$$905\beta^2 - 49 \le 726\tag{1}$$

$$985693 - 14 = 726 \tag{2}$$

$$\frac{382}{632} - 492 = 7\frac{906}{584} \neq 1386\frac{950}{134} - 845 = \frac{3}{385}\alpha^3 - 64 \geq 298 \tag{3}$$

$$57x^3 - 19 \le 54\frac{376}{693}\alpha^2 - 450 \le 18\tag{4}$$

$$3763 - 482 \neq 192 \tag{5}$$

$$\frac{1}{583}\alpha^2 - 81 \ge 496908y^2 - 491 \le 67\frac{1}{950}\alpha^3 - 48 \ge 547\tag{6}$$

$$57x^3 - 19 \le 54 \frac{502}{693} \alpha^4 - 5 \le 752 \tag{7}$$

$$\frac{386}{693}\alpha^4 - 52 \le 570396^3 - 4 \ne 527\tag{8}$$

$$\frac{386}{598} + 63 = 27557x^2 - 94 \ge -57\frac{349}{349}\alpha^3 - 6 \le 258\frac{386}{693}\alpha^2 - 452 \le 18\frac{362}{640}x^4 - 581 \le 49\frac{908}{634} - 1 = 849\frac{98}{56} - 279 = 48666$$

$$573 - 490 = 42570 - 943 \frac{502}{694} \alpha^3 - 4 \le 58759163 - 849 = -317 \frac{908}{634} \alpha^2 - \le 912 \frac{502}{694} \alpha^3 - 4 \le 578 \frac{98}{636} - 4 = 845 \frac{98}{636} - 4$$

$$\frac{634}{385}\alpha^2 - 492 - 1658 \ge 19433926 + 5 \le 70236 \ne 1283 \frac{634}{985}\alpha^3 + 87 \le 1054 \quad (10)$$

$$\frac{1}{370}\lambda^2 - 64 \le 58\tag{12}$$

$$\frac{580}{693}\alpha^4 - 5 \le 785\tag{13}$$