

i READ THIS FIRST!

1DL073 Natural Computation in Machine Learning, home exam

Allowed help material: Inspira. It's OK to use a calculator, but it should not be strictly necessary. Please, answer (in Swedish or English) the following questions to the best of your ability!

This is a home exam, and it is an **individual** exam! You are **not allowed to consult with any other person than me, nor look up things in books or on the Internet.**

For most questions your reasoning is very likely to be more important than the result! So please make sure that you justify your answers to the questions, unless explicitly told not to. For example, if asked to compute something, show the computation, not just the result. This is why most of the questions on this exam are 'Essay' questions, to give you full access to the writing tools (including an equation editor) in Inspira. Most answers should not require more than a few sentences though.

There are 14 questions. The maximum number of points is 40. To get grade 3 (pass) a total of 20 points is required. Grade 4 requires 27 points and grade 5 requires 32 points.

I will be available on Zoom if you have questions, during the first hour of the exam. Use this link (<https://uu-se.zoom.us/j/61262409782>) if you have questions. Zoom will put you in a waiting room where I pick one student at a time. So just wait for your turn.

If you have more questions after the first hour of the exam, you may email me (olle.gallmo@it.uu.se). I may not be as quick to respond then though.

Good luck!

1 Match application to method

This course (and many others) divides machine learning in three sub-categories: supervised learning, unsupervised learning and reinforcement learning. To which sub-categories do the following application examples typically belong? (0.5 points for each correct mark, but -0.5 for each incorrect, so don't guess!)

	Supervised	Unsupervised	Reinforcement
Novelty (outlier) detection	<input type="radio"/>	<input type="radio"/>	<input type="radio"/>
Learning to recognize objects in pictures	<input type="radio"/>	<input type="radio"/>	<input type="radio"/>
Dimensionality reduction	<input type="radio"/>	<input type="radio"/>	<input type="radio"/>
Maximizing car traffic flow by controlling traffic lights	<input type="radio"/>	<input type="radio"/>	<input type="radio"/>
Learning to play chess as the world champion plays the game	<input type="radio"/>	<input type="radio"/>	<input type="radio"/>
Learning to play chess better than any human	<input type="radio"/>	<input type="radio"/>	<input type="radio"/>

Maximum marks: 3

6 Compute delta-values

In the backpropagation algorithm, weight changes are computed as $\Delta w_{ji} = \eta \delta_j x_i$, where the definition of δ_j depends on if node j is a hidden node or an output node. Compute δ_j for the following cases:

a) j is a linear output node (i.e. the activation function is the identity function). It's computed node value, y_j , is 0.4. The desired output, d_j , is 1.0. (2p)

b) j is a logistic hidden node with steepness constant $\lambda=1$. Its weighted sum (including threshold/bias) is 0 (zero). It is connected to only one output node, and the weight of that connection is 2.0. The δ -value of the output node is 0.6. (2p)

Fill in your answer here

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Words: 0

Maximum marks: 4

7 Over-confidence

Consider a multilayer perceptron with sigmoidal neurons which has been trained as a classifier for a long time. Some of the nodes may then have become very 'confident' in their answers, i.e. they respond with values very close to 0 or 1.

When using Backpropagation, the weight changes for such 'confident' neurons will be very small, even if the error is large, creating a kind of trap which can be very difficult to escape. Explain why this problem occurs (2p), and why this should be less problematic for RPROP than for Backprop (1p)!

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Words: 0

Maximum marks: 3

Diagram illustrating a Markov Decision Process (MDP) with states s and s' and actions a_1, a_2, a_3 .

- From state s , action a leads to state s' with $Q(s, a) = 7$ and $r = 1.0$.
- From state s' , action a_1 leads to a terminal state with $Q(s', a_1) = 5$ and $r = -1.0$.
- From state s' , action a_2 leads to a terminal state with $Q(s', a_2) = 15$ and $r = 0.0$.
- From state s' , action a_3 leads to a terminal state with $Q(s', a_3) = 10$ and $r = 0.5$.

- Fill in your answer here**

9/11

14 ACO scalability

Ant colony optimization algorithms are very scalable (have low complexity) with respect to the number of ants. What is the fundamental mechanism in these algorithm, which makes them so scalable (in that respect)?

Fill in your answer here

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Maximum marks: 3