

**Problem Description:**

I have to select a randomly generated graph with random edges and select constraint for each edge from a constraint list, then run the Arc-Consistency algorithms (AC-1, AC-2, AC-3, AC-4) for increasing number of nodes and then measure the performances of each algorithm and plot a graph showing the comparison of four AC-algorithms. As a measure of performance, the following two will be the output graph:

- Domain size reduction v/s execution time
- Number of nodes v/s execution time

**Input:**

- A random graph (minimum 100 nodes, can be increased iteratively)
- Random constraint associated with each edge from a constraint list
- Random domain associated with each node

So, the problem is  $\langle X, D, C \rangle$

Where  $X$  = set of random variables,  $\{X_1, \dots, X_n\}$ , and can be increased.

$D$  = random domain,  $\{D_1, \dots, D_n\}$ , associated with each variable.

$C$  = set of constraint for each edge.

**Output:**

Running each AC-algorithm for increasingly number of nodes and capture the values needed and draw two graph comparing the four algorithms as mentioned above.