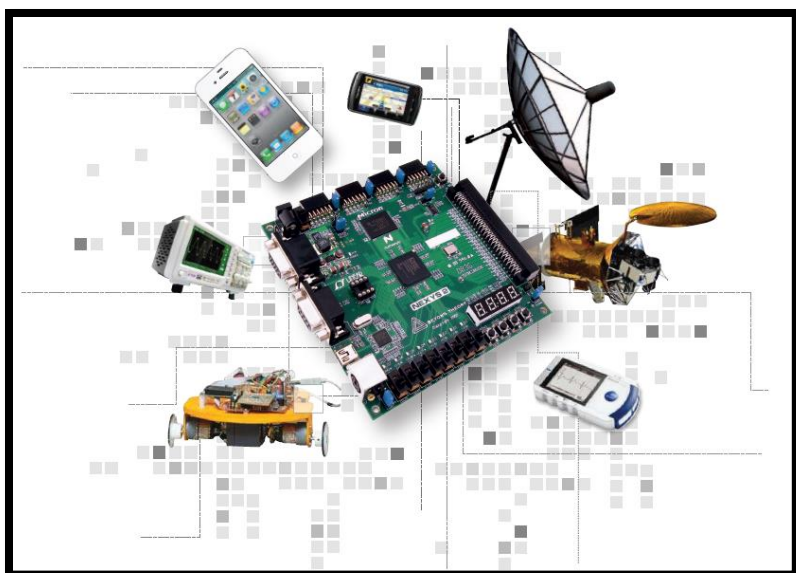


21-4-2024

Tarea 8

Sistemas embebidos



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Controladores

Controlador de 2^{do} orden

D	M	A
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$$\frac{Y(s)}{U(s)} = \frac{0.8}{s^2 + 1.5s}$$

$$PD \quad \frac{b}{s^2 + a_1s}$$

Proponer un polinomio denominador del modelo de referencia

$$s = -3, \quad s = -1.5;$$

$$(s + 3) = 0$$

$$(s + 1.5) = 0$$

$$s^2 + \underbrace{4.5}_{a_{m1}}s + \underbrace{4.5}_{a_{m2}}$$

Granancia K_p y K_d

$$K_d = \frac{a_{m1} - a}{b}$$

$$K_p = \frac{a_{m2}}{b}$$

$$K_d = \frac{4.5 - 1.5}{0.8}$$

$$K_p = \frac{4.5}{0.8}$$

$$K_d = 3.75$$

$$K_p = 5.625$$

Código en C++

```
// Online C compiler to run C program online
#include <stdio.h>
#include <math.h>

int main() {
    // Write C code here
    //Tiempo de simulación
    double tfin = 10;
    double h=0.01;
    int n = tfin/h;
    double y[n], u[n], t[n];
    //Parametros de planta
    double a= 1.5, b=.8;
    //Parametros de controlador
    double kp= 5.625, kd= 3.75;
    double ref = 1, e, e_1=0;

    printf("t \t\t y(t) \n\n");
    for (int i = 0; i<n; i++){
        //Vector de tiempo
        t[i] = i*h;

        //controlador
        e = ref-y[i];
        u[i]= kp*e+kd*(e-e_1)/h;
        e_1 = e;

        //planta
        y[i+2] = 2*y[i+1]-y[i]-a*h*(y[i+1]-y[i])+b*h*h*u[i];

        //Resultados
        printf("%0.16f \t\t %0.16f \n", t[i], y[i]);
    }
    return 0;
}
```

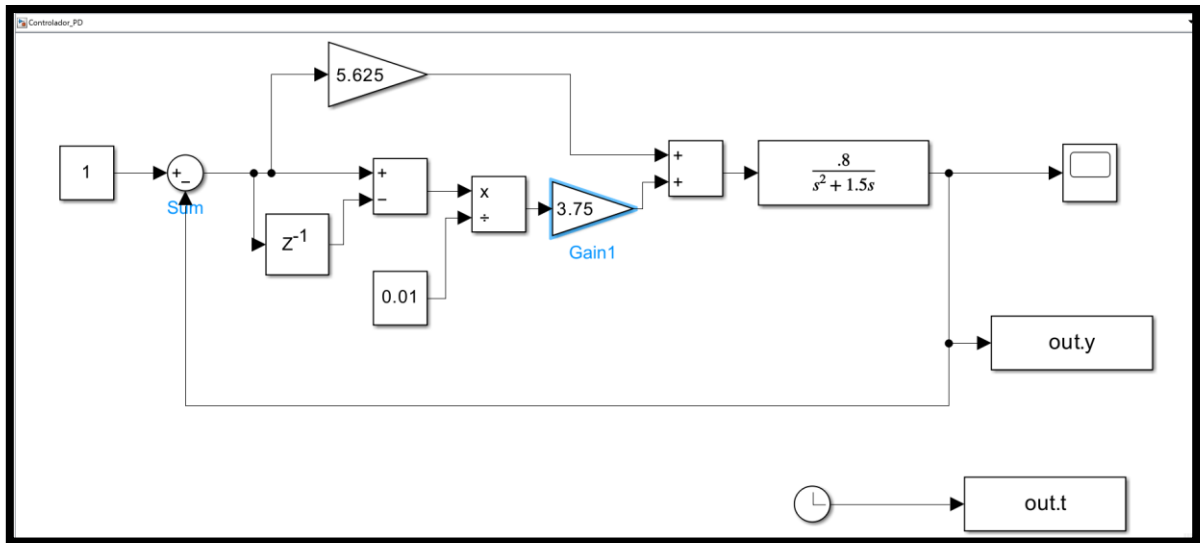
Salida en C++

```
Controlador PD.cpp x
"C:\Users\Nacho Andrade\Desktop\Ingeniería en electrónica
t
y(t)
0.0000000000000000 0.0000000000000000
0.0100000000000000 0.0000000000000000
0.0200000000000000 0.0304500000000000
0.0300000000000000 0.0608932500000000
0.0400000000000000 0.0904026487500000
0.0500000000000000 0.1189787070562500
0.0600000000000000 0.1466501613334687
0.0700000000000000 0.1734457216291664
0.0800000000000000 0.1993932123195119
0.0900000000000000 0.2245195732658982
0.1000000000000000 0.2488508871318345
0.1100000000000000 0.2724124066534205
0.1200000000000000 0.2952285810669953
```

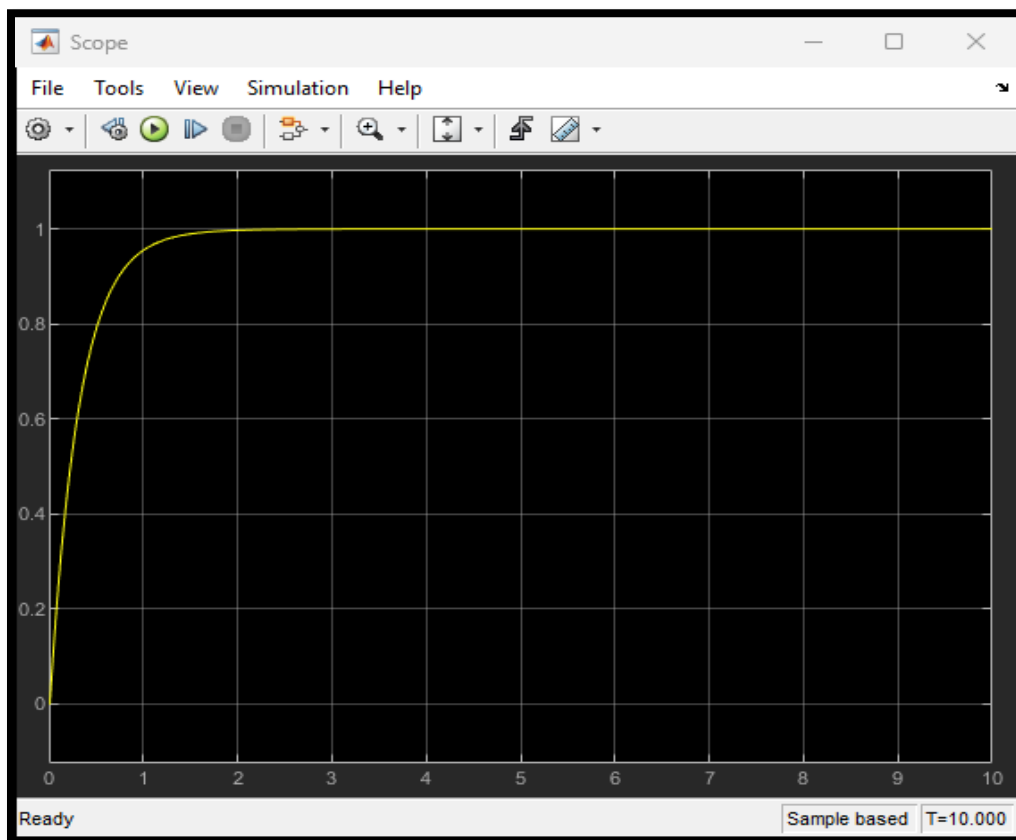
```
Controlador PD.cpp x
9.8700000000000010 0.9999999873078993
9.8800000000000008 0.9999999874929538
9.8900000000000006 0.9999999876753103
9.9000000000000004 0.9999999878550079
9.9100000000000001 0.9999999880320853
9.9199999999999999 0.9999999882065809
9.9299999999999997 0.9999999883785322
9.9399999999999995 0.9999999885479764
9.9500000000000011 0.9999999887149502
9.9600000000000009 0.9999999888794895
9.9700000000000006 0.9999999890416297
9.9800000000000004 0.9999999892014059
9.9900000000000002 0.9999999893588525

Process finished with exit code 0
```

Diagrama de simulink



Grafica saliente



Salida en Matlab

Command Window		
>> disp([out.t,out.y]);		
	0	0
0.0100000000000000		0
0.0200000000000000	0.0304500000000000	
0.0300000000000000	0.0608932500000000	
0.0400000000000000	0.0904026487500000	
0.0500000000000000	0.1189787070562500	
0.0600000000000000	0.1466501613334690	
0.0700000000000000	0.1734457216291660	
0.0800000000000000	0.1993932123195120	
0.0900000000000000	0.2245195732658980	
0.1000000000000000	0.2488508871318350	
0.1100000000000000	0.2724124066534210	
0.1200000000000000	0.2952285810669960	
0.1300000000000000	0.3173230816957250	
0.1400000000000000	0.3387188267211370	
0.1500000000000000	0.3594380051655420	
0.1600000000000000	0.3795021001104940	
0.1700000000000000	0.3989319111756150	
0.1800000000000000	0.4177475762813620	

Command Window		
9.8300000000000000	0.9999999865398900	
9.8400000000000000	0.9999999867361420	
9.8500000000000000	0.9999999869295330	
9.8599999999999999	0.9999999871201050	
9.8700000000000001	0.9999999873078970	
9.8800000000000001	0.9999999874929520	
9.8900000000000001	0.9999999876753090	
9.9000000000000000	0.9999999878550060	
9.9100000000000000	0.9999999880320840	
9.9200000000000000	0.9999999882065800	
9.9300000000000000	0.9999999883785310	
9.9400000000000000	0.9999999885479760	
9.9500000000000001	0.9999999887149500	
9.9600000000000001	0.9999999888794890	
9.9700000000000001	0.9999999890416300	
9.9800000000000000	0.9999999892014060	
9.9900000000000000	0.9999999893588530	
10.0000000000000000	0.9999999895140040	