

Converting an NFA to a DFA

Given:

A non-deterministic finite state machine (NFA)

Goal:

Convert to an equivalent deterministic finite state machine (DFA)

Why?

Faster recognizer!

Approach:

Consider simulating a NFA.

Work with sets of states.

IDEA: Each state in the DFA will correspond to a set of NFA states.

Worst-case:

There can be an exponential number $O(2^N)$ of sets of states.

The DFA can have exponentially many more states than the NFA
... but this is rare.

NFA to DFA

Input: A NFA

$S = \text{States} = \{s_0, s_1, \dots, s_N\} = S_{\text{NFA}}$

$\delta = \text{Move function} = \text{Move}_{\text{NFA}}$

$\text{Move}'(S, a) \rightarrow \text{Set of states}$

Output: A DFA

$S = \text{States} = \{?, \dots, ?\} = S_{\text{DFA}}$

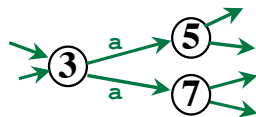
$\delta = \text{Move function} = \text{Move}_{\text{DFA}}$

$\text{Move}(s, a) \rightarrow \text{Single state from } S_{\text{DFA}}$

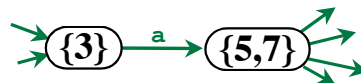
Main Idea:

Each state in S_{DFA} will be a set of states from the NFA

$S_{\text{DFA}} = \{ \{ \dots \}, \{ \dots \}, \dots, \{ \dots \} \}$

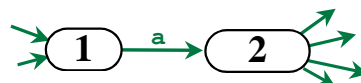


NFA



DFA

(The names of the states is arbitrary and can be changed later, if desired.)



Algorithm: Convert NFA to DFA

We'll use...

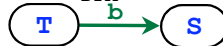
$\text{Move}_{\text{NFA}}(\mathbf{S}, \mathbf{a})$ the transition function from NFA
 $\epsilon\text{-Closure}(\mathbf{s})$ where \mathbf{s} is a single state from NFA
 $\epsilon\text{-Closure}(\mathbf{S})$ where \mathbf{S} is a set of states from NFA

We'll construct...

\mathbf{S}_{DFA} the set of states in the DFA
 Initially, we'll set \mathbf{S}_{DFA} to $\{\}$
 Add \mathbf{X} to \mathbf{S}_{DFA} where \mathbf{X} is some *set of* NFA states
Example: "Add $\{\mathbf{3}, \mathbf{5}, \mathbf{7}\}$ to \mathbf{S}_{DFA} "
 We'll "mark" some of the states in the DFA.
Marked = "We've done this one" (✓)
Unmarked = "Still need to do this one"

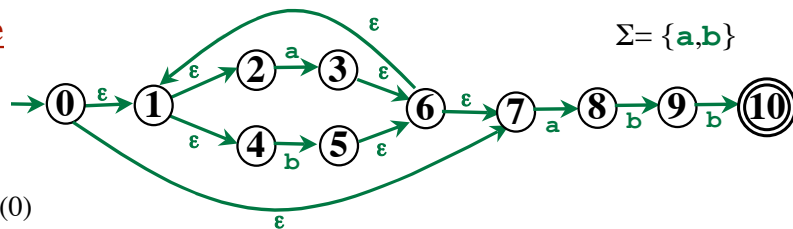
$\text{Move}_{\text{DFA}}(\mathbf{T}, \mathbf{b})$ The transition function from DFA
 To add an edge to the growing DFA...

Set $\text{Move}_{\text{DFA}}(\mathbf{T}, \mathbf{b})$ to \mathbf{S}



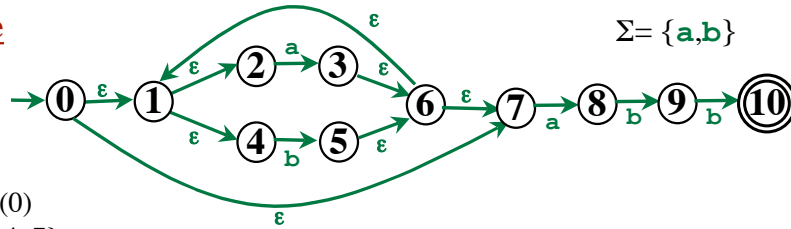
...where \mathbf{S} and \mathbf{T} are sets of NFA states

Example



Start state:
 $\epsilon\text{-Closure}(0)$
 =

Example

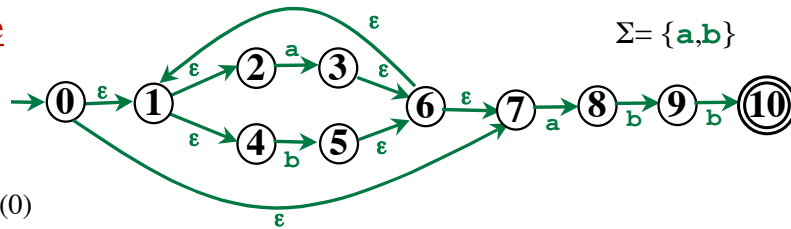


Start state:

ϵ -Closure (0)

$= \{0, 1, 2, 4, 7\}$

Example

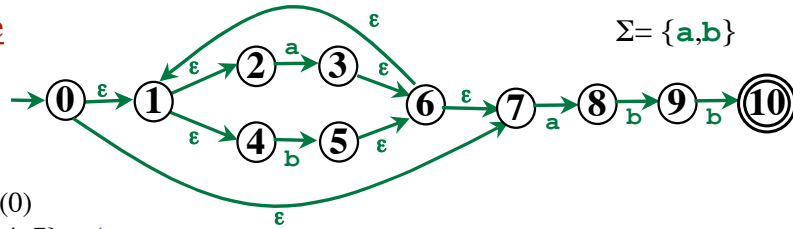


Start state:

ϵ -Closure (0)

$= \{0, 1, 2, 4, 7\} = A$

Example



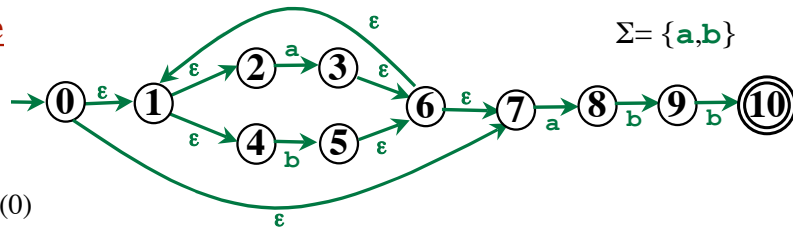
Start state:

ϵ -Closure (0)
 $= \{0, 1, 2, 4, 7\} = A$

$\text{Move}_{\text{DFA}}(A, a)$
 $=$

$\text{Move}_{\text{DFA}}(A, b)$
 $=$

Example



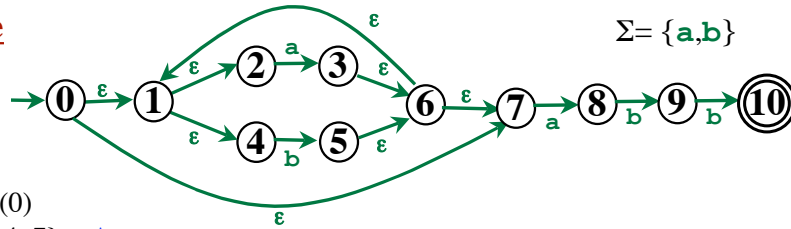
Start state:

ϵ -Closure (0)
 $= \{0, 1, 2, 4, 7\} = A$

$\text{Move}_{\text{DFA}}(A, a)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(A, a))$
 $=$

$\text{Move}_{\text{DFA}}(A, b)$
 $=$

Example



Start state:

ϵ -Closure (0)

$= \{0, 1, 2, 4, 7\} = A$

$\text{Move}_{\text{DFA}}(A, a)$

$= \epsilon$ -Closure ($\text{Move}_{\text{NFA}}(A, a)$)

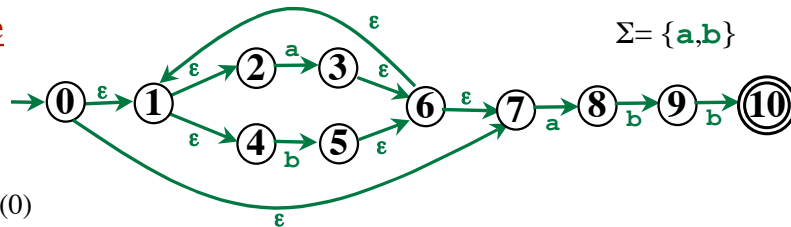
$= \epsilon$ -Closure ($\{3, 8\}$)

$=$

$\text{Move}_{\text{DFA}}(A, b)$

$=$

Example



Start state:

ϵ -Closure (0)

$= \{0, 1, 2, 4, 7\} = A$

$\text{Move}_{\text{DFA}}(A, a)$

$= \epsilon$ -Closure ($\text{Move}_{\text{NFA}}(A, a)$)

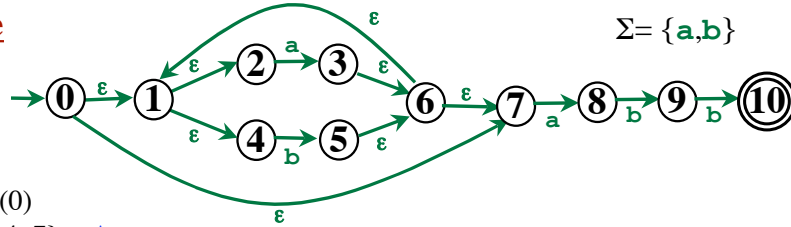
$= \epsilon$ -Closure ($\{3, 8\}$)

$= \{1, 2, 3, 4, 6, 7, 8\}$

$\text{Move}_{\text{DFA}}(A, b)$

$=$

Example



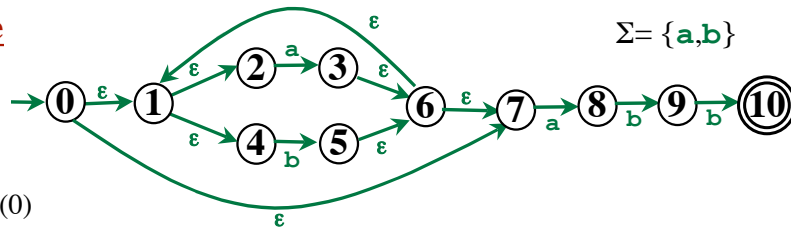
Start state:

ϵ -Closure (0)
 $= \{0, 1, 2, 4, 7\} = A$

$\text{Move}_{\text{DFA}}(A, a)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(A, a))$
 $= \epsilon\text{-Closure}(\{3, 8\})$
 $= \{1, 2, 3, 4, 6, 7, 8\} = B$

$\text{Move}_{\text{DFA}}(A, b)$
 $=$

Example



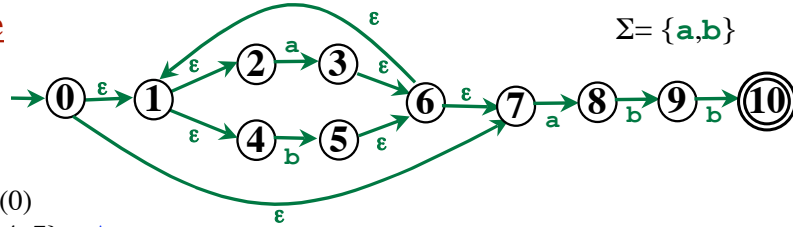
Start state:

ϵ -Closure (0)
 $= \{0, 1, 2, 4, 7\} = A$

$\text{Move}_{\text{DFA}}(A, a)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(A, a))$
 $= \epsilon\text{-Closure}(\{3, 8\})$
 $= \{1, 2, 3, 4, 6, 7, 8\} = B$

$\text{Move}_{\text{DFA}}(A, b)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(A, b))$
 $=$

Example



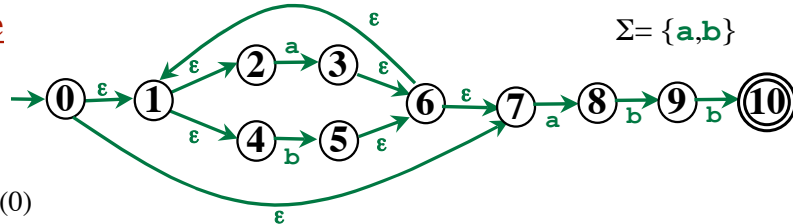
Start state:

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 $= \{0, 1, 2, 4, 7\} = A$

$\text{Move}_{\text{DFA}}(A, a)$
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 $= \{1, 2, 3, 4, 6, 7, 8\} = B$

$\text{Move}_{\text{DFA}}(A, b)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(A, b))$
 $= \epsilon\text{-Closure}(\{5\})$
 $=$

Example



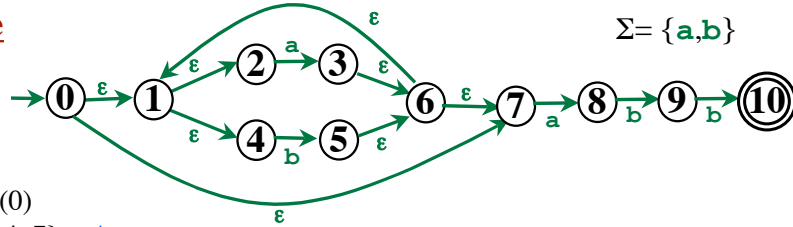
Start state:

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 $= \{0, 1, 2, 4, 7\} = A$

$\text{Move}_{\text{DFA}}(A, a)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(A, a))$
 $= \epsilon\text{-Closure}(\{3, 8\})$
 $= \{1, 2, 3, 4, 6, 7, 8\} = B$

$\text{Move}_{\text{DFA}}(A, b)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(A, b))$
 $= \epsilon\text{-Closure}(\{5\})$
 $= \{1, 2, 4, 5, 6, 7\} = C$

Example

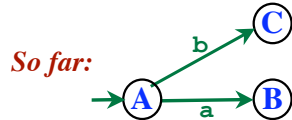


Start state:

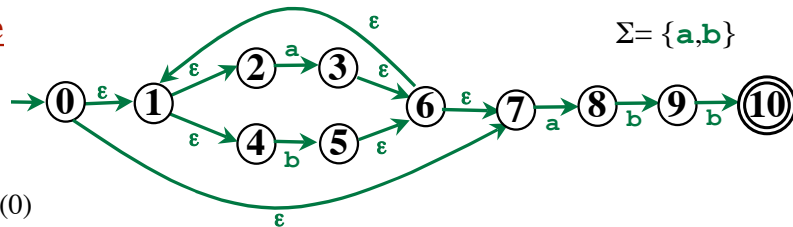
ϵ -Closure (0)
 $= \{0, 1, 2, 4, 7\} = A$

$\text{Move}_{\text{DFA}}(A, a)$
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 $= \epsilon\text{-Closure}(\{3, 8\})$
 $= \{1, 2, 3, 4, 6, 7, 8\} = B$

$\text{Move}_{\text{DFA}}(A, b)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(A, b))$
 $= \epsilon\text{-Closure}(\{5\})$
 $= \{1, 2, 4, 5, 6, 7\} = C$



Example

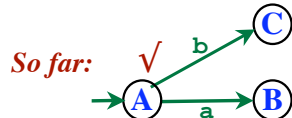


Start state:

ϵ -Closure (0)
 $= \{0, 1, 2, 4, 7\} = A$

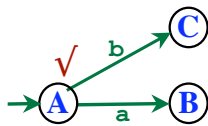
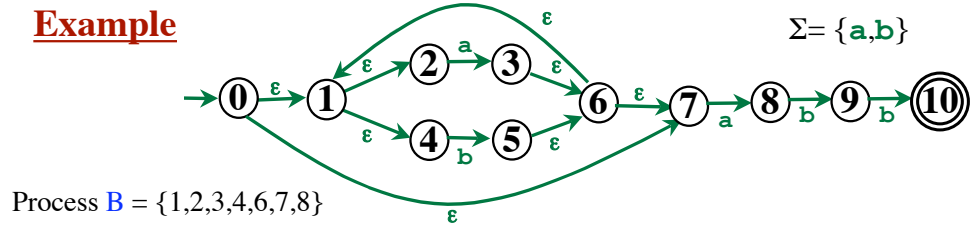
$\text{Move}_{\text{DFA}}(A, a)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(A, a))$
 $= \epsilon\text{-Closure}(\{3, 8\})$
 $= \{1, 2, 3, 4, 6, 7, 8\} = B$

$\text{Move}_{\text{DFA}}(A, b)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(A, b))$
 $= \epsilon\text{-Closure}(\{5\})$
 $= \{1, 2, 4, 5, 6, 7\} = C$

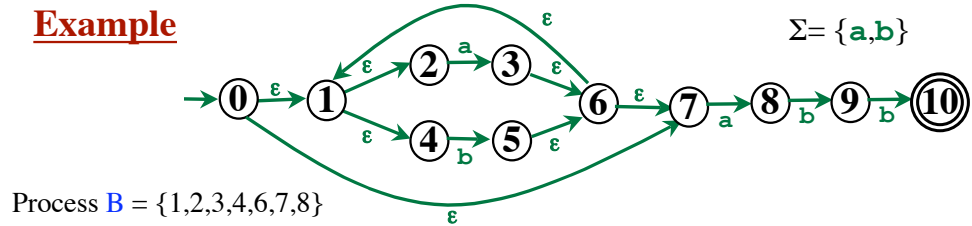


A is now done; mark it!
 B and C are unmarked.
 Let's do B next...

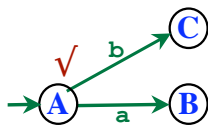
Example



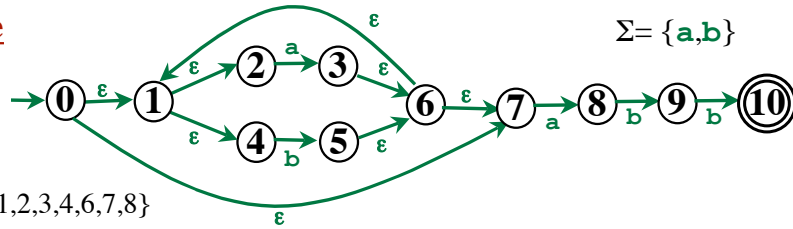
Example



$\text{Move}_{\text{DFA}}(B, a)$
=

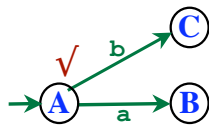


Example

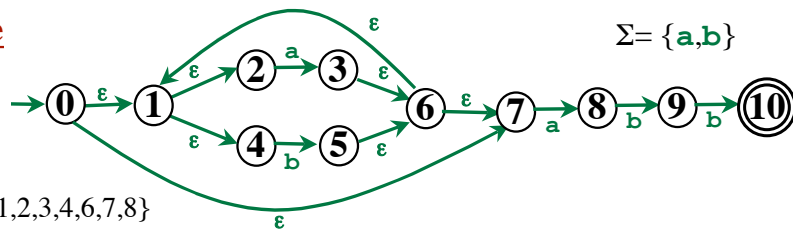


Process $B = \{1, 2, 3, 4, 6, 7, 8\}$

$\text{Move}_{\text{DFA}}(B, a)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(B, a))$
 $=$

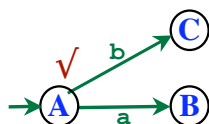


Example

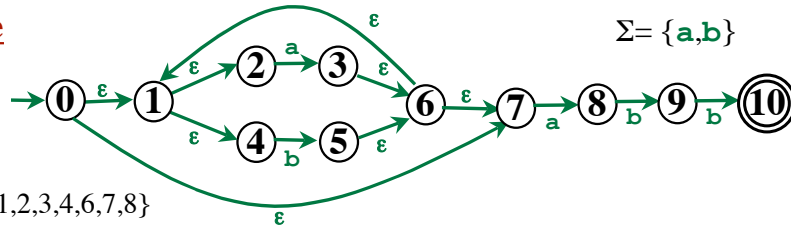


Process $B = \{1, 2, 3, 4, 6, 7, 8\}$

$\text{Move}_{\text{DFA}}(B, a)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(B, a))$
 $= \epsilon\text{-Closure}(\{3, 8\})$
 $=$

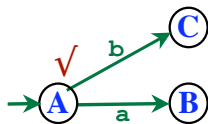


Example

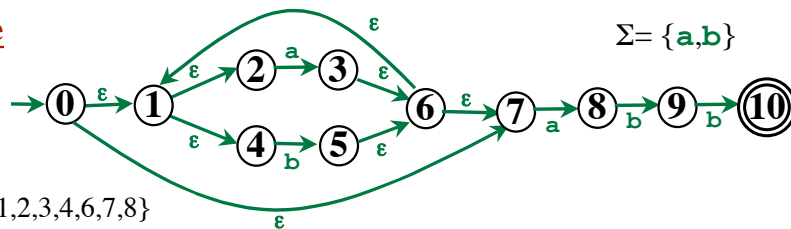


Process $B = \{1, 2, 3, 4, 6, 7, 8\}$

$\text{Move}_{\text{DFA}}(B, a)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(B, a))$
 $= \epsilon\text{-Closure}(\{3, 8\})$
 $= \{1, 2, 3, 4, 6, 7, 8\} = B$

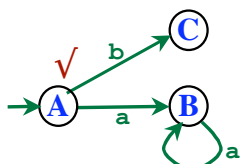


Example

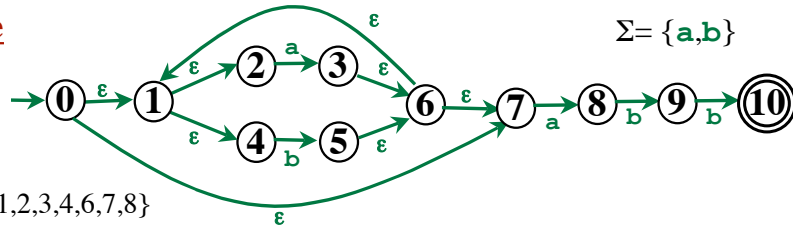


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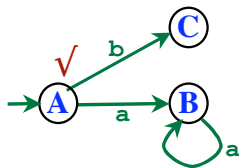
Example



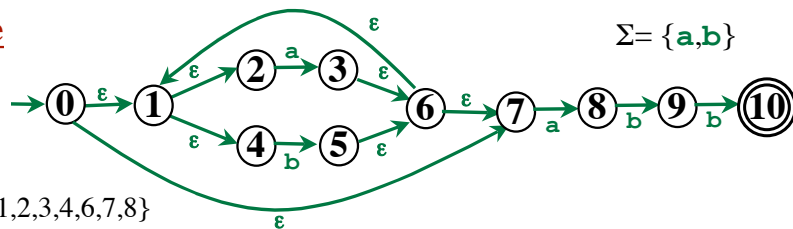
Process $B = \{1, 2, 3, 4, 6, 7, 8\}$

$\text{Move}_{\text{DFA}}(B, a)$
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 $= \{1, 2, 3, 4, 6, 7, 8\} = B$

$\text{Move}_{\text{DFA}}(B, b)$
 $=$



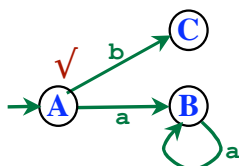
Example



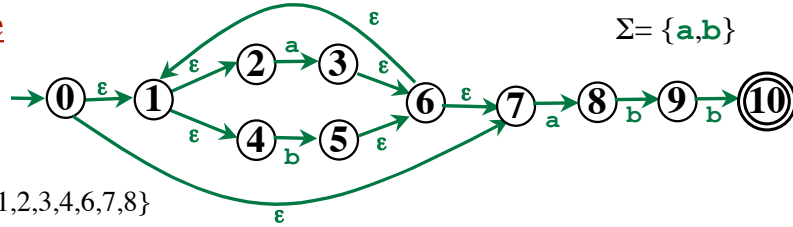
Process $B = \{1, 2, 3, 4, 6, 7, 8\}$

$\text{Move}_{\text{DFA}}(B, a)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(B, a))$
 $= \epsilon\text{-Closure}(\{3, 8\})$
 $= \{1, 2, 3, 4, 6, 7, 8\} = B$

$\text{Move}_{\text{DFA}}(B, b)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(B, b))$
 $=$



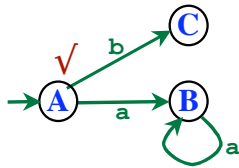
Example



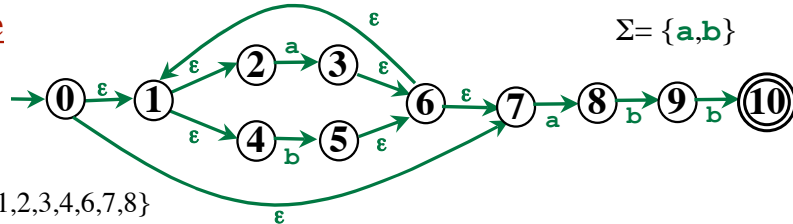
Process $B = \{1,2,3,4,6,7,8\}$

$\text{Move}_{\text{DFA}}(B,a)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(B,a))$
 $= \epsilon\text{-Closure}(\{3,8\})$
 $= \{1,2,3,4,6,7,8\} = B$

$\text{Move}_{\text{DFA}}(B,b)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(B,b))$
 $= \epsilon\text{-Closure}(\{5,9\})$
 $=$



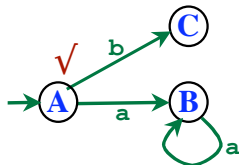
Example

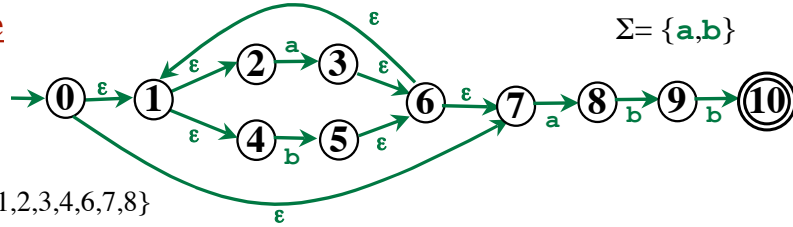


Process $B = \{1,2,3,4,6,7,8\}$

$\text{Move}_{\text{DFA}}(B,a)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(B,a))$
 $= \epsilon\text{-Closure}(\{3,8\})$
 $= \{1,2,3,4,6,7,8\} = B$

$\text{Move}_{\text{DFA}}(B,b)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(B,b))$
 $= \epsilon\text{-Closure}(\{5,9\})$
 $= \{1,2,4,5,6,7,9\} = D$

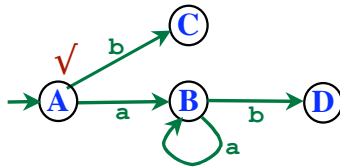
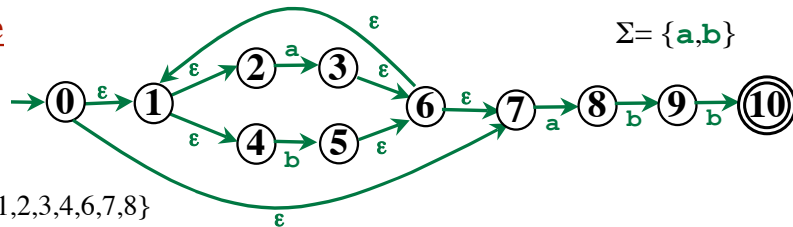


Example

Process $B = \{1, 2, 3, 4, 6, 7, 8\}$

$\text{Move}_{\text{DFA}}(B, a)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(B, a))$
 $= \epsilon\text{-Closure}(\{3, 8\})$
 $= \{1, 2, 3, 4, 6, 7, 8\} = B$

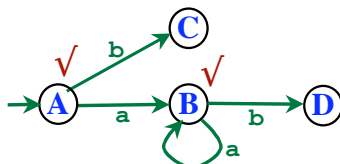
$\text{Move}_{\text{DFA}}(B, b)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(B, b))$
 $= \epsilon\text{-Closure}(\{5, 9\})$
 $= \{1, 2, 4, 5, 6, 7, 9\} = D$

**Example**

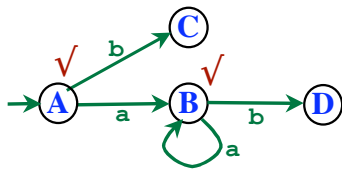
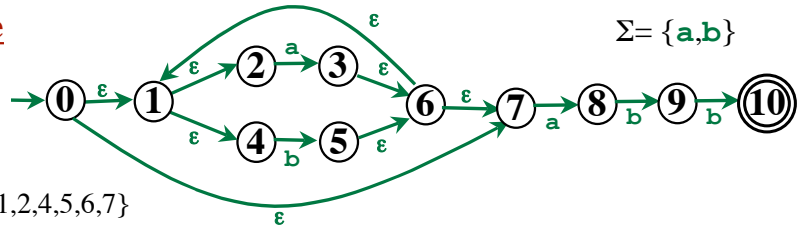
Process $B = \{1, 2, 3, 4, 6, 7, 8\}$

$\text{Move}_{\text{DFA}}(B, a)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(B, a))$
 $= \epsilon\text{-Closure}(\{3, 8\})$
 $= \{1, 2, 3, 4, 6, 7, 8\} = B$

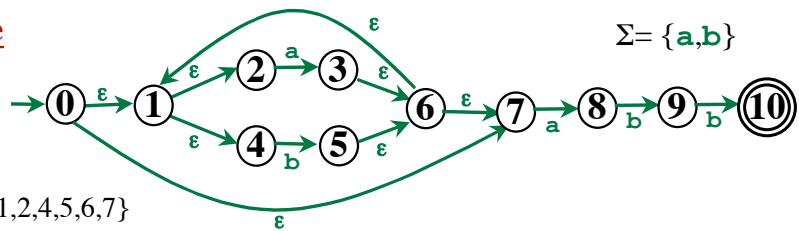
$\text{Move}_{\text{DFA}}(B, b)$
 $= \epsilon\text{-Closure}(\text{Move}_{\text{NFA}}(B, b))$
 $= \epsilon\text{-Closure}(\{5, 9\})$
 $= \{1, 2, 4, 5, 6, 7, 9\} = D$



Example

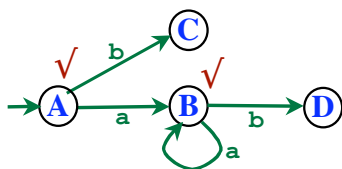


Example

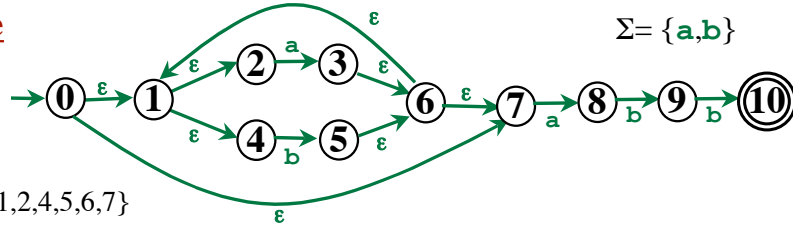


$\text{Move}_{\text{DFA}}(C,a) =$

$\text{Move}_{\text{DFA}}(C,b) =$



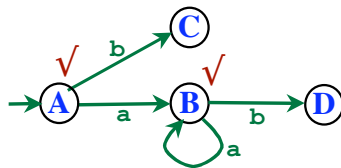
Example



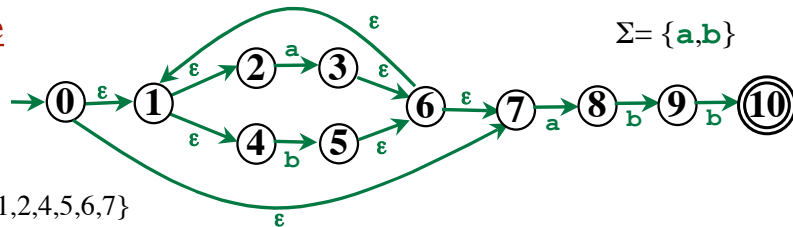
Process $C = \{1, 2, 4, 5, 6, 7\}$

$\text{Move}_{\text{DFA}}(C, a) = \{1, 2, 3, 4, 6, 7, 8\} = B$

$\text{Move}_{\text{DFA}}(C, b) =$



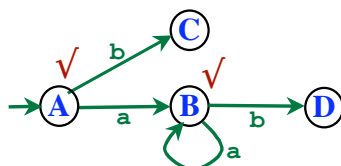
Example

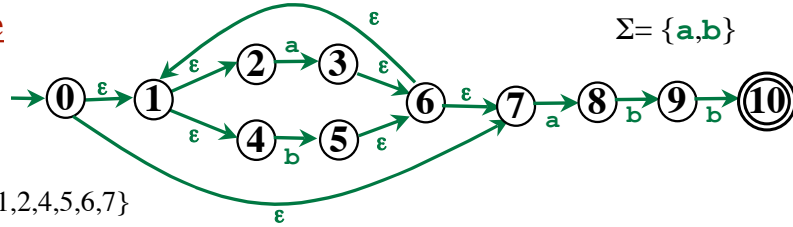


Process $C = \{1, 2, 4, 5, 6, 7\}$

$\text{Move}_{\text{DFA}}(C, a) = \{1, 2, 3, 4, 6, 7, 8\} = B$

$\text{Move}_{\text{DFA}}(C, b) = \{1, 2, 4, 5, 6, 7\} = C$

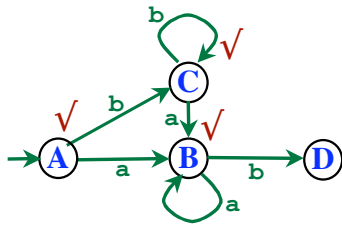
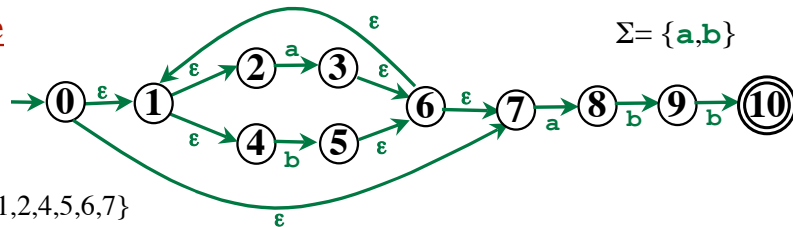


Example

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$\text{Move}_{\text{DFA}}(C, b) = \{1, 2, 4, 5, 6, 7\} = C$

**Example**

Process $C = \{1, 2, 4, 5, 6, 7\}$

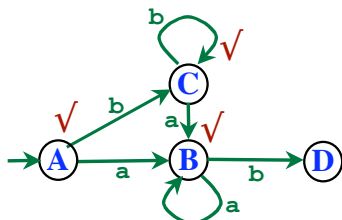
$\text{Move}_{\text{DFA}}(C, a) = \{1, 2, 3, 4, 6, 7, 8\} = B$

$\text{Move}_{\text{DFA}}(C, b) = \{1, 2, 4, 5, 6, 7\} = C$

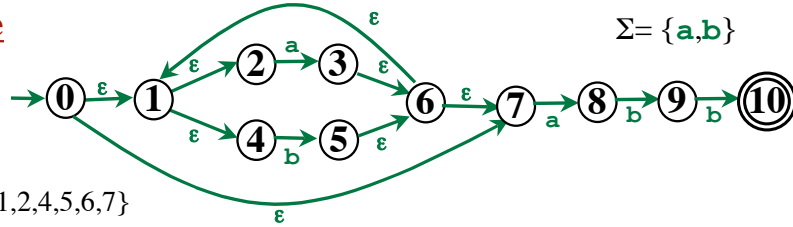
Process $D = \{1, 2, 4, 5, 6, 7, 9\}$

$\text{Move}_{\text{DFA}}(D, a) =$

$\text{Move}_{\text{DFA}}(D, b) =$



Example



Process $C = \{1,2,4,5,6,7\}$

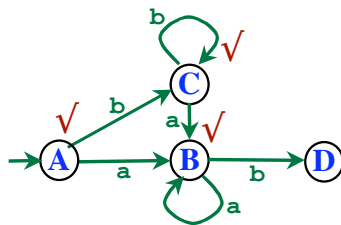
$\text{Move}_{\text{DFA}}(C, a) = \{1,2,3,4,6,7,8\} = B$

$\text{Move}_{\text{DFA}}(C, b) = \{1,2,4,5,6,7\} = C$

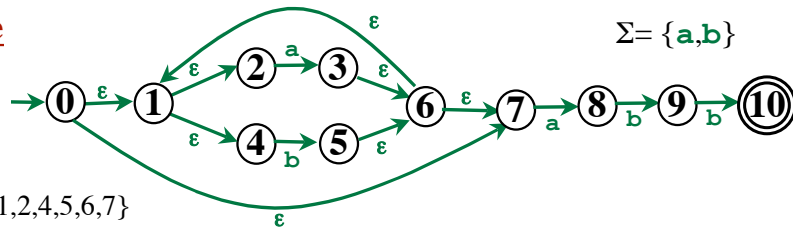
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$\text{Move}_{\text{DFA}}(D, b) =$



Example



Process $C = \{1,2,4,5,6,7\}$

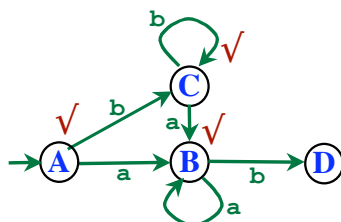
$\text{Move}_{\text{DFA}}(C, a) = \{1,2,3,4,6,7,8\} = B$

$\text{Move}_{\text{DFA}}(C, b) = \{1,2,4,5,6,7\} = C$

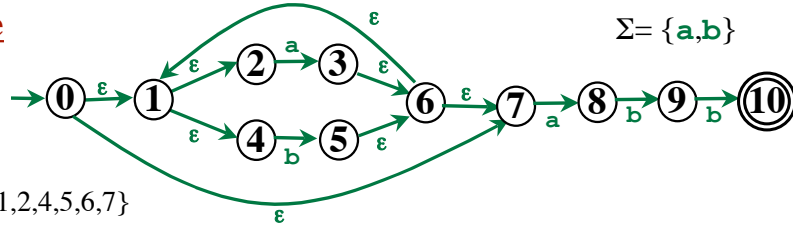
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$\text{Move}_{\text{DFA}}(D, b) = \{1,2,4,5,6,7,10\} = E$



Example



Process $C = \{1,2,4,5,6,7\}$

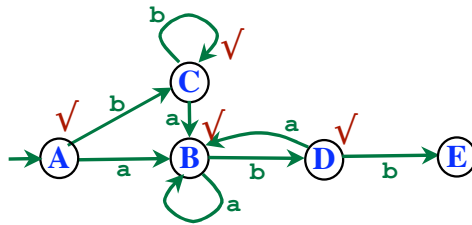
$\text{Move}_{\text{DFA}}(C, a) = \{1,2,3,4,6,7,8\} = B$

$\text{Move}_{\text{DFA}}(C, b) = \{1,2,4,5,6,7\} = C$

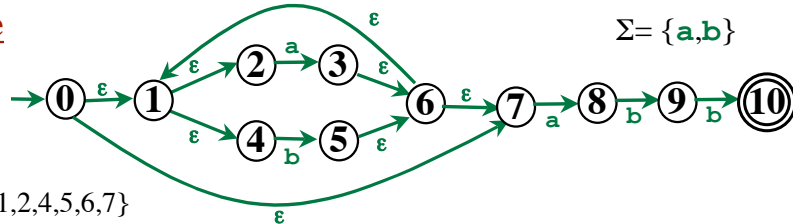
Process $D = \{1,2,4,5,6,7,9\}$

$\text{Move}_{\text{DFA}}(D, a) = \{1,2,3,4,6,7,8\} = B$

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Example



Process $C = \{1,2,4,5,6,7\}$

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Process $D = \{1,2,4,5,6,7,9\}$

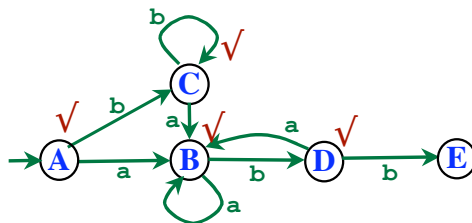
Process $E = \{1,2,4,5,6,7,10\}$

$\text{Move}_{\text{DFA}}(D, a) = \{1,2,3,4,6,7,8\} = B$

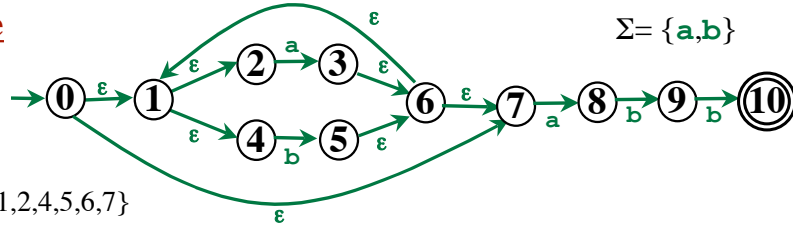
$\text{Move}_{\text{DFA}}(E, a) =$

$\text{Move}_{\text{DFA}}(D, b) = \{1,2,4,5,6,7,10\} = E$

$\text{Move}_{\text{DFA}}(E, b) =$



Example



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$\text{Move}_{\text{DFA}}(C, b) = \{1,2,4,5,6,7\} = C$

Process $D = \{1,2,4,5,6,7,9\}$

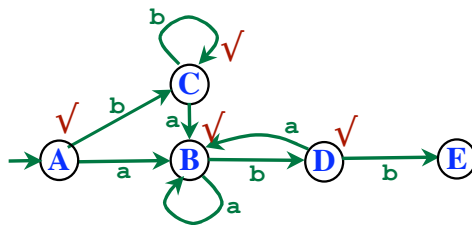
$\text{Move}_{\text{DFA}}(D, a) = \{1,2,3,4,6,7,8\} = B$

$\text{Move}_{\text{DFA}}(D, b) = \{1,2,4,5,6,7,10\} = E$

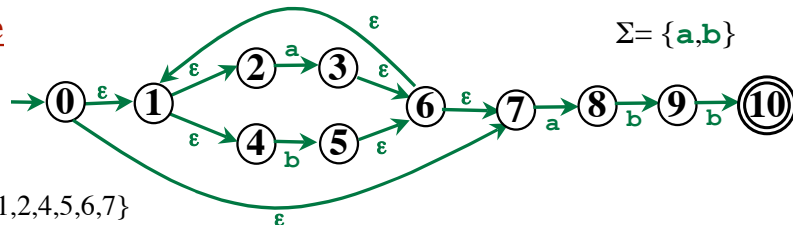
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$\text{Move}_{\text{DFA}}(E, a) = \{1,2,3,4,6,7,8\} = B$

$\text{Move}_{\text{DFA}}(E, b) =$



Example



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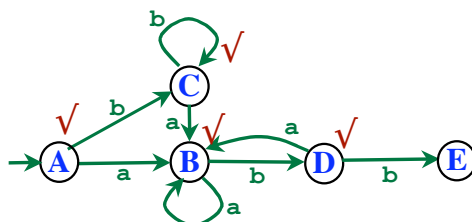
$\text{Move}_{\text{DFA}}(D, a) = \{1,2,3,4,6,7,8\} = B$

$\text{Move}_{\text{DFA}}(D, b) = \{1,2,4,5,6,7,10\} = E$

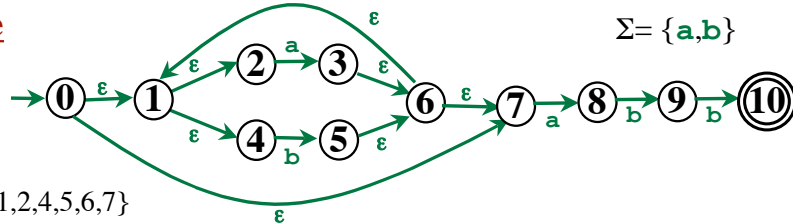
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$\text{Move}_{\text{DFA}}(E, a) = \{1,2,3,4,6,7,8\} = B$

$\text{Move}_{\text{DFA}}(E, b) = \{1,2,4,5,6,7\} = C$



Example



Process $C = \{1, 2, 4, 5, 6, 7\}$

$\text{Move}_{\text{DFA}}(C, a) = \{1, 2, 3, 4, 6, 7, 8\} = B$

$\text{Move}_{\text{DFA}}(C, b) = \{1, 2, 4, 5, 6, 7\} = C$

Process $D = \{1, 2, 4, 5, 6, 7, 9\}$

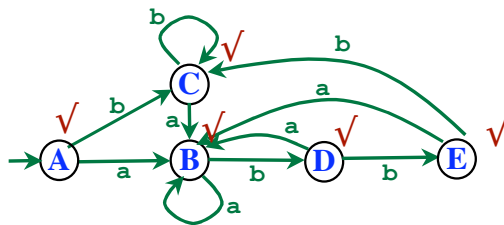
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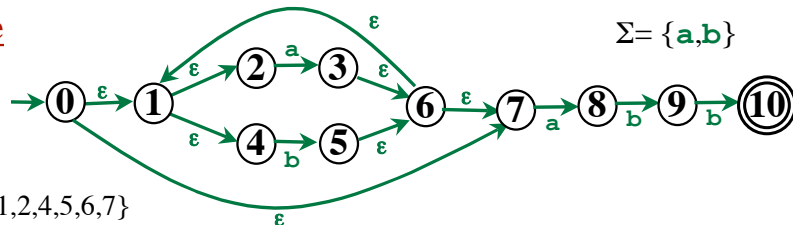
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Example



Process $C = \{1, 2, 4, 5, 6, 7\}$

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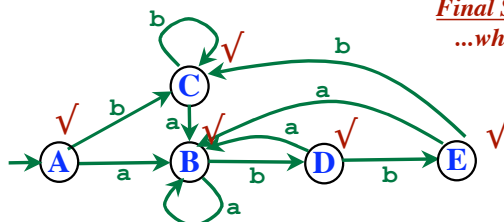
$\text{Move}_{\text{DFA}}(D, a) = \{1, 2, 3, 4, 6, 7, 8\} = B$

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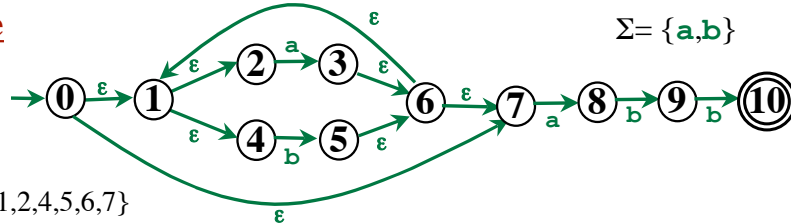
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$\text{Move}_{\text{DFA}}(E, a) = \{1, 2, 3, 4, 6, 7, 8\} = B$

$\text{Move}_{\text{DFA}}(E, b) = \{1, 2, 4, 5, 6, 7\} = C$



Final States in DFA?
...which state(s) contain 10?

Example

Process $C = \{1,2,4,5,6,7\}$

$\text{Move}_{\text{DFA}}(C, a) = \{1,2,3,4,6,7,8\} = B$

$\text{Move}_{\text{DFA}}(C, b) = \{1,2,4,5,6,7\} = C$

Process $D = \{1,2,4,5,6,7,9\}$

$\text{Move}_{\text{DFA}}(D, a) = \{1,2,3,4,6,7,8\} = B$

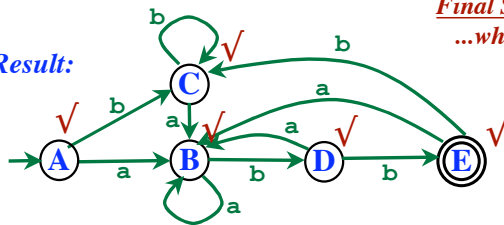
$\text{Move}_{\text{DFA}}(D, b) = \{1,2,4,5,6,7,10\} = E$

Process $E = \{1,2,4,5,6,7,10\}$

$\text{Move}_{\text{DFA}}(E, a) = \{1,2,3,4,6,7,8\} = B$

$\text{Move}_{\text{DFA}}(E, b) = \{1,2,4,5,6,7\} = C$

Final Result:



Final States in DFA?

...which state(s) contain 10?

Algorithm: Convert NFA to DFA

$S_{\text{DFA}} = \{\}$

Add ϵ -Closure(s_0) to S_{DFA} as the start state

Set the only state in S_{DFA} to "unmarked"

while S_{DFA} contains an unmarked state **do**

Let T be that unmarked state

Mark T

for each a in Σ **do**

$S = \epsilon$ -Closure($\text{Move}_{\text{NFA}}(T, a)$)

if S is not in S_{DFA} already **then**

Add S to S_{DFA} (as an "unmarked" state)

endif

Set $\text{Move}_{\text{DFA}}(T, a)$ to S

endFor

endWhile

for each S in S_{DFA} **do**

if any $s \in S$ is a final state in the NFA **then**

Mark S as a final state in the DFA

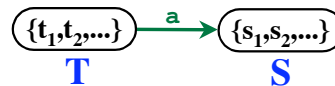
endif

endFor

A set of NFA states

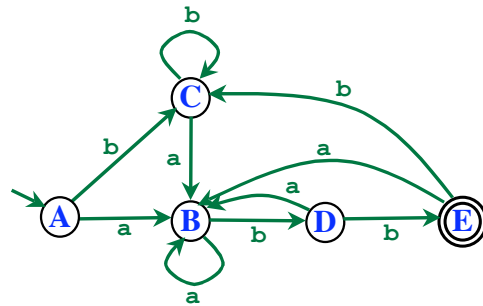
Everywhere you could possibly get to on an a

i.e., add an edge to the DFA...



Lexical Analysis - Part 3

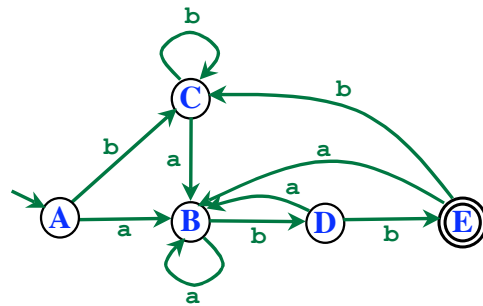
Resulting DFA for $(a|b)^*abb$



Is it minimal?

Lexical Analysis - Part 3

Resulting DFA for $(a|b)^*abb$

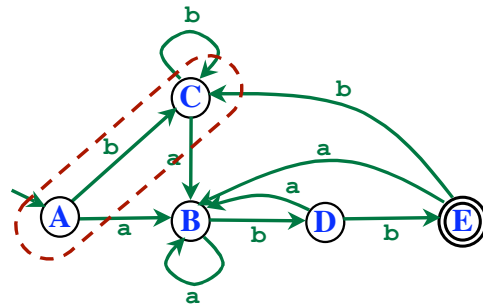


Is it minimal?

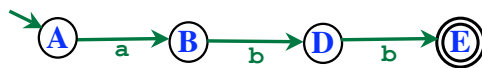


Lexical Analysis - Part 3

Resulting DFA for $(a|b)^*abb$

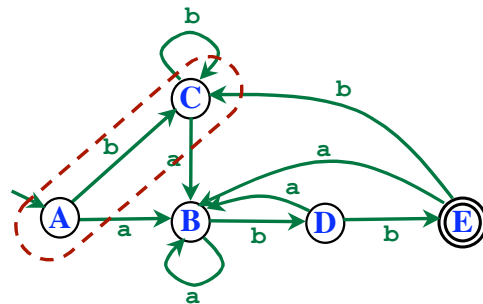


Is it minimal?

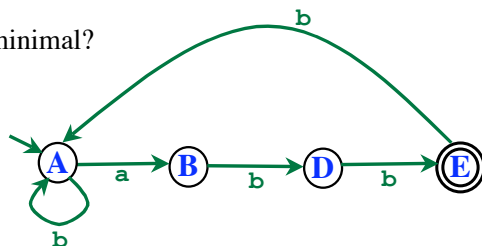


Lexical Analysis - Part 3

Resulting DFA for $(a|b)^*abb$

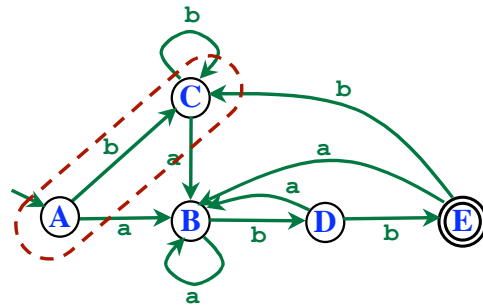


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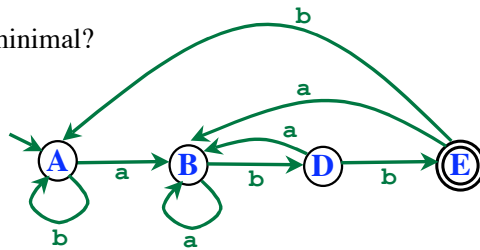


Lexical Analysis - Part 3

Resulting DFA for $(a|b)^*abb$

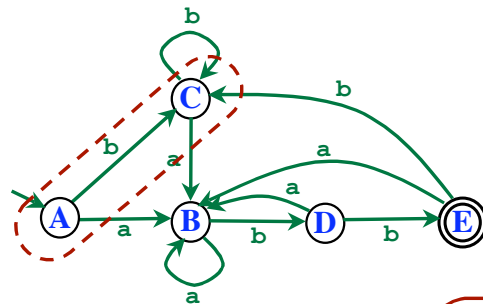


Is it minimal?

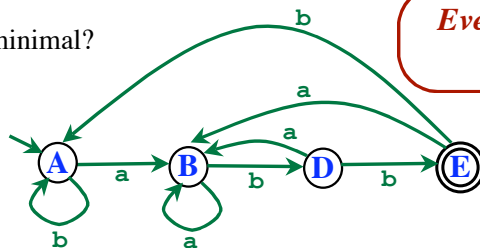


Lexical Analysis - Part 3

Resulting DFA for $(a|b)^*abb$

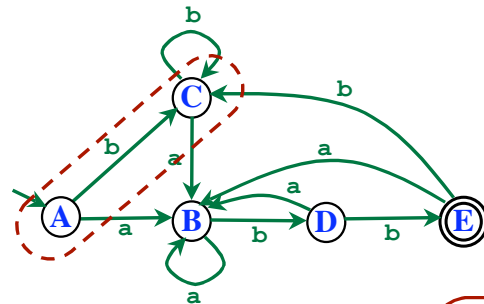


Is it minimal?

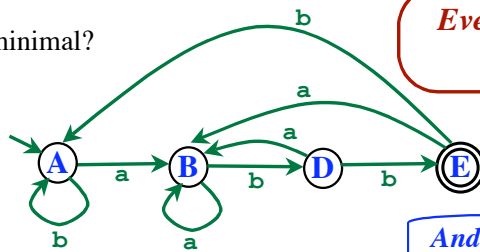


Every Regular Set is recognized by a minimal DFA!

Resulting DFA for $(a|b)^*abb$



Is it minimal?



*Every Regular Set is recognized
by a minimal DFA!*

And it is unique, up to renaming of states