# Mingjia Yao, 905302291 STATS 232C, Homework 3

#### Some explanations about my results:

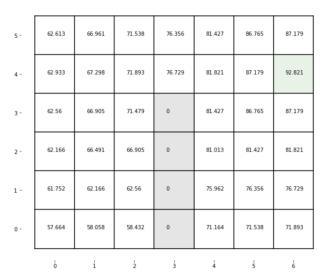
- -For the posterior probabilities of the goals, my results are not between 0 and 1, but the results should be proportional to the actual posterior probabilities (refer to the homework description).
- -For the calculation of pi (at | st, g), the equation is shown as:

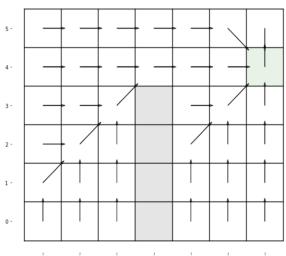
$$\pi(a_t|s_t,g) \propto e^{\beta Q_g^{\pi}(s_t,a_t)}$$

in the homework description.

However, if we use this equation to calculate pi, the result would be extremely large. Therefore, I used log instead of exp to calculate pi.

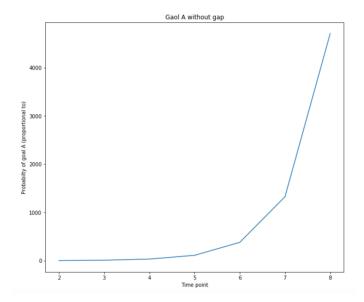
#### Goal A, without gap





Visualization of value of goal A without gap.

Visualization of policy of goal A without gap

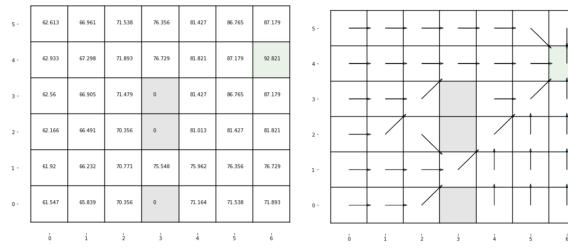


The graph plotting the posterior probability of goal A without gap at each time point for the given trajectory sequences.

The probabilities are proportional to:

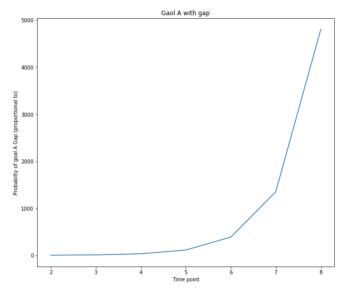
[3.1379882404511474, 10.083985411991591, 33.08324092956145, 110.93174740658924, 379. 8297746257766, 1324.9363289419246, 4705.747517484912]

# Goal A, with gap



Visualization of value of goal A with gap.

Visualization of policy of goal A with gap

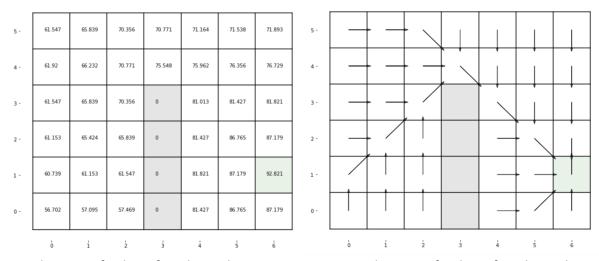


The graph plotting the posterior probability of goal A with gap at each time point for the given trajectory sequences.

The probabilities are proportional to:

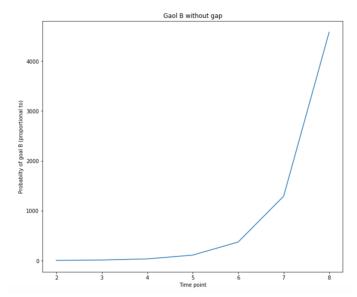
[3.202847205891906, 10.292411021839404, 33.76703786432827, 113.22459451024147, 387.6804756342923, 1352.321443187641, 4803.010667872254]

# Goal B, without gap



Visualization of value of goal B without gap.

Visualization of policy of goal B without gap

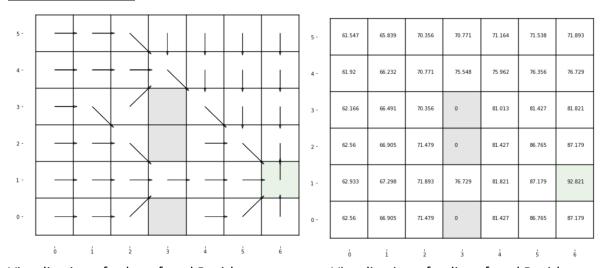


The graph plotting the posterior probability of goal B without gap at each time point for the given trajectory sequences.

The probabilities are proportional to:

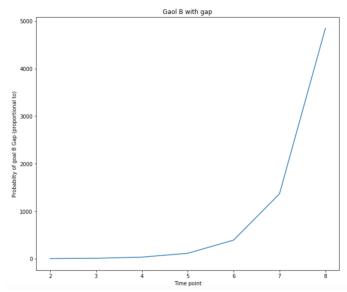
[3.121152038274025, 9.977545074384132, 32.63569334856427, 108.91450966094524, 371.23 255919461366, 1291.2642534958634, 4580.00537153257]

### Goal B, with gap



Visualization of value of goal B with gap.

Visualization of policy of goal B with gap

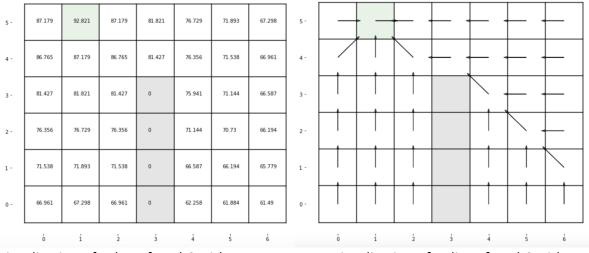


The graph plotting the posterior probability of goal B with gap at each time point for the given trajectory sequences.

The probabilities are proportional to:

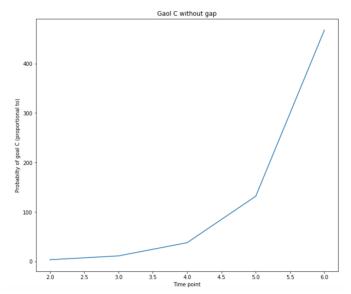
 $\begin{array}{l} [3.2191833585636265, 10.561401585077677, 34.54543812744511, 115.28786758588984, 392. \\ 95600308938873, 1366.8252737102025, 4848.013960926132] \end{array}$ 

## Goal C, without gap



Visualization of value of goal C without gap.

Visualization of policy of goal C without gap

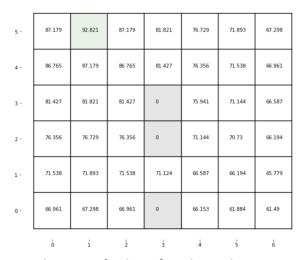


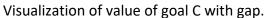
The graph plotting the posterior probability of goal C without gap at each time point for the given trajectory sequences.

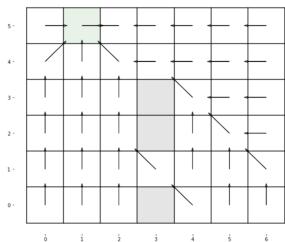
The probabilities are proportional to:

[3.287819241259324, 11.024419686967674, 37.74756052223363, 131.67244248182197, 467.6 581480148082]

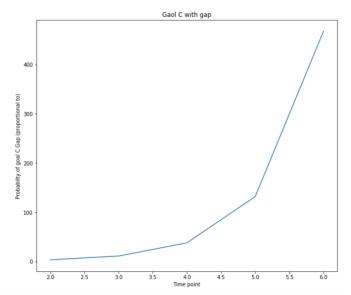
## **Goal C, without gap**







Visualization of policy of goal C with gap



The graph plotting the posterior probability of goal C with gap at each time point for the given trajectory sequences.

The probabilities are proportional to:

[3.287819253742368, 11.024419805821687, 37.7475610492872, 131.6724450925809, 467.658 158549859]