Multiple Choice Questions & Answers (MCQs) focuses on "Chomsky Normal Form".

- 1. The format: A->aB refers to which of the following?
- a) Chomsky Normal Form
- b) Greibach Normal Form
- c) Backus Naur Form
- d) None of the mentioned

View Answer

Answer: b

Explanation: A context free grammar is in Greibach Normal Form if the right hand sides of all the production rules start with a terminal, optionally followed by some variables.

- 2. Which of the following does not have left recursions?
- a) Chomsky Normal Form
- b) Greibach Normal Form
- c) Backus Naur Form
- d) All of the mentioned

View Answer

Answer: b

Explanation: The normal form is of the format:

A->aB where the right hand side production tends to begin with a terminal symbo, thus having no left recursions.

- 3. Every grammar in Chomsky Normal Form is:
- a) regular
- b) context sensitive
- c) context free
- d) all of the mentioned

View Answer

Answer: c

Explanation: Conversely, every context frr grammar can be converted into Chomsky Normal form and to other forms.

- 4. Which of the production rule can be accepted by Chomsky grammar?
- a) A->BC
- b) A->a
- c) $S \rightarrow e$
- d) All of the mentioned

View Answer

Answer: d

Explanation: in CNF, the production rules are of the form:

A->BC

A-> a

S->e

5. Given grammar G: (1)S->AS(2)S->AAS(3)A->SA(4)A->aa Which of the following productions denies the format of Chomsky Normal Form? a) 2,4 b) 1,3 c) 1, 2, 3, 4d) 2, 3, 4View Answer Answer: a Explanation: The correct format: A->BC, A->a, X->e. 6. Which of the following grammars are in Chomsky Normal Form: a) S->AB|BC|CD, A->0, B->1, C->2, D->3 b) S->AB, S->BCA|0|1|2|3 c) S->ABa, A->aab, B->Ac d) All of the mentioned View Answer Answer: a Explanation: We can eliminate the options on the basis of the format we are aware of: A->BC, B->b and so on. 7. With reference to the process of conversion of a context free grammar to CNF, the number of variables to be introduced for the terminals are: S->ABa A->aab B->Ac a) 3 b) 4 c) 2 d) 5 View Answer Answer: a Explanation: According to the number of terminals present in the grammar, we need the corresponding that number of terminal variables while conversion. 8. In which of the following, does the CNF conversion find its use? a) CYK Algorithm

b) Bottom up parsing

d) All of the mentioned

View Answer

c) Preprocessing step in some algorithms

Answer: d

Explanation: Besides the theoretical significance of CNF, it conversion scheme is helpful in algorithms as a preprocessing step, CYK algorithms and the bottom up parsing of context free grammars.

9. Let G be a grammar. When the production in G satisfy certain restrictions, then G is said to be in

- a) restricted form
- b) parsed form
- c) normal form
- d) all of the mentioned

View Answer

Answer: c

Explanation: When the production in G satisfy certain restrictions, then G is said to be in 'normal form'.

10. Let G be a grammar: S->AB|e, A->a, B->b

Is the given grammar in CNF?

- a) Yes
- b) No

View Answer

Answer: a

Explanation: e is allowed in CNF only if the starting variable does not occur on the right hand side of the derivation.

1. Given the following expressions of a grammar

Which of the following is true?

- a. * has higher precedence than +
- b. has higher precedence than *
- c. + and have same precedence
- **d.** + has higher precedence than *

Answer: (b).- has higher precedence than *

4. The grammar 'G1' S ---> OSO| ISI | 0|1|∈ and the grammar 'G2' is S ---> as |asb| X, X ----> Xa | a. Which is the correct statement?

- a. G1 is ambiguous, G2 is unambiguous
- b. G1 is unambiguous, G2 is ambiguous
- c. Both G1 and G2 are ambiguous
- d. Both G1 and G2 are unambiguous

Answer: (b).G1 is unambiguous, G2 is ambiguous

Which of the following regular expression identities are true?

- a. $(r + s)^* = r^* s^*$
- **b.** $(r + s)^* = r^* + s^*$
- **c.** $(r + s)^* = (r^*s^*)^*$
- **d.** $r^* s^* = r^* + s^*$

Answer: $(c).(r + s)^* = (r^*s^*)^*$

Which of the following definitions generates the same Language as L, where L = {WWR | W \in {a, b}*}

- a. $S \in asb|bsa| \in$
- **b.** $S \in asa|bsb| \in$
- **c.** $S \in asb|bsa|asa|bsb| \in$
- **d.** S ∈ asb|bsa|asa|bsb

Answer: (b).S ∈ asa|bsb|∈

If the parse tree of a word w generated by a Chomsky normal form grammar has no path of length greater than i, then the word w is of length

- a. no greater than 2^(i+1)
- **b.** no greater than 2¹
- c. no greater than 2^(i-1)
- d. no greater than i

Answer: (c).no greater than 2^(i-1)

The context free grammar for the language

L= $\{anbm \mid n \le m+3, n \ge 0, m \ge 0\}$: is

- **a.** $S \rightarrow aaa; A \rightarrow aAb \mid B, B \rightarrow Bb \mid \lambda$
- $\textbf{b.} \hspace{0.5cm} \textbf{S} \rightarrow \textbf{aaaA} \hspace{0.1cm} | \hspace{0.1cm} \boldsymbol{\lambda} \hspace{0.1cm} ; \hspace{0.1cm} \boldsymbol{A} \rightarrow \textbf{aAb} \hspace{0.1cm} | \hspace{0.1cm} \boldsymbol{B}; \hspace{0.1cm} \boldsymbol{B} \rightarrow \hspace{0.1cm} \boldsymbol{Bb} \hspace{0.1cm} | \hspace{0.1cm} \boldsymbol{\lambda} \hspace{0.1cm} ;$
- **c.** $S \rightarrow aaaA \mid aaA \mid \lambda$; $A \rightarrow aAb \mid B$; $B \rightarrow Bb \mid \lambda$;
- **d.** $S \rightarrow aaaA \mid aaA \mid aA \mid \lambda$; $A \rightarrow aAb \mid B$; $B \rightarrow Bb \mid \lambda$;

Answer: (c).S \rightarrow aaaA | aaA | λ ; A \rightarrow aAb | B; B \rightarrow Bb | λ ;

Given the following statements.

S1: The grammars S \rightarrow asb | bsa |ss I a and s \rightarrow asb | bsa| a are not equivalent.

S2: The grammars S \rightarrow . ss| sss | asb | bsa| λ and S \rightarrow ss |asb |bsa| λ are equivalent.

Which of the following is true?

- a. SI is correct anet S2 is not correct
- b. Both S1 and S2 are correct
- c. S1 is not Correct and S2 is correct
- d. Both S1 and S2 are not correct

Answer: (b).Both S1 and S2 are correct

The Greibach normal form grammar for the language $L = \{an bn+1 \mid n \ge 0 \}$ is $S \rightarrow aSB, B \rightarrow bBI \lambda$ a. $S \rightarrow aSB, B \rightarrow bB I b$ b. $S \rightarrow aSB \mid b, B \rightarrow b$ C. $S \rightarrow aSBlb$

Answer: (c).S \rightarrow aSB I b, B \rightarrow b

d.

Given the following statements:

S1: Every context-sensitive language L is recursive.

S2: There exists a recursive language that is not context sensitive.

Which statement is correct?

S1 is not correct and S2 is not correct a.

S1 is not correct and S2 is correct b.

S1 is correct and S2 is not correct c.

S1 is correct and S2 is correct

Answer: (d).S1 is correct and S2 is correct

The following Context-Free Grammar (CFG):

 $S \rightarrow aB \mid bA$

 $A \rightarrow a \mid as \mid bAA$

 $B \rightarrow b \mid bs \mid aBB$

will generate

odd numbers of a's and odd numbers of b's a.

b. even numbers of a's and even numbers of b's

equal numbers of a's and b's c.

different numbers of a's and b's d.

Answer: (c).equal numbers of a's and b's

Match the following:

List- I List -II

a. Context free grammar Linear bounded automaton ii. Pushdown automaton b. Regular grammar

c. Context sensitive grammar iii. Turing machine

d. Unrestricted grammar iv. Deterministic finite automaton

code:

a b c d

ii iv iii i a.

ii iv i iii b.

c. iv i ii iii

i iv iii ii

Answer: (b).ii iv i iii

If all the production rules have single non - terminal symbol on the left side, the grammar defined is :

- a. context free grammar
- b. context sensitive grammar
- c. unrestricted grammar
- d. phrase grammar

Answer: (a).context free grammar

A context free grammar for $L = \{ w \mid n0 (w) > n1 (w) \}$ is given by :

- a. $S \rightarrow 0 \mid 0 \mid S \mid 1 \mid S \mid S$
- **b.** $S \rightarrow 0 S | 1 S | 0 S S | 1 S S | 0 | 1$
- c. $S \rightarrow 0 | 0 S | 1 S S | S 1 S | S S 1$
- **d.** $S \rightarrow 0 \ S \ | \ 1 \ S \ | \ 0 \ | \ 1$

Answer: (c).S \rightarrow 0 | 0 S | 1 S S | S 1 S | S 5 1

Given the following grammars:

G1: $S \rightarrow AB|aaB$

 $\mathsf{A} \to \mathsf{a}\mathsf{A} \mid \; \in$

 $B \rightarrow bB \mid \in$

G2: $S \rightarrow A \mid B$

 $A \rightarrow a \; A \; b \; | \; ab$

 $B \rightarrow a b B \mid \in$

Which of the following is correct?

- a. G1 is ambiguous and G2 is unambiguous grammars
- **b.** G1 is unambiguous and G2 is ambiguous grammars
- c. both G1 and G2 are ambiguous grammars
- d. both G1 and G2 are unambiguous grammars

Answer: (c).both G1 and G2 are ambiguous grammars

Given the following two grammars:

 $\text{G1}: \quad S \to AB \mid aaB$

 $\mathsf{A} \to \mathsf{a} \mid \mathsf{A} \mathsf{a}$

 $\mathsf{B}\to \mathsf{b}$

G2: S→ aSbS|bSaS|λ

Which statement is correct?

- a. G1 is unambiguous, and G2 is unambiguous
- **b.** G1 is unambiguous and G2 is ambiguous
- **c.** G1 is ambiguous and G2 is unambiguous
- d. G1 is ambiguous and G2 is ambiguous

Answer: (d).G1 is ambiguous and G2 is ambiguous



Answer: (c).iii ίV

Which of the following is FALSE?

- The grammar $S \rightarrow aS|aSbS|\hat{l}$, where S is the only non-terminal symbol, and \hat{l} is the null string, is ambiguous. a.
- An unambiguous grammar has same left most and right most derivation. b.
- c. An ambiguous grammar can never be LR(k) for any k.
- d. Recursive descent parser is a top-down parser.

Answer: (b). An unambiguous grammar has same left most and right most derivation.

```
The regular grammar for the language L = \{a^nb^m \mid n + m \text{ is even}\}\ is given by
         (A) S \rightarrow S1 \mid S2
         S1 \rightarrow a S1 \mid A1
         A1 \rightarrow b A1 \mid \lambda
         S2 \rightarrow aaS2 \mid A2
         A2 \rightarrow b \ A2 \mid \lambda
         (B) S \rightarrow S1 \mid S2
         S1 \rightarrow a S1 \mid a A1
         S2 \rightarrow aa \ S2 \mid A2
         A1 \rightarrow bA1 \mid \lambda
         A2 \rightarrow bA2 \mid \lambda
         (C) S \rightarrow S1 \mid S2
         S1 \rightarrow aaa S1 \mid aA1
         S2 \rightarrow aaS2 \mid A2
         A1 \rightarrow bA1 \mid \lambda
         A2 \rightarrow bA2 \mid \lambda
         (D) S \rightarrow S1 \mid S2
         S1 \rightarrow aa S1 \mid A1
         S2 \rightarrow aaS2 \mid aA2
         A1 \rightarrow bbA1 \mid \lambda
         A2 \rightarrow bbA2 \mid b
         Α
a.
b.
         В
         С
c.
d.
         D
```

Answer: (d).D

Let L = {0^n1^n | n≥0} be a context free language. Which of the following is correct?

- a. L' is context free and L^k is not context free for any k≥1
- b. L' is not context free and L^k is context free for any k≥1
- c. Both L' and L^k is for any k≥1 are context free
- d. Both L' and L^k is for any k≥1 are not context free

Answer: (c).Both L' and L^k is for any k≥1 are context free

The language of all non-null strings of a's can be defined by a context free grammar as follow:

S→a S|S a| a

The word a^3 can be generated by different trees.

- a. Two
- **b.** Three
- c. Four
- d. Five

Answer: (c).Four

The context free grammar given by

 $S \rightarrow XYX$

 $X\rightarrow aX|bX|\lambda$

Y→bbb

generates the language which is defined by regular expression:

- **a.** (a+b)*bbb
- **b.** abbb(a+b)*
- **c.** (a+b)*(bbb)(a+b)*
- **d.** (a+b)(bbb)(a+b)*

Answer: (c).(a+b)*(bbb)(a+b)*

Given the following two languages:

 $L1=\{a^n b a^n|n>0\}$

L2={a^n b a^n b^n+1|n>0}

Which of the following is correct?

- a. L1 is context free language and L2 is not context free language
- **b.** L1 is not context free language and L2 is context free language
- c. Both L1 and L2 are context free languages
- d. Both L1 and L2 are not context free languages

Answer: (a).L1 is context free language and L2 is not context free language

The context free grammar for language $L = \{a^nb^mc^k \mid k = |n - m|, n \ge 0, m \ge 0, k \ge 0\}$ is

- a. $S \rightarrow S1S3$, $S1 \rightarrow aS1c$ $|S2|\lambda$, $S2 \rightarrow aS2b|\lambda$, $S3 \rightarrow aS3b|S4|\lambda$, $S4 \rightarrow bS4c|\lambda$
- **b.** $S \rightarrow S1S3$, $S1 \rightarrow aS1S2c \mid \lambda$, $S2 \rightarrow aS2b \mid \lambda$, $S3 \rightarrow aS3b \mid S4 \mid \lambda$, $S4 \rightarrow bS4c \mid \lambda$
- $\textbf{c.} \hspace{0.5cm} \textbf{S} \rightarrow \textbf{S1}|\textbf{S2}, \, \textbf{S1} \rightarrow \textbf{aS1S2c}|\lambda, \, \textbf{S2} \rightarrow \textbf{aS2b}|\lambda, \, \textbf{S3} \rightarrow \textbf{aS3b}|\textbf{S4}| \, \lambda, \, \textbf{S4} \rightarrow \textbf{bS4c}|\lambda$
- **d.** $S \rightarrow S1|S3$, $S1 \rightarrow aS1c$ $|S2|\lambda$, $S2 \rightarrow aS2b|\lambda$, $S3 \rightarrow aS3b|S4|\lambda$, $S4 \rightarrow bS4c|\lambda$

Answer: (d).S \rightarrow S1|S3, S1 \rightarrow aS1c |S2| λ , S2 \rightarrow aS2b| λ , S3 \rightarrow aS3b|S4| λ , S4 \rightarrow bS4c| λ

A regular grammar for the language L = {a^nb^m | n is even and m is even}is given by

- **a.** S \rightarrow aSb | S1; S1 \rightarrow bS1a | λ
- $\textbf{b.} \hspace{0.5cm} S{\rightarrow} aaS \hspace{0.1cm} | \hspace{0.1cm} S1; \hspace{0.1cm} S1 \rightarrow bSb \hspace{0.1cm} | \hspace{0.1cm} \lambda$
- c. $S\rightarrow aSb \mid S1; S1 \rightarrow S1ab \mid \lambda$
- **d.** $S\rightarrow aaS \mid S1; S1 \rightarrow bbS1 \mid \lambda$

Answer: (d).S \rightarrow aaS | S1; S1 \rightarrow bbS1 | λ

Given the following productions of a grammar:

 $S \rightarrow aA|aBB$;

 $A\rightarrow aaA \mid \lambda$;

B→ bB| bbC;

 $C \rightarrow B$

Which of the following is true?

- a. The language corresponding to the given grammar is a set of even number of a's.
- **b.** The language corresponding to the given grammar is a set of odd number of a's.
- c. The language corresponding to the given grammar is a set of even number of a's followed by odd number of b's.
- d. The language corresponding to the given grammar is a set of odd number of a's followed by even number of b's.

Answer: (b). The language corresponding to the given grammar is a set of odd number of a's.

Which one of the following is not a Greibach Normal form grammar?

(i) S ->a|bA|aA|bB

A->a

B->b

(ii) S->a|aA|AB

À->a

B->b

(iii) S->a|A|aA

A->a

- **a.** (i) and (ii)
- b. (i) and (iii)
- c. (ii) and (iii)
- d. (i), (ii) and (iii)

Answer: (c).(ii) and (iii)

The equivalent grammar corresponding to the grammar $G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow BB,B \rightarrow aBb \mid \epsilon G:S \rightarrow aA,A \rightarrow aBb \mid \epsilon G:S$

- $S{\rightarrow}aA,A{\rightarrow}BB,B{\rightarrow}aBb$ a.
- $S\rightarrow a|aA,A\rightarrow BB,B\rightarrow aBb|ab$ b.
- $S \rightarrow a|aA,A \rightarrow BB|B,B \rightarrow aBb$ c.
- d. $S\rightarrow a|aA,A\rightarrow BB|B,B\rightarrow aBb|ab$

Answer: (d).S→a|aA,A→BB|B,B→aBb|ab

The following CFG

S->aB|bA, A->a|as|bAA, B->b|bs|aBB

generates strings of terminals that have

- odd number of a's and odd number of b's a.
- even number of a's and even number of b's b.
- equal number of a's and b's c.
- d. not equal number of a's and b's

Answer: (c).equal number of a's and b's

Match the following:

- (i) Regular Grammar
- (ii) Context free Grammar
- (iii) Unrestricted Grammar
- (iv) Context Sensitive Grammar
- (a) Pushdown automaton
- (b) Linear bounded automaton
- (c) Deterministic finite automaton
- (d) Turing machine
- (i) (ii) (iii) (iv)
- (c) (a) (b) (d) a.
- b. (c) (a) (d) (b)
- (c) (b) (a) (d) c.
- d. (c) (b) (d) (a)

Answer: (b).

(c) (a) (d) (b)

Context-free Grammar (CFG) can be recognized by

- Finite state automata a.
- 2-way linear bounded automata b.
- push down automata c.
- both b and c

Answer: (d).both b and c



Answer: (c).type 2

Which of the following strings is in the language defined by grammar S→0A, A→1A/0A/1

a. 01100

b. 00101

c. 10011

d. 11111

Answer: (b).00101

Which sentence can be generated by S→d/bA, A→d/ccA:

a. bccddd

b. aabccd

c. ababccd

d. abbbd

Answer: (a).bccddd

Identify the language which is not context - free.

a. $L = \{\omega \omega R | \omega \epsilon \{0,1\}^*\}$ b. $L = \{a^n b^n | n \ge 0\}$ c. $L = \{\omega \omega | \omega \epsilon \{0,1\}^*\}$ d. $L = \{a^n b^m c^m d^n | n, m \ge 0\}$

Answer: (b).L = {a^nb^n|n≥0}

The context-free languages are closed for:

(i) Intersection
(iii) Complementation
(iv) Kleene Star

a. (i) and (iv)

b. (i) and (iii)

c. (ii) and (iv)

d. (ii) and (iii)

Answer: (c).(ii) and (iv)

Grammars that can be translated to DFAs:

a. Left linear grammar

b. Right linear grammar

c. Generic grammar

Answer: (b).Right linear grammar

The grammar S \rightarrow (S) | SS | ε is not suitable for predictive parsing because the grammar is

a. Right recursive

All of these

d.

- b. Left recursive
- c. Ambiguous
- **d.** An operator grammar

Answer: (c).Ambiguous

To obtain a string of n Terminals from a given Chomsky normal form grammar, the number of productions to be used is:

- **a.** 2n-1
- **b.** 2n
- **c.** n+1
- **d.** n^2

Answer: (a).2n-1

Consider the following two Grammars:

G1: $S \rightarrow SbS \mid a$

G2 : S \rightarrow aB | $\dot{a}b$, A \rightarrow GAB | a, B \rightarrow ABb | b

Which of the following option is correct?

- a. Only G1 is ambiguous
- **b.** Only G2 is ambiguous
- c. Both G1 and G2 are ambiguous
- d. Both G1 and G2 are not ambiguous

Answer: (c).Both G1 and G2 are ambiguous

Context sensitive language can be recognized by a:

- a. Finite state machine
- b. Deterministic finite automata
- c. Non-deterministic finite automata
- d. Linear bounded automata

Answer: (d).Linear bounded automata

Which of the following statements is/ are TRUE?

- (a) The grammar $S \rightarrow SS$ a is ambiguous. (Where S is the start symbol)
- (b) The grammar S \rightarrow 0S1 | 01S | ϵ is ambiguous. (The special symbol ϵ represents the empty string) (Where S is the start symbol)
- (c) The grammar (Where S is the start symbol)

 $S \rightarrow T/U$

 $T \to x \; S \; y \; | \; xy \; | \; \varepsilon$

 $\mathsf{U}\to y\mathsf{T}$

generates a language consisting of the string yxxyy.

- **a.** Only (a) and (b) are TRUE.
- **b.** Only (a) and (c) are TRUE.
- c. Only (b) and (c) are TRUE.
- d. All of (a), (b) and (c) are TRUE.

Answer: (d).All of (a), (b) and (c) are TRUE.

Finite state machine can recognize language generated by

- a. Only context free grammar
- **b.** Only context sensitive grammar
- c. Only regular grammar
- **d.** any unambiguous grammar

Answer: (c).Only regular grammar

Context free grammar is not closed under:

- a. Concatenation
- b. Complementation
- c. Kleene Star
- d. Union

Answer: (b).Complementation