

ISTANBUL TECHNICAL UNIVERSITY
COMPUTER ENGINEERING DEPARTMENT

BLG 212E
MICROPROCESSOR SYSTEMS

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Contents

1	SYSTEM TIMER	1
1.1	Systick_Start	1
1.2	Systick_Stop	2
1.3	Systick_Handler	3
2	SORTING ALGORITHM	4
3	BIG O ANALYSIS	5
	REFERENCES	8

1 SYSTEM TIMER

The *system tick timer* is a simple 24-bit down counter to produce a small fixed time quantum. The timer counts down from N-1 to 0, and the processor generates a SysTick interrupt once the counter reaches 0. After reaching zero, the SysTick counter loads the value held in a special register named the SysTick Reload register and counts down again.

Its registers look like Fig. 1.

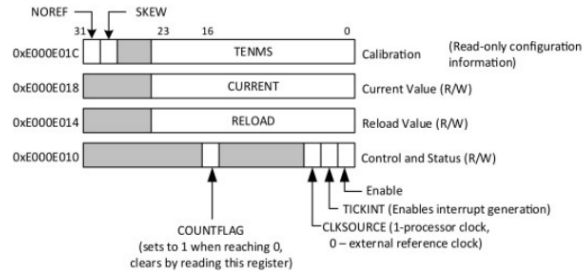


Figure 1: SysTick Registers

At the beginning of the file, some initializations were made for later use.

```
1      AREA    SysTick_Definitions, DATA, READONLY
2 SysTick_CTRL EQU 0xE000E010      ; SysTick Control and STATES Register.
3 SysTick_LOAD EQU 0xE000E014      ; SysTick Reload Value Register
4 SysTick_VAL  EQU 0xE000E018      ; SysTick Current Value Register
```

To implement the system timer, I used 3 functions.

1.1 Systick_Start

First, it resets *ticks*.

```
1      LDR     R0, =ticks
2      MOVS   R1, #0
3      STR     R1, [R0]
```

The following formula is used to calculate the *reload value*.

$$SysTick_LOAD = SysTick\ Interrupt\ Period * SysTick\ Counter\ Clock\ Frequency - 1$$

The period is chosen 1μs and Clock Frequency is (*System Core Clock* / 100000) MHz. So the initializations for calculating the reload value is as follows.

```
1      LDR     R0, =SysTick_LOAD
2      LDR     R1, =SystemCoreClock
3      LDR     R2, [R1]
4      LDR     R1, =100000
5
6      BL      Division
```

A *Division* function is implemented to find quotient (value).

```
1 Division FUNCTION
2   ; Input: R2 = dividend, R1 = divisor
3   ; Output: R3 = quotient
4       MOVS    R3, #0           ; Initialize quotient to 0
5       MOVS    R0, R2           ; R0 = dividend
6 Loop
7       CMP     R0, R1           ; Compare dividend and divisor
8       BLT     end_divide       ; End when r2 < r1
9       SUBS    R0, R0, R1       ; R2 = R2 - R1
10      ADDS    R3, R3, #1       ; Increment quotient
11      B       Loop            ; Repeat the loop
12 end_divide
13      BX      LR              ; Return
14      ENDFUNC
```

The clock frequency is in R3 after division. Then, I decremented it to find the reload value. Then, the reload value is loaded to the LOAD register.

```
1      LDR     R0, =SysTick_LOAD
2      SUBS    R3, R3, #1
3      STR     R3, [R0]
```

The current value in the value register is reseted.

```
1      LDR     R0, =SysTick_VAL
2      MOVS    R1, #0
3      STR     R1, [R0]
```

Finally, the control and status register is configured.

```
1      LDR     R0, =SysTick_CTRL
2      LDR     R1, =0x00000007
3      STR     R1, [R0]
```

1.2 SysTick_Stop

First, it stops the timer by clearing the enable flag. It does it by creating a mask and it clears only the lowest bit (enable).

```
1      LDR     R0, =SysTick_CTRL
2      LDR     R1, [R0]
3      ; ENABLE_Mask
4      LDR     R2, =0xFFFFFFFFFE
5      ANDS    R1, R1, R2
6      STR     R1, [R0]
```

Then, it reads the *ticks*, resets it, and returns them (in R0 it is the return register).

```
1      ; Read ticks
2      LDR    R0, =ticks
3      LDR    R1, [R0]
4
5      ; Reset ticks
6      MOVS   R2, #0
7      STR    R2, [R0]
8
9      ; Return must be in R0
10     MOV     R0, R1
```

1.3 SysTick_Handler

This function only counts the ticks.

```
1      LDR    R0, =ticks
2      LDR    R1, [R0]
3      ADDS   R1, R1, #1
4      STR    R1, [R0]
```

After writing this part, I uncommented the *EXPORT* instruction given above and commented the *SysTick_Handler* function in *timing.c* file as expected.

2 SORTING ALGORITHM

A bubble sort algorithm with a linked list structure is asked to be implemented in assembly. The pseudocode for it is as below.

Algorithm 1 ft_lstsort_asm

```
1: Input: Pointer to list (head), Comparison function (ft_cmp)
2: Output: Sorted list
3: Initialize swap_flag to 1
4: while swap_flag = 1 do
5:   Set swap_flag to 0
6:   prev  $\leftarrow$  NULL
7:   current  $\leftarrow$  head
8:   while current  $\neq$  NULL AND current->next  $\neq$  NULL do
9:     Compare current->value and current->next->value using ft_cmp
10:    if ft_cmp(current->value, current->next->value) = 0 then
11:      Swap current and current->next
12:      Update links to maintain the list structure
13:      Set swap_flag to 1
14:      if current is head then
15:        Update head to point to current->next
16:      else
17:        Update prev to point to current->next
18:      end if
19:    end if
20:    Move to the next pair of nodes
21:    prev  $\leftarrow$  current
22:    current  $\leftarrow$  current->next
23:  end while
24: end while
25: Return sorted list
```

After planning this pseudocode, I implemented it in assembly language.

3 BIG O ANALYSIS

Number of Sorted Elements	time	time_asm
5	5	5
10	14	19
15	25	48
20	35	86
25	47	146
30	59	255
35	71	361
40	85	440
45	99	549
50	114	695
55	126	772
60	141	898
65	155	1189
70	169	1329
75	185	1433
80	198	1810
85	216	2077
90	231	2218
95	248	2374
100	263	2528

Table 1: Time Measurements

The theoretical time complexity of merge sort is

$$T(n) = O(n \log n)$$

To verify the complexity, we calculate $\frac{\text{time}}{n \log n}$ for the given data. The results are as follows:

From the table 2, $\frac{\text{time}}{n \log n}$ is nearly constant, confirming the $O(n \log n)$ growth rate.

Graphic for `time` measurements according to number of elements can be observed from Fig. 2.

n	time	$\log n$ (base 2)	$n \log n$	$\frac{\text{time}}{n \log n}$
5	5	2.32	11.6	0.43
10	14	3.32	33.2	0.42
20	35	4.32	86.4	0.41
100	263	6.64	664.0	0.40

Table 2: Analysis of Merge Sort Data

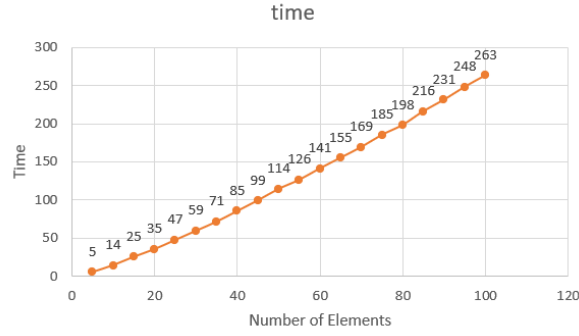


Figure 2: Time x Number of Elements

The theoretical time complexity of bubble sort is

$$T(n) = O(n^2)$$

To verify the complexity, we calculate $\frac{\text{time_asm}}{n^2}$ for the given data. The results are as follows:

n	time_asm	n^2	$\frac{\text{time_asm}}{n^2}$
5	5	25	0.20
10	19	100	0.19
20	86	400	0.22
100	2528	10000	0.25

Table 3: Analysis of Bubble Sort Data

From the table 3, $\frac{\text{time_asm}}{n^2}$ is roughly constant, confirming the $O(n^2)$ growth rate.

Graphic for **time_asm** measurements according to the number of elements can be observed from Fig. 3.

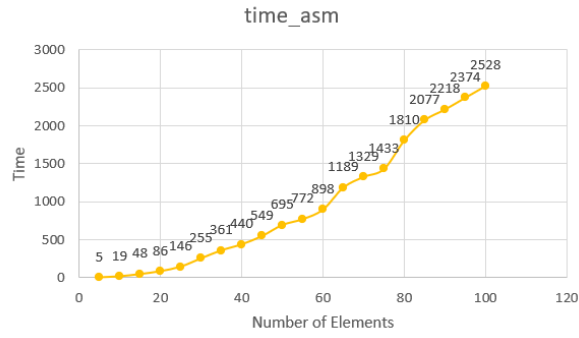


Figure 3: Time_asm x Number of Elements

Together, their graph looks like Fig. 4. The yellow line represents time measurement of bubble sort, the orange line represents time measurement of merge sort.

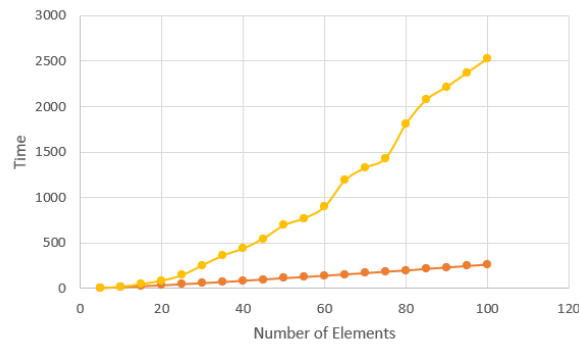


Figure 4: Time x Number of Elements

REFERENCES

- [1] Thomas H. Cormen, Charles E. Leiserson, and Ronald L. Rivest. *Introduction to Algorithms*. The MIT Press, Cambridge, MA, 4 edition, 2022.
- [2] Yifeng Zhu. *Embedded Systems with ARM Cortex-M Microcontrollers in Assembly Language and C*. E-Man Press LLC, 3rd edition, June 2018.