

Flow fluctuations in large systems (Xe and Pb) with ATLAS detector

Mingliang Zhou

for the ATLAS Collaboration

Quark Matter 2018, May 13-19, Venice

ATLAS-CONF-2017-066

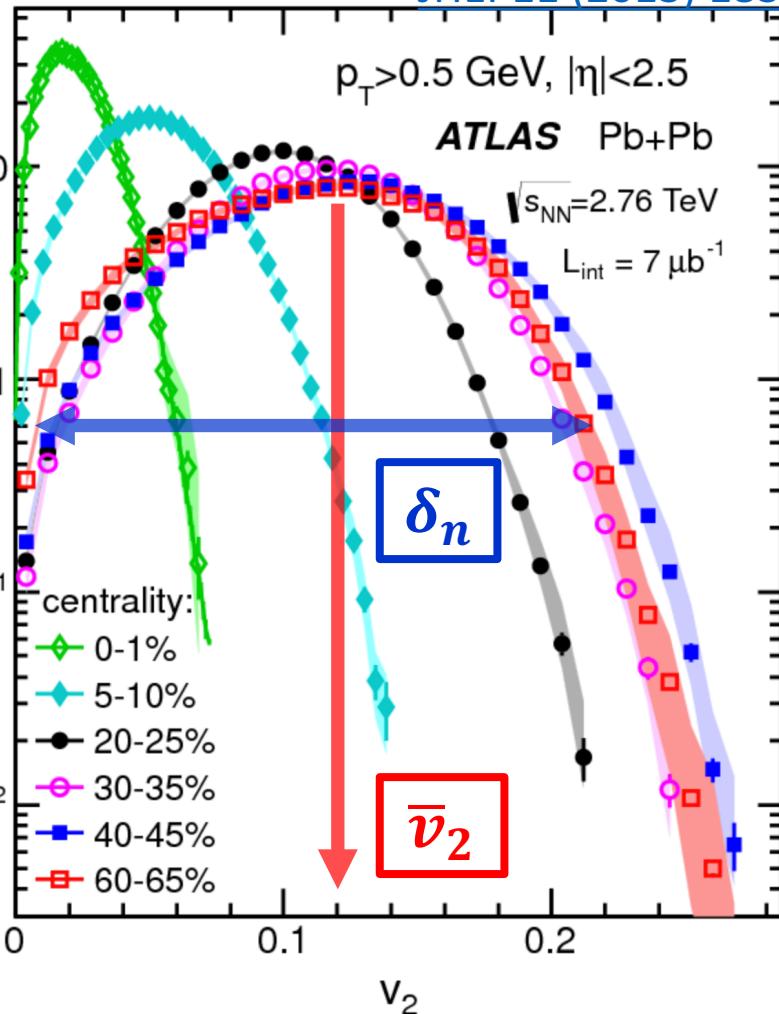
ATLAS-CONF-2018-011



Stony Brook
University

Flow fluctuation and cumulant

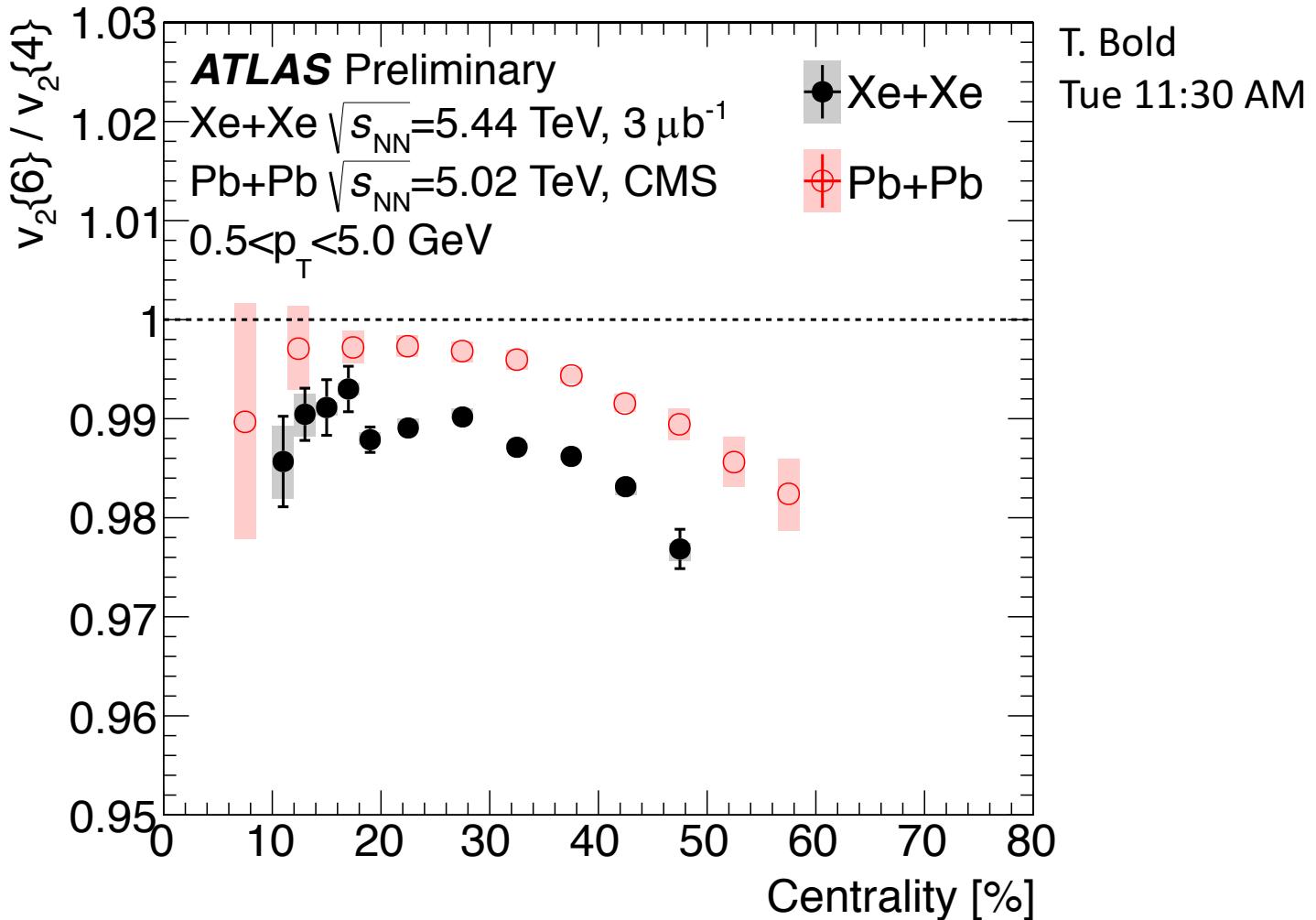
JHEP11(2013)183



- Flow fluctuates from event to event
 - Initial geometry
 - Hydro evolution
- Cumulant $c_n\{2k\}$ measures $p(v_n)$
 - Suppresses non-flow
 - $v_n\{4\} \equiv \sqrt[4]{-c_n\{4\}}$
- Many sources $\Rightarrow v_n \sim \text{Gauss}(\bar{v}_n, \delta_n)$
 - $v_n\{2\} = \sqrt{\bar{v}_n^2 + \delta_n^2}$
 - $v_n\{4\} = v_n\{6\} = \dots = \bar{v}_n$

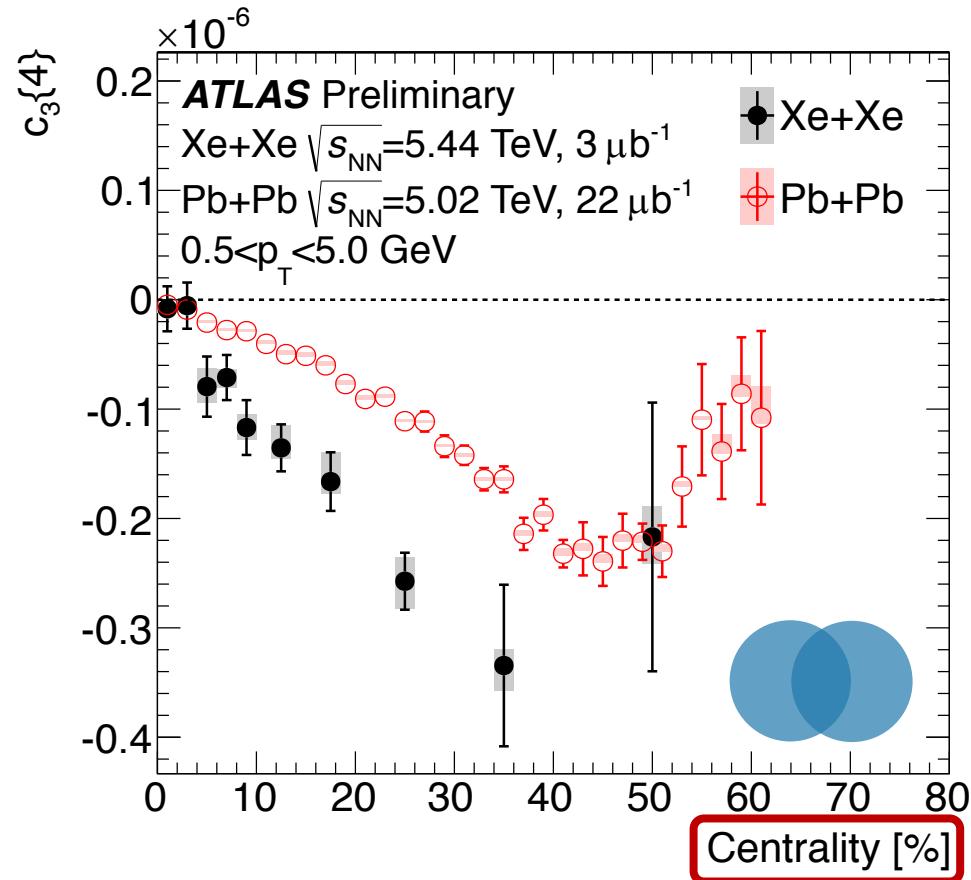
- System comparisons; $v_1\{4\}$ and $v_4\{4\}$ in Pb+Pb
- $v_2\{4\}$ in ultra-central: role of centrality fluctuation

Xe+Xe and Pb+Pb: v_2



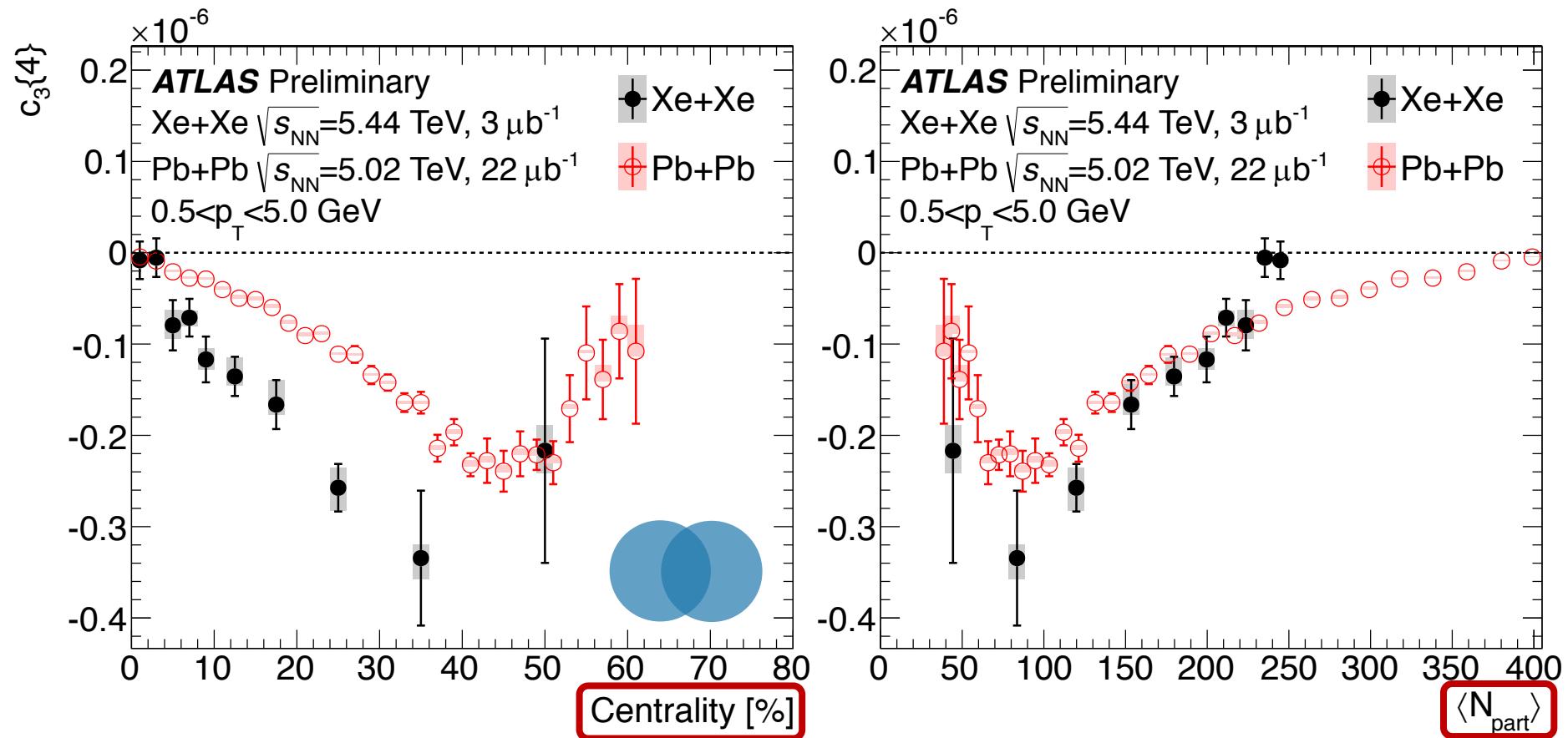
- Mass number of Xe is halfway of Pb and p ;
- If $v_2 \sim \text{Gauss}(\bar{v}_n, \delta_n)$: $v_2\{6\}/v_2\{4\} = 1$
- v_2 in Xe+Xe deviates further from Gauss: deformed nucleus?

Xe+Xe and Pb+Pb: v_3



- $c_3\{4\}$ doesn't scale with centrality between Xe and Pb
 - No avg. geometry for v_3 ;

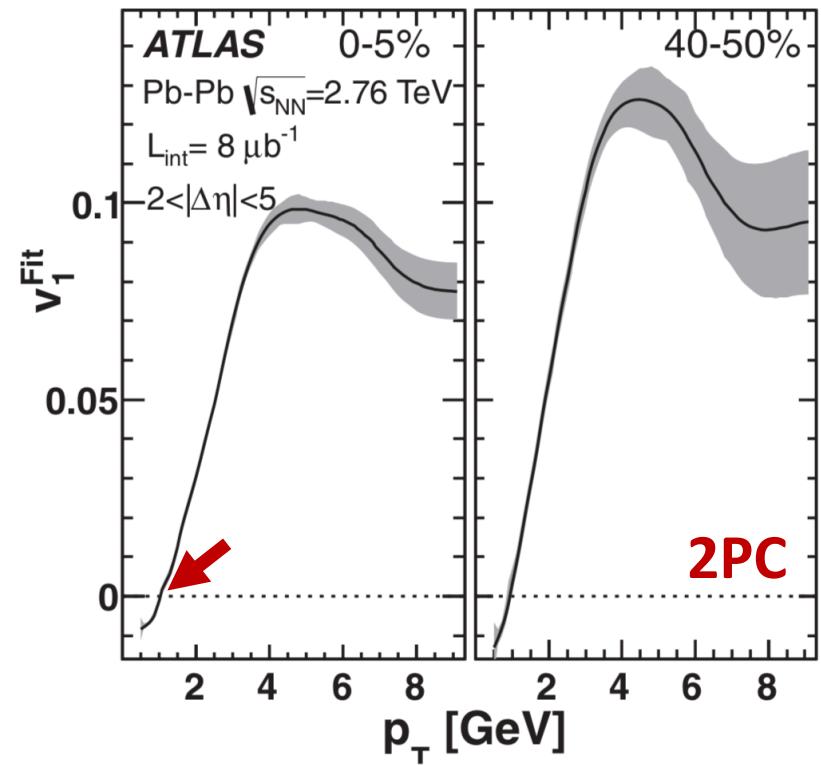
Xe+Xe and Pb+Pb: v_3



- $c_3\{4\}$ doesn't scale with centrality between Xe and Pb
 - No avg. geometry for v_3 ;
- $c_3\{4\}$ scales with $\langle N_{\text{part}} \rangle$
 - Fluctuation driven by # of sources N_{part}
 - Similar observation for $c_4\{4\}$ (see backup)

4-particle v_1

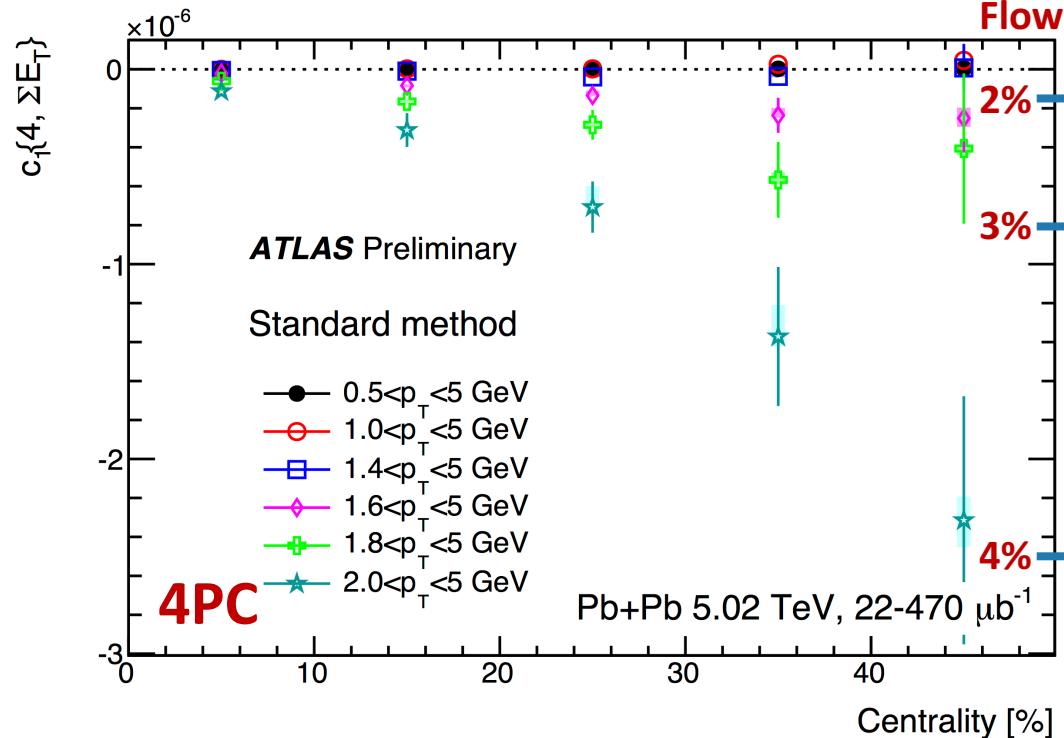
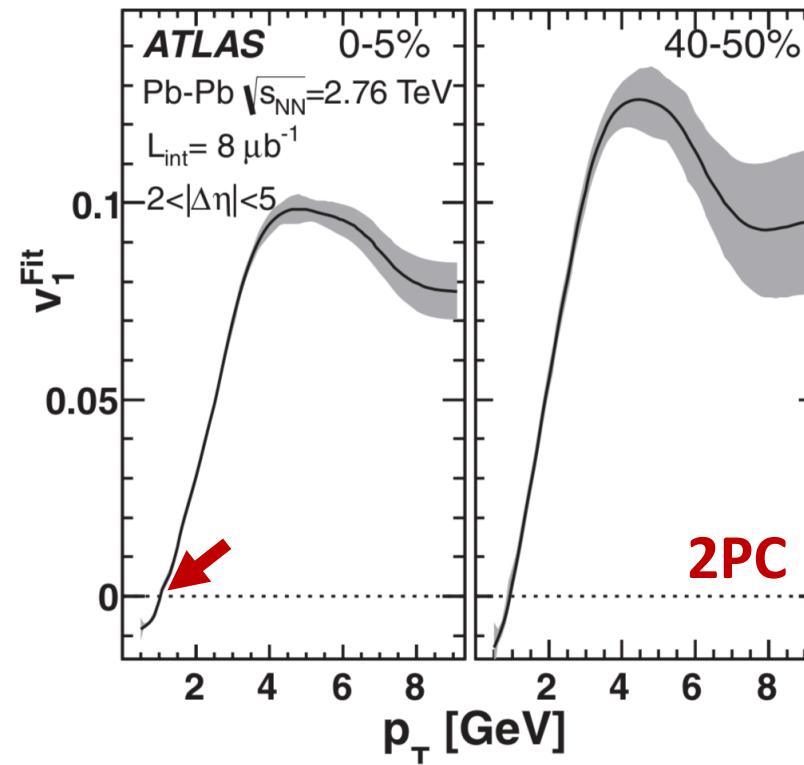
[Phys. Rev. C 86, 014907 \(2012\)](#)



- To measure 4-particle v_1
 - High p_T cut needed: $v_1\{2\text{PC}\}$ changes sign at $p_T = 1.2$ GeV;
 - Free of 2PC momentum conservation: $c_1\{4\} = \langle 4 \rangle - 2\langle 2 \rangle^2$;

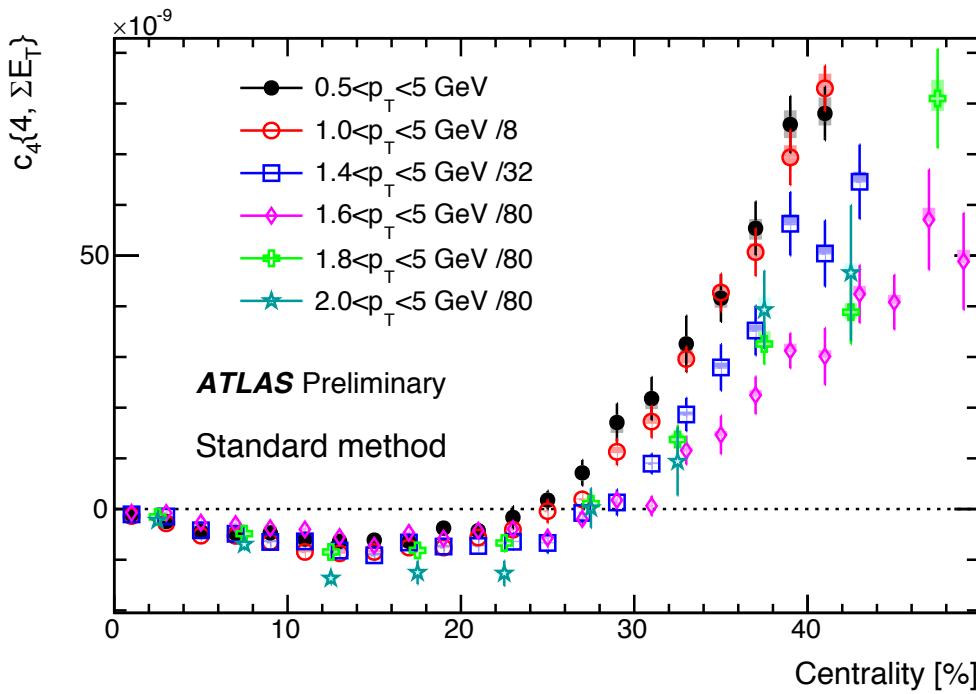
4-particle v_1

[Phys. Rev. C 86, 014907 \(2012\)](#)



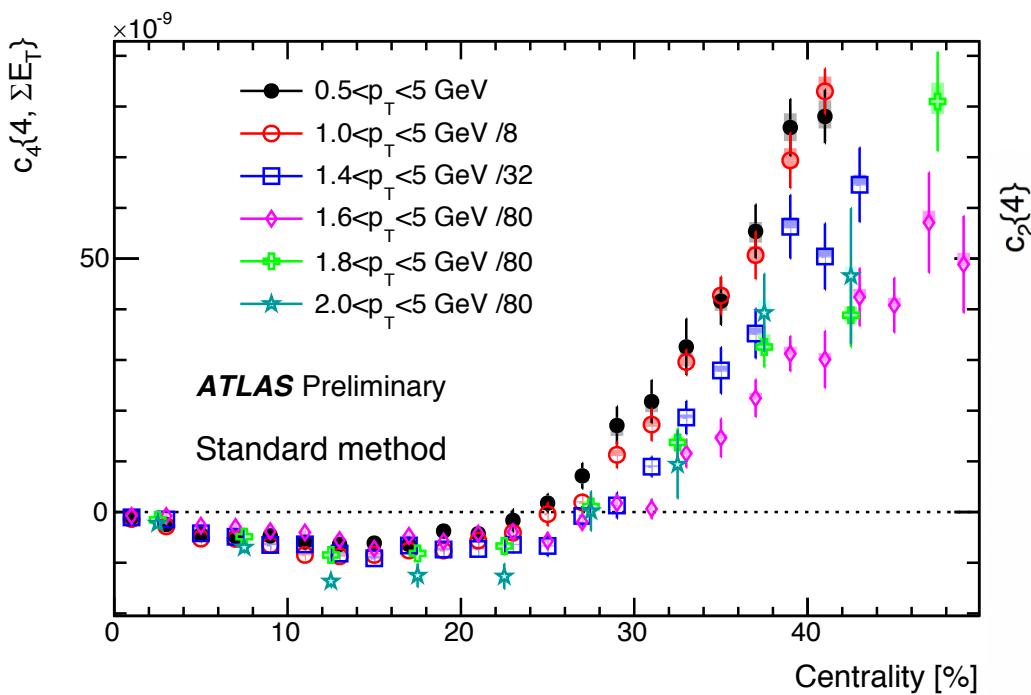
- To measure 4-particle v_1
 - High p_T cut needed: $v_1\{2\text{PC}\}$ changes sign at $p_T = 1.2$ GeV;
 - Free of 2PC momentum conservation: $c_1\{4\} = \langle 4 \rangle - 2\langle 2 \rangle^2$;
- Negative $c_1\{4\}$ observed in high p_T , peripheral collision

4-particle ν_4

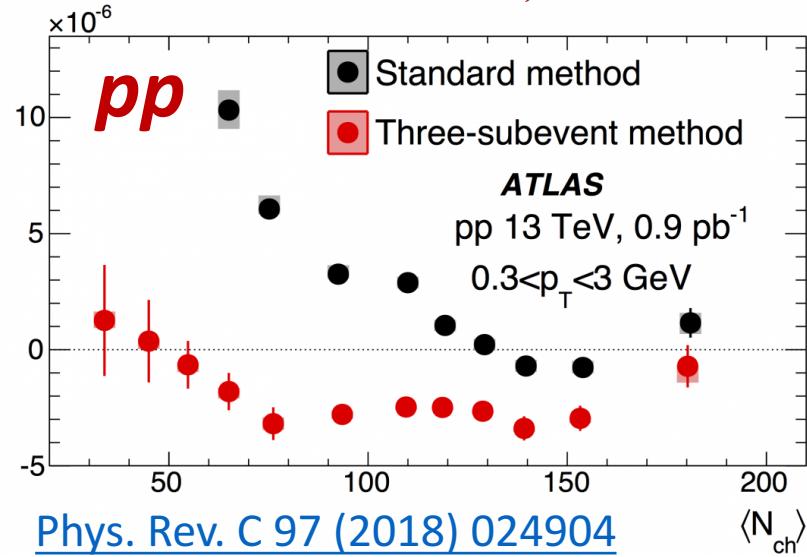


- $c_4\{4\} > 0$ and increase towards to peripheral: non-flow?

4-particle ν_4

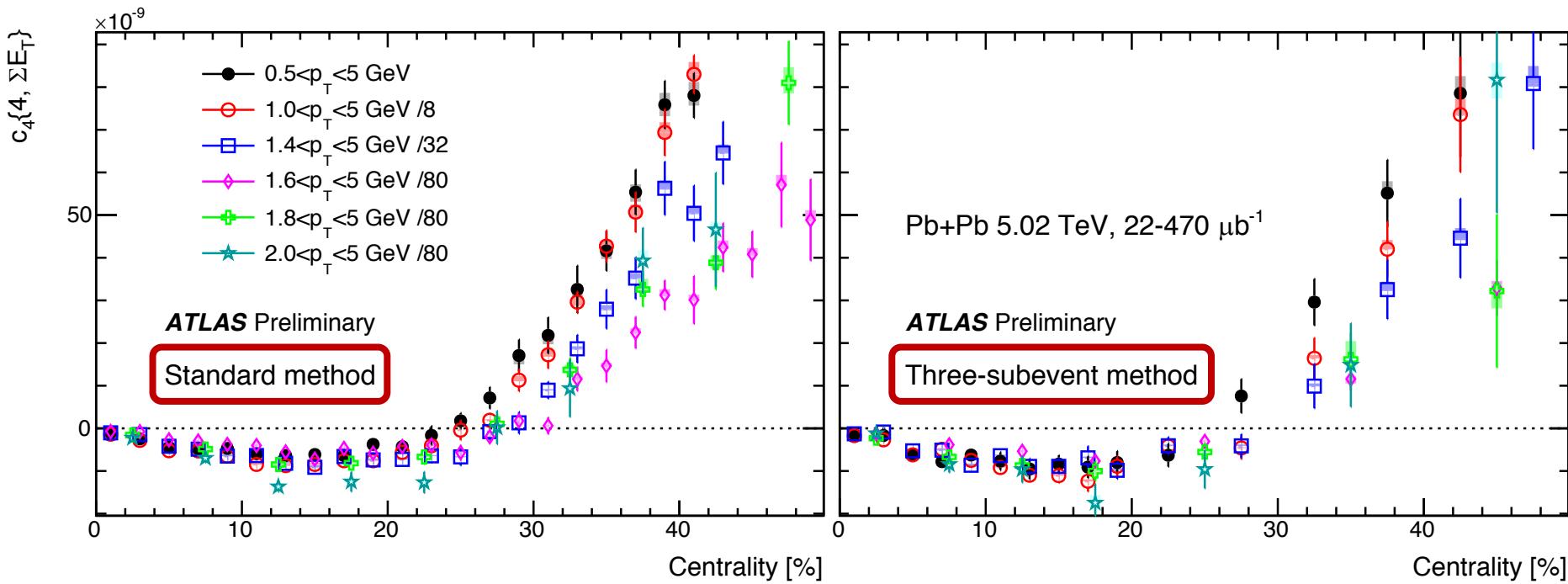


- Subevent cumulant effectively removes non-flow;



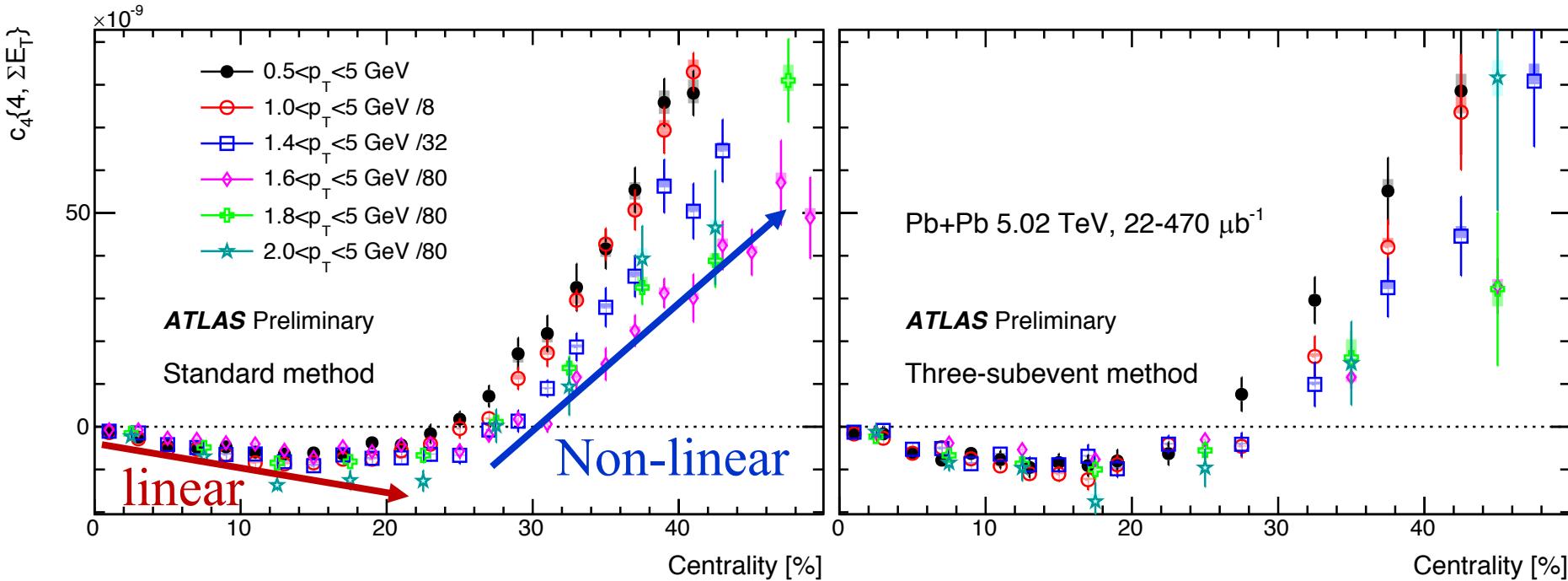
- $c_4\{4\} > 0$ and increase towards to peripheral: non-flow?

4-particle v_4



- $c_4\{4\} > 0$ and increase towards peripheral: non-flow?
- 3-subevent measures the same: not due to non-flow.

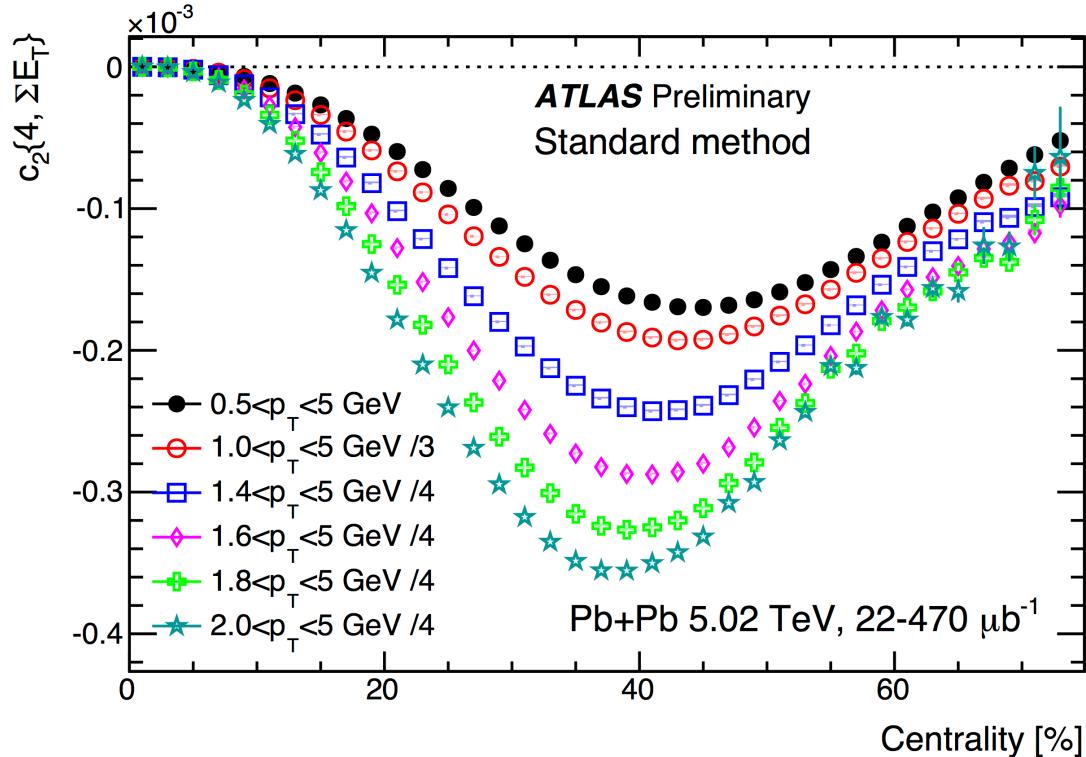
4-particle v_4



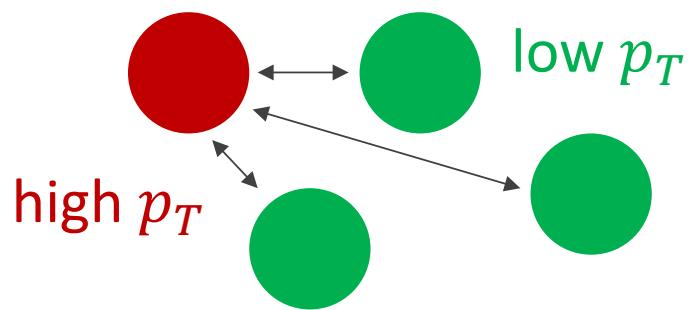
- $c_4\{4\} > 0$ and increase towards peripheral: non-flow?
- 3-subevent measures the same: not due to non-flow.
- Linear and non-linear components: $v_4 = v_{4L} + \beta_{2,2} v_2^2$
 - $c_4\{4\} < 0$ in mid-central $\Leftarrow v_{4L}$
 - $c_4\{4\} > 0$ in peripheral $\Leftarrow v_2^2$
- Collectivity can also give $c_n\{4\} > 0$

Centrality and p_T dependence of $c_2\{4\}$

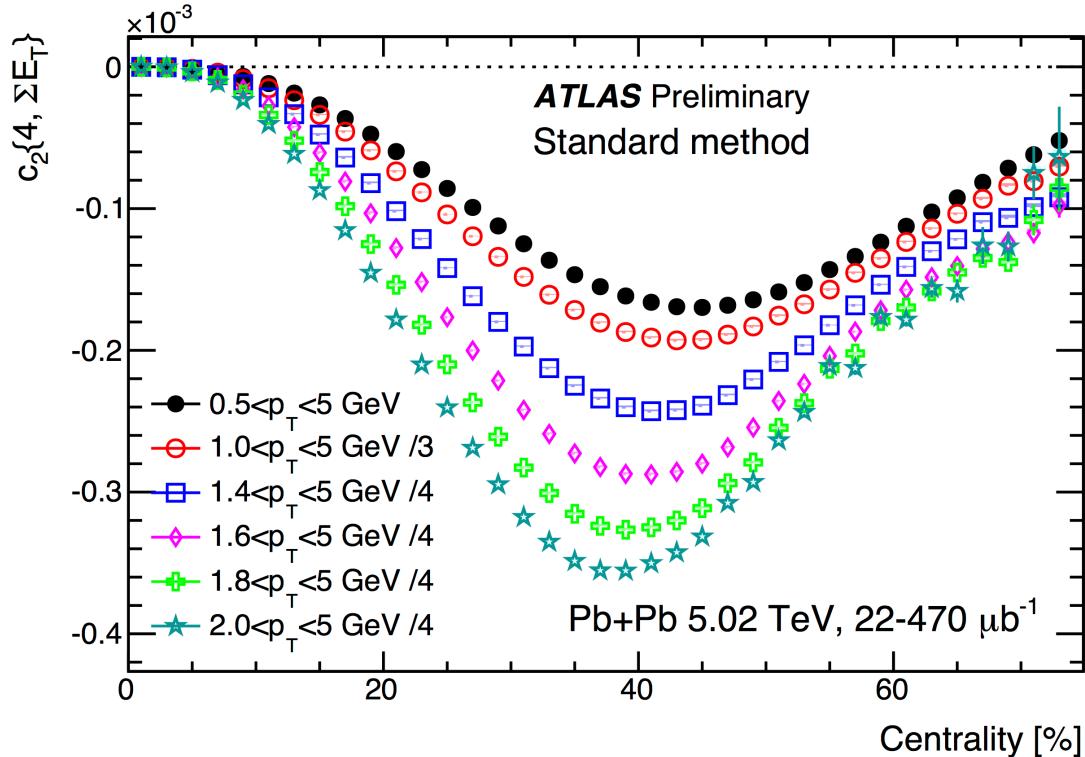
7



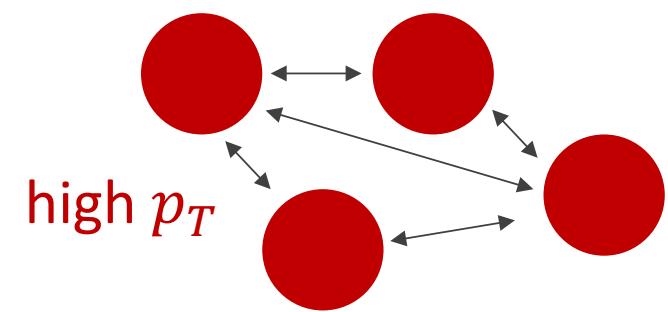
Previous measurement



- Centrality dependence $\Leftarrow \bar{v}_2 \Leftarrow$ Geometry
- p_T dependence $\Leftarrow \bar{v}_2(p_T)$

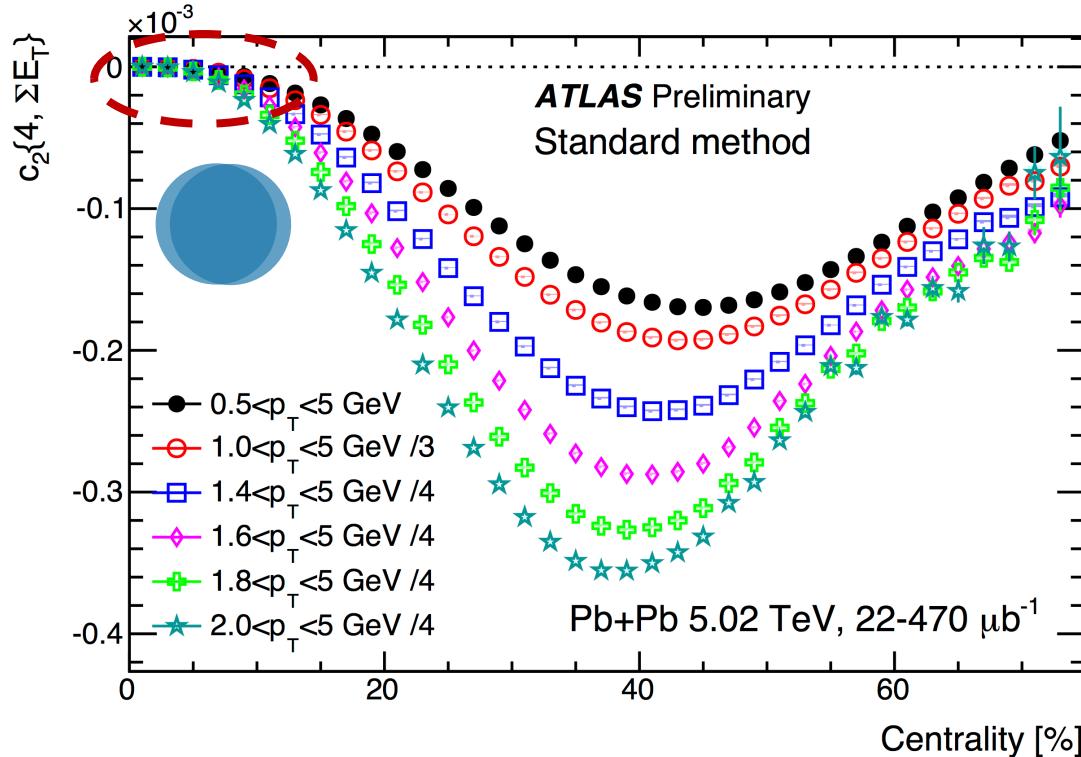


This measurement



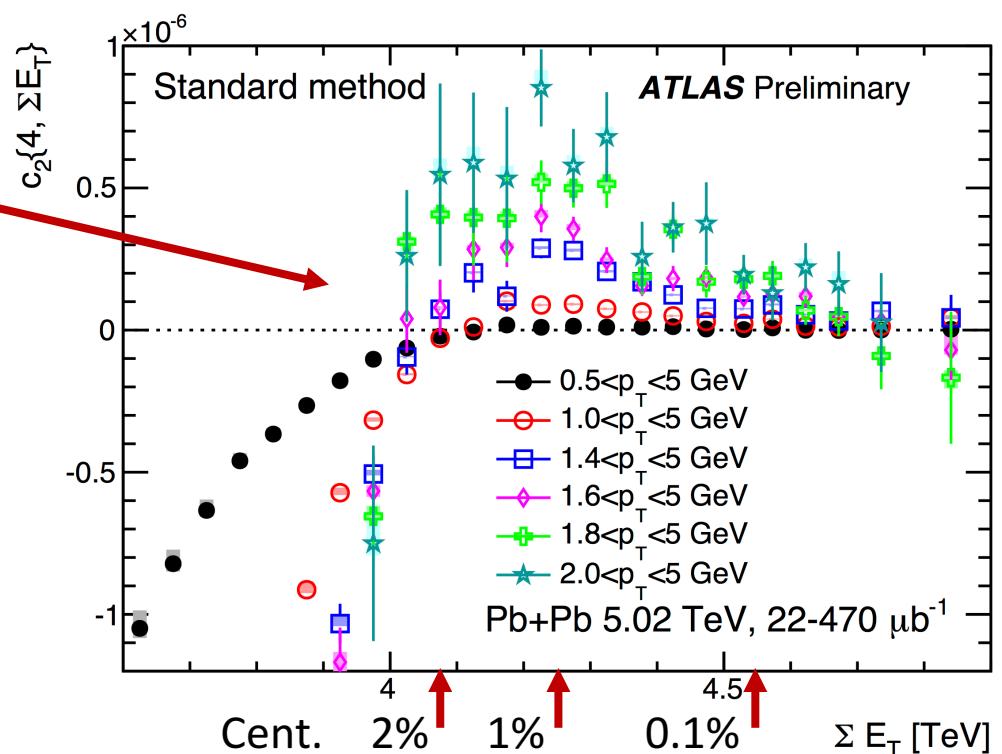
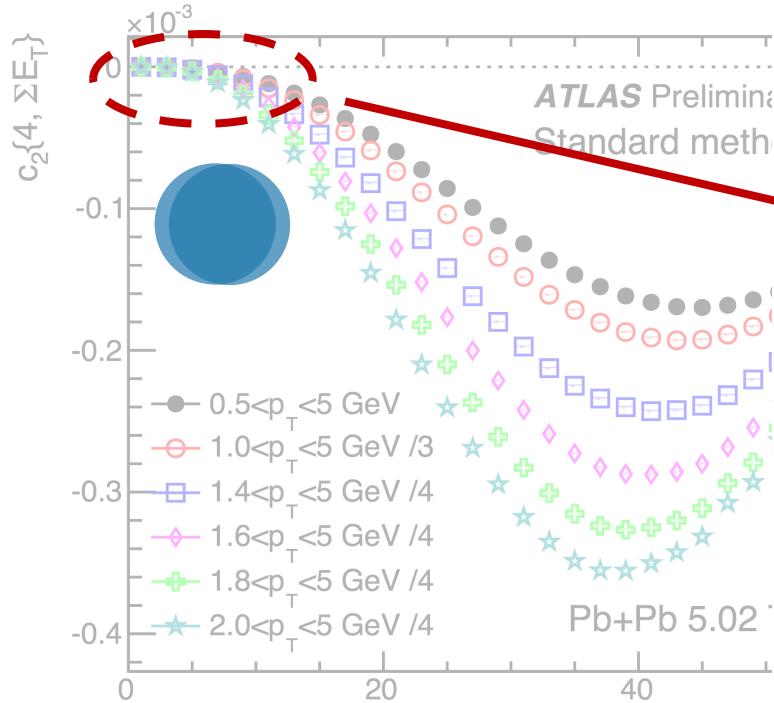
- Centrality dependence $\Leftarrow \bar{v}_2 \Leftarrow$ Geometry
- p_T dependence $\Leftarrow \bar{v}_2(p_T)$
 - Require all particles in the same p_T range;
 - Not affected by flow p_T -decorrelation;
- But how about flow fluctuation? Need to suppress \bar{v}_2 .

Ultra-Central Collision (UCC)



- In UCC: $\bar{v}_2 \rightarrow 0$, largest relative flow fluctuation;
- ATLAS applied UCC triggers: $\times 20$ statistics over MinBias;

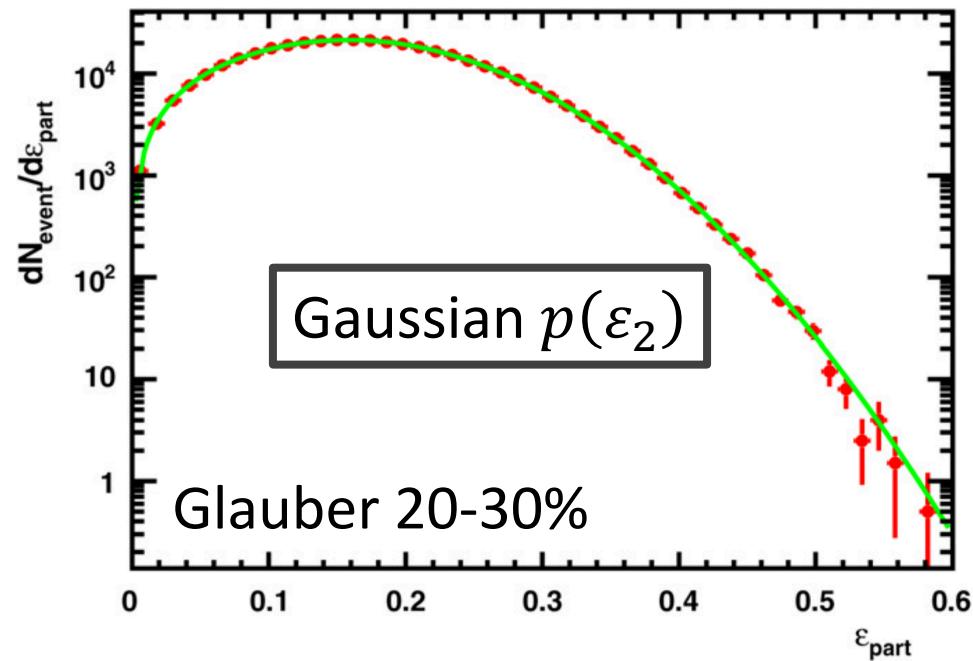
Ultra-Central Collision (UCC)



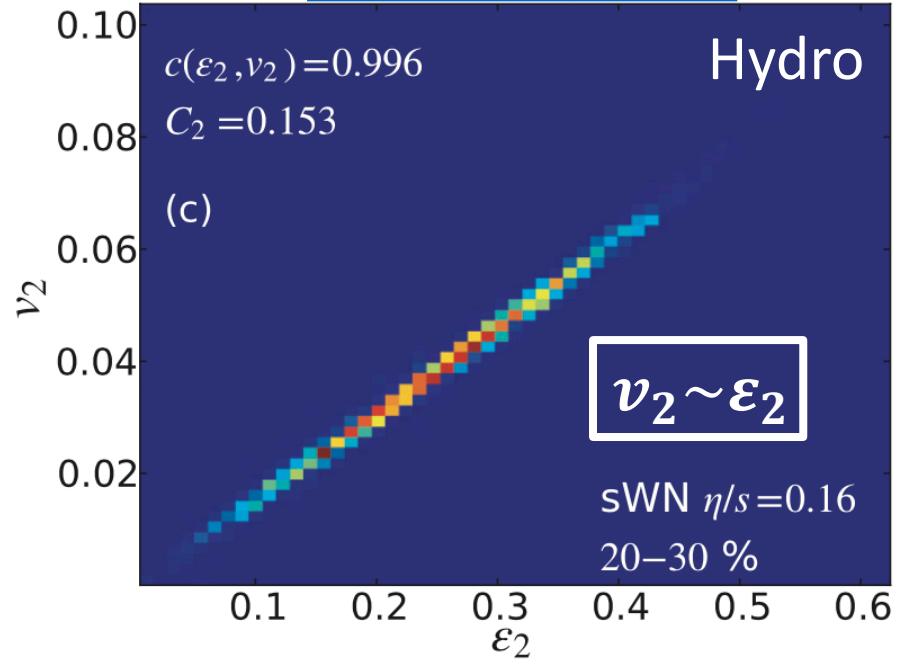
- In UCC: $\bar{v}_2 \rightarrow 0$, largest relative flow fluctuation;
- ATLAS applied UCC triggers: $\times 20$ statistics over MinBias;
- $c_2\{4\} > 0$ in UCC \Rightarrow non-Gaussian flow fluctuation
 - Why?

Initial stage and hydro response

[PLB 659 \(2008\) 537-541](#)



[PRC 87 \(2013\) 054901](#)

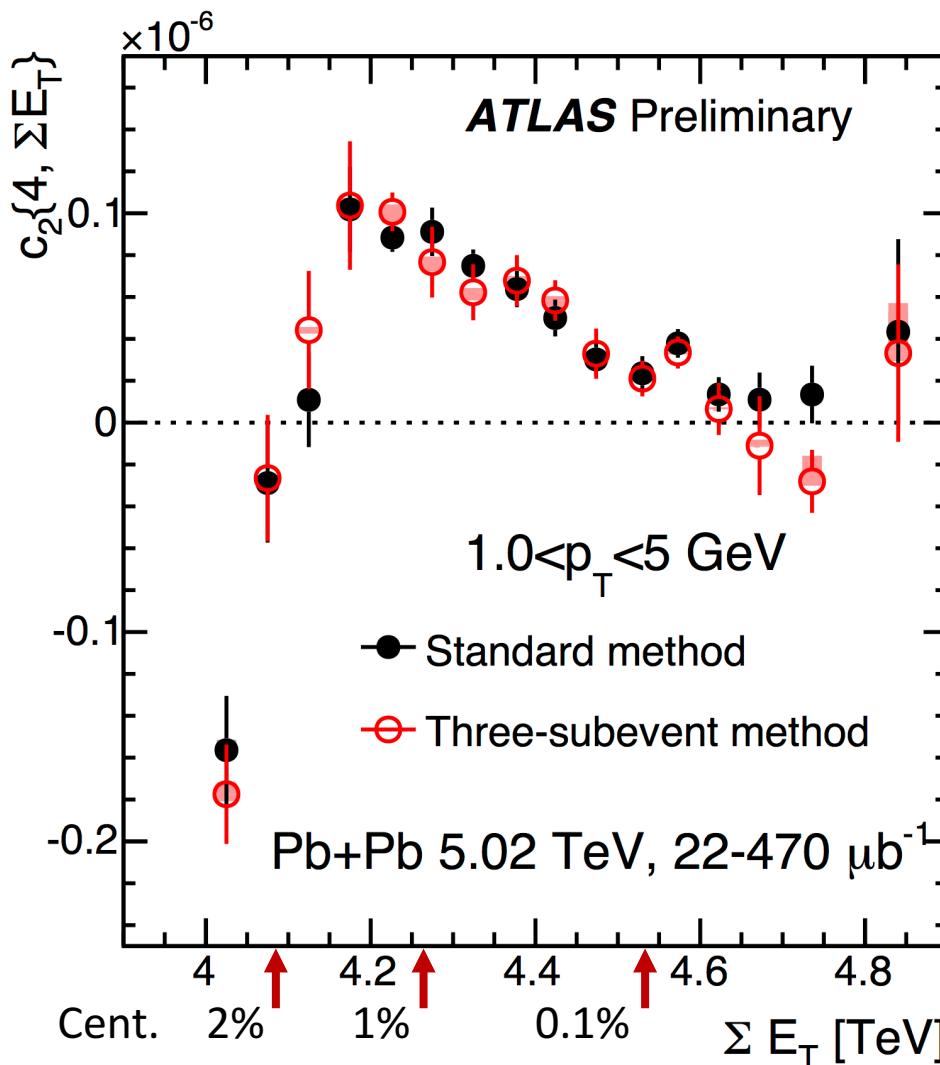


- On the model side
 - Gaussian $p(\varepsilon_2) \Rightarrow$ Gaussian $p(v_2) \Rightarrow c_2\{4\} \leq 0$
- But we observed $c_2\{4\} > 0$
 - Non-flow contribution?

$$v_n\{4\} = \bar{v}_n = \sqrt[4]{-c_n\{4\}}$$

Non-flow contribution?

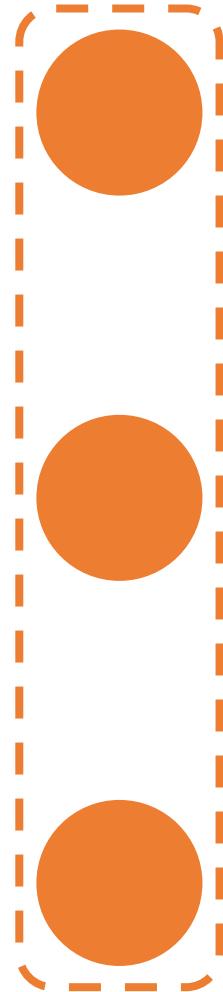
10

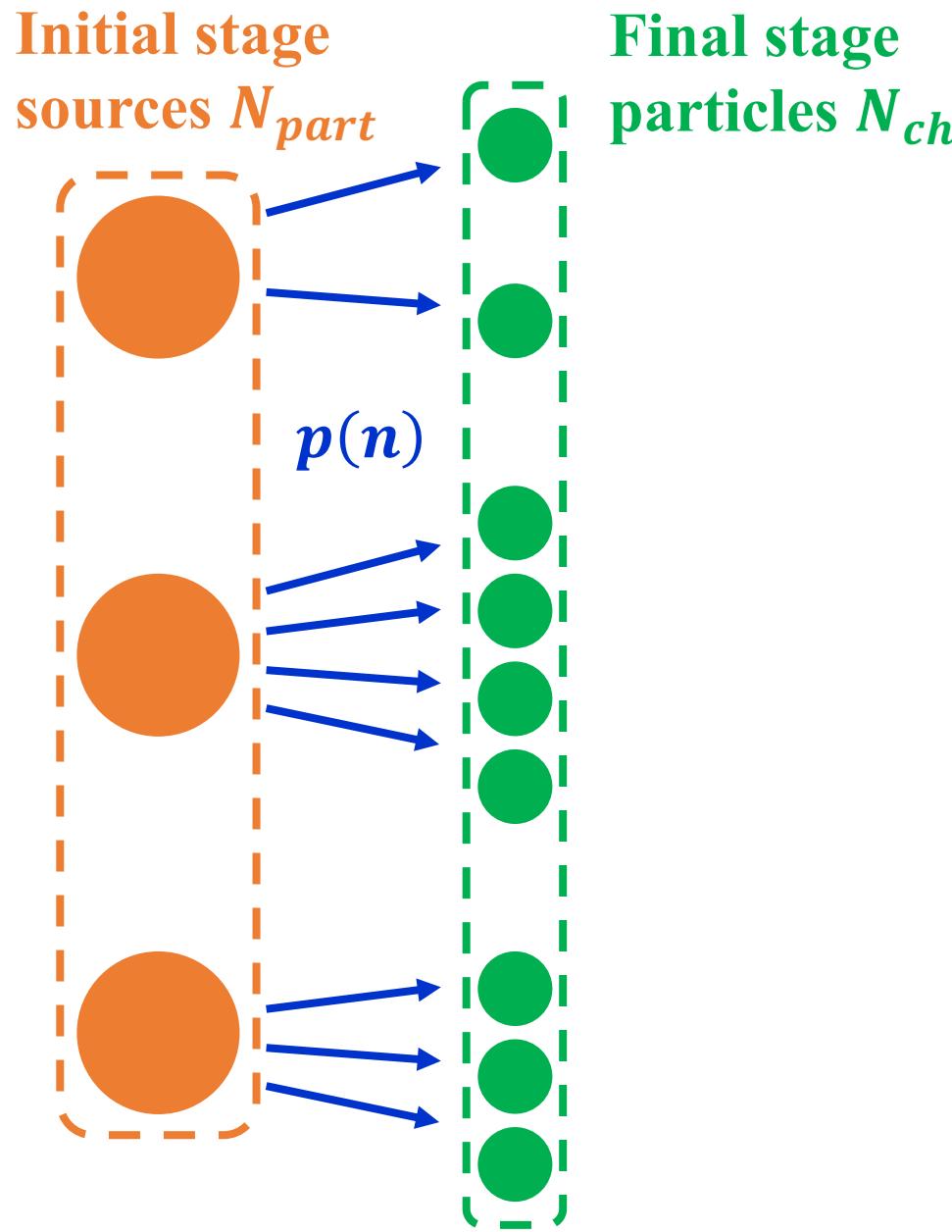


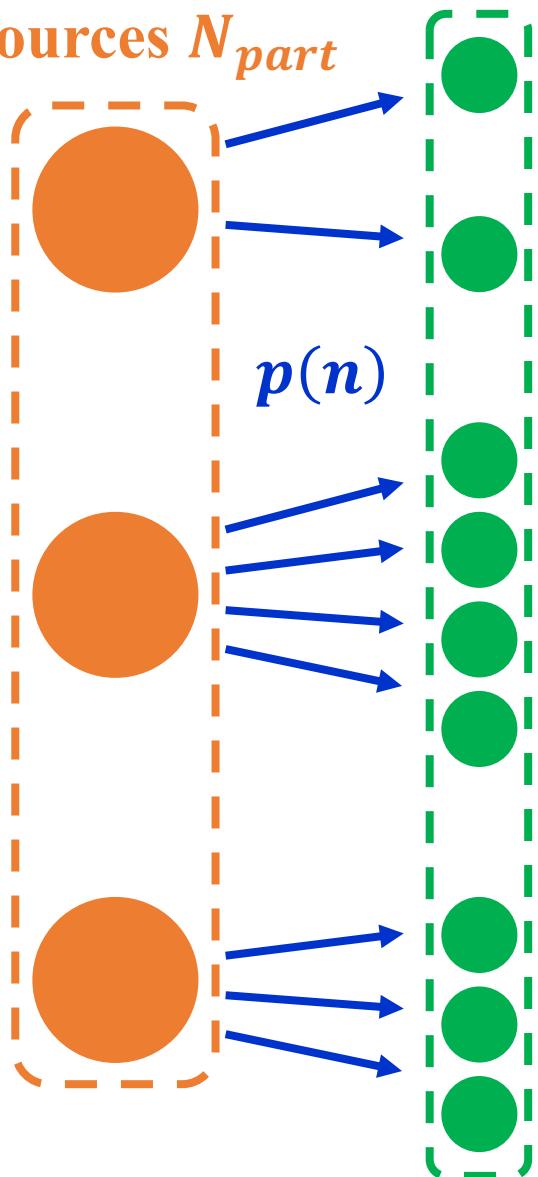
- Two methods consistent: **not due to non-flow**.
- Pileup effects have also been suppressed.

Initial stage

sources N_{part}



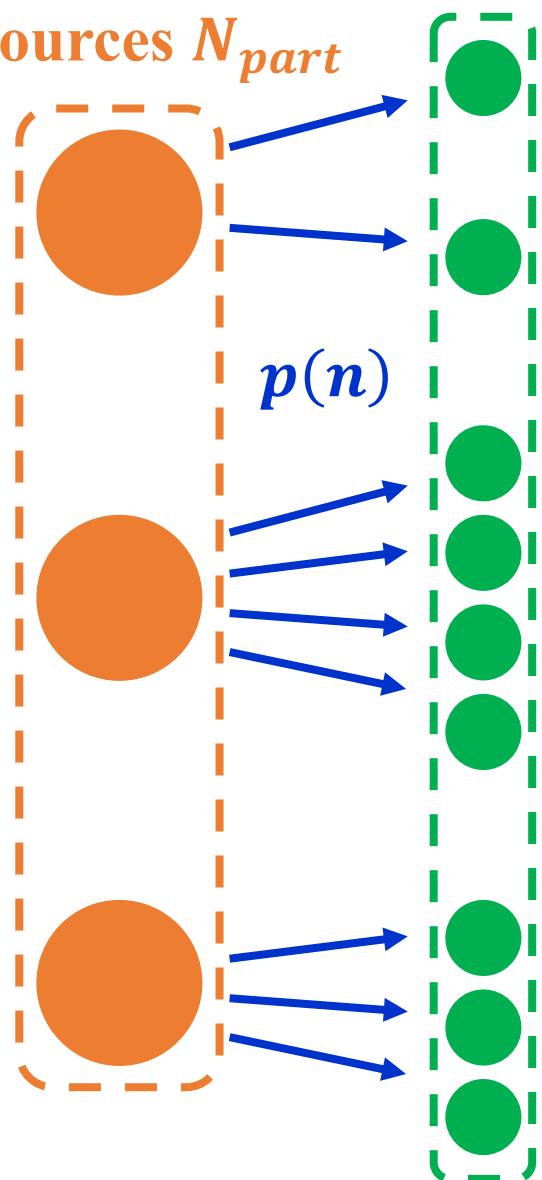


Initial stage**sources N_{part}** **Final stage****particles N_{ch}** **Not detector effect!**

- Fluctuation of particle production $p(n)$
 - Same N_{part} \Rightarrow different N_{ch}
 - Same N_{ch} \Rightarrow different N_{part}

Initial stage

sources N_{part}



Final stage

particles N_{ch}

Not detector effect!

- Fluctuation of particle production $p(n)$
 - Same N_{part} \Rightarrow different N_{ch}
 - Same N_{ch} \Rightarrow different N_{part}
- In the experiment
 - First calculate $Obs(N_{ch})$
 - Then map to $\langle N_{part} \rangle$
- Flow is driven by initial stage N_{part}
- $Obs(\langle N_{part} \rangle)$ introduces CF
- CF affects all fluctuation measurements, but never been studied in flow

$$c_n\{4\} \equiv \langle\langle 4 \rangle\rangle - 2\langle\langle 2 \rangle\rangle^2$$

Calculated
event-by-event

Averaged over many events

How to test centrality fluctuation in data?

12

$$c_n\{4\} \equiv \langle \langle 4 \rangle \rangle - 2 \langle \langle 2 \rangle \rangle^2$$

Calculated
event-by-event

Averaged over many events

Binning defined by	Observable
FCal: $3.2 < \eta < 4.9$	$c_2\{4, \Sigma E_T\}$
ID: $ \eta < 2.5, p_T$ cut	$c_2\{4, N_{ch}^{rec}\}$

- Particle production depends on η

Test relative CF by comparing $c_2\{4\}$ binned by ΣE_T and N_{ch}^{rec}

How to test centrality fluctuation in data?

12

$$c_n\{4\} \equiv \langle\langle 4 \rangle\rangle - 2\langle\langle 2 \rangle\rangle^2$$

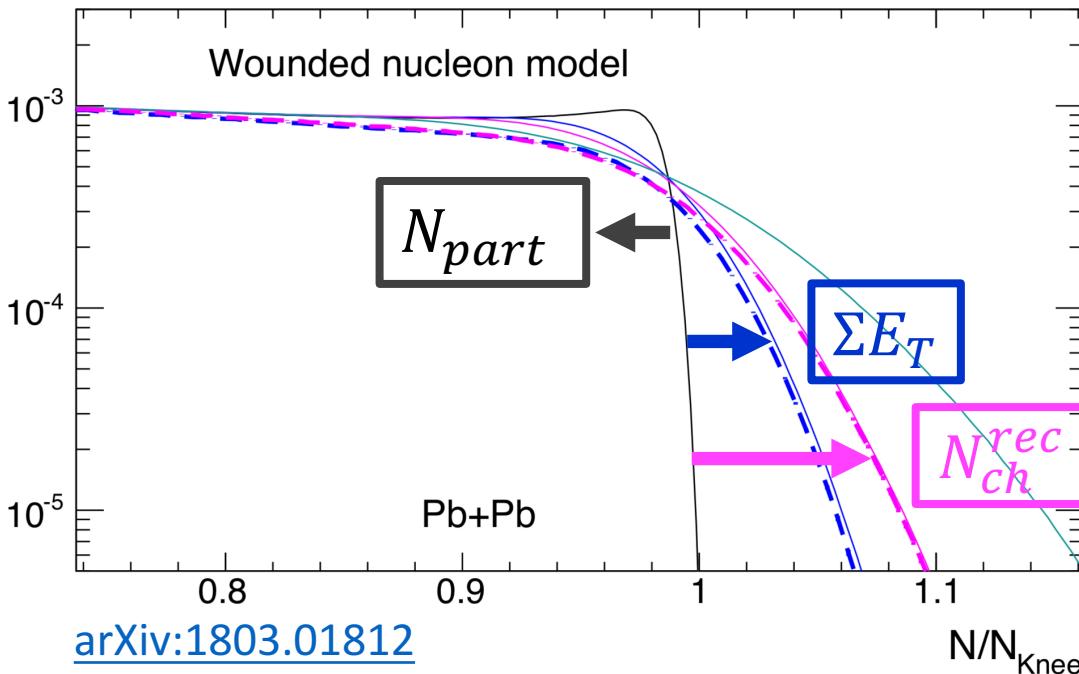
Calculated
event-by-event

Averaged over many events

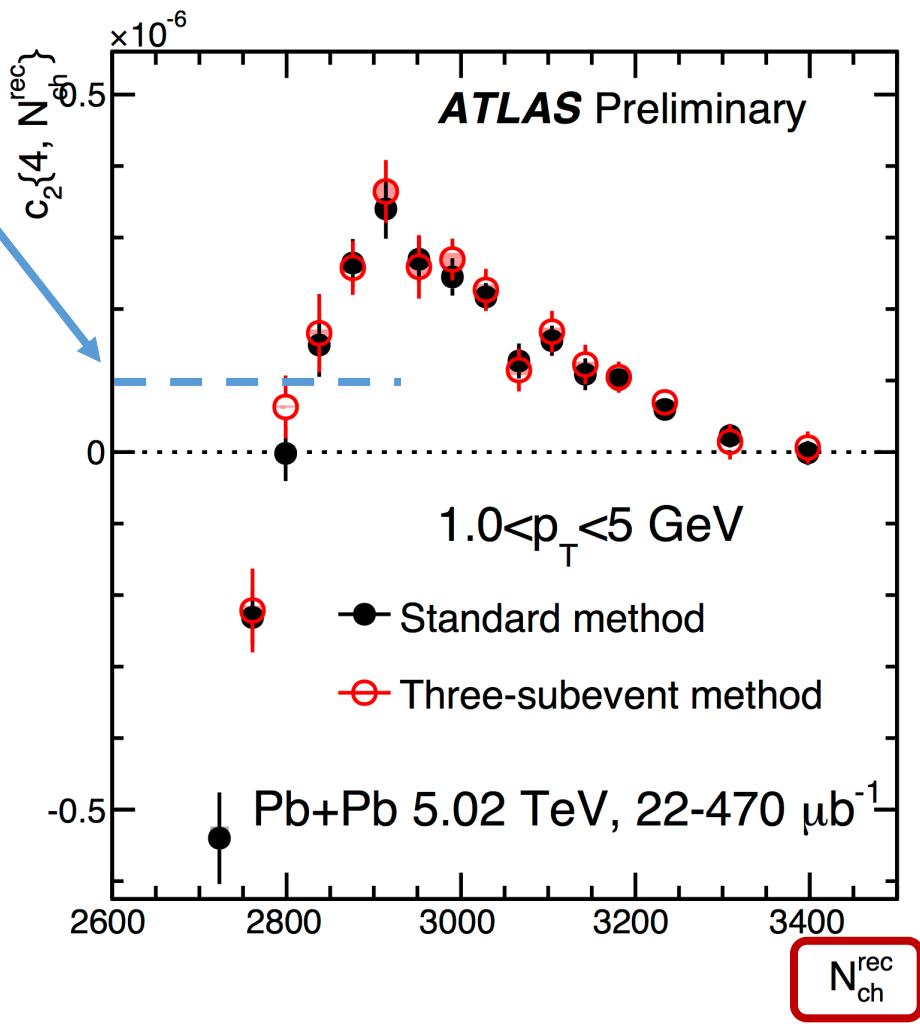
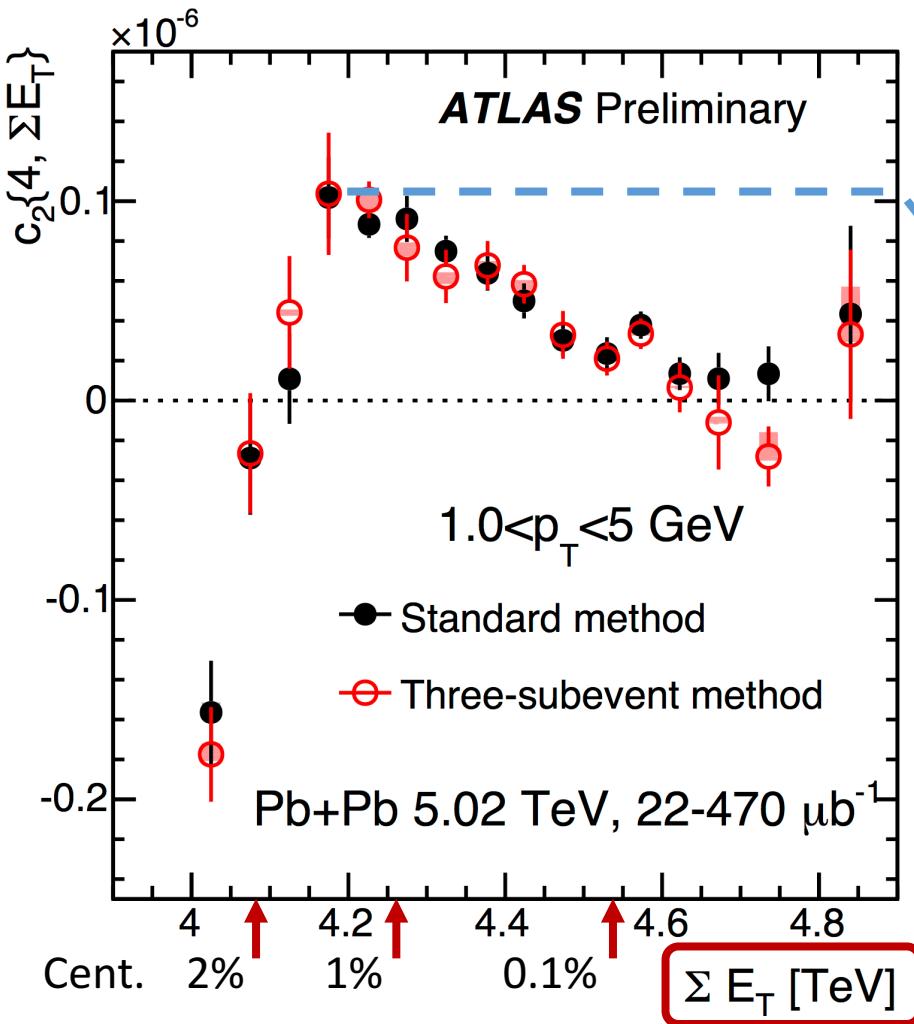
Binning defined by	Observable
FCal: $3.2 < \eta < 4.9$	$c_2\{4, \Sigma E_T\}$
ID: $ \eta < 2.5, p_T$ cut	$c_2\{4, N_{ch}^{rec}\}$

- Particle production depends on η

Test relative CF by comparing $c_2\{4\}$ binned by ΣE_T and N_{ch}^{rec}



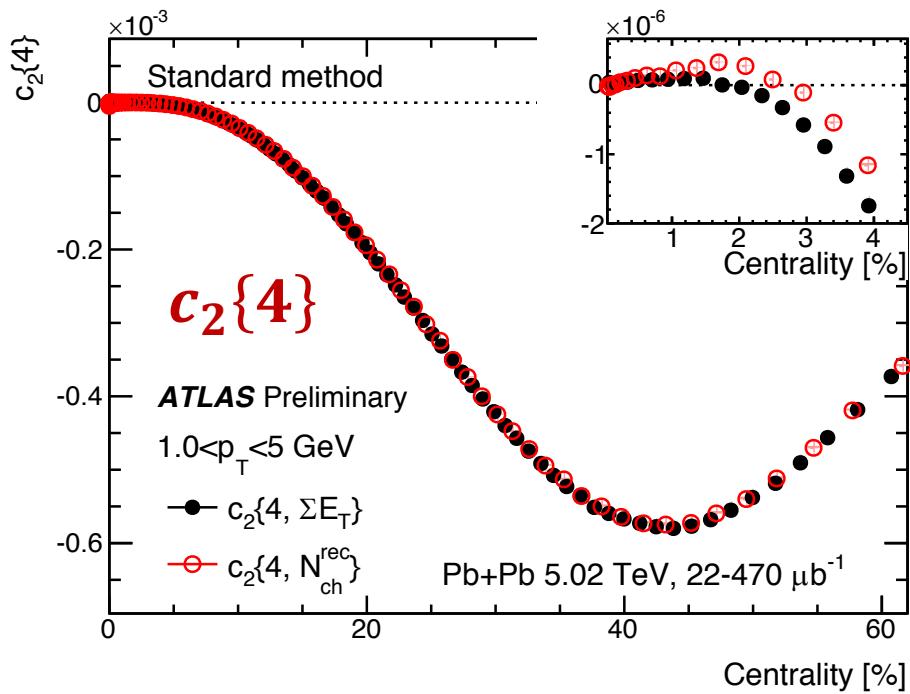
- $p(N_{ch}^{rec})$ broader than $p(\Sigma E_T)$
- CF effect: $\Sigma E_T < N_{ch}^{rec}$
- Prediction
 - $c_2\{4, \Sigma E_T\} < c_2\{4, N_{ch}^{rec}\}$



- $c_2\{4, \Sigma E_T\} < c_2\{4, N_{\text{ch}}^{\text{rec}}\}$: CF affects flow cumulant;
- $c_2\{4\} \rightarrow 0$ in very most-central: smaller CF effect;

From ultra-central to full centrality

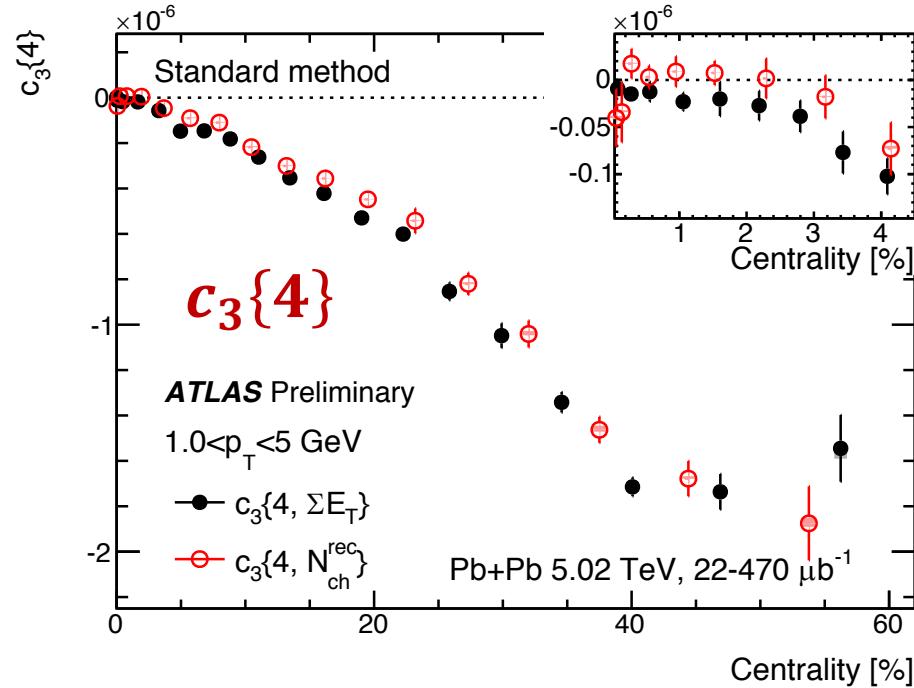
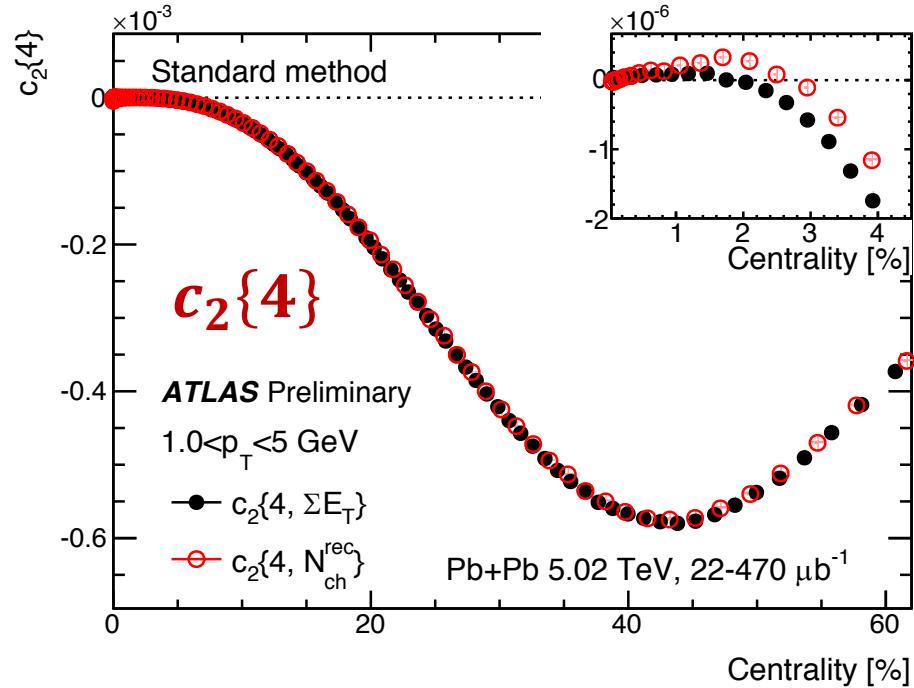
14



- $c_2\{4\}$: CF mostly affects central;

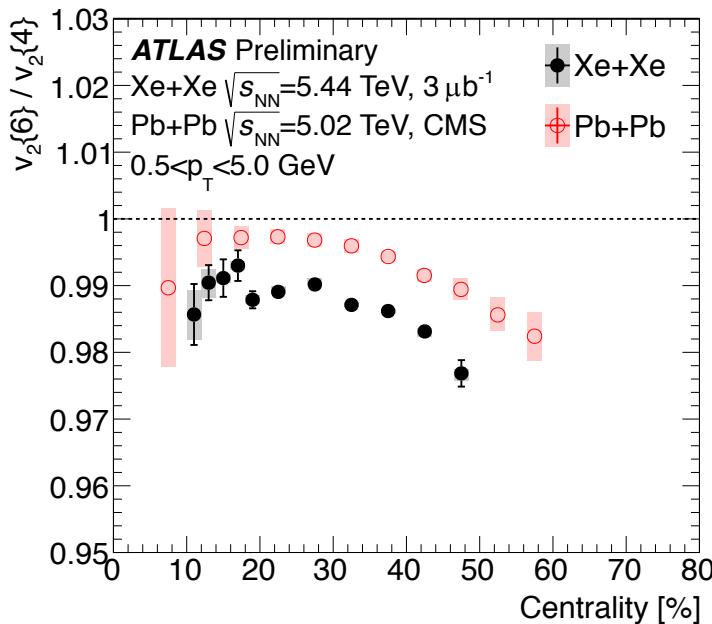
From ultra-central to full centrality

14

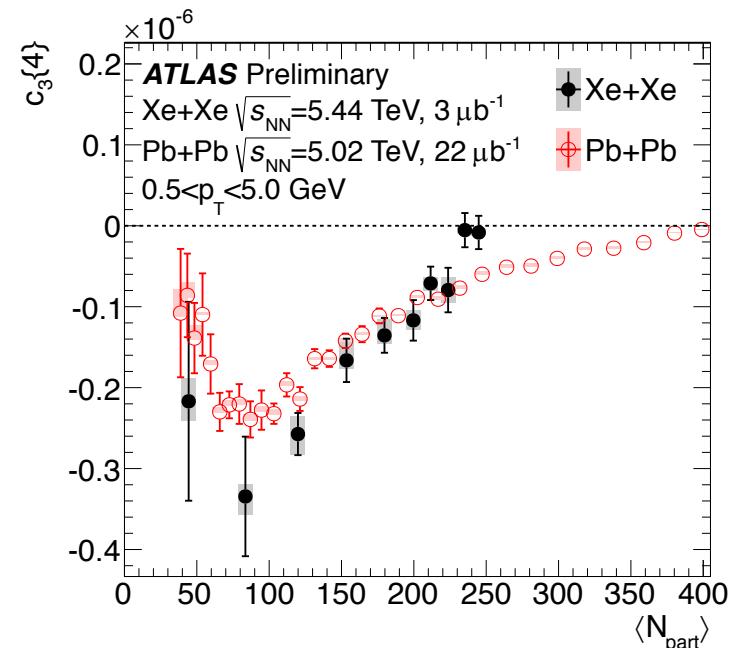


- $c_2\{4\}$: CF mostly affects central;
- $c_3\{4\}$: CF affects most centralities.

Summary I

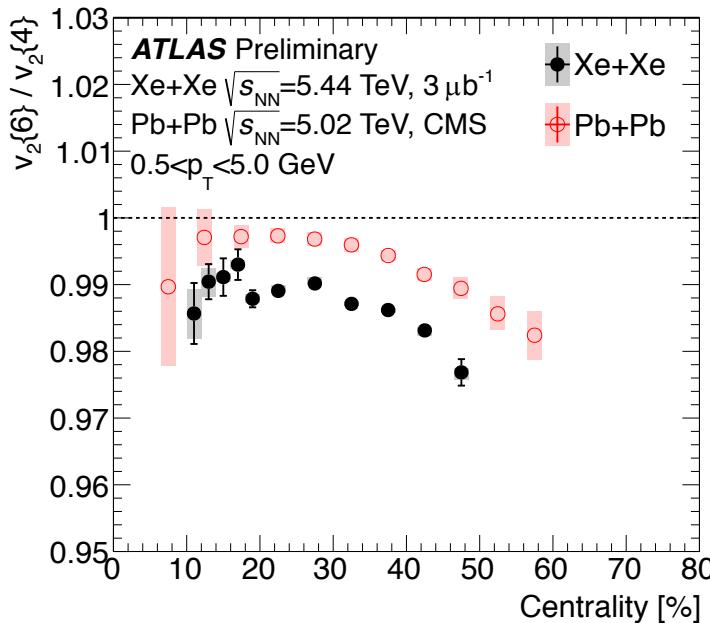


- Non-Gauss: Xe and Pb

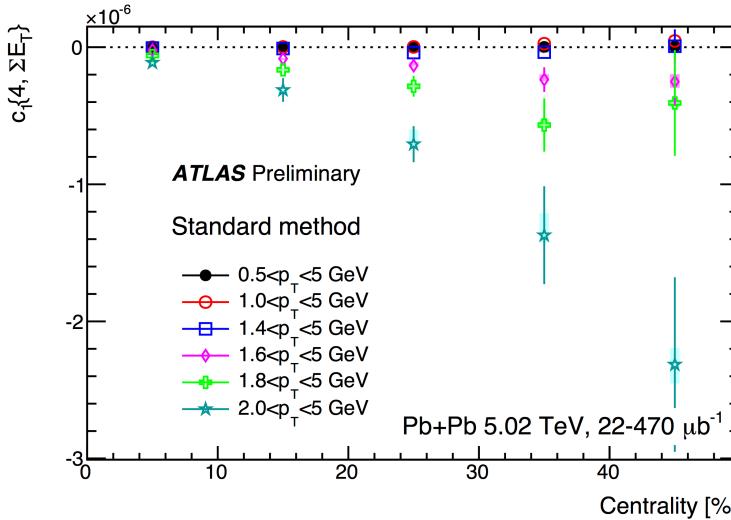


- N_{part} scaling between Xe and Pb

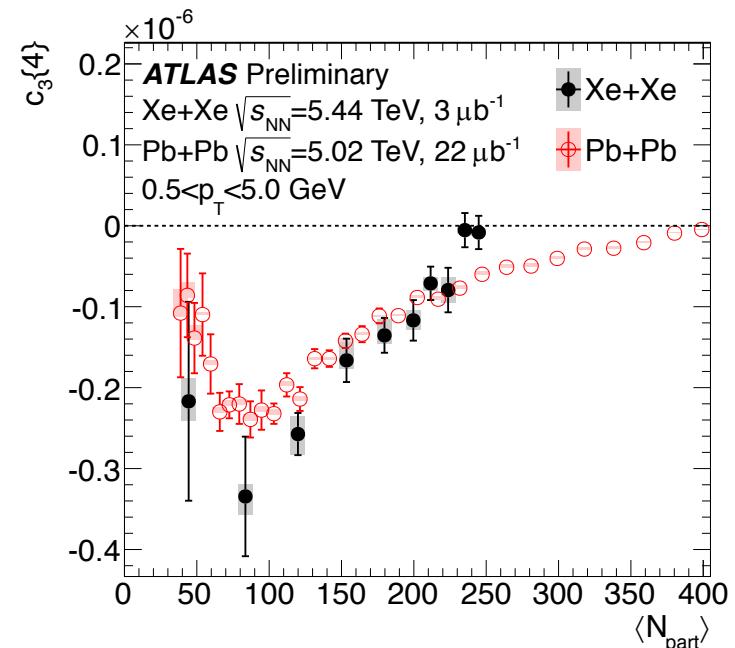
Summary I



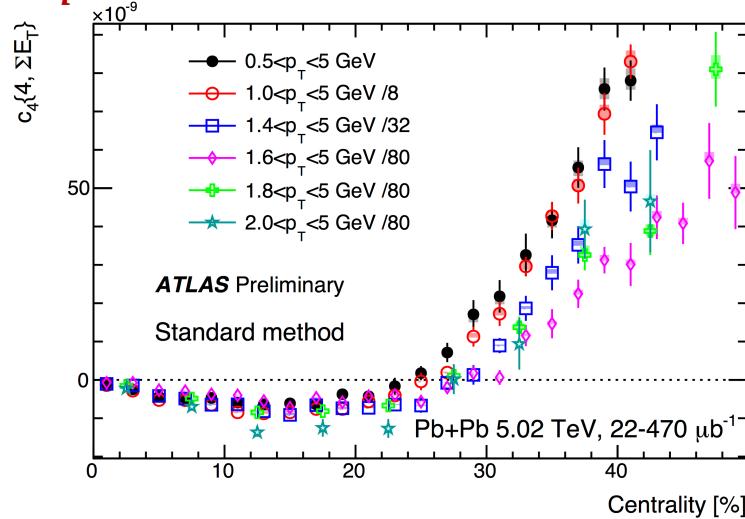
- Non-Gauss: Xe and Pb



- $c_1\{4\} < 0$: dipolar fluctuation

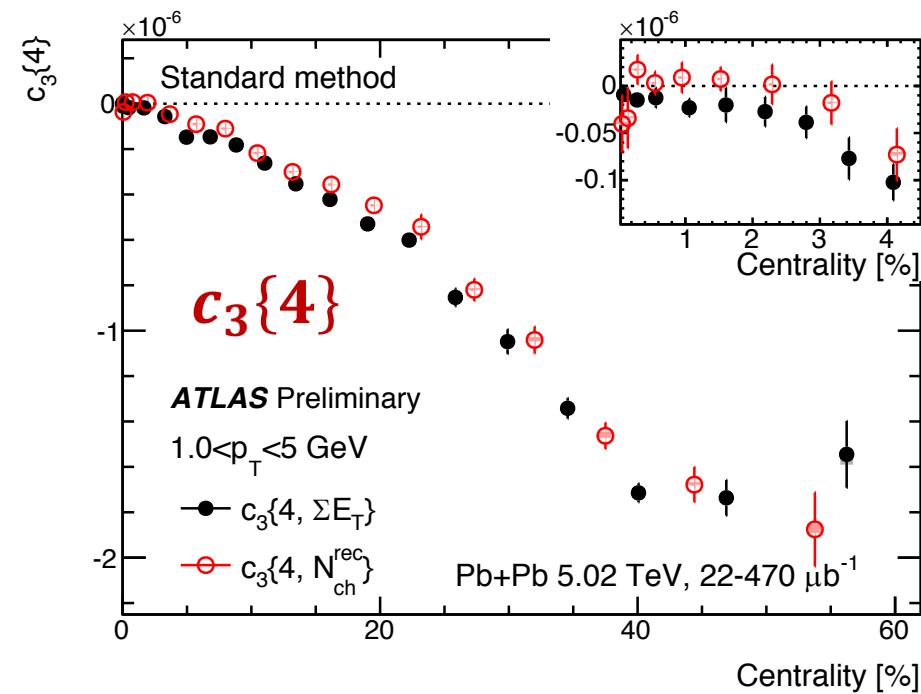
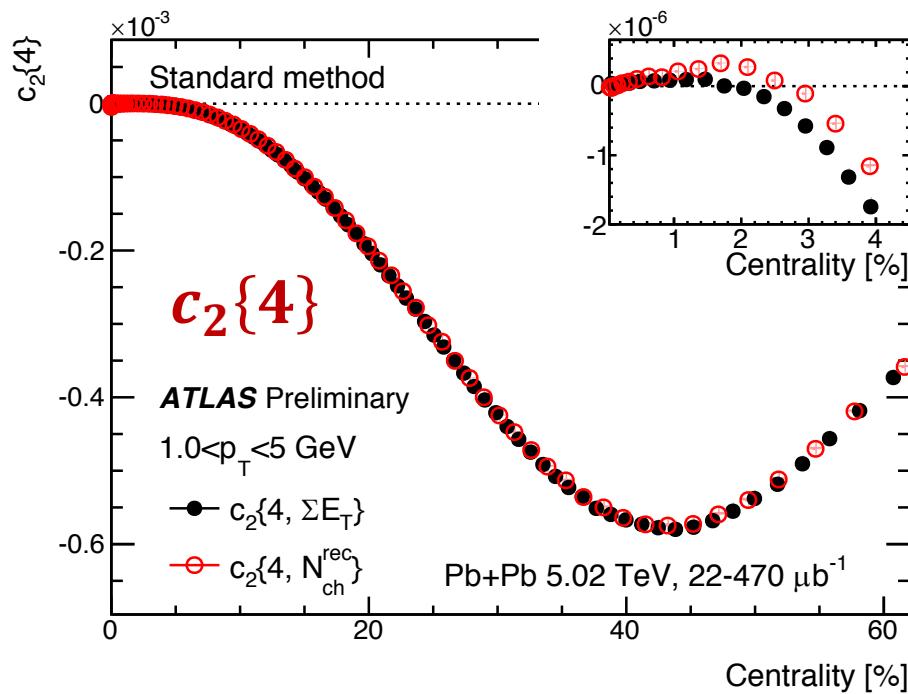


- N_{part} scaling between Xe and Pb



- $c_4\{4\} > 0$: non-linear

- Ultra-central collision: perfect to study flow fluctuation
 - $c_2\{4\} > 0$ in ultra-central;
 - CF probably causes $c_2\{4\} > 0$;
 - CF affects $c_3\{4\}$ in most centralities;



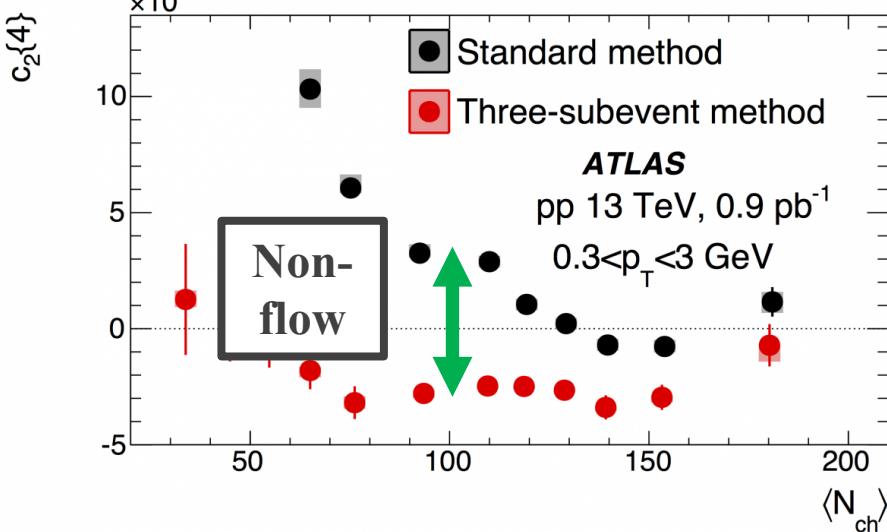
- Ultra-central collision: perfect to study flow fluctuation
 - $c_2\{4\} > 0$ in ultra-central;
 - CF probably causes $c_2\{4\} > 0$;
 - CF affects $c_3\{4\}$ in most centralities;
- Suggestions to minimize centrality fluctuation
 1. Choose observables insensitive to CF (use models);
 2. Define centrality by observables with small CF (forward η ?);
 3. Model-data comparison requires same binning \Rightarrow CF cancels;

- Cumulant is **sensitive** to fluctuation: easy to extract **signal**;

- Cumulant is **sensitive** to fluctuation: easy to extract **signal**;
- But sometimes it is **too sensitive**: significant **other effects**...

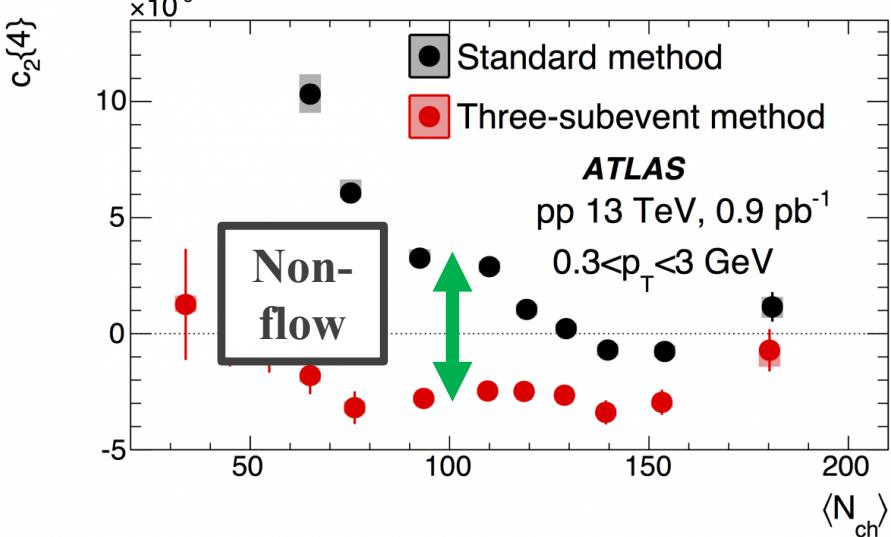
- Cumulant is **sensitive** to fluctuation: easy to extract **signal**;
- But sometimes it is **too sensitive**: significant **other effects**...

QM17

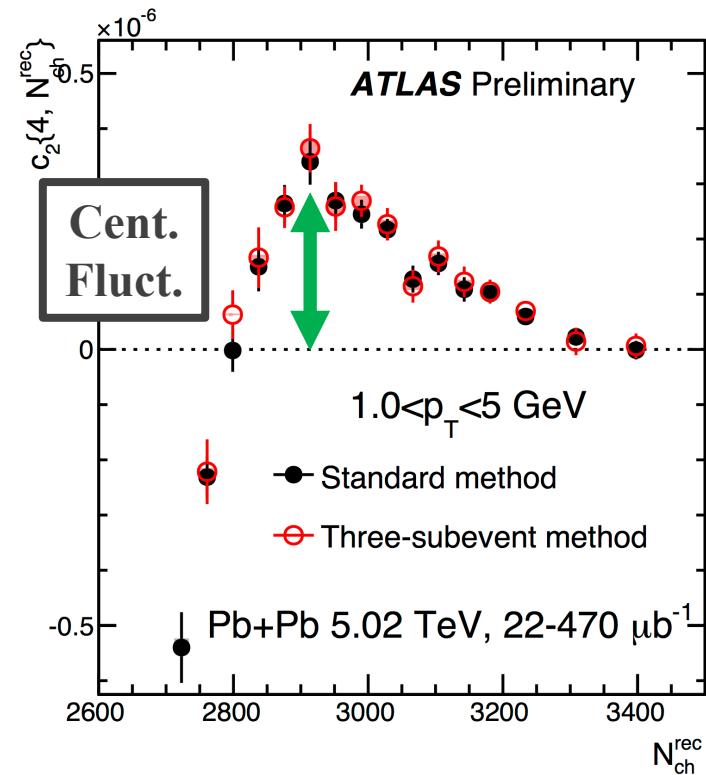


- Cumulant is **sensitive** to fluctuation: easy to extract **signal**;
- But sometimes it is **too sensitive**: significant **other effects**...

QM17

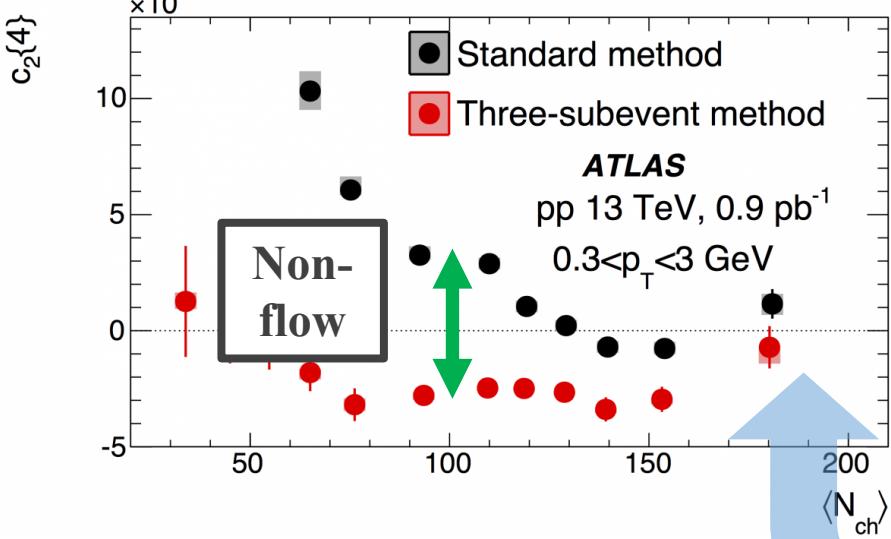


QM18

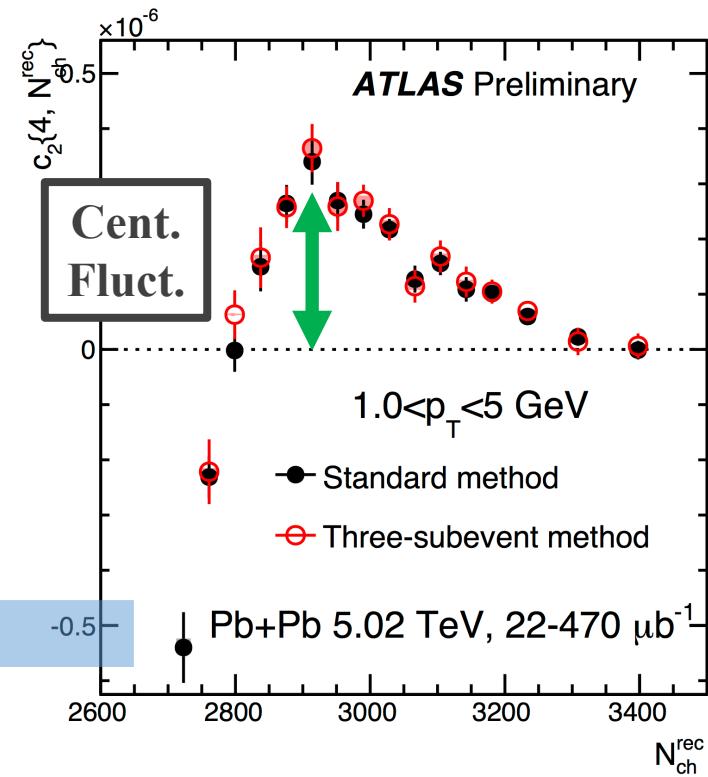


- Cumulant is **sensitive** to fluctuation: easy to extract **signal**;
- But sometimes it is **too sensitive**: significant **other effects**...

QM17

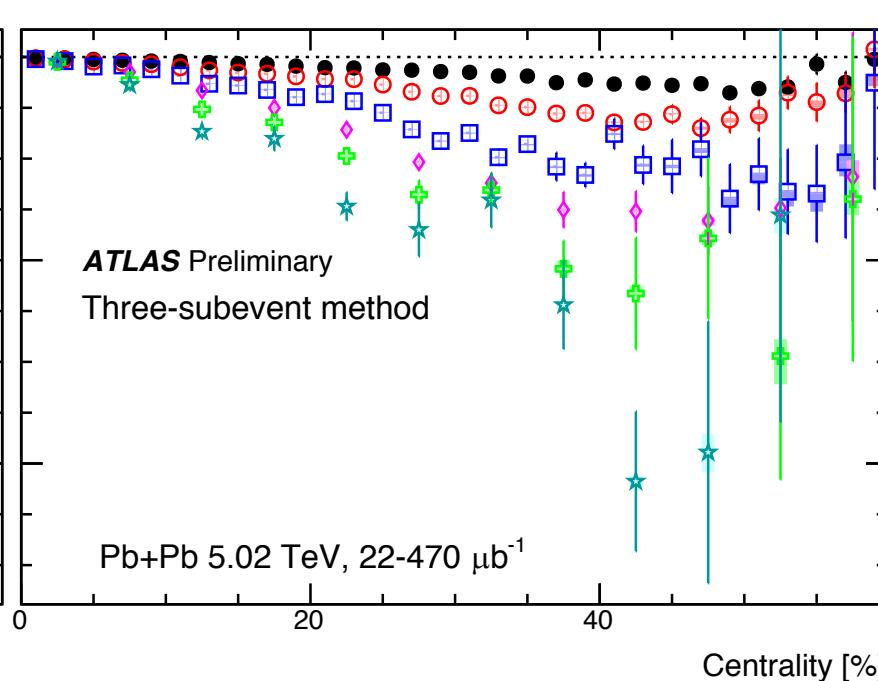
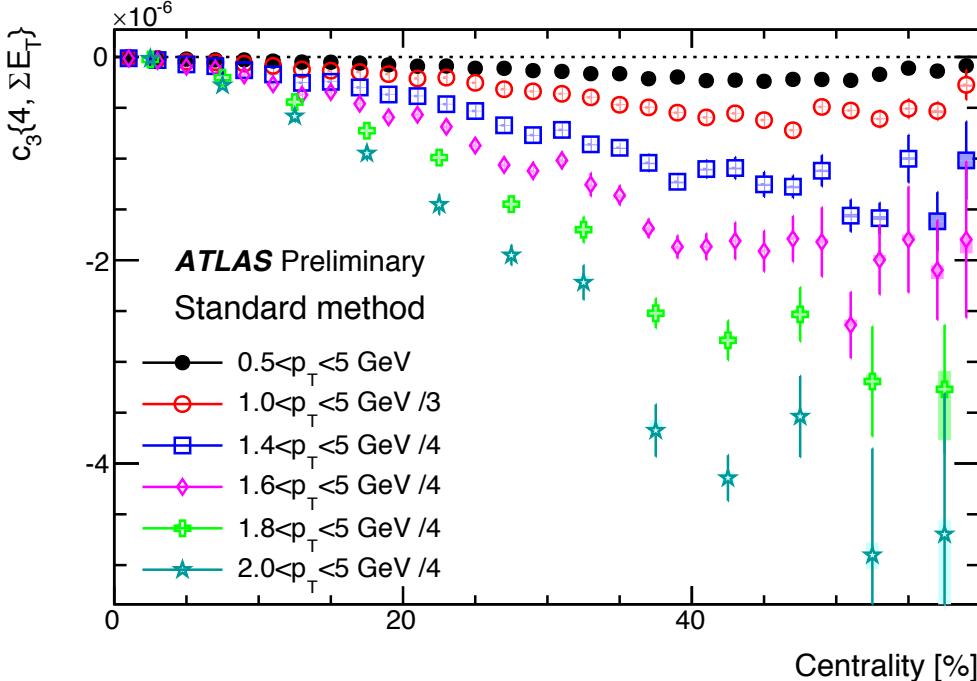
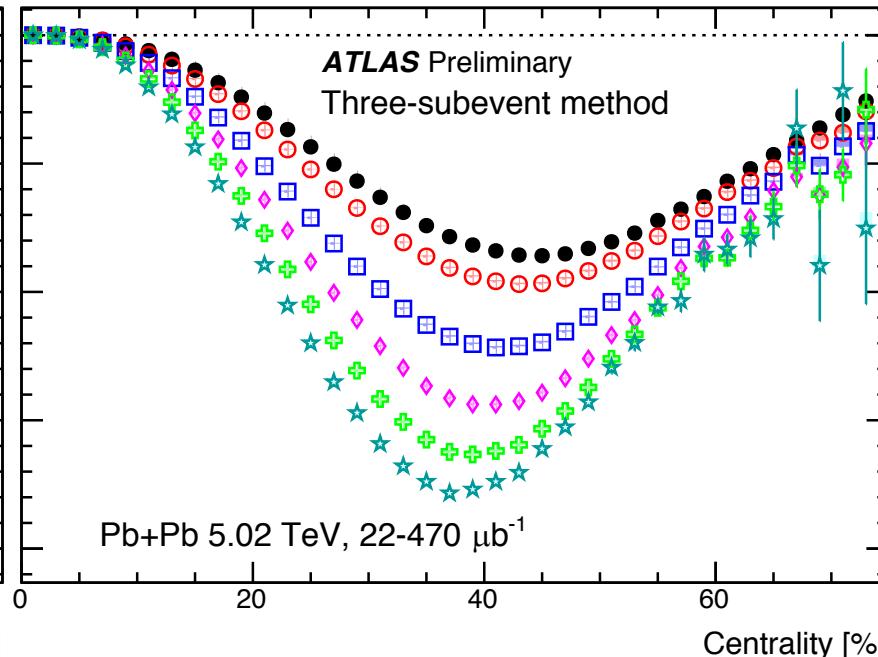
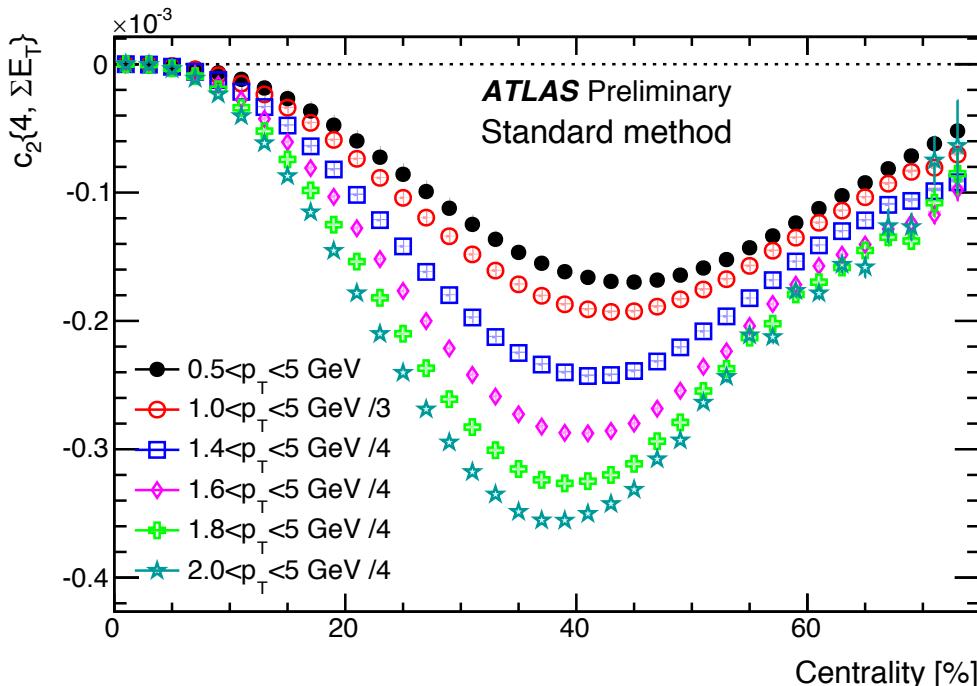


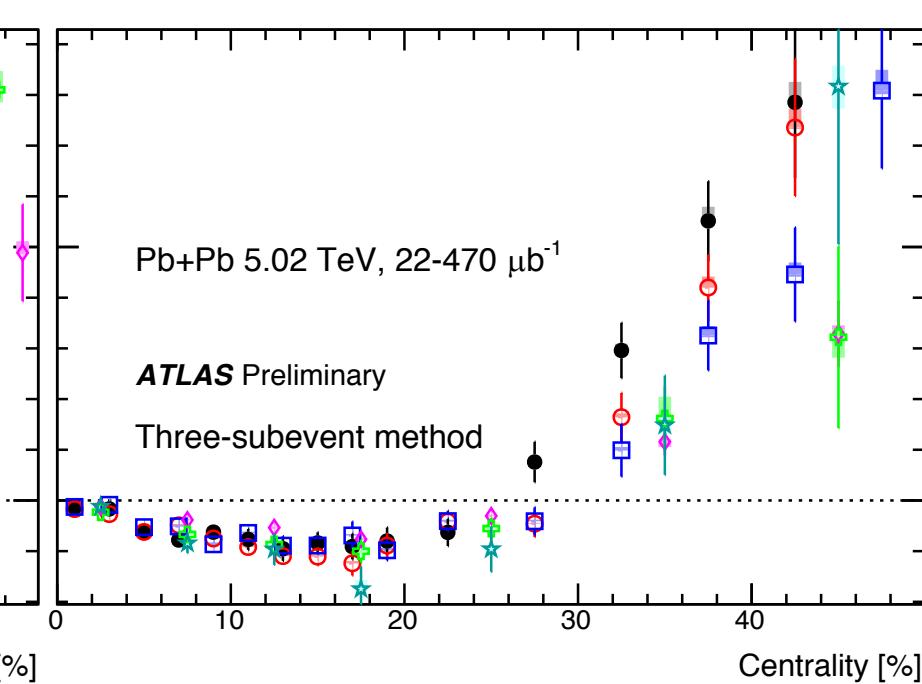
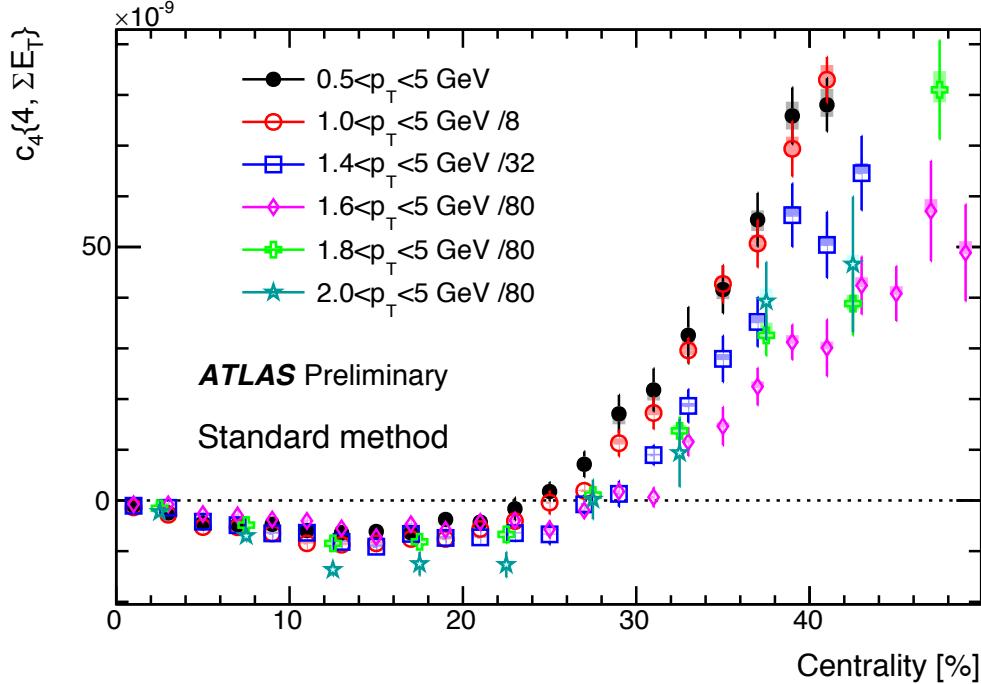
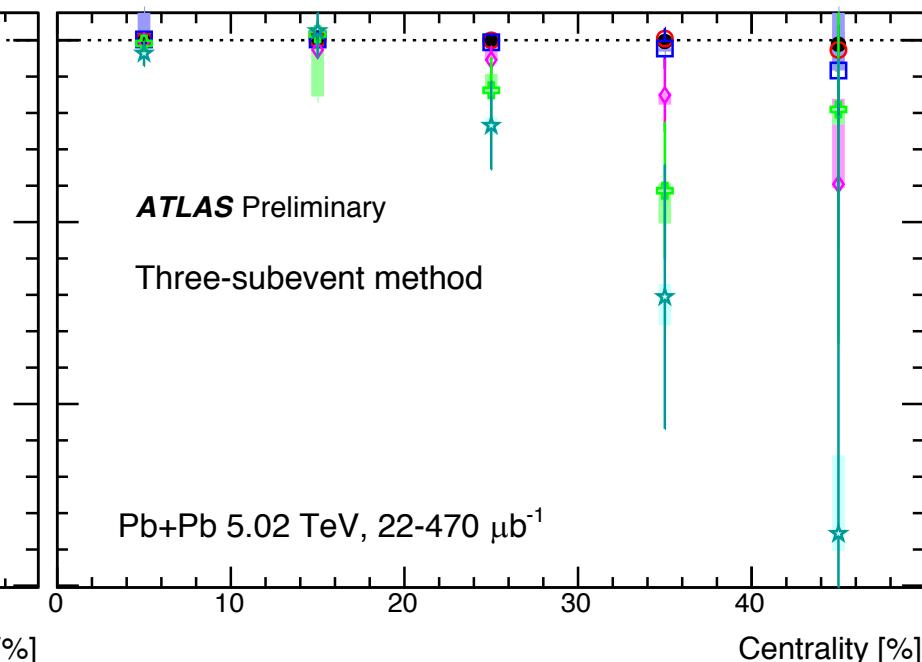
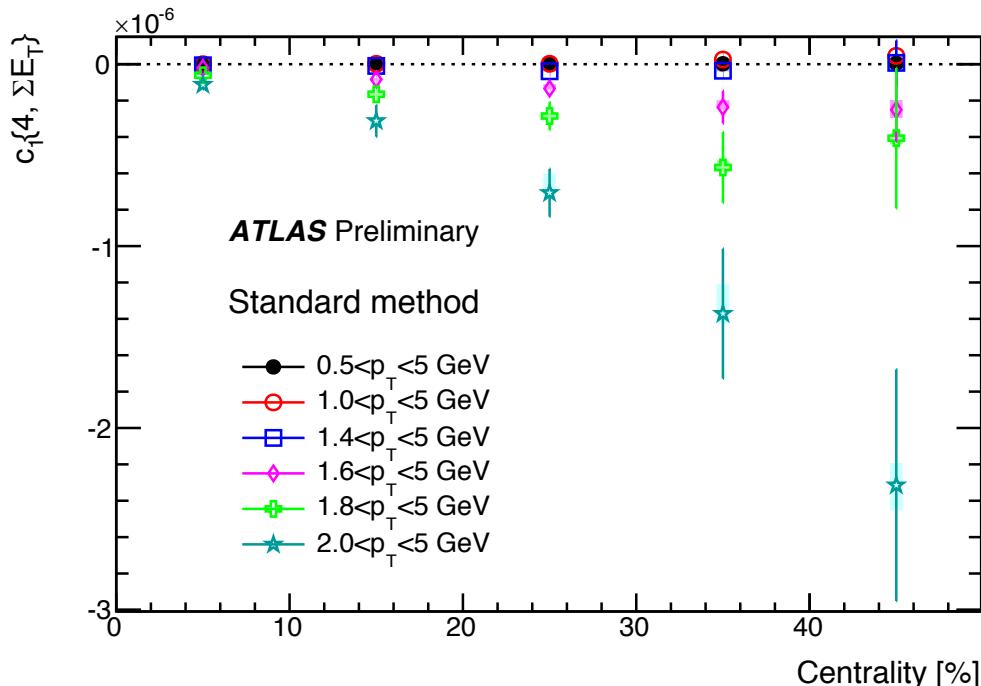
QM18

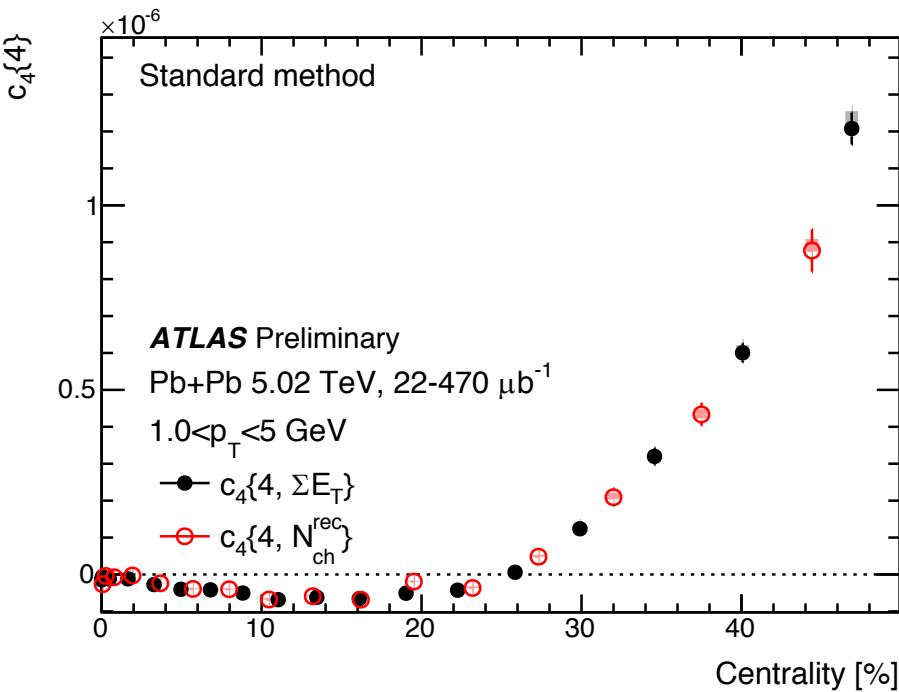
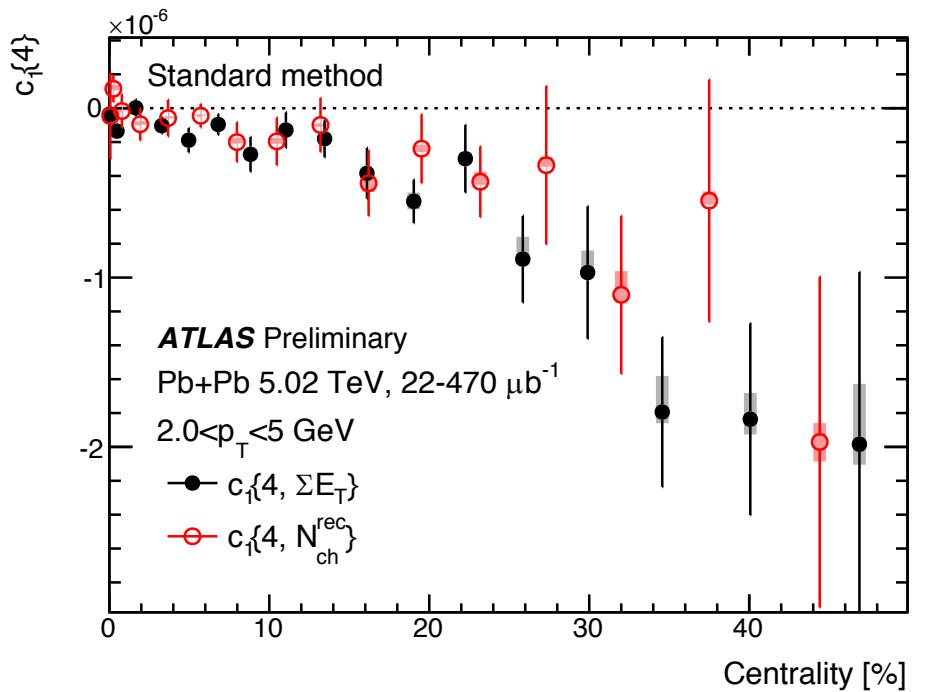
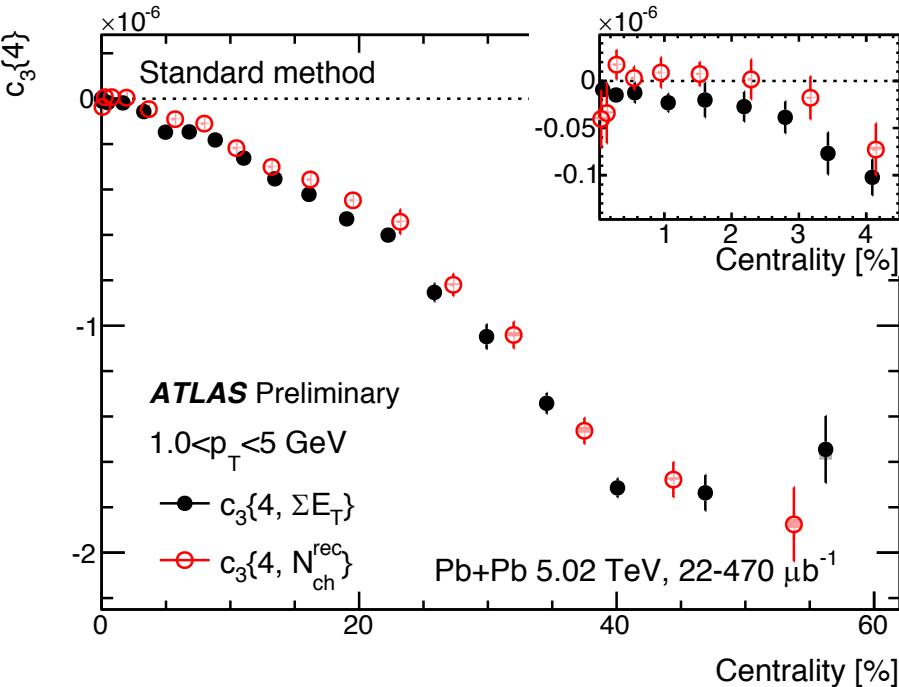
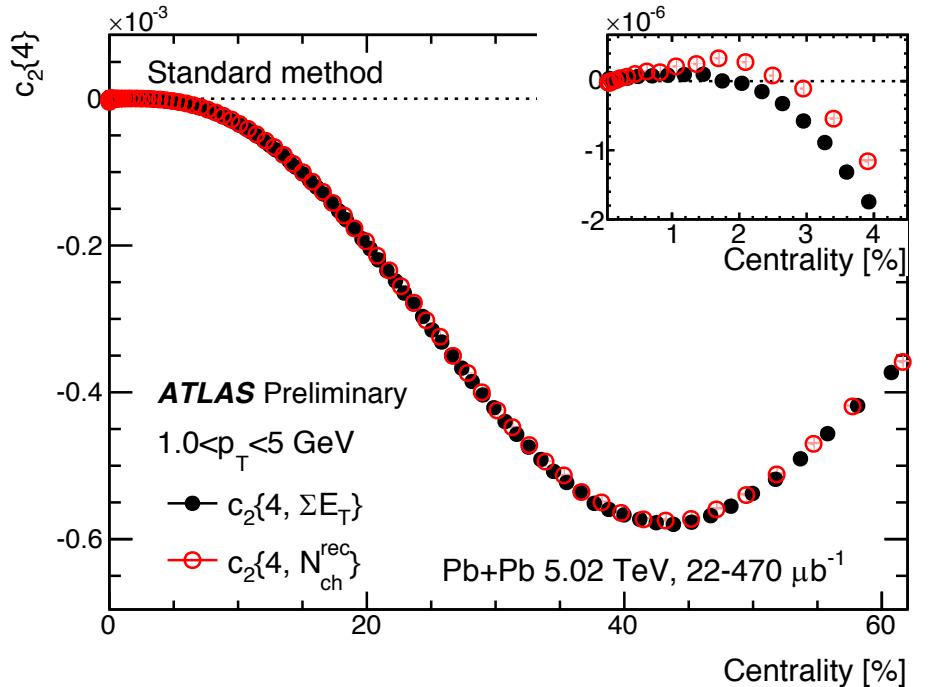


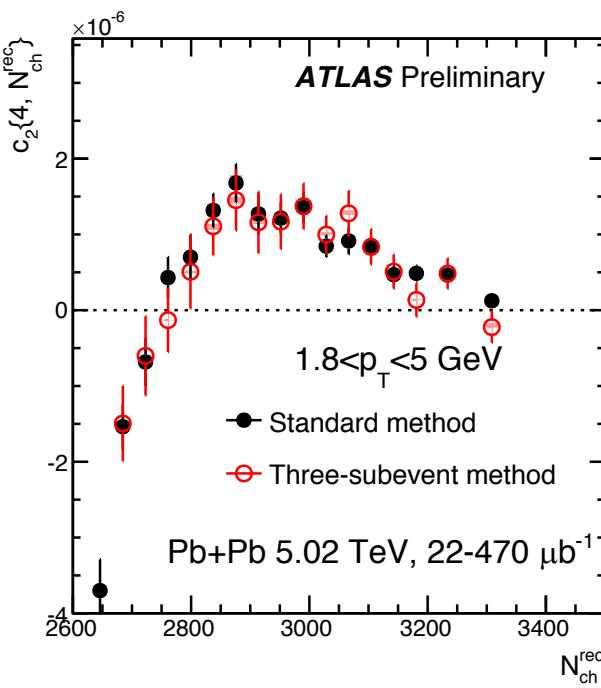
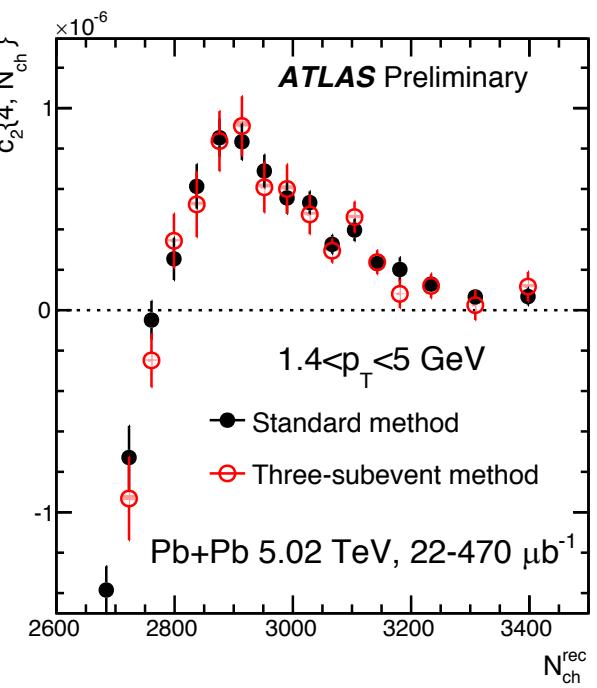
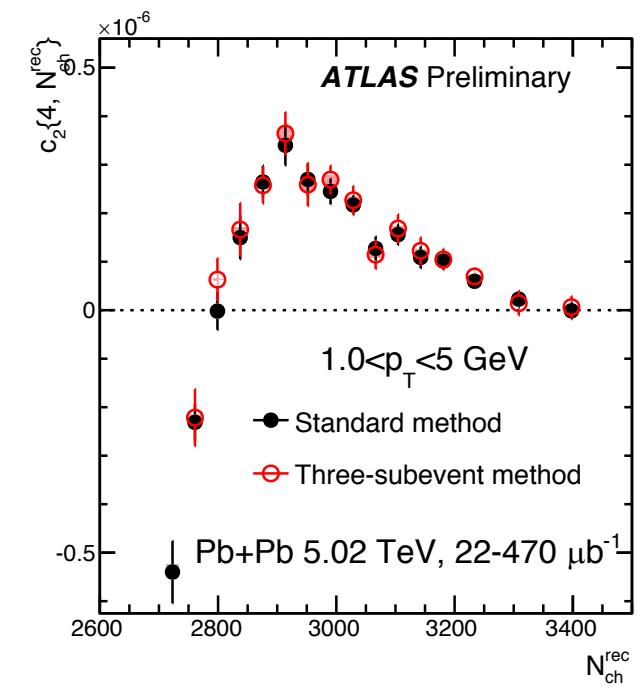
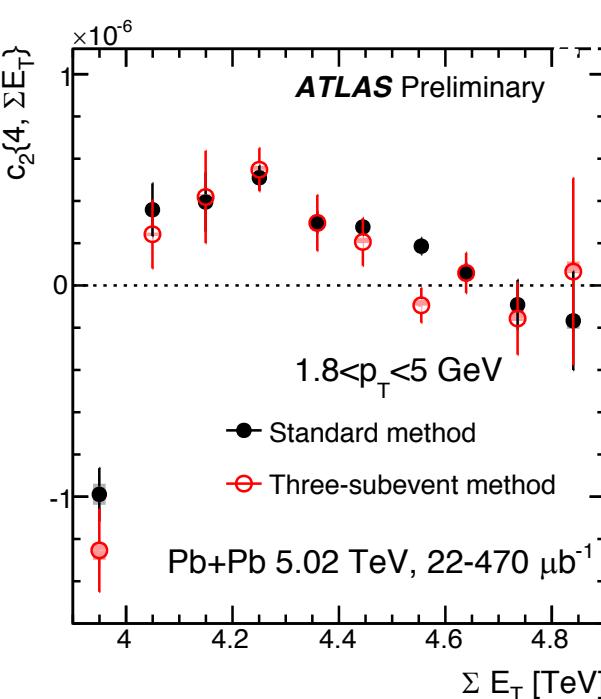
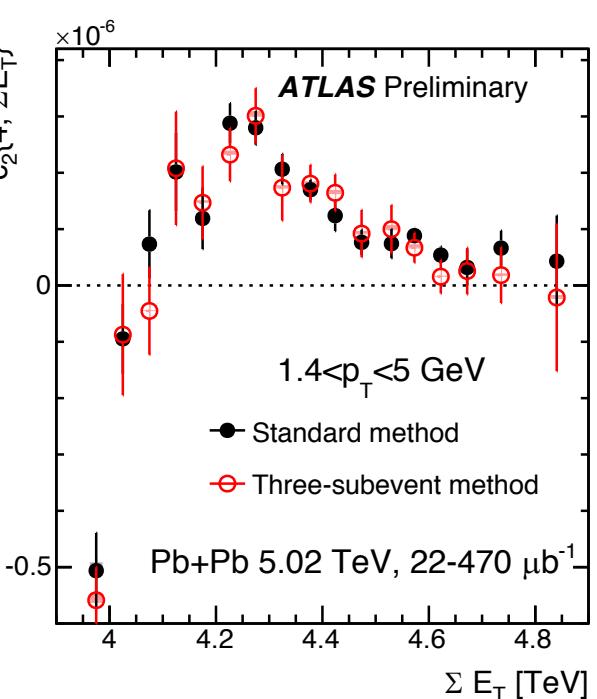
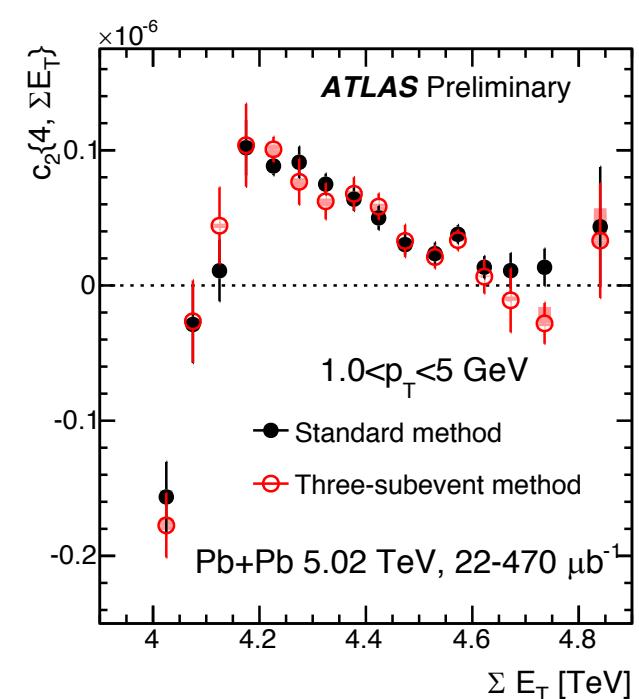
- $c_2\{4\}$ independent of N_{ch} ?
 - Larger CF in small system
 - N_{ch} not a good indicator for “centrality”?

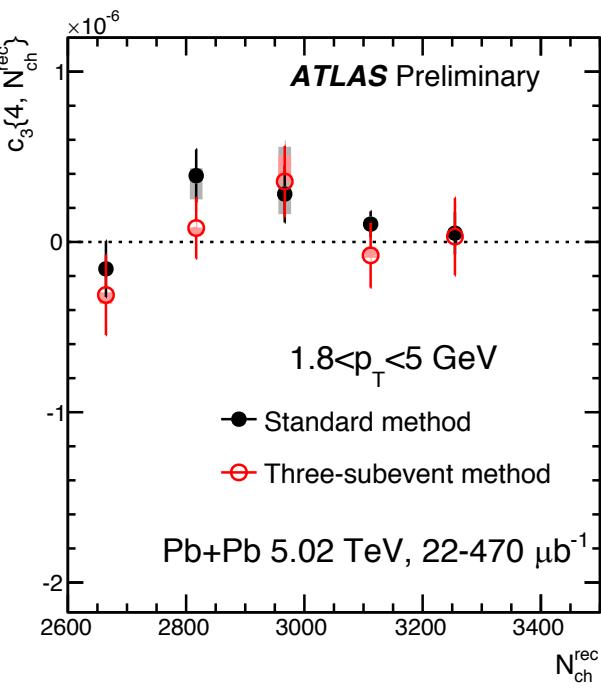
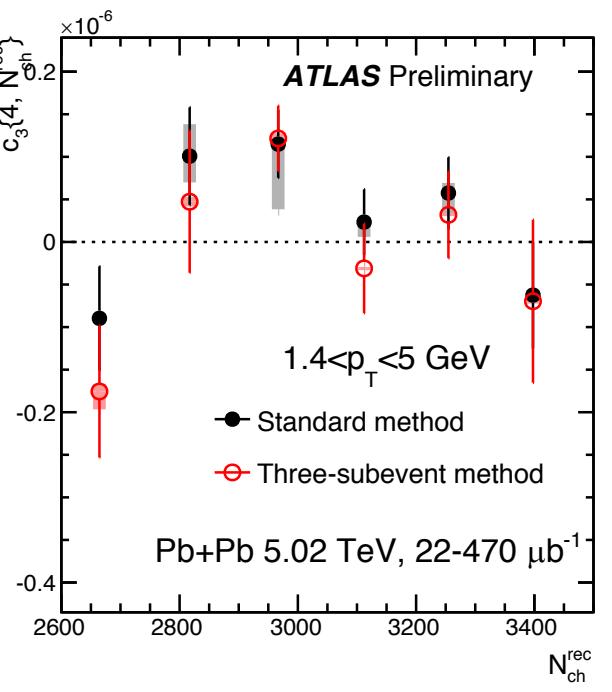
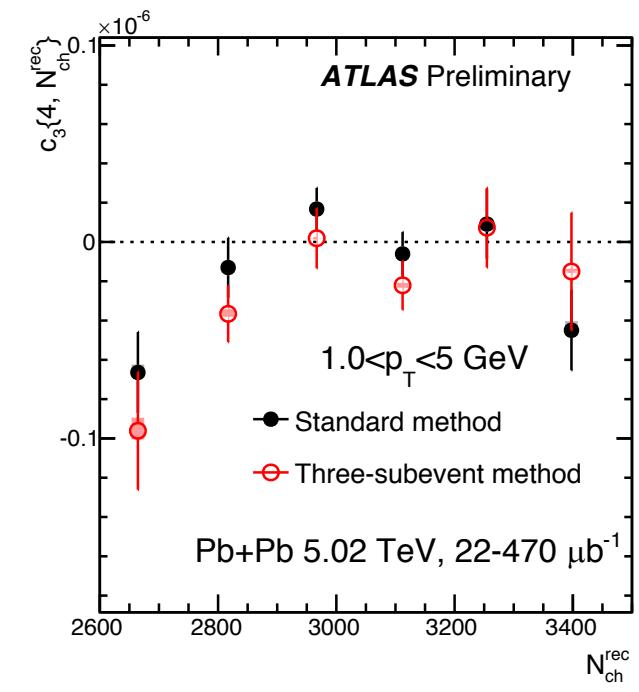
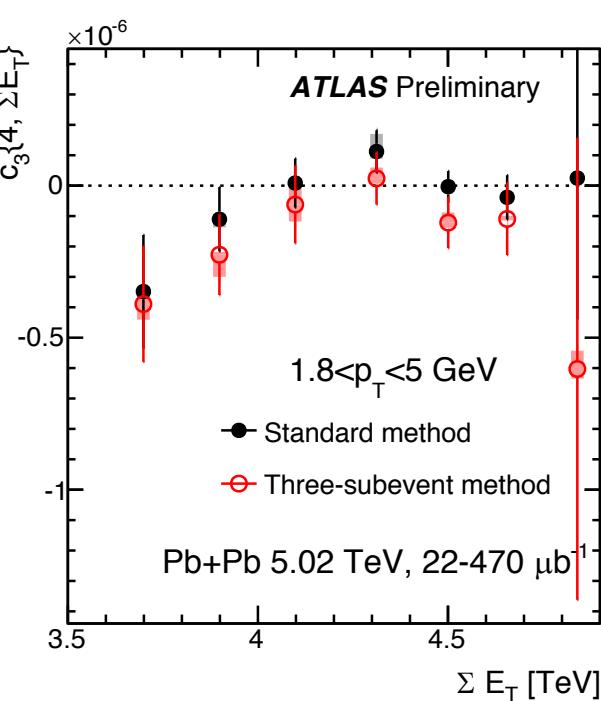
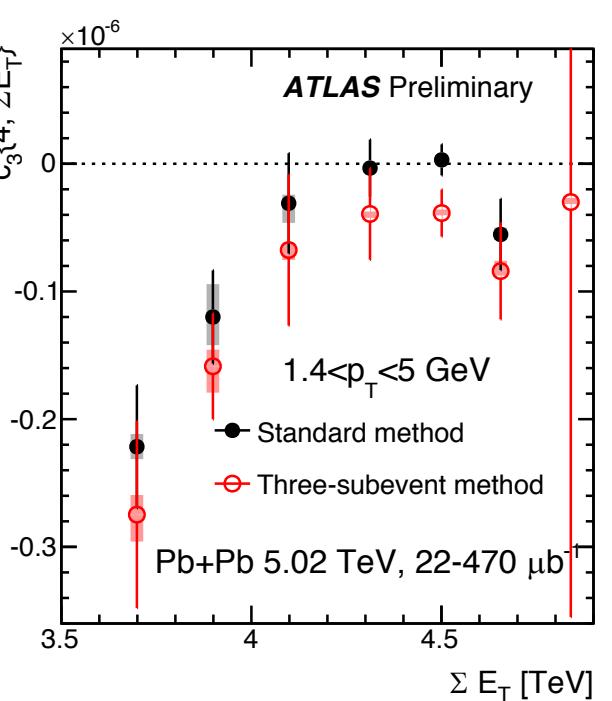
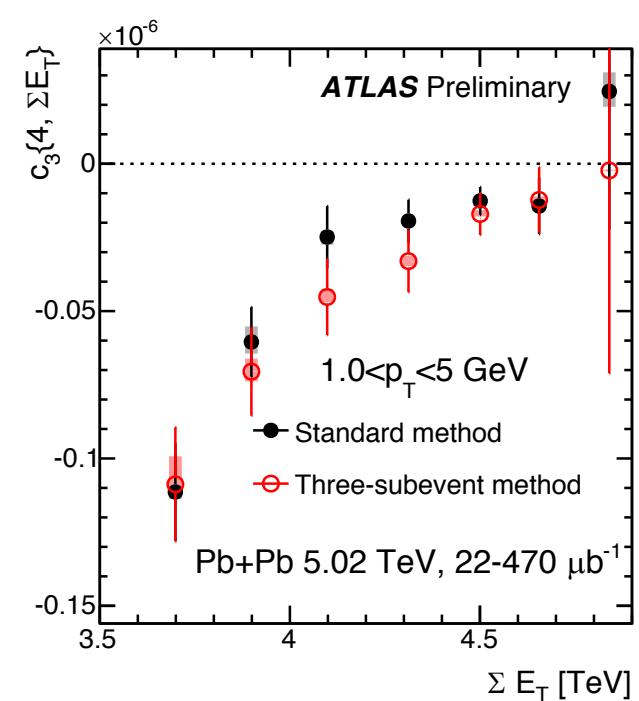
Backup

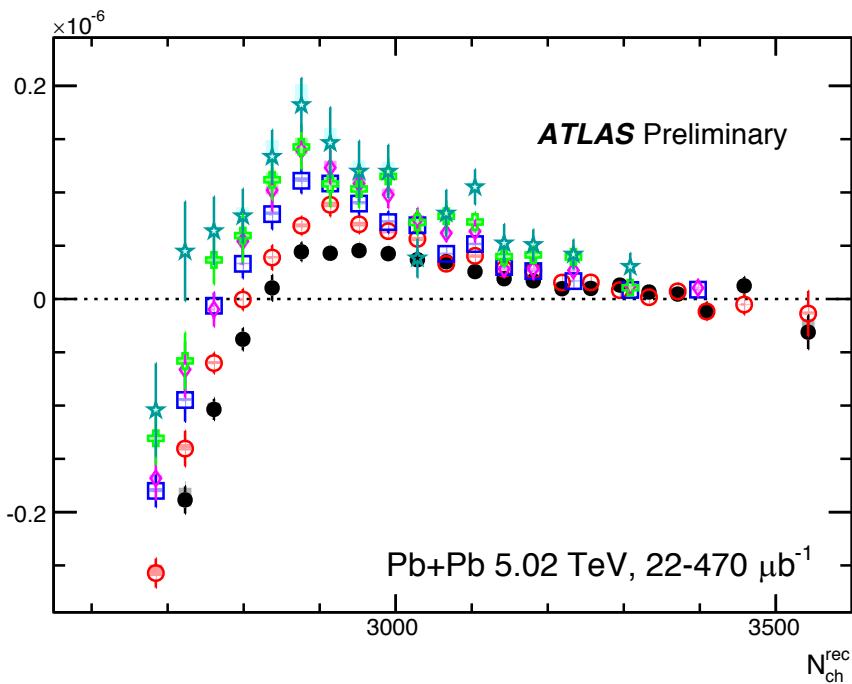
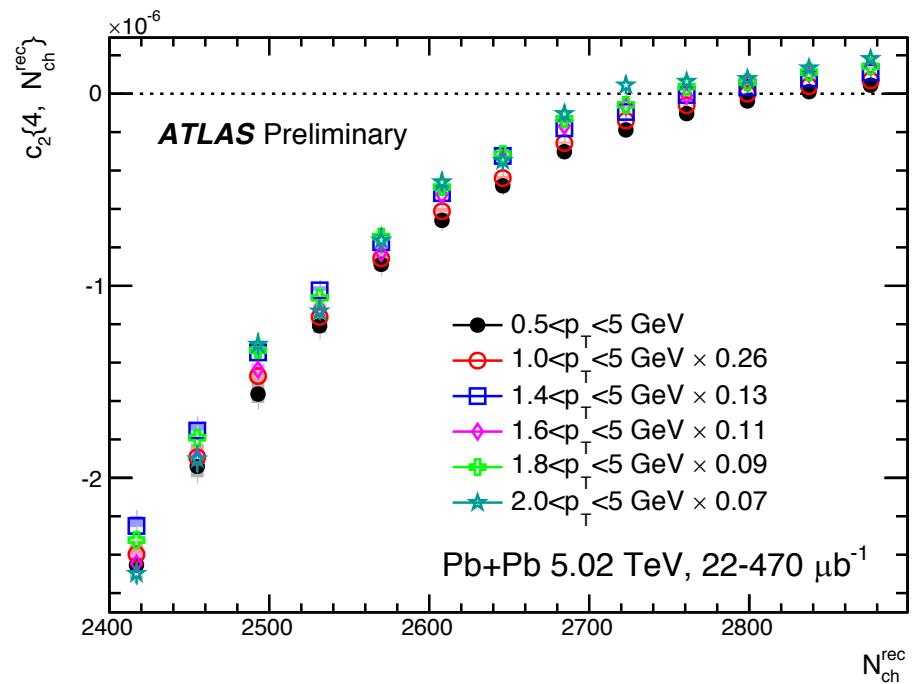
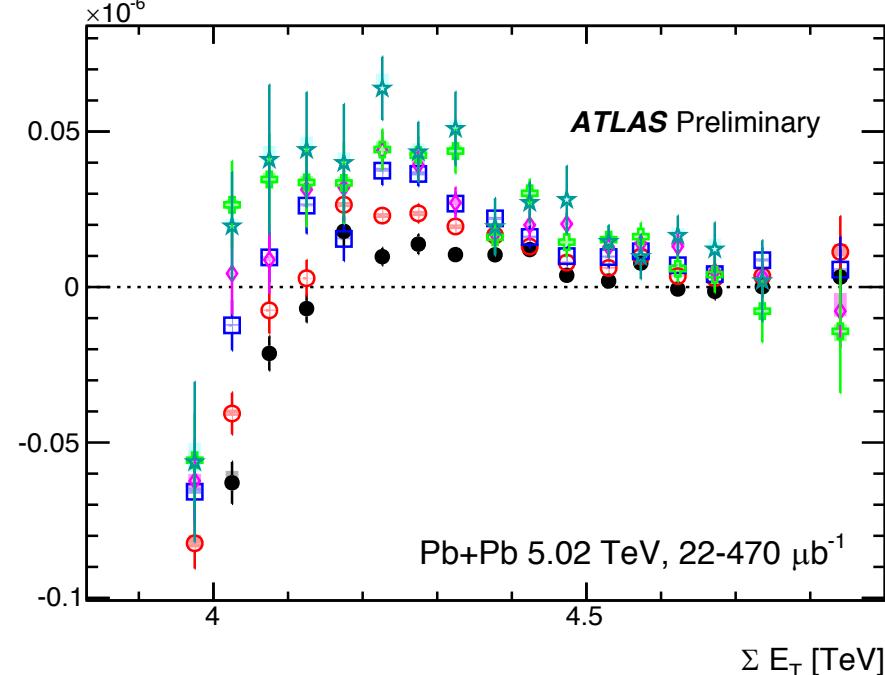
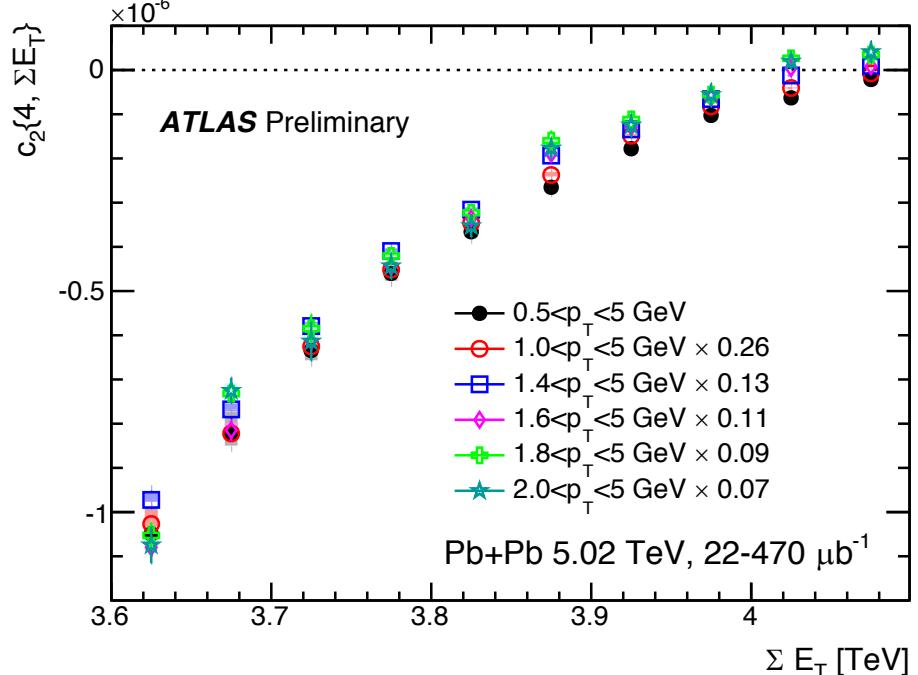


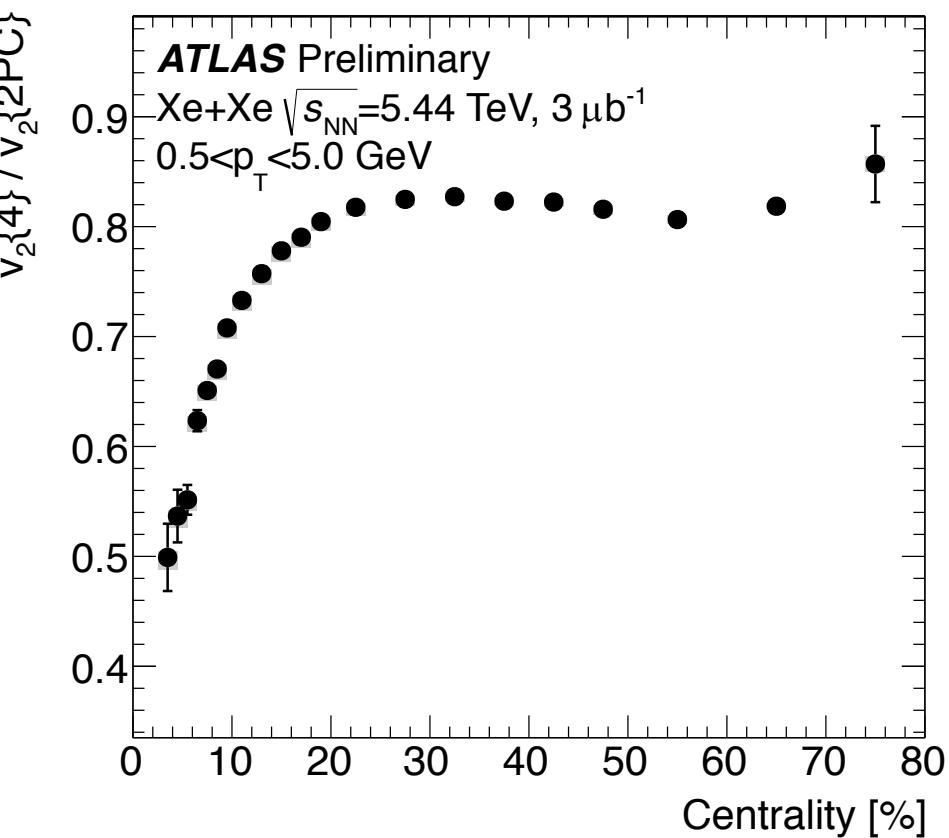
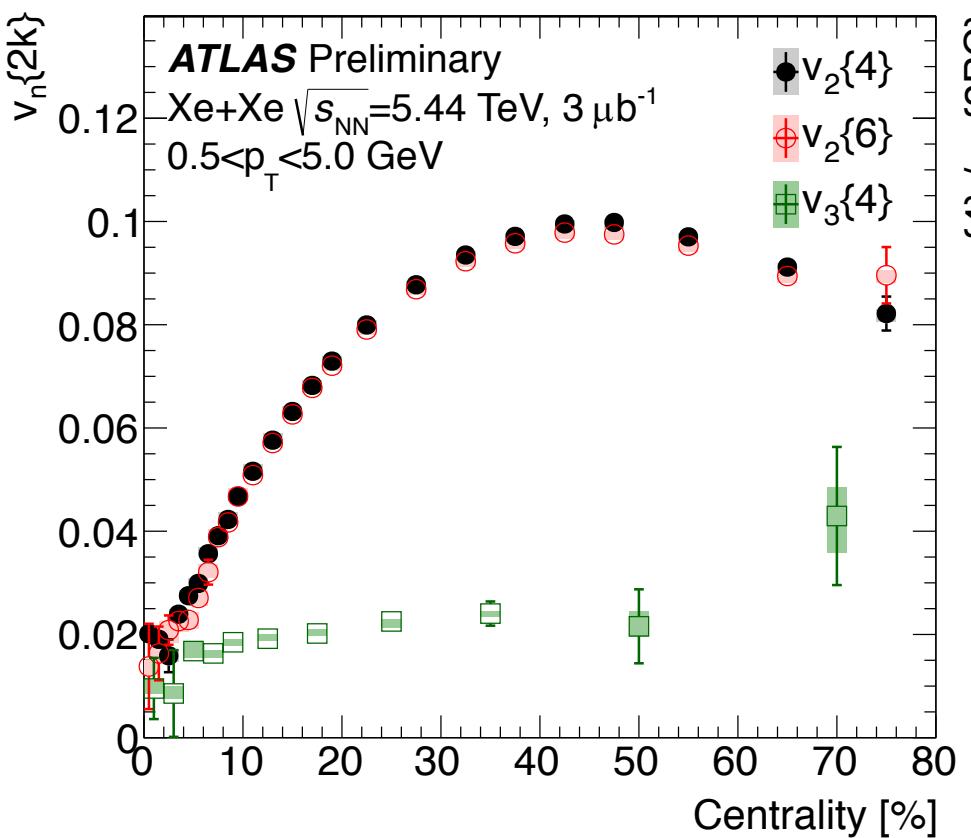


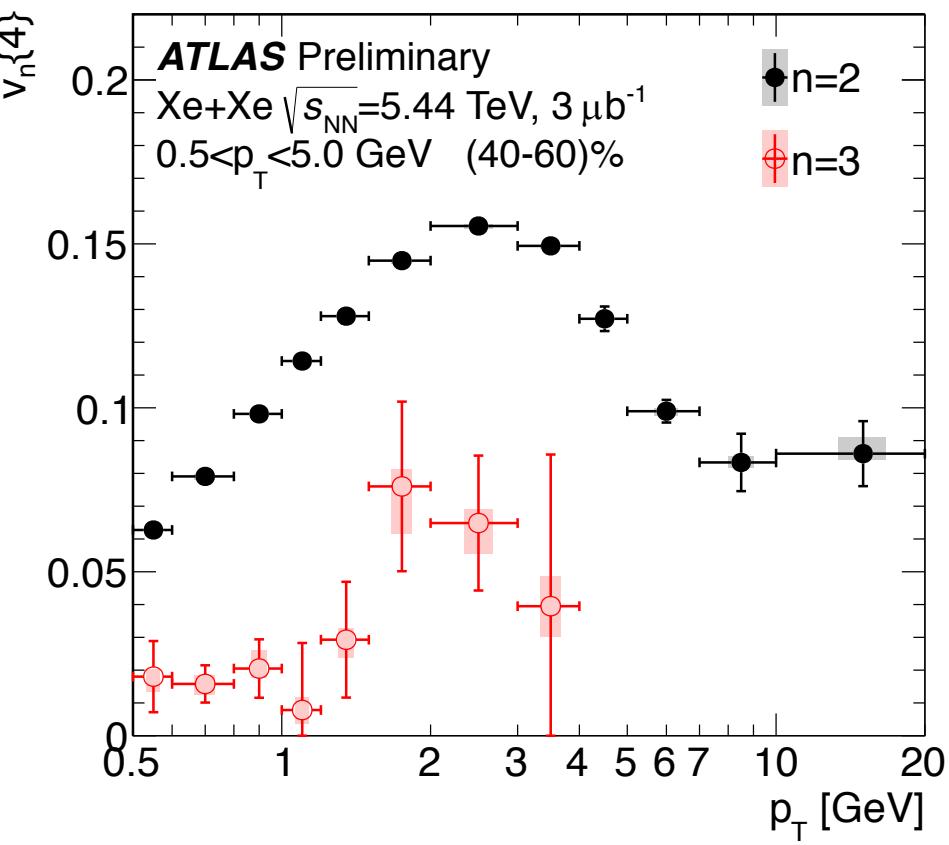
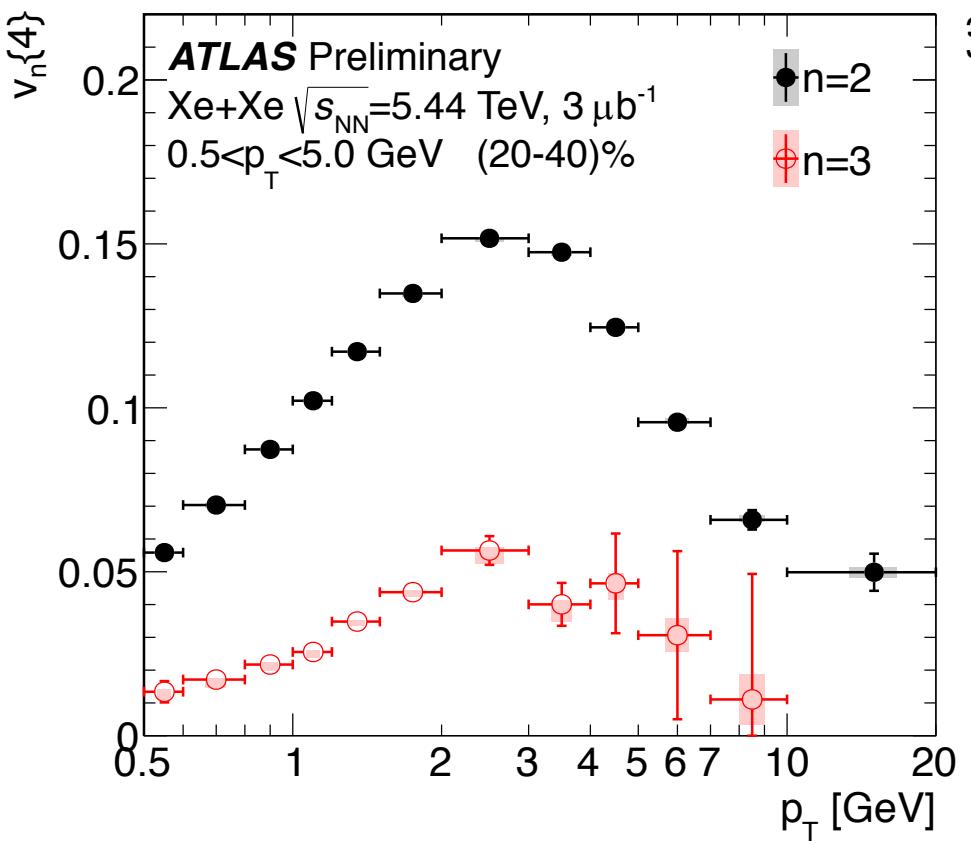


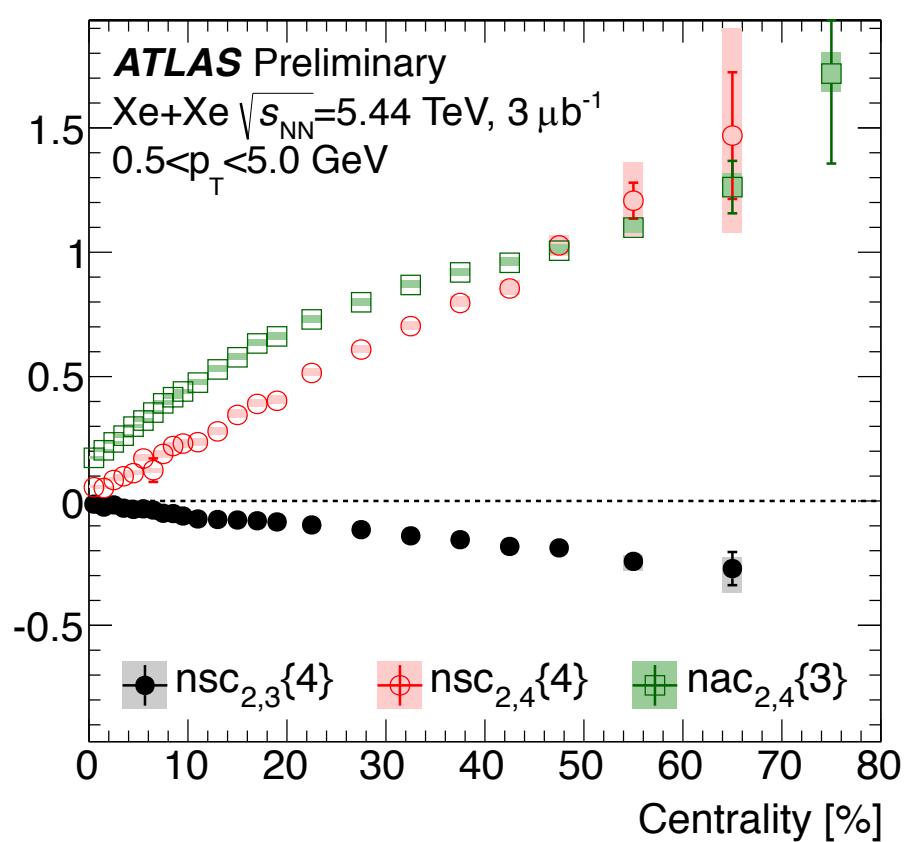
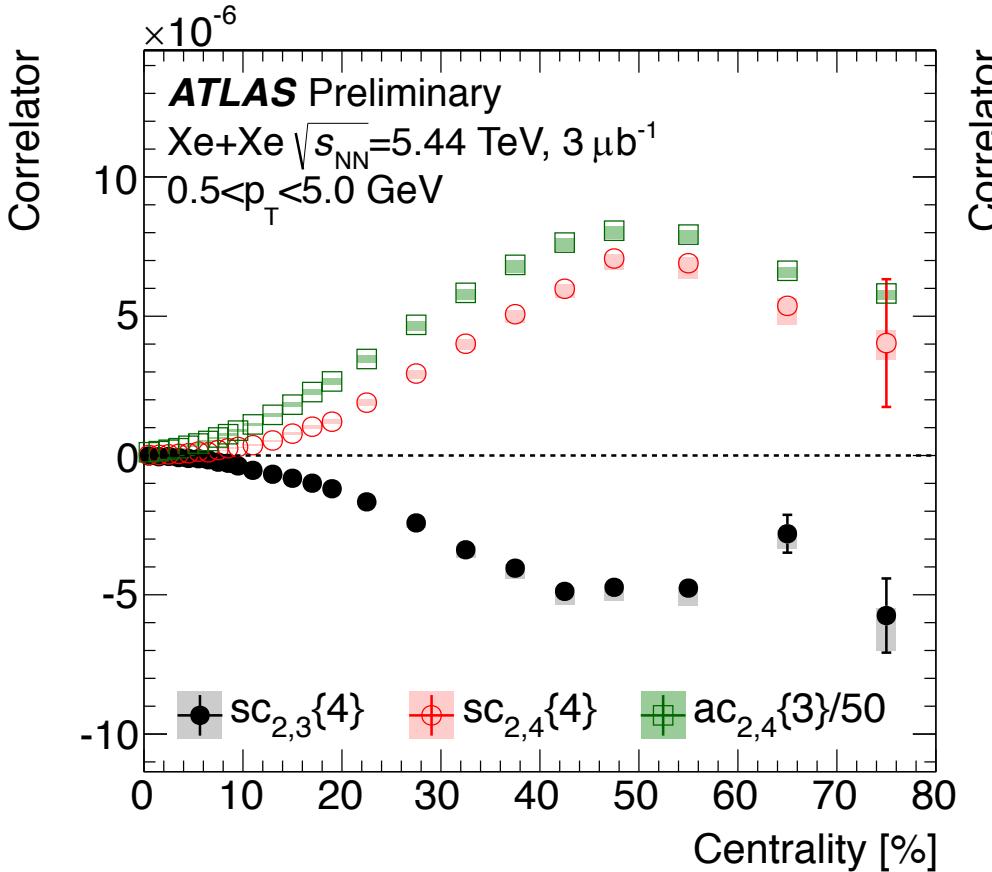


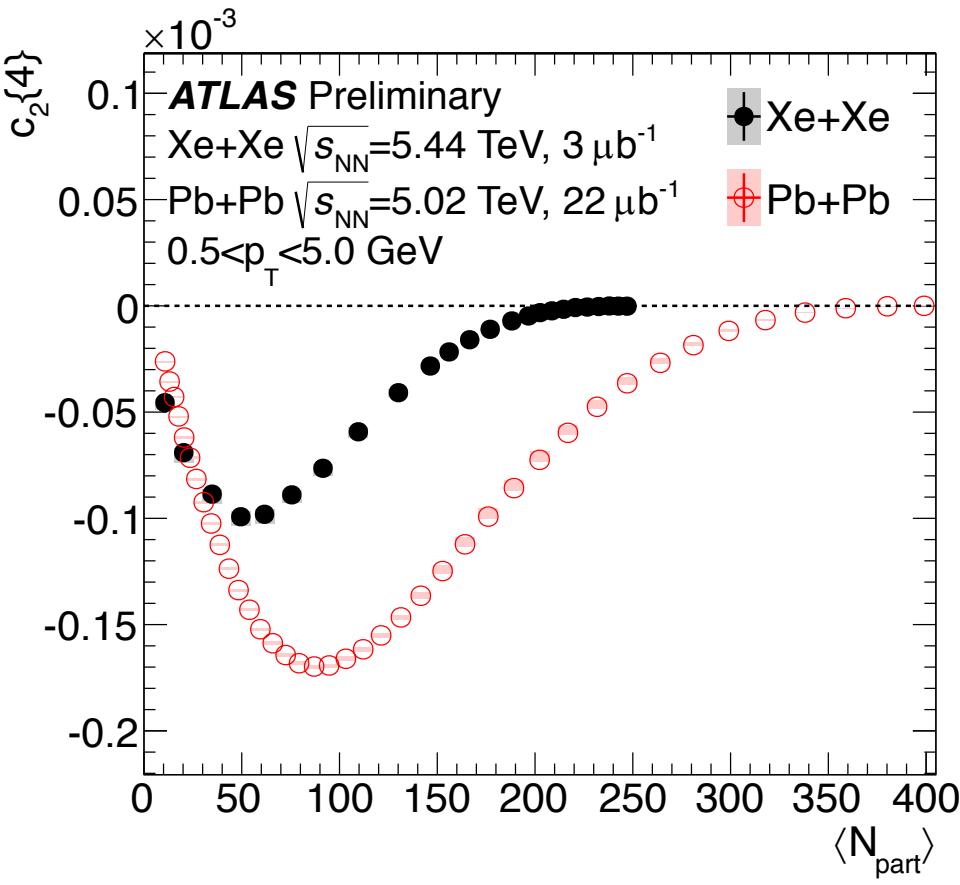
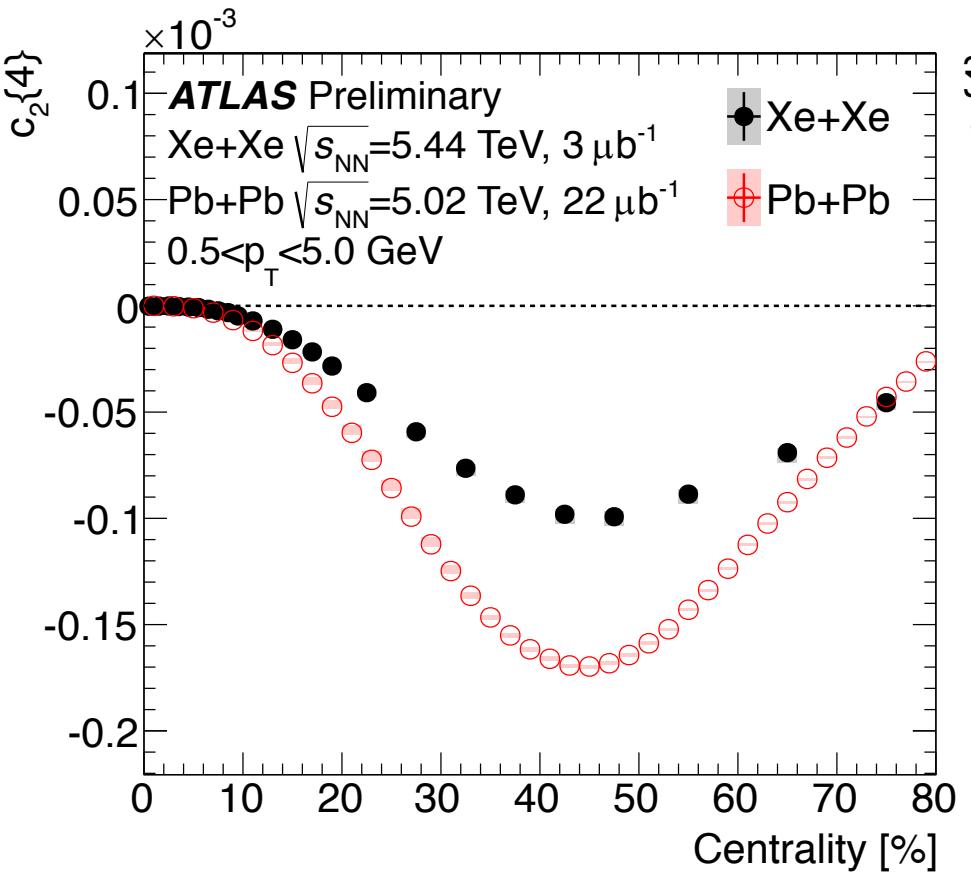


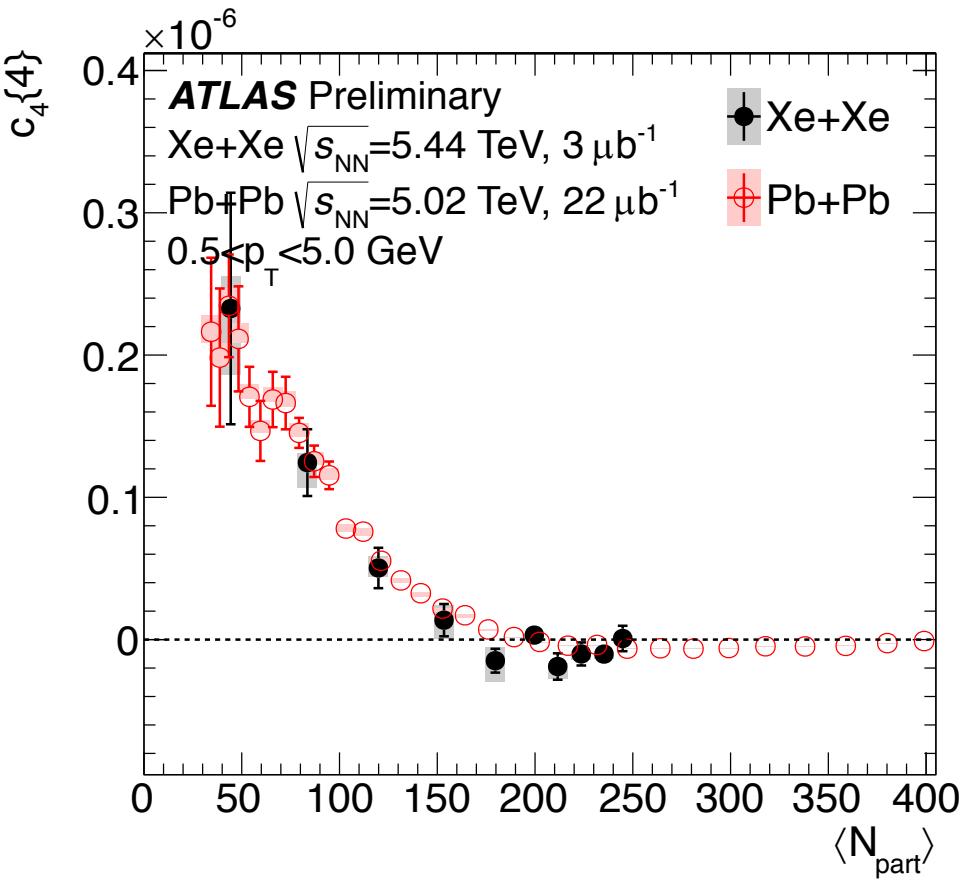
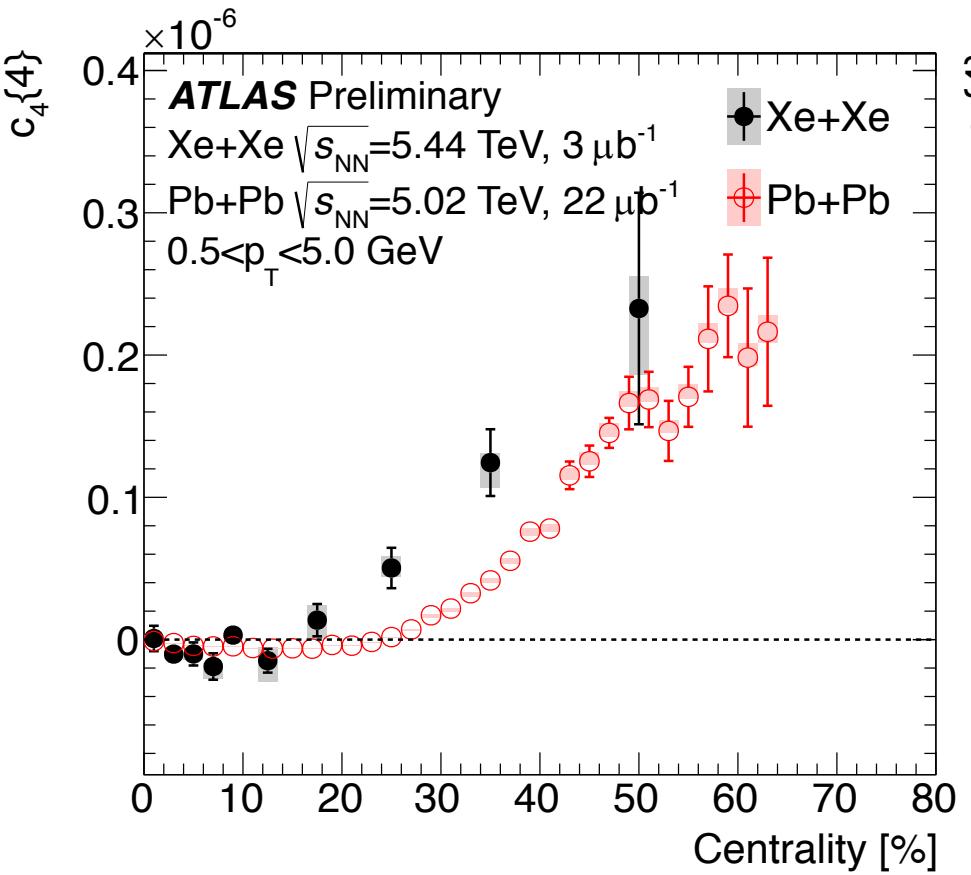


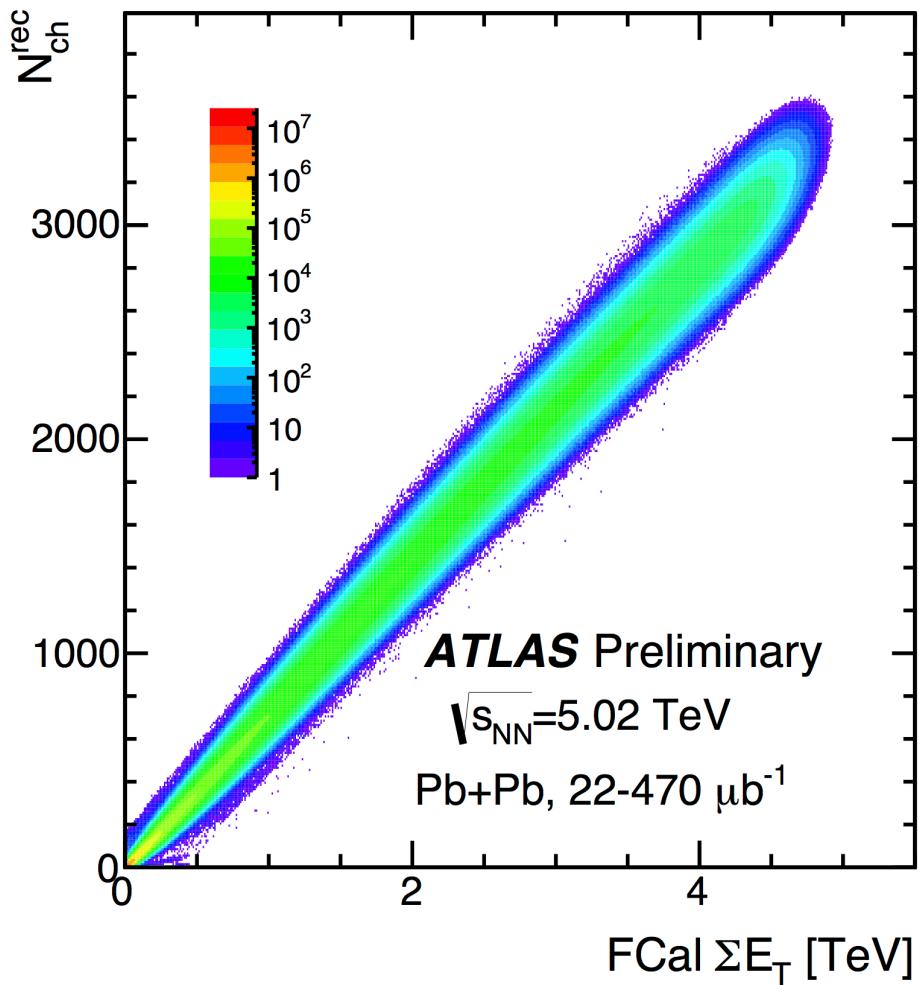
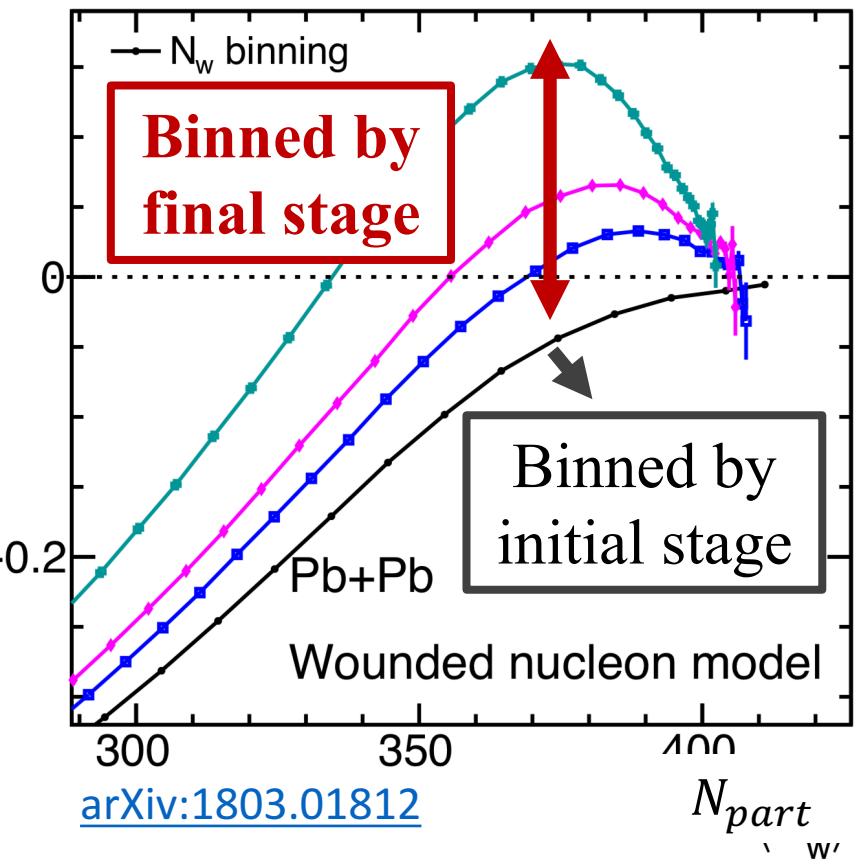


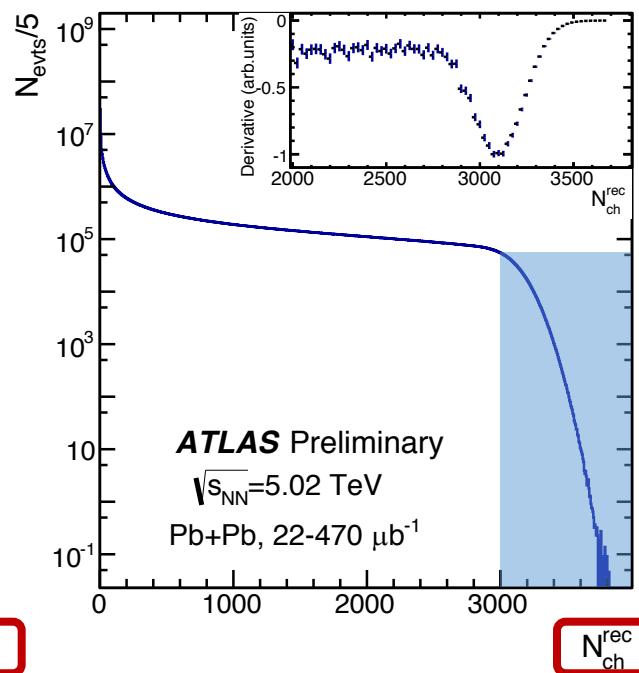
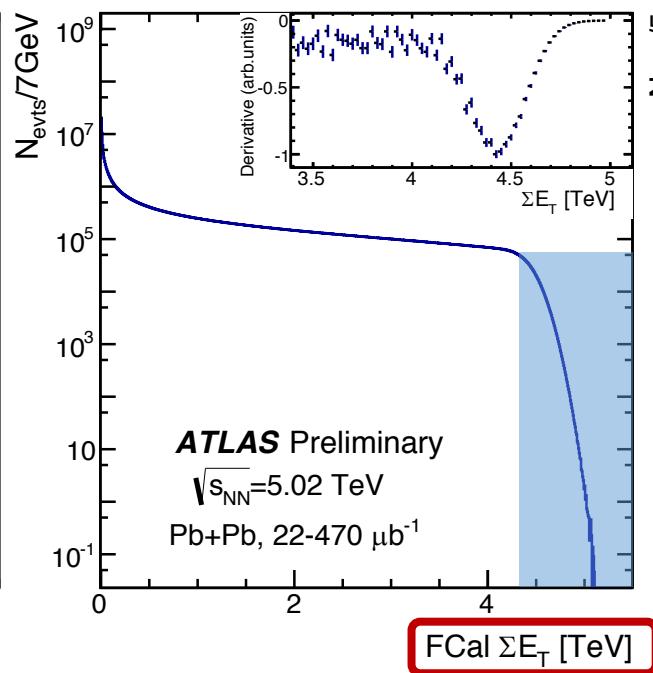
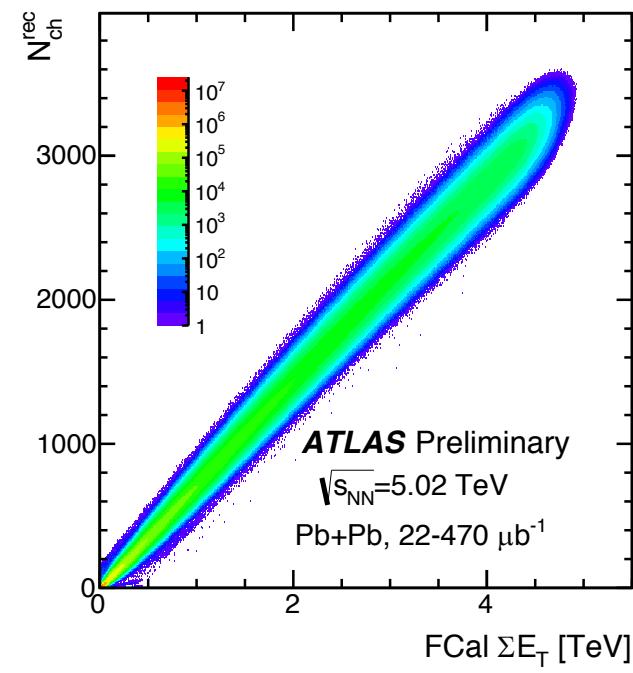








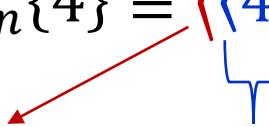
$\star c_{2,\infty}^{(4)}$ 



- Definitions of centrality
 - Ideally, defined by initial stage: N_{part} or b ;
 - In experiment, defined by final stage: E_T or N_{ch} ;
- To compare data with models, map $\langle N_{ch} \rangle$ to $\langle N_{part} \rangle$;
- But it does NOT always work for cumulant.

Cumulant is sensitive to flow fluctuation,
but sometimes it is TOO sensitive...

• 4-particle cumulant: $c_n\{4\} \equiv \langle\langle 4 \rangle\rangle - 2\langle\langle 2 \rangle\rangle^2$

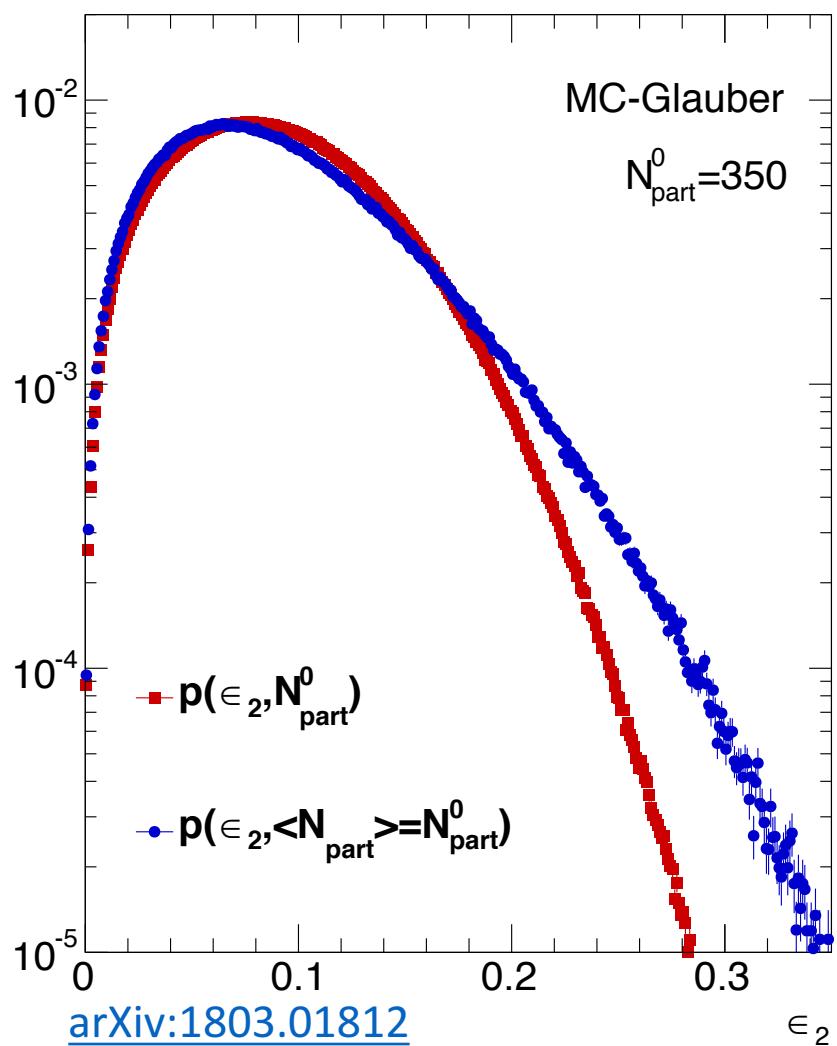


Averaged over many events
in each centrality

Calculated event-by-event

Centrality definition \Rightarrow flow fluctuation $\Rightarrow c_2\{4\}$

- Since $p(v_2)$ depends on N_{part} : $p(v_2, N_{part}^0) \neq p(v_2, \langle N_{part} \rangle = N_{part}^0)$



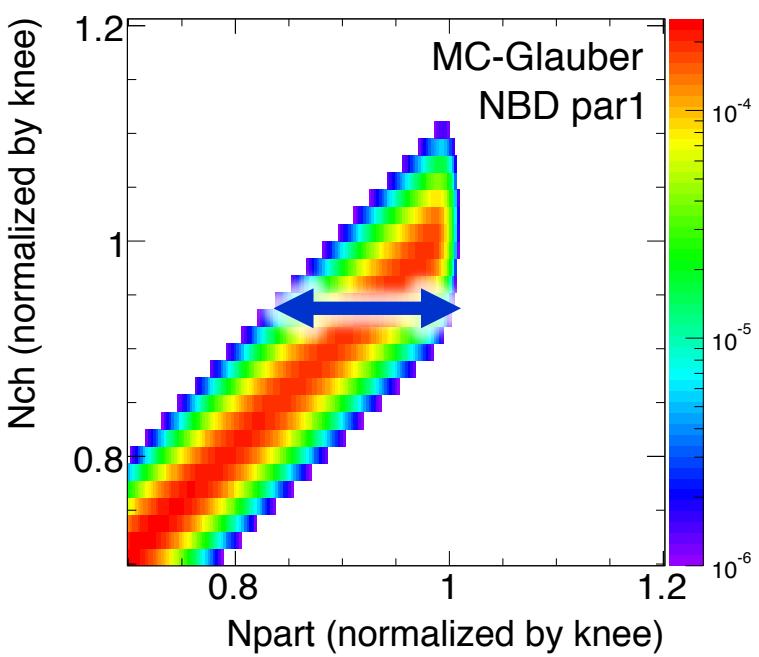
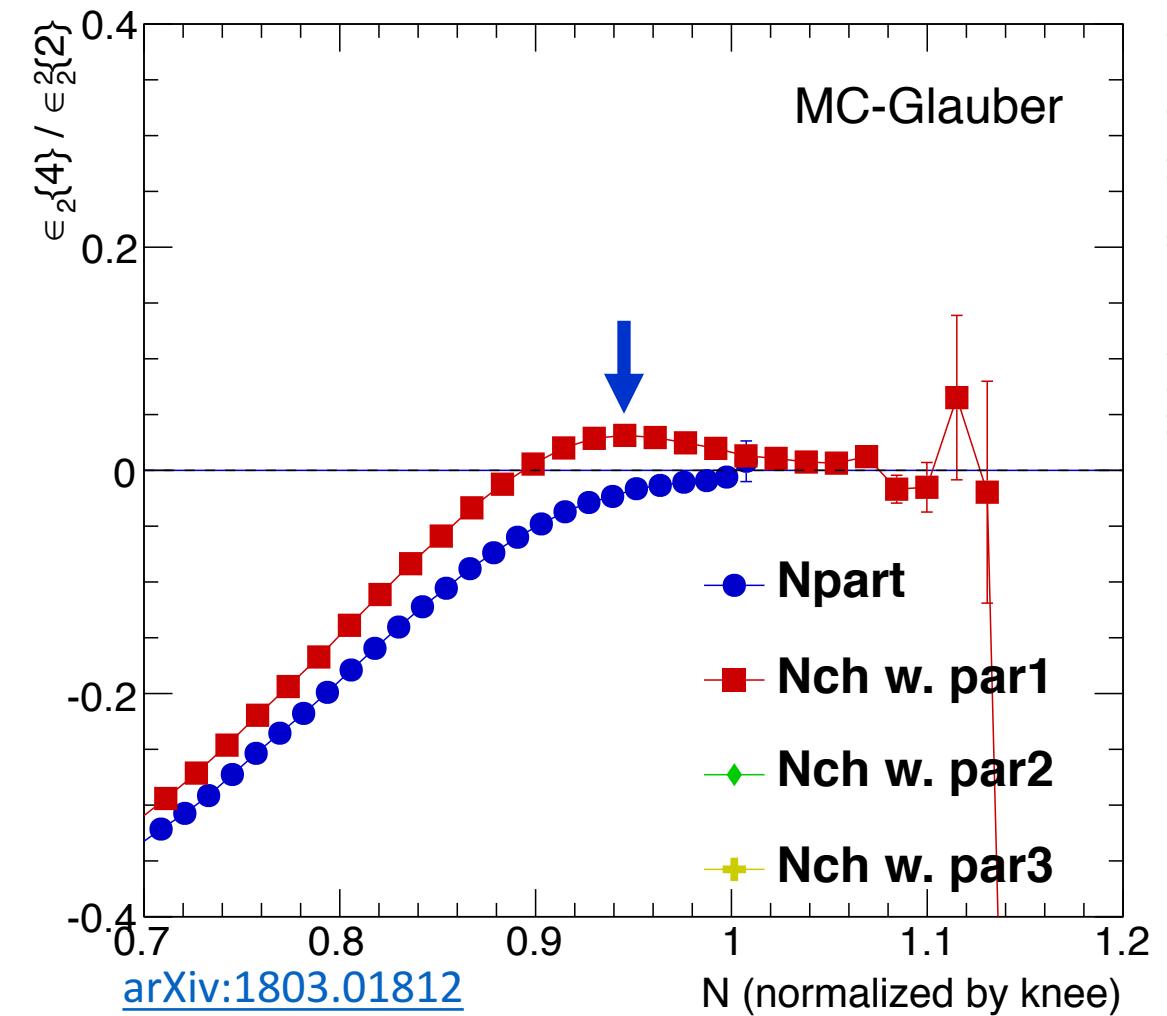
↓

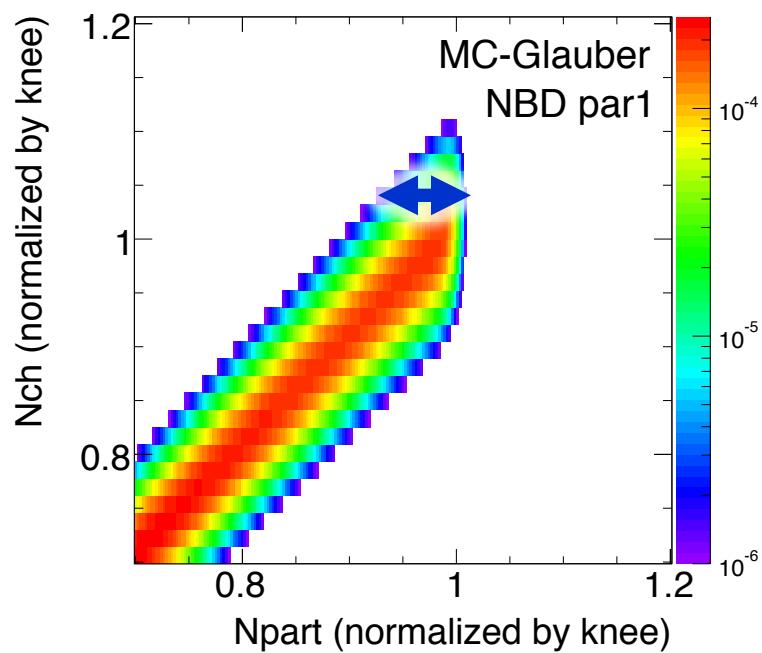
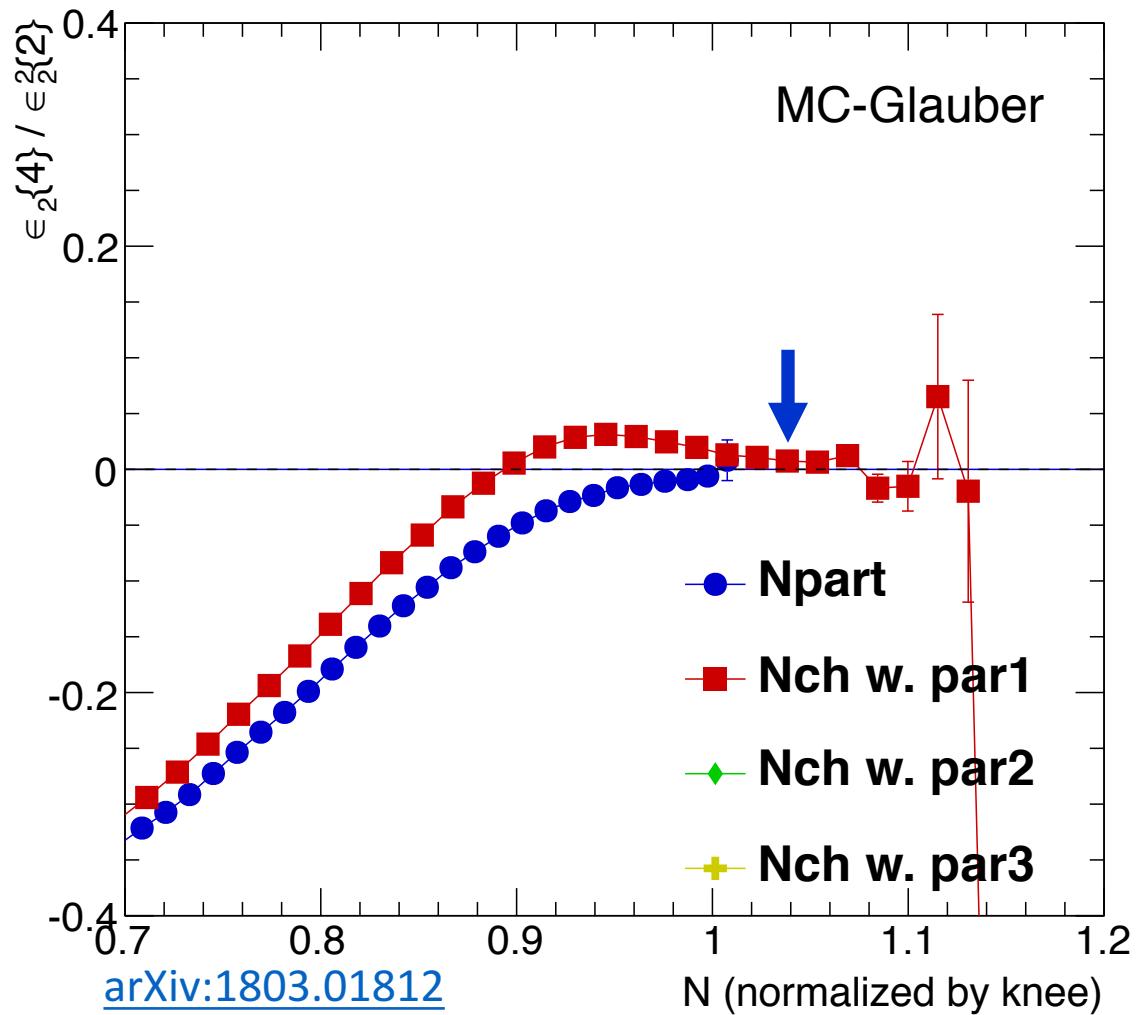
$$c_2\{4, N_{part}^0\} \neq c_2\{4, \langle N_{part} \rangle = N_{part}^0\}$$

Centrality resolution has potential effects on cumulants.

- Assume $v_2 \sim \epsilon_2$, such effects can be shown in MC-Glauber

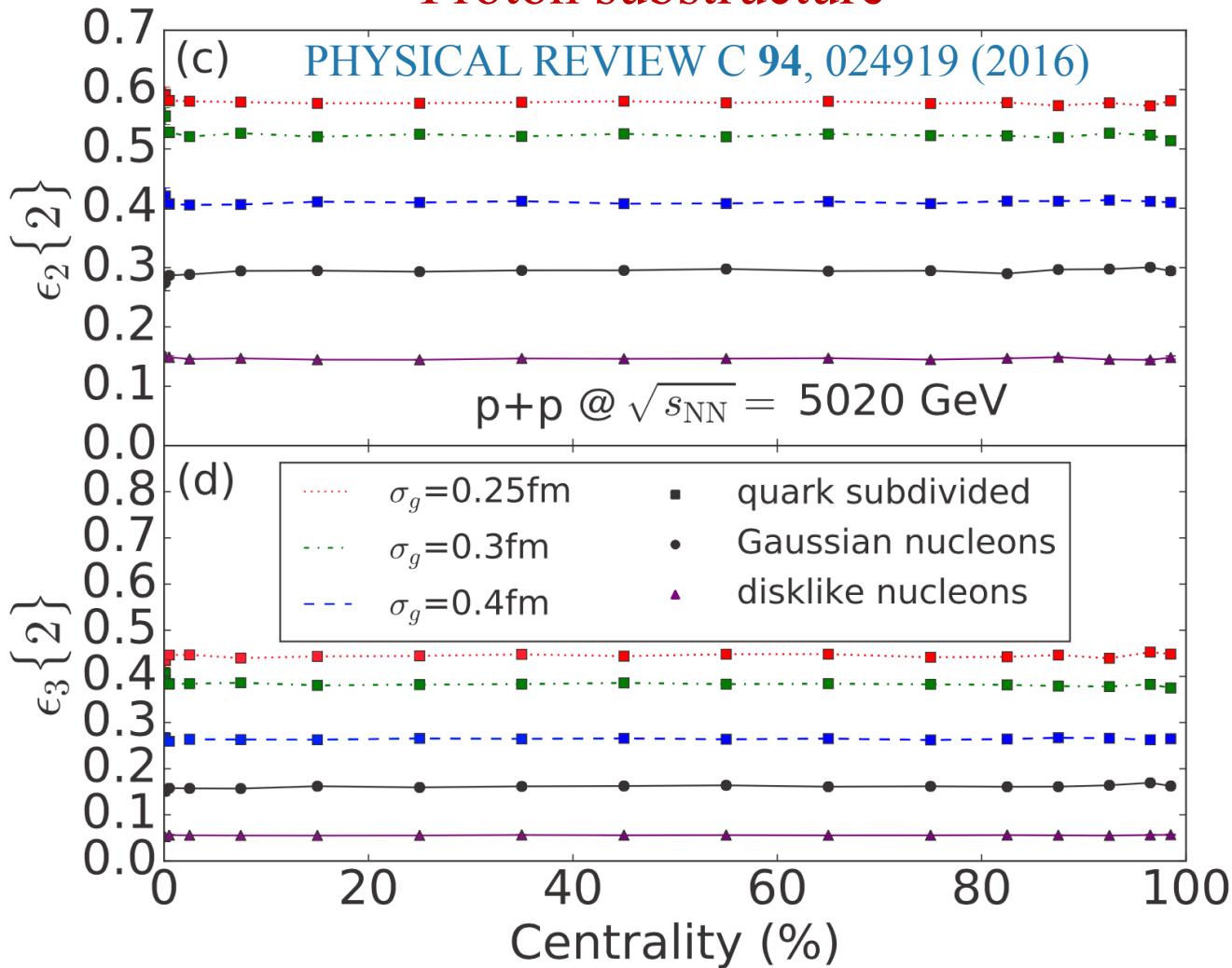
$$\epsilon_2\{4, N_{part}^0\} \neq \epsilon_2\{4, \langle N_{part} \rangle = N_{part}^0\}$$





- In very central collision, centrality resolution becomes better.

Proton substructure



- Centrality resolution too poor: N_{ch} not a good indicator for geometry?

