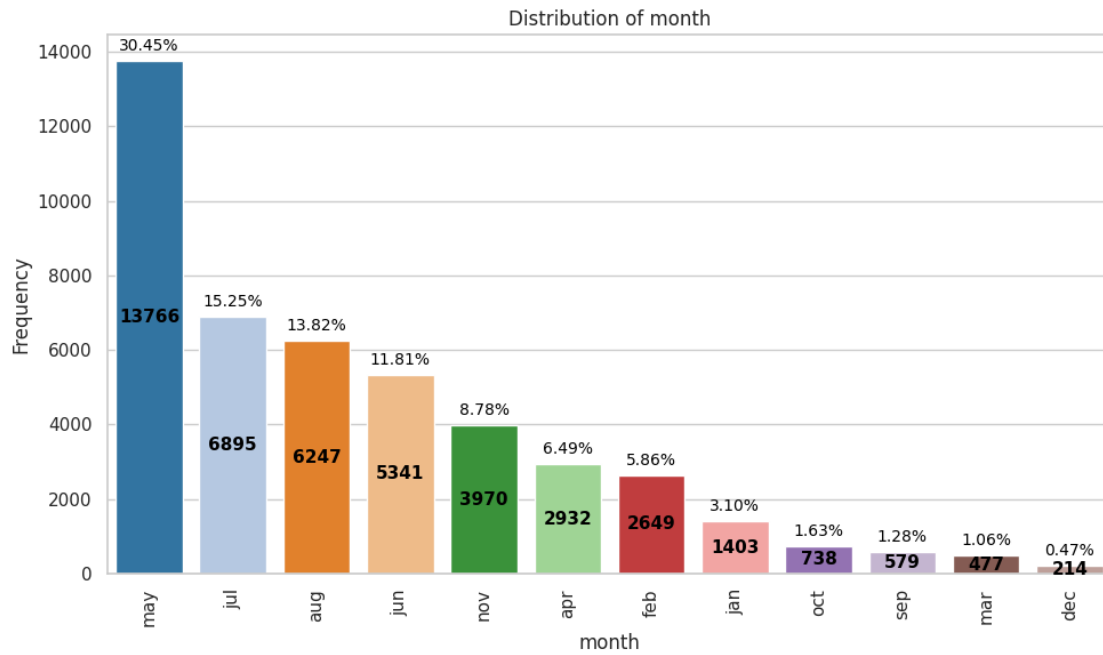
```
[10]: plot_object(df, 'loan')
```



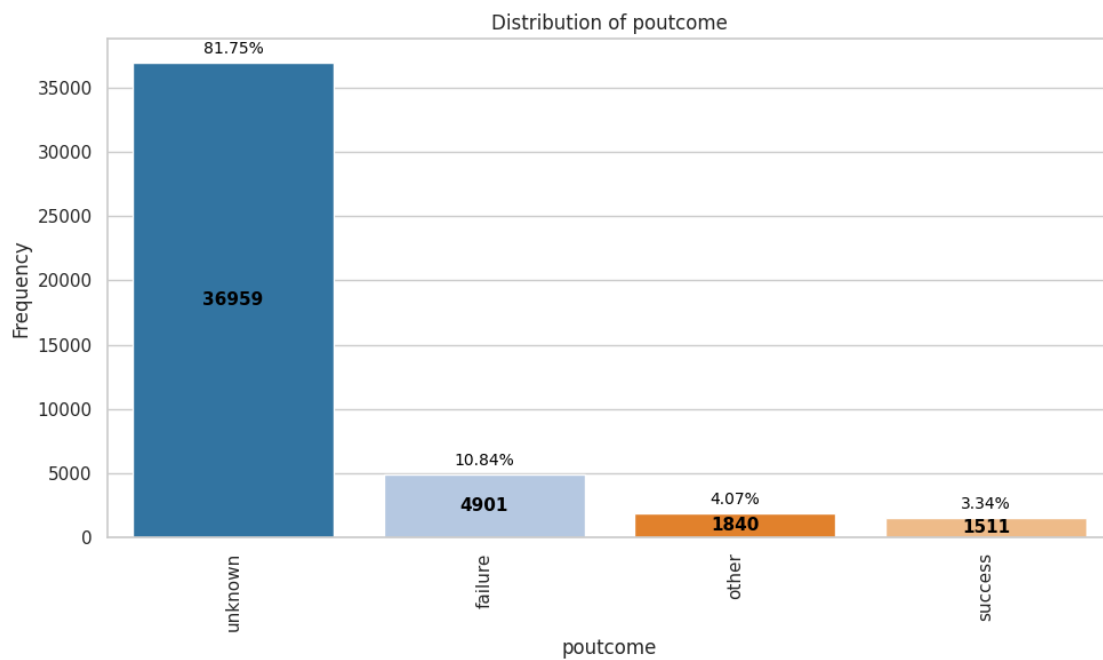
```
[11]: plot_object(df, 'contact')
```



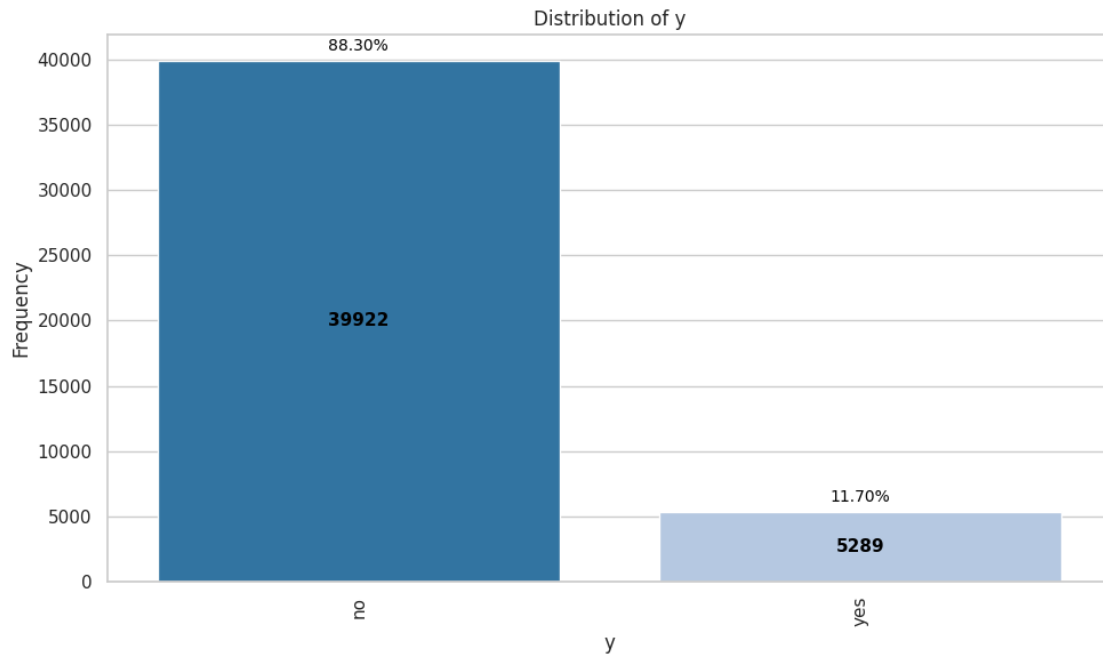
```
[12]: plot_object(df, 'month')
```



```
[13]: plot_object(df, 'poutcome')
```



```
[14]: plot_object(df, 'y')
```



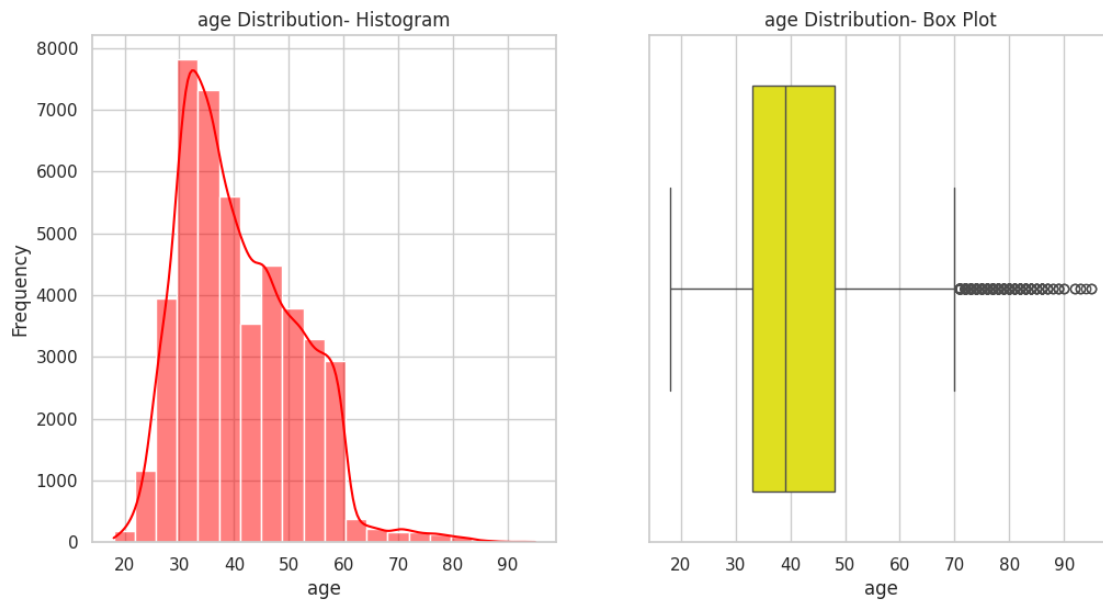
## 0.2 Univariate Analysis for numerical variables

```
[15]: # univariate analysis of continuous variables
def cont_plot(df, var):
    #var="Age"
    # Set plot style
    sns.set(style="whitegrid")
    # Create a figure with two subplots: histogram and box plot
    plt.figure(figsize=(12, 6))
    # Histogram
    # Box plot
    plt.subplot(1, 2, 1)
    sns.histplot(df[var], bins=20, kde=True, color='red')
    plt.title(var+' Distribution- Histogram')
    plt.xlabel(var)
    plt.ylabel('Frequency')
    plt.subplot(1, 2, 2)
    sns.boxplot(x=df[var], color='yellow')
    plt.title(var+' Distribution- Box Plot')
```

```
[16]: def NoOutlier(df, var):
    sns.boxplot(x=df[var], showfliers=False, color="yellow")
    plt.title("Boxplot of "+ var +" (without outliers)")
    plt.show()
```

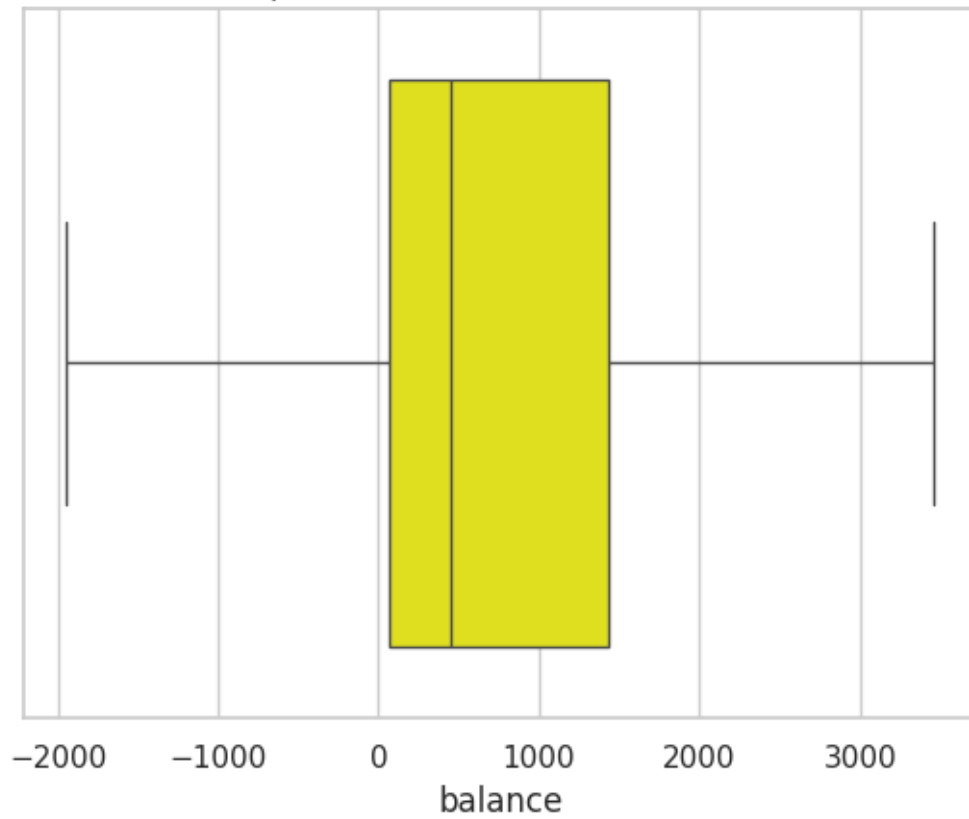


```
[17]: cont_plot(df, 'age' )
```

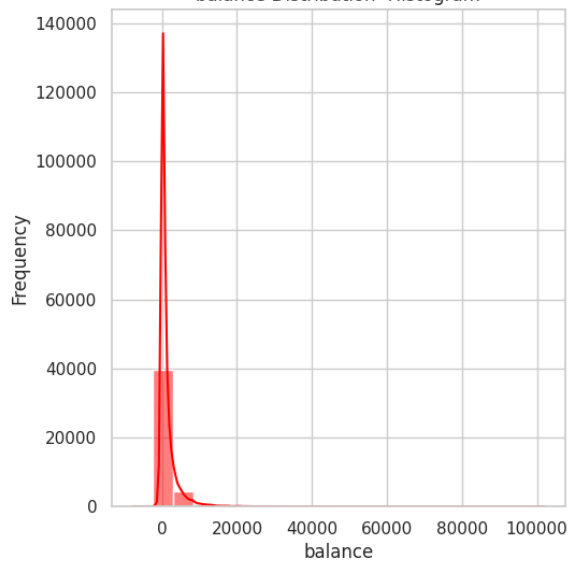


```
[18]: # Boxplot without outliers  
NoOutlier(df, "balance")  
cont_plot(df, 'balance' )
```

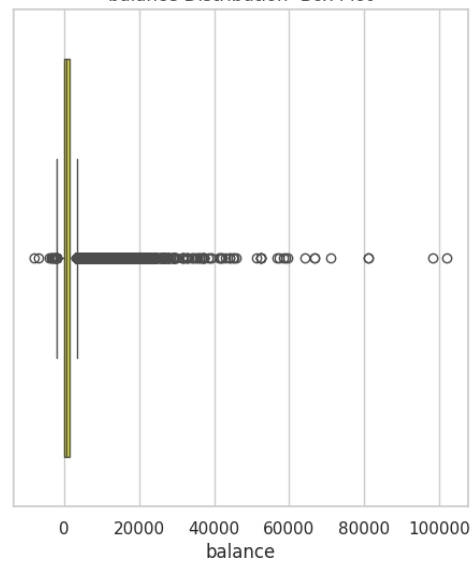
Boxplot of balance (without outliers)



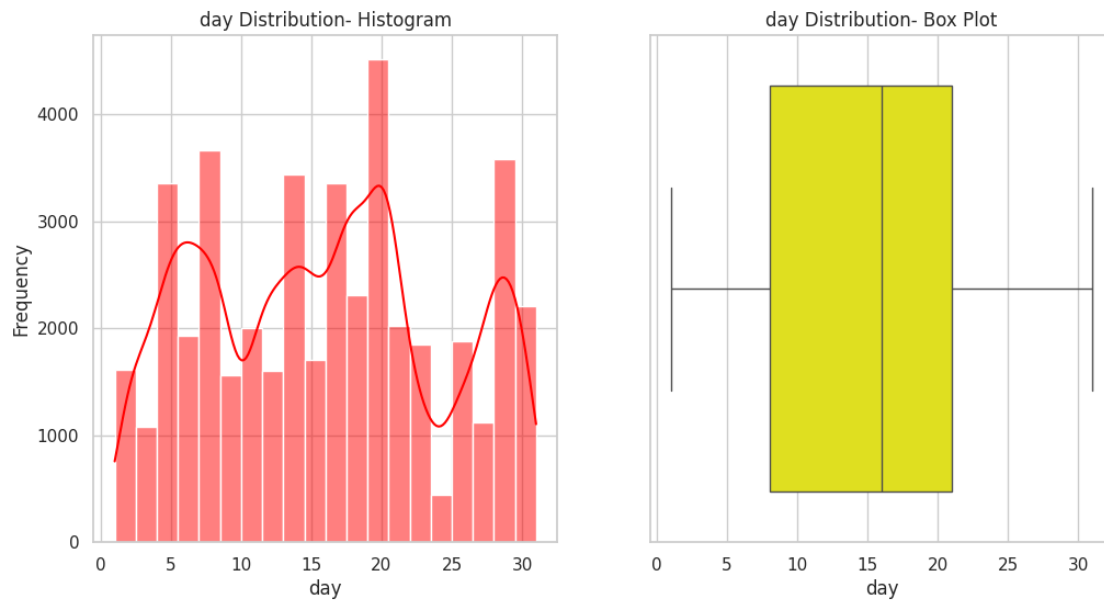
balance Distribution- Histogram



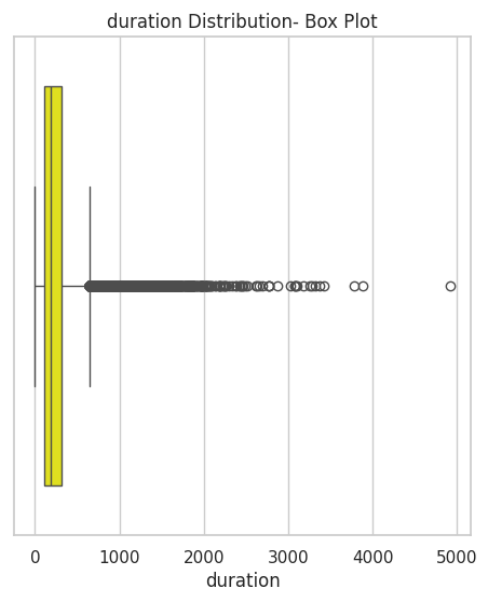
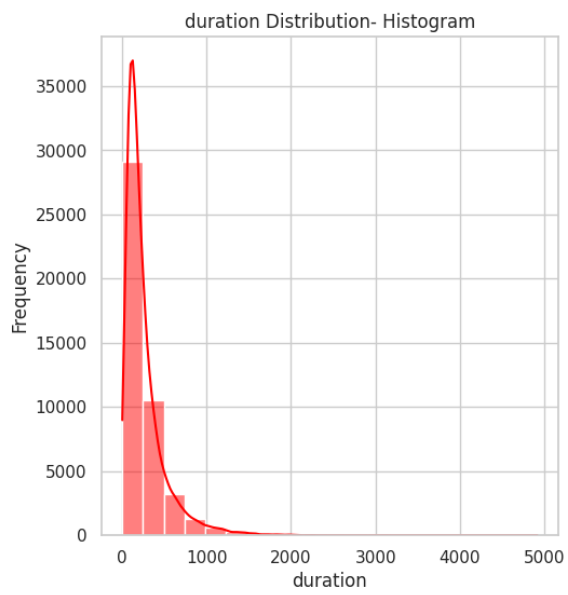
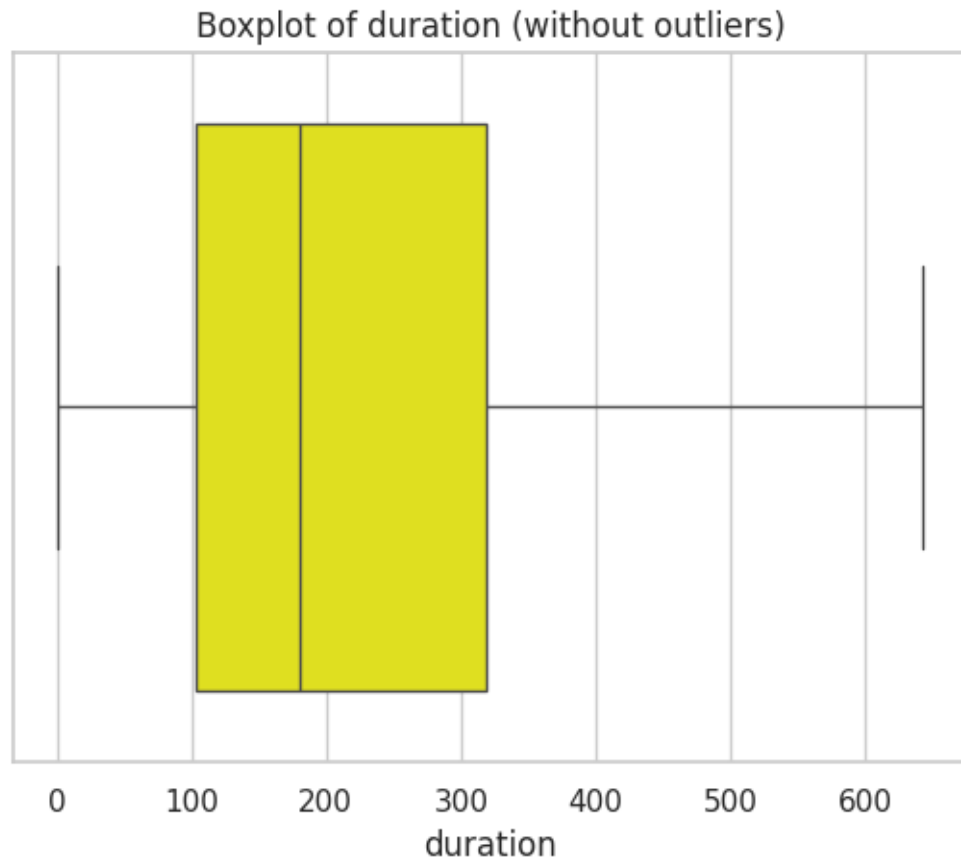
balance Distribution- Box Plot



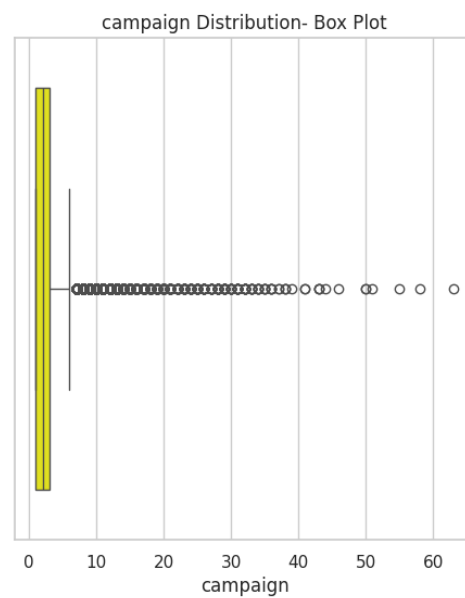
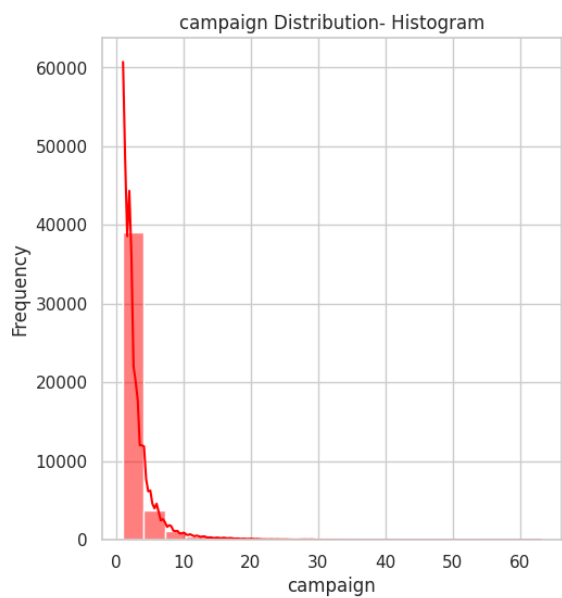
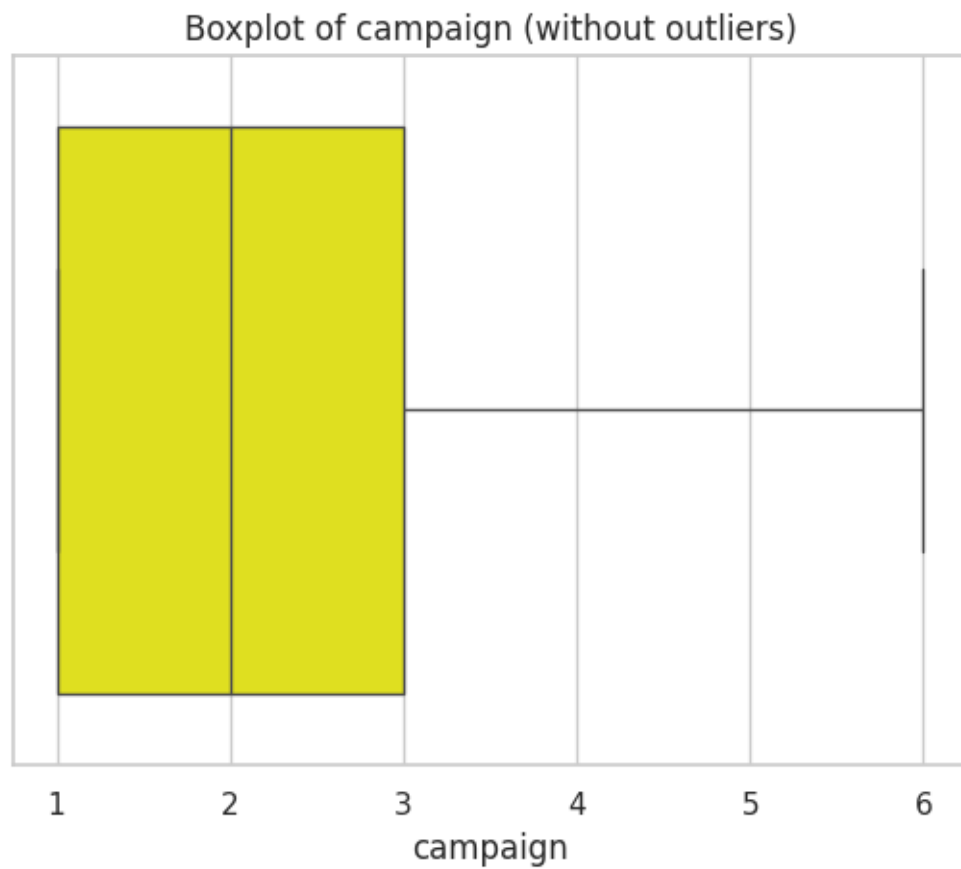
```
[19]: cont_plot(df, 'day' )
```



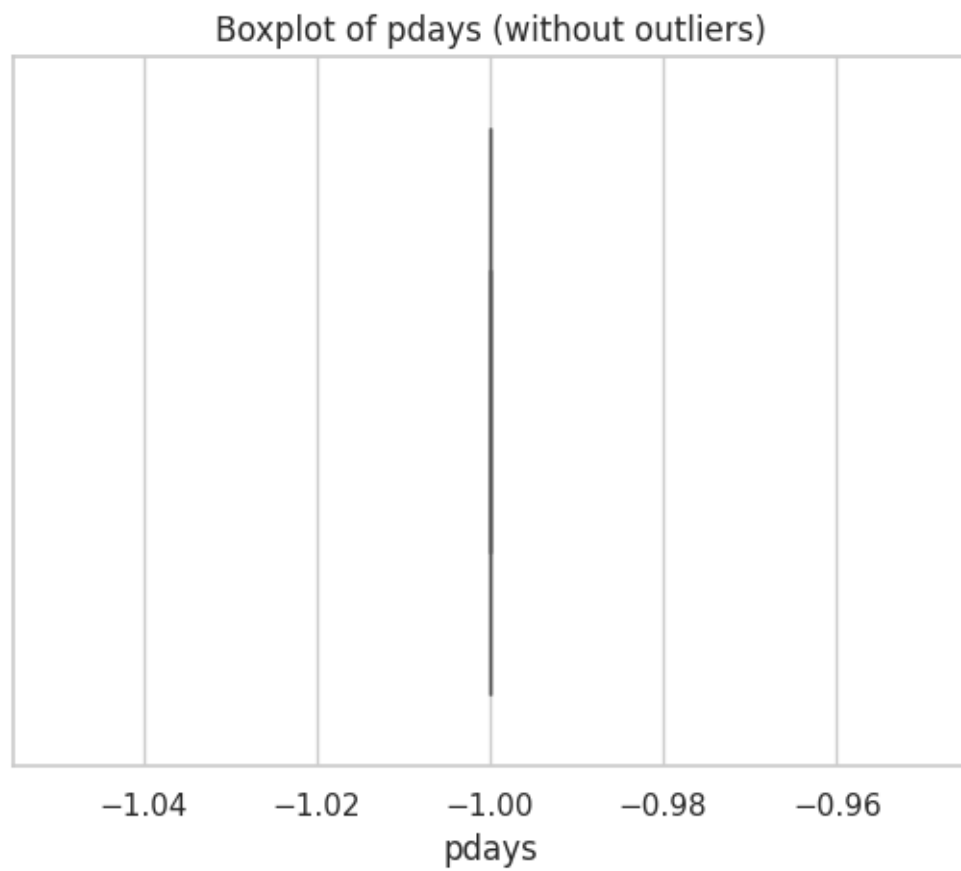
```
[20]: NoOutlier(df, "duration")  
cont_plot(df, 'duration' )
```

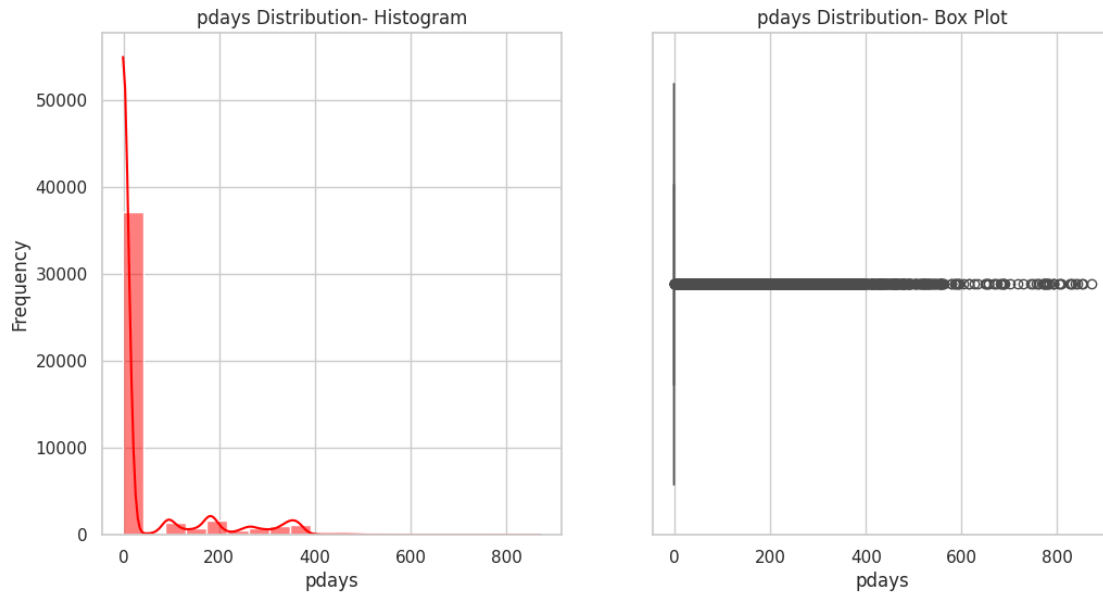


```
[21]: NoOutlier(df,"campaign")
cont_plot(df,'campaign' )
```

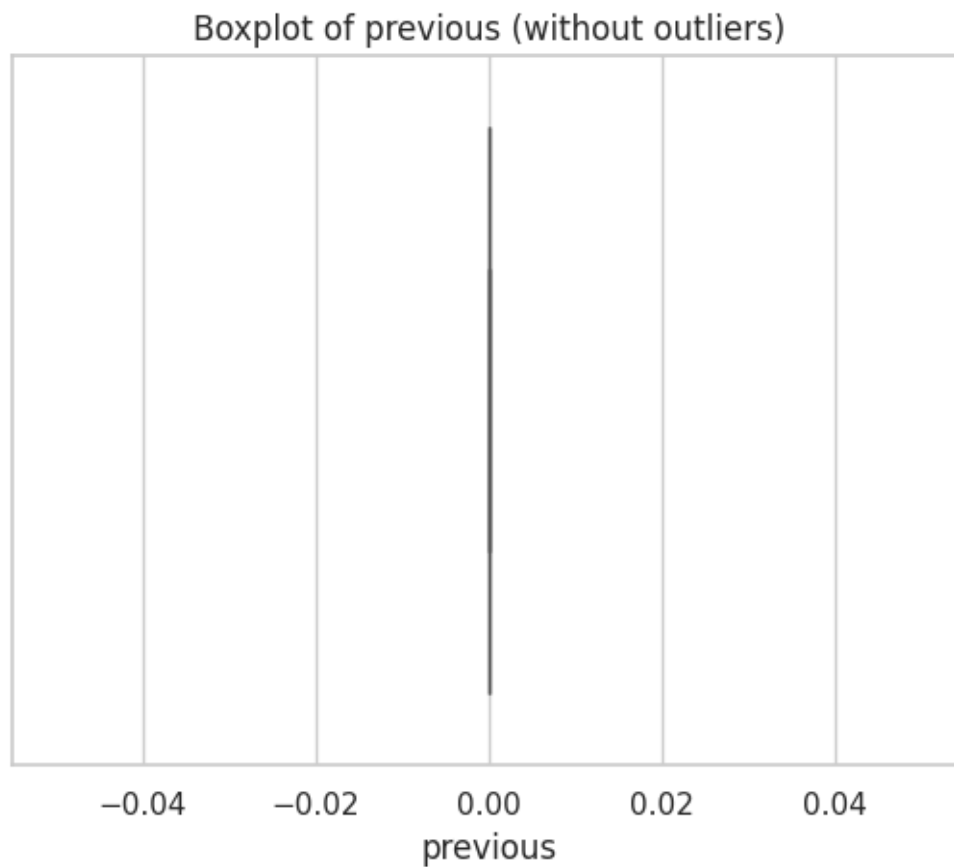


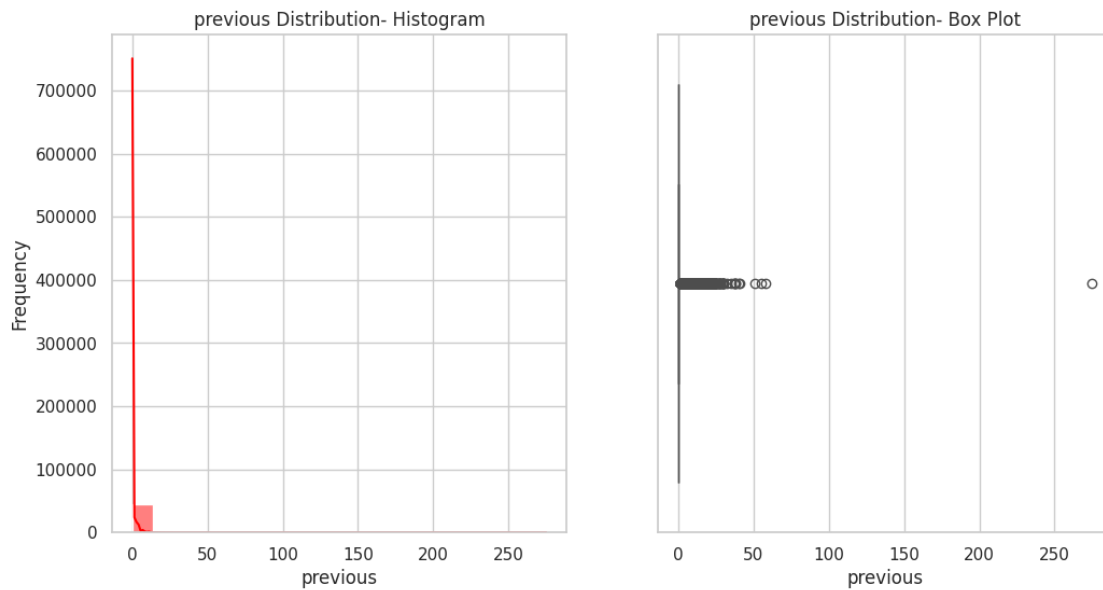
```
[22]: NoOutlier(df,"pdays")  
cont_plot(df,'pdays' )
```





```
[23]: NoOutlier(df,"previous")
      cont_plot(df, 'previous' )
```

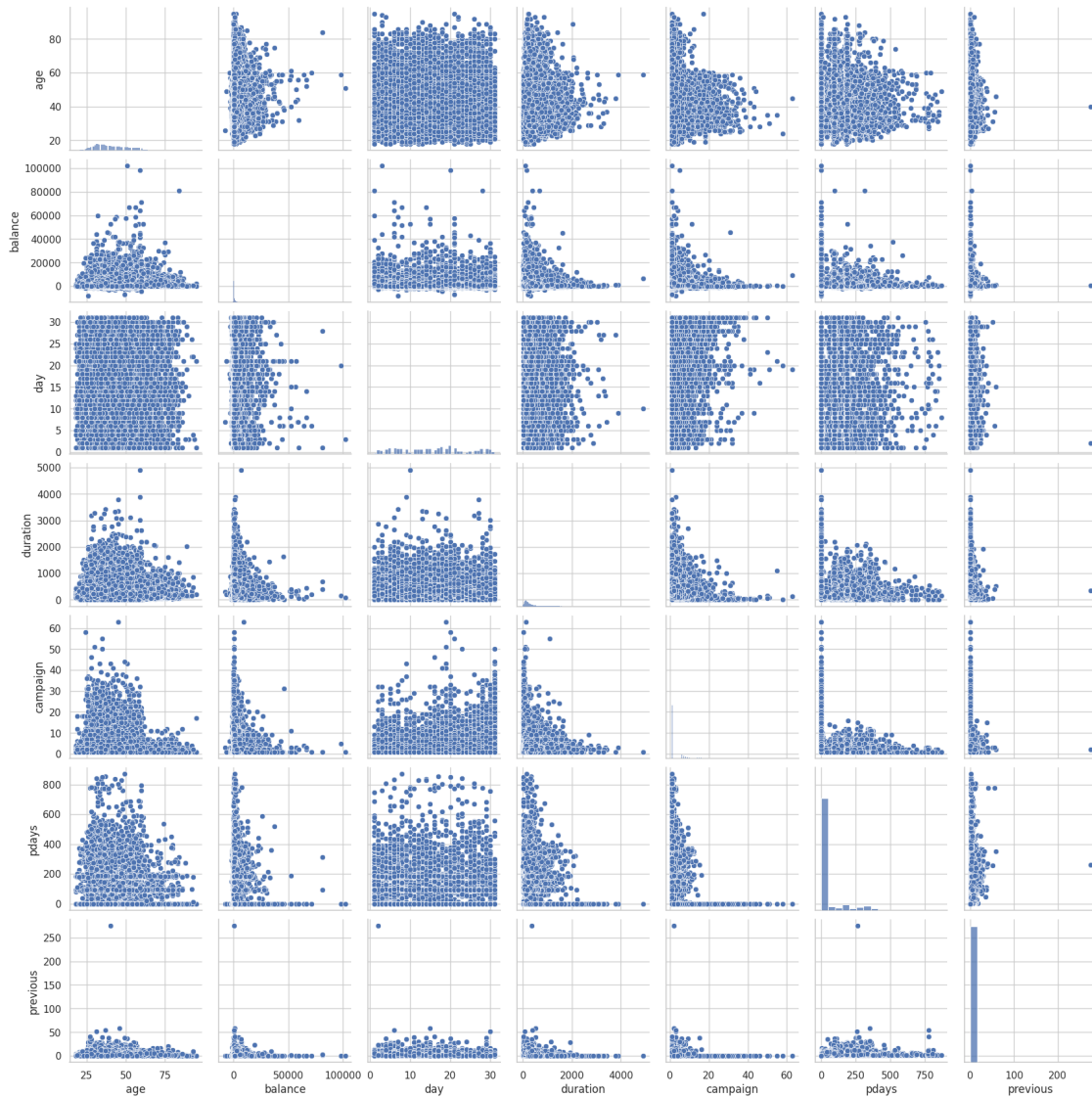




```
[24]: import seaborn as sns
import matplotlib.pyplot as plt

# Pairwise scatter plots for numerical variables
sns.pairplot(df.select_dtypes(include=['number']))
plt.show()
```

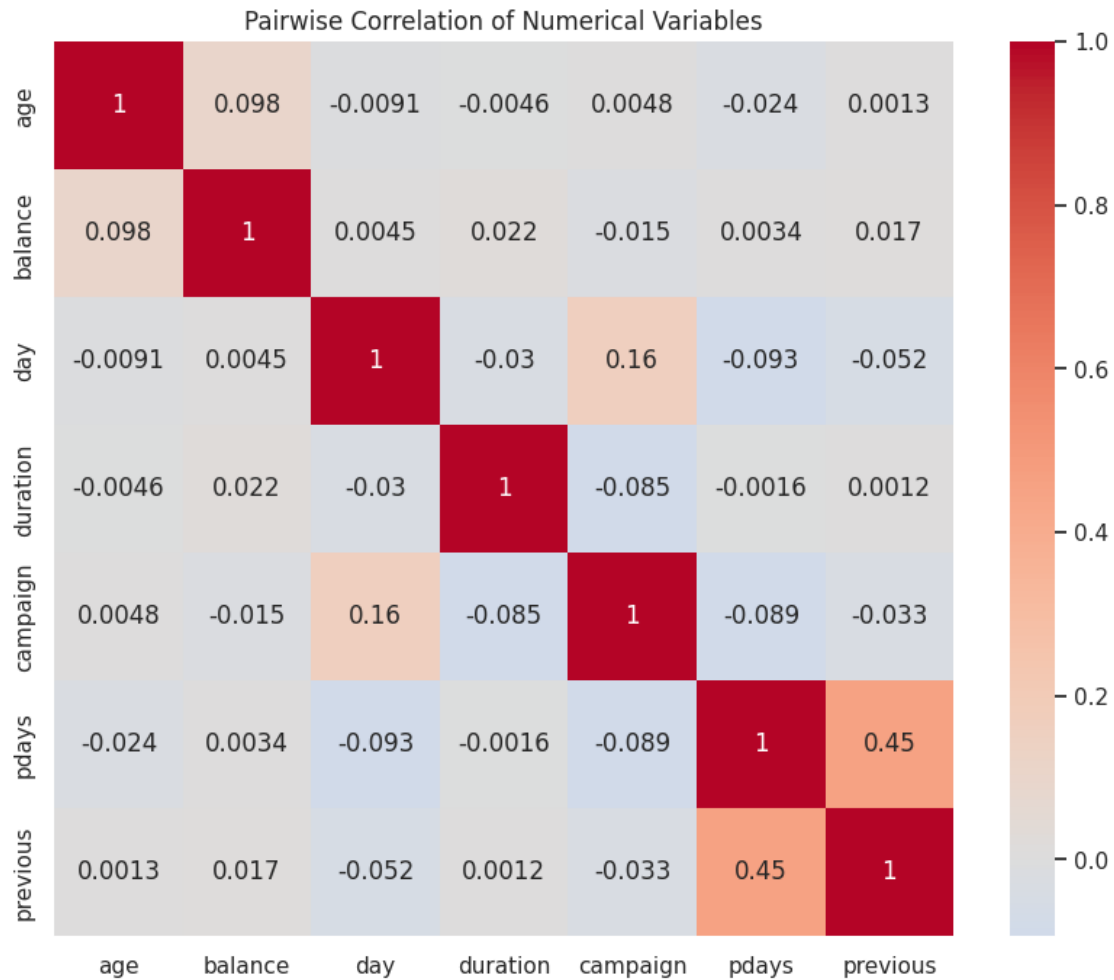




```
[25]: import seaborn as sns
import matplotlib.pyplot as plt

# Compute correlation matrix
corr_matrix = df.select_dtypes(include=['number']).corr()

# Plot heatmap
plt.figure(figsize=(10, 8))
sns.heatmap(corr_matrix, annot=True, cmap='coolwarm', center=0)
plt.title("Pairwise Correlation of Numerical Variables")
plt.show()
```



```
[26]: int_columns = df.select_dtypes('int64').columns.tolist()
print(int_columns)
```

```
['age', 'balance', 'day', 'duration', 'campaign', 'pdays', 'previous']
```

```
[ ]:
```

```
[27]: object_columns = df.select_dtypes(include=['object']).columns.tolist()
print(object_columns)
```

```
['job', 'marital', 'education', 'default', 'housing', 'loan', 'contact',
'month', 'poutcome', 'y']
```

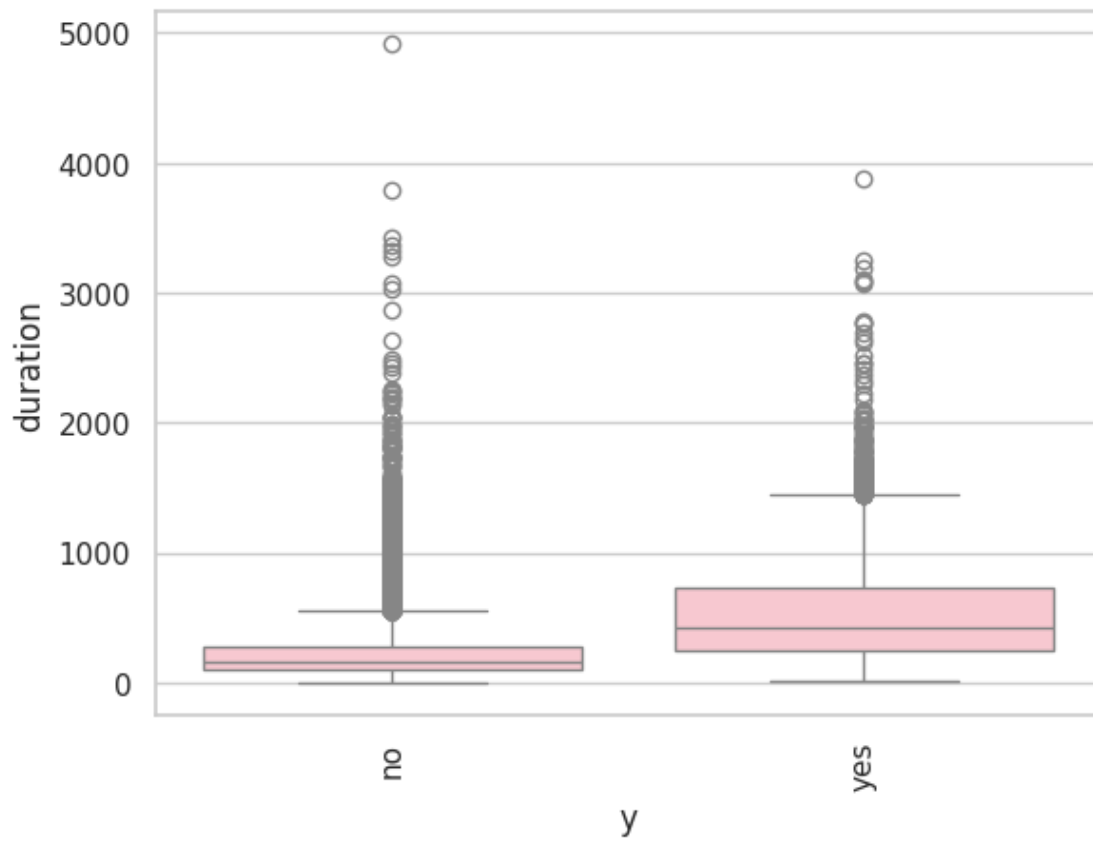
```
[28]: def cat_cont_plot(df, xvar, yvar):
        """
        Creates histograms of a continuous variable across categories.

        Parameters:
        - df: pandas DataFrame
        - xvar: str, categorical column name (e.g. 'Target')
        - yvar: str, continuous column name (e.g. 'Age')
        """
        sns.boxplot(x=xvar, y=yvar, data=df, color="pink")
        plt.xticks(rotation=90)

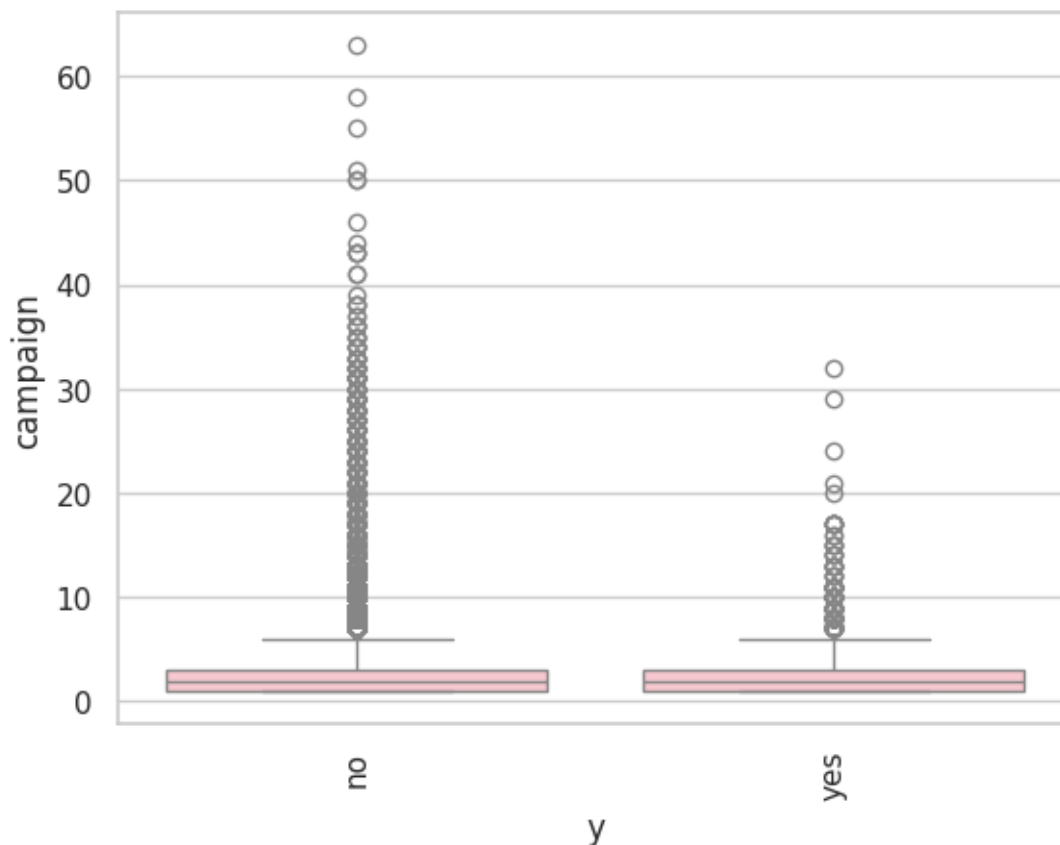
        # Create a larger facet grid of histograms by category
        #g = sns.FacetGrid(df, col=xvar, col_wrap=4, height=6, aspect=0.5) #
        ↪ Increased size and layout
        #g.map(sns.histplot, yvar, bins=20, color="green")

        # Add titles and labels
        #g.set_axis_labels(yvar, "Frequency")
        #g.set_titles(col_template="{col_name}")
        # plt.tight_layout()
        plt.show()
```

```
[29]: cat_cont_plot(df, "y", "duration")
```



```
[30]: cat_cont_plot(df,"y", "campaign")
```



```
[31]: def cat_cat_plot(dataframe, column_name, hue_column):
    """
    Plots a grouped bar chart showing category frequencies split by hue,
    with both frequency (inside bar) and proportion (above bar) labels.

    Parameters:
    - dataframe: pandas DataFrame
    - column_name: str, name of the categorical column to visualize (x-axis)
    - hue_column: str, name of the second categorical variable to group by (hue)
    """
    # Count combinations of column and hue
    counts_df = dataframe.groupby([column_name, hue_column]).size().
    ↪reset_index(name='count')
    total_counts = dataframe[column_name].value_counts()

    # Set plot style
    sns.set(style="whitegrid")
    plt.figure(figsize=(14, 8)) # Larger frame

    # Create bar plot
```

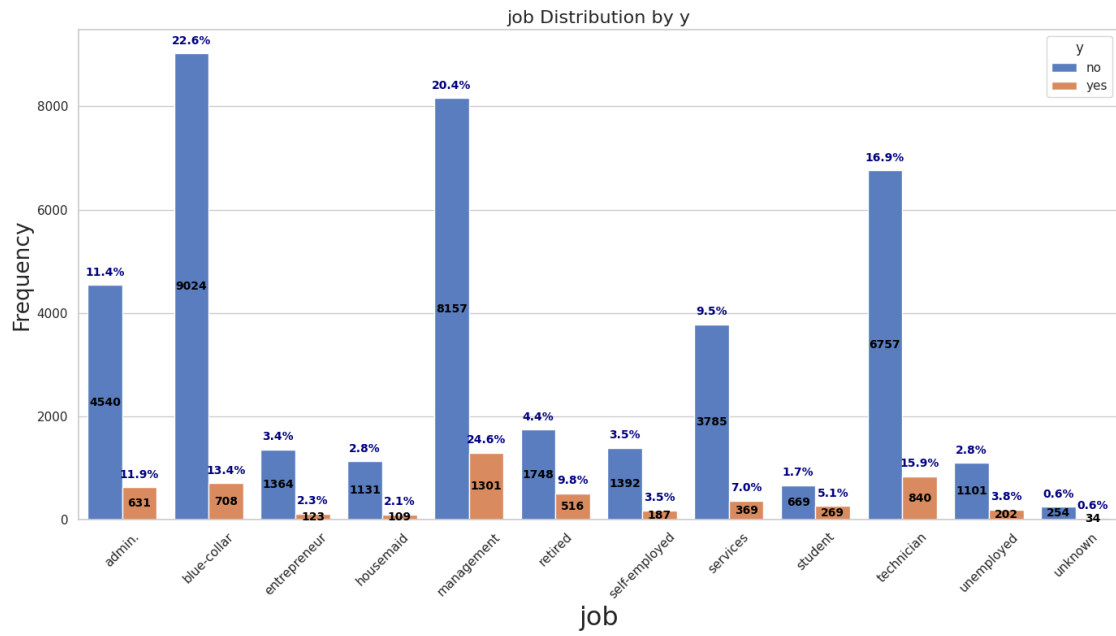
```

ax = sns.barplot(x=column_name, y='count', hue=hue_column, data=counts_df,
↪palette="muted")
# Annotate bars
for container in ax.containers:
    for bar in container:
        height = bar.get_height()
        x = bar.get_x() + bar.get_width() / 2
        category = bar.get_label()
        base_x = int(round(x)) # used for proportion lookup
        if height > 0:
            ax.text(x, height * 0.5, f'{int(height)}', ha='center',
↪va='center',
                    fontsize=10, color='black', fontweight='bold')
            ax.text(x, height + max(counts_df['count']) * 0.02, f'{height /
↪sum(container.datavalues):.1%}',
                    ha='center', fontsize=10, color='navy',
↪fontweight='bold')

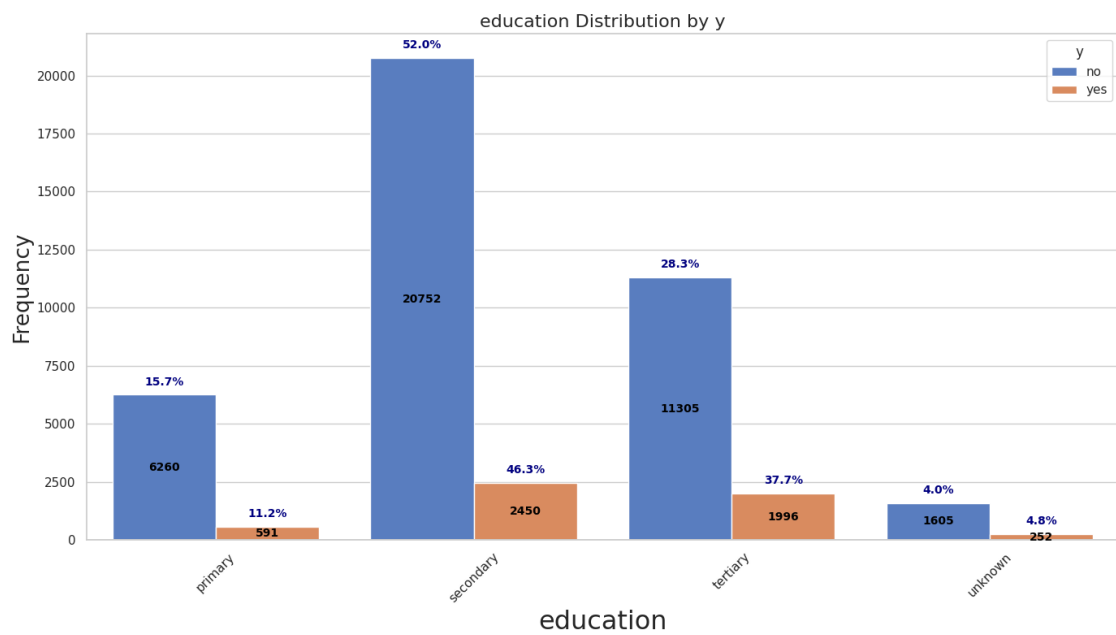
# Beautify plot
plt.title(f'{column_name} Distribution by {hue_column}', fontsize=16)
plt.xlabel(column_name, fontsize=23)
plt.ylabel('Frequency', fontsize=19)
plt.xticks(rotation=45)
plt.legend(title=hue_column)
plt.tight_layout()
plt.show()

```

```
[32]: cat_cat_plot(df, 'job', "y")
```



```
[33]: cat_cat_plot(df, 'education', "y")
```



```
[ ]:
```

```
[34]: #import numpy as np

# Indicator: whether client was contacted before
df['previous_contact'] = (df['pdays'] != -1).astype(int)

# Replace -1 with NaN so pdays is only meaningful when contact exists
df['pdays'] = df['pdays'].replace(-1, np.nan)
```

## 1 Research Question 1: Which customer and campaign features best predict term deposit subscription?

```
[35]: rq1_vars=["age", "job","education", "marital", "balance", "default",\
↪ "housing","loan", "contact","duration", "poutcome", "previous","campaign" ,\
↪ "contact",'previous_contact','pdays','y']
```

```
[36]: dfrq1=df[rq1_vars]
```

```
[37]: dfrq1.head()
```

```
[37]:   age      job  education  marital  balance  default  housing  loan  \
0   58  management   tertiary   married    2143      no      yes    no
1   44  technician   secondary   single      29      no      yes    no
2   33  entrepreneur   secondary   married      2      no      yes    yes
3   47  blue-collar   unknown    married   1506      no      yes    no
4   33      unknown   unknown    single      1      no      no     no

      contact  duration  poutcome  previous  campaign  contact  previous_contact  \
0  unknown      261  unknown      0          1  unknown              0
1  unknown      151  unknown      0          1  unknown              0
2  unknown       76  unknown      0          1  unknown              0
3  unknown       92  unknown      0          1  unknown              0
4  unknown      198  unknown      0          1  unknown              0

      pdays  y
0     NaN  no
1     NaN  no
2     NaN  no
3     NaN  no
4     NaN  no
```

```
[ ]:
```

```
[ ]:
```

```
[ ]:
```



## 1.1 Preprocessing

```
[38]: dfrq1.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 45211 entries, 0 to 45210
Data columns (total 17 columns):
#   Column                Non-Null Count  Dtype
---  -
0   age                   45211 non-null  int64
1   job                   45211 non-null  object
2   education             45211 non-null  object
3   marital              45211 non-null  object
4   balance               45211 non-null  int64
5   default              45211 non-null  object
6   housing              45211 non-null  object
7   loan                 45211 non-null  object
8   contact              45211 non-null  object
9   duration              45211 non-null  int64
10  poutcome              45211 non-null  object
11  previous              45211 non-null  int64
12  campaign              45211 non-null  int64
13  contact              45211 non-null  object
14  previous_contact      45211 non-null  int64
15  pdays                8257 non-null   float64
16  y                    45211 non-null  object
dtypes: float64(1), int64(6), object(10)
memory usage: 5.9+ MB
```

```
[ ]:
```

```
[ ]:
```

```
[39]: dfrq1.shape
```

```
[39]: (45211, 17)
```

### 1.1.1 Encoding all object variables into dummy variable.

```
[40]: cat_cols = dfrq1.select_dtypes(include='object').columns

dfrq1_enc = pd.get_dummies(dfrq1, columns=cat_cols, drop_first=True)

print(dfrq1_enc.shape)
print(dfrq1_enc.head())
```

```
(45211, 38)
```

```
age balance duration previous campaign previous_contact pdays \
```

0	58	2143	261	0	1	0	NaN
1	44	29	151	0	1	0	NaN
2	33	2	76	0	1	0	NaN
3	47	1506	92	0	1	0	NaN
4	33	1	198	0	1	0	NaN

	job_blue-collar	job_entrepreneur	job_housemaid	...	contact_telephone	\
0	0	0	0	...	0	
1	0	0	0	...	0	
2	0	1	0	...	0	
3	1	0	0	...	0	
4	0	0	0	...	0	

	contact_unknown	poutcome_other	poutcome_success	poutcome_unknown	\
0	1	0	0	1	
1	1	0	0	1	
2	1	0	0	1	
3	1	0	0	1	
4	1	0	0	1	

	contact_telephone	contact_unknown	contact_telephone	contact_unknown	\
0	0	1	0	1	
1	0	1	0	1	
2	0	1	0	1	
3	0	1	0	1	
4	0	1	0	1	

	y_yes
0	0
1	0
2	0
3	0
4	0

[5 rows x 38 columns]

```
[41]: from sklearn.model_selection import train_test_split
```

```
X = dfrq1_enc.drop(columns=['y_yes'])
y = dfrq1_enc['y_yes']
```

```
[42]: #Train-test split (stratified)
```

```
from sklearn.model_selection import train_test_split
```

```
X_train, X_test, y_train, y_test = train_test_split( X, y,
    test_size=0.3,
    stratify=y,
```

```
    random_state=42
)
```

Given the presence of substantial outliers in several numerical variables, RobustScaler was used to scale the features, as it relies on the median and interquartile range and is less sensitive to extreme values.

```
[ ]:
```

```
[ ]:
```

```
[ ]:
```

Since pdays is undefined for clients never previously contacted, a binary indicator was introduced to represent prior contact status. Remaining missing values in pdays were imputed using the median to avoid introducing artificial extremes.

The variable pdays uses the value  $-1$  to indicate clients who were never previously contacted. As this value is not a valid numerical quantity, it was replaced with missing values, and a binary indicator variable (previous\_contact) was created to capture prior contact status. Since logistic regression does not handle missing values natively, a median imputation strategy was applied within a modeling pipeline prior to robust scaling and model fitting. RobustScaler was used due to the presence of substantial outliers in several numerical variables.

```
[43]: from sklearn.pipeline import Pipeline
      from sklearn.impute import SimpleImputer
      from sklearn.preprocessing import RobustScaler
      from sklearn.linear_model import LogisticRegression

      log_reg_pipeline = Pipeline(steps=[
          ('imputer', SimpleImputer(strategy='median')),      # handles NaNs (pdays)
          ('scaler', RobustScaler()),                        # robust to outliers
          ('model', LogisticRegression(
              max_iter=1000,
              class_weight='balanced',
              random_state=42
          ))
      ])

```

```
[44]: log_reg_pipeline.fit(X_train, y_train)
```

```
[44]: Pipeline(steps=[('imputer', SimpleImputer(strategy='median')),
                      ('scaler', RobustScaler()),
                      ('model',
                       LogisticRegression(class_weight='balanced', max_iter=1000,
                                           random_state=42))])

```

## Model evaluation

```
[45]: from sklearn.metrics import confusion_matrix, classification_report

y_pred = log_reg_pipeline.predict(X_test)

cm = confusion_matrix(y_test, y_pred)
print(cm)
```

```
[[10002  1975]
 [   341  1246]]
```

```
[46]: print(classification_report(y_test, y_pred))
```

	precision	recall	f1-score	support
0	0.97	0.84	0.90	11977
1	0.39	0.79	0.52	1587
accuracy			0.83	13564
macro avg	0.68	0.81	0.71	13564
weighted avg	0.90	0.83	0.85	13564

```
[47]: #ROC-AUC
from sklearn.metrics import roc_auc_score

y_prob = log_reg_pipeline.predict_proba(X_test)[: , 1]
roc_auc = roc_auc_score(y_test, y_prob)

print("ROC-AUC:", roc_auc)
```

ROC-AUC: 0.89182053883049

### Interpret coefficients

```
[48]: import pandas as pd
import numpy as np

coef = log_reg_pipeline.named_steps['model'].coef_[0]

coef_df = pd.DataFrame({
    'Feature': X.columns,
    'Coefficient': coef,
    'Odds_Ratio': np.exp(coef)
}).sort_values(by='Odds_Ratio', ascending=False)

coef_df
```

[48]:

	Feature	Coefficient	Odds_Ratio
31	poutcome_success	2.385626	10.865859
2	duration	1.193241	3.297752
14	job_student	0.568677	1.765929
19	education_tertiary	0.518236	1.679063
11	job_retired	0.424058	1.528151
20	education_unknown	0.307635	1.360205
30	poutcome_other	0.260160	1.297138
18	education_secondary	0.258276	1.294695
22	marital_single	0.189902	1.209131
5	previous_contact	0.177928	1.194740
1	balance	0.040230	1.041050
3	previous	0.030356	1.030821
35	contact_telephone	0.012216	1.012291
33	contact_telephone	0.012216	1.012291
28	contact_telephone	0.012216	1.012291
26	contact_telephone	0.012216	1.012291
0	age	0.009416	1.009460
6	pdays	0.000241	1.000241
32	poutcome_unknown	-0.101671	0.903327
21	marital_married	-0.178142	0.836823
10	job_management	-0.203363	0.815982
4	campaign	-0.236401	0.789464
23	default_yes	-0.252914	0.776535
16	job_unemployed	-0.272010	0.761847
15	job_technician	-0.322706	0.724186
36	contact_unknown	-0.332182	0.717357
29	contact_unknown	-0.332182	0.717357
34	contact_unknown	-0.332182	0.717357
27	contact_unknown	-0.332182	0.717357
17	job_unknown	-0.345373	0.707957
13	job_services	-0.448088	0.638848
8	job_entrepreneur	-0.529650	0.588811
9	job_housemaid	-0.533286	0.586674
7	job_blue-collar	-0.536965	0.584520
12	job_self-employed	-0.538566	0.583585
25	loan_yes	-0.687911	0.502625
24	housing_yes	-0.849760	0.427518

[ ]:

Interpretation rule:

Odds Ratio  $> 1 \rightarrow$  increases probability of subscription

Odds Ratio  $< 1 \rightarrow$  decreases probability

```
[49]: #Extract coefficients and odds ratios from the pipeline
import pandas as pd
import numpy as np

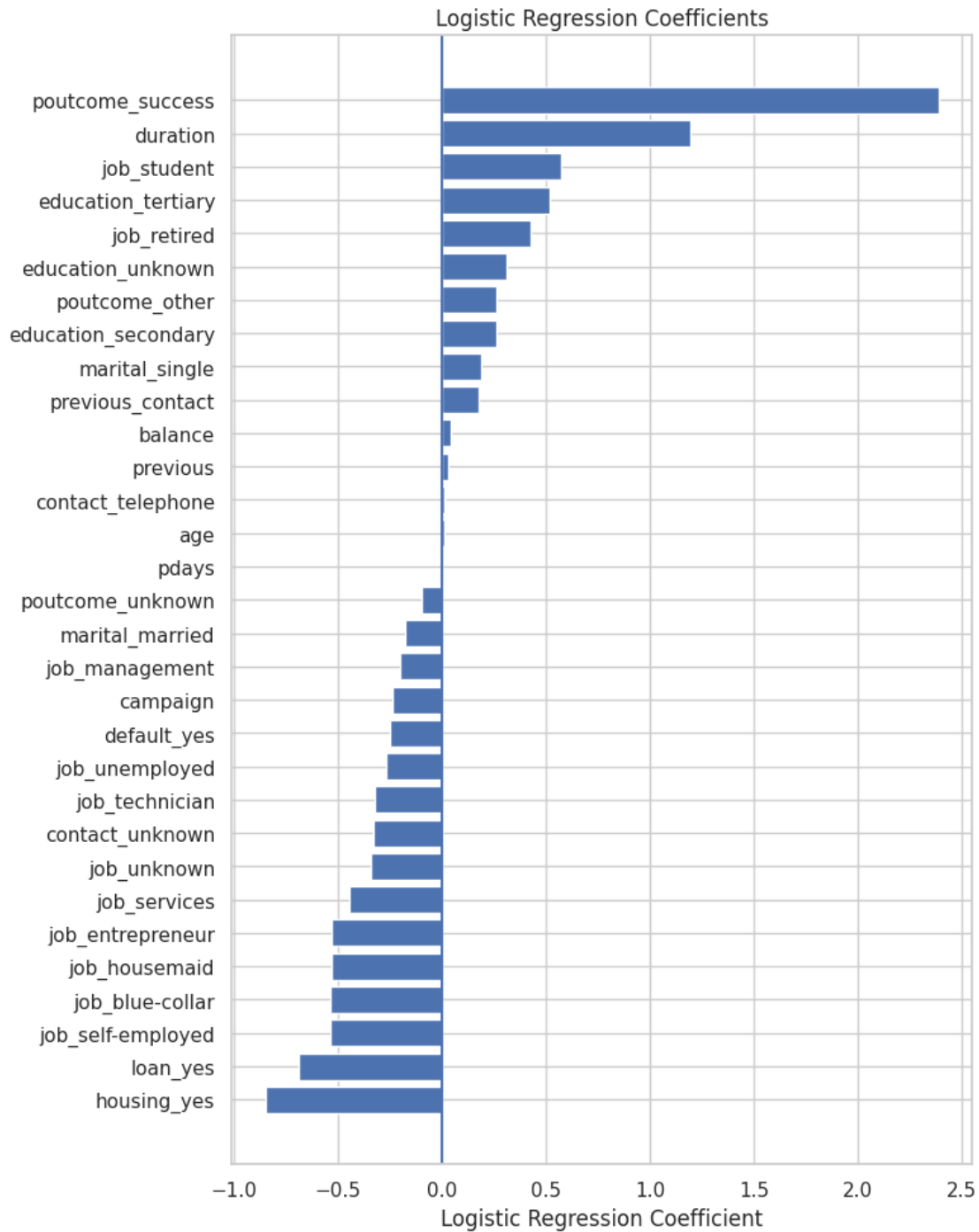
# Extract coefficients
coef = log_reg_pipeline.named_steps['model'].coef_[0]

coef_df = pd.DataFrame({
    'Feature': X.columns,
    'Coefficient': coef,
    'Odds_Ratio': np.exp(coef)
})

coef_df = coef_df.sort_values(by='Odds_Ratio', ascending=False)
```

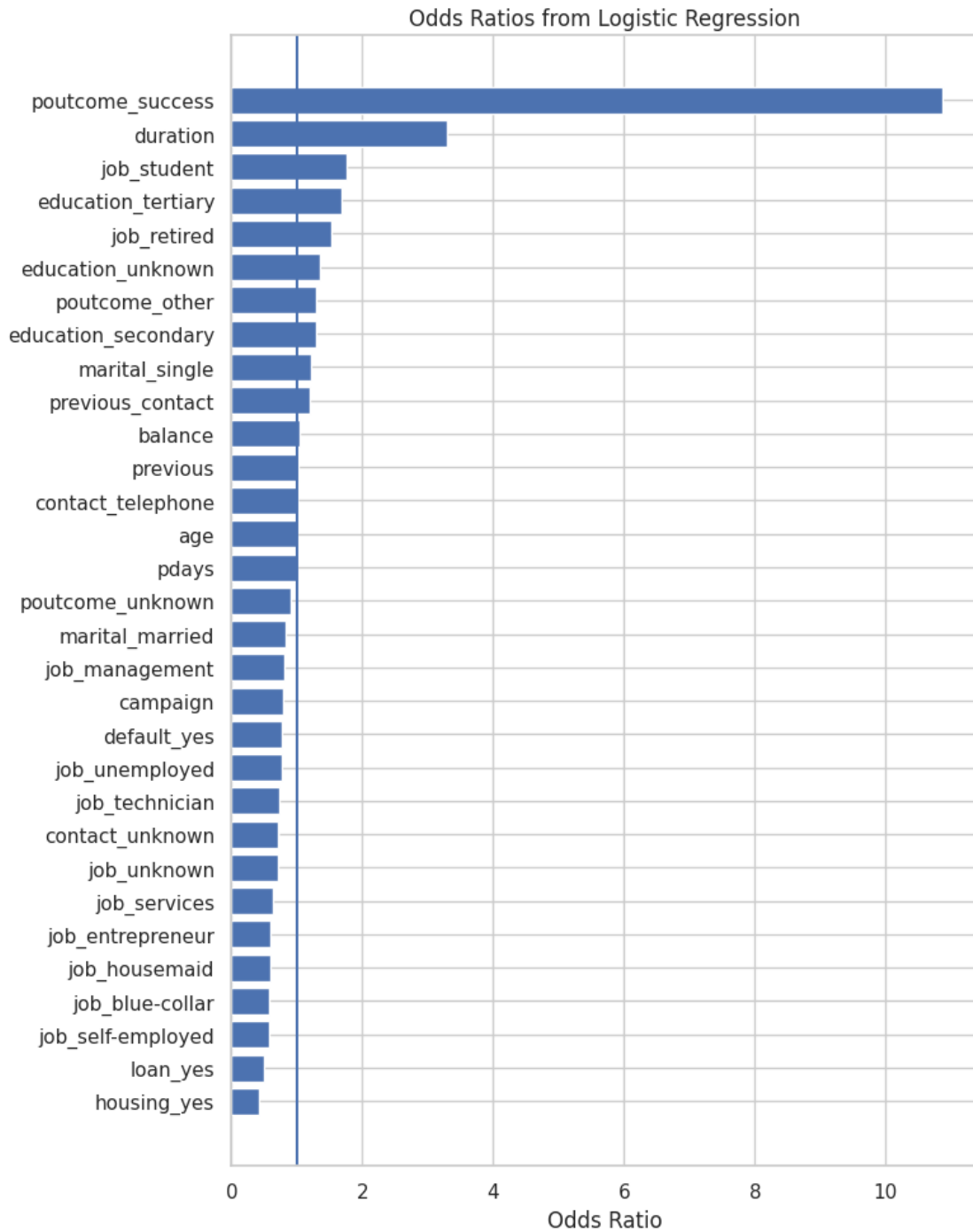
```
[50]: #Visualise coefficients (direction + strength)
import matplotlib.pyplot as plt

plt.figure(figsize=(8, 10))
plt.barh(coef_df['Feature'], coef_df['Coefficient'])
plt.axvline(0)
plt.xlabel('Logistic Regression Coefficient')
plt.title('Logistic Regression Coefficients')
plt.gca().invert_yaxis()
plt.tight_layout()
plt.show()
```



```
[51]: #Visualise odds ratios
plt.figure(figsize=(8, 10))
plt.barh(coef_df['Feature'], coef_df['Odds_Ratio'])
plt.axvline(1)
plt.xlabel('Odds Ratio')
```

```
plt.title('Odds Ratios from Logistic Regression')
plt.gca().invert_yaxis()
plt.tight_layout()
plt.show()
```





## 2 Random forest

```
[52]: X = dfrq1_enc.drop(columns=['y_yes'])
      y = dfrq1_enc['y_yes']
```

```
[53]: from sklearn.model_selection import train_test_split

      X_train_rf, X_test_rf, y_train_rf, y_test_rf = train_test_split(
          X, y,
          test_size=0.3,
          stratify=y,
          random_state=42
      )
```

## Fit Random Forest (no scaling needed)

Random Forest does NOT need scaling and handles outliers naturally.

```
[54]: from sklearn.ensemble import RandomForestClassifier

      rf = RandomForestClassifier(
          n_estimators=300,
          max_depth=None,
          min_samples_leaf=5,
          class_weight='balanced',
          random_state=42,
          n_jobs=-1
      )

      rf.fit(X_train_rf, y_train_rf)
```

```
[54]: RandomForestClassifier(class_weight='balanced', min_samples_leaf=5,
                             n_estimators=300, n_jobs=-1, random_state=42)
```

### Model evaluation

```
[55]: from sklearn.metrics import confusion_matrix, classification_report, \
      ↪roc_auc_score

      y_pred = rf.predict(X_test)
      y_prob = rf.predict_proba(X_test)[:, 1]

      print("Confusion Matrix:\n", confusion_matrix(y_test, y_pred))
      print("\nClassification Report:\n", classification_report(y_test, y_pred))
      print("ROC-AUC:", roc_auc_score(y_test, y_prob))
```

Confusion Matrix:

```
[[10494 1483]
 [ 384 1203]]
```

### Classification Report:

	precision	recall	f1-score	support
0	0.96	0.88	0.92	11977
1	0.45	0.76	0.56	1587
accuracy			0.86	13564
macro avg	0.71	0.82	0.74	13564
weighted avg	0.90	0.86	0.88	13564

ROC-AUC: 0.9014899329996021

### Feature importance

```
[56]: import pandas as pd

feature_importance = pd.DataFrame({
    'Feature': X.columns,
    'Importance': rf.feature_importances_
}).sort_values(by='Importance', ascending=False)

feature_importance.head(15)
```

```
[56]:
```

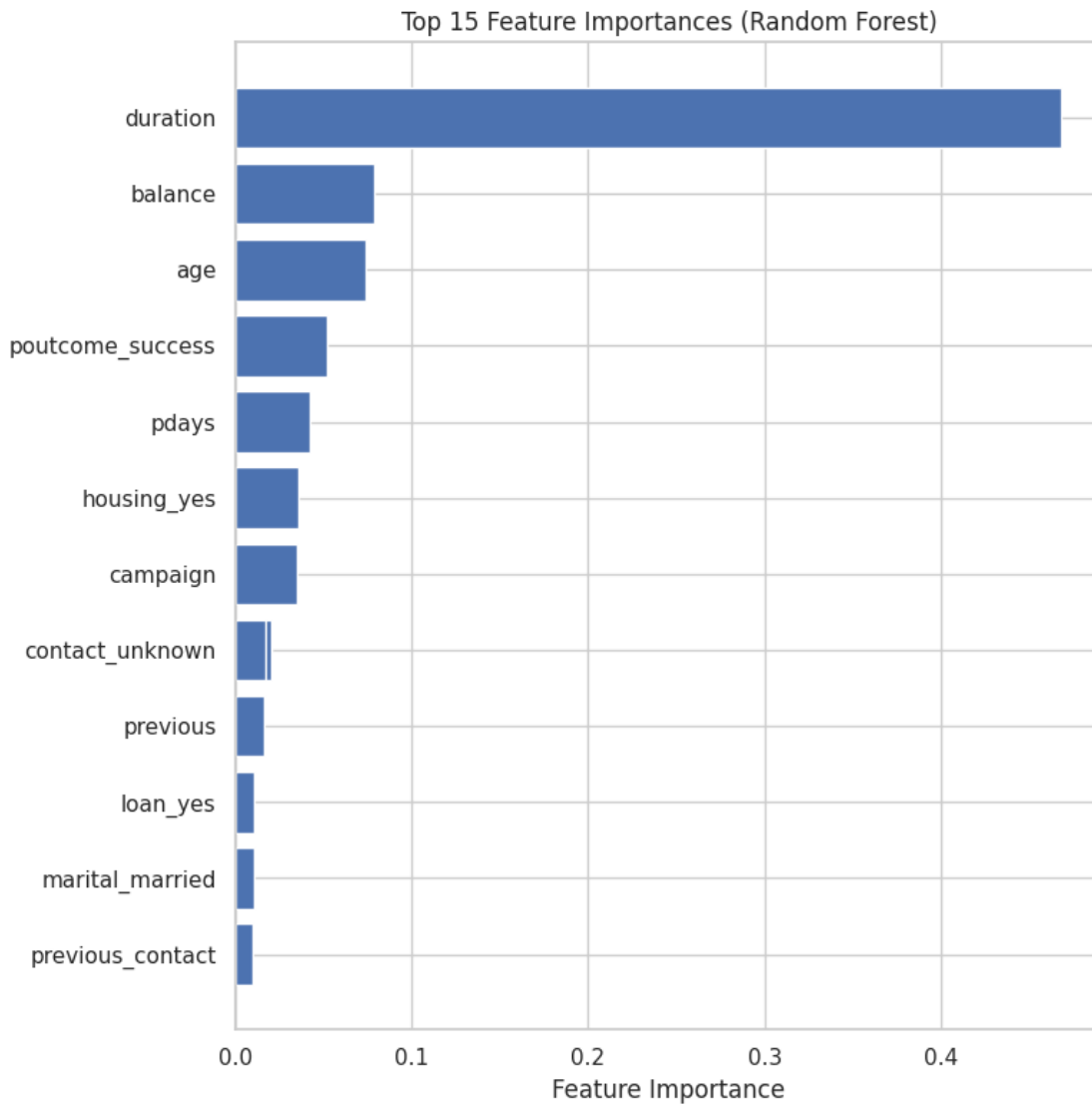
	Feature	Importance
2	duration	0.468353
1	balance	0.078820
0	age	0.073920
31	poutcome_success	0.051599
6	pdays	0.042453
24	housing_yes	0.035750
4	campaign	0.035113
27	contact_unknown	0.020728
34	contact_unknown	0.020588
29	contact_unknown	0.020351
36	contact_unknown	0.017481
3	previous	0.015889
25	loan_yes	0.010693
21	marital_married	0.010467
5	previous_contact	0.009960

```
[57]: #Visualise top feature importances
import matplotlib.pyplot as plt

top_features = feature_importance.head(15)

plt.figure(figsize=(8, 8))
plt.barh(top_features['Feature'], top_features['Importance'])
```

```
plt.xlabel('Feature Importance')
plt.title('Top 15 Feature Importances (Random Forest)')
plt.gca().invert_yaxis()
plt.tight_layout()
plt.show()
```



A Random Forest classifier was trained to identify key customer and campaign features associated with term deposit subscription. As a tree-based model, Random Forest does not require feature scaling and is robust to outliers. Class imbalance was addressed using balanced class weights. Model performance was evaluated using recall, F1-score, and ROC-AUC. Feature importance scores were extracted to identify the most influential predictors.

## 2.1 SHAP

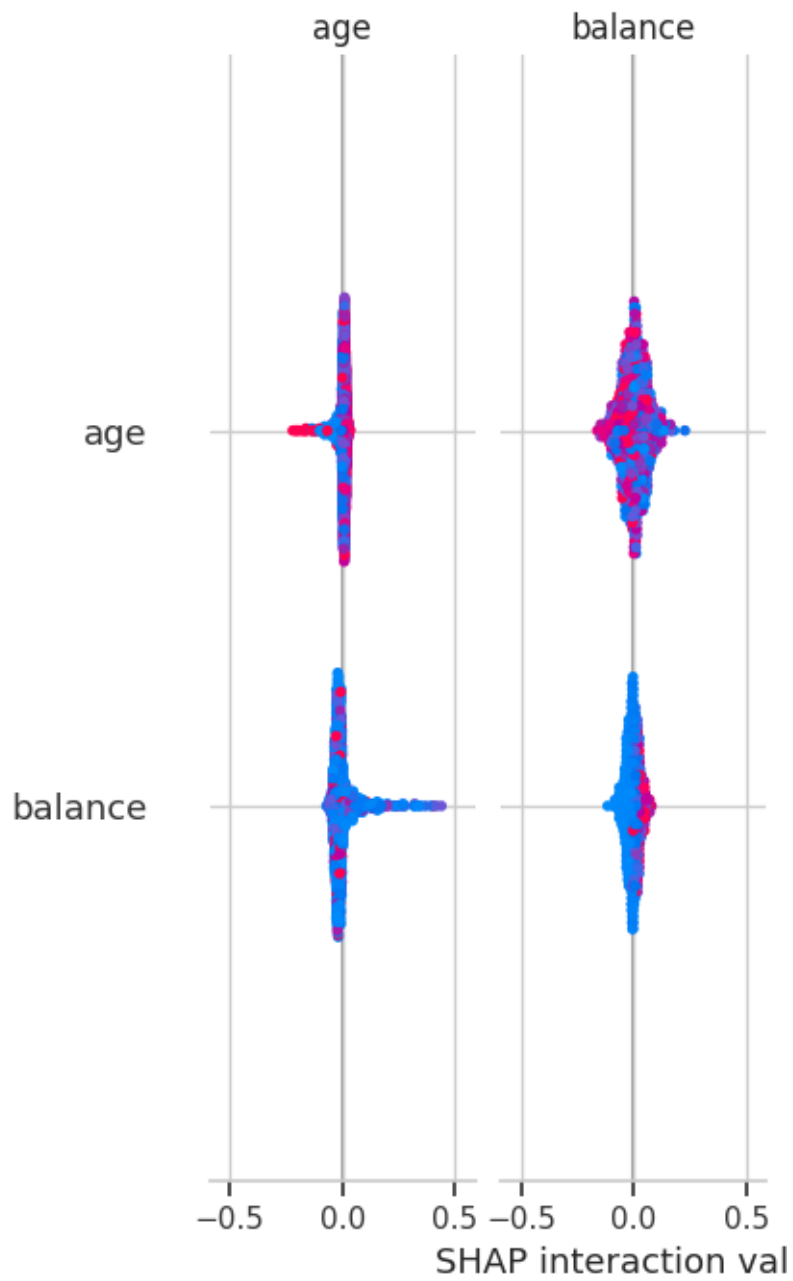
To enhance interpretability of the Random Forest model, SHAP (SHapley Additive exPlanations) values were computed. SHAP provides a model-agnostic explanation framework that quantifies both the magnitude and direction of each feature's contribution to the predicted outcome. The SHAP summary plot highlights the most influential features and reveals whether higher or lower values of each feature increase the likelihood of subscription.

```
[58]: # Take a random sample of the test set  
X_test_shap = X_test.sample(n=1000, random_state=42)
```

```
[59]: import shap  
  
explainer = shap.TreeExplainer(rf)  
  
shap_values = explainer.shap_values(X_test_shap)
```

```
[64]: import shap  
  
# Use the unified SHAP API  
explainer = shap.Explainer(rf, X_train)  
  
# Compute SHAP values on the sample  
shap_values = explainer(X_test_shap)  
  
# Summary plot (this WILL work)  
shap.summary_plot(  
    shap_values.values,  
    X_test_shap,  
    plot_type="dot",  
    show=True  
)
```

100%|=====| 1998/2000 [02:38<00:00]



[ ]:

[69]:

[68]:

```
# -----
# 5. Compute SHAP INTERACTION values (slow but needed once)
# -----
shap_interaction_values = explainer.shap_interaction_values(X_test_shap)
```

```

# For binary classification: take positive class ("yes")
shap_inter_pos = shap_interaction_values[:, :, 1]

# -----
# 6. Quantify MAIN vs INTERACTION effects
# -----
# ---- MAIN EFFECTS (positive class only) ----
shap_main = np.mean(
    np.abs(shap_values.values[:, :, 1]), # class "yes"
    axis=0
)
# Mean absolute MAIN effects per feature
#shap_main = np.mean(np.abs(shap_values.values), axis=0)

# Mean absolute INTERACTION effects
shap_inter = np.mean(np.abs(shap_inter_pos), axis=0)

# Remove self-interactions (diagonal)
np.fill_diagonal(shap_inter, 0)

# Aggregate interaction strength per feature
interaction_strength = shap_inter.sum(axis=1)

# -----
# 7. Comparison table (proof of weak interactions)
# -----
comparison = pd.DataFrame({
    "feature": X_test_shap.columns,
    "main_effect": shap_main,
    "interaction_effect": interaction_strength,
    "interaction_ratio": interaction_strength / shap_main
}).sort_values("interaction_ratio", ascending=False)

comparison

```

FEATURE\_DEPENDENCE::independent does not support interactions!

```

[68]:
      feature  main_effect  interaction_effect  interaction_ratio
0         age      0.016193                0.0                0.0
19  education_tertiary      0.011398                0.0                0.0
21   marital_married      0.010235                0.0                0.0
22   marital_single      0.006799                0.0                0.0
23    default_yes      0.000343                0.0                0.0
24    housing_yes      0.034003                0.0                0.0
25         loan_yes      0.010002                0.0                0.0
26  contact_telephone      0.000414                0.0                0.0

```

27	contact_unknown	0.014227	0.0	0.0
28	contact_telephone	0.000433	0.0	0.0
29	contact_unknown	0.013769	0.0	0.0
30	poutcome_other	0.001024	0.0	0.0
31	poutcome_success	0.017082	0.0	0.0
32	poutcome_unknown	0.007596	0.0	0.0
33	contact_telephone	0.000420	0.0	0.0
34	contact_unknown	0.013588	0.0	0.0
35	contact_telephone	0.000501	0.0	0.0
20	education_unknown	0.000665	0.0	0.0
18	education_secondary	0.002449	0.0	0.0
1	balance	0.020787	0.0	0.0
17	job_unknown	0.000015	0.0	0.0
2	duration	0.134506	0.0	0.0
3	previous	0.008536	0.0	0.0
4	campaign	0.017766	0.0	0.0
5	previous_contact	0.008049	0.0	0.0
6	pdays	0.013353	0.0	0.0
7	job_blue-collar	0.005185	0.0	0.0
8	job_entrepreneur	0.000691	0.0	0.0
9	job_housemaid	0.000449	0.0	0.0
10	job_management	0.003651	0.0	0.0
11	job_retired	0.001034	0.0	0.0
12	job_self-employed	0.000531	0.0	0.0
13	job_services	0.001159	0.0	0.0
14	job_student	0.001493	0.0	0.0
15	job_technician	0.002351	0.0	0.0
16	job_unemployed	0.000379	0.0	0.0
36	contact_unknown	0.012287	0.0	0.0

[ ]:

Although Random Forest models are capable of capturing nonlinear interactions, SHAP interaction analysis shows that interaction effects are negligible for all predictors. The model's predictions are therefore driven primarily by additive contributions of individual features rather than by complex feature interactions.

Methods / Explainability section

SHAP interaction values were computed on a representative subset of the test data to assess whether the Random Forest model relied on nonlinear feature interactions. Interaction effects were quantified and compared to main feature effects using the ratio of interaction strength to main effect magnitude.

Results / Interpretation section

Across all predictors, interaction effects were effectively zero relative to main effects. This indicates that the Random Forest model predominantly relies on additive feature contributions, with no evidence of strong pairwise interactions influencing subscription predictions.

This finding suggests that the predictive structure of the data is largely linear-additive, despite the use of a non-linear model.

[ ]: