Haze removal

💢 He, Kaiming, Jian Sun, and Xiaoou Tang. "Single image haze removal using dark channel prior." Pattern Analysis and Machine Intelligence, IEEE Transactions on 33.12 (2011): 2341-2353.

안재원



목차

Haze

• Dark channel prior Haze removal

• Min channel prior Haze removal

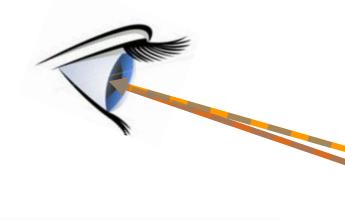
• HLS color space Haze removal

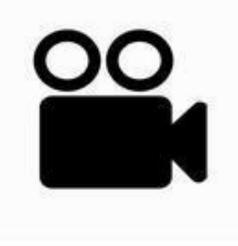
• Results



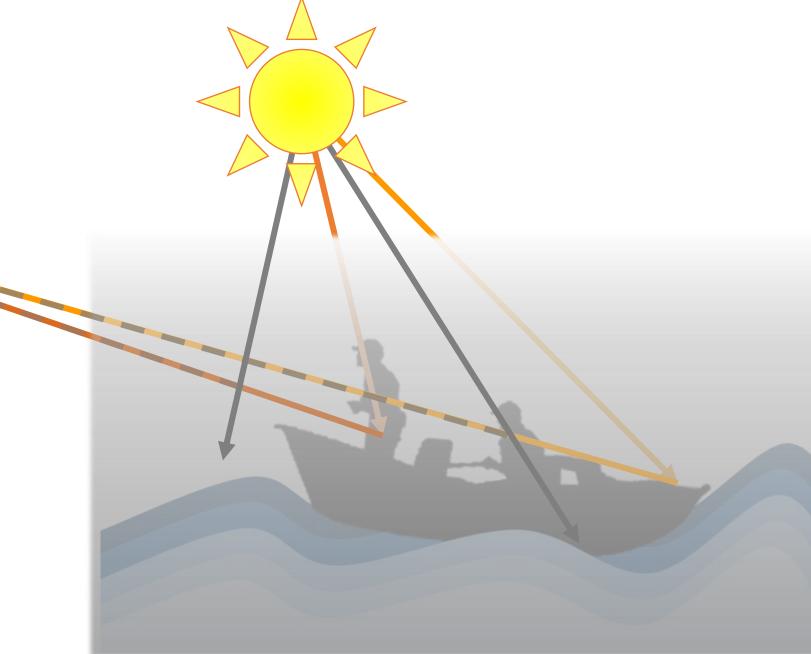
01 Haze

- Intro





ISL Image System Laboratory



01 Haze

- Modeling

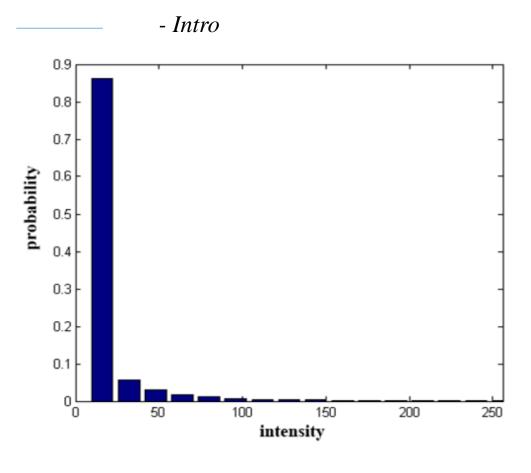
$$I(x) = J(x)t(x) + A(1-t(x))$$

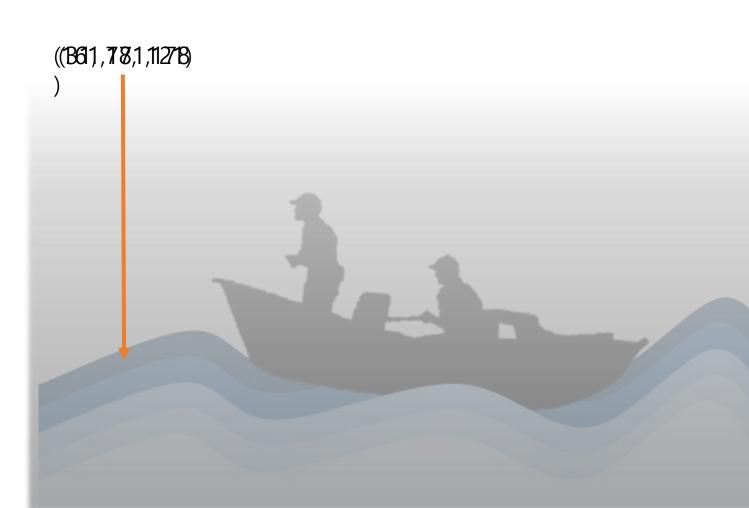
$$J(x) = \frac{I(x) - A}{t(x)} + A$$





O2 Dark channel prior Haze removal

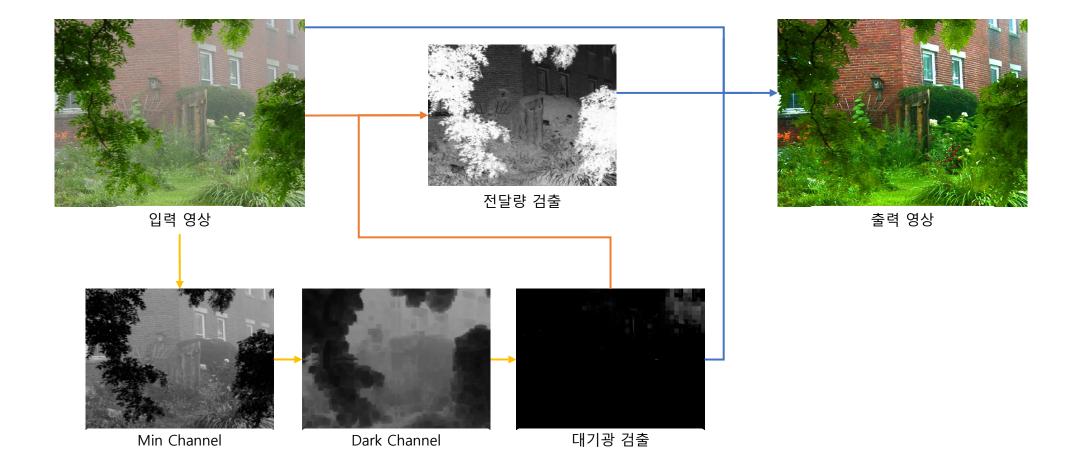






O2 Dark channel prior Haze removal

- Flow



O2 Dark channel prior Haze removal

- $Estimate\ t(x)$

•
$$I(x) = J(x)t(x) + A(1-t(x))$$

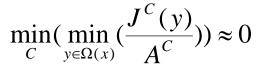
$$\min_{y \in \Omega(x)} (I^C(y)) = \hat{t}(x) \min_{y \in \Omega(x)} (J^C(y)) + A^C(1 - \hat{t}(x)) \qquad \text{*C = RGB Channel } \Omega(x) = \text{일정 영역}$$

$$\min_{C}(\min_{y \in \Omega(x)}(\frac{I^{C}(y)}{A^{C}})) = \hat{t}(x)\min_{C}(\min_{y \in \Omega(x)}(\frac{J^{C}(y)}{A^{C}})) + (1 - \hat{t}(x))$$

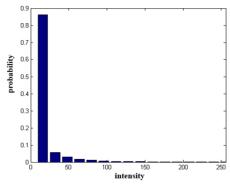
$$\min_{C} (\min_{y \in \Omega(x)} (\frac{I^{C}(y)}{A^{C}})) = (1 - \hat{t}(x))$$

$$\hat{t}(x) = 1 - \min_{C} (\min_{y \in \Omega(x)} (\frac{I^{C}(y)}{A^{C}}))$$

$$J(x) = \frac{I(x) - A}{t(x)} + A$$



X Dark channel prior



Min channel prior Haze removal

- Intro



입력 영상

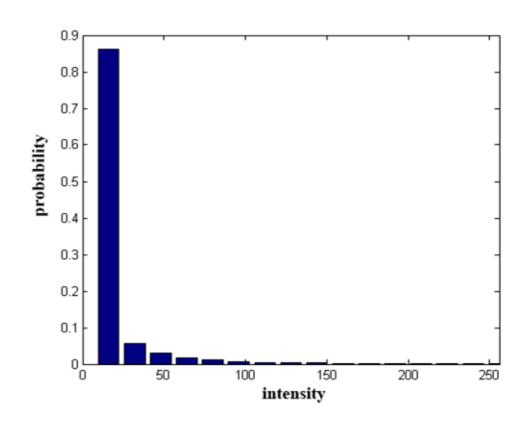


출력 영상



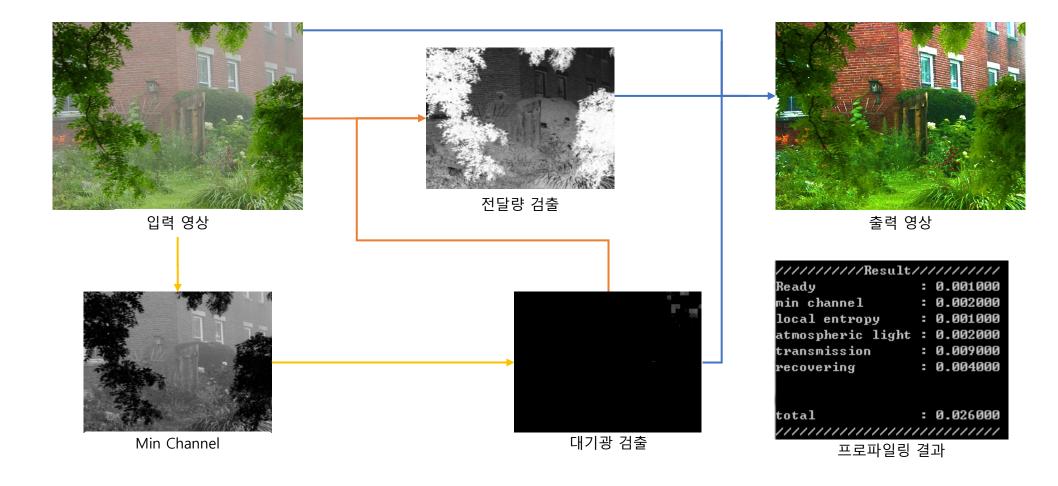
- All pixels × Mask size

※ Image = 640x480 / Mask size = 17x17 일 때 루프문 88,780,800회 반복



Min channel prior Haze removal

- Flow

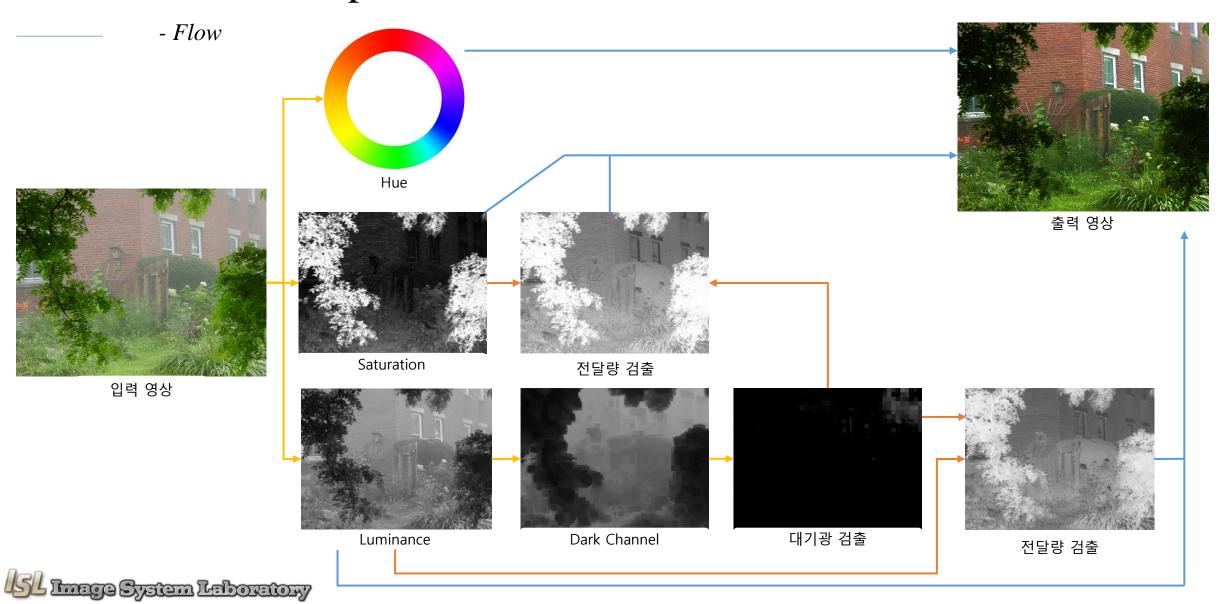




- Intro







- Calculation

•
$$S = 1 - \frac{3}{R + G + B} \times \min(R, G, B)$$
 $R + G + B = X$ $\min(R, G, B) = C$

$$\Rightarrow S = 1 - \frac{3C}{X} \qquad (S_J = 1 - \frac{3C_J}{X_J}, S_I = 1 - \frac{3C_I}{X_J}) \qquad \text{if } S = 0 = 0 \text{ for } S = 0 \text{ fo$$

• I = Jt + A(1-t)

$$R_I = R_J t + A_R (1-t)$$
 $G_I = G_J t + A_G (1-t)$ $G_I = B_J t + A_B (1-t)$ $G_I = C_J t + A_C (1-t)$

•
$$A_R = A_G = A_B$$

• $R_I + G_I + B_I = (R_J + G_J + B_J)t + (A_R + A_G + A_B)(1-t)$
 $X_I = X_I t + 3A(1-t)$

- Calculation

•
$$S_{I} = 1 - \frac{3}{X_{I}} C_{I}$$

$$S_{I} = 1 - \frac{3C_{I}}{X_{J}t + 3A(1-t)}$$

$$X_{I} = X_{J}t + 3A(1-t)$$

$$X_{I} = \frac{3C_{J}}{1 - S_{J}}$$

$$X_{I} = \frac{3C_{J}}{1 - S_{J}}$$

$$X_{I} = \frac{3C_{J}}{1 - S_{J}}$$

$$1 - S_{I} = \frac{C_{I}(1 - S_{J})}{C_{J}t + A(1 - t)(1 - S_{J})}$$

$$C_{J}t = C_{I} - A(1 - t)$$

$$1 - S_{I} = \frac{C_{I}(1 - S_{J})}{C_{I} - A(1 - t) + A(1 - t)(1 - S_{J})}$$

$$1 - S_I = \frac{C_I (1 - S_J)}{C_I - A(1 - t)S_J}$$

$$S_J = \frac{S_I C_I}{C_I + A(1-t)(S_I - 1)}$$

- $Estimate\ t(x)$

$$C_I = C_J t + A(1-t)$$

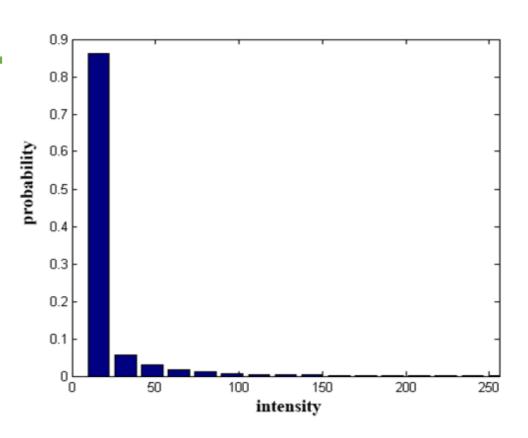
$$C_I = A(1-t)$$

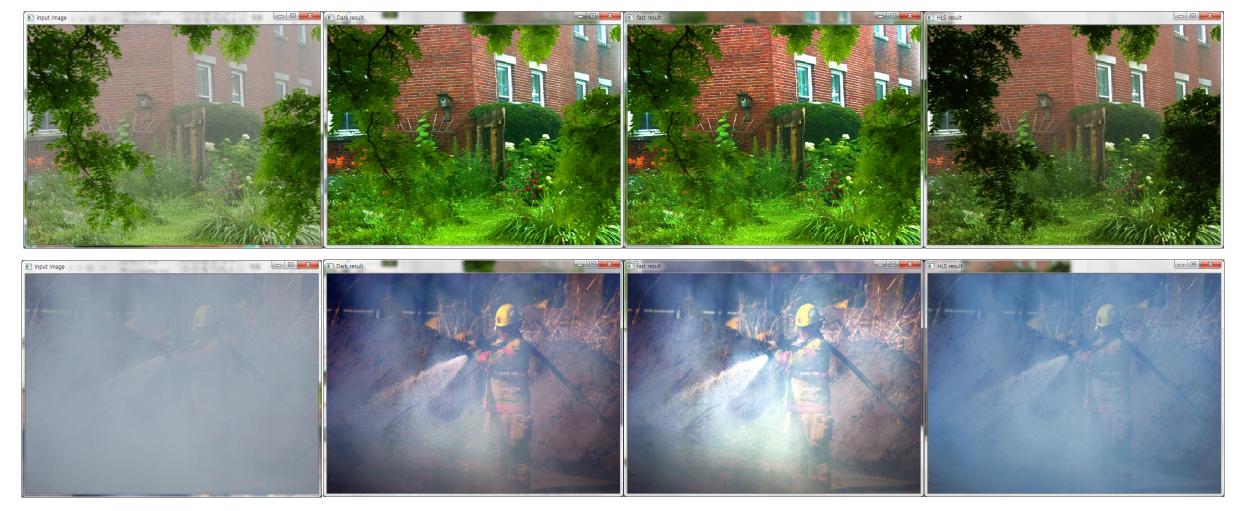
$$C_J \approx 0$$

$$X_{I}S_{I} - X_{I} = -3C_{I}$$

$$X_{I}S_{I} - X_{I} = -3A(1-t)$$

$$t = 1 - \frac{X_I(1 - S_I)}{3A}$$

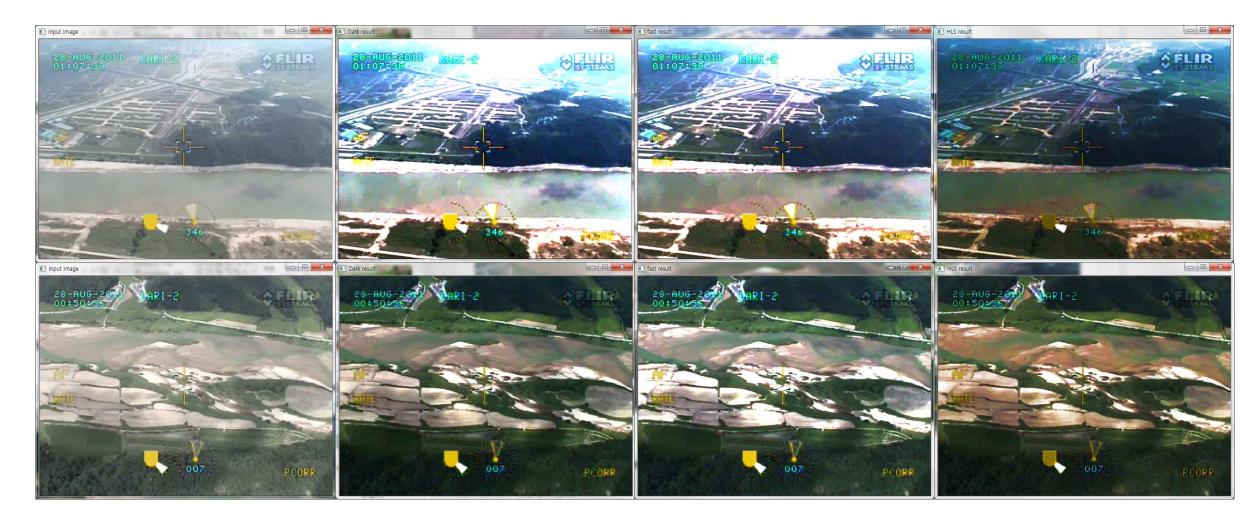














감사합니다

Q&A

