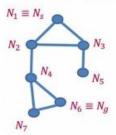
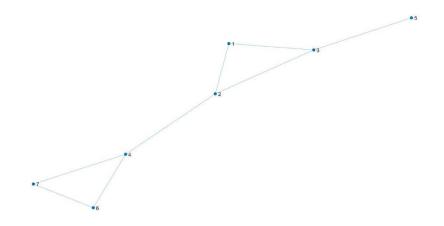
HOMEWORK n. 3



1. Given the graph above, implement a software program to search the graph with the bread-first algorithm (odd matriculation number) or with the depth-first algorithm (even matriculation number) from N_s to N_g . Briefly describe the obtained result.

Depth-first search (DFS) is a search algorithm for tree or graph structures. The algorithm starts at the root node and explores as far as possible along each branch before backtracking.



OPEN initially contains only the node N_s and it is marked as visited

```
OPEN = [1];
sequence = [];
node = 1;
father = [];
son = [];
j = 1;
i=1;
found=0;
pre(1) = 1;
t = 1;
```

DFS uses the LIFO strategy through a stack called OPEN.

At the beginning, OPEN contains the node N_s only and it is marked as visited, and the other nodes are marked as unvisited. At each iteration, the last node in OPEN is extracted and all the connect nodes marked as unvisited are inserted into OPEN as visited

The search terminates once N_q has been found, or OPEN is empty (failure).

The explanation of the single instructions is shown in the figure.

```
While (isempty (OPEN) == false & found == 0) %The algorithm ends when Ng has been found or when there are no more nodes to explore
     sequence(i) = OPEN(end);
     OPEN(end) = [];%this instruction deletes the last element of the stack
     for neighbor = 1:7
          if (Matrix(node, neighbor) == 1) %this instruction checks if the node and the neighbor are connected
             if visited(neighbor) == 0 %this instruction checks if the neighbor has already been visited
                  OPEN = [OPEN neighbor]; %if the neighbor has not yet been visited, the neighbor is added to OPEN
                  visited(neighbor) = 1;%it indicates that the node has been visited
                  father(j) = node; % father and son nodes are updated
                  son(j) = neighbor;
                  if (son(j) == goal node) % if Ng has been reached, the sequence vector is updated and found is set equal to 1 so as to exit the while loop
                      found=1;
                      sequence(i+1) son(j)
                       for w = 2:length(sequence) %with these 2 for loops I create the vector pre that is useful for the creation of the final graph
                          for p = 1:length(son)
                              if sequence(w) == son(p);
                                  pre(t+1) = father(p);
                                  t = t+1;
                              end
                          end
                      end
                  end
                 j = j+1;
             end
          else
              fprintf ('The %d neighbor has already been visited***\n', neighbor)
          end
     if (isempty(OPEN) == false)
        node OPEN(end) %node takes on the last value of the OPEN vector
         fprintf('\n The extracted node is %d \n', OPEN(end))
    end
    i=i+1:
```

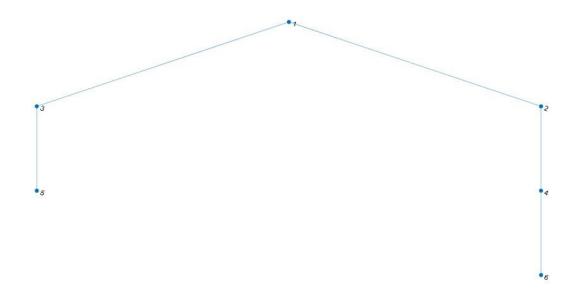
At the end, a message is printed to inform if the node $N_g\,$ has been reached or not

```
if(isempty(OPEN) == false)
    fprintf('The sequence of the elements is: \n')
    sequence
    DFS_graph = graph(sequence, pre, 'omitselfloops');
    figure(2)
    plot(DFS_graph)
else
    fprintf('There is not any sequence to reach the final node')
end

    The sequence of the elements is:
    sequence =

1    3    5    2    4    6
```

A graphical representation is shown below. The graph initially executes the left branch and then the right one.



The file containing the algorithm is called: "bread-first algorithm.m"