

a) Efficiently - time + space

User-friendly.

Understandable.

Security.

~~I think~~

Efficiency: it's time + space.

User-friendly: User can use it easily

Understandable: it is all about ~~homogeneity~~

So ~~people~~ programmers can find the errors quickly

They are important because a software system is to provide service to users and as programmer we should check everything

is understandable.

b)

CASE tools stand for Computer Aided

Software Engineering. it is basically following

the process like requirements \rightarrow Design

\rightarrow implementation \rightarrow verification \rightarrow maintenance

following these instructions the software developer can manage the process better.

4) Analysis effort pushed \therefore it is the better
flow input SFC.

pros: very fast and convenient

cons: not flexible

② Parametric Estimating, it is a branch
of Statics. pros: very accurate theoretically
cons: very complicated

③ IKT method

: evaluate complexity and cost.

pros: accurate

cons: Time consuming.

④ MBCE: use a unique model base.

Cost engineering technology.

pros: accurate

cons: complicated

b)

First generations : machine language
very fast but not understandable

Second Generation :

Assembly - it is little further from binary

So this is like `ADD AX, 01`.

it is more understandable, small size

but need assemble.

Third Condition

procedure - mathematicians found out

that coding PL can be Turing machine
equivalent.

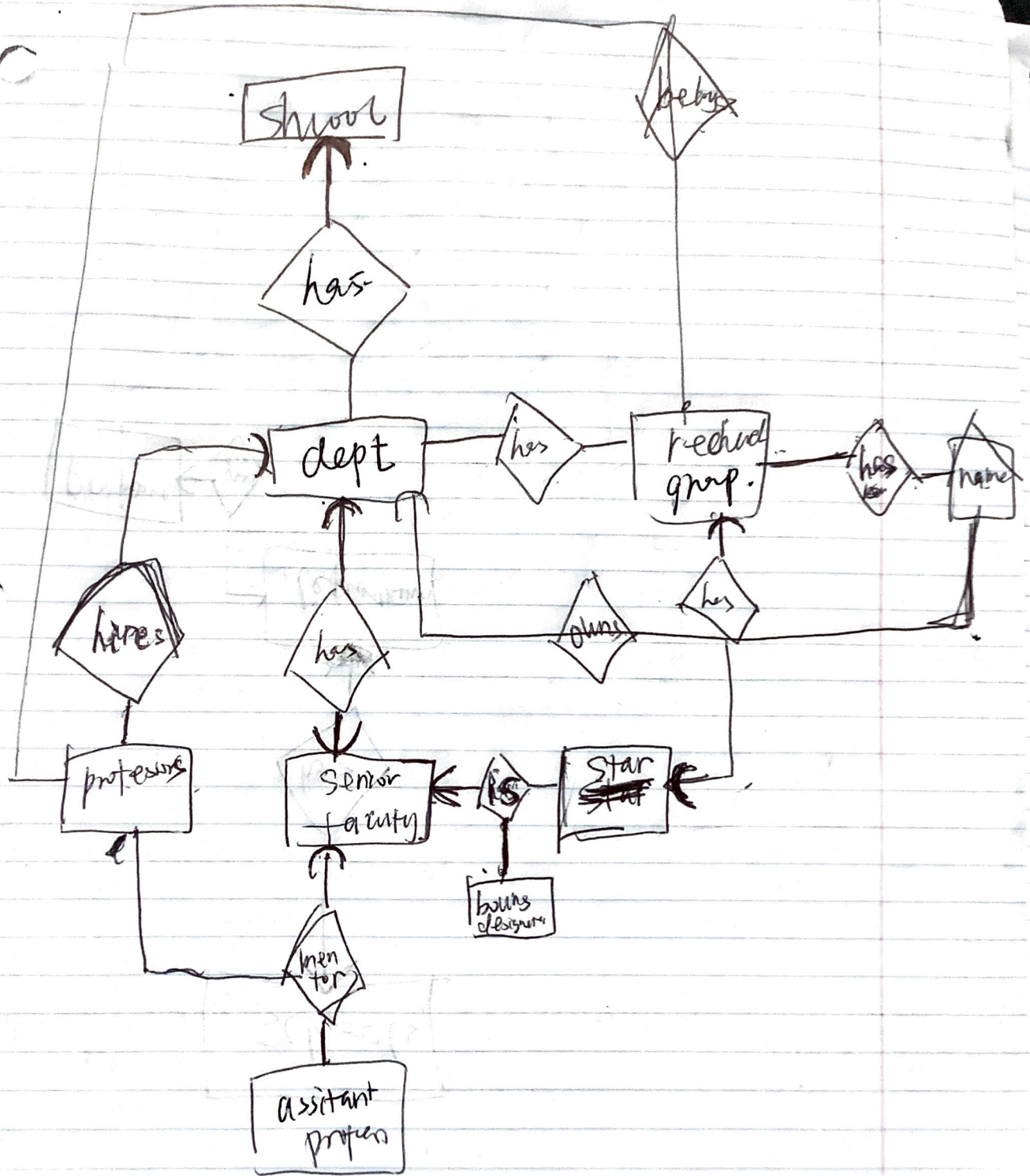
Fourth generation something like OO and SQL.

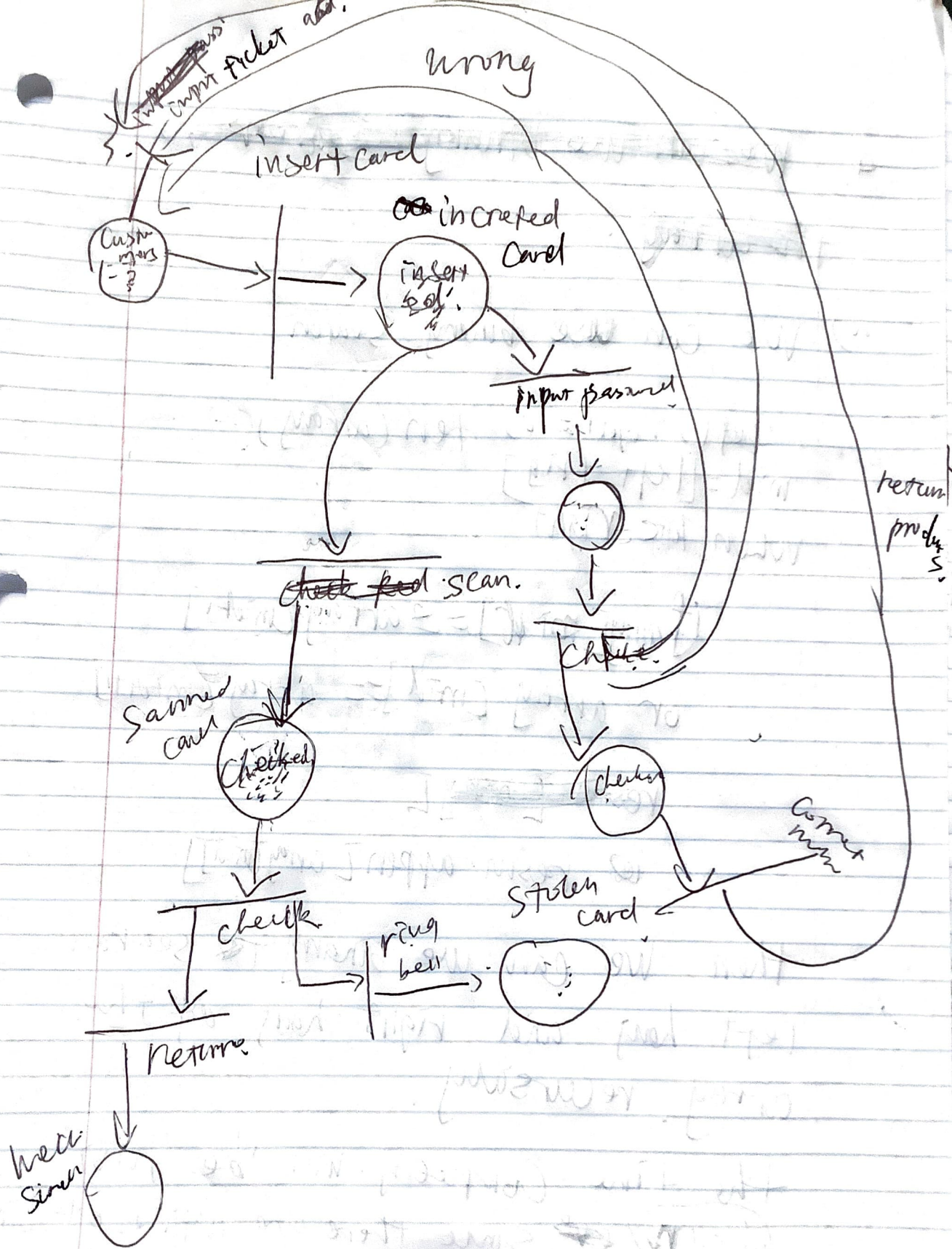
using OO you can use create models easy

abstraction easy data analysis but

the most important is because of inheritance

using SQL follows functional programming.





~~the array~~

a) We can use binary search

left, right = 0, len(array)
mid = $\lfloor \frac{\text{left} + \text{right}}{2} \rfloor$
when left = right

if array[mid] == array[mid-1]

or array[mid] == array[mid+1]

~~result = array~~

result.append(array[mid])

then we can use binary search
left half and right half of the
array. recursively.

the time complexity will be just
 $n \log n$ since there are n times of binary
search

So we could

design a base case for the algorithm. Say:

when the $n == 0$: return 1

then if $n \% 2 == 1$:

We can do a function $f(a, n)$

else:

$p = \text{function}(a, n/2)$

return $n \cdot p$.

the time complexity will be smaller than $O(n)$ because in some steps will

divide the exponent so, it will be

$\log n \leq$ ~~$O(n)$~~
time complexity $\leq n$.