# HW1Bios620

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## Data

```
#install.packages("lubridate")
#install.packages(("GGally"))
#install.packages(("circular"))
library(readxl)
library(lubridate)
##
## Attaching package: 'lubridate'
## The following objects are masked from 'package:base':
##
##
       date, intersect, setdiff, union
library(dplyr)
##
## Attaching package: 'dplyr'
## The following objects are masked from 'package:stats':
##
##
       filter, lag
## The following objects are masked from 'package:base':
##
       intersect, setdiff, setequal, union
library(ggplot2)
library("GGally")
## Registered S3 method overwritten by 'GGally':
     method from
##
     +.gg
            ggplot2
library(circular)
##
## Attaching package: 'circular'
## The following objects are masked from 'package:stats':
##
##
       sd, var
data = read_excel(path = "/Users/mimi/BIOSTAT620hw1/ST_Mimi.xlsx")
```

```
# Change datatype of Date
data <- data %>%
  mutate(Date = as.Date(Date))
# Function to extract the time component from 'Pickup.1st'
extract time <- function(x) {</pre>
  time_part <- strsplit(as.character(x), split = " ")[[1]][2]</pre>
  return(time_part)
}
# Correct dates of pickup 1st
data <- data %>%
  mutate(Pickup.1st = as.POSIXct(paste(as.character(Date), sapply(Pickup.1st, extract_time))))
# Convert time strings to minutes
convert_min <- function(time) {</pre>
  split_hr_min <- strsplit(time, "h|m")[[1]]</pre>
  hours <- as.numeric(split_hr_min[1])</pre>
 minutes <- as.numeric(split_hr_min[2])</pre>
  return(hours * 60 + minutes)
# Convert Total.ST and Social.ST
data <- data %>%
  mutate(Total.ST.min = sapply(Total.ST, convert min))
data <- data %>%
  mutate(Social.ST.min = sapply(Social.ST, convert_min))
```

## Problem 1

(a)

The purpose of this data collection is to explore the potential relationship between the duration of screen use and the consistency of sleep patterns. Prior research has established a correlation between excessive screen time and diminished sleep quality (Xu et al. 2019). Moreover, a study showed that sleep health and the regularity of one's sleep schedule are highly related (Chaput et al. 2020). Given these connections, it is reasonable to suggest that screen time may indirectly affect sleep health by altering the consistency of sleep schedules. Additionally, wake-up times are reflective of one's overall sleep schedule, as evidence indicates individuals with earlier bedtimes also tend to experience earlier wake-up times (Okano et al. 2019). This suggests that the consistency of wake-up times can reflect the consistency of overall sleep habits. Within the scope of our study, the timing of the first phone pickup of the day can serve as an indicator for wake-up time. The research aims to investigate how screen time influences sleep schedules, potentially offering insights into broader implications for sleep quality and mental health.

(b)

The Informed Consent Form serves as a formal communication tool between the researchers and participants, establishing trust and promoting transparency about the research process. It ensures participants are fully aware of the study's purpose, procedures, risks, benefits, and other information before agreeing to take part, which respects the participant's right of autonomy to make an informed decision about their involvement. For the data collection, the Informed Consent Form would detail how the data will be collected, how data

privacy and safety will be maintained, and how the data will be used. For researchers, it provides evidence that participants have consented to the study, which legally protects the researchers and the institution conducting the study.

(c)

Table 1: Data Collection Plan

Data collection Time	2/4/24
Variables	Total screen time (Total.ST), social screen time (Social.ST), total pickups (Pickups), and first pickup time (Pickup.1st)
Data source	The recorded screen activity in real-time by the personal mobile device
Total counts Mobile device settings	13 days $(1/14/24 - 1/26/24)$ The time zone was adjusted to GMT-8 to collect the first pickup time.

(d)

```
# Create the two new variables
data <- data %>%
  mutate(Daily.prop.social = Social.ST.min / Total.ST.min)

data <- data %>%
  mutate(Daily.duration = Total.ST.min / Pickups)
```

## Problem 2

(a)

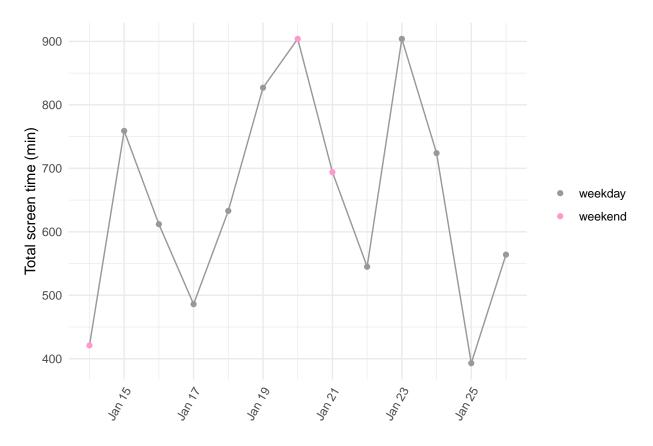
Based on the plots, the patterns of total screen time, the social screen time, and daily duration are similar. The proportion of social screen time during weekends tend to be higher comparing to weekdays.

### Time series plot of total screen time

```
# Check if the date is a weekend
data$if_weekend <- ifelse(weekdays(data$Date) %in% c("Saturday", "Sunday"), "weekend", "weekday")

# Create the plot
total_st_plot <- ggplot(data, aes(x = Date, y = Total.ST.min, group = 1)) +
    geom_line(color = "#999999") +
    geom_point(aes(color = if_weekend)) +
    labs(x = "", y = "Total screen time (min)") +
    scale_color_manual(values = c("weekday" = "#999999", "weekend" = "#FF99CC")) +
    theme_minimal() +
    theme(axis.text.x = element_text(angle = 60, hjust = 1),
        legend.title = element_blank())

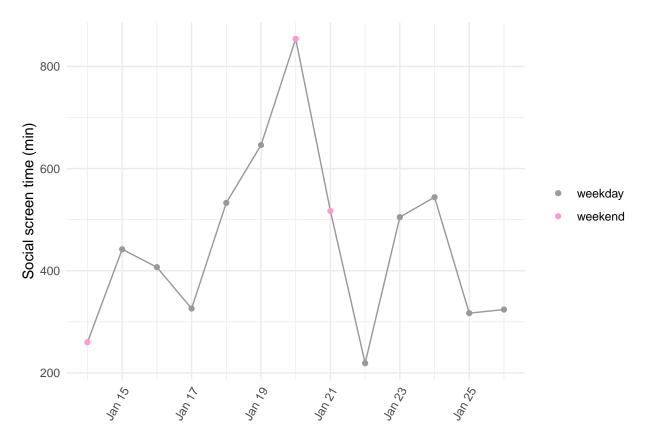
# Print the plot
total_st_plot</pre>
```



## Time series plot of social screen time

```
# Create the plot
total_scl_plot <- ggplot(data, aes(x = Date, y = Social.ST.min, group = 1)) +
    geom_line(color = "#999999") +
    geom_point(aes(color = if_weekend)) +
    labs(x = "", y = "Social screen time (min)") +
    scale_color_manual(values = c("weekday" = "#999999", "weekend" = "#FF99CC")) +
    theme_minimal() +
    theme(axis.text.x = element_text(angle = 60, hjust = 1),
        legend.title = element_blank())

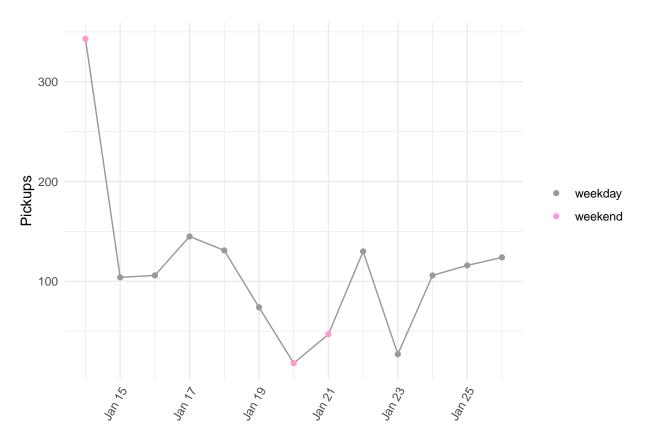
# Print the plot
total_scl_plot</pre>
```



## Time series plot of total pickups

```
# Create the plot
total_pu_plot <- ggplot(data, aes(x = Date, y = Pickups, group = 1)) +
    geom_line(color = "#999999") +
    geom_point(aes(color = if_weekend)) +
    labs(x = "", y = "Pickups") +
    scale_color_manual(values = c("weekday" = "#999999", "weekend" = "#FF99CC")) +
    theme_minimal() +
    theme(axis.text.x = element_text(angle = 60, hjust = 1),
        legend.title = element_blank())

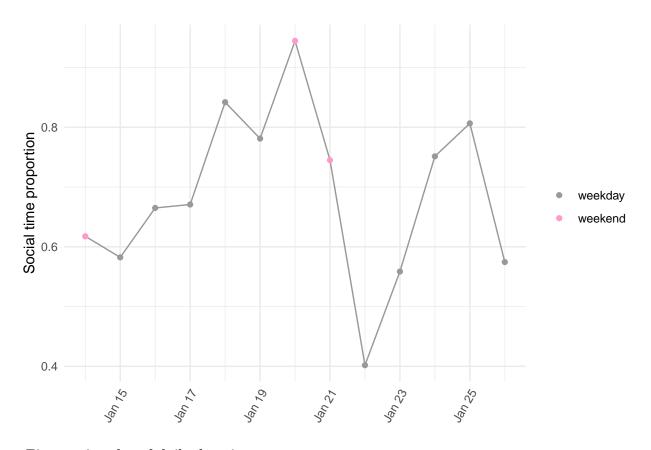
# Print the plot
total_pu_plot</pre>
```



## Time series plot of social screen time proportion

```
# Create the plot
total_scl_ppt_plot <- ggplot(data, aes(x = Date, y = Daily.prop.social, group = 1)) +
    geom_line(color = "#999999") +
    geom_point(aes(color = if_weekend)) +
    labs(x = "", y = "Social time proportion") +
    scale_color_manual(values = c("weekday" = "#999999", "weekend" = "#FF99CC")) +
    theme_minimal() +
    theme(axis.text.x = element_text(angle = 60, hjust = 1),
        legend.title = element_blank())

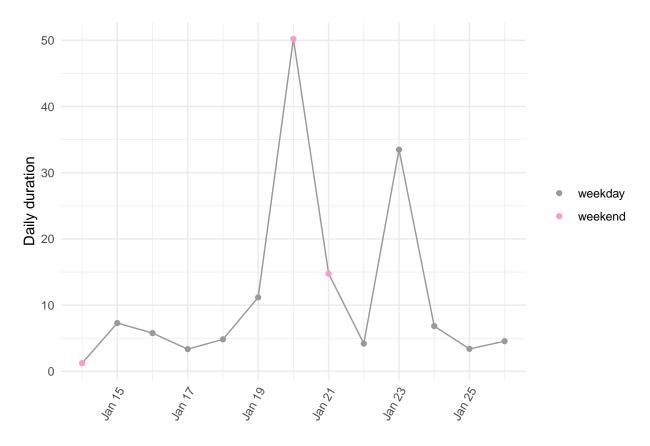
# Print the plot
total_scl_ppt_plot</pre>
```



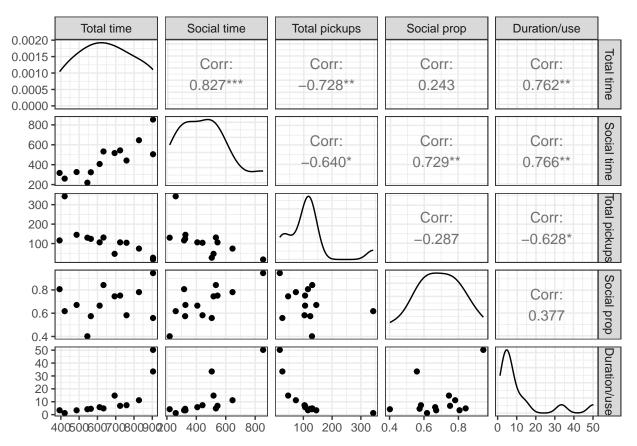
## Time series plot of daily duration

```
# Create the plot
total_duration_plot <- ggplot(data, aes(x = Date, y = Daily.duration, group = 1)) +
    geom_line(color = "#999999") +
    geom_point(aes(color = if_weekend)) +
    labs(x = "", y = "Daily duration") +
    scale_color_manual(values = c("weekday" = "#999999", "weekend" = "#FF99CC")) +
    theme_minimal() +
    theme(axis.text.x = element_text(angle = 60, hjust = 1),
        legend.title = element_blank())

# Print the plot
total_duration_plot</pre>
```



# (b) Pairwise



The positive correlation between social screen time and the total screen time is the highest, with the Pearson correlation equal to 0.827. The positive correlations between the duration and total time, the proportion of social screen time and social screen time, as well as the duration and social screen time, are also significant. At the same time, there are significantly negative correlations between total pickups and total time, total pickups and social screen time, as well as the duration and total pickups.

### (c)

#### Occupation time curve of total screen time

There is no sharp decline in probability with increased screen time. This could suggest a more varied usage pattern in total screen time.

```
# Sort the data from smallest to largest
sorted_st <- sort(data$Total.ST.min, decreasing = F)

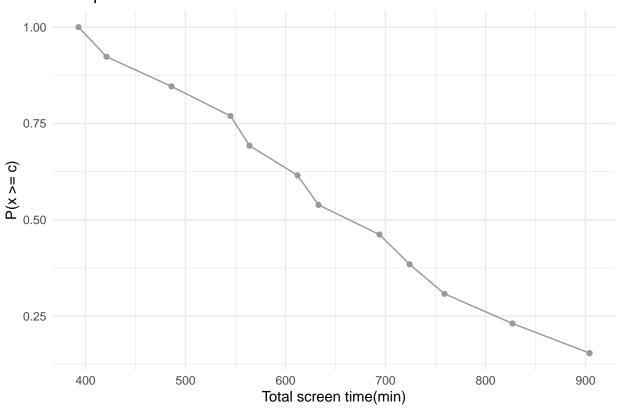
# Generate a table of the frequencies of each value
value_counts <- table(sorted_st)

# Cumulative sum of the frequencies
cumulative_counts <- rev(cumsum(rev(value_counts)))

occupation_df <- data.frame(
    Vector_Magnitude = rep(as.numeric(names(value_counts)), value_counts),
    Probability = rep(cumulative_counts / length(sorted_st), value_counts)
)

# Plot the curve</pre>
```

## Occupation-Time Curve of Total Screen Time



### Occupation time curve of social screen time

The probability drops more quickly as the social screen time increases below 150. This suggests that most data points are clustered at lower values of social screen time, indicating that days with a very long social screen time (above 150) are less common.

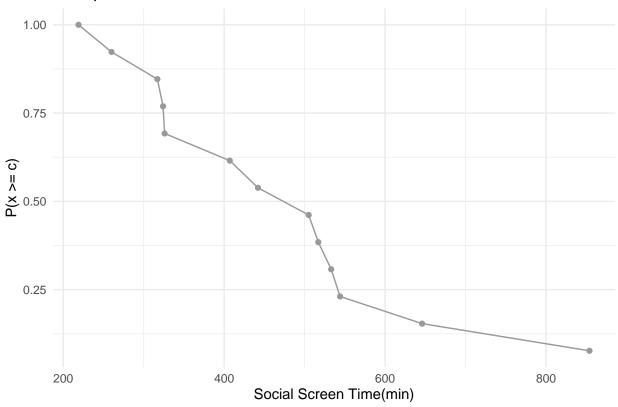
```
# Sort the data from smallest to largest
sorted_ss <- sort(data$Social.ST.min, decreasing = F)

# Generate a table of the frequencies of each value
value_counts_ss <- table(sorted_ss)

# Cumulative sum of the frequencies
cumulative_counts <- rev(cumsum(rev(value_counts_ss)))

df_ss <- data.frame(
    Vector_Magnitude = rep(as.numeric(names(value_counts_ss)), value_counts_ss),
    Probability = rep(cumulative_counts / length(sorted_ss), value_counts_ss)
)</pre>
```

## Occupation-Time Curve of Social Screen Time



### Occupation time curve of total pickups

The probability drops quickly as the number of total pickups increases but below 600. This suggests that most data points are clustered at lower values (below 600) of total pickups, indicating that days with a very high number of pickups are less common. Particularly, the probability dropes the most quickly between 100 to 150, meaning that pickup times in this range are more common.

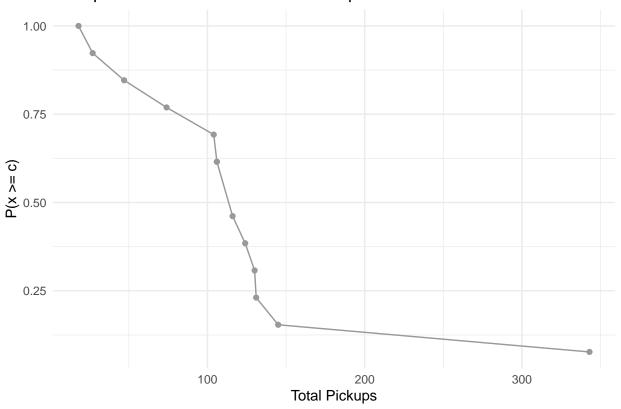
```
# Sort the data from smallest to largest
sorted_pu <- sort(data$Pickups, decreasing = F)

# Generate a table of the frequencies of each value
value_counts_pu <- table(sorted_pu)

# Cumulative sum of the frequencies
cumulative_counts <- rev(cumsum(rev(value_counts_pu)))

df_pu <- data.frame(
    Vector_Magnitude = rep(as.numeric(names(value_counts_pu)), value_counts_pu),
    Probability = rep(cumulative_counts / length(sorted_pu), value_counts_pu)</pre>
```

# Occupation-Time Curve of Total Pickups



#### Occupation time curve of proportions of social screen time

There is no sharp decline in probability with increased proportion of screen time. This could suggest a more varied usage pattern in social screen time proportion. However, proportion below 0.5 is less common.

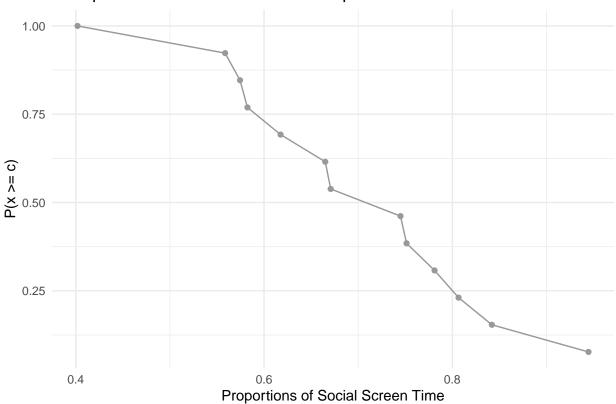
```
# Sort the data from smallest to largest
sorted_ss_prop <- sort(data$Daily.prop.social, decreasing = F)

# Generate a table of the frequencies of each value
value_counts_ss_prop <- table(sorted_ss_prop)

# Cumulative sum of the frequencies
cumulative_counts <- rev(cumsum(rev(value_counts_ss_prop))))

df_ss_prop <- data.frame(
    Vector_Magnitude = rep(as.numeric(names(value_counts_ss_prop)), value_counts_ss_prop),
    Probability = rep(cumulative_counts / length(sorted_ss_prop), value_counts_ss_prop)</pre>
```

# Occupation-Time Curve of Social Proportions



#### Occupation time curve of daily duration

The probability drops quickly as the duration increases but below 15. This suggests that most data points are clustered at shorter duration (below 15), indicating that days with a very high duration are less common.

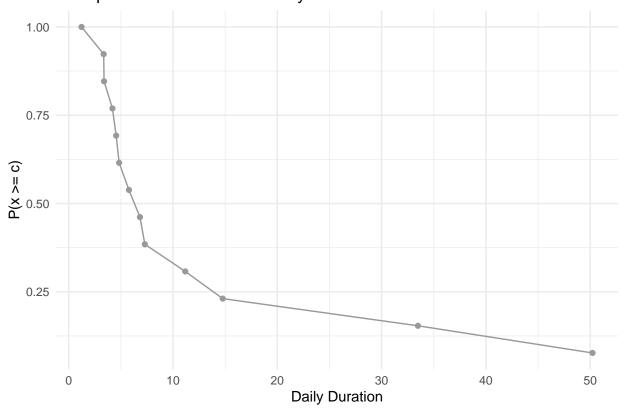
```
# Sort the data from smallest to largest
sorted_dura <- sort(data$Daily.duration, decreasing = F)

# Generate a table of the frequencies of each value
value_counts_dura <- table(sorted_dura)

# Cumulative sum of the frequencies
cumulative_counts <- rev(cumsum(rev(value_counts_dura)))

df_dura <- data.frame(
    Vector_Magnitude = rep(as.numeric(names(value_counts_dura)), value_counts_dura),
    Probability = rep(cumulative_counts / length(sorted_dura), value_counts_dura)</pre>
```

# Occupation-Time Curve of Daily Duration

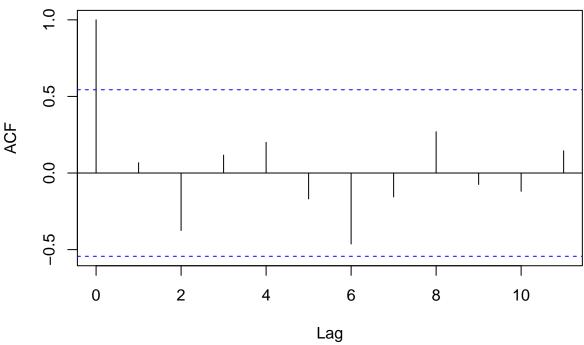


(d)

All variables demonstrated no meaningful autocorrelation as all observed vertical bars remained within the boundaries of the 95% confidence intervals. This suggests that daily records for these variables are statistically independent from preceding days' data.

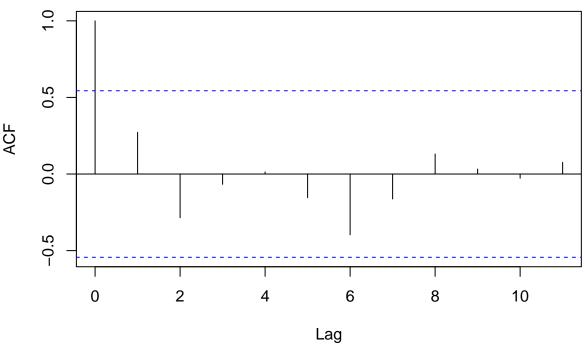
```
# Apply the acf function for total screen time
acf(data$Total.ST.min)
```

# Series data\$Total.ST.min



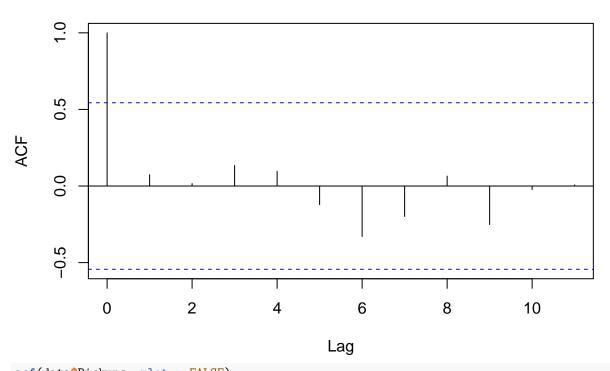
```
##
## Autocorrelations of series 'data$Total.ST.min', by lag
##
## 0 1 2 3 4 5 6 7 8 9 10
## 1.000 0.067 -0.375 0.117 0.200 -0.169 -0.463 -0.156 0.270 -0.075 -0.119
## 0.145
# Apply the acf function for social screen time
acf(data$Social.ST.min)
```

# Series data\$Social.ST.min



```
##
## Autocorrelations of series 'data$Social.ST.min', by lag
##
## 0 1 2 3 4 5 6 7 8 9 10
## 1.000 0.272 -0.286 -0.067 0.014 -0.154 -0.397 -0.163 0.130 0.032 -0.027
## 11
## 0.076
## Apply the acf function for total pickups
acf(data$Pickups)
```

# Series data\$Pickups



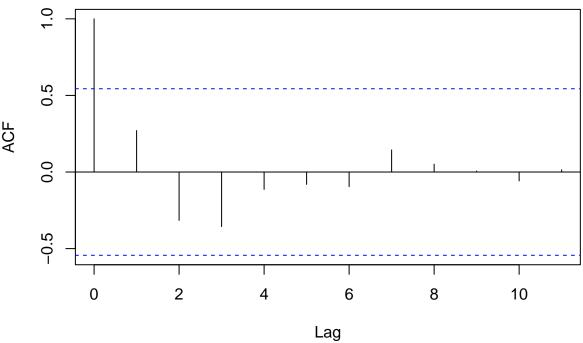
```
acf(data$Pickups, plot = FALSE)
##
```

## 0.007

## Autocorrelations of series 'data\$Pickups', by lag
##
## 0 1 2 3 4 5 6 7 8 9 10
## 1.000 0.074 0.016 0.134 0.096 -0.121 -0.329 -0.199 0.065 -0.252 -0.023
## 11

# Apply the acf function for total daily proportion of social screen time acf(data\$Daily.prop.social)

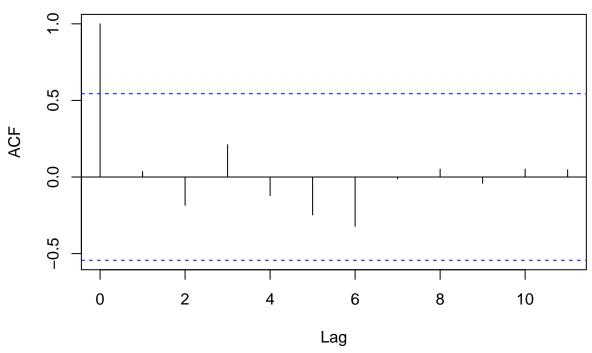
# Series data\$Daily.prop.social



```
acf(data$Daily.prop.social, plot = FALSE)

##
## Autocorrelations of series 'data$Daily.prop.social', by lag
##
## 0 1 2 3 4 5 6 7 8 9 10
## 1.000 0.270 -0.316 -0.356 -0.113 -0.081 -0.095 0.144 0.051 0.006 -0.058
## 11
## 0.015
# Apply the acf function for total daily duration
acf(data$Daily.duration)
```

# Series data\$Daily.duration



```
acf(data$Daily.duration, plot = FALSE)
```

```
##
## Autocorrelations of series 'data$Daily.duration', by lag
##
## 0 1 2 3 4 5 6 7 8 9 10
## 1.000 0.036 -0.185 0.211 -0.121 -0.247 -0.322 -0.012 0.052 -0.041 0.052
## 11
## 0.047
```

# Problem 3

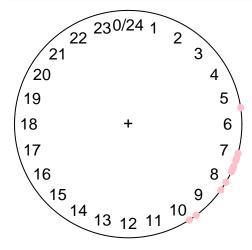
(a)

```
data = data %>%
  mutate(Pickup.1st.agl = (hour(Pickup.1st) * 60 + minute(Pickup.1st)) / (24 * 60) * 360)
```

(b)

The initial phone usage typically occurs between 7 and 8 in the morning. There are occasional first pickups noted between 9 and 10:30 a.m., with an outlier around 5:30 a.m. This pattern suggests that the individual generally tends to start their day early, with some fluctuations in their morning routine.

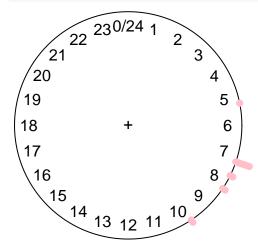
```
pickup_c = circular(data$Pickup.1st.agl, units = "degrees", template = "clock24")
plot(pickup_c, col = "pink")
```



(c)

With 48 bins across a 24-hour period, each bin represents a 30-minute interval. This level allows for a detailed analysis of the variations in the first pickup times, which can capture the early morning activities and distinguish the less frequent late morning pickups. The graph shows that the first pickup times mostly lie in 7am to 7:30 am.

plot(pickup\_c, stack = TRUE, bins = 48, col = "pink")



# Problem 4

(a)

Lambda is the expected hourly rate of pickups, which depends on the total screen time of that day, since it is more likely to have a higher pickup times when the total screen time is higher in a given day. Therefore, St is needed to act as a scale of lambda to address this difference.

(b)

```
# Convert total screen time from minutes to hours
data$ST_hrs <- data$Total.ST.min / 60</pre>
# Fit the model
model1 <- glm(Pickups ~ offset(log(ST_hrs)), family = poisson, data = data)</pre>
summary(model1)
##
## Call:
## glm(formula = Pickups ~ offset(log(ST_hrs)), family = poisson,
##
       data = data)
##
## Coefficients:
               Estimate Std. Error z value Pr(>|z|)
## (Intercept) 2.34423
                           0.02607 89.91 <2e-16 ***
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## (Dispersion parameter for poisson family taken to be 1)
##
##
       Null deviance: 1080.1 on 12 degrees of freedom
## Residual deviance: 1080.1 on 12 degrees of freedom
## AIC: 1164.4
##
## Number of Fisher Scoring iterations: 5
# Extract lambda
lambda <- exp(coef(model1)["(Intercept)"])</pre>
print(lambda)
## (Intercept)
##
      10.42523
(c)
# Create dummy variables
data$Xt <- as.numeric(!weekdays(data$Date) %in% c("Saturday", "Sunday"))</pre>
data$Zt <- as.numeric(data$Date >= as.Date("2024-01-16"))
# Repeat part (b)
model2 <- glm(Pickups ~ offset(log(ST_hrs)) + Xt + Zt,</pre>
              family = poisson, data = data)
summary(model2)
##
## Call:
## glm(formula = Pickups ~ offset(log(ST_hrs)) + Xt + Zt, family = poisson,
       data = data)
##
## Coefficients:
```

```
##
              Estimate Std. Error z value Pr(>|z|)
                          0.05987 53.064
## (Intercept)
               3.17715
                                            <2e-16 ***
                          0.05887 -1.435
## Xt
              -0.08449
                                             0.151
              -0.97971
                          0.05730 -17.097
## Zt
                                            <2e-16 ***
##
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
  (Dispersion parameter for poisson family taken to be 1)
##
##
      Null deviance: 1080.06
                              on 12 degrees of freedom
## Residual deviance: 815.67
                              on 10 degrees of freedom
  AIC: 904.04
##
##
## Number of Fisher Scoring iterations: 5
```

#### c.1

Since the p-value is larger than 0.05 (0.151), there's no enough evidence to reject the null hypothesis that there is no difference in the number of pickups between weekdays and weekends at the 5% significance level. Therefore, there is no enough evidence to conclude that there is a significant difference in the number of pickups between weekdays and weekends.

#### c.2

Since the p-value is less than 0.05 (<2e-16), there is enough evidence to reject the null hypothesis that there is no significant change in the behavior of daily pickups after the winter semester began. Therefore, we have enough evidence to support that there is significant change in the behavior of daily pickups after the winter semester began.

### Problem 5

## (a)

```
# Convert first pickups to radians
data = data %>%
    mutate(Pickup.1st.rad = ((hour(Pickup.1st) * 60 + minute(Pickup.1st)) / (24 * 60)) * (2 * pi))

# Convert first pickups to a circular object
pickups_c_rad <- circular(data$Pickup.1st.rad, units = "radians", template = "none")

# Estimate the parameters
vm_est <- mle.vonmises(pickups_c_rad)

print(vm_est)

##
## Call:
## mle.vonmises(x = pickups_c_rad)
##
## mu: 2.008 ( 0.0784 )
##
## kappa: 13.02 ( 5 )</pre>
```

(b)

```
# Convert 8:30 AM radians
t \leftarrow (8.5 / 24) * (2 * pi)
# Calculate the probability
p_t <- pvonmises(t, vm_est$mu, vm_est$kappa)</pre>
## Warning in as.circular(x): an object is coerced to the class 'circular' using default value for the
##
     type: 'angles'
##
     units: 'radians'
##
     template: 'none'
##
     modulo: 'asis'
##
     zero: 0
##
     rotation: 'counter'
## conversion.circulargradiansOcounter
print(p_t)
```

## ## [1] 0.7805001

### Reference

Chaput, Jean-Philippe, Caroline Dutil, Robin Featherstone, Robert Ross, Lora Giangregorio, Travis J Saunders, Ian Janssen, et al. 2020. "Sleep Timing, Sleep Consistency, and Health in Adults: A Systematic Review." *Applied Physiology, Nutrition, and Metabolism* 45 (10 (Suppl. 2)): S232–47. https://doi.org/10.1139/apnm-2020-0032.

Okano, Kazunori, Jeffrey R Kaczmarzyk, Neel Dave, and et al. 2019. "Sleep Quality, Duration, and Consistency Are Associated with Better Academic Performance in College Students." Npj Science of Learning 4: 16. https://doi.org/10.1038/s41539-019-0055-z.

Xu, Fengqing, Swann Arp Adams, Steven A Cohen, Jessica E Earp, and Mary L Greaney. 2019. "Relationship Between Physical Activity, Screen Time, and Sleep Quantity and Quality in US Adolescents Aged 16–19." International Journal of Environmental Research and Public Health 16 (9): 1524. https://doi.org/10.3390/ijerph16091524.