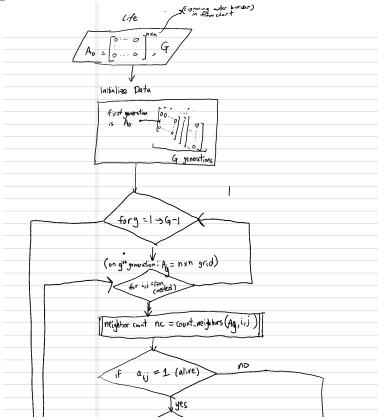
Assignment 02 Game of Life

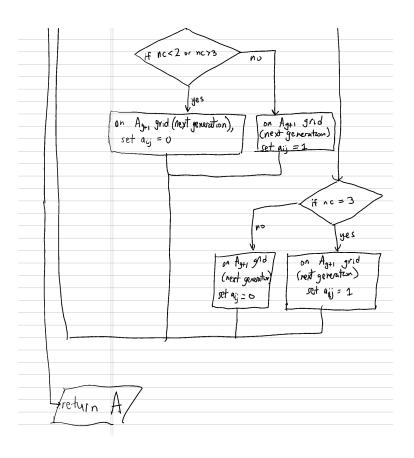
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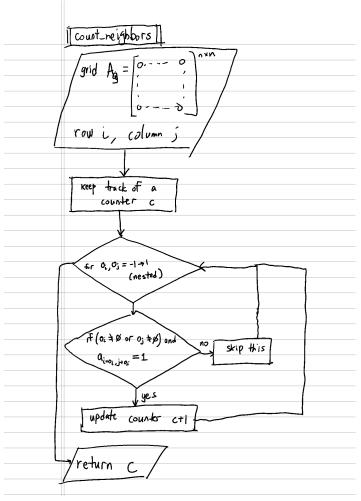
1 Pseudocode

Life





Counting Neighbors



2 Code

Life.m A Function that Simulates the Game of Life % Input: % Init_Config: An nxn matrix of cells containing either a 1 (alive) or 0 % (dead). Acts as the initial configuration of the grid and is the first % one on the series of grids. Generations: An integer containing the number of "frames" this % simulation plays through. % Output: Simulation: A 3-dimensional matrix containing Generations "frames" of % nxn grids (nxnxGenerations) of the Game of Life being simulated on each % "frame" function [Simulation] = Life(Init_Config, Generations) n = size(Init_Config, 1); A = zeros(n+2, n+2, Generations);% initializing the first generation to Init_Config for i=1:nfor j=1:n $A(i+1, j+1, 1) = Init_Config(i, j);$ end end % the first generation is already set so we only need % to set after the first one for g=1:Generations-1 % A_g is the gth generation of A $A_g = A(:,:,g);$ % need to check (2, n+1) instead of (1, n) % because A has a "border" of zeros so we % really need to access indices 2-(n+1)for i=2:n+1for j=2:n+1nc = count_neighbors(A_g, i, j); if $A_g(i, j) == 1$ if $nc < 2 \mid \mid nc > 3$ A(i, j, g+1) = 0;

```
else
                         A(i, j,g+1) = 1;
                else
                     if nc == 3
                         A(i, j, g+1) = 1;
                     else
                         A(i, j, g+1) = 0;
                     end
                end
            end
        end
    end
    % return
    Simulation = A;
end
   counting_neighbors.m
\% A function that counts the "neighboring cells" of (i, j) by using a
% nested for loop
% Input:
   A_g: A (n+1)x(n+1) matrix that contains the gth "frame" of the
% simulation in Life
    i, j: The coordinates (row, col) of A_g that we want to cout the
% neighboring cells of
function [c] = count_neighbors(A_g, i, j)
    c = 0;
    \% for looping through the "offsets":
    %: (-1, -1), (-1, 0), ..., (1, 1)
    % such that for each offset o = (oi, oj)
    % (where i is row and j is column)
    \% we can count the neighboring cell of (i, j) with
    % (i + oi, j + oj)
    for oi = -1:1
        for oj = -1:1
            \% counting if neighboring cell is alive
            if (oi \tilde{} = 0 || oj \tilde{} = 0) && A_g(i+oi, j+oj) == 1
                c = c + 1;
```

```
end
end
end
% return (c is already c :P)
end
```

3 Some proof it works

Unfortunately, this doesn't work as well in pdf form, so the gifs are provided in the zip. But the Doc is on the next page.