

Typically in the MD calculation used the Verlet algorithm, when the position of the point can be calculated without knowing the speed. This algorithm is a compromise between the accuracy of the calculation procedure and the speed of its implementation.

The calculation sequence has the form:

First calculate the speed-up.

$$a_i(t) = \frac{f_i(x)}{m_i} \tag{1}$$

 a_i – speed-up;

 m_i – mass of the particle;

 $f_i(x)$ – the value of the interaction power for two particles, calculated by the formula (3).

Next step calculate the speed.

$$v_i(t + \Delta t) = v_i(\Delta t) + a_i(t)\Delta t \tag{2}$$

 $v_i(\Delta t)$ – current value of speed of movement;

 Δt – time step for system;

 a_i – the value of the speed-up, calculated by the formula (1).

In a software implementation, this function is called "Speed" and has four input parameters [t_step v_current m_ball LJpow]:

t_step - time step for system;

v_current - current value of speed;

m_ball - particle mass we are working with;

LJpow – particle interaction force calculated using Lennard-Jones potential.

And now we can calculate coordinate of particles.

$$x_i(t + \Delta t) = x_i(\Delta t) + v_i(t)\Delta t + a_i(t) * \frac{\Delta t^2}{2}$$

 $x_i(\Delta t)$ - the current coordinate along one of the axes (x y);

 v_i - the speed value, calculated by the formula (2);

 a_i - speed-up value, calculated by the formula (1).

In a software implementation, this function is called "newParticleCoordinate" and has five input parameters [t_step cord_current m_ball speed LJpow]:

t_step - time step for system;

cord_current - current coordinate;

m_ball - mass of the particle;

speed - particle velocity;

LJpow – particle interaction force calculated using Lennard-Jones potential.

To obtain the force of interaction it is necessary to use the potential. From all existing selected Lennard-Jones potential:

$$U(r) = 4\sigma[(\frac{\sigma}{\varepsilon})^{12} - (\frac{\sigma}{\varepsilon})^{6}]$$

r- the distance between the centers of the particles.

 ε - the depth of potential well.

 σ - the distance at which the interaction energy becomes to zero.

After conversion we have the next formula:

$$f(r) = \frac{12\varepsilon}{\sigma} \left[\left(\frac{\sigma}{\varepsilon} \right)^{13} - \left(\frac{\sigma}{\varepsilon} \right)^{7} \right]$$
 (3)

In a software implementation, this function is called "LennardJonesPower" and has three input parameters $[e \ q \ r]$:

e - the depth of potential well;

q - the distance at which the interaction energy becomes zero;

r - the distance between the centers of the particles;

There are also functions setup, draw and funk.

setup - contains a vector with information about particles. vector structure: coord - particle coordinate by XYZ axis; mass - particle mass; curLJPower - current value of the interaction force; curSpeed - current value of the particle speed.

 draw - this function performs the task of visualizing particles by their coordinates.

funk - a function that, as a result of its execution, recalculates the coordinates of all particles. Verbal description of the funk function algorithm:

-first, we calculate the value of the force of interaction of the particles with each other and summarize these values, by the formula(3);

-next, we calculate the speed of each particle;

-now we can calculate the new coordinates of each particle based on the results from previous steps.

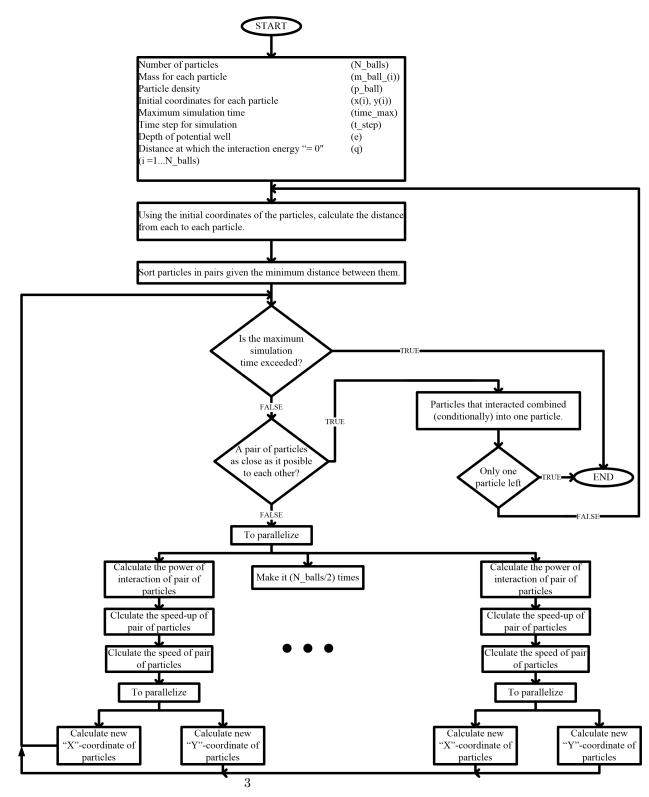


Figure 1: General algorithm.