

## Analysis on diabetes1

```
In [74]: import numpy as np
import pandas as pd
from sklearn.model_selection import train_test_split
from sklearn.preprocessing import LabelEncoder
from sklearn.linear_model import LogisticRegression
from sklearn.tree import DecisionTreeClassifier
from sklearn.ensemble import RandomForestClassifier
from sklearn.metrics import classification_report, accuracy_score
import seaborn as sns
import matplotlib.pyplot as plt
import statsmodels.api as sm
```

```
In [65]: Type1 = pd.read_csv("C:/Users/Shu/Downloads/type1_diabetes.csv")
Type1.head()

age_order = ['<10', '10-20', '20-30', '30-40', '40+']

# Convert Age_Group column to categorical type with the correct order
Type1['Age_Group'] = pd.Categorical(Type1['Age_Group'], categories=age_order, or
```

## Variable description

- HYPEV - Ever been told you have hypertension
- CHLEV - Ever been told you had high cholesterol
- CHDEV - Ever been told you had coronary heart disease
- ANGEV - Ever been told you had angina pectoris
- MIEV - Ever been told you had a heart attack
- HRTEV - Ever been told you had a heart condition/disease
- STREV - Ever been told you had a stroke
- EPHEV - Ever been told you had emphysema
- COPDEV - Ever been told you had COPD (Chronic Obstructive Pulmonary Disease)
- AASMEV - Ever been told you had asthma
- ULCEV - Ever been told you have an ulcer
- ULCCOLEV - Ever been told you had Crohn's disease or ulcerative colitis
- CANEV - Ever told by a doctor you had cancer
- SINYR - Told that you had sinusitis, past 12 months
- CBRCHYR - Told you had chronic bronchitis, past 12 months
- KIDWKYR - Told you had weak/failing kidneys, past 12 months
- LIVYR - Told you had a liver condition, past 12 months
- ARTH1 - Ever been told you had arthritis
- VIM\_GLEV - Ever been told you had glaucoma
- FLA1AR - Any functional limitation, all conditions

## Feature Correlation Analysis

Chi-sqaure test for features

Why we use Chi-square?

Determines whether the distribution of one categorical variable (e.g., the age group) differs depending on another categorical variable (e.g., the presence of a complication). Specifically, it answers the question: "Is the occurrence of a complication related to the age of diabetes diagnosis?"

```
In [66]: from scipy.stats import chi2_contingency

for complication in ['HYPEV', 'CHLEV', 'CHDEV', 'ANGEV', 'MIEV', 'HRTEV', 'STREV']:
    contingency_table = pd.crosstab(Type1[complication], Type1['Age_Group'])
    chi2, p, dof, ex = chi2_contingency(contingency_table)
```

```
In [67]: significant_complications = {
    'Complication': ['HYPEV', 'CHLEV', 'CHDEV', 'COPDEV', 'AASMEV', 'CANEV', 'ARTH1', 'FLA1AR'],
    'P-value': [3.857202605167316e-11, 0.029468324837065636, 0.04558035159381288, 0.324934e-03, 1.136035e-02, 3.995791e-02, 3.044532e-04, 5.769036e-05]
}

nonsignificant_complications = {
    'Complication': ['ANGEV', 'MIEV', 'HRTEV', 'STREV', 'EPHEV', 'ULCEV', 'ULCCOLEV', 'SINYR', 'CBRCHYR', 'KIDWKYR', 'LIVYR', 'VIM_GLEV'],
    'P-value': [0.346790, 0.311731, 0.643018, 0.279781, 0.554722, 0.420774, 0.559138, 0.107738, 0.817249, 0.802256, 0.549789, 0.369243]
}

significant_df = pd.DataFrame(significant_complications)
nonsignificant_df = pd.DataFrame(nonsignificant_complications)

print("Features that are significantly correlated:\n", significant_df)
print("Features that are not significantly correlated:\n", nonsignificant_df)
```

Features that are significantly correlated:

	Complication	P-value
0	HYPEV	3.857203e-11
1	CHLEV	2.946832e-02
2	CHDEV	4.558035e-02
3	COPDEV	4.324934e-03
4	AASMEV	1.136035e-02
5	CANEV	3.995791e-02
6	ARTH1	3.044532e-04
7	FLA1AR	5.769036e-05

Features that are not significantly correlated:

	Complication	P-value
0	ANGEV	0.346790
1	MIEV	0.311731
2	HRTEV	0.643018
3	STREV	0.279781
4	EPHEV	0.554722
5	ULCEV	0.420774
6	ULCCOLEV	0.559138
7	SINYR	0.107738
8	CBRCHYR	0.817249
9	KIDWKYR	0.802256
10	LIVYR	0.549789
11	VIM_GLEV	0.369243

## Correlation Analysis

Create plots to show complications and diagnoses

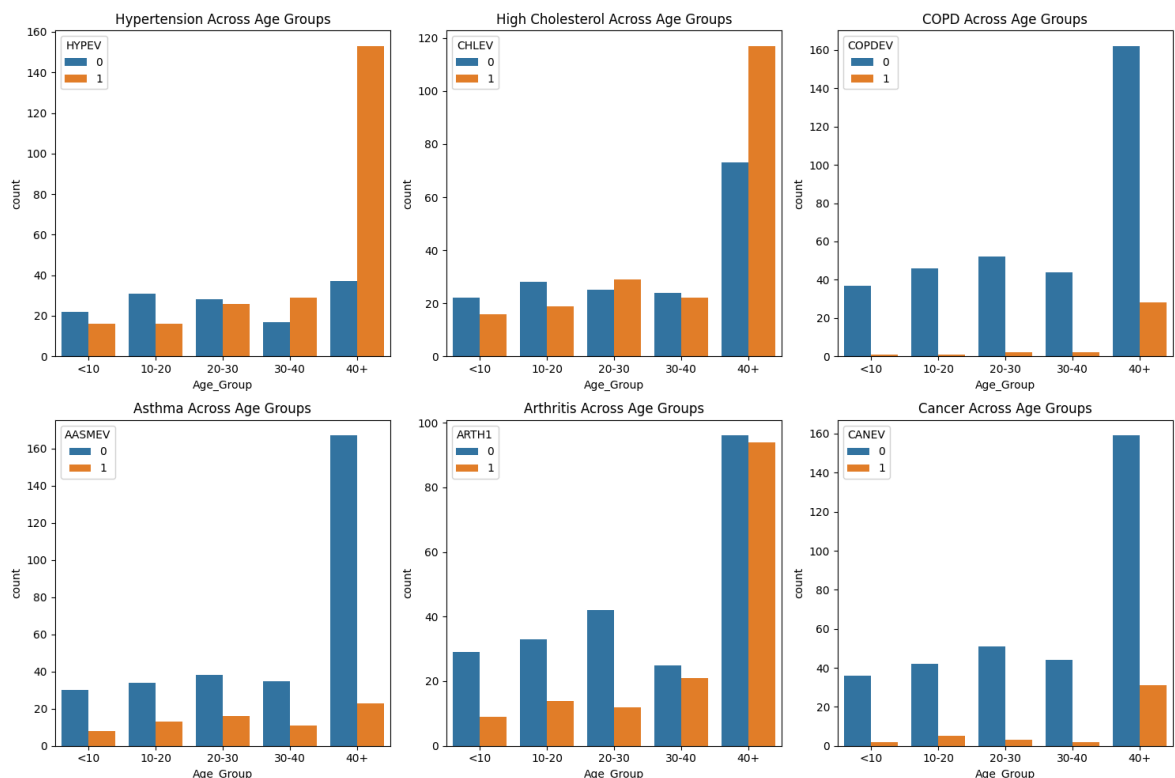
```
In [82]: # 0 as No and 1 as Yes
complications = ['HYPEV', 'CHLEV', 'COPDEV', 'AASMEV', 'ARTH1', 'CANEV']
titles = ['Hypertension', 'High Cholesterol', 'COPD', 'Asthma', 'Arthritis', 'Ca

n_plots = len(complications)
n_cols = 3
n_rows = (n_plots + n_cols - 1) // n_cols
fig, axes = plt.subplots(n_rows, n_cols, figsize=(15, 10))

axes = axes.flatten()
for i, complication in enumerate(complications):
    sns.countplot(x='Age_Group', hue=complication, data=Type1, ax=axes[i])
    axes[i].set_title(f'{titles[i]} Across Age Groups')

for j in range(i+1, len(axes)):
    fig.delaxes(axes[j])

plt.tight_layout()
plt.show()
```



## Using logistic regression and calculate odds ratio for variables

```
In [75]: X = pd.get_dummies(Type1['Age_Group'], drop_first=True)

y = Type1['HYPEV']
X = sm.add_constant(X)
model = sm.Logit(y, X)
result = model.fit()

print(result.summary())
print("Odds Ratios:")
print(np.exp(result.params))
```

Optimization terminated successfully.

Current function value: 0.579663

Iterations 5

#### Logit Regression Results

```
=====
Dep. Variable:          HYPEV      No. Observations:          375
Model:                  Logit      Df Residuals:              370
Method:                  MLE       Df Model:                4
Date:                   Mon, 21 Oct 2024      Pseudo R-squ.:          0.1129
Time:                   19:21:28      Log-Likelihood:         -217.37
converged:              True        LL-Null:                -245.03
Covariance Type:        nonrobust      LLR p-value:            2.789e-11
=====
```

	coef	std err	z	P> z	[0.025	0.975]
const	-0.3185	0.329	-0.969	0.332	-0.962	0.326
10-20	-0.3429	0.450	-0.762	0.446	-1.225	0.540
20-30	0.2443	0.427	0.573	0.567	-0.592	1.081
30-40	0.8525	0.449	1.900	0.057	-0.027	1.732
40+	1.7380	0.376	4.620	0.000	1.001	2.475

#### Odds Ratios:

```
const      0.727273
10-20      0.709677
20-30      1.276786
30-40      2.345588
40+        5.685811
```

dtype: float64

40+ Years Since Diagnosis:

- People who have had Type I diabetes for 40 or more years are 5.69 times more likely to have hypertension compared to those who have had diabetes for less than 10 years. This result is highly significant ( $p < 0.05$ ).

30-40 Years Since Diagnosis:

- People who have had Type I diabetes for 30-40 years are 2.35 times more likely to have hypertension compared to those who have had it for less than 10 years. This result is marginally significant ( $p \approx 0.057$ ).

**Conclusion:** People who have had Type I diabetes for a long time, particularly those who have had it for 40+ years, are much more likely to develop hypertension compared to those diagnosed more recently (less than 10 years).

Do the same analysis for the rest of significant features

```
In [76]: complications = ['CHLEV', 'COPDEV', 'AASMEV', 'ARTH1', 'CANEV']
         results = {}

         for complication in complications:
             y = Type1[complication]
             X = pd.get_dummies(Type1['Age_Group'], drop_first=True)
             X = sm.add_constant(X)

             model = sm.Logit(y, X)
             result = model.fit()
```

```
odds_ratios = np.exp(result.params)
results[complication] = {
    'summary': result.summary(),
    'odds_ratios': odds_ratios
}
```

results

Optimization terminated successfully.  
Current function value: 0.675345  
Iterations 4

Optimization terminated successfully.  
Current function value: 0.281832  
Iterations 8

Optimization terminated successfully.  
Current function value: 0.468014  
Iterations 6

Optimization terminated successfully.  
Current function value: 0.643811  
Iterations 5

Optimization terminated successfully.  
Current function value: 0.341603  
Iterations 7

```
Out[76]: {'CHLEV': {'summary': <class 'statsmodels.iolib.summary.Summary'>
    """
                Logit Regression Results
=====
Dep. Variable:                CHLEV    No. Observations:                37
Model:                    Logit    Df Residuals:                37
Method:                    MLE    Df Model:
Date:                Mon, 21 Oct 2024    Pseudo R-squ.:                0.0208
Time:                20:55:42    Log-Likelihood:                -253.2
converged:                True    LL-Null:                -258.6
Covariance Type:                nonrobust    LLR p-value:                0.0290
=====
                coef    std err          z      P>|z|      [0.025    0.97
-----
const                -0.3185      0.329     -0.969     0.332     -0.962     0.32
10-20                -0.0693      0.443     -0.156     0.876     -0.938     0.79
20-30                 0.4669      0.427      1.093     0.274     -0.370     1.30
30-40                 0.2314      0.442      0.524     0.600     -0.634     1.09
40+                  0.7902      0.361      2.190     0.029      0.083     1.49
=====
    """
    'odds_ratios': const    0.727273
10-20    0.933036
20-30    1.595000
30-40    1.260417
40+      2.203767
dtype: float64},
'COPDEV': {'summary': <class 'statsmodels.iolib.summary.Summary'>
    """
                Logit Regression Results
=====
Dep. Variable:                COPDEV    No. Observations:                37
Model:                    Logit    Df Residuals:                37
Method:                    MLE    Df Model:
Date:                Mon, 21 Oct 2024    Pseudo R-squ.:                0.0731
Time:                20:55:42    Log-Likelihood:                -105.6
converged:                True    LL-Null:                -114.0
```

```
3
Covariance Type:          nonrobust    LLR p-value:          0.00222
6
=====
=
          coef    std err          z      P>|z|      [0.025      0.97
5]
-----
-
const          -3.6109        1.013     -3.563      0.000     -5.597     -1.62
5
10-20          -0.2177        1.431     -0.152      0.879     -3.023      2.58
8
20-30           0.3528        1.243      0.284      0.777     -2.084      2.79
0
30-40           0.5199        1.245      0.418      0.676     -1.920      2.96
0
40+             1.8555        1.034      1.795      0.073     -0.171      3.88
2
=====
=
"""
'odds_ratios': const    0.027027
10-20    0.804348
20-30    1.423077
30-40    1.681818
40+      6.395062
dtype: float64},
'AASMEV': {'summary': <class 'statsmodels.iolib.summary.Summary'>
"""

                Logit Regression Results
=====
=
Dep. Variable:          AASMEV    No. Observations:          37
5
Model:                  Logit    Df Residuals:          37
0
Method:                 MLE      Df Model:
4
Date:                   Mon, 21 Oct 2024    Pseudo R-squ.:          0.0355
3
Time:                   20:55:42    Log-Likelihood:          -175.5
1
converged:              True      LL-Null:          -181.9
7
Covariance Type:          nonrobust    LLR p-value:          0.0116
2
=====
=
          coef    std err          z      P>|z|      [0.025      0.97
5]
-----
-
const          -1.3218        0.398     -3.322      0.001     -2.102     -0.54
2
10-20           0.3603        0.514      0.700      0.484     -0.648      1.36
9
20-30           0.4568        0.497      0.919      0.358     -0.518      1.43
1
30-40           0.1643        0.527      0.312      0.755     -0.869      1.19
```

```
7
40+          -0.6607      0.456      -1.449      0.147      -1.554      0.23
3
=====
=
"""
'odds_ratios': const      0.266667
10-20      1.433824
20-30      1.578947
30-40      1.178571
40+        0.516467
dtype: float64},
'ARTH1': {'summary': <class 'statsmodels.iolib.summary.Summary'>
"""

                                Logit Regression Results
=====
=
Dep. Variable:                ARTH1    No. Observations:                37
5
Model:                        Logit    Df Residuals:                    37
0
Method:                        MLE     Df Model:
4
Date:                          Mon, 21 Oct 2024    Pseudo R-squ.:                0.0433
9
Time:                          20:55:42    Log-Likelihood:                -241.4
3
converged:                      True    LL-Null:                        -252.3
8
Covariance Type:                nonrobust    LLR p-value:                0.000209
8
=====
=
                                coef      std err          z      P>|z|      [0.025      0.97
5]
-----
-
const          -1.1701      0.382      -3.066      0.002      -1.918      -0.42
2
10-20           0.3126      0.497       0.629      0.530      -0.662       1.28
7
20-30          -0.0827      0.503      -0.164      0.869      -1.068       0.90
3
30-40           0.9957      0.483       2.062      0.039       0.049       1.94
2
40+             1.1490      0.408       2.815      0.005       0.349       1.94
9
=====
=
"""
'odds_ratios': const      0.310345
10-20      1.367003
20-30      0.920635
30-40      2.706667
40+        3.155093
dtype: float64},
'CANEV': {'summary': <class 'statsmodels.iolib.summary.Summary'>
"""

                                Logit Regression Results
=====
```



```

=
Dep. Variable:          CANEV   No. Observations:          37
5
Model:                  Logit   Df Residuals:              37
0
Method:                  MLE    Df Model:
4
Date:                    Mon, 21 Oct 2024   Pseudo R-squ.:            0.0408
8
Time:                    20:55:42   Log-Likelihood:           -128.1
0
converged:                True    LL-Null:                  -133.5
6
Covariance Type:         nonrobust   LLR p-value:              0.0274
9
=====
=
              coef      std err          z      P>|z|      [0.025      0.97
5]
-----
-
const          -2.8904         0.726     -3.979     0.000     -4.314     -1.46
6
10-20           0.7621         0.867      0.879     0.379     -0.937      2.46
1
20-30           0.0572         0.938      0.061     0.951     -1.782      1.89
7
30-40          -0.2007         1.025     -0.196     0.845     -2.210      1.80
8
40+             1.2555         0.753      1.668     0.095     -0.220      2.73
0
=====
=
"""
'odds_ratios': const      0.055556
10-20      2.142857
20-30      1.058824
30-40      0.818182
40+        3.509434
dtype: float64}}

```

### Why some features in chi square are significant, but in logistic they are not any more?

- There might be some multicollinearity within the data
- Logistic regression can account for interaction effects between predictors. If a variable interacts with other predictors (e.g., how two age groups combined affect the likelihood of developing a complication), logistic regression can capture this, whereas a Chi-Square test looks only at the variables in isolation.

### Conclusion for features:

- CHLEV (High Cholesterol): There is a significant association with having Type I diabetes for 40+ years, which increases the likelihood of developing high cholesterol.
- COPDEV (COPD): No significant relationship with any of the age groups.
- AASMEV (Asthma): No significant relationship with any of the age groups.

- ARTH1 (Arthritis): There is a significant association for both the 30-40 years and 40+ years groups, indicating a higher likelihood of developing arthritis after living with Type I diabetes for 30+ years.
- CANEV (Cancer): No significant relationship with any of the age groups.

**The logistic regression and the graph align with each other and give us the conclusion that people who have Type 1 diabetes, particularly having diabetes over 30+ years are more likely to complications Hypertension, High Cholesterol, and Arthritis.**

## PCA analysis for variables

```
In [70]: from sklearn.preprocessing import StandardScaler
from sklearn.decomposition import PCA

X_numeric = Type1.drop(columns=['Age_Group'])

# Also, store the target variable (Age_Group) for later use
y = Type1['Age_Group']
scaler = StandardScaler()
X_scaled = scaler.fit_transform(X_numeric)
pca = PCA(n_components=10) # Change number of components as needed
X_pca = pca.fit_transform(X_scaled)

# Print explained variance ratio for each principal component
print(pca.explained_variance_ratio_)

# Print cumulative explained variance
print(pca.explained_variance_ratio_.cumsum())
model = LogisticRegression()
model.fit(X_pca, y)
```

```
[0.17020286 0.08354231 0.07097845 0.06242344 0.06180468 0.05464603
 0.05183745 0.04893914 0.04768258 0.044672 ]
[0.17020286 0.25374517 0.32472362 0.38714706 0.44895175 0.50359778
 0.55543523 0.60437437 0.65205695 0.69672896]
```

Out[70]: LogisticRegression()

```
In [10]: le = LabelEncoder()
Type1['Age_Group_encoded'] = le.fit_transform(Type1['Age_Group'])
X = Type1.drop(columns=['Age_Group', 'Age_Group_encoded'])
y = Type1['Age_Group_encoded']

X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.3, random_
```

it is not realistic to talk about the all of the features since we only have 340 data points while there are 800 features which will make contingency table very small and decrease the predict power

## Logistic regression

```
In [33]: # Logistic Regression Model
log_reg = LogisticRegression(max_iter=1000)
log_reg.fit(X_train, y_train)
```

```

y_pred_log_reg = log_reg.predict(X_test)

# Evaluation for Logistic Regression
log_reg_acc = accuracy_score(y_test, y_pred_log_reg)
log_reg_report = classification_report(y_test, y_pred_log_reg, target_names=le.c
print("Logistic Regression Accuracy:", log_reg_acc)
print("Logistic Regression Report:\n", log_reg_report)

```

Logistic Regression Accuracy: 0.46017699115044247

Logistic Regression Report:

	precision	recall	f1-score	support
10-20	0.20	0.06	0.09	18
20-30	0.29	0.10	0.14	21
30-40	0.00	0.00	0.00	13
40+	0.49	0.98	0.66	50
<10	0.00	0.00	0.00	11
accuracy			0.46	113
macro avg	0.20	0.23	0.18	113
weighted avg	0.30	0.46	0.33	113

Tried: Interaction term: 44% Scalar: 44% PCA, regularization also does not work to improve performance

## Decision tree

```

In [14]: # Decision Tree Model
decision_tree = DecisionTreeClassifier()
decision_tree.fit(X_train, y_train)
y_pred_decision_tree = decision_tree.predict(X_test)

# Evaluation for Decision Tree
decision_tree_acc = accuracy_score(y_test, y_pred_decision_tree)
decision_tree_report = classification_report(y_test, y_pred_decision_tree, target
print("Decision Tree Accuracy:", decision_tree_acc)
print("Decision Tree Report:\n", decision_tree_report)

```

Decision Tree Accuracy: 0.40707964601769914

Decision Tree Report:

	precision	recall	f1-score	support
10-20	0.21	0.22	0.22	18
20-30	0.14	0.05	0.07	21
30-40	0.25	0.31	0.28	13
40+	0.67	0.68	0.67	50
<10	0.15	0.27	0.19	11
accuracy			0.41	113
macro avg	0.28	0.31	0.29	113
weighted avg	0.40	0.41	0.40	113

## Random Forest Classifier

```
In [15]: # Random Forest Model
random_forest = RandomForestClassifier()
random_forest.fit(X_train, y_train)
y_pred_random_forest = random_forest.predict(X_test)

# Evaluation for Random Forest
random_forest_acc = accuracy_score(y_test, y_pred_random_forest)
random_forest_report = classification_report(y_test, y_pred_random_forest, target_names=classes)
print("Random Forest Accuracy:", random_forest_acc)
print("Random Forest Report:\n", random_forest_report)
```

Random Forest Accuracy: 0.415929203539823

Random Forest Report:

	precision	recall	f1-score	support
10-20	0.22	0.11	0.15	18
20-30	0.10	0.05	0.06	21
30-40	0.00	0.00	0.00	13
40+	0.56	0.80	0.66	50
<10	0.25	0.36	0.30	11
accuracy			0.42	113
macro avg	0.23	0.26	0.23	113
weighted avg	0.33	0.42	0.36	113

## Bias

In [ ]: